Diamond Puzzles

Programação em Lógica

João Pedro Dossena - UP201800174

João Basto do Rosário - UP201806334

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Abstract

Our problem was solving a puzzle with diamonds scattered around a MxN rectangular board, in which we had to divide said board in squares, each square containing exactly 1 diamond. The method we used to approach the puzzle was based on 2 premises, the first one is that there are squares that make the top left corner of each square and the second one is that each cell must belong to a square.

The first premise we based on the fact that no 2 cells can be a top left corner of the same square so each square can only have one top corner. The second one we made was that each cell must be located inside a squared shape. When these 2 conditions are met we then imply that if a cell is an upper left corner then the cell is also a square.

Introduction

The objective of this problem was a fitting problem, in which we would have to fit a certain amount of squares on a rectangular board, and in addition, fit the diamonds inside the squares.

In this paper we will report our work, going through the problem description, the approach, the solution presentation, and our experiences and results.

Problem Description

The problem given was a generic MxN rectangular board, in which some cells contained a diamond shape. This board would have to be divided in such a way that each division was shaped like a square, and each square division contained exactly one diamond shape. So the problem could theoretically be subdivided in three subproblems: whether the rectangular board could be divided in as many squares as there are diamonds; where each square would be placed; and what is the length of each square.

Approach

Decision Variables

For our main decision variables we chose the list representing the board, using sometimes a one-dimensional list, and sometimes a two-dimensional one, according to our needs. Contained in this list there are all of the cells of the board, which are the domain variables. Each cell's domain ranges from 1 to the amount of diamonds on the board, which is the intended number of squares. This was chosen because it is easy to represent the board at the end in a clean way, such

that "square 1" is a square in which every cell's value is 1, "square 2" has every cell valued as 2, and so on, and so forth.

Other decision variables that are used are: a boolean flag that is used to decide whether a certain cell is the upper left corner of a square; a counter that marks the amount of equal numbers in a row, or equal lines of the square; a boolean flag that is used to decide when to stop incrementing said counter; a boolean flag that shows if it is a square.

Constraints

The first constraint that we used was gathering a list of the diamond cells' indexes, and declaring them to be distinct from each other (all_distinct). After that, we use reification in order to establish logical relations between the domain variables to check that a cell is an upper left corner of a square, and the counter and the flags are correct.

Solution Presentation

To present the solution in readable text format, we have a predicate (draw_solve/3) that prints the solution board in which each solution square has its cells filled with its number.

Experiments and Results

We could not experiment anything since we could not finish the problem. It works in a really basic case, and usually gets to the labeling part.

Since we cannot exactly get information, we cannot talk about the results. First and foremost, we understand that our code does not work, probably, due to an error on a domain variable definition.

Conclusions and Future Work

We found this project to be very challenging, because although it does not require many lines of code, it required a lot of thinking about how to restrict variables that do not have values until the very end. Ideally we would have made a program that can solve every solvable diamond puzzle, so that we could experiment with different search methods in the labeling phase.

