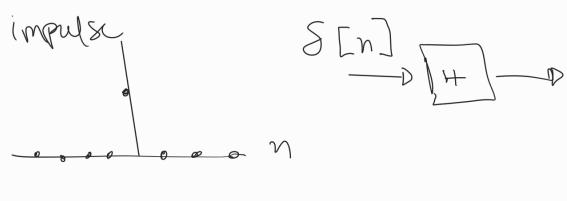
Charackerizing linear, time-invariants

Systems using canonical inputs
J) write avaitrary input, as a weighted sum

of time-shitted cannonical input

2) output is a weighted sum of time
shifted canonical outputs



in pulse response

$$\frac{\partial L[n]}{\partial L[n]} = \sum_{k=-\infty}^{\infty} A[k] \times [n-k] = 0$$

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h[n] * x[n]

2 perator notation