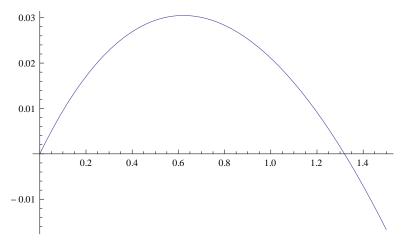
```
Exit[]
$Assumptions = \mu > 0 \&\& \sigma > 0 \&\& a \in \text{Reals \&\& } 1 > k1 \ge 0 \&\&
    k0 \ge 0 \&\& S0 > 0 \&\& K > 0 \&\& r \ge 0 \&\& b \in Reals \&\& rf \ge 0 \&\& \gamma > 0;
ost = \sigma \sqrt{t}; mpr == \frac{\mu - r}{2};
xx[W_n, mpr_n, ost_n] := Exp[ost W + (mpr - 1/2) ost^2];
\Delta[k_{-}] := 1/2 (1 + \text{Erf}[(-\text{Log}[k] + \text{ost}^{2}/2)/\text{ost}]) - 1//N
\Delta [0.] = 0;
\gamma = .1; mpr = 0.1; ost = .01;
NIntegrate [xx[w,mpr,ost] Exp[-w<sup>2</sup>/2], {w,-\infty, \infty}] / \sqrt{2\pi} - Exp[mpr ost<sup>2</sup>]
pr[f_] :=
  Log [NIntegrate [Exp[-\gamma f[xx[w, mpr, ost]] - w^2/2], {w, -\infty, \infty}] /\sqrt{2\pi}] /\sqrt{2\pi}
opt2[f_] := NIntegrate \left[ Exp \left[ -\gamma f \left[ xx \left[ w, mpr, ost \right] \right] - w^2 \right] \right]
     (xx[w, mpr, ost] - 1), \{w, -\infty, \infty\}];
opt[f_] := Min[.1, Max[-.1, opt2[f]]]
h[a_] := a (#-1) &
put[k_, a_] := h[a][#] - Max[0, k - #] &;
-6.54587 \times 10^{-13}
\gamma = .1; mpr = 0.1; ost = 1; arb = Quiet[FindRoot[opt2[h[b]] == 0, {b, 0, 10}][[1, 2]]]
hedge [k_] :=
 If [opt2[put[k, 0]] \le 0, 0, FindRoot[opt2[put[k, a]] = 0, \{a, 0, 10\}][[1, 2]]]
plot[kl_] := Module[{x = Quiet[hedge[#]] & /@ kl, y, i = 1},
  y = Max[x];
  Show [ParallelTable [With [{j = i++},
      Plot[pr[put[k, a]] - put[k, a][1], {a, 0, 3 y},
        PlotStyle → {ColorData[1, "ColorList"][[j]]}
      ]], {k, kl}],
    PlotRange → All,
    Epilog → Flatten[{Directive[{Dashed, Red}],
        Table [
         {Point[{x[[i]], 0}],
           Point[{x[[i]], pr[put[kl[[i]], x[[i]]]} - put[kl[[i]], x[[i]]]]]
         , {i, Length [kl]}]}]
  1]
0.621583
```





\$Assumptions = $k \ge 0$;

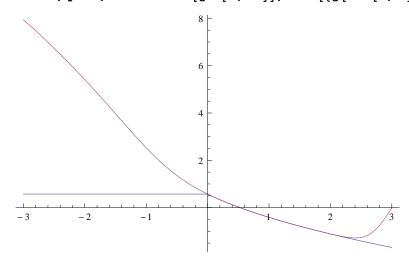
fc2[n_] := NIntegrate
$$\left[\frac{(-1)^n}{n!} e^{-e^w + n \cdot w - w^2}, \{w, -\infty, \infty\}\right]$$

 $\texttt{fc} = \texttt{Evaluate}\left[\texttt{Integrate}\left[\texttt{SeriesCoefficient}\left[\texttt{f}\left[\texttt{a}\,,\,\texttt{w}\right],\,\left\{\texttt{a}\,,\,\texttt{0}\,,\,\texttt{k}\right\}\right],\,\left\{\texttt{w}\,,\,-\infty\,,\,\infty\right\}\right]\right]$

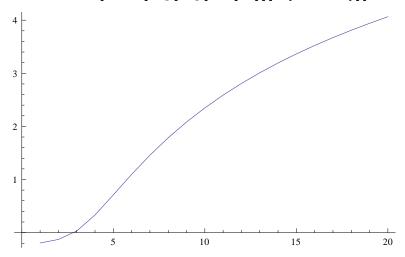
$$\frac{(-1)^{k} e^{\frac{k^{2}}{4}} \sqrt{\pi}}{k!}$$

$$\begin{split} g[a_{-}] &:= Log[NIntegrate[f[a,w], \{w, -\infty, \infty\}]] \\ gs[a_{-}, n_{-}] &:= Log\big[Sum\big[a^{k} fc /. k \rightarrow j, \{j, 0, n\}\big]\big] \\ gs2[a_{-}, k_{-}] &:= Log[fc2[0] + Sum[fc2[n] (a-1)^{n}, \{n, 1, k\}]] \end{split}$$

o = -3; p = 3; l = Evaluate[gs2[a, 10]]; $Plot[{g[Max[0, a]], 1}, {a, o, p}]$



ListLinePlot[Table[Log[Log[Abs[fc]]], {k, 1, 20}]]



fcs = Quiet[Table[fc2[n], {n, 650}]];

ListLinePlot[

 $\label{eq:transpose} \texttt{Transpose} \Big[\texttt{Table} \Big[\Big\{ \texttt{Abs} [\texttt{fcs}[[n]]]^{1/n}, \, \texttt{Abs} [\texttt{fcs}[[n]] \, / \, \texttt{fcs}[[n+1]]] \Big\}, \, \{n,1,600\} \Big] \Big] \Big]$