Referências

https://www.swi-prolog.org/

Anexos

Anexo diamond.pl

```
:- consult('utils.pl').
:- use_module(library(clpfd)).
:- use_module(library(lists)).
:- use_module(library(between)).
:- use_module(library(random)).
```

```
createDiamonds([], _, []).
createDiamonds([Index|T], Vars, [Diamond| T1]):-
    nth1(Index, Vars, Diamond),
    createDiamonds(T, Vars, T1).
getRest( , [], , []).
getRest(DiamondIndexList, [ H|T], Count, Rest):-
   member(Count, DiamondIndexList),
   NewCount is Count + 1,
    getRest(DiamondIndexList, T, NewCount, Rest).
getRest(DiamondIndexList, [H|T], Count, [H|Rest]):-
    \+member(Count, DiamondIndexList),
    NewCount is Count + 1,
    getRest(DiamondIndexList, T, NewCount, Rest).
count([], , 0).
count([H|T], P, Number):-
   dif(H, P),
   count(T, P, Number).
count([H|T], H, NewNumber):-
   count(T, H, Number),
    NewNumber is Number + 1.
```

```
noMore([], Elem, ElemIx, CurrIx).
noMore([ H|T], ElemNotToRepeat, ElemIndex, ElemIndex) :-
   NewCurrentIndex is ElemIndex + 1,
   noMore(T, ElemNotToRepeat, ElemIndex, NewCurrentIndex).
noMore([H|T], ElemNotToRepeat, ElemIndex, CurrIndex) :-
   H #\= ElemNotToRepeat,
   NewCurrentIndex is CurrIndex + 1,
   noMore(T, ElemNotToRepeat, ElemIndex, NewCurrentIndex).
Total):-
Total):-
```

```
Total).
%% check columns( List, NColumns, Index, Element, Count, Number, 0):-
IsSquare):-
IsSquare).
%% check columns(List, NColumns, Index, Element, Count, Number, 0):-
```

```
check_cell(List, NRows, NColumns, Index, FinalIndex) :- %% Not upperleft
count numbers in row( List, TotalColumns, NRow, NewNCol, Elem, 0,
NotFinished):-
```

```
NewNCol > TotalColumns.
count numbers in row(List, TotalColumns, NRow, NCol, OldElem, Count,
NotFinished):-
   NCol =< TotalColumns,</pre>
   nth1 (NRow, List, Row),
   nth1 (NCol, Row, Elem),
   Count #= CountNext + NotFinished,
   NotFinishedNext #<=> NotFinished #/\ (Elem #= OldElem),
   NewNCol is NCol + 1,
    count numbers in row(List, TotalColumns, NRow, NewNCol, Elem,
CountNext, NotFinishedNext).
count equal rows(List, TotalRows, TotalColumns, NRow, NCol, Elem, O, Sum,
NotFinished):-
   NRow > TotalRows.
count equal rows(List, TotalRows, TotalColumns, NRow, NCol, Elem, Count,
Sum, NotFinished):-
   NRow = < TotalRows,
   count numbers in row(List, TotalColumns, NRow, NCol, Elem, RowCount,
1),
   Count #= CountNext + NotFinished,
    NotFinishedNext #<=> NotFinished #/\ (RowCount #= Sum),
   NewNRow is NRow + 1,
   count equal rows(List, TotalRows, TotalColumns, NewNRow, NCol, Elem,
CountNext, Sum, NotFinishedNext).
```

```
check square(List, Index, NRows, NColumns, IsSquare):-
   NCol is Index mod NColumns + 1,
   NCol = TCol,
   element (NCol, Row, Elem),
   count numbers in row(List, NColumns, NRow, NCol, Elem, Sum, 1),
   count equal rows (List, NRows, NColumns, NRow, NCol, Elem, Count, Sum,
1),
   Count #= Sum #<=> IsSquare.
check square(List, Index, NRows, NColumns, IsSquare):-
   TCol is Index mod NColumns,
   NRow is Index // NRows + 1,
   TCol == 0,
   NCol = NColumns,
   count numbers in row(List, NColumns, NRow, NCol, Elem, Sum, 1),
   count equal rows (List, NRows, NColumns, NRow, NCol, Elem, Count, Sum,
1),
   Count #= Sum #<=> IsSquare.
```

```
iterateBoard(FlatList, List, NRows, NColumns, Index, FinalIndex):-
    Index =:= FinalIndex - 1.
iterateBoard(FlatList, List, NRows, NColumns, Index, FinalIndex):-
   check upper left corner (FlatList, NRows, NColumns, Index,
IsUpperLeftCorner),
   check square (List, Index, NRows, NColumns, IsSquare),
   IsUpperLeftCorner #=> IsSquare,
   NewIndex is Index + 1,
   iterateBoard(FlatList, List, NRows, NColumns, NewIndex, FinalIndex).
LEFT CORNER
check upper left corner( List, NRows, NColumns, 1, IsUpperLeftCorner) :-
   IsUpperLeftCorner #= 1. %true
check upper left corner(List, NRows, NColumns, Index, IsUpperLeftCorner)
   Row is Index // NColumns,
   element(Index, List, CurrElement),
   LeftIndex is Index - 1,
   element(LeftIndex, List, LeftElement),
   CurrElement #\= LeftElement,
   IsUpperLeftCorner #= 1. % If they have different values, then the
current element is an Upper Left Corner
check upper left corner(List, NRows, NColumns, Index, IsUpperLeftCorner)
```

```
Column is Index mod NRows,
   element(Index, List, CurrElement),
   TopIndex is Index - NColumns,
   element(TopIndex, List, TopElement),
   CurrElement #\= TopElement,
   IsUpperLeftCorner #= 1. % If they have different values, then the
check upper left corner(List, NRows, NColumns, Index, IsUpperLeftCorner)
   element(Index, List, CurrElement),
   TopIndex is Index - NColumns,
   element(TopIndex, List, TopElement),
   CurrElement #\= TopElement,
   LeftIndex is Index - 1,
   element(LeftIndex, List, LeftElement),
   CurrElement #\= LeftElement,
   IsUpperLeftCorner #= 1. % If it is different from both the top and the
check upper left corner( List, NRows, NColumns, Index,
IsUpperLeftCorner) :-
   IsUpperLeftCorner #= 0. %false
```

```
solve(DiamondIndexList, NumberOfRows, NumberOfColumns, Vars) :-
   statistics(walltime, [Start, ]),
   length(DiamondIndexList, NumberOfDiamonds), % Gets number of diamonds
in problem
   build cols(SolutionBoard, NumberOfColumns), % Sets numbers of columns
   append (SolutionBoard, Vars),
   createDiamonds(DiamondIndexList, Vars, DiamondList),
   getRest(DiamondIndexList, Vars, 1, Rest),
   FinalIndex is NumberOfRows * NumberOfColumns + 1,
   iterateBoard (Vars, SolutionBoard, NumberOfRows, NumberOfColumns, 1,
FinalIndex),
```

```
labeling([], Vars),
draw solve(NumberOfColumns, Vars, NumberOfColumns).
```

