# **Autotuning Parallel Application in Heterogeneous Systems**

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Mestrado Integrado em Engenharia Informática e Computação

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### **Abstract**

Nowadays computational platforms have been evolving to the high computational power direction, however it requires a lot of energy to achieve such high performance with single but powerful processing unit. To manage this energy cost and keep with high performance, computers are built under the assumption of heterogeneous systems, in other words, computers that have different kind of processing units with different functions, such as CPU, GPU, Xeon Phi and FPGA. So, developers should take advantage of parallel activity and scheduling tasks by using the various parts of the heterogeneous systems.

Now the problem is how to efficiently achieve the highest performance possible when running software applications by taking the most advantage of such heterogeneous systems without jeopardizing the application performance and its results. Overall, the problem consists in the coexistence work of multicore specs, its parallelism and its shared cache problems; CPU parallelism and scheduling tasks; performance.

For this problem's solution is expected to find patterns and variables that helps tuning application with the best performance main goal in mind. Detecting these patterns and variables that improve applications, by making them parallelized, helps in the progression of how to make automatic paralleled code, since now-a-days making parallel code requires a lot of effort and time.

This kind of solution requires some validation process and metrics to make sure that it is doing its work and with proper results. To do so, the idea of the process' validation is going to be about comparing the behaviour of three different codes: a version of a serialized code; a version of the same code but with an expert manually paralleling it; and a version of the serialized code but «automatically» parallelized by a tool called Kremlin. The metric that was used to compare these three code versions is execution time in different experience environment.

The application of this work will help developing better automatic tools to make parallel code, which means in a long term, developers will have less burdened about creating parallel code, consequently, saving them time.

applications will achieve its highest performance possible in an automatic way and developers will have less burdened about creating parallel code, consequently, saving them time.

### Resumo

Atualmente as plataformas computacionais têm vindo a evoluir na direção do elevado poder computacional, no entanto, estas requerem uma quantidade enorme de energia para atingir elevado desempenho individualmente. De modo a gerir este custo energético e manter a elevada performance, os computadores são construídos sobre a assunção de sistemas heterogéneos, isto é, computadores compostos por diferentes tipos de unidades de processamentos com diferentes funcionalidades, como por exemplo, CPU,GPU, Xeon Phi e FPGA. É neste sentido que os programadores devem tirar proveito de atividade paralela e escalonamento de tarefas recorrendo às várias partes que compõem o sistema heterogéneo.

O problema incide sobre como atingir de forma eficiente o maior desempenho possível quando se corre uma aplicação de software, tirando o maior proveito dos sistemas heterogéneos sem prejudicar o resultado e o desempenho da aplicação.

Para solucionar este problema é esperado encontrar/padrões e variáveis que ajudem a afinar applicações com o principal objetivo de atingir a melhor performance em mente. Detetar estes padrões e variáveis que melhoram applicações, colocando-as paralelas, ajuda no avanço de como fazer código aparaelelo automáticamente, uma vez que nos dias de hoje fazer código paralelo requer muito tempo e esforço.

Este tipo de solução requer um processo de validação e métricas para assegurar que se está a fazer o trabalho corretamente e com resultados aceitáveis. Para tal, a ideia da validação do processo consiste em comparar o comportamento de três diferentes códigos: uma versão sequencial de um código; a versão deste mesmo código mas paralelizada por um perito; e a versão do código sequencial mas paralelizado «automaticamente» por uma ferramenenta denominada de Kremlin. A métrica que foi utilizada para comprar estas três versões de código é o tempo de execução em diferentes ambientes experimentais

A aplicação deste trabalho irá ajudar a desenvolver melhores ferramentas para fazer código paralelo automático, siginificando que, a longo prazo, programadores estarão menos sobrecarregados a criarem código paralelo o que, consequentemente, poupar-lhes-á tempo.

### Acknowledgements

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The Name of the Author



"You should be glad that bridge fell down. I was planning to build thirteen more to that same design" Isambard Kingdom Brunel



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### **Abbreviations**

CPU Central Processing Unit GPU Graphic Processing Unit

FPGA Field-Programmable Gate Array
OpenCL Open Computing Language

CHC Cooperative Heterogeneous Computing

OpenMP Open Multi-Processing
OS Operative System
WWW World Wide Web

### Chapter 1

### <sub>2</sub> Introduction

### 4 1.1 Context

Previously, computer systems were built to maximize their processing power in compactness and individually because programs were developed with a sequential approach. With the advance in microchips' technology, computers increased their processing capacity per volume, however some issues arose, such as high energy cost, high temperature and low equipment durability. To solve these issues some measures needed to take place in order to make computers systems more reliable, durable, efficient, and powerful.

Recently, the computing industry has moved away from exponential scaling of clock frequency toward chip multiprocessors in order to better manage trade-offs among performance, energy efficiency, and reliability [Dat08]

Combining different computer processing components, such as CPU, GPU Xeon Phi and FPGA, in a single computer system removed some heavy burden in the main processing core, making the computer system with better performance and reliable. However some concerns arose: how to properly use these components without jeopardizing the computer system and application performance. Some processing components can handle specif jobs better then others and combined the computer can achieve a whole new performance level; for instance, the use of a GPU together with a CPU to accelerate deep learning algorithm, analytics, and engineering applications [Nvi], however this kind of utility is not yet well optimized and its utility is only recently emerging.

### 1.2 Motivation and Goal

My motivation for this thesis is to advance a little further on the field of the automatic code parallelization and replace the manual parallelization labour because it requires a lot of time and effort to achieve significant performance.

### 1.3 Statement of the Problem

In the filed of achieving the highest possible performance in applications, it could be divided in for levels: hardware components level; transition between hardware and software level, the operative system level; the software level, related to the programming language; and the user level, the applications / program job, algorithms that it uses. The problem this dissertations approaches is related to the software level and the transition between hardware and software level.

Parallelizing code requires getting in touch with the programming language properties, software level, and using threads to make code paralleled, transition level between hardware and software, since the threads handling is done by the operative system. The real problem is parallelizing code requires a lot of effort, time and knowledge because, firstly, to apply parallelism, the target application must be analysed in order to find if it is possible to be parallelized. To do this, and if the applications uses complexed algorithms that requires expertise in other fields, such as biologic, mathematics, physics, it requires time to understand the algorithm and, then, if it has blocks that can be parallelized. Secondly, if the target programming language is suited to implement such application in order to take advantage of the parallelism. And, finally, how the parallelism is achievable with out jeopardizing applications result and performance.

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In conclusion, it requires a lot of time, effort and knowledge to achieve notable impacts in applications' performance, since it is made manually.

### 1.4 Purpose of the Work

Applying parallel methods requires a lot because there is to many factors an variables to take in to account and this is done manually.

The purpose of this dissertation is to find patterns and what variables makes the code parallelizable and find what exists in the state of art, and their performance impact, that helps in achieving one step closer to the automatic parallelization.

### 1.5 Significance of the Work

Making parallel code increases applications performance and, if making code paralleled was a possible future, that would increase applications performance and. as well, increase developers performance in building applications and solutions efficiently because it would spare time and effort.

With this dissertation it is hopped that attaining automatic ways to parallelize code is achievable and prove that code being parallelized automatically is viable and trustworthy in term of performance, results and speed.

### 1.6 Research Hypothesis

- This dissertations pretends to state that, in first place, parallelizing code is worth using and achieves great results in terms of performance. Secondly, automatically parallelizing code is possible and
- thirdly, has almost, if not, the same results as doing it manually. Additionally, this work pretends, as well, to state that Kremlin tool is an excellent starting point to make parallel code automatically.

### 6 1.7 Research Questions

The aim of this research is to find and answer for the following questions:

- Is it possible to achieve high performance level in applications in an automatic way?
  - If so, how can it be achievable? Can it totally replace an expert?
- Since exists tools, like Kremlin, which help to, automatically, parallelize code, how acceptable are their results?
  - How this specific tool can help in getting one step closer to automatic code parallelization?
    - In which way can Kremlin be better than an expert?

#### 14 1.8 Dissertation's Structure

This dissertation is divided in seven chapters:

#### 1. **Introduction 1**

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This addresses the overall context of my dissertation, motivation and goal of the developed work, what is the problem, the purpose of the work, th impact that this work will have, the hypothesis that this research wants to prove, the questions behind the research and how this dissertation is structured.

#### 2. Achieving the Highest Processing Power 2

This chapter is the state of the art of my thesis' scope and establishes the information, knowledge and work developed so far. In this chapter there are three sections. The first section is related to the context of the state of the art in the filed. The other two sections are two different but complementary approaches which help and describe the state of the art.

### 3. Matrix Multiplication 3

Still related to this dissertation state of the art, in this chapter it will presented and overview about the current state of the art for matrix multiplications, more specifically, two possible algorithms, their pseudo code, vantages and disadvantages. So, this chapter is divided in three sections: Matrix multiplication overview, Matrix multiplication generic algorithm and Matrix multiplication by line algorithm.

#### Introduction

### 4. Methodology 4

The Methodology chapter explains how the work will unfold, starting with the followed steps, executes experiences and what data was obtained and how this data will be analysed a validated. So, this chapter is divided in four sections: Research method, Data collection from conducted experiences, Data analysis method and Data validation.

#### 5. Results and Discussion 5

In this chapter is explained, in detail, the results obtained from all conducted experiences and the meaning and conclusions drawn from each one, the relation between them and the overall impact. So, this chapter is divided in two parts: firstly the analysis made from Kremlin's report and the comparison between Original code, Manual parallized code by an expert and Kremlin's indications to parallize code using the data from Kremlin's report.

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6. Conclusion 6

To sum up the work and reinforce the arguments the Conclusion chapter is divided in two sections: General conclusions and Future work. In General Conclusions section, is described the conclusion of each experiment and the overall conclusion for the experiences and the relation with the research hypothesis and the answer for the questions made. In the Future work section is presented what could be the next step and what can be done with the developed work made in this dissertation.

#### 7. Appendices ??

The last chapter of this dissertation, Appendices, presents, in two sections, the code developed for the conducted experiences and, for the second section, the information provided from Kremlin's report.

### Chapter 2

### 2 Achieving the Highest Processing Power

- The introduction describes a brief overview about each content of each chapter this report is made up with. This chapter will focus on the state of the art in how to achieve the highest processing
- 6 power. Related work and already known technologies are the main point in this chapter.

### 2.1 Introduction

- Following the context introduced in the previous chapter, the idea of having different processing components in a computer system doesn't improve the applications performance on its own.
- This is where the developers' work is crucial to take advantages of such different systems. The developers' work is to schedule the application's tasks to the different components so that these
- components can work simultaneously, avoiding overheads caused by their parallel activity, accessing memory at the wrong moment, memory conflicts, task dependency, wrong application's results
- compared with the sequential application. [LR]
- As mentioned previously, trying to create parallelized code can arise many problems and must be handled so the applications don't lose their functionalities. In order to do so, it requires a lot of time and effort to make it correctly parallelized. So trying to make code parallelization automatic is the next step in the direction of taking the most advantage of heterogeneous systems which, consequently, improves applications performance.
- This chapter is divided in two parts: one part will focus in the system's heterogeneity, how they can be used in favor of enhancing performance; and the main point of the other part is taking advantage of parallel activity by transforming sequential code into parallelized code.

