# Computer vision and machine learning for the material scientist (CVML) 2021 Lecture 9

Convolutional Neural Networks (CNNs) for semantic segmentation

26/02/2021

João P C Bertoldo joao.bertoldo@mines-paristech.fr



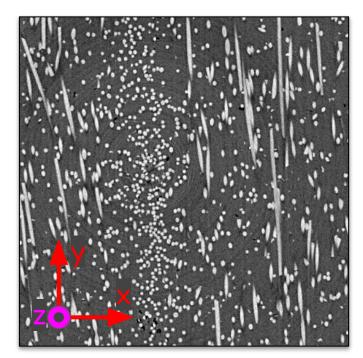




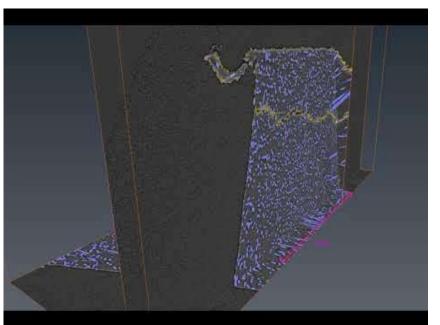


# teaser

what we have
a stack of gray images



what we want the 3d structure



blue: fibers
yellow: crack
link to the video

3D tomography of a glass fiber-reinforced composite. Left: raw data. Right: raw data with superposed segmentation.





# this presentation

#### goals

- put together pieces learned during the week
- showcase an application example



#### focus

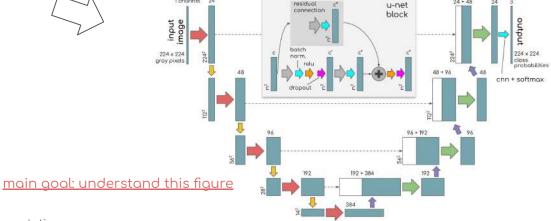
a neural network architecture and its components



#### context

- the (machine) learning problem
- data provenance

Monday	Tuesday	Wednesday	Thursday	Friday
Introduction to computer vision (HP)	Machine learning 2 (HP)	Meta model 2 (PK)	Deep learning (HP)	Yolo : real time object detection (BF)
Tutorial classification k-NN (HP, AM)	Tutorial machine learning 2 (HP, AM)	Tutorial meta model 2 (PK, AM)	Tutorial deep learning (HP, AM)	Tutorial Yolo (BF)
Machine learning 1 (HP)	Meta Model 1 (PK)	Introduction to neural networks (HP)	Convolutional neural nets (HP)	CNN for Semantic segmentation (JCB)
Tutorial machine learning 1 (HP, AM)	Tutorial meta model 1 (PK, AM)	Tutorial neural networks (HP, AM)	Tutorial CNN (HP, AM)	Written exam







# intro

# myself



#### João Paulo Casagrande Bertoldo

yes, it's a pretty long name... (:

Sep. 2020 - now Bigméca

Research x (intern + engineer)

2017 - 2021 MINES ParisTech - PSL University

Executive engineering - Data Science Minor

2019 - 2020 Paris-Dauphine - PSL University

Master IASD: Artificial Intelligence, Systems, Data

2013 - 2020 University of São Paulo (USP)

Mechatronics engineering

#### contact

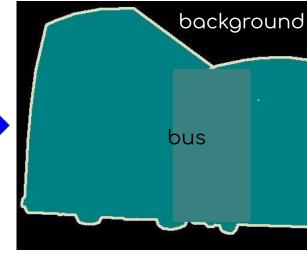
joao.bertoldo@mines-paristech.fr <u>joaopcbertoldo.github.io</u>





# semantic segmentation





Def.: an (normalized) image X is a 2D array of size  $\rho$  x q, and each of its elements  $X_{i,j}$  belongs to [0, 1].

<u>1 pixel = a gray level intensity</u>

"how much light did the sensor capture in that grid cell?"

Def.: a binary segmentation Y is a 2D array of size  $\rho$  x q, and each of its elements  $Y_{i,i}$  is 0 or 1.

<u>1 pixel = a "membership"</u>

"does this pixel belong to the object or to the background?"

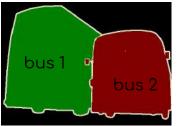
Image source: <a href="http://host.robots.ox.ac.uk/pascal/VOC/">http://host.robots.ox.ac.uk/pascal/VOC/</a>

Everingham, M., Van Gool, L., Williams, C.K.I., Winn, J., Zisserman, A., 2010. The Pascal Visual Object Classes (VOC) Challenge. Int J Comput Vis 88, 303–338. https://doi.org/10.1007/s11263-009-0275-4



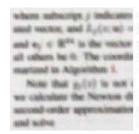






#### instance segmentation

Everingham, M., Van Gool, L., Williams, C.K.I., Winn, J., Zisserman, A., 2010. The Pascal Visual Object Classes (VOC) Challenge. Int J Comput Vis 88, 303–338.



where subscript f indicates ated vector, and  $L_{\mathcal{Y}}(x; w) \approx$  and  $\mathbf{e}_f \in \mathbf{S}^{\text{ex}}$  is the vector all others be  $\Omega$ . The coordinatived in Algorithm 1.

Neae that  $g_f(a)$  is not a we calculate the Nowton di second-order approximation and solve

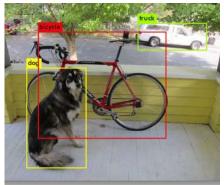
#### super resolution

Dong, C., Loy, C.C., Tang, X., 2016. Accelerating the Super-Resolution Convolutional Neural Network.

Yang, W., Zhang, X., Tian, Y., Wang, W., Xue, J.-H., 2019. Deep Learning for Single Image Super-Resolution: A Brief Review IEEE Trans. Multimedia 21, 3106–3121.

#### image deblurring

Everingham, M., Van Gool, L., Williams, C.K.I., Winn, J., Zisserman, A., 2010. The Pascal Visual Object Classes (VOC) Challenge. Int J Comput Vis 88, 303–338.



#### object detection

Image source:
<a href="https://pireddie.com/darknet/yolo/">https://pireddie.com/darknet/yolo/</a>

Redmon, J., Divvala, S., Girshick, R., Farhadi, A., 2016. You Only Look Once: Unified, Real-Time Object Detection..







#### style transfer

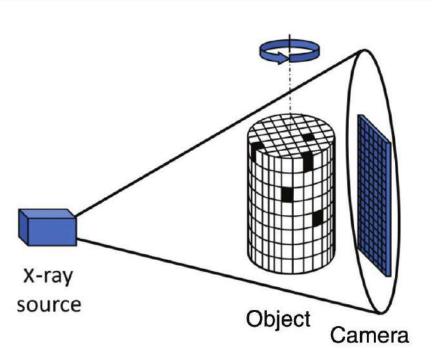
Li, Y., Liu, M.-Y., Li, X., Yang, M.-H., Kautz, J., 2018. A Closed-form Solution to Photorealistic Image Stylization.



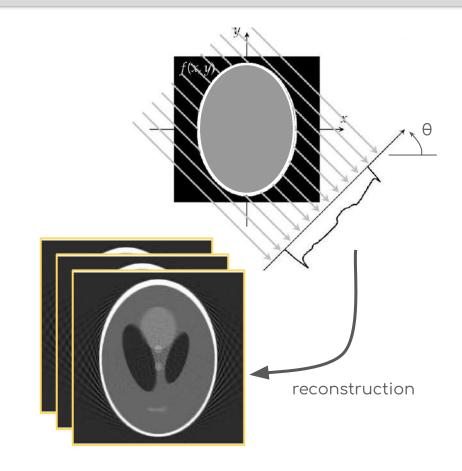


# materials science meets semantic segmentation

# tomography

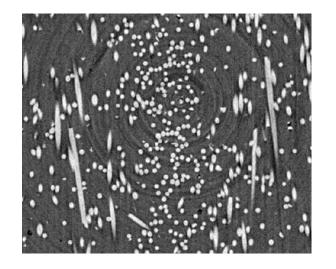


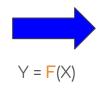
Source: Terzano, Roberto & Denecke, Melissa & Falkenberg, Gerald & Miller, Bradley & Paterson, David & Janssens, Koen. (2019). Recent advances in analysis of trace elements in environmental samples by X-ray based techniques (IUPAC Technical Report). Pure and Applied Chemistry. 91. 10.1515/pac-2018-0605.

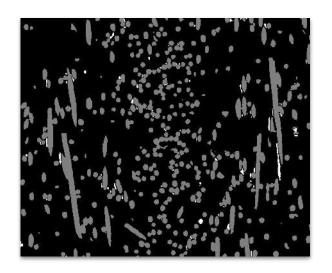












Def.: an (normalized) image X is a 2D array, and each of its elements X<sub>i,j</sub> belongs to [0, 1].

<u>1 pixel = a gray level intensity</u>

"how much light did the sensor capture in that grid cell?"

Def.: a segmentation Y is a 2D array, and each of its elements Y<sub>i,j</sub> has a value in {1, 2, ..., C}, where C is the nb. of classes.

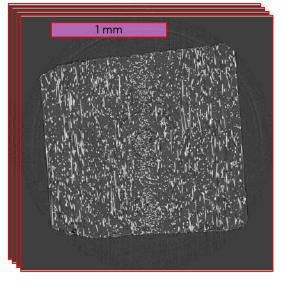
<u>1 pixel = a category = a phase</u>

"to which class (phase) does this area belong to?"

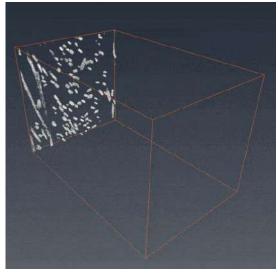


we wish to locate separate phases pixel by pixel

- 3 phases
  - PolyAmide 66 matrix
  - o Glass fiber reinforcement
  - o Porosities (holes) in the matrix
- specimen size: 2mm x 2mm x 6mm
- voxel size: 1.3 µm³



2048 images of 2048 x 2048

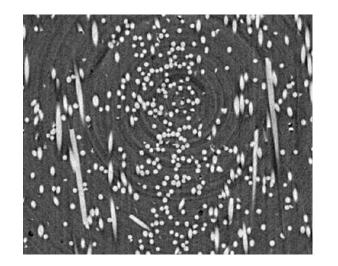


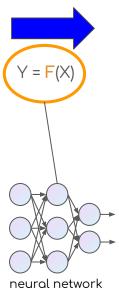
glass fibers (white) and porosities (red) link to the video

