

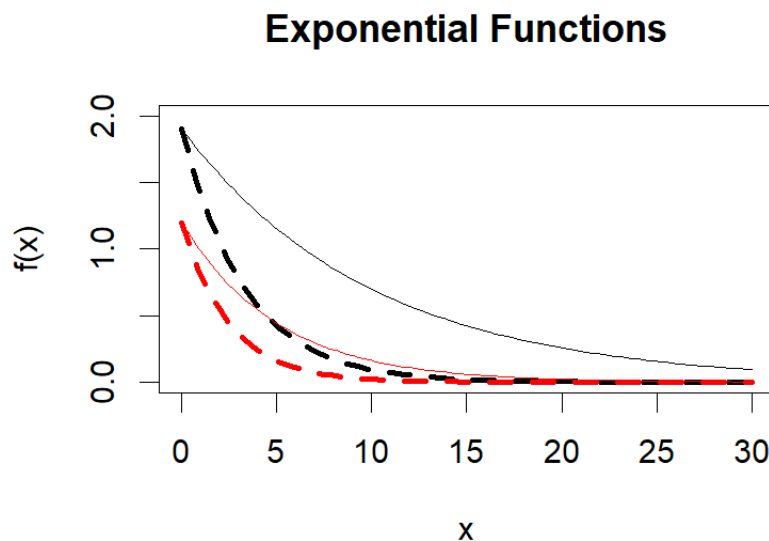
## ECO 634 Lab 5 – Uncertainty, Samples, and Populations

**Exponential Functions Q1-4**

**Q1 (2 pts.):** Show the R code you used to create `exp_fun()`

```
exp_fun = function(x, a, b)
{
  return(a * exp(-b * x))
}
```

**Q2 (4 pts.):** In your lab report, include a single figure containing **four** negative exponential curves with the specified parameter values and line colors/textures.



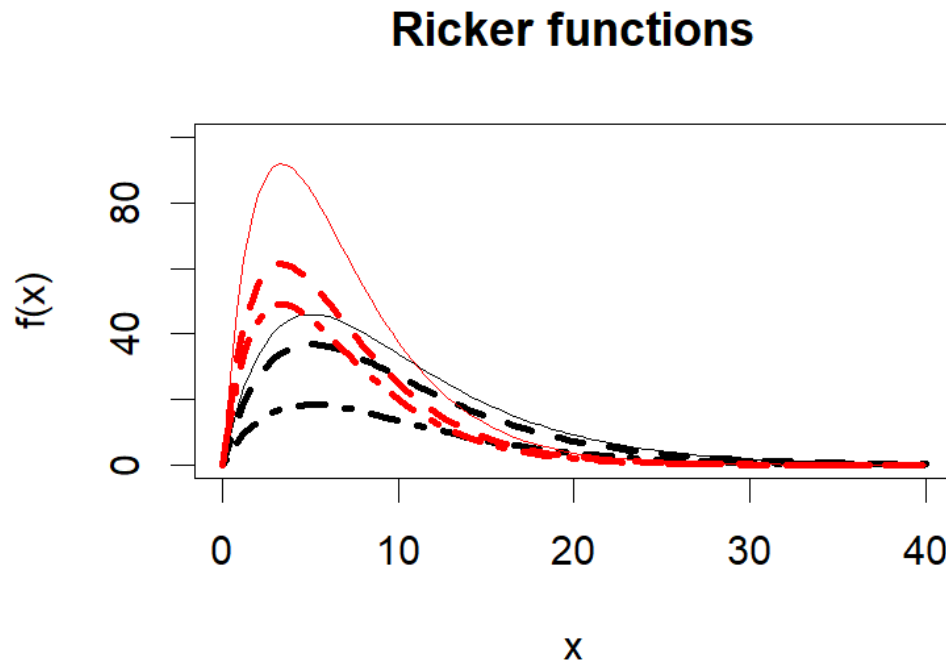
**Q3 (2 pts.):** Observe how the curves vary as you change the two parameters' values. Qualitatively describe what happens to the curve as you vary parameter  $a$

Parameter  $a$  is the initial height of the exponential curve, which is the starting  $y$  value for these curves. When we decrease the value of  $a$ , the curve is shorter because it starts at a lower  $y$  value.

