BWB Wingbox Design with Aeroelasticity Constraints

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S2 Research Project Final Presentation

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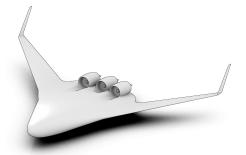
- Introduction
- **Project Goals**
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- 4. Numerical Implementation
- 5. Conclusions
- **6.** Possible Future Work

Important Aspects

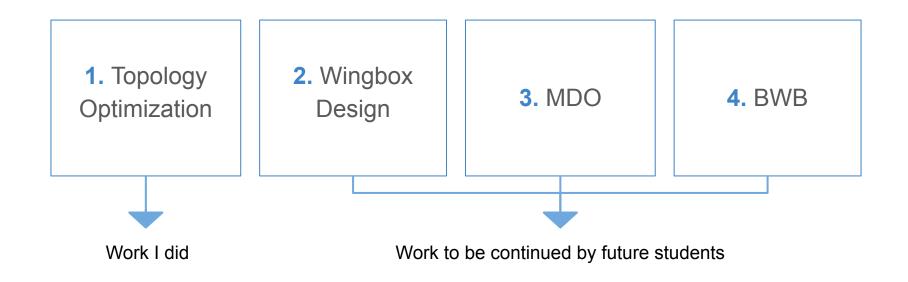
1. Aerostructural Coupling

2. Blended Wing Body Design





Plan for the Long Term Project



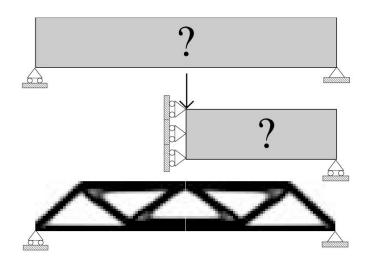
Semesters 2 and 3 Goals

- 1. State of the Art.
- 2. Learn more about Topology Optimization.
- Create a Topology Optimization implementation in Python.
- **4.** Add all the different methods to the code.
- Add the Wing Rib boundary condition to the code.

Theoretical Background

Topology Optimization with SIMP

$$\begin{cases} \min_{\{x\}} c = U F = \sum_{e=1}^{N} (x_e)^p u_e^T k_e u_e \\ \frac{V(x)}{V_0} \le Volume Fraction \\ 0 \le x_{min} \le x \le 1 \\ F = K U \end{cases}$$



Methods Implemented

Generalized Geometry Projection (GGP) - Coniglio, S. et al (2019)

Moving Morphable Components (MMC) - Guo et al. (2014)

Moving Node Approach (MNA) - Overveld (2012)

Geometry Projection (GP) - Norato (2015)

Already Existent Topology Optimization **Implementations**

- A 99 line topology optimization code written in MATLAB Sigmund, O. (2001)
- Efficient topology optimization in MATLAB using 88 lines of code Andreassen, E. et al. (2011)
- Generalized Geometry Projection Coniglio, S. et al (2019)
- Topology optimization codes written in Python

Project Goals



Python Topology Optimization

Numerical Implementation

Implementation

- Python
- SIMP
- Method of Moving Asymptotes Svanberg, K. (1987)

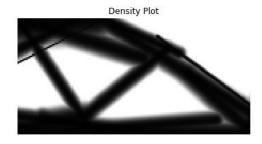
$$\begin{cases} \min_{\{x\}} c = U^T K U = \sum_{e=1}^{N} (x_e)^p \ u_e^T \ k_e \ u_e \\ \frac{V(x)}{V_0} \leq Volume \ Fraction \\ 0 \leq x_{min} \leq x \leq 1 \end{cases}$$

Project Goals



Implementations Comparison

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1 Obj.:1.138e+05 Vol.: 0.090 kktnorm.: 10.001 ch.: 1.000
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it.: 2 , obj.: 8116.545 Vol.: 0.181, kktnorm.: 140.791 ch.: 0.071
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New Python Implementation

Introduction



Old MATLAB Implementation

Methods



Generalized Geometry Projection (GGP)