draw.pl

```
draw_puzzle(Largura, 0, L):-
draw_division(Largura, L), nl.
```

```
draw puzzle(Largura, Altura, L):- %L são as coordenadas dos diamantes
   draw division(Largura, L), nl,
   put code(9482), draw line(Largura, L), nl,
   NewAltura is Altura - 1,
    draw puzzle (Largura, NewAltura, L).
draw line(0, L).
draw line(Largura, Altura, [[X, Y]| ]):-
   dif(Largura, X),
   dif(Altura, X),
   draw cell(0),
   NewLargura is Largura - 1,
   draw line(NewLargura, L).
draw cell(0):-
    write(' '), put code(9482).
draw division(0, L):- put code(9480).
draw division(Largura, L):-
   put code (9480), put code (9480), put code (9480),
   NewLargura is Largura - 1,
   draw division(NewLargura, L).
```

utils.pl

```
build_cols([],_).
build_cols([Line|Ls],N):-
   length(Line,N),
   build_cols(Ls,N).
```

```
draw(Y, NumberColumns, NumberRows, ):-
    Y > NumberRows.
draw(Y, NumberColumns, NumberRows, Vars):-
   Y =< NumberRows,
    draw(Y1, NumberColumns, NumberRows, Vars).
draw line( ,X,N, ):-
draw line(Y,X,N,Vars):-
   draw cell(K, Vars), write(' '),
   X1 is X + 1,
   draw line(Y, X1, N, Vars).
draw cell(K,Vars):-
   member(K, Vars),!,
draw cell( , ):-
   write('.').
draw_solve(_, [], _).
draw solve(Ncolumn, [Elem|T], Current):-
   Current =< 1,
    draw solve (Ncolumn, T, Ncolumn).
draw solve(Ncolumn, [Elem|T], Current):-
   Current > 1,
```

```
nth11(Y,X,LL,Elem):-
diamonds on the board)
puzzle :-
   generate random puzzle(5, 10,10, [L, NRows, NCols]),
generate random puzzle(NumDiamonds, MaxRows, MaxCols, [L, NRows, NCols])
   random(2, MaxRows, NRows),
   random(2, MaxCols, NCols),
   generate random diamonds(0, NumDiamonds, MaxIndex, [], L).
generate random diamonds(NumDiamonds, NumDiamonds, MaxIndex, Acc, Acc).
generate random diamonds(Index, NumDiamonds, MaxIndex, Acc, List) :-
    random(1, MaxIndex, NewDiamond),
   append([NewDiamond], Acc, NewAcc),
```

generate_random_diamonds(NewIndex, NumDiamonds, MaxIndex, NewAcc,
List).