### 2.2 Using Computers' Heterogeneous Components

Technologies and frameworks in this field have been developed in order to manipulate and control efficiently the different processing components. The main goal of this technologies is to optimize

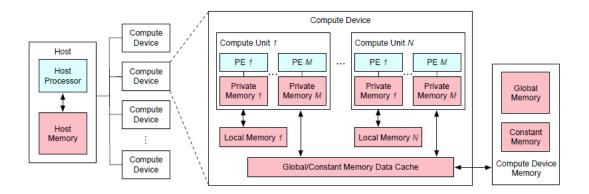


Figure 2.1: The OpenCL platform model and the OpenCL memory model

application parallelization; application memory management; application workload; application scheduling queue and application kernel dimension.

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An interesting fact is that the following software/frameworks that will be present are built, as its bases, under OpenCL programing language due to the fact that this language's use is targeted to heterogeneous parallel programing with CPUs and GPUs.

2.2.1 OpenCL 6

OpenCL is a programming language for heterogeneous parallel programing targeted to CPUs, GPUs and other processors [She]. In a small brief, this language is designed to take advantage of different types of processors and facilitates heterogeneous computing integration in applications' code. The user programs in a virtual platform and the source code that has been developed there is compatible for any system that supports OpenCl. Additionally, OpenCL allows users to control the applications' tunning parallelism through its hardware abstraction. In figure 3.1 there is an idea of the OpenCL plataform model and memory model for a better understanding of this hardware abstractions that was previously mentioned.

The OpenCL's programs has two parts: the compute kernels that are executed depending the number of processing devices; and the program that will be run. The program creates a set of commands and puts them in a queue for each device, additionally, to manage the execution of each kernels, additional commands are queued in the different kernels. When the computation is finished, the result data, from the previous kernels activity, return back to the original program.

2.2.2 StarPU 20

StartPU is a software tool with the purpose for programmers to use the computing power available in CPUs and GPUs, without needing to care about if their programs are adapted to a specific machine and its processing components. [Sta] In fact, StartPU is a run-timpe support library that provides scheduling applications-provided tasks on heterogeneous environments, such as CPUs

#### Achieving the Highest Processing Power

and GPUs. Additionally, it comes with programming language support, for the programming C language extensions and for OpenCL.

Programs submit computational tasks, with CPU and/or GPU implementations, and StarPU schedules these tasks and associated data transfers on available CPUs and GPUs. The data that a task manipulates are automatically transferred among accelerators and the main memory, so that programmers are freed from the scheduling issues and technical details associated with these transfers.

StarPU takes particular care of scheduling tasks efficiently, using well-known algorithms from the literature (Task Scheduling Policy). In addition, it allows scheduling experts, such as compiler or computational library developers, to implement custom scheduling policies in a portable fashion (Defining A New Scheduling Policy).

#### 12 **2.2.3** Twin Peaks

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"Software platform that enables applications originally targeted for GPUs to be executed efficiently on multicore CPUs", mentioned by Jayanth Gummaraju, Laurent Morichetti, Michael
Houston, Ben Sander, Benedict R. Gaster, Bixia Zheng, in the paper *Twin peaks: a software plat-*form for heterogeneous computing on general-purpose and graphics processors [Gum10]. This is
a small definition of the Twin Peaks' job. The aim of this software is, firstly, to program applications using an API written in OpenCL; secondly, to compile the applications code to, for instance,
add syntactic and semantic checks to make sure that the kernels meet the OpenCL requirements;
and execute applications in the heterogeneous environment using CPUs and GPUs.

### 2.3 Using Code Parallelization

Great advances have been made in the code parallelization. However, currently this kind of practice (the code parallelization) mostly is done by programmers and it requires a lot of effort, time and knowledge. It requires knowledge in the best practices related to what should and can't be parallelized, good knowledge on the code: its functionalities and its correct outputs because without these knowledges the chances to parallelize code correctly would be low since it is important to know if, firstly, is possible to parallelize and if, secondly, the parallelization doesn't jeopardize the programs results, outcomes and performance; to sum up, it requires time and effort to get a deep understanding of the code and to try if the code is correctly parallelized. [Jeo]

Since this practice is very costly, although grants great results at performance levels, this field has been developing ways to have results less costly, mostly in effort and time-consuming.

These developments created tools to help programmers develop parallelized code, using OpenMP directives, or software tools which recommend possible parallelized regions and its theoretical speed up gain, with Kremlin, or even a way to estimate how much can a program be parallelized, with Kismet software. [GJ]

The following software tools that will be presented have, as its base support, OpenMP directives to help in parallelizing code, or at least, to measure performance.

#### **2.3.1 OpenMP**

OpenMP was designed to be a flexible standard, easily implemented across different platforms. the main objectives are: control structure, the data environment, synchronization, and the runtime library.

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In terms of how it really does its job, OpenMP was designed to exploit certain characteristics of shared-memory architectures. The ability to directly access memory throughout the system , combined with fast shared memory locks, makes shared-memory architectures best suited for supporting OpenMP. in practice, OpenMP is a set of compiler directives and callable runtime library routines that extend Fortran (and separately, C and C++) to express shared-memory parallelism. [Nc98]. To be more precise, OpenMP provides standard environment variables to accompany the runtime library functions where it makes sense and to simplify the start-up scripts for portable applications. This helps application developers who, in addition to creating portable applications, need a portable runtime environment. OpenMP has been designed to be extensible and evolve with user requirements. The OpenMP Architecture Review Board was created to provide long-term support and enhancements of the OpenMP specifications.

2.3.2 Kremlin 16

The true purpose of Kremlin lies in asking the following question: "What parts of this program should I spent time parallelizing?" [Par]. So, in overall, Kremlin profiles a serial program and tells the programmer not only what regions should be parallelized, but also the order in which they should be parallelized to maximize the return on their effort. Giving a non parallelized code, Kremlin guides the programmer how to achieve better performance in its program though parallelization by presenting a list of code regions that could be parallelized. this list contains a plan that will minimize the number of regions that must be parallelized to maximize the programs performance, though parallelization.

At the core of the Kremlin system is a heavyweight analysis of a sequential program's execution that is used to create predictions about the structure of a hypothetical, optimized parallel implementation of the program. These predictions incorporate both optimism and pessimism to create results that are surprisingly accurate. [GJLT11]

Overall, Kremlin is an automatic tool that, given a serial version of a program, will make recommendations to the user as to what regions (e.g. loops or functions) of the program to attack first.  $[GJL^+12]$ 

2.3.3 Kismet 32

Opposed to Kremlin, Kismet helps mitigate the risk of parallel software engineering by answering the question, "What is the best performance I can expect if I parallelize this program?" [Par]. Kismet profiles serial programs and reports the upper bound on parallel speedup based on the program's inherent parallelism and the system it will be running on.

#### Achieving the Highest Processing Power

Kismet performs dynamic program analysis on an unmodified serial version of a program to determine the amount of parallelism available in each region(e.g. loop and function) of the program. Kismet then incorporates system constrains to calculate an approximate upper bound on

4 the program's attainable parallel speedup. [Tay]

In order to estimate the parallel performance of a serial program, Kismet uses a parallel execution time model. Kismet's parallel execution time model is based on the major components that affect parallel performance, including the amount of parallelism available, the serial execu-

tion time of the program, parallelization platform overheads, synchronization and memory system effects which contribute in some cases to super-linear speedups.

### 2.4 Overview

As mentioned before, the previously presented software tools, for both cases (using computers' heterogeneous components and using code parallelization) have their base support even being a programming language, for OpenCL, or a set of compile directives, for OpenMP. Those software tools have improved applications performance somehow, which is already good. However, looking as a software that can do everything on its own, with the minimum programmer's input, in other words, that can do things almost automatically, none of them can make it. The only software tool that is close to that automation is Kremlin because it gives what a developer should do in their code in order to increase its efficiency and performance.

Both approaches, using computers' heterogeneous components and using code parallelization, have the role to answer the state of the art premise: "achieving the highest processing power".

### Achieving the Highest Processing Power

### **Chapter 3**

### 2 Matrix Multiplication

- The introduction describes a brief overview about each content of each chapter that this report is made up with. This chapter will focus on the state of the art in how to achieve the highest
- 6 processing power. Related work and already known technologies are the main point in this chapter.

### 3.1 Introduction

### 8 3.2 Using Computers' Heterogeneous Components

### 3.2.1 OpenCL

#### 10 3.3 Overview

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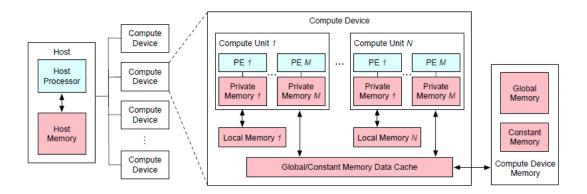


Figure 3.1: The OpenCL platform model and the OpenCL memory model

### **Chapter 4**

### 2 Methodology

#### 4 4.1 Introduction

According to the state of the art presented in chapter two, there are many means to, in some kind of automatic way, improve an applications performance. During my research, my focus was to find ways to automatically enhance the execution time in applications and programs. For this propose,

8 Kremlin had a crucial impact in other to understand the viability of automatically parallelize code.

To study the utility and impact of automatic tools, the matrix multiplication algorithm will be used as a reference to make the performance comparison between original algorithm, an expert manually parallelizing the original algorithm and using the Kremlin's indications to parallelize the original algorithm.

To increase the credibility of this experiment, two similar algorithms for the matrix multiplication were used. As mentioned and explained in the chapter two, there is the traditional way of multiplying square matrices, naming as a quick reference *Mult* algorithm, see in the appendix's list 7.1 this algorithm implementation, written in C++ programming language; and the optimized algorithm that multiplies each element from the first matrix with the correspondent line of this matrix element but for the second matrix, naming this algorithm as *MultLine*, see in the appendix's list 7.2 this algorithm implementation, written in C++ programming language. These algorithms differs from one another in the variables preparation and the order of the loops, which differs how the memory accessed. The *MultLine* algorithm is an optimized version for matrix multiplication because it takes advantages of what is preloaded in cache and starts pre-calculating the intermediate values that will lead to the final and correct result of the multiplication, which means that won't be needed to load unnecessary values to cache memory and/or will need afterwards.

Several experiments were conducted to understand the influence of Kremlin's indications versus code being manually parallelized by an expert. The data's length, in this case, the matrix size; the number of threads used and if the code was parallelized were the used metrics to evaluate the results, based on a comparison of the execution time.

#### Methodology

In this chapter it is explained the methodology and the steps followed to report in the Results and Discussion chapter the results and conclusions obtained from the performed experiences. This chapter also includes detailed information of the acquired data from the conducted experiences, as in, how it is obtained and its meaning; also includes the methods that were used to analyse the obtained data and the reason behind those methods; and, in the end, how the data was validated in order to verify its correctness, accuracy and reliability.

