## Alternative utility-function

$$k = .; \gamma = .01; \mu = 0; S0 = 55; \sigma = .25;$$

$$f[k_{-}, x_{-}] := x - Sqrt[