

Three philosophers consider the nature of existence:

To be is to do

— Socrates

To do is to be

— Sartre

Do be do be do

— Sinatra

Introducing...

FRANK

a new (eventually)
programming language
from

Atta Systems Northern Ireland

Doing and Being:

an unfunny pun

In Haskell, `[Int]` is both

- a type of pure lists
- a type of nondeterministic numbers

$$[1,2] \oplus [3,4] = [1,2,3,4]$$

$$\llbracket (\oplus) [1,2] [3,4] \rrbracket$$

$$\begin{aligned} &= \text{do } x \leftarrow [1,2] \\ &\quad y \leftarrow [3,4] \\ &\quad \text{return } (x \oplus y) \end{aligned}$$

$$= [4,5,5,6]$$

Types for Doing and Being (thanks Paul)

$V ::= D V^*$

datatype

$| \{C\}$

suspended computation

$| \Sigma \langle \Sigma^* \rangle V$

request

$C ::= V \rightarrow C$

function

$| [\Sigma^*] V$

value, given capabilities

Frank - syntax

$$\begin{aligned} E ::= & X \\ & | \text{Com}(E, \dots, E) \\ & | \{ (P, \dots, P) \mapsto E \\ & \quad | \dots \} \\ & | E(E, \dots, E) \\ & | E ? E \end{aligned}$$
$$\begin{aligned} P ::= & X \\ & | \text{Com}(P, \dots, P) \\ & | \text{Msg}(P, \dots, P | X) \end{aligned}$$

Frank - typing (I)

- $\Gamma ::= (X:V)^*$ variables have values
- judgment carries context and capability

$$\boxed{\Gamma[\Sigma^*] \vdash E:V}$$

$$\frac{}{\Gamma[\Sigma_S] \vdash x:V} \quad x:V \in \Gamma$$

$$\frac{\Gamma[\Sigma_S] \vdash e_i:V_i \mid \vec{\alpha}::\vec{T}}{\Gamma[\Sigma_S] \vdash \text{Con}(e_1, \dots, e_n):D \vec{T}} \quad \text{Con}(V_1, \dots, V_n):D \vec{\alpha}$$

$$\Gamma[\Sigma_S] \vdash e:\{V_1 \rightarrow \dots \rightarrow V_n \rightarrow [\Sigma_{S'}]V\}$$

$$\Gamma[\Sigma_S] \vdash e_i:V_i$$

$$\Gamma[\Sigma_S] \vdash e(e_1, \dots, e_n):V$$

$$\Sigma_{S'} \subseteq \Sigma_S$$

Frank - typing (II)

- pattern typing is the obvious linear thing

$$\boxed{\Gamma \vdash P : V}$$

$$\frac{}{x : V \vdash x : V} \quad \frac{\Gamma_i \vdash p_i : V_i \mid \vec{a} : \vec{T} \quad \text{Con}(V_1, \dots, V_n) : D \vec{T}}{\Gamma_1, \dots, \Gamma_n \vdash \text{Con}(p_1, \dots, p_n) : D \vec{T}}$$

- functions delay effects

$$\Gamma_{ij} \vdash p_{ij} : V_j$$

$$\Gamma; \Gamma_{i1}, \dots, \Gamma_{in} [\Sigma s'] \vdash e_i : V$$

$$\Gamma[\Sigma] \vdash \{ (\vec{p}_i) \mapsto e_i \} : \{ V_1 \rightarrow \dots \rightarrow [\Sigma s'] V \}$$

no connection

Frank - signatures (interfaces?)

sig S $\vec{\alpha} = \{$
 $M(V, \dots, V) : V \mid$
 $\dots \}$

results in (for all $\vec{\alpha}$)

$M : \{V_1 \rightarrow \dots \rightarrow V_n \rightarrow [S \vec{\alpha}] V\}$

Examples, please!

sig State $\sigma = \{$
 get $() : \sigma \mid$
 put $(\sigma) : 1 \}$

sig Fail = {
 fail $() : 0 \}$

Frank - semantics

- a signature determines a functor (indeed, a container)

$$\hat{\Sigma} X = \sum_{m(V_1, \dots, V_n) : V \in \Sigma} V_1 \times \dots \times V_n \times (V \rightarrow X)$$

so does a bunch of signatures, additively

- we can (sweeping much under carpet) interpret **things** in $[\Sigma_S]V$ as elements of $\hat{\Sigma}_S^* V$, where