### 4.2 Research Method

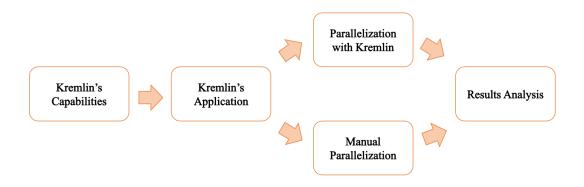


Figure 4.1: Followed up methodology

In Figure 4.1 is outlined the steps that were followed to study the impact of the code being automatically parallelized. This methodology has five states. Firstly and using simple applications, an evaluation was made for Kremlin's tool in order to understand how to use this software tool and evaluate the results that it can achieve, for instance, if it has similar results comparing with an expert parallelizing manually the same code. After this, Kremlin will be applied to a set of codes with specific characteristics.

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Before applying Kremlin, I manually parallelized the same sample of code in order to evaluate the results and, afterwards, compare with the Kremlin's output. Since these states (the experiences with Kremlin and the manual code parallelization) required several attempts there were transitions between these states.

Finally, in the last state, after several attempts and tuning exercises applied to both code cases (Manual and Kremlin), data was collected from this experience to evaluate and validate its correctness in order to conclude how helpful can automatic parallelization can be.

To sum up, this methodology as three main stages: learn and evaluate Kremlin's uses and results; finding the tuning parameter through several attempts using Kremlin's outputs and manually parallelize the application's code; and, in the end, compare and analyse the results in every attempt to take conclusions:

### 4.2.1 Deep learn on Kremlin's usage

- Firstly, and according to all tools/frameworks mentioned presented in the second chapter, *Achieving the Highest Processing Power*, in the *Using Code Parallelization* section 2.3, Kremlin was chosen because it presented the best results, easy usage and accessibility comparing to the others 2.3.2.
- Kremlin is a tool that indicates, for a sequential program, which block can be parallelised and some metrics theoretical calculated, such as, overall speedup; self parallelism for each block; the ideal time reduced for each block, in percentage; the actual time reduced for each block, in percentage; and the block coverage, in percentage. The way this tool was used is as it follows: first, an object file, \*.o extension, is required from the compilation of a sequential code. Afterwards, it is time to use the Kremlin's compiler with the generated object file so that it can profile the application. In order to do so, Kremlin's compiler runs the program as it is supposed to work. Now that the profiling is done, Kremlin generates the indications that should be followed to parallelize de provided sequential code. It also includes the blocks that can be parallelized and the impact of this theoretical parallelization with the calculations done during the profiling. Since this parallelization report is done, the developer has to interpret it, confront with the code an apply.

The Kremlin's usage seems easy, linear and fast forward, however it has some limitations that I experienced during the learning of Kremlin's capabilities: Kremlin's requires a specific environment mentioned in the Kremlin's repository [Kre]. It requires several software, libraries, compilers installations and a modern Unix operative system as its bases, such as MAC OS, RHEL 7 or other Linux distribution compatible with the software specification required. Additionally, when installing the Kremlin's tool, some minor fixes are required in order to successfully install.

From the experiences that I have been through, Kremlin has another limitation: it can not compile and profile all kind of programs: it can only profile programs that use C/C++ as its programming language; programs that take advantage of data structures from the *Standard Library*, such as, stack, list, priority queue, queue, list, hash table, map, multimap, heap, and rest, since it doesn't recognize these structures; another Kremlin's limitations is its capability of compiling programs that have a deep function call level greater that seven. By deep function call level I mean the depth a function has starting from the *main()* function until it is called, like a functions call tree. For instance: in a program there is the *main()* function, a first level, that calls a *foo1()* function, and this function calls a *foo2()*, that this calls a *foo3()* function, and so on. In this case, the depth of *foo3()* function is four. Another small issue that Kremlin's tool has is the definition of the iterator variable used in the *for*'s loops must be defined outside of the loop, as it is in C programming language.

### 4.2.2 Kremlin's application in specific code samples

After all the experiences made in the previous state and as mentioned in the introduction of this chapter, the matrix multiplication algorithm was used to see the potentialities of Kremlin's compiler to profile and identify the regions that can be parallelized. So, Kremlin was used in two

#### Methodology

similar, relatively similar in code structure, matrix multiplication codes. The reason behind the choice was because these two versions of the algorithm are really close to one another, which means that the testing environment is similar to one another, consequently, the results should be similar.

### 4.2.3 Code parallelization with Kremlin's data

Kremlin's tool just points the regions/blocks where the program can be parallelized. In both code samples there are various numbers of inner *for* loops, for the *Mult* code there are three inner *for* loops, which one of them has a degree of three and the rest a degree of two; and for the *MultLine* code there are four inner *for* loops, which one of them has a degree of three and the rest a degree of two as well. At this time, after reading the report provided by Kremlin's tool, the developer must locate the loops, apply which loop should be parallelized, if it should be, and in case of inner *for* loops, what loop should be parallelized using the OpenMP *pragma* directives.

In my case, I followed all the instructions provided by Kremlin, located all the *for* loops blocks indicated by kremlin's tool and applied the OpenMP *pragma* directives.

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Following the two reports, 7.8 7.9, and looking at the code's structure for both codes, it can be divided in 2 bigger parts: the *for* loops used for matrices initialization and the *for* loop for the matrix multiplication. With this information, understating the code and using an expert knowledge, the code parallelization was done.

### **4.2.4** Manually Code parallelization

In order to not be manipulated by the Kremlin's indications, the both codes were previously manually paralleliszd, this way it was guaranteed that the expert parallelization wasn't bias nor influenced.

For this parallelization, as mentioned before, it requires knowledge in, firstly, matrix multiplication algorithm; code understanding; best practice in what can and can not be parallelized, taking into account the overhead that could occur; and understand the thread behaviour in order to make it do the proper job without jeopardizing the programs outputs and/or performance.

Analysing the code, only the *for* loop for the matrix multiplication was parallelized and applied the OpenMP *pragma* directives to the innermost *for* loop. In this case, each code as a slight difference because for *Mult* code each value of the result matrix must be calculated individually, so each thread is responsible for it and must treat that value as a private variable that isn't shared by the other threads. In the opposite, and since the *MultLine* code calculates the values by adding the multiplication to the respective matrix's cell, each thread does not need to have their own private variable.

The bigger part of the code responsible for the matrices initialization wasn't parallelised, unlike in kremlin's case, because the gain would be noticeable on a large matrix size or it even could cause thread trampling, which could lead an overhead increase.

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## 4.2.5 Results analysis

- To obtain the final execution time of each implementation (Original Matrix Multiplication 7.1, Original Matrix Multiplication by line 7.2, Manual Matrix Multiplication by an expert 7.3, Man-
- 4 ual Matrix Multiplication by line by an expert 7.4, Kremlin Matrix Multiplication 7.5 and Kremlin Matrix Multiplication by line 7.6), these six implementations suffered many modifications and
- tweaks since this process is a try-error until it is found the believed best parallelization. It is hardly possible to parallelize a whole program at the first try.
- After compiling all these implementations and registering all the execution time for different matrix sizes and number of threads (not applied to the Original codes), this data was organized so it could be used to compare results and conclude about the performed experiences.

# 4.3 Data collection from conducted experiences

From all the developed work, the obtained data can be divided in two moments: Kremlin's indications reports and the execution times for the six code variations.

## 4.3.1 Kremlin's indications reports

For the *Mult* 7.8 and *MultLine* 7.9 codes were generated a report done by Kremlin. This report displays for each parallelizable block:

**Time reduced** percentage of time reduced if parallelization is implemented;

18 **Ideal Time reduced** percentage of ideal time reduced if parallelization is implemented;

Coverage percentage of sequential execution time in a block;

Self Parallelism amount of parallelism in a block;

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Parallelism type classification of the parallelizable block;

Loop location block lines range of the parallelizable block;

**Function location** function name of the parallelizable block, mentioning the line where the function is defined;

**File location** file name of the parallelizable block, mentioning the line where the function is called;

The guidelines given by the report must be followed by the order it is suggested because the first detected block has the biggest impact in programs performance and should be parallelized first. The Coverage and Self Parallelism are metrics that indicates the speedup of the block, which, consequently, interferes with the time reduced. This block speedup must be equal or less then the overall program speedup, based on Amdahl's law, and can be calculated as it follows [GJ]:

$$speedup \le \frac{1}{(1 - Coverage) - \frac{Coverage}{SelfParalelism}}$$
(4.1)

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## 4.3.2 Execution times for the code variations

After running the six implementations, the results can be divided in three major groups and each group has got the respective implementations of the *Mult* and *MultLine* algorithms. Each group has its own experimental environment, with their own variables and their own meaning according to the given context.

## 4.3.2.1 Original code

The Original code only variable is the matrix size. This group is a reference group to compare the results of the others groups and to quantify the impact of the others groups. The results of this group are the execution times running both matrix multiplications algorithm versions.

## 4.3.2.2 Manual code parallelization

The Manual code parallelization by an expert has as variables the matrix size and number of threads used for each run. This group's results are the execution times for both matrix multiplication algorithm versions. These results were used to confront with the following group in order to evaluate the improvement that a guided parallelizations, using Kremlin, can for an application.

## 4.3.2.3 Kremlin's code parallelization

Like the previous group, Kremlin's code parallelization indications use the same variables and provide the same type of the results. However, this group is responsible to define if it is advantageous to use software tools to help with code parallelization, in an automatic way.

# 4.4 Data analysis method

Analysing data is a very important stage because it is necessary to have correct conclusions. From the experiments made a lot of data as been generated and without a proper organization it is hard to understand the meaning, therefore, hard to take good conclusions from its analysis. There are three groups of code and in each group two different algorithms implementation. In order to make a correct analysis from the execution times for each situation and comparing with the others cases, the collected results were stored in tables along with the experimental related variables. Additionally, calculations were required, such as, difference between executed times between groups and algorithm implementation; ratio between these executed times; the percentage of the increase/decrease for these executed times; and the impact in the execution time that the others two groups have comparing with the Original code group. After these data manipulation, the best way to analyse all this generated and calculated data is by a dispersion plot. Using a dispersion plot,

## Methodology

it transforms data into information visually understandable and easier to conclude because these plots display the variation of results according to the experimental environment variables.

## 4.5 Data validation

- A considerable amount of data was generated and, more importantly, it is important that this data is scientific correct, or at least there is an explanation. In order to keep its fidelity, it is crucial to
- validate each and every piece of data. The first measure is to have a critical position every time by questioning if the obtained values makes sense when compared with theoretical, or expected
- or referenced value. In this current case, for instance, the Original group implementation is the reference, which means if the other groups have a lower execution time, or the data has some
- defect caused by some hardware component, or the implementation isn't good enough, or any other reason that can justify the data invalidation.