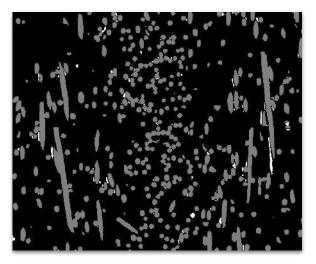


# semantic segmentation meets deep learning

# phase segmentation with deep learning



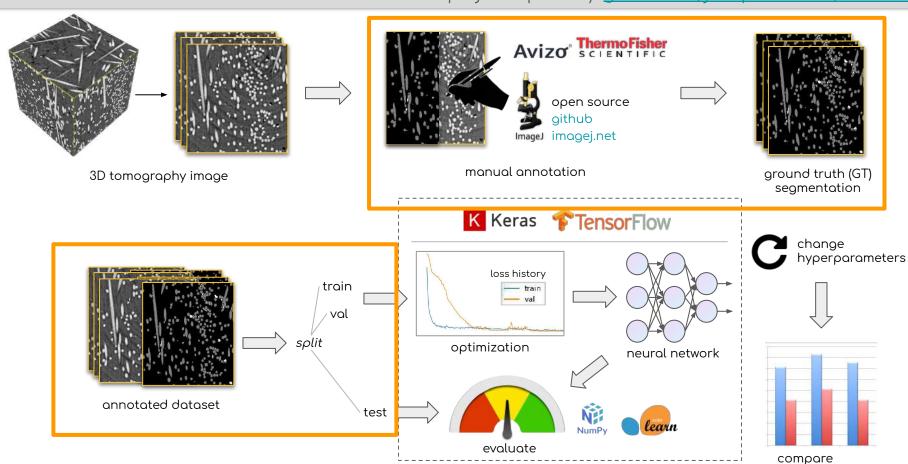






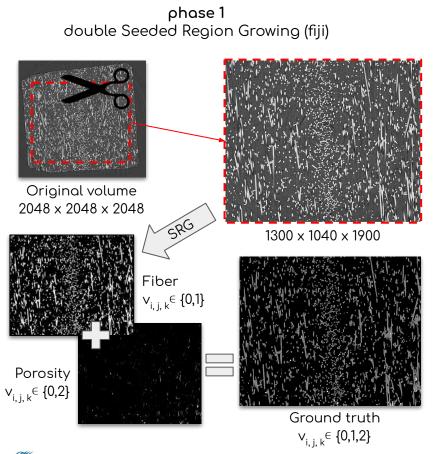


# overview

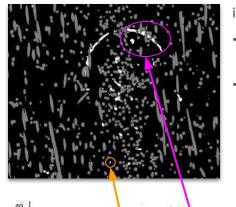








#### phase 2 artifacts correction (avizo)



aspect\_ratio

20

10

10<sup>1</sup>

10<sup>2</sup> area

#### issue

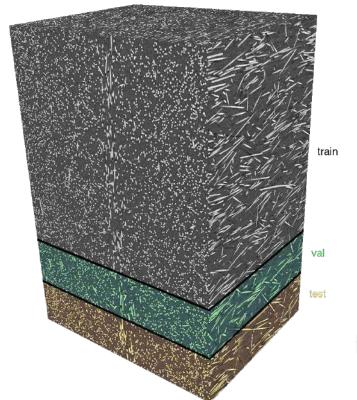
- ring artefacts from the tomography reconstruction
- ill-defined porosity boundary

#### mitigation strategy

- find large, long 2d blobs\*
- manually alter the voxels

\* "blob": connected set

# data \* (split + imbalance + augmentation)



set	nb. layers (1300x1040)	proportion
train	1300	68%
val	128	9%
test	300	16%

Class imbalance of PA66GF30.v1 porosity 12.9 million (12,880,895) = 1% (0.5014%) fiber 441.4 million (441,379,418) = 17% (17.1823%) matrix 2.1 billion (2,114,539,687) = 82% (82,3162%)

train: gradient descent

val: in-the-loop model selection

test: evaluation

-1. 2D/3D crop

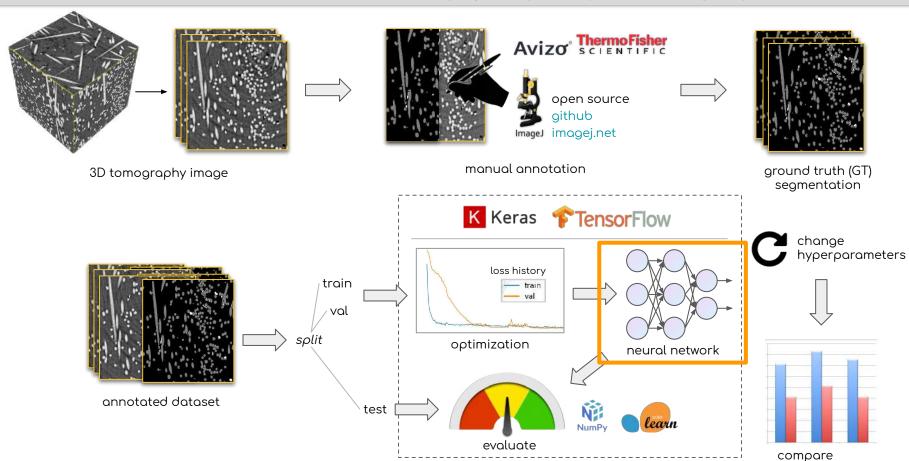
2. geometric transformation

both random





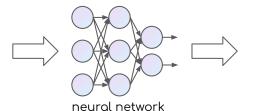
# neural network











"papillon",
"cat",
"llama",
"ambulance",
...

#### http://image-net.org

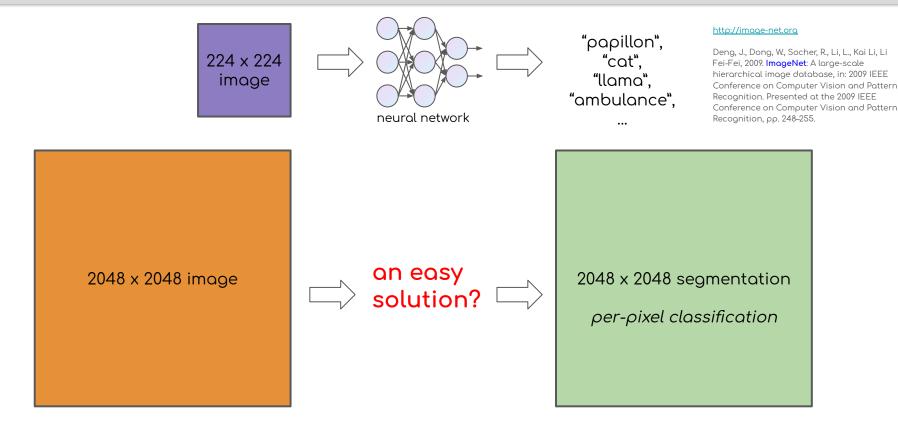
Deng, J., Dong, W., Socher, R., Li, L., Kai Li, Li Fei-Fei, 2009. ImageNet: A large-scale hierarchical image database, in: 2009 IEEE Conference on Computer Vision and Pattern Recognition. Presented at the 2009 IEEE Conference on Computer Vision and Pattern Recognition, pp. 248-255.

2048 x 2048 image



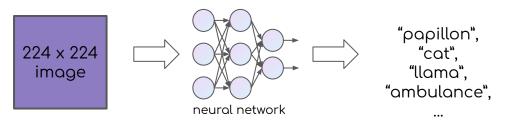
2048 x 2048 segmentation per-pixel classification





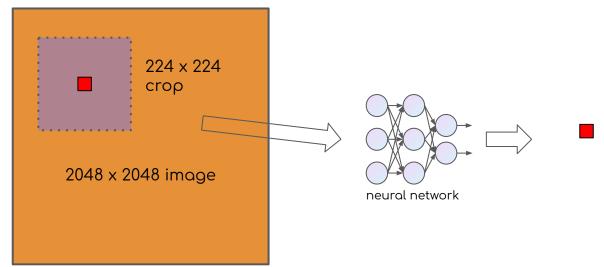






#### http://image-net.org

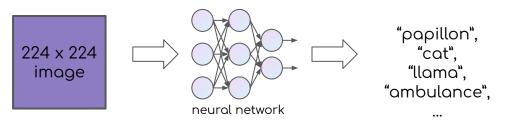
Deng, J., Dong, W., Socher, R., Li, L., Kai Li, Li Fei-Fei, 2009. **ImageNet**: A large-scale hierarchical image database, in: 2009 IEEE Conference on Computer Vision and Pattern Recognition. Presented at the 2009 IEEE Conference on Computer Vision and Pattern Recognition, pp. 248-255.



Cireşan, D.C., Giusti, A., Gambardella, L.M., Schmidhuber, J., 2012. Deep neural networks segment neuronal membranes in electron microscopy images, in: Proceedings of the 25th International Conference on Neural Information Processing Systems - Volume 2, NIPS'12. Curran Associates Inc., Red Hook, NY, USA, pp. 2843–2851.

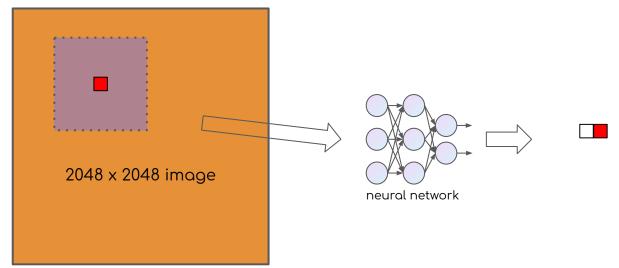






#### http://image-net.org

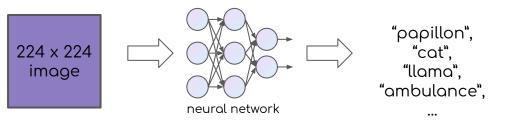
Deng, J., Dong, W., Socher, R., Li, L., Kai Li, Li Fei-Fei, 2009. **ImageNet**: A large-scale hierarchical image database, in: 2009 IEEE Conference on Computer Vision and Pattern Recognition. Presented at the 2009 IEEE Conference on Computer Vision and Pattern Recognition, pp. 248-255.



Cireşan, D.C., Giusti, A., Gambardella, L.M., Schmidhuber, J., 2012. Deep neural networks segment neuronal membranes in electron microscopy images, in: Proceedings of the 25th International Conference on Neural Information Processing Systems - Volume 2, NIPS'12. Curran Associates Inc., Red Hook, NY, USA, pp. 2843–2851.

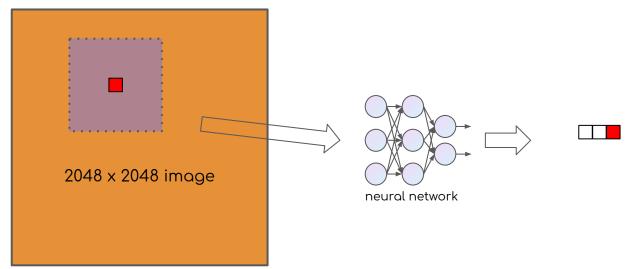






#### http://image-net.org

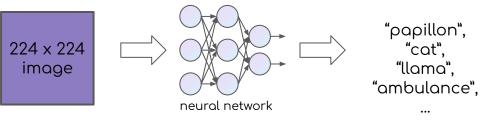
Deng, J., Dong, W., Socher, R., Li, L., Kai Li, Li Fei-Fei, 2009. ImageNet: A large-scale hierarchical image database, in: 2009 IEEE Conference on Computer Vision and Pattern Recognition. Presented at the 2009 IEEE Conference on Computer Vision and Pattern Recognition, pp. 248-255.



Cireşan, D.C., Giusti, A., Gambardella, L.M., Schmidhuber, J., 2012. Deep neural networks segment neuronal membranes in electron microscopy images, in: Proceedings of the 25th International Conference on Neural Information Processing Systems - Volume 2, NIPS'12. Curran Associates Inc., Red Hook, NY, USA, pp. 2843–2851.

