

Code

L2.1:

```
%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%% L2.1 %%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%
w = linspace(-2*pi, 2*pi); % range for omega
% the equation for frequency response
H = (1/(0 + 5 + 1)) .* exp(-1j .* w .* (5 - 0) / 2) .* (sin(w .* (0 + 5 + 1) /
2) ./ sin(w / 2));
% for magnitude and the phase
magH = abs(H);
phaseH = angle(H);
% plot
figure;
subplot(2,1,1);
plot(w, magH);
title('Magnitude');
xlabel('w');
ylabel('Function');
subplot(2,1,2);
plot(w, phaseH);
title('Phase');
xlabel('w');
ylabel('angle of funtion');
```

L2.2:

```
%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%% L2.2 Part 1 %%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%
points = [1, 3, 7, 15, 50, 70]; % from textbook
w_c = pi / 25;
omega = linspace(-2, 2); %range
% make a plot for each value of N
figure;
for idx = 1:length(points)
    N = points(idx);
    % equation for gibbs phenomenon
    gibbs = zeros(1, length(omega));
    for n = -N:N
        if n == 0 % handle when n is 0, not plotting
            gibbs = gibbs + (w_c / pi) * exp(-1j * omega * n);
        else
            gibbs = gibbs + (sin(w_c * n) ./ (pi * n)) .* exp(-1j * omega * n);
        end
    end
end
```

```

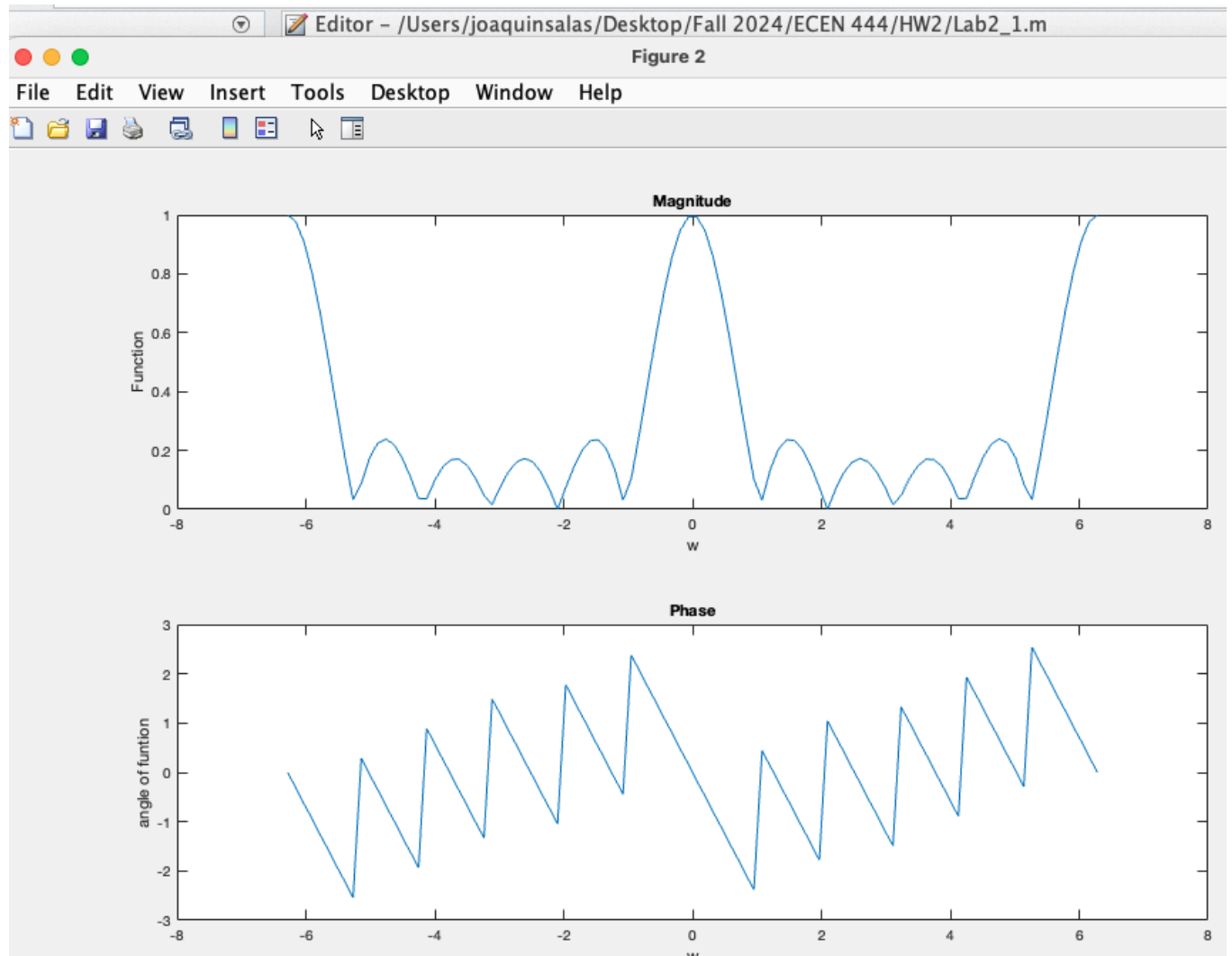
    % subplots
    subplot(3, 2, idx);
    plot(omega, abs(gibbs));
    title(['N = ', num2str(N)]);
    xlabel('w');
    ylabel('Fourier Transform');
end

%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%% L2.2 Part 2 %%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%%
points = [1, 3, 7, 15, 50, 70]; % from textbook
w_c = pi / 15; % w_c1 = pi/25
omega = linspace(-2, 2); %range
% make a plot for each value of N
figure;
for idx = 1:length(points)
    N = points(idx);
    % equation for gibbs phenomenon
    gibbs = zeros(1, length(omega));
    for n = -N:N
        if n == 0 % handle when n is 0, not plotting
            gibbs = gibbs + (w_c / pi) * exp(-1j * omega * n);
        else
            gibbs = gibbs + (sin(w_c * n) ./ (pi * n)) .* exp(-1j * omega * n);
        end
    end
    % subplots
    subplot(3, 2, idx);
    plot(omega, abs(gibbs));
    title(['N = ', num2str(N)]);
    xlabel('w');
    ylabel('Fourier Transform');
end