Criticism can not be the only measure because it could be luck and the gathered data happened to be correct. It is important consistency. To do so, the tests must be performed several times under the same circumstances and with a plausible and considerable amount of values to find patterns. For this particular case it is used a matrix size large enough, [1000,2000,3000,4000], and a wide range for the number of threads, [1,2,3,4,5,6,7,8]. For instance, if the matrix size was small, such as one hundred, the execution time would be so low and with so much error accumulated since the CPU executed fast enough that it couldn't count the time with precision.

Finally, to make reasonable comparisons and analogies between results, the experience environments must have some connection in its variables or environment. Without a connection, the data as no meaning, therefore, it turns impossible to take conclusions. In the performed experiences, it was used the same algorithm, Matrix Multiplication, with small modifications in the implementations but with the same structure. Additionally, the environment variables were the same: number of threads and matrix size.

# Methodology

# Chapter 5

# **Results and Discussion**

# 4 5.1 Introduction

Generally, the first objective a developer has when building software is making it work. After some
experience and good practices, the development becomes faster, elegant and with concerns about
its performance. When dealing if performance issues, there is a lot of measures to pay attention
from the lowest hardware level to the highest software level. Now-a-days performance is as much
important as the creating software, because it makes the work faster, with less cost, and, in the
end, more revenue. However it is really hard for a single person masters performance as a whole
because there are to many variables, conditions, aspects, and realities making humanly impossible
mastering everything.

The approach to achieve high performance level is to have handful of expertises in each concrete area. Even so, mastering specific fields in the performance level, it is hard, takes time, lots
of effort and most of the times impossible to achieve the perfect performance. Since achieving
high level of performance is so important and requires a lot of effort to try to achieve it, then, first
of all, is it possible to achieve high performance level in applications in an automatic way? If so,
how can it be achievable? Can it totally replace an expert?

Focusing these question to the field of code parallelization, more will rise, not necessarily related to this specific filed: since exists tools, like Kremlin, which help to, automatically, parallelize code, how acceptable are their results? How this specific tool can help in getting one step closer to automatic code parallelization? In which way can Kremlin be better than an expert?

In order to answer all previous questions, this chapter is divided in two main sections: the first section is related to the Kremlin's activity and how is it helpful. The second section is the confrontation of all the gathered data to verify what is better and how can it contribute to the future of automatic code parallelization.

# 5.2 Kremlin's reports

When Kremlin compiles and profiles a sequential code, it provides a report with locations of the blocks that can be parallelized. Additional it gives some values that indicates the theoretical gain if the parallelization is implemented.

For the *Mult* and *MultLine* algorithm, Kremlin gave these reports 7.8 7.9, respectively. Taking into account that the manual code parallelization was done in the first place, the risk of being bias is null and, additionally, helps to understand if Kremlin is reporting things correctly.

In this case, Kremlin detected the block code with the most impact on application performance for both implementations (*Mult* and *MultLine*). Additionally, Kremlin's report pointed the locations of more blocks to be parallelized, however, the impact of these blocks being parallelised might have a low impact on applications' performance, also for both implementations. The impact of the parallization made in the others block is analysed in the next section because a verdict can be made after comparing the execution times of the Manual's group against Kremlin's group.

The justification behind these analysis is based on the *time reduced*, *ideal time reduced*, *coverage* and *self parallelism* values and the block location, provided by the report, comparing with the expected result and manual code parallelization by an expert, in both implementation.

Getting a close look in these reports, at the left side is *Mult* report values, 7.8, and on the right side is *MultLine* report values, 7.9:

Table 5.1: Kremlin's report values for the matrix multiplication block

Time reduced	66.38%
Ideal time reduced	70.96%
Coverage	88.51%
Self parallelism	5.05

Time reduced	63.01%
Ideal time reduced	63.20%
Coverage	84.02%
Self parallelism	4.03

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In both reports, the high percentage of the reduced time and time reduced means that parallelizing these blocks the execution time of this block is, theoretically, reduced in between those two values.

Taking a close look in the others blocks, their locations refers to the matrices initialization and the values of timed reduced and ideal timed reduced are really low, around 3% in both implementations, which means that the improved performance is insignificant and might cause delay in during de applications executions. However, this situations is confirmed in the next section.

# 5.3 Comparison between Original, Manual and Kremlin

The previous section has an important role because the reports credibility and correctness influences the results in this chapter, consequently, could lead to misguided and wrong conclusions. Since the report gave correct feedback and it is well justified, the following values are valid.

To get a satisfying answer for the initial questions, it is necessary to, in first place, understand context of each experience and respective results; following the evolution and the comparison is

### Results and Discussion

made between data. So, in a first instance, each group (Original, Manual, Kremlin) is going to

- be analysed individually to stablish the context and basis knowledge. Then, the second subsection will focus in measuring the impact of Manual and Kremlin group have to the Original group
- to prove that these measures, in practical terms, have a huge impact improving applications performance. After this knowledge also as been established, the results will prove if the Kremlin's
- guidelines make the code with better performance comparing to the expert's results parallelizing the code manually, and respond to the question if automaticly parallelizing code is a reliable and
- 8 good practice.

# 5.3.1 The Three groups individually analysed

- As mentioned in the previous chapter, each group has its purpose based on the variables used and results obtained. To understand the overall impact of these implementations, it is important
- to firstly understand the experiences that were made in each group separately and analyse their results, step by step.

## 14 **5.3.1.1** Original

This group has the sequential code version of the *Mult* and *MultLine* algorithms. As mentioned earlier, this group stablish the base reference for the execution time. From now on, all experiences should have better performance, unless there is an explanation for the Original Group has better results, in some particular cases.

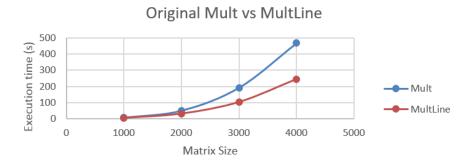


Figure 5.1: Dispersion plot that represents the evolution of execution time with the matrix size increase in both *Mult* and *MultLine* sequential implementations

According to Figure 5.1, the *MultLine* algorithm has better results the higher the matrix size is, as expected, since this algorithm takes advantage of the values preloaded in memory cache.

Another aspect noteworthy is the increase of the function inclination variation, in both implementations, as the matrix size increases. Specially for the *Mult* implementation. This is related to the memory cache size. The smaller the size the higher will be de variation of the function inclination.

## 5.3.1.2 Manual

Manually parallelizing a code requires a lot of effort, time and know-how since the way it is done requires de expert to understand the code, have practice in detecting potential parallelized blocks of code, identify the best way to parallelize those blocks and test the work until it gives a reasonable result. So, this group corresponds to this situation and, in theoretical perspective, has the bests results.

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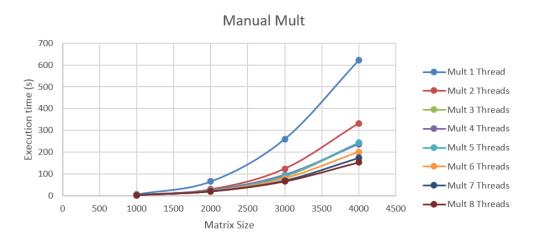


Figure 5.2: Dispersion plot that represents the evolution of execution time with the matrix size increase in function of the number of threads. Version of the manual code parallelization for *Mult* algorithm

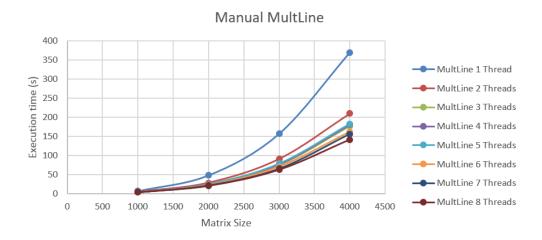


Figure 5.3: Dispersion plot that represents the evolution of execution time with the matrix size increase in function of the number of threads. Version of the manual code parallelization for *MultLine* algorithm

Figure 5.2 and Figure 5.3 have similar behaviours including the fact that using eight threads makes the application with the best performance because the executed time is inferior as long as

### Results and Discussion

the matrix size increases.

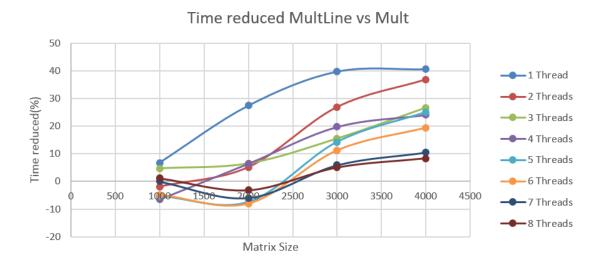


Figure 5.4: Dispersion plot that represents the evolution of time reduced with the matrix size in function of the number of threads. Versions of *Mult* and *MultLine* manual implementations.

- However, there is a difference between these two plots is the value of the execution time. This difference can be analysed in Figure 5.4. Time reduced is a percentage of how much the *MultLine* implementation reduces comparing to the *Mult* implementation.
- It is a fact, observed in Figure 5.4, that increasing the matrix size, the time reduced tends to a certain value which is independent of the number of threads. This value is the ceiling where *MultLine* algorithm can not be better than *Mult* algorithm for the same hardware components; meaning the existence of a hardware limitation (processor power, memory ram and cache size) since the increase of the matrix size will, proportionally, increase the number of loads, writes and cache missed for both algorithms.

Another fact is that the higher the thread number, lesser will be de timed reduced, and lesser will be the executed time, also related to the maximum capacity of threads a multicore processor can have and have working at the same time.

Another noteworthy fact is, for low values of matrix size, 1000 and 2000, and the higher the number of threads being used, the time reduced is negative, meaning executed time for *Mult* implementation is lower than *MultLine* implementations, concluding that *Mult* implementation is better suited for low size data in case a high number of threads are being used. This is due to many threads are being used simultaneously and they are trampling each other in order to complete their task, which increases the overall overhead, and so the reason behind ne time reduced negative value.

## **5.3.1.3** Kremlin

This group is constituted by the result of the implementations indicated by Kremlin's report. The experiences conducted in this group and the respective obtained results will demonstrate if Kremlin can actually bring acceptable results.

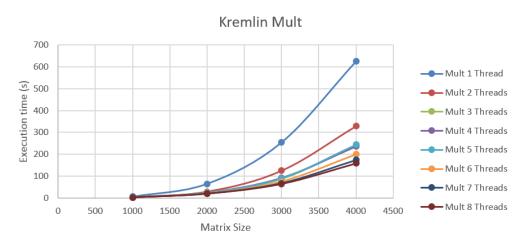


Figure 5.5: Dispersion plot that represents the evolution of execution time with the matrix size increase in function of the number of threads. Version of the Kremlin code parallelization for *Mult* algorithm

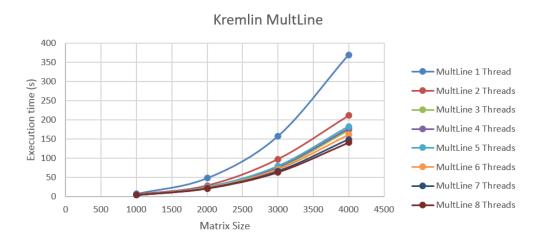


Figure 5.6: Dispersion plot that represents the evolution of execution time with the matrix size increase in function of the number of threads. Version of the Kremlin parallelization code for *Multline* algorithm

Figure 5.5 and Figure 5.6, as expected, have similar behaviour compared to manual group, since the code samples from both groups have the same structure and the experimental environment is the same: same experimental variables(matrix size, number of threads, parallelized code) and same result type (execution time).