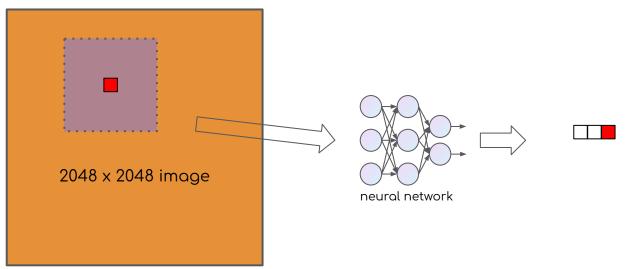






#### http://image-net.org

Deng, J., Dong, W., Socher, R., Li, L., Kai Li, Li Fei-Fei, 2009. ImageNet: A large-scale hierarchical image database, in: 2009 IEEE Conference on Computer Vision and Pattern Recognition. Presented at the 2009 IEEE Conference on Computer Vision and Pattern Recognition, pp. 248-255.



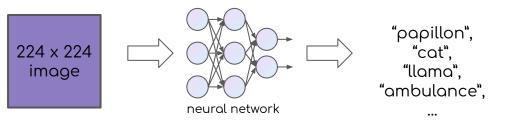
#### <u>problem</u>

- it's very inefficient

Ciresan, D.C., Giusti, A., Gambardella, L.M., Schmidhuber, J., 2012. Deep neural networks seament neuronal membranes in electron microscopy images, in: Proceedings of the 25th International Conference on Neural Information Processing Systems - Volume 2, NIPS'12. Curran Associates Inc., Red Hook, NY, USA, pp. 2843-2851.

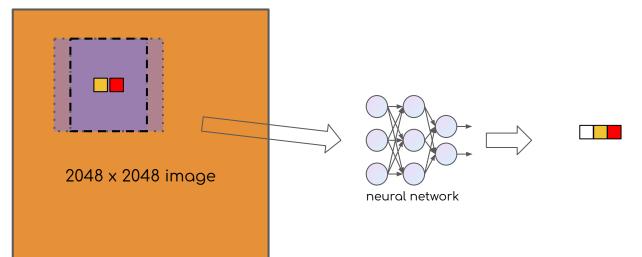






#### http://image-net.org

Deng, J., Dong, W., Socher, R., Li, L., Kai Li, Li Fei-Fei, 2009. ImageNet: A large-scale hierarchical image database, in: 2009 IEEE Conference on Computer Vision and Pattern Recognition. Presented at the 2009 IEEE Conference on Computer Vision and Pattern Recognition, pp. 248-255.



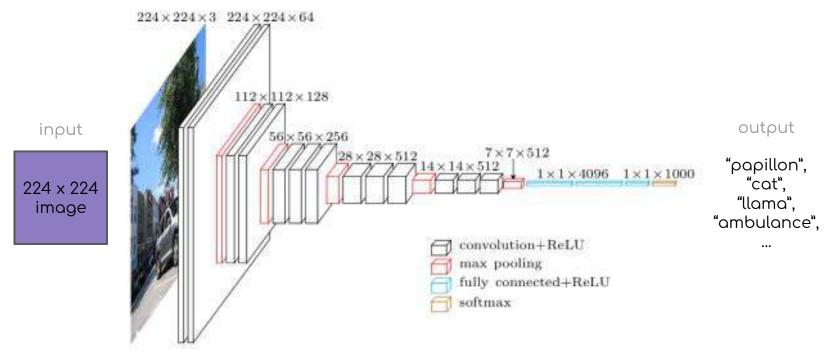
#### <u>problem</u>

- it's very inefficient
- adjacent pixels share most of the input region

Cireşan, D.C., Giusti, A., Gambardella, L.M., Schmidhuber, J., 2012. Deep neural networks segment neuronal membranes in electron microscopy images, in: Proceedings of the 25th International Conference on Neural Information Processing Systems - Volume 2, NIPS'12. Curran Associates Inc., Red Hook, NY, USA, pp. 2843–2851.



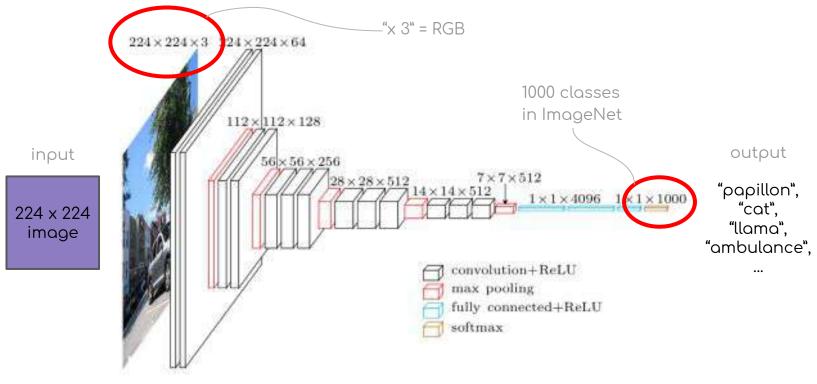






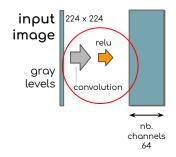






Credits: David Frossard. Image source: http://www.cs.toronto.edu/~frossard/post/vgq16/





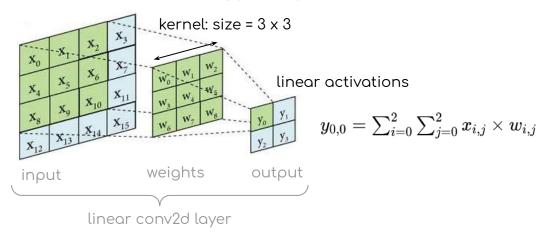
tf.keras.layers.Conv2D

tf.keras.layers.ReLU



# conv2d and relu

Credits: Samrat Sahoo. Source: 2D Convolution using Python & NumPy.

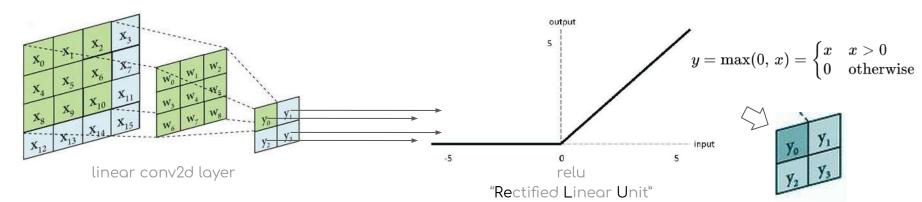


PS: there is a mismatch between indices of the image and the equation. Be imaginative (:

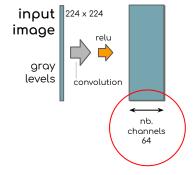


Credits: Samrat Sahoo. Source: 2D Convolution using Python & NumPy.

H. Sultan, H., Salem, N., Al-Atabany, W., 2019. Multi-Classification of Brain Tumor Images Using Deep Neural Network. IEEE Access PP, 1–1.



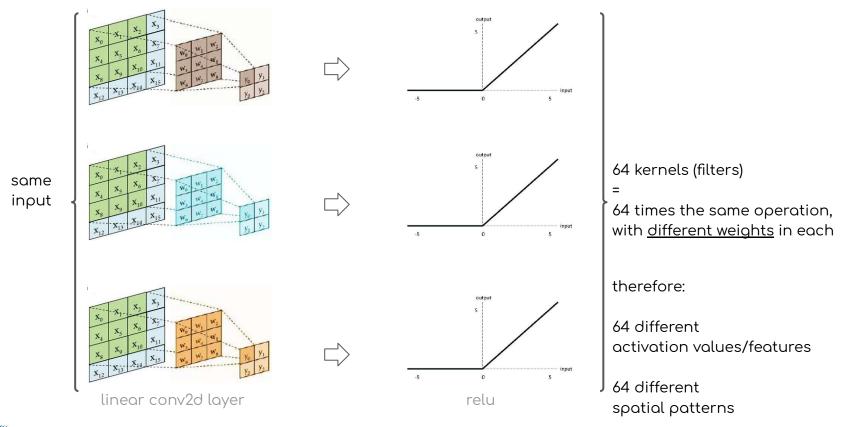






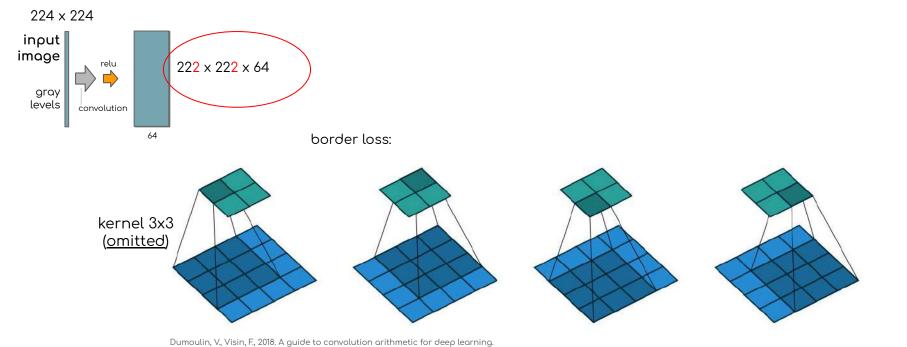
Credits: Samrat Sahoo. Source: 2D Convolution using Python & NumPy.

H. Sultan, H., Salem, N., Al-Atabany, W., 2019. Multi-Classification of Brain Tumor Images Using Deep Neural Network. IEEE Access PP, 1–1.



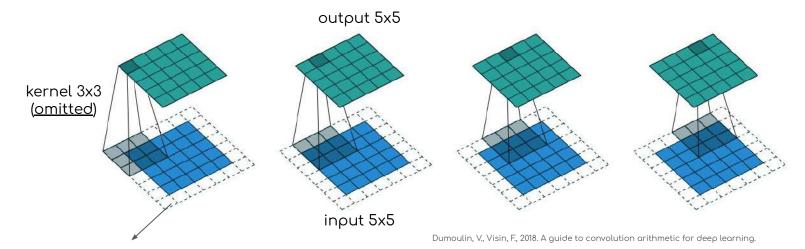












value? constant (0, 1), mirror (reflection),

•••

1 5 3 5 1
-----------

Credits: Christian Versloot.

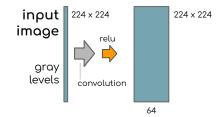
Source: <u>Using Constant Padding, Reflection Padding and Replication Padding with TensorFlow and Keras</u>

half (same) padding

kernel size = 3 input image = 5 x 5

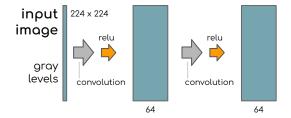
we will suppose half padding from now on!