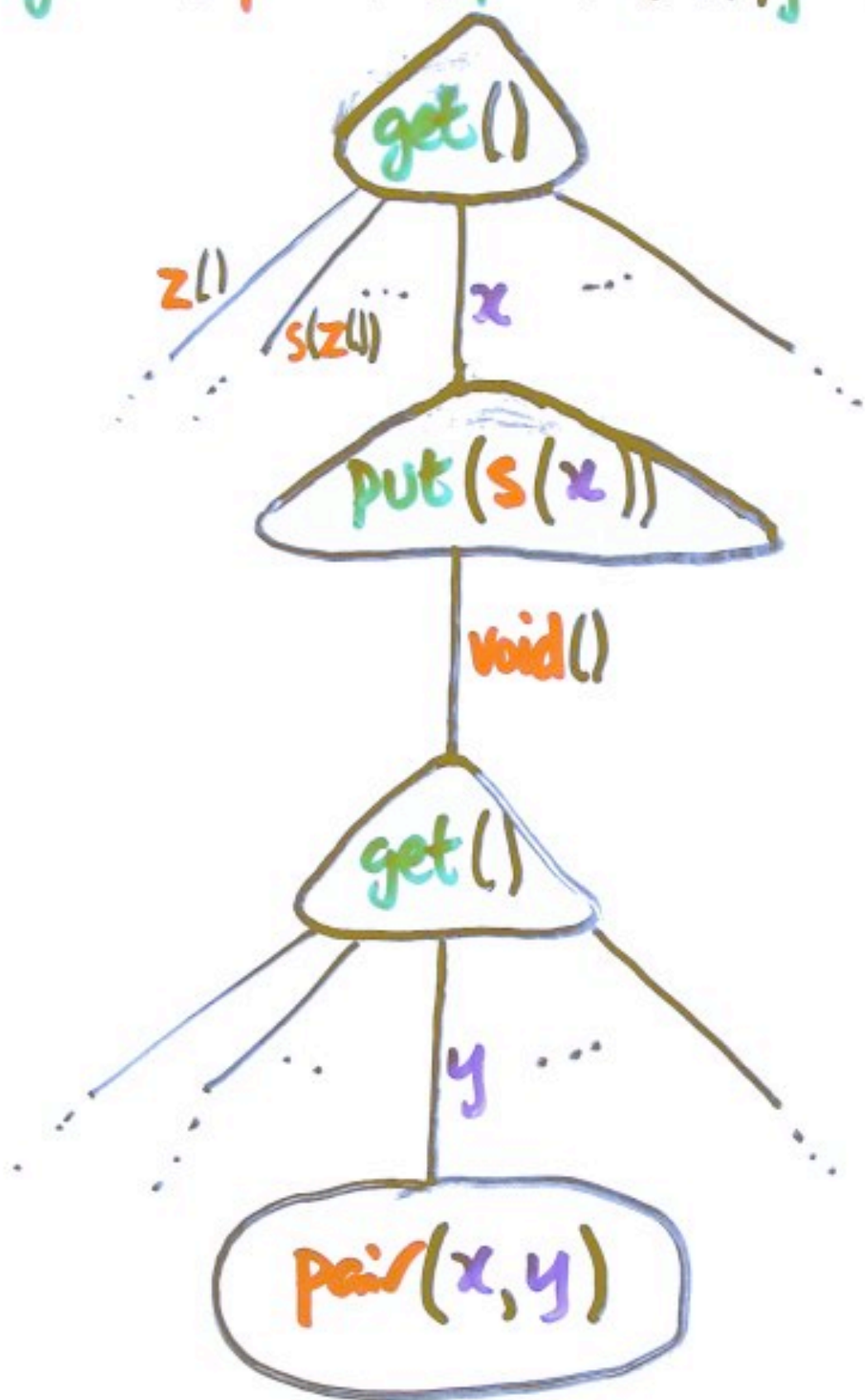
$$F^* V = V + F(F^* V)$$

is the usual **free monad** construction

- the remaining types are interpreted directly

Frank - semantics in a picture

$x \leftarrow \text{get}(); \text{pair}(x, \text{put}(s(x)); \text{get}())$



Is anybody listening?

- types of messages
- message patterns

$$m(V_1, \dots, V_n) : V \in \Sigma$$

$$\Gamma_i \vdash p_i : V_i$$

$$\Gamma_1, \dots, \Gamma_n; r : V \rightarrow [\Sigma; \Sigma_s] U$$
$$\vdash m(p_1, \dots, p_n | r) : \Sigma \langle \Sigma_s \rangle U$$

$$\frac{\Gamma \vdash p : U}{\Gamma \vdash \text{ret}(p) : \Sigma \langle \Sigma_s \rangle U}$$

$$(\text{so } \Sigma \langle \Sigma_s \rangle U = U + \hat{\Sigma}([\Sigma; \Sigma_s] U))$$

- so is anybody listening?

I'm listening

$$\Gamma \vdash L : \{ \Sigma \langle \Sigma_s \rangle U \rightarrow [\Sigma_s] V \}$$

$$\Gamma \vdash e : [\Sigma; \Sigma_s] U$$

$$\Gamma \vdash L ? e : [\Sigma_s] V$$

• you what?

$$\text{state} : \sigma \rightarrow \{ \text{State } \sigma \langle \Sigma_s \rangle U \rightarrow [\Sigma_s] U \}$$

$$\text{state}(s) = \{$$

$$\quad \text{ret}(u) \mapsto u$$

$$\quad | \text{get}(lr) \mapsto \text{state}(s) ? r(s)$$

$$\quad | \text{put}(s' | r) \mapsto \text{state}(s') ? r(\text{void}()) \}$$

$$\text{try} : \{ \text{Fail} \langle \Sigma_s \rangle U \rightarrow [\Sigma_s] \text{Maybe } U \}$$

$$\text{try} = \{$$

$$\quad \text{ret}(u) \mapsto \text{just}(u)$$

$$\quad | \text{fail}(lr) \mapsto \text{nothing} \}$$

So, what should effectful programs look like?

- I'm sure I have too much punctuation.
- Is everything the right colour?
- Type system book-keeps **values** separately from **messages**.
- Polymorphism? Type inference?
- **main** as a listener for events, sending to display, file system, etc
- μ versus ν ?
- static state in signatures?
- high apple pie in the sky hopes?