### Results and Discussion

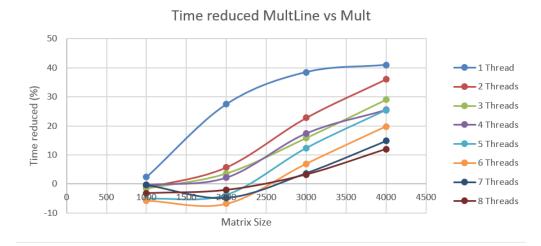


Figure 5.7: Dispersion plot that represents the evolution of time reduced with the matrix size in function of the number of threads. Versions of *Mult* and *MultLine* Kremlin's implementations.

Additionally, and for the same reason, Figure 5.7 also has the same behaviour has the manual group and, therefore, the analysis is the same.

### 5.3.1.4 Overall review

- Through the analysis of these three tests groups, separately, and since these groups were tested under the same circumstances, it is possible to conclude that using these versions of the matrix
- multiplication algorithm do not jeopardize the results, since they have similar behaviours, moreover, they increase assurance and credibility for the following up analysis and conclusions. It
- s is because of the similarity of behaviours that this comparison is valid and correct, even so the performance is different, which was expected, as explained before.

## 5.3.2 Measuring the performance's impact using code parallelization

The conducted analysis presented in previous section explains the characteristics of each group and the plausible connection with each other. To quantify how beneficial can code parallelization be, the next sub sub sections will prove its impact.

- The first sub sub section compares how much better was the improvement for Manual group, using the Original group as base. The second sub sub sections compares the same ways as the previous sub sub sections but, instead using the Manual group, it will be the Kremlin group. Finally, overall conclusions will be presented about both sub sub sections.
- For this analysis, either Manual or Kremlin groups, the number of threads that will be used is eight since, and for both groups, using eight threads gave the best performance results. This does not mean that for the other number of threads the results were worst than the Original group, far from that. The goal is achieving the highest performance, so the best results were picked.

## 5.3.2.1 Comparison between Manual and Original groups

In Figure 5.8 is presented a dispersion plot demonstrating that Manual group has an overwhelming better performance and that performance increases with the matrix size to a certain point, explained in 5.3.1.2. This includes both implementations.

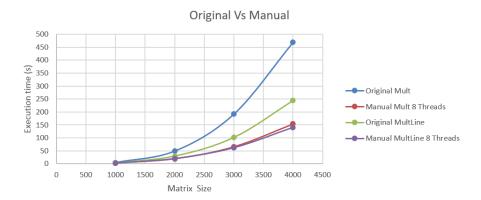


Figure 5.8: Dispersion plot that represents the evolution of execution time with the matrix size in function of Manual and Original.

With this plot. it is proved that using parallelization techniques in programs and applications can achieve higher performances. In this particular case, it can be more than twice better for the *Mult* case and almost twice for *MultLine*. These values are presented in 5.3.2.3.

## 5.3.2.2 Comparison between Kremlin and Original groups

Regarding the Kremlin experimental results, in Figure 5.9 is shown a dispersion plot revealing, as expected, and like in the previous sub sub section, that Kremlin's group surpassed the Original group in terms of execution time, in both implementations.

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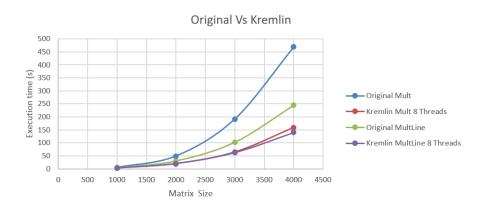


Figure 5.9: Dispersion plot that represents the evolution of execution time with the matrix size in function of Kremlin and Original groups implementations.

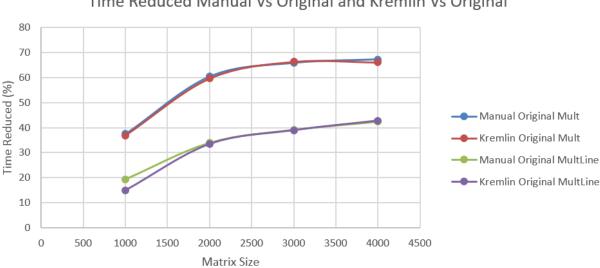
### Results and Discussion

Like in previous case, this plot proves that using Kremlin as an automatic tool to help identify-

- 2 ing parallelizable code blocks can enhance applications performance and is a good asset because it can save time by indicating where it is possible to make a block parallel, instead of the developer
- 4 looking for them.

#### 5.3.2.3 Overall comparison

- 6 If code parallelization would not bring any beneficial impact in programs and applications, obviously, it would make no sense using it. Additional, and for this concrete case, if Kremlin's perfor-
- 8 mance was worst, this tool would be useless to help in making paralleled code automatically, and the test would and here.



Time Reduced Manual Vs Original and Kremlin Vs Original

Figure 5.10: Dispersion plot that represents the evolution of time reduced with the matrix size in function of Manual and Kremlin groups implementations.

In Figure 5.10 is compared the time reduced for Manual and Kremlin groups comparatively to 10 Original Group. From this plot it is drawn that *Mult* algorithm takes greater advantages of code parallelization, however MultLine has better execution times.

Quantifying such increase, for the *Mult* algorithm the time reduced can be around 67%, meaning that the Mult implementation, for both groups, can be 67% faster, more than twice, compared to the Original group, for the same algorithm. Regarding the MultLine algorithm, the time reduced can be around 42%. The 25% difference of both implementations represents the impact of the difference on matrix multiplication algorithm versions. Meaning that MultLine algorithm makes a huge difference on performance levels.

## 5.3.3 Comparison between Manual and Kremlin groups

Before starting the comparison between results obtained from running the parallelized code written by an expert and running the parallelized code with Kremlin's indication, the difference between them is that in the Kremlin group, more specifically, in the matrix initializations blocks, they are parallelized as well. These blocks were parallelized because Kremlin detected them, however the theoretical impact for these parallelized bocks could be small, positively or negatively, or even with no effect. Additional, in the expert perspective, they were not taken in consideration.

Now that the three groups were characterized and the comparison between Manual and Kremlin with Original group to stablish viability in both solutions, taking a close look at all this information and analysis and looking at Figure 5.10, the lines in the plot overlap or are really closed to one another in both algorithms. This observation confirms what is expected, which is manually parallelizing a code by an expert or following Kremlin's instructions gives the same results, approximately. However, they are not exactly the same because a small modifications was done to Kremlin's group code.

In order to evaluate if there is really a difference in results, the following plots present the the execution time ratio between Manual and Kremlin's group, for both implementations.

To correctly analyse Figures 5.11 and 5.12, it is important to visualize the range of the values:

0,936

1,073

0,137

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16

20

Table 5.2: Interval of values for *Mult* (left table) and *MultLine* (right table)

Lower bound	0,966	Lower bound
Upper bound	1,049	Upper bound
Interval size	0,083	Interval size

Looking at the tabulated values, there are cases where Kremlin group had better performance then the Manual group, since there are values less then 1. However, looking at the interval size, for both cases, they are really small, meaning that the execution time for both groups is similar.

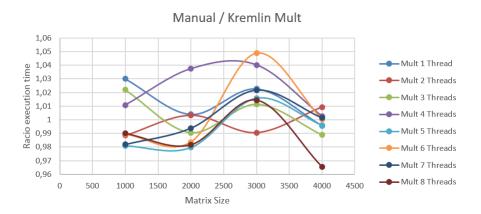


Figure 5.11: Dispersion plot that represents the evolution of execution time ratio with the matrix size in function of the number of threads, for the *Mult* algorithm .

### Results and Discussion

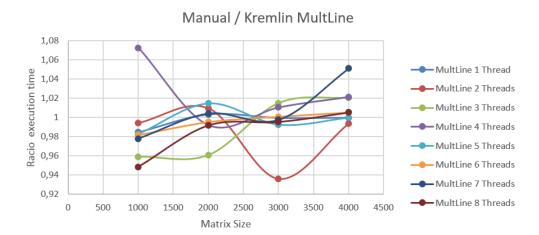


Figure 5.12: Dispersion plot that represents the evolution of execution time ratio with the matrix size in function of the number of threads, for the *MultLine* algorithm.

Confronting Figures 5.11 and 5.12, they seemed confusing, messed up, random, and that is partial true because the execution time values from both groups are that close form one another and a slight alteration makes, apparently, an huge impact. It is also partial false because there are patterns in these plots: for each matrix size there is a concentration of lines, meaning that it is not so random and the explanation is that both parallelizations have similar performances. However, and again, the interval value is small.

Trying to se the data in a different angle and perspective to understand if there is any correlation, pattern or relation, these Figures, 5.13 and 5.14, are an unsuccessful attempt of it. The point of these two figures is to understand the variation of execution time ratio with number of threads in function of matrix size, however there is no relation for both cases. So, the number of threads has no direct relation with the execution time ratio in function of the matrix size.

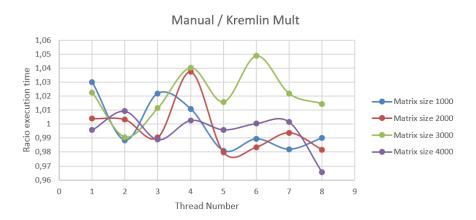


Figure 5.13: Dispersion plot that represents the evolution of execution time ratio with the number of threads in function of matrix size, for the *Mult* algorithm.

### Results and Discussion

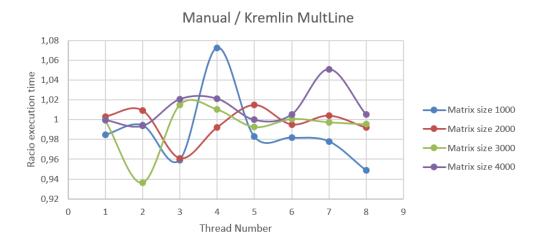


Figure 5.14: Dispersion plot that represents the evolution of execution time ratio with the number of threads in function of matrix size, for the *MultLine* algorithm.

So far, in this sub sub section, the analysis done is in a general plane. this Figure 5.15 is about execution time ratio in function of matrix size using eight threads. This specific case was chosen because for both groups, using 8 threads had the best results, as previously mentioned and verified. In the green line is established as a reference: the values under this line mean Kremlin performed better than Manual, and the values above this line mean the opposite. Looking at those values, there is more values under the line than above, meaning that Kremlin group performed better, for both implementations.

