## \*11.7 Solve the following nonlinear equations using the least squares method. Use initial approximations of x0 = 2.1 and y0 = 0.45.

$$x2 + 3xy - y2 = 7.0 + v1$$
  
 $7x3 - 3y2 = 55.2 + v2$   
 $2x - 6xy + 3y2 = -1.2 + v3$   
%  $x^2 + 3xy - y2 = 7.0$   
%  $7x^3 - 3y2 = 55.2$   
%  $2x - 6xy + 3y2 = -1.2$   
% Approximate values  
 $x0 = 2.1$ ;  $y0 = 0.45$ ;  
% Linearized equations  
%  $dx + (2x0 + 3y0) dy = 7.0 - (3x0 - 2y0)$   
for  $i = 1:1$   
 $J = [2 \times x0 + 3 \times y0 \times 3 \times x0 - 2 \times y0; 21 \times x0^2 - 6 \times y0; 2 - 6 \times y0 - 6 \times x0 + 6 \times y0]$ ;  
 $K = [7.0 - (x0^2 + 3 \times x0 \times y0 - y0^2); 55.2 - (7 \times x0^3 - 3 \times y0^2); -1.2 - (2 \times x0 - 6 \times x0 \times y0 + 3 \times y0^2)]$ ;  
 $X = inv(J \times J) \times J \times K$   
 $x0 = X(1) + x0$ 

\*

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y0=X(2)+y0

end

Iteration 1	. Iteration 2	Iteration 3	Iteration 4	Iteration 5
X =	X =	X =	X =	X =
-0.0957 0.0525	-0.0044 0.0055	1.0e-04 *	1.0e-06 *	1.0e-09 *
		-0.0669	0.0057	0.0171
		0.5046	0.1862	0.6507
x0 =	x0 =			
2.0043	1.9998	x0 =	x0 =	x0 =
		1.9998	1.9998	1.9998
y0 =	y0 =			
0.5025	0.5080	y0 =	y0 =	y0 =
		0.5080	0.5080	0.5080

## 11.12 Using the conditional equations, what are the most probable values for the three angles observed to close the horizon at station Red. The observed values and their standard deviations are:

		Value				
Angle	d	m	s		S('')	
1	114	23	5	114.3847	6.5	0.001806
2	138	17	59	138.2997	3.5	0.000972
3	107	19	3	107.3175	4.9	0.001361
			closure=>	360.0019		

Angle=	L1	+	L2	+	L3		
	114.384722	+	138.2997222	+	107.3175	=	360.0019
losing eror	7						
	C1+C2+C3	=	42.25	12.25	24.01		78.51
C1=	3.77	]==>	0.001046399				
C2=	1.09	]==>	0.000303394				
C3=	2.14	]==>	0.000594652				
			D	M	S		
L1=	114.3836758		114.0	23.000	1.232964		
L2=	138.2994188		138.0	17.000	57.90778		
L3-=	107.3169053		107.0	19.000	0.859254		
Closure	360.0000000		359.0	59.000	60.000		

Seconds become 0, minutes become 0 and degrees become 360.