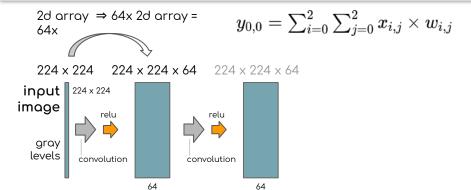






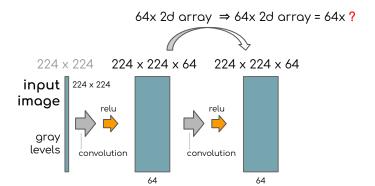


João P C Bertoldo



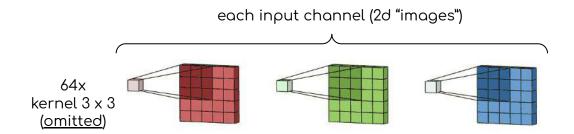






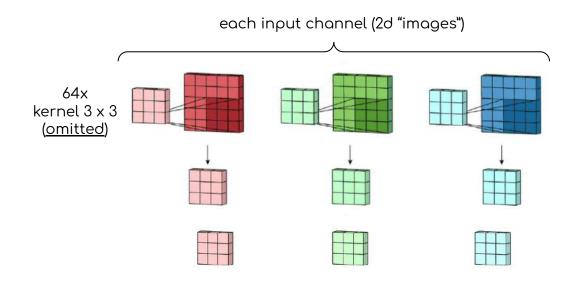






Credits: Kunlun Bai. Source: <u>A</u>
Comprehensive Introduction to
Different Types of Convolutions in
Deep Learning



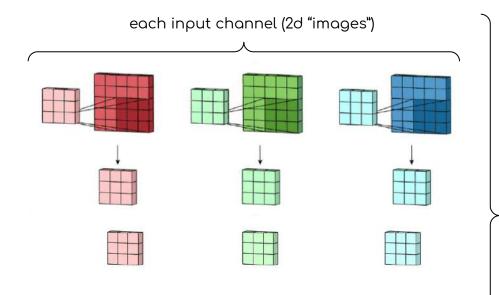


Credits: Kunlun Bai. Source: <u>A</u>
Comprehensive Introduction to
Different Types of Convolutions in
Deep Learning

1 (2d) image from 64 (2d) images convoluted (each) with 1 (2d) kernel







64 times this operation, on all the 64 input channels, with <u>different weights</u> in each 2d kernel

Credits: Kunlun Bai. Source: <u>A</u>
<u>Comprehensive Introduction to</u>
<u>Different Types of Convolutions in</u>
Deep Learning

1 output channel

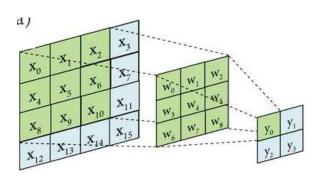
1 (2d) image from 64 (2d) images convoluted (each) with 1 (2d) kernel





2d input

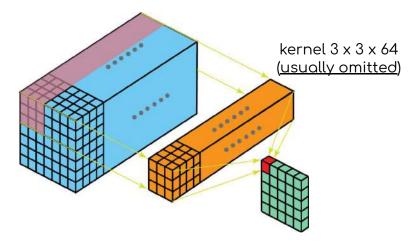
$$y_{0,0} = \sum_{i=0}^2 \sum_{j=0}^2 x_{i,j} imes w_{i,j}$$



Credits: Samrat Sahoo. Source: 2D Convolution using Python & NumPy.

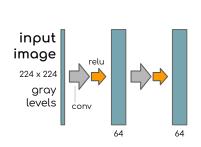
3d input (2d spatial + 1d channels)

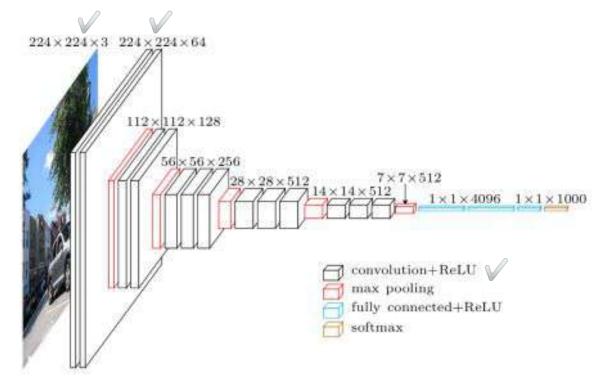
$$y_{0,0} = \sum_{i=0}^2 \sum_{j=0}^2 \sum_{c=0}^{64} x_{i,j,c} imes w_{i,j,c}$$



Credits: Kunlun Bai. Source: <u>A Comprehensive Introduction to Different Types of Convolutions in Deep Learning</u>



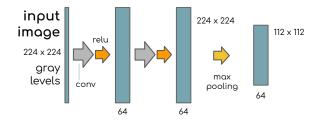




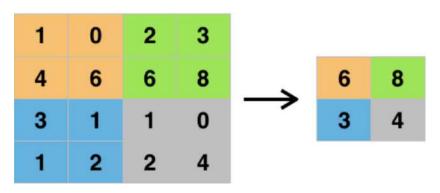
Credits: David Frossard. Image source: http://www.cs.toronto.edu/~frossard/post/vgq16/







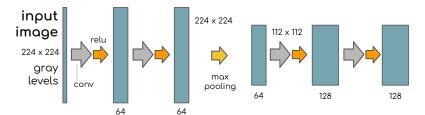
max pooling: <u>tf.keras.layers.MaxPool2D</u>

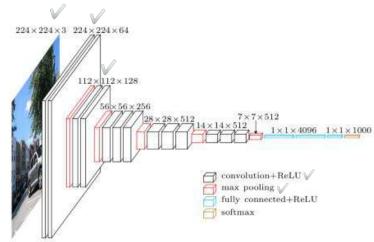


 $Credits: Deep Al.\ Image\ source: \underline{https://deepai.org/machine-learning-glossary-and-terms/max-pooling}.$ 





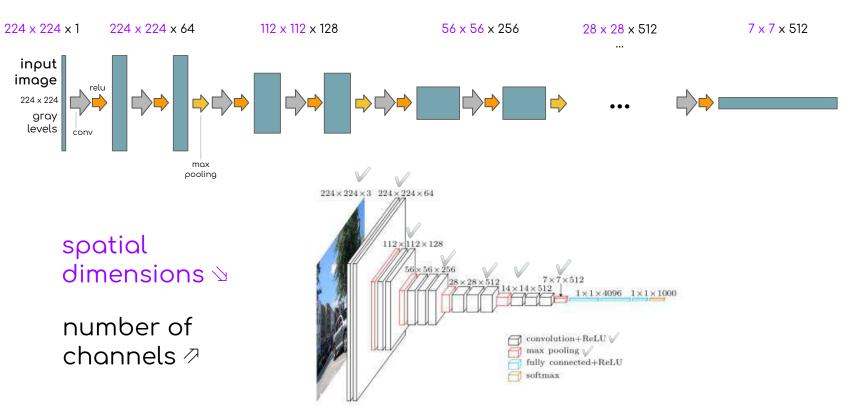




Credits: David Frossard. Image source: http://www.cs.toronto.edu/~frossard/post/vga16/



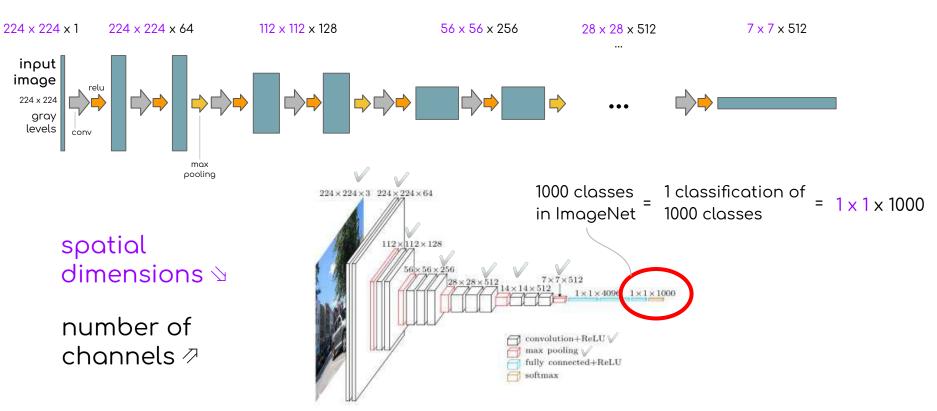




Credits: David Frossard. Image source: http://www.cs.toronto.edu/~frossard/post/vgq16/







Credits: David Frossard. Image source: http://www.cs.toronto.edu/~frossard/post/vgq16/









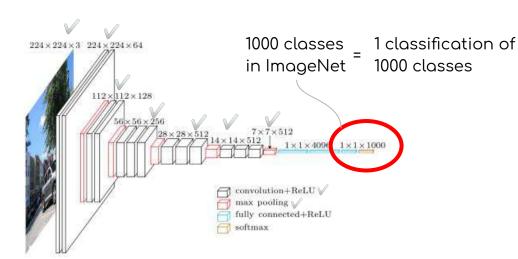


2048 x 2048 segmentation

 $2048^{2}$  classif. of  $= 2048 \times 2048 \times 3$ 

spatial dimensions >

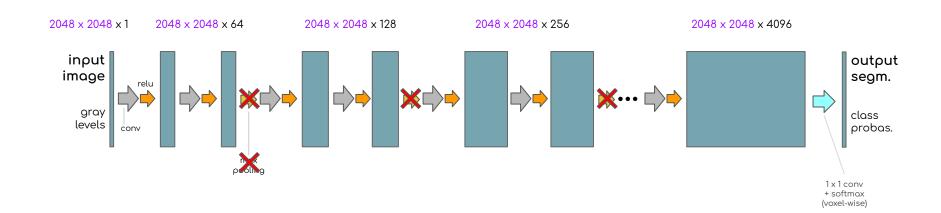
number of channels  $\nearrow$ 



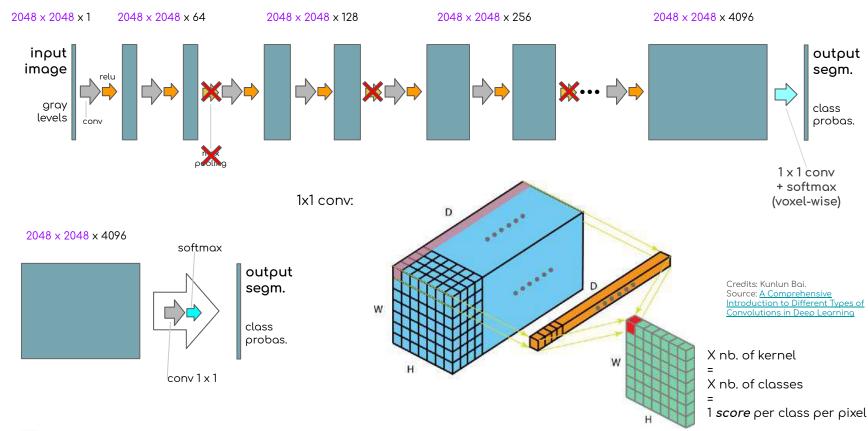
Credits: David Frossard. Image source: <a href="http://www.cs.toronto.edu/~frossard/post/vga16/">http://www.cs.toronto.edu/~frossard/post/vga16/</a>

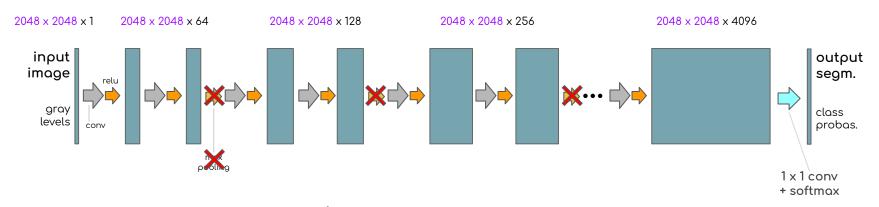




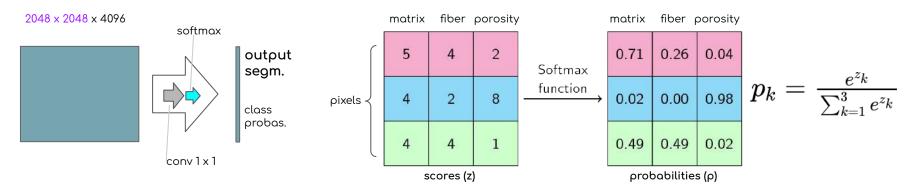








### softmax: tf.keras.layers.Softmax

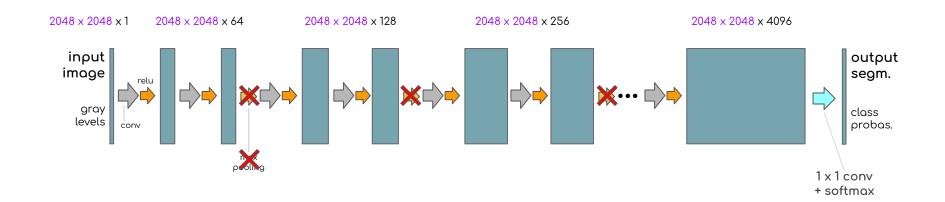


Credits: Lj Miranda. Source: Understanding softmax and the negative log-likelihood