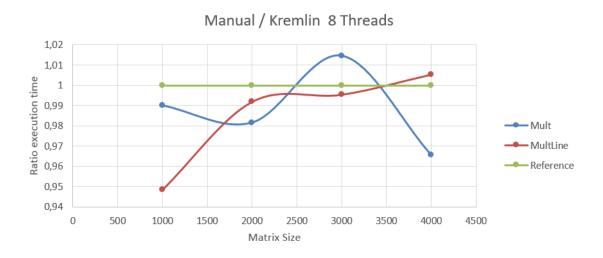


Figure 5.15: Dispersion plot that represents the evolution of execution time ratio with the matrix size in for 8 threads being used, using *Mult* and *MultLine* algorithms.

# **Chapter 6**

# **Conclusion**

# Conclusion

# References

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# REFERENCES

# Chapter 7

# <sub>2</sub> Appendices

# 7.1 Developed code

# 4 7.1.1 Original Matrix Multiplication (Mult)

Listing 7.1: Matrix Multiplication original algorithm, written in C++

```
double OnMult(int m_ar, int m_br)
6
2
        double Time1, Time2;
3
4
        double temp;
15
        int i, j, k;
        double *pha, *phb, *phc;
6
12
        // Matrixes Memory allocation
8
19
        pha = (double *)malloc((m_ar * m_ar) * sizeof(double));
10
        phb = (double *)malloc((m_ar * m_ar) * sizeof(double));
116
        phc = (double *)malloc((m_ar * m_ar) * sizeof(double));
12
113
        // Starting counting time
14
        Time1 = omp_get_wtime();
<u>þ</u>5
16
        //Loading matrix values
        for(i=0; i<m_ar; i++)</pre>
22
             for(j=0; j<m_ar; j++)</pre>
18
                 pha[i*m_ar + j] = (double)1.0;
<u>129</u>
20
        for(i=0; i<m_br; i++)</pre>
26
             for(j=0; j<m_br; j++)</pre>
22.
                 phb[i*m_br + j] = (double)(i+1);
28
24
35
26
        // Matrix Multiplication
32
        for(i=0; i<m_ar; i++)</pre>
28
           for( j=0; j<m_br; j++)</pre>
             \{ temp = 0;
29
30
                 for( k=0; k < m_ar; k++)
36
32
                      temp += pha[i*m_ar+k] * phb[k*m_br+j];
```

```
33
34
                 phc[i*m_ar+j]=temp;
35
36
         }
37
38
         // Stoping time
39
        Time2 = omp_get_wtime();
40
                                                                                                             8
41
        //Freeing memory used for matrixes
42
        free(pha);
                                                                                                            10
43
        free(phb);
44
        free(phc);
                                                                                                            12
45
46
         return Time2 - Time1;
                                                                                                            14
47
    }
                                                                                                            16
```

# 7.1.2 Original Matrix Multiplication By line (MutLine)

Listing 7.2: Matrix Multiplication by line original algorithm, written in C++

```
18
    double OnMultLine(int m_ar, int m_br)
1
2
                                                                                                          20
3
        double Time1, Time2;
4
        double temp;
                                                                                                          22
5
        int i, j, k;
6
        double *pha, *phb, *phc;
7
8
        // Matrixes Memory allocation
                                                                                                          26
9
        pha = (double *)malloc((m_ar * m_ar) * sizeof(double));
10
        phb = (double *)malloc((m_ar * m_ar) * sizeof(double));
                                                                                                          28
        phc = (double *)malloc((m_ar * m_ar) * sizeof(double));
11
12
                                                                                                          30
13
        // Starting counting time
14
        Time1 = omp_get_wtime();
                                                                                                          32
15
16
        //Loading matrix values
17
        for(i=0; i<m_ar; i++)</pre>
18
             for(j=0; j<m_ar; j++)</pre>
                                                                                                          36
19
                 pha[i*m_ar + j] = (double)1.0;
20
                                                                                                          38
21
        for(i=0; i<m_br; i++)</pre>
22
             for(j=0; j<m_br; j++)
                                                                                                          40
                 phb[i*m_br + j] = (double)(i+1);
23
24
                                                                                                          42
        for(i=0; i < m_ar; i++)
25
26
             for(j=0; j<m_ar; j++)
                                                                                                          44
27
                 phc[i*m_ar + j] = (double)0.0;
28
                                                                                                          46
29
30
         // Matrix Multiplication
                                                                                                          48
31
        for(i=0; i<m_ar; i++)</pre>
32
            for(k=0; k<m_ar; k++)
                                                                                                          50
33
34
                 for( j=0; j<m_br; j++)
                                                                                                          52
```

```
35
36
                     phc[i*m_ar+j] += pha[i*m_ar+k] * phb[k*m_br+j];
37
38
39
             }
46
41
43
        // Stoping time
43
        Time2 = omp_get_wtime();
44
45
        //Freeing memory used for matrixes
46
        free(pha);
47
        free(phb);
48
        free(phc);
49
56
        return Time2 - Time1;;
51
```

# 7.1.3 Manual Matrix Multiplication (Mult)

Listing 7.3: Matrix Multiplication manually parallelised using OpenMP library, written in C++

```
20
    double OnMultThreading(int m_ar, int m_br,int x)
22
3
        double Time1, Time2;
24
        double temp;
        int i, j, k;
        double *pha, *phb, *phc;
26
28
        // Matrixes Memory allocation
9
        pha = (double *)malloc((m_ar * m_ar) * sizeof(double));
130
        phb = (double *)malloc((m_ar * m_ar) * sizeof(double));
11
        phc = (double *)malloc((m_ar * m_ar) * sizeof(double));
13
13
        // Starting counting time
134
        Time1 = omp_get_wtime();
15
136
        //Loading matrix values
17
        for(i=0; i<m_ar; i++)</pre>
             for(j=0; j<m_ar; j++)</pre>
188
19
                 pha[i*m_ar + j] = (double)1,0;
20
        for(i=0; i<m_br; i++)</pre>
21
            for(j=0; j<m_br; j++)</pre>
23
                 phb[i*m_br + j] = (double)(i+1);
23
24
25
        // Matrix Multiplication
27
        for(i=0; i<m_ar; i++)</pre>
           for( j=0; j<m_br; j++)</pre>
28
29
             \{ temp = 0;
<u>30</u>
                 #pragma omp parallel for reduction(+:temp) num_threads (x)
31
                 for (k=0; k<m_ar; k++)
33
```

```
temp += pha[i*m_ar+k] * phb[k*m_br+j];
33
34
                 }
35
                 phc[i*m_ar+j]=temp;
36
37
        }
38
39
        // Stoping time
40
        Time2 = omp_get_wtime();
                                                                                                           8
41
42
        //Freeing memory used for matrixes
                                                                                                          10
43
        free(pha);
44
        free(phb);
                                                                                                          12
45
        free(phc);
46
                                                                                                          14
47
         return Time2 - Time1;
    }
                                                                                                          16
```

# 7.1.4 Manual Matrix Multiplication By line (MultLine)

Listing 7.4: Matrix Multiplication by line manually parallelised using OpenMP library, written in

```
double OnMultLineThreading(int m_ar, int m_br,int x)
 1
                                                                                                          20
2
3
        double Time1, Time2;
4
        int i, j, k;
        double *pha, *phb, *phc;
5
                                                                                                          24
6
7
        // Matrixes Memory allocation
                                                                                                          26
        pha = (double *)malloc((m_ar * m_ar) * sizeof(double));
8
9
        phb = (double *)malloc((m_ar * m_ar) * sizeof(double));
                                                                                                          28
10
        phc = (double *)malloc((m_ar * m_ar) * sizeof(double));
11
                                                                                                          30
12
        // Starting counting time
13
        Time1 = omp_get_wtime();
14
15
        //Loading matrix values
        for(i=0; i<m_ar; i++)</pre>
16
17
             for(j=0; j<m_ar; j++)</pre>
                                                                                                          36
18
                 pha[i*m_ar + j] = (double)1,0;
19
                                                                                                          38
        for(i=0; i < m_br; i++)
20
             for(j=0; j<m_br; j++)</pre>
2.1
                                                                                                          40
                 phb[i*m_br + j] = (double)(i+1);
22
23
                                                                                                          42
24
        for(i=0; i < m_ar; i++)
25
             for(j=0; j<m_ar; j++)
                                                                                                          44
26
                 phc[i*m_ar + j] = (double)0,0;
27
                                                                                                          46
28
29
        // Matrix Multiplication
                                                                                                          48
30
        for(i=0; i<m_ar; i++)</pre>
31
            for(k=0; k<m_ar; k++)
                                                                                                          50
```

```
32
                 #pragma omp parallel for num_threads (x)
33
34
                 for( j=0; j<m_br; j++)
35
                     phc[i*m_ar+j] += pha[i*m_ar+k] * phb[k*m_br+j];
36
36
38
38
40
410
42.
        // Stoping time
        Time2 = omp_get_wtime();
43
44
        //Freeing memory used for matrixes
45
46
        free(pha);
46
        free(phb);
48
        free(phc);
49
50
        return Time2 - Time1;
50
```

# 22 7.1.5 Kremlin Matrix Multiplication (Mult)

Listing 7.5: Matrix Multiplication with Kremlin's indications for parallelization, written in C++

```
double OnMultKremlin(int m_ar, int m_br,int x)
24
2
26
        double Time1, Time2;
4
        double temp;
        int i, j, k;
28
        double *pha, *phb, *phc;
6
30
        // Matrixes Memory allocation
8
32
        pha = (double *)malloc((m_ar * m_ar) * sizeof(double));
10
        phb = (double *)malloc((m_ar * m_ar) * sizeof(double));
134
        phc = (double *)malloc((m_ar * m_ar) * sizeof(double));
12
136
        // Starting counting time
14
        Time1 = omp_get_wtime();
188
        //Loading matrix values
16
        for(i=0; i<m_ar; i++)</pre>
40
18
            \#pragma omp parallel for num_threads (x)
             for(j=0; j<m_ar; j++)</pre>
149
                 pha[i*m_ar + j] = (double)1,0;
20
24
22
        for(i=0; i < m_br; i++)
26
            #pragma omp parallel for num_threads (x)
24
             for(j=0; j < m_br; j++)
25
                 phb[i*m_br + j] = (double)(i+1);
26
250
28
        // Matrix Multiplication
39
        for(i=0; i < m_ar; i++)
```

```
for( j=0; j<m_br; j++)</pre>
30
31
                temp = 0;
                  #pragma omp parallel for reduction(+:temp) num_threads (x)
32
33
                  for( k=0; k < m_ar; k++)
34
35
                      temp += pha[i*m_ar+k] * phb[k*m_br+j];
36
                 }
37
                 phc[i*m_ar+j]=temp;
                                                                                                            8
38
39
         }
                                                                                                           10
40
41
        // Stoping time
                                                                                                           12
42
        Time2 = omp_get_wtime();
43
                                                                                                           14
44
        //Freeing memory used for matrixes
45
        free(pha);
                                                                                                           16
46
        free(phb);
47
        free(phc);
                                                                                                           18
48
49
         return Time2 - Time1;
                                                                                                           20
50
                                                                                                           22
```

