

Lab4: Subroutine & Macro

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複習PIC18 memory organization

Program Memory & Data Memory

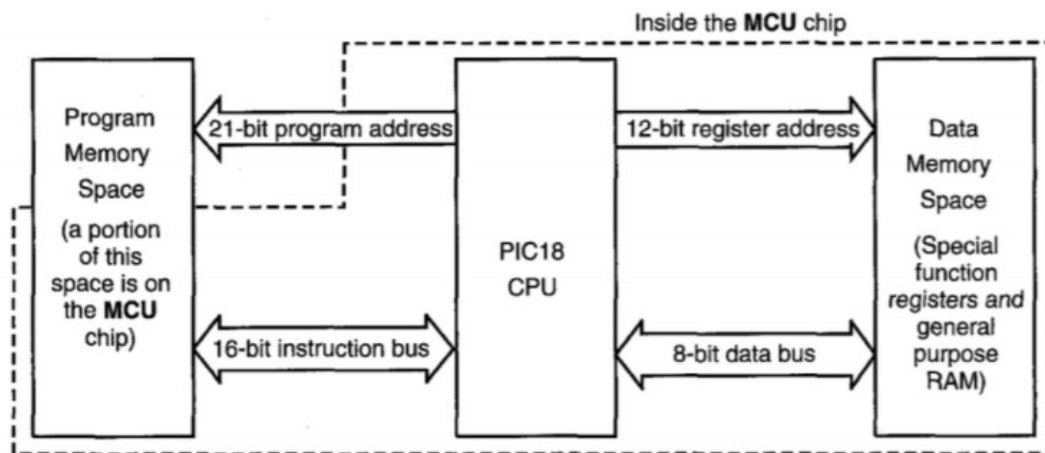


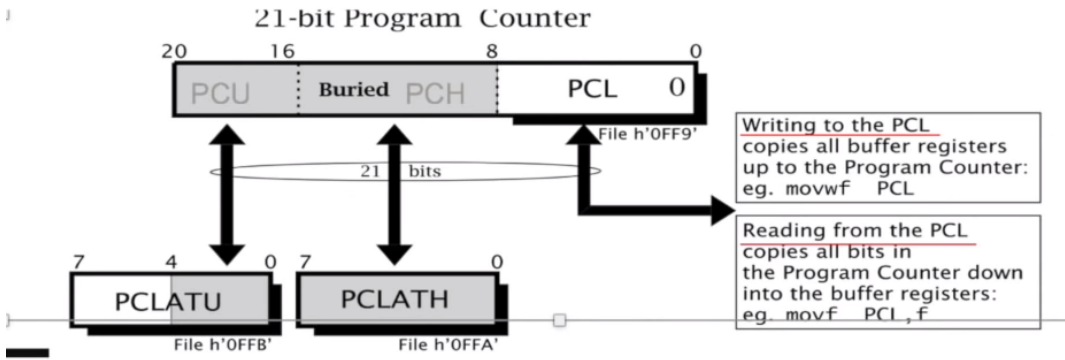
Figure 1.3 ■ The PIC18 memory spaces

放資料的抽屜分成兩類

- 一種是用來存放Data的 (例：File register、SFR等等)
- 一種是用來放Program的 (例：你撰寫的程式碼)
- **Program Memory**
 - 每個抽屜號碼 (**Program Address**)為**21-bit** (最多可以有 2^{21} 個抽屜)
 - 每個抽屜只能放**8-bit**的資料，但**PIC18**的每個指令會用掉**16bit**的大小
 - 因此執行一個指令會用掉**2**個抽屜
- **Data Memory**
 - 抽屜號碼(Data Address)為12-bit 也就是說共有 2^{12} (4096)個抽屜
 - 裡面可以放8-bit大小的資料

介紹PCL、STKPTR、TOS

21-bit program counter



- 是用來**存放**下一個要執行之指令的**位置**
- 由三個reg組合而成: PCU、PCH、PCL
 - 我們只能**直接**更改PCL的值
 - PCU和PCH需透過latch來做更改
 - PCU透過PCLATU來更改
 - PCH透過PCLATH來更改
- 可以利用改PCL的值來去指定的地方或拿來寫loop,不一定要用goto
- label那行不算進去

為甚麼裡面的值都是二的倍數?