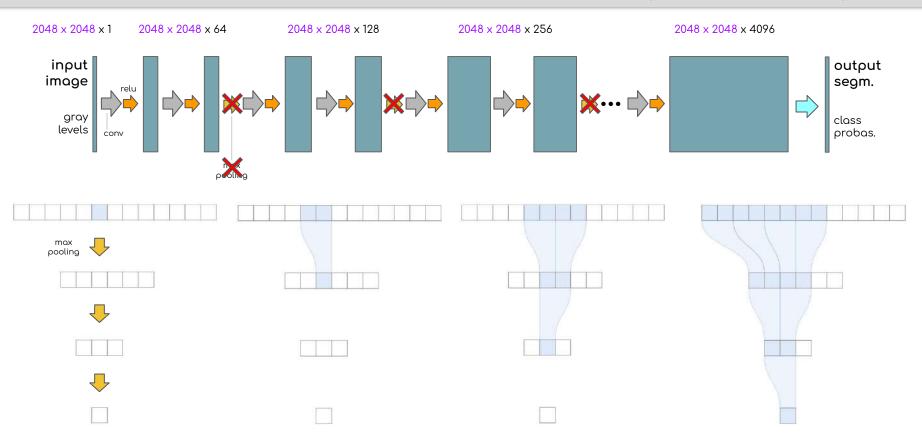




# break





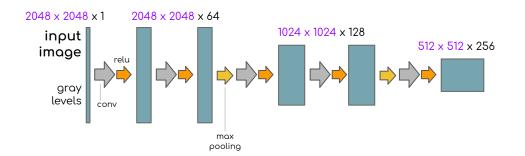


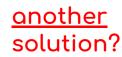
Araujo, et al., "Computing Receptive Fields of Convolutional Neural Networks", Distill, 2019. Images taken from animation in Computing Receptive Fields of Convolutional Neural Networks.

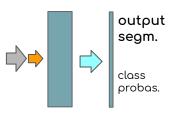




## an image-to-image network









2

3

3

3

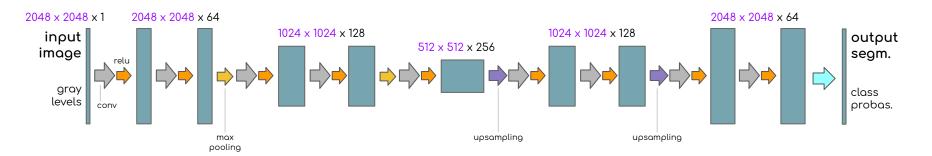
3

Output: 4 x 4

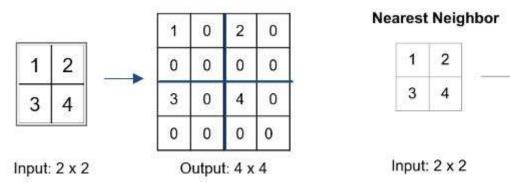
2

2

4



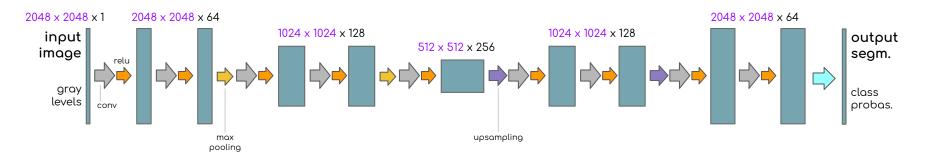
upsampling: <u>tf.keras.layers.UpSampling2D</u>

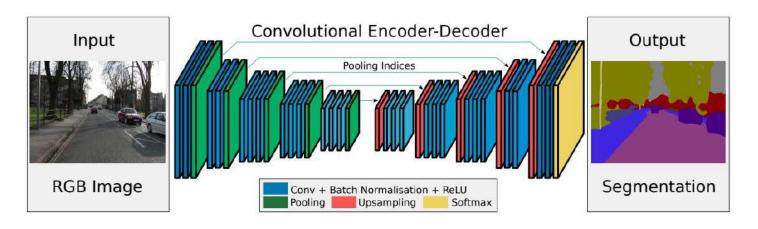


Credits: Divyanshu Mishra Source: <u>Transposed Convolution Demystified</u>.





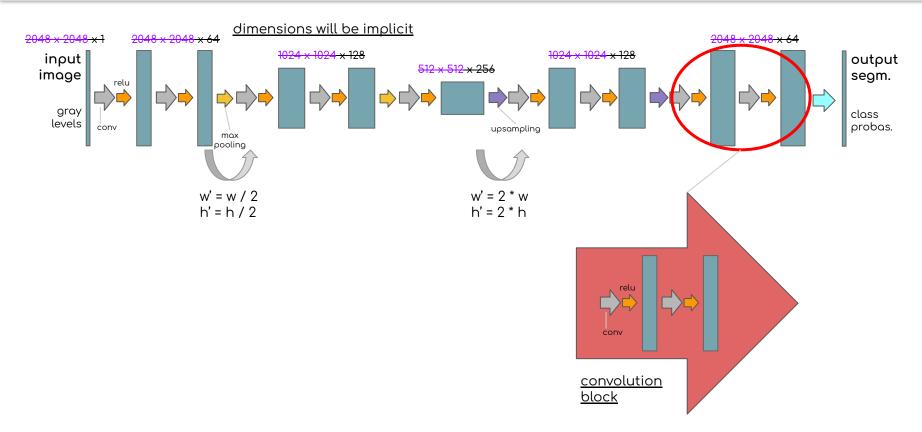




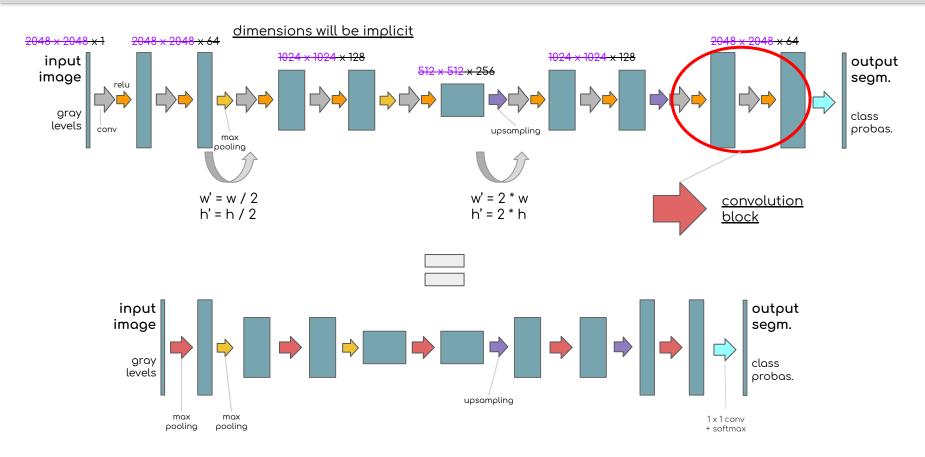
Badrinarayanan, V., Kendall, A., Cipolla, R., 2016. SegNet: A Deep Convolutional Encoder-Decoder Architecture for Image Segmentation.





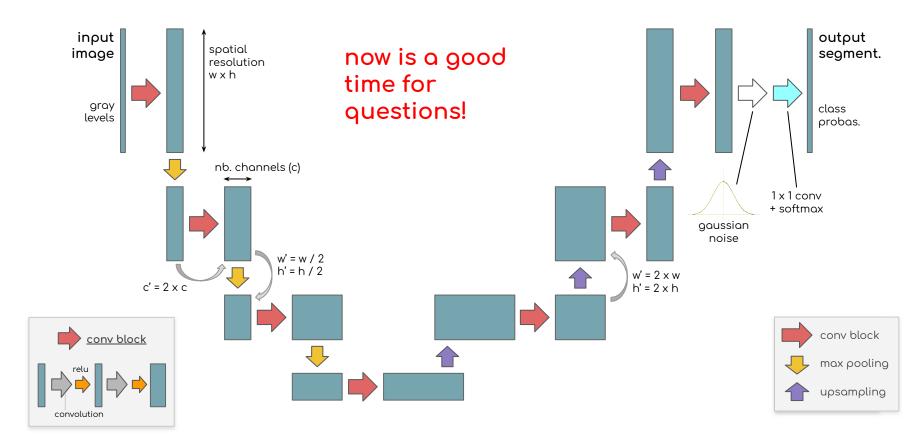






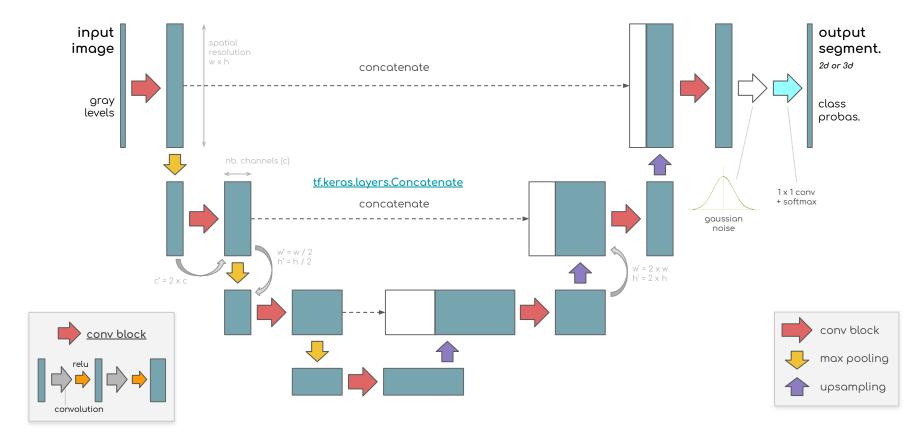


## an image-to-image network



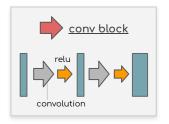




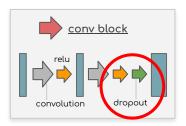




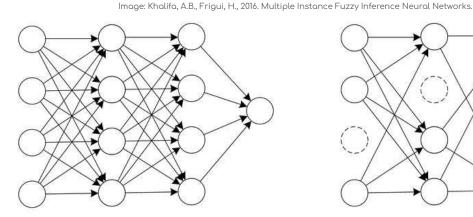




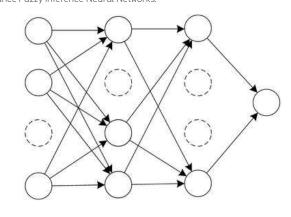




tf.keras.layers.Dropout



(a) Standard Neural Network



(b) Network after Dropout

dropout:

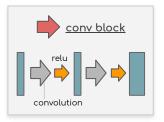
randomly forget connections (during the training)

a connection has a probability  $\rho$  of being dropped out

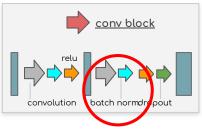
why?

it acts as a regularization



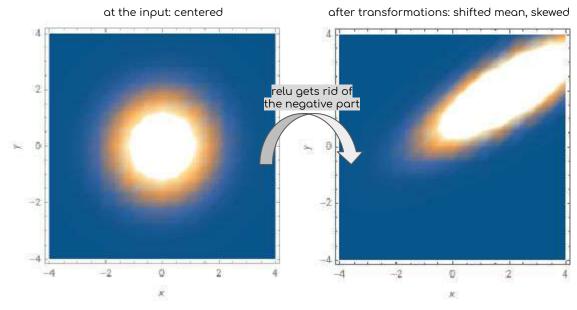






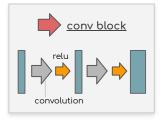
tf.keras.layers.BatchNormalization

#### distributions of a simplified representation of the images in 2D (only 2 variables)



Images generated with WOLFRAM Demonstrations Project.