# **7.1.6** Kremlin Matrix Multiplication By line (MultLine)

Listing 7.6: Matrix Multiplication by line with Kremlin's indications for parallelization, written in C++

```
24
    double OnMultLineKremlin(int m_ar, int m_br,int x)
 1
2
                                                                                                         26
3
        double Time1, Time2;
4
        int i, j, k;
                                                                                                         28
5
        double *pha, *phb, *phc;
6
                                                                                                         30
7
        // Matrixes Memory allocation
8
        pha = (double *)malloc((m_ar * m_ar) * sizeof(double));
9
        phb = (double *)malloc((m_ar * m_ar) * sizeof(double));
10
        phc = (double *)malloc((m_ar * m_ar) * sizeof(double));
11
12
        // Starting counting time
                                                                                                         36
13
        Time1 = omp_get_wtime();
14
                                                                                                         38
        //Loading matrix values
15
        for(i=0; i < m_ar; i++)
16
                                                                                                         40
17
             \#pragma omp parallel for num_threads (x)
18
             for(j=0; j<m_ar; j++)
                                                                                                         42
19
                 pha[i*m_ar + j] = (double)1,0;
20
21
        for(i=0; i<m_br; i++)</pre>
22
             #pragma omp parallel for num_threads (x)
                                                                                                         46
23
             for(j=0; j<m_br; j++)</pre>
24
                 phb[i*m_br + j] = (double)(i+1);
                                                                                                         48
25
26
        for(i=0; i<m_ar; i++)</pre>
                                                                                                         50
```

```
2.7
             #pragma omp parallel for num_threads (x)
28
              for(j=0; j < m_ar; j++)
                  phc[i*m_ar + j] = (double)0.0;
29
30
31
         // Matrix Multiplication
38
         for(i=0; i<m_ar; i++)</pre>
33
         for( k=0; k<m_ar; k++)
34
                  \#pragma omp parallel for num_threads (x)
35
36
                  for( j=0; j<m_br; j++)</pre>
37
                       \label{eq:phc[i*m_ar+j] += pha[i*m_ar+k] * phb[k*m_br+j];} \\
38
39
40
41
             }
48
43
44
         // Stoping time
45
         Time2 = omp_get_wtime();
426
         //Freeing memory used for matrixes
47
48
         free(pha);
49
         free(phb);
50
         free(phc);
51
<u>526</u>
         return Time2 - Time1;
53
28
```

# 7.1.7 Sequential program compiled and profiled by Kremlin

Listing 7.7: Program compiled and profiled by Kremlin with both Mult and MultLine algorithms, written in C++

```
//#include <omp.h>
  #include <stdio.h>
32
   #include <iostream>
  #include <iomanip>
  #include <time.h>
  #include <cstdlib>
36
   //#include <papi.h>
  #include <fstream>
38
   #include <chrono>
140
   using namespace std;
11
1/2
   \#define SYSTEMTIME clock_t
13
144
15
   double OnMultLineThreading(int m_ar, int m_br, int x)
146
17
        double Time1, Time2;
148
19
        char st[100];
20
       double temp;
```

```
21
         int i, j, k;
22
                                                                                                             2
23
         double *pha, *phb, *phc;
24
25
26
                                                                                                             6
27
         pha = (double *)malloc((m_ar * m_ar) * sizeof(double));
28
         phb = (double *) malloc ((m_ar * m_ar) * size of (double));
                                                                                                             8
29
         phc = (double *)malloc((m_ar * m_ar) * sizeof(double));
30
                                                                                                             10
31
         for (i = 0; i < m_ar; i ++)
32
             for (j=0; j < m_ar; j++)
                                                                                                             12
33
                  pha[i*m_ar + j] = (double)1.0;
34
                                                                                                             14
35
36
                                                                                                             16
37
         for (i=0; i < m_br; i++)
38
             for (j=0; j < m_b r; j++)
                                                                                                            18
39
                  phb[i*m_br + j] = (double)(i+1);
40
                                                                                                            20
41
         for (i=0; i < m_ar; i++)
42
             for (j=0; j < m_ar; j++)
                                                                                                            22
                  phc[i*m_ar + j] = (double)0.0;
43
44
                                                                                                            24
45
46
                                                                                                             26
47
         Time1 = omp_get_wtime();
48
                                                                                                            28
49
         for (i=0; i < m_ar; i++)
50
         { for (k=0; k< m_ar; k++)
                                                                                                            30
51
                  \#pragma \ omp \ parallel \ for \ num\_threads \ (x)
52
                                                                                                            32
53
                  for (j=0; j < m_b r; j++)
54
                                                                                                            34
55
                      phc[i*m_ar+j] += pha[i*m_ar+k] * phb[k*m_br+j];
56
                                                                                                             36
57
58
            }
                                                                                                            38
59
         }
60
                                                                                                            40
61
62
         Time2 = omp_get_wtime();
                                                                                                            42
         // sprintf(st, "Time: %3.3f seconds\n", (double)(Time2 - Time1));
63
64
         //cout << st;
                                                                                                             44
65
         /*cout << "Result matrix: " << endl;</pre>
66
                                                                                                             46
67
         for (i=0; i < min(10, m_ar); i++)
68
           for (j=0; j < min(10, m_br); j++)
                                                                                                             48
69
                 cout << phc[j] << " ";
70
                                                                                                            50
71
         cout << endl; */</pre>
72
                                                                                                            52
73
         free (pha);
74
         free(phb);
                                                                                                            54
75
         free(phc);
         return (double)(Time2 - Time1);
76
                                                                                                             56
77
```

```
78
   } */
 72
     /*
     double OnMultThreading(int m_ar, int m_br,int x)
 80
81
     {
 82
 88
         double Time1, Time2;
 84
85
         char st[100];
         double temp;
 86
 88
         int i, j, k;
 88
         double *pha, *phb, *phc;
 82
90
94
92
93
         pha = (double *)malloc((m_ar * m_ar) * sizeof(double));
94
         phb = (double *) malloc((m_ar * m_ar) * size of(double));
95
         phc = (double *) malloc ((m_ar * m_ar) * size of (double));
96
20
         for (i=0; i < m_ar; i++)
98
              for (j=0; j < m_ar; j++)
                  pha[i*m_ar + j] = (double)1.0;
99
100
104
102
1026
         for (i=0; i < m_br; i++)
104
              for (j=0; j < m_br; j++)
1028
                  phb[i*m_br + j] = (double)(i+1);
106
137
108
109
         Time1 = omp_get_wtime();
110
1 b4
         for (i=0; i < m_ar; i++)
112
         { for (j=0; j < m_br; j++)
1 b6
              \{ temp = 0;
114
                  #pragma omp parallel for reduction(+:temp) num_threads (x)
1 b§
                  for (k=0; k< m_ar; k++)
116
1 40
                      temp += pha[i*m_ar+k] * phb[k*m_br+j];
118
1 42
                  phc[i*m_ar+j]=temp;
120
124
122
126
124
         Time2 = omp_get_wtime();
128
         // sprintf(st, "Time: %3.3f seconds\n", (double)(Time2 - Time1));
126
         //cout << st;
127
         /*cout << "Result matrix: " << endl;</pre>
128
1252
         for (i=0; i<1; i++)
130
         { for (j=0; j < min(10, m_br); j++)
134
                  cout << phc[j] << " ";
132
         }
136
         cout << endl; */</pre>
134
```

```
135
          free (pha);
          free (phb);
136
                                                                                                                2
137
          free (phc);
138
          return (double)(Time2 - Time1);
139
140
     } */
                                                                                                                6
141
142
     double OnMult(int m_ar, int m_br)
                                                                                                                8
143
144
                                                                                                                10
          //double Time1, Time2;
145
146
                                                                                                                12
          char st[100];
147
148
          double temp;
                                                                                                                14
149
          int i, j, k;
150
                                                                                                                16
151
          double *pha, *phb, *phc;
152
                                                                                                                18
153
154
                                                                                                                20
155
          pha = (double *)malloc((m_ar * m_ar) * sizeof(double));
          phb = (double *)malloc((m_ar * m_ar) * sizeof(double));
156
                                                                                                                22
          phc = (double *)malloc((m_ar * m_ar) * sizeof(double));
157
158
                                                                                                                24
159
          for(i=0; i<m_ar; i++)</pre>
160
              for(j=0; j<m_ar; j++)</pre>
                                                                                                                26
161
                   pha[i*m_ar + j] = (double)1.0;
162
                                                                                                                28
163
164
                                                                                                                30
          for(i=0; i<m_br; i++)</pre>
165
              for(j=0; j<m_br; j++)</pre>
166
                                                                                                                32
                   phb[i*m_br + j] = (double)(i+1);
167
168
                                                                                                                34
169
170
                                                                                                                36
171
          //Time1 = omp_get_wtime();
172
          auto Time1 = std::chrono::high_resolution_clock::now();
                                                                                                                38
173
174
          for(i=0; i<m_ar; i++)</pre>
                                                                                                                40
              for( j=0; j<m_br; j++)</pre>
175
                 temp = 0;
176
                                                                                                                42
                   for(k=0; k<m_ar; k++)
177
178
                                                                                                                44
                        temp += pha[i*m_ar+k] * phb[k*m_br+j];
179
180
                                                                                                                46
181
                   phc[i*m_ar+j]=temp;
182
                                                                                                                48
183
          }
184
                                                                                                                50
185
186
          //Time2 = omp_get_wtime();
                                                                                                                52
187
          auto Time2 = std::chrono::high_resolution_clock::now();
          \label{lem:conds} \mbox{//sprintf(st, "Time: $\%3.3f seconds\n", (double)(Time2 - Time1));}
188
                                                                                                                54
189
          // cout << st;
190
                                                                                                                56
          /*cout << "Result matrix: " << endl;</pre>
191
```

```
192
          for (i=0; i<1; i++)
193
          { for (j=0; j < min(10, m_br); j++)
                  cout << phc[j] << " ";
194
195
196
         cout << endl; */</pre>
197
198
         free(pha);
199
         free(phb);
200
         free(phc);
200
          auto time = Time2-Time1;
202
          return (double) std::chrono::duration_cast<std::chrono::milliseconds>(time).count();
203
204
     }
205
206
207
     double OnMultLine(int m_ar, int m_br)
208
          //double Time1, Time2;
209
210
2 bb
         char st[100];
212
          double temp;
2 b3
         int i, j, k;
214
2 b3
         double *pha, *phb, *phc;
216
2 ½6
218
2 ½9
         pha = (double *)malloc((m_ar * m_ar) * sizeof(double));
220
         phb = (double *)malloc((m_ar * m_ar) * sizeof(double));
230
         phc = (double *)malloc((m_ar * m_ar) * sizeof(double));
222
         for(i=0; i<m_ar; i++)</pre>
2.33
              for(j=0; j<m_ar; j++)</pre>
224
235
                  pha[i*m_ar + j] = (double)1.0;
226
236
228
239
          for(i=0; i<m_br; i++)</pre>
230
              for(j=0; j<m_br; j++)</pre>
2340
                  phb[i*m_br + j] = (double)(i+1);
232
2343
          for(i=0; i<m_ar; i++)</pre>
234
              for(j=0; j<m_ar; j++)</pre>
                  phc[i*m_ar + j] = (double)0.0;
234
236
2346
238
2349
          //Time1 = omp_get_wtime();
240
          auto Time1 = std::chrono::high_resolution_clock::now();
2450
242
          for(i=0; i<m_ar; i++)</pre>
243
          { for( k=0; k<m_ar; k++)
244
              {
245
                   for( j=0; j<m_br; j++)
246
246
                       \label{eq:phc[i*m_ar+j] += pha[i*m_ar+k] * phb[k*m_br+j];} \\
248
```

```
249
250
              }
                                                                                                             2
          }
251
252
253
254
          //Time2 = omp_get_wtime();
255
          auto Time2 = std::chrono::high_resolution_clock::now();
256
          // sprintf(st, "Time: %3.3f seconds\n", (double)(Time2 - Time1));
                                                                                                             8
          //cout << st;
257
258
                                                                                                            10
         /*cout << "Result matrix: " << endl;</pre>
259
          for (i=0; i < min(10, m_ar); i++)
260
                                                                                                            12
             for (j=0; j < min(10, m_br); j++)
261
262
                  cout << phc[j] << " ";
                                                                                                            14
263
264
         cout << endl; */</pre>
                                                                                                            16
265
266
         free(pha);
                                                                                                            18
267
         free(phb);
268
         free(phc);
                                                                                                            20
          auto time = Time2-Time1;
269
270
          return (double) std::chrono::duration_cast<std::chrono::milliseconds>(time).count();
                                                                                                            22
271
272
     }
                                                                                                            24
273
     void OutputToFile(int lin, int col, int inc, int limit/*, char* filename*/)
274
                                                                                                            26
275
276
         int i;
                                                                                                            28
277
         double temp;
278
         ofstream myfile;
                                                                                                            30
         myfile.open (/*filename*/"matrixMultResult.csv");
279
         myfile << "i, Algoritmo a, Algoritmo b\n";</pre>
280
                                                                                                            32
         for(i=lin;i <= limit; i=i+inc)</pre>
281
282
                                                                                                            34
283
              temp=OnMult(i,i);
              myfile << i << "," << temp << ",";
284
                                                                                                            36
285
              temp=OnMultLine(i,i);
286
              myfile << temp << "\n";
                                                                                                            38
287
288
         myfile.close();
                                                                                                            40
289
     }
290
                                                                                                            42
291
292
                                                                                                            44
293
294
     float produtoInterno(float *v1, float *v2, int col)
                                                                                                            46
295
296
297
          float soma = 0.0;
298
                                                                                                            50
299
          for(i=0; i<col; i++)</pre>
300
              soma += v1[i]*v2[i];
                                                                                                            52
301
302
          return(soma);
                                                                                                            54
303
304
                                                                                                            56
305
```

```
void handle_error (int retval)
306
302
       printf("PAPI error %d: %s\n", retval, PAPI_strerror(retval));
308
309
       exit(1);
310
316
312
     void init_papi() {
313
       int retval = PAPI_library_init(PAPI_VER_CURRENT);
314
       if (retval != PAPI_VER_CURRENT && retval < 0) {
         printf("PAPI library version mismatch!\n");
3115
316
         exit(1);
3112
318
       if (retval < 0) handle_error(retval);</pre>
3119
320
       std::cout << "PAPI Version Number: MAJOR: " << PAPI_VERSION_MAJOR(retval)
326
                 << " MINOR: " << PAPI_VERSION_MINOR(retval)</pre>
322
                  << " REVISION: " << PAPI_VERSION_REVISION(retval) << "\n";</pre>
328
     } */
324
325
326
     int main (int argc, char *argv[])
322
328
329
         char c;
330
         int lin, col, nt=1, inc, limit,x;
336
         int op;
332
         char* filename;
338
         //int EventSet = PAPI_NULL;
334
         long long values[2];
335
         int ret;
336
         /*
         cout << "Numero de processadores: " << omp_get_num_procs() << endl;</pre>
333
         ret = PAPI_library_init( PAPI_VER_CURRENT );
338
         if ( ret != PAPI_VER_CURRENT )
339
340
             std::cout << "FAIL" << endl;</pre>
346
342
348
         ret = PAPI_create_eventset(&EventSet);
344
              if (ret != PAPI_OK) cout << "ERRO: create eventset" << endl;
345
346
342
         ret = PAPI_add_event(EventSet,PAPI_L1_DCM);
         if (ret != PAPI_OK) cout << "ERRO: PAPI_L1_DCM" << endl;
348
349
350
         ret = PAPI_add_event(EventSet,PAPI_L2_DCM);
3546
352
         if (ret != PAPI_OK) cout << "ERRO: PAPI_L2_DCM" << endl;
3548
354
         */
355
356
352
         :1=qo
358
         do {
3.59
             cout << endl;</pre>
360
             cout << "1. Multiplication" << endl;</pre>
366
             cout << "2. Line Multiplication" << endl;</pre>
362
             cout << "3. outputToFile" << endl;</pre>
```

```
cout << "4. multithreading on Multiplication" << endl;</pre>
363
              cout << "5. multithreading on LineMultiplication" << endl;</pre>
364
                                                                                                            2
              cout << "Selection?: ";</pre>
365
366
367
              cin >>op;
368
              if (op == 0)
                                                                                                            6
369
                  break;
370
                                                                                                            8
371
              printf("Dimensions: lins cols ? ");
              cin >> lin >> col;
372
                                                                                                            10
373
374
                                                                                                            12
              if(op == 3)
375
376
                                                                                                            14
377
                  printf("Dimensional increment: inc ? ");
378
                  cin >> inc;
                                                                                                            16
379
                  printf("Limit: limit ? ");
380
                  cin >> limit;
                                                                                                            18
                  /* printf("outputFile: filename.csv (must be an existing file) ? ");
381
382
                  cin >> filename; */
                                                                                                           20
383
              /* if (op == 4 | I | op == 5)
384
                                                                                                           22
385
                  printf("Number of threads: x");
386
                                                                                                            24
387
                  cin >> x;
388
              } */
                                                                                                            26
389
390
                                                                                                            28
391
              // Start counting
392
              /* ret = PAPI_start(EventSet);
                                                                                                            30
393
              if (ret != PAPI_OK) cout << "ERRO: Start PAPI" << endl;
394
     */
                                                                                                            32
              switch (op){
395
396
                  case 1:
                                                                                                            34
397
                      cout << OnMult(lin, col)<< endl;</pre>
398
                       break;
                                                                                                            36
399
400
                       cout << OnMultLine(lin, col)<<endl;</pre>
                                                                                                            38
401
                       break;
402
                  case 3:
                                                                                                            40
403
                       OutputToFile(lin, col, inc, limit/*, filename */);
404
                       break:
                                                                                                            42
405
                  /* case 4:
406
                       cout << OnMultThreading(lin, col,x)<< endl;</pre>
                                                                                                            44
                       break;
407
                  case 5:
408
                                                                                                            46
                       cout << OnMultLineThreading(lin, col,x)<< endl;</pre>
409
410
                       break; */
                                                                                                            48
411
412
                                                                                                            50
413
              /* ret = PAPI_stop(EventSet, values);
              if (ret != PAPI_OK) cout << "ERRO: Stop PAPI" << endl;
414
                                                                                                            52
              printf("L1 DCM: %11d \n", values[0]);
415
              printf("L2 DCM: %lld \n", values[1]);
416
                                                                                                            54
417
              ret = PAPI_reset( EventSet );
              if ( ret != PAPI_OK )
418
                                                                                                            56
                  std::cout << "FAIL reset" << endl; */
419
```

```
420
42½
422
423
          \} while (op != 0);
424
425
              ret = PAPI_remove_event( EventSet, PAPI_L1_DCM );
426
              if ( ret != PAPI_OK )
423
                  std::cout << "FAIL remove event" << endl;</pre>
428
429
              ret = PAPI_remove_event( EventSet, PAPI_L2_DCM );
430
432
432
              ret = PAPI_destroy_eventset( &EventSet );
433
              if ( ret != PAPI_OK )
434
                  std::cout << "FAIL destroy" << endl;</pre>
435
436
438
```