- 因為一個指令大小就是16bit
而PIC18的資料基本單位是8bit
所以放一個指令需要兩個register~
(不懂的話可看上面的複習資料)

Stack(STKPTR、TOS)

- STKPTR: 存stack目前有幾個東西
- TOS: rcall時會儲存下一道指令的位置，Return時會跳過去執行。

Subroutine

很像是呼叫function

怎麼寫

1. 寫好你要的label
2. 使用rcall label，開始執行subroutine
3. 結束時使用Return，會返回到當時rcall的下一行指令，繼續執行

Macro

定義新的指令,可以給定參數

```
macro_name macro p1,p2,p3,p4
;your macro code
endm
```

Macro vs subroutine

macro	subroutine
可直接傳參數	需在呼叫前 把參數的值 file
碰到macro,compiler會直接複製那段code上去	重複使用那
適合較短的code	適合較長但 才不會佔空

Multiply

unsigned

把值都當成正的,不會有負的

MULWF	Multiply W with f				
Syntax:	MULWF f {,a}				
Operands:	$0 \leq f \leq 255$ $a \in [0,1]$				
Operation:	$(W) \times (f) \rightarrow \text{PRODH}:\text{PRODL}$				
Status Affected:	None				
Encoding:	<table border="1"><tr><td>0000</td><td>001a</td><td>ffff</td><td>ffff</td></tr></table>	0000	001a	ffff	ffff
0000	001a	ffff	ffff		
Description:	<p>An unsigned multiplication is carried out between the contents of W and the register file location 'f'. The 16-bit result is stored in the PRODH:PRODL register pair. PRODH contains the high byte. Both W and 'f' are unchanged.</p> <p>None of the Status flags are affected. Note that neither Overflow nor Carry is possible in this operation. A zero result is possible but not detected.</p> <p>If 'a' is '0', the Access Bank is selected. If 'a' is '1', the BSR is used to select the GPR bank (default).</p> <p>If 'a' is '0' and the extended instruction set is enabled, this instruction operates in Indexed Literal Offset Addressing mode whenever</p>				

signed

重點: 檢查MSB，並且做出負號的調整

Signed 8-bit Multiplication

- The multiplication of signed numbers requires the programmer to consider the signs of the multiplier and the multiplicand. Let M and N represent the magnitudes of two numbers. There are four possible situations:
- Case 1: Both operands are positive (**op1** = M , **op2** = N). The product of these two operands can be computed by using either the **mulwf f, A** or the **mullw k** instruction.

- Case 2: The first operand is negative (**op1** = $-M$) whereas the second operand is positive (**op2** = N). The first operand **op1** will be represented in two's complement of M ($2^8 - M$) in the PIC18. The product of $-M$ and N :

$$-M \times N = (2^8 - M) \times N = (2^8 \times N) - M \times N = \underbrace{2^{16} - M \times N}_{\textcircled{1}} + \underbrace{2^8 \times N}_{\textcircled{2}}$$

- The value 2^{16} is added to this expression. Since in this case the PIC18 is performing a modulo- 2^{16} arithmetic (PIC18 uses PRODH and PRODL to hold the product), adding the value of 2^{16} makes no difference to the result

$$-M \times N$$

- Case 3: The first operand is positive (**op1** = M), but the second operand is negative (**op2** = $-N$). Similar to Case 2, the product of M and $-N$:

$$M \times (-N) = M \times (2^8 - N) = (2^8 \times M) - M \times N = \underbrace{2^{16} - M \times N}_{\textcircled{1}} + \underbrace{2^8 \times M}_{\textcircled{2}}$$

- The first term is the correct product, which is represented as the two's complement of $-M \times N$. The second term of this product is an extra term and can be eliminated by subtracting **op1** from the upper byte of the product of M and $-N$.

- Case 4: Both operands are negative (**op1** = $-M$, **op2** = $-N$). The product of $-M$ and $-N$:

$$\begin{aligned}
 (-M) \times (-N) &= (2^8 - M) \times (2^8 - N) = 2^{16} - 2^8 \times M - 2^8 \times N + M \times N \\
 &= M \times N + 2^{16} - 2^8 \times M + 2^{16} - 2^8 \times N \\
 &= \underbrace{M \times N}_{\textcircled{1}} + \underbrace{2^8 \times (2^8 - M)}_{\textcircled{2}} + \underbrace{2^8 \times (2^8 - N)}_{\textcircled{3}}
 \end{aligned}$$

- The first term is the product of $-M$ and $-N$. The second term and the third term are extra terms and must be eliminated. The second term can be eliminated by subtracting **op1** from the upper byte of the product, whereas the third term can be eliminated by subtracting **op2** from the upper byte of the product.

實際步驟

- The signed 8-bit multiplication can be implemented by the algorithm

Step 1

Multiply two operands (i.e., compute **op1** \times **op2**) disregarding their signs.

Step 2

If **op1** is negative, then subtract **op2** from the upper byte of the product.

Step 3

If **op2** is negative, then subtract **op1** from the upper byte of the product.