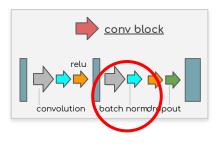
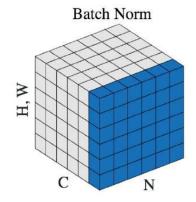
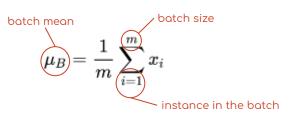


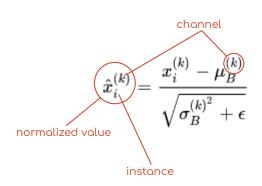
Image source: Wu, Y., He, K., 2018. Group Normalization.

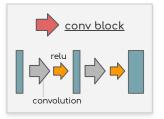


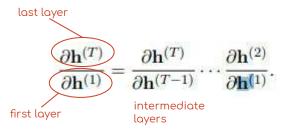
- correct mean shift and scaling
- regularization effect
- smoother landscape
  - ⇒ higher stable <u>learning rate</u>

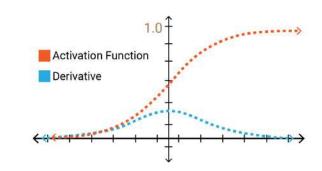




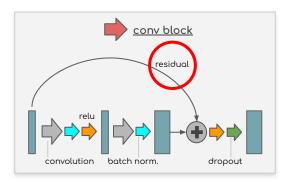




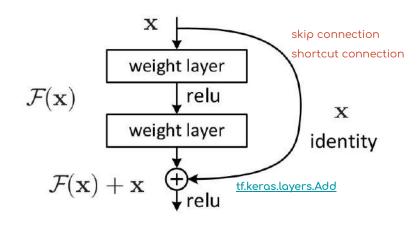




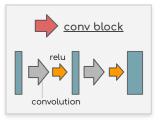




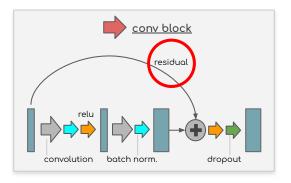
- speed up the training
- avoid vanishing gradients
- enable deeper networks



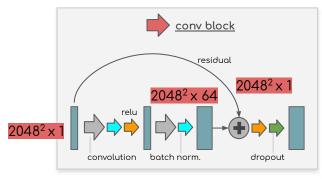








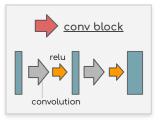
## first block:



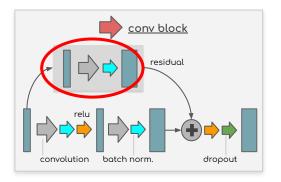
how do you sum tensors of shape

(2048, 2048, 1) and (2048, 2048, 64)?

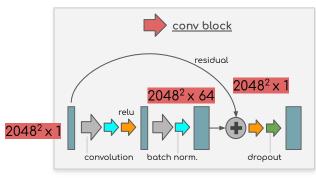


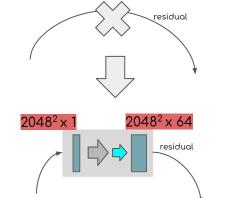






## first block:



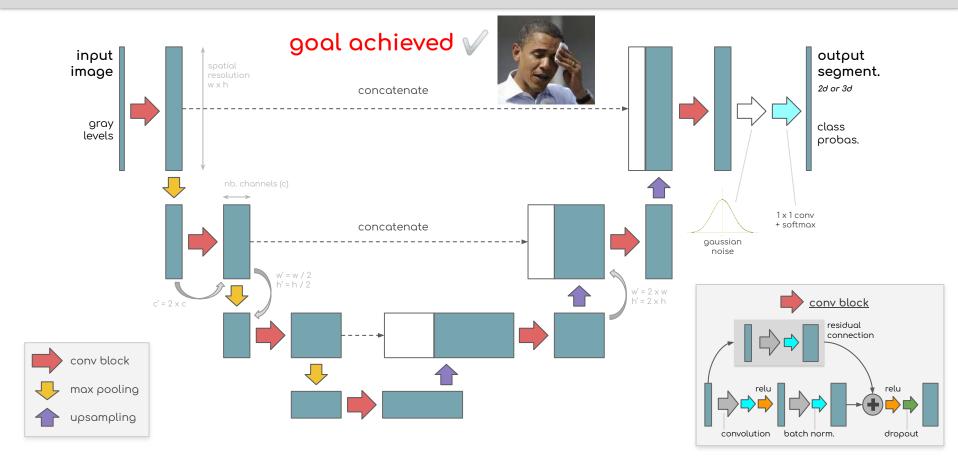


with another

convolution (:



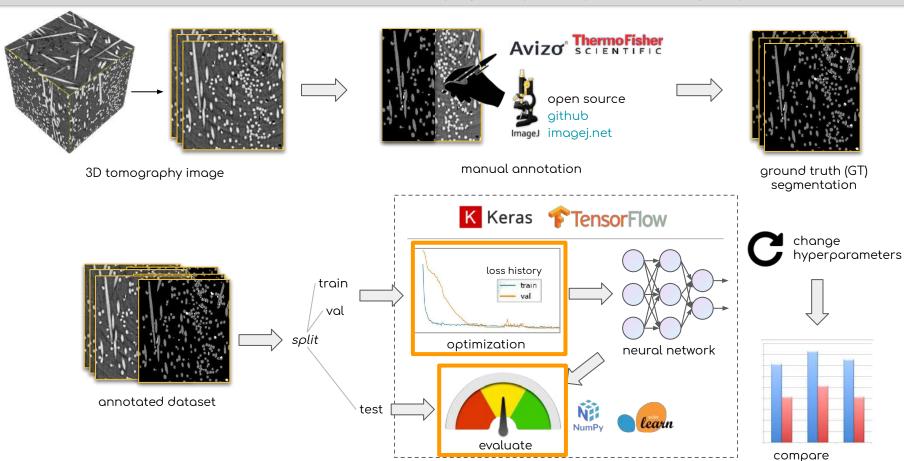
# (improved) u-net





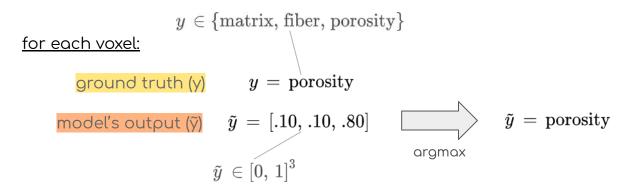


# evaluation & optimization

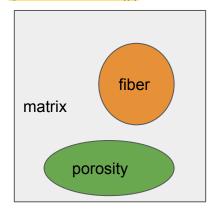




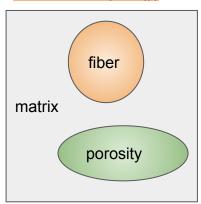




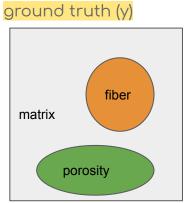
### ground truth (y)

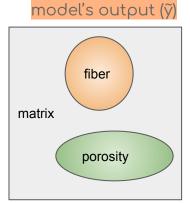


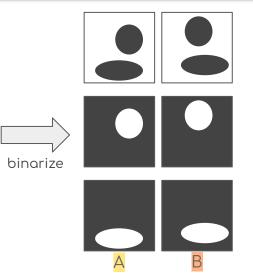
### model's output (ỹ)















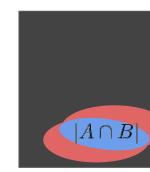


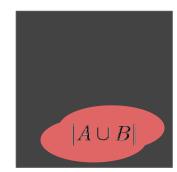
agreement per class

### for each phase (class):

$$J = \frac{|A \cap B|}{|A \cup B|} = \frac{|A \cap B|}{|A| + |B| - |A \cap B|}$$

jaccard index

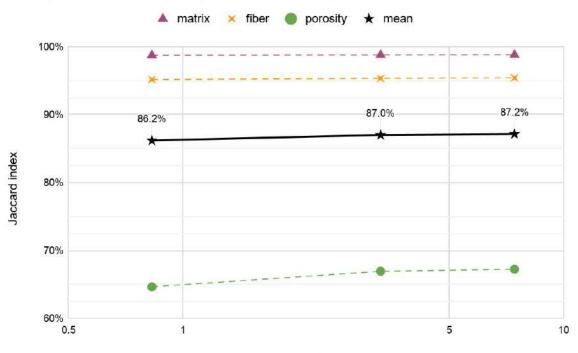






### some results

Model performance per phase (class) with increasing number of filters



Number of parameters (millions) (log)





for each voxel:

one hot encodina ground truth (y) y = porosity

matrix fiber porosity k=3

model's output (ỹ) 
$$ilde{y} = [.10, .10, .80]$$

.10 .10

08.

jaccard<sup>2</sup>: a generalization of jaccard index  $J = \frac{|A \cap B|}{|A| + |B| - |A \cap B|}$ 