**Q4 (2 pts.):** Observe how the curves vary as you change the two parameters' values. Qualitatively describe what happens to the curve as you vary parameter  $b$

The value of parameter  $b$  is the rate of decay of the curve, which is the steepness of the curve. A higher value of  $b$  means a steeper slope because it is a faster rate of decay, meaning it approaches 0 in a shorter period of time.

**Q5 (6 pts.):** In your lab report, include a single plot containing 6 Ricker curves with the specified parameter values.



**Q6 (2 pts.):** Observe how the curves vary as you change the two parameters' values. Qualitatively describe what happens to the curve as you vary parameter  $a$

The parameter  $a$  is the value of the starting slope of the curve. The red lines all have higher values for  $a$  than the black lines, and it shows how a higher value for  $a$  results in a steeper slope and the curve ends up with a larger height at the peak. The curves with smaller values for  $a$  end up with a wider distribution.

**Q7 (2 pts.):** Observe how the curves vary as you change the two parameters' values. Qualitatively describe what happens to the curve as you vary parameter  $b$

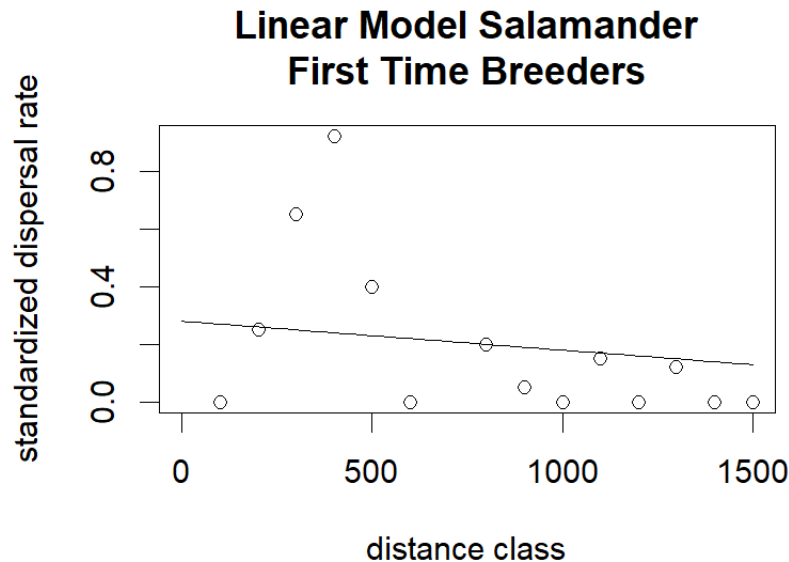
The parameter  $b$  is related to the  $x$  values of the curve. The top of the curve has an  $x$  value of  $1/b$ . All of the red lines have the same value of  $b$  and all of the black lines have the same, smaller, value of  $b$ . The large value of  $b$  results in a curve that is compressed and shifted to the left, meaning the peak of the curve occurs at a smaller value of  $x$ .

**Q8 (2 pts.):** Linear Model. Provide the values of the slope, x1, and y1 parameters you chose. Briefly describe how you chose the values.

x1: 800  
y1: 0.2  
slope: -0.0001

I looked for a plausible x and y value to use as a start and then added the line to the plot to see if it visually fits the data points. Then I decided the slope was too flat, so I adjusted the slope by subtracting zeros until the line seemed to fit the data.