```

Plots:

L1.1 -



L1.2 -

Reference:

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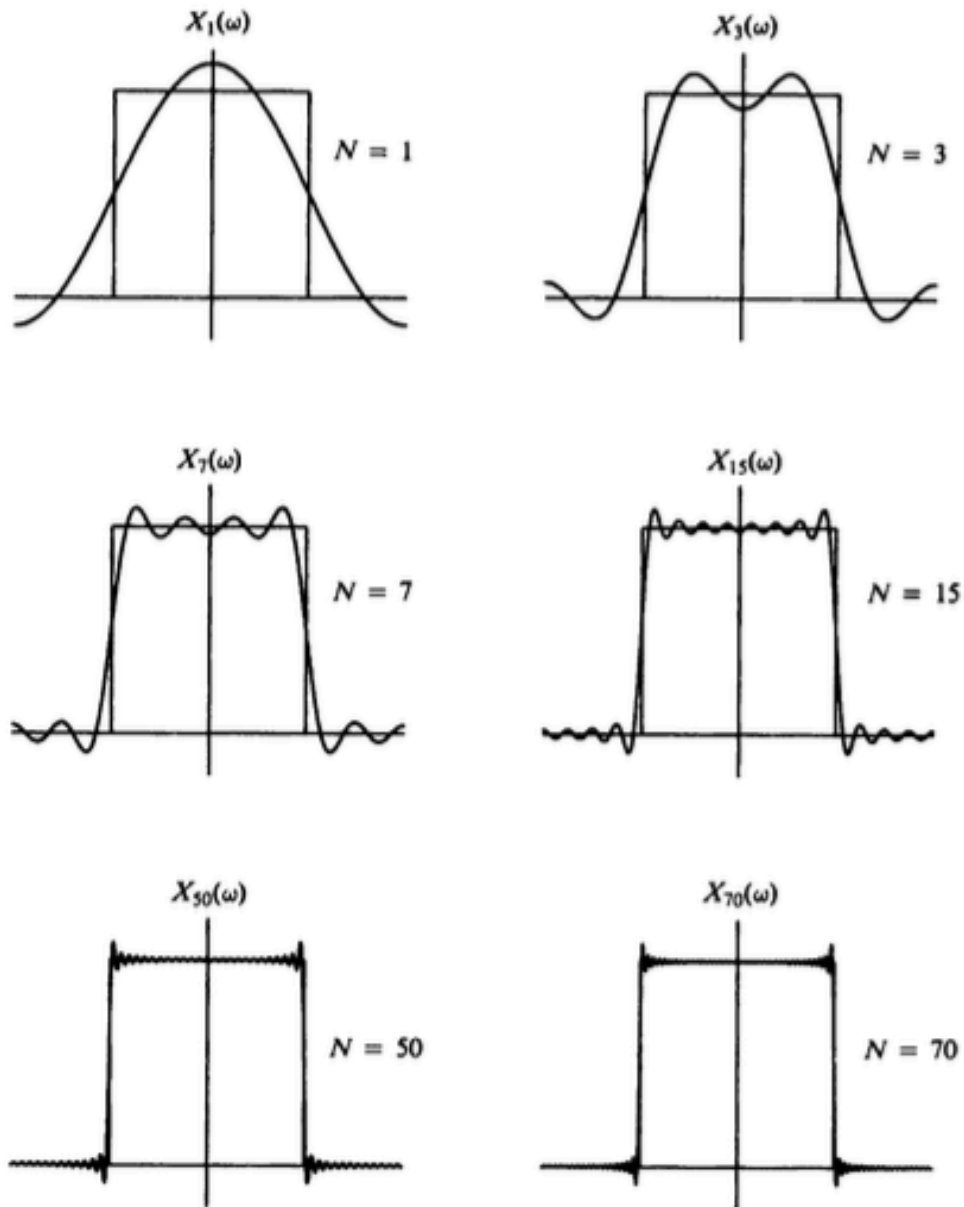


Figure 4.2.5 Illustration of convergence of the Fourier transform and the **Gibbs** phenomenon at the point of discontinuity.

First is for $\omega_c = \pi/25$ and second is $\omega_c = \pi/15$