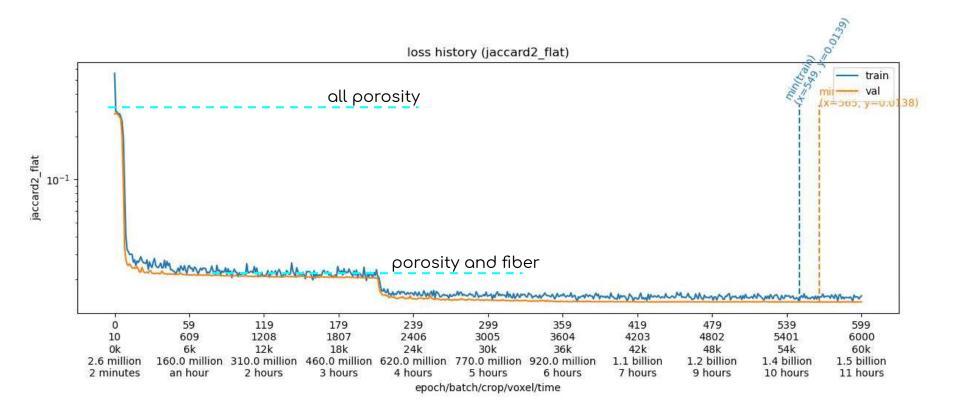
$$I = \sum_{k=1}^{K} y_k \ \tilde{y}_k$$

$$J_2 = \frac{I}{\sum_{k=1}^{K} y_k^2 + \sum_{k=1}^{K} \widetilde{y}_k^2 - I}$$

Shouldn't it be a loss?  $loss = 1 - J_2$ 



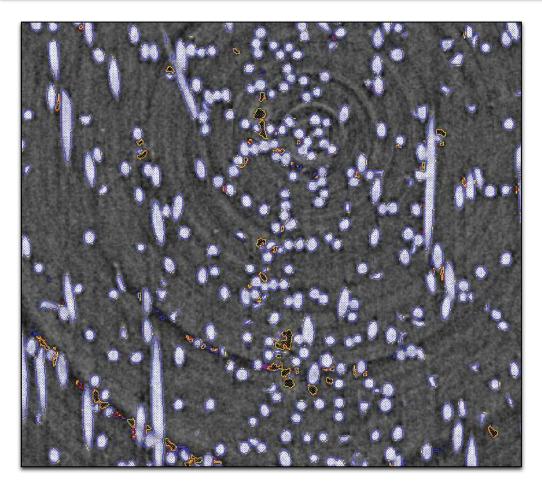
## training

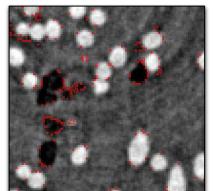


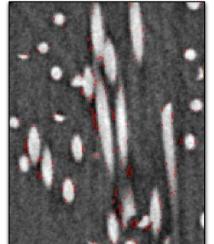




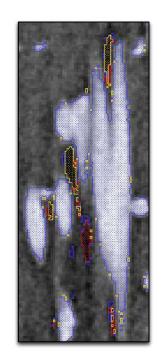
# results



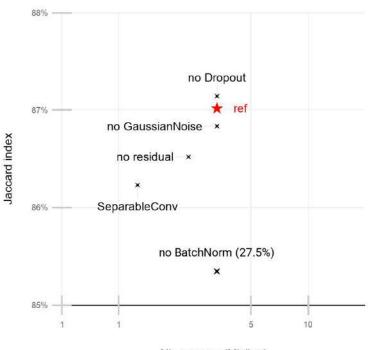


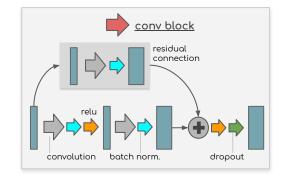


blue: glass fibers yellow: porosities red: errors













# conclusion

## this presentation

#### goals

- put together pieces learned during the week
- showcase an application example

#### focus

 a neural network architecture and its components

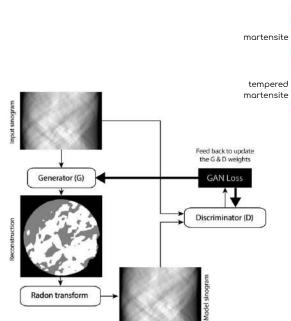
#### context

- the (machine) learning problem
- data provenance



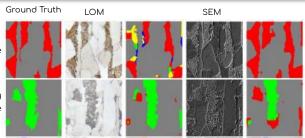


# other (materials science) ∩ (deep learning)



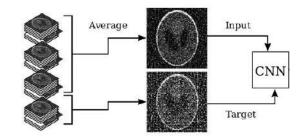
### tomography reconstruction

Yang, X., Kahnt, M., Brueckner, D., Schropp, A., Fam, Y., Becher, J., Grunwaldt, J., Sheppard, T.L., Schroer, C., 2020. Tomographic reconstruction with a generative adversarial network. Journal of synchrotron radiation.



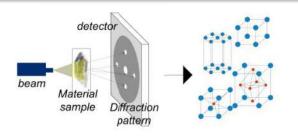
#### steel microstructural segm.

Azimi, S.M., Britz, D., Engstler, M., Fritz, M., Mücklich, F., 2018. Advanced Steel Microstructural Classification by Deep Learning Methods.



### tomography denoising

Hendriksen, A.A., Pelt, D.M., Batenburg, K.J., 2020. Noise2Inverse: Self-supervised deep convolutional denoising for tomography. IEEE Trans. Comput. Imaging 6, 1320–1335.



#### Diffraction experiments

Classification result

### diffraction pattern classif.

Tiong, L.C.O., Kim, J., Han, S.S., Kim, D., 2020. Identification of Crystal Symmetry from Noisy Diffraction Patterns by A Shape Analysis and Deep Learning.



K-medoids clustering after augmentation on Grassmann distances matrix and the representation of the medoids in the same order as on the clustering

### pore morphology clustering

Launay, H.





João P C Bertoldo

CNN for semantic segmentation

# thank you for your attention!

Computer vision and machine learning for the material scientist (CVML) 28/02/2021

João P C Bertoldo

<u>joao.bertoldo@mines-paristech.fr</u> <u>joaopcbertoldo@amail.com</u>

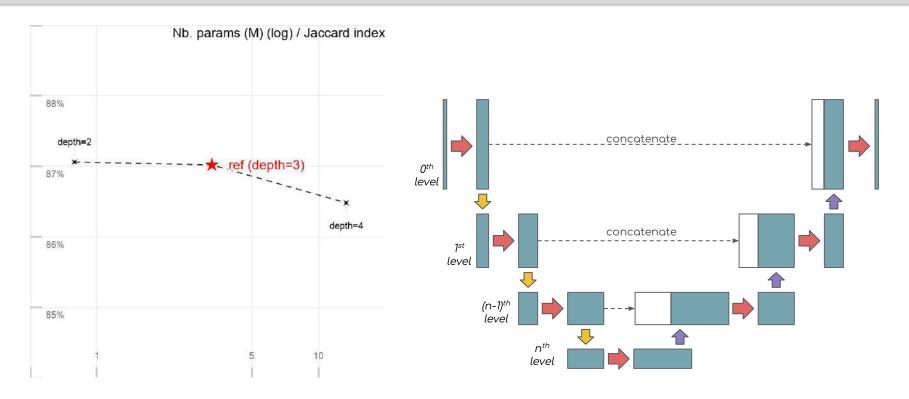






# extras

# depth



link to the chart





# mirror padding

3	5	1
3	6	1
4	7	9

1 6	6	3	6	1	6	3
1	5	3	5	1	5	3
1	6	3	6	1	6	3
9	7	4	7	9	7	4
1	6	3	6	1	6	3

No padding

(1, 2) reflection padding

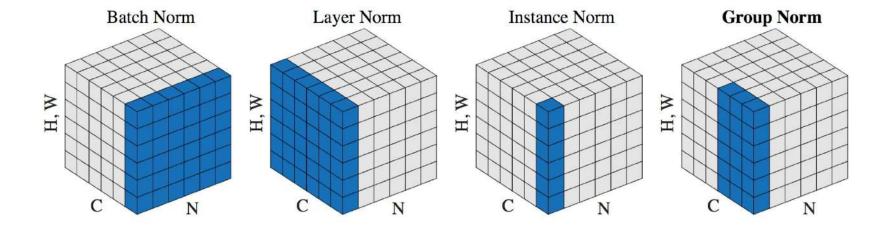
Credits: Christian Versloot.

Source: <u>Using Constant Padding</u>, <u>Reflection Padding and Replication Padding with TensorFlow and Keras</u>





## other feature normalizations

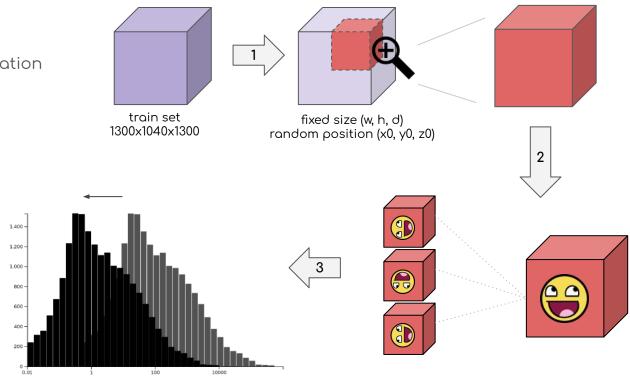






# data augmentation

- 1. random 3D crop
- 2. geometric transformation
- 3. value shift



value shift add a constant to every voxel in the crop

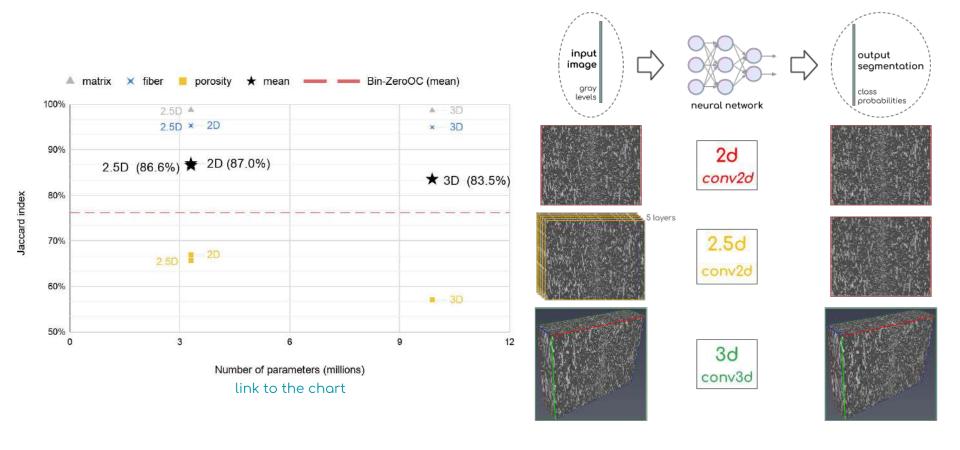
random transformation (rotate 90°, flip, transpose, combinations...)

8 possibilities in 2d 50 possibilities in 3d



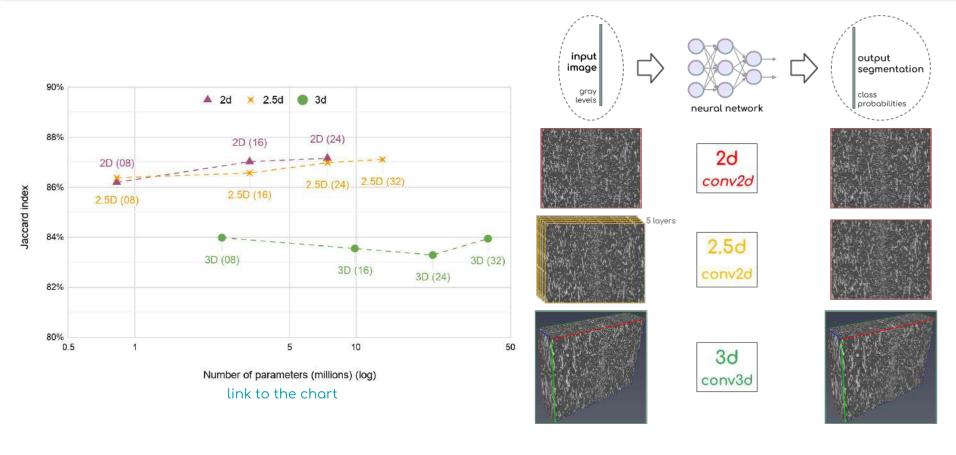


### 2d vs. 2.5d vs. 3d





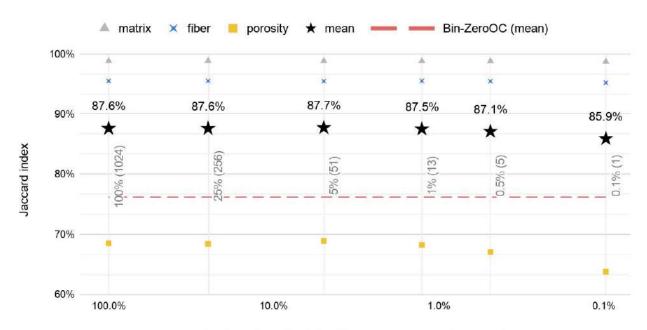








#### link to the chart



Training set fraction (nb. of layers) - decreasing in log scale

"In many biomedical applications, only very few images are required to train a network that generalizes reasonably well."

