

Let's play a game on an array! You're standing at index  $0$  of an  $n$ -element array named *game*. From some index  $i$  (where  $0 \leq i < n$ ), you can perform one of the following moves:

- *Move Backward*: If cell  $i - 1$  exists *and* contains a  $0$ , you can walk back to cell  $i - 1$ .
- *Move Forward*:
  - If cell  $i + 1$  contains a zero, you can walk to cell  $i + 1$ .
  - If cell  $i + \textit{leap}$  contains a zero, you can jump to cell  $i + \textit{leap}$ .
  - If you're standing in cell  $n - 1$  or the value of  $i + \textit{leap} \geq n$ , you can walk or jump off the end of the array and win the game.

In other words, you can move from index  $i$  to index  $i + 1$ ,  $i - 1$ , or  $i + \textit{leap}$  as long as the destination index is a cell containing a  $0$ . If the destination index is greater than  $n - 1$ , you win the game.

Given *leap* and *game*, complete the function in the editor below so that it returns *true* if you can win the game (or *false* if you cannot).

### Input Format

The first line contains an integer,  $q$ , denoting the number of queries (i.e., function calls).

The  $2 \cdot q$  subsequent lines describe each query over two lines:

1. The first line contains two space-separated integers describing the respective values of  $n$  and *leap*.
2. The second line contains  $n$  space-separated binary integers (i.e., zeroes and ones) describing the respective values of  $\textit{game}_0, \textit{game}_1, \dots, \textit{game}_{n-1}$ .

### Constraints

- $1 \leq q \leq 5000$
- $2 \leq n \leq 100$
- $0 \leq \textit{leap} \leq 100$
- It is guaranteed that the value of  $\textit{game}[0]$  is always  $0$ .

### Output Format

Return *true* if you can win the game; otherwise, return *false*.

### Sample Input

```
4
5 3
0 0 0 0 0
6 5
0 0 0 1 1 1
6 3
0 0 1 1 1 0
3 1
0 1 0
```

### Sample Output

```
YES
YES
NO
NO
```

### Explanation

We perform the following  $q = 4$  queries:

1. For  $game = [0, 0, 0, 0, 0]$  and  $leap = 3$ , we can walk and/or jump to the end of the array because every cell contains a 0. Because we can win, we return *true*.
2. For  $game = [0, 0, 0, 1, 1, 1]$  and  $leap = 5$ , we can walk to index 1 and then jump  $i + leap = 1 + 5 = 6$  units to the end of the array. Because we can win, we return *true*.
3. For  $game = [0, 0, 1, 1, 1, 0]$  and  $leap = 3$ , there is no way for us to get past the three consecutive ones. Because we cannot win, we return *false*.
4. For  $game = [0, 1, 0]$  and  $leap = 1$ , there is no way for us to get past the one at index 1. Because we cannot win, we return *false*.

Medium

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