**Q9 (2 pts.):** In your lab report, include a scatterplot of the salamander data with your fitted linear model.

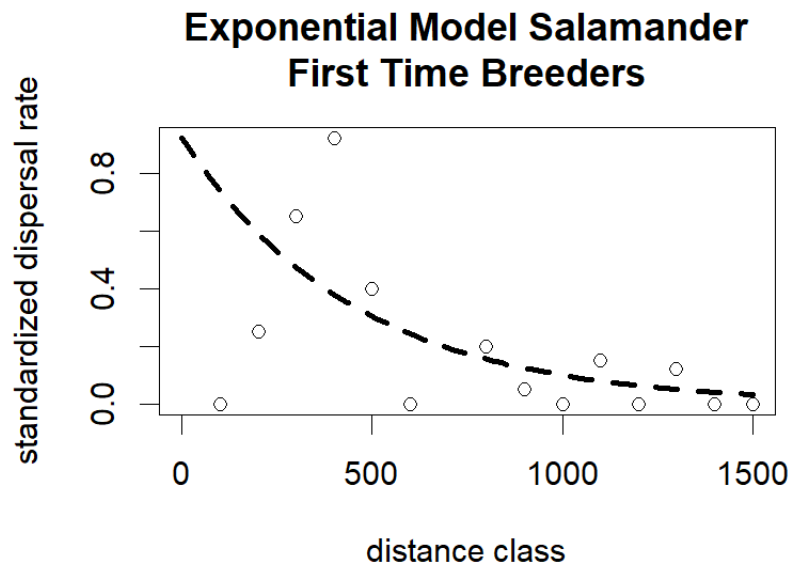


**Q10 (2 pts.):** Exponential Model. Provide the values of the a and b. Briefly describe how you chose the values.

a=0.92  
b=1/500

I chose the value for a by using the summary function for the data frame and then selecting the maximum value for standardized dispersal rate. I think this makes sense because a is supposed to be the highest point of the exponential curve. In order to find a potential value for b, I calculated  $a/e = 0.92/e = 0.338$ . This is the y value at the point where  $1/b$  is equal to the corresponding x value for the exponential curve. When I look at the scatterplot when y is 0.4, I'm guess that the x value for the fitted exponential curve should be around 450, so  $450 = 1/b$ , which means  $b=1/450$ .

**Q11 (2 pts.):** In your lab report, include a scatterplot of the salamander data with your fitted exponential model.



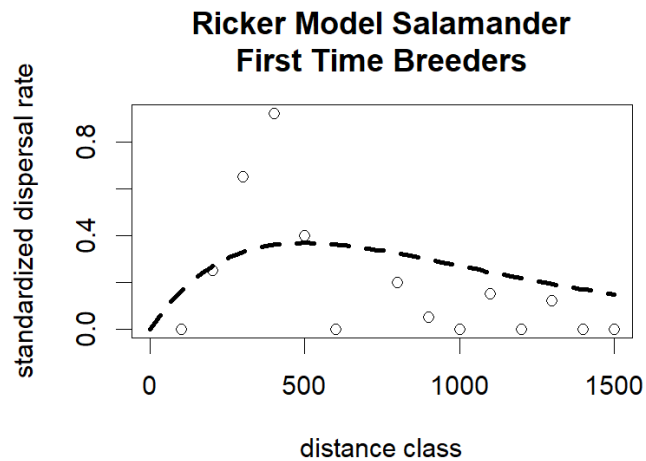
**Q12 (2 pts.):** Ricker Model Provide the values of the a and b. Briefly describe how you chose the values.

$$a=0.2/100$$

$$b=1/500$$

The a parameter is equal to the slope at the start of the curve, so I guessed that it should be about 0.2/100 based on the rise/run I would expect to fit these data points. The x value at the highest point of the curve is equal to 1/b. I guessed that the highest point of the curve would fall around x=500, so  $500 = 1/b$  or  $b = 1/500$ .

**Q13 (2 pts.):** In your lab report, include a scatterplot of the salamander data with your fitted ricker model.



**Q14 (4 pts.):** Show the R code you used to create your data frame of model residuals.

```
#calculate the predicted yvalues based on my estimated model parameters

#add y_predicted variable as a new column in the dataset

dat_dispersal$y_predicted <- line_point_slope(dat_dispersal$dist.class, 800, 0.2, -0.0001)

#calculate residuals and add to dataset as a new column

#residuals are the difference between the predicted and observed values

dat_dispersal$resids_linear <- dat_dispersal$y_predicted - dat_dispersal$disp.rate.ftb
```

**Q15 (3 pts.):** In your lab report, include histograms of the residuals for each of your three models. You may create a single figure with three panels, or include three separate figures.