Çiçek, Ö., Abdulkadir, A., Lienkamp, S., Brox, T., Ronneberger, O., 2016. 3D U-Net: Learning Dense Volumetric Segmentation from Sparse Annotation.



### dropout breaks co-adaptations

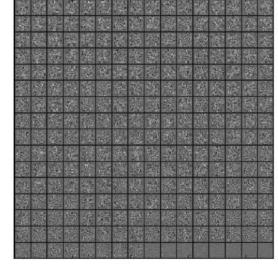
"In a standard neural network, the derivative received by each parameter tells it how it should change so the final loss function is reduced, given what all other units are doing.

Therefore, units may change in a way that they fix up the mistakes of the other units.

This may lead to complex co-adaptations. This in turn leads to overfitting because these co-adaptations do not generalize to unseen data. We hypothesize that for each hidden unit, dropout prevents co-adaptation by making the presence of other hidden units unreliable.

Therefore, a hidden unit cannot rely on other specific units to correct its mistakes. It must perform well in a wide variety of different contexts provided by the other hidden units.

This shows that dropout does break up co-adaptations, which is probably the main reason why it leads to lower generalization errors."





(a) Without dropout

Figure 7: Features learned on MNIST with one hidden layer autoencoders having 256 rectified linear units.

Srivastava, N., Hinton, G., Krizhevsky, A., Sutskever, I., Salakhutdinov, R., 2014. Dropout: A Simple Way to Prevent Neural Networks from Overfitting, Journal of Machine Learning Research 15, 1929-1958.

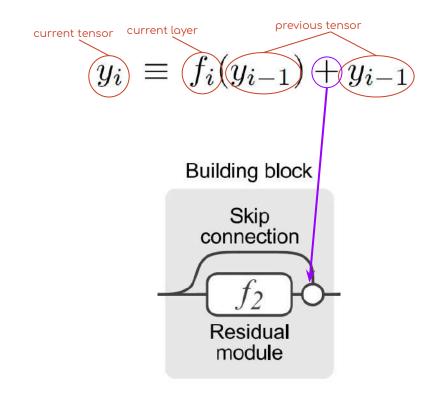




### residual networks behave like ensembles

In this work we propose a novel interpretation of residual networks showing that they can be seen as a collection of many paths of differing length. Moreover, residual networks seem to enable very deep networks by leveraging only the short paths during training. To support this observation, we rewrite residual networks as an explicit collection of paths. Unlike traditional models, paths through residual networks vary in length. Further, a lesion study reveals that these paths show ensemble-like behavior in the sense that they do not strongly depend on each other. Finally, and most surprising, most paths are shorter than one might expect, and only the short paths are needed during training, as longer paths do not contribute any gradient. For example, most of the gradient in a residual network with 110 layers comes from paths that are only 10-34 layers deep. Our results reveal one of the key characteristics that seem to enable the training of very deep networks: Residual networks avoid the vanishing gradient problem by introducing short paths which can carry gradient throughout the extent of very deep networks.

Veit, A., Wilber, M., Belongie, S., 2016. Residual networks behave like ensembles of relatively shallow networks, in: Proceedings of the 30th International Conference on Neural Information Processing Systems, NIPS'16. Curran Associates Inc., Red Hook, NY, USA, pp. 550-558.





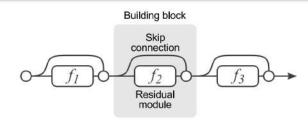


### residual networks behave like ensembles

In this work we propose a novel interpretation of residual networks showing that they can be seen as a collection of many paths of differing length. Moreover, residual networks seem to enable very deep networks by leveraging only the short paths during training. To support this observation, we rewrite residual networks as an explicit collection of paths. Unlike traditional models, paths through residual networks vary in length. Further, a lesion study reveals that these paths show ensemble-like behavior in the sense that they do not strongly depend on each other. Finally, and most surprising, most paths are shorter than one might expect, and only the short paths are needed during training, as longer paths do not contribute any gradient. For example, most of the gradient in a residual network with 110 layers comes from paths that are only 10-34 layers deep. Our results reveal one of the key characteristics that seem to enable the training of very deep networks: Residual networks avoid the vanishing gradient problem by introducing short paths which can carry gradient throughout the extent of very deep networks.

Veit, A., Wilber, M., Belongie, S., 2016. Residual networks behave like ensembles of relatively shallow networks, in: Proceedings of the 30th International Conference on Neural Information Processing Systems, NIPS'16. Curran Associates Inc., Red Hook, NY, USA, pp. 550-558.

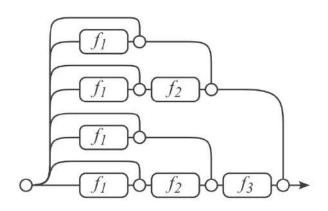
João P C Bertoldo



$$y_3 = y_2 + f_3(y_2)$$

$$= [y_1 + f_2(y_1)] + f_3(y_1 + f_2(y_1))$$

$$= [y_0 + f_1(y_0) + f_2(y_0 + f_1(y_0))] + f_3(y_0 + f_1(y_0) + f_2(y_0 + f_1(y_0)))$$



(b) Unraveled view of (a)



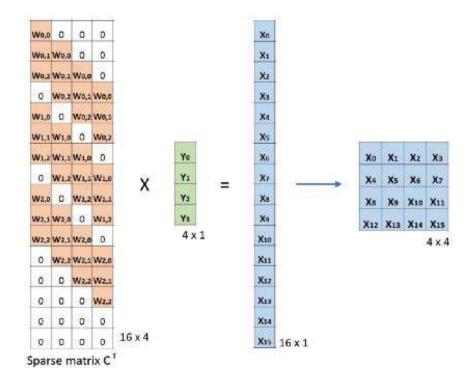


## transposed conv2d

Figures ref: <u>A Comprehensive Introduction to Different Types of Convolutions in Deep Learning, Kunlun Bai</u> Tnx, Kunlun!

### conv 2d Kernel Output West West West X4 X5 X6 X7 W1,0 W1,1 W1,2 X8 X9 X10 X11 W2.0 W2.1 W2.2 2×2 X12 X13 X14 X15 3 x 3 Unrolling the convolution operation to matrix multiplication Was Was Was 0 Was Was Was 0 Was Was Was 0 0 0 0 0 0 W0,6W0,1W0,2 0 W1,6W1,1W1,2 0 W2,6W2,5W2,2 0 0 0 0 Xé. D 0 W0,0W0,1W0,2 D W1,0W1,1W1,2 D W2,0W2,1W2,2 D D D 0 0 0 Was Waz Waz 0 Was W1,1 W1,2 0 W2,0 W2,1 W2,2 0 0 4×1 4 x 16 Sparse matrix C X15 16 x 1

### transposed conv 2d







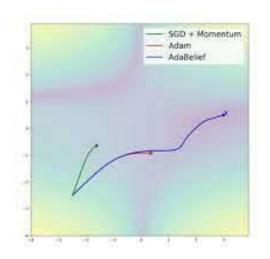
### adabelief

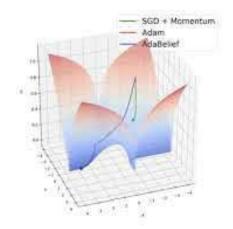
#### link to the video

### credits: Juntang Zhuang

"The intuition for AdaBelief is to adapt the stepsize according to the "belief" in the current gradient direction."

J. Zhuang et al., "AdaBelief Optimizer: Adapting Stepsizes by the Belief in Observed Gradients," arXiv:2010.07468 [cs, stat], Oct. 2020, Accessed: Oct. 27, 2020. [Online]. Available: http://arxiv.org/abs/2010.07468.



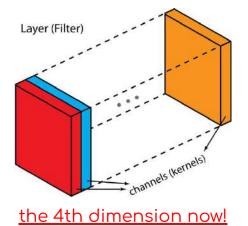


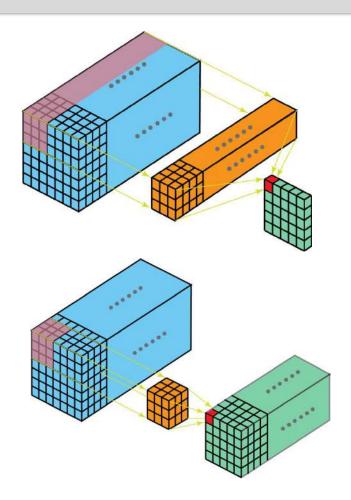




## conv3d

Figures ref: <u>A Comprehensive Introduction to Different Types of Convolutions in Deep Learning</u>, <u>Kunlun Bai</u> *Tnx, Kunlun!* 

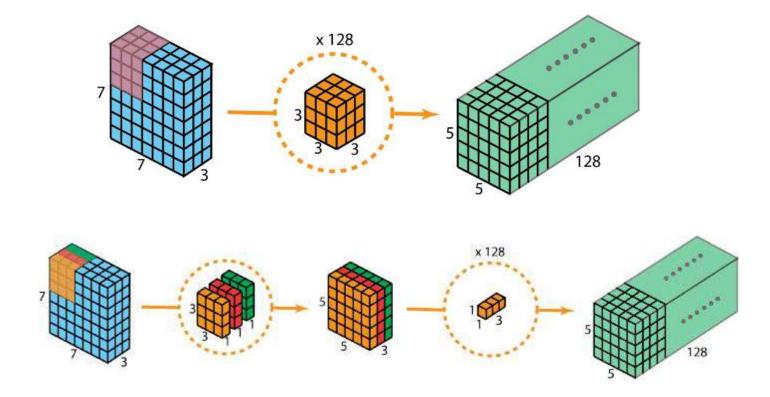






# separable conv2d

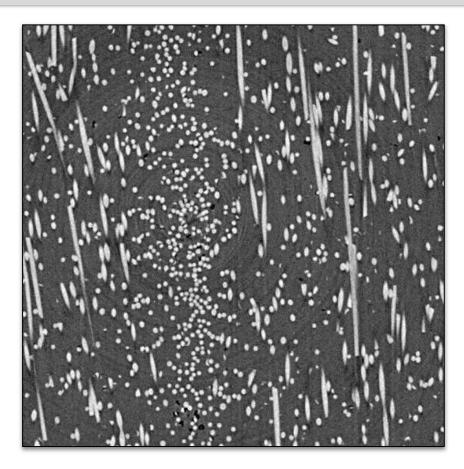
Figures ref: <u>A Comprehensive Introduction to Different Types of Convolutions in Deep Learning</u>, <u>Kunlun Bai</u> *Tnx, Kunlun!* 







### material



PA66GF30 PolyAmide 66 reinforced with glass fibers (zoom)

link to the video

A few things to notice:

- ring artifacts
- fibers in different directions
- blurred fiber-matrix interfaces
- porosities close to fibers