Geometry Projection (GP)



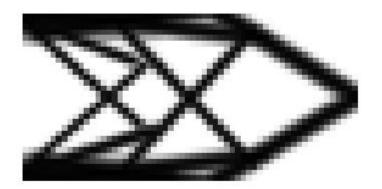
Moving Morphable Components (MMC)



Moving Nodes Approach (MNA)

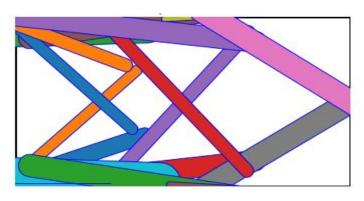
Density and Components Plots

Black \rightarrow xe = 1 (Fully Material) White \rightarrow xe = 0 (Void)



Density Plot

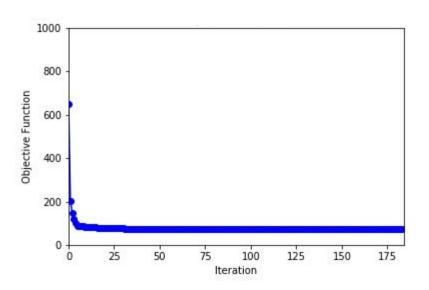
Each component is defined by: x, y, L, h, Θ



Components Plot

Numerical

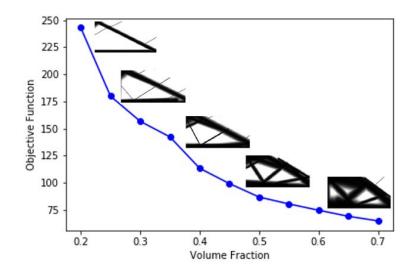
Objective Function



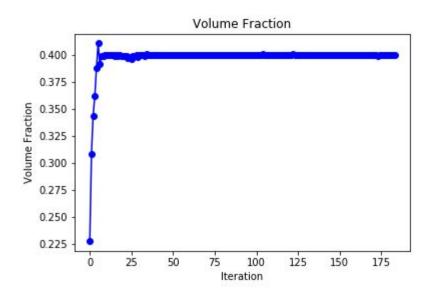
$$min_{\{x\}} c = \sum_{e=1}^{N} (x_e)^p u_e^T k_e u_e$$

Numerical

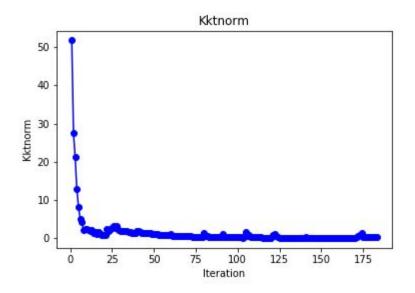
Objective Function and Volume Fraction



Volume Fraction



KKtnorm



Project Goals

Mesh Sizes



40 x 20 elements



120 x 60 elements

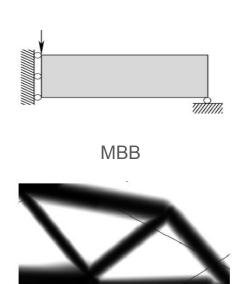


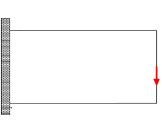
80 x 40 elements

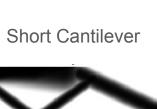


320 x 160 elements

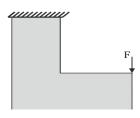
Test Cases

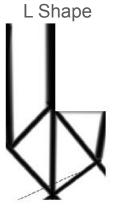












Wing Rib





Conclusions

Conclusions

Developed a Wing Rib Topology Optimization implementation in Python.

Developed a faster and separate MNA Wing Rib Python implementation

3. Developed a Method of Moving Asymptotes (MMA) solver in Python

Possible Future Work

Possible Future Work

Create a Wingbox MDO formulation using OpenMDAO with the Pyton MNA Top Rib code.

Add aeroelasticity constraints to the OpenMDAO formulation

Apply to the Wingbox of a BWB.

Any Questions?

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