# 7.2 Kremlin's Reports

## 7.2.1 Kremlin report for Matrix Multiplication, Mult version

Listing 7.8: Kremlin's indication of the blocks that should be parallelised and theorical variables that where calculated for Mult algorithm version

```
22
   [ 0] TimeRed(4)=66.38\%, TimeRed(Ideal)=70.96\%, Cov=88.51\%, SelfP=5.05, DOALL
24
     LOOP matrixmul.cpp [ 148 - 181]:
                                             OnMult.
     FUNC matrixmul.cpp [ 142 - 142]:
                                             OnMult called at file matrixmul.cpp, line
3
26
   [ 1] TimeRed(4)=3.10\%, TimeRed(Ideal)=3.37\%, Cov=4.13\%, SelfP=5.44, DOALL
5
     LOOP matrixmul.cpp [ 149 - 167]:
28
                                           OnMult
     FUNC matrixmul.cpp [ 142 - 142]:
                                             OnMult called at file matrixmul.cpp, line
                                                                                         397
38
   [ 2] TimeRed(4)=3.10\%, TimeRed(Ideal)=3.37\%, Cov=4.13\%, SelfP=5.44, DOALL
132
     LOOP matrixmul.cpp [ 149 - 161]:
                                             OnMult
     FUNC matrixmul.cpp [ 142 - 142]:
                                             OnMult called at file matrixmul.cpp, line
11
```

# 7.2.2 Kremlin report for Matrix Multiplication, MultLine version

Listing 7.9: Kremlin's indication of the blocks that should be parallelised and theorical variables that where calculated for MultLine algorithm version

```
38 [ 0] TimeRed(4)=63.01%, TimeRed(Ideal)=63.20%, Cov=84.02%, SelfP=4.03, DOALL
3 LOOP matrixmul.cpp [ 213 - 247]: OnMultLine
40 FUNC matrixmul.cpp [ 207 - 207]: OnMultLine called at file matrixmul.cpp, line 400
5 [ 1] TimeRed(4)=2.86%, TimeRed(Ideal)=2.96%, Cov=3.81%, SelfP=4.45, DOALL
```

```
7
      LOOP matrixmul.cpp [ 213 - 235]: OnMultLine
      FUNC matrixmul.cpp [ 207 - 207]: OnMultLine called at file matrixmul.cpp, line 400
8
9
    [ 2] TimeRed(4)=2.86\%, TimeRed(Ideal)=2.96\%, Cov=3.81\%, SelfP=4.45, DOALL
10
     LOOP matrixmul.cpp [ 213-231]: OnMultLine FUNC matrixmul.cpp [ 207-207]: OnMultLine called at file matrixmul.cpp, line 400
11
12
13
    [ 3] TimeRed(4)=2.86\%, TimeRed(Ideal)=2.96\%, Cov=3.81\%, SelfP=4.45, DOALL
14
                                                                                                       8
15
      LOOP matrixmul.cpp [ 213 - 225]: OnMultLine
      FUNC matrixmul.cpp [ 207-\ 207]: OnMultLine called at file matrixmul.cpp, line 400
16
                                                                                                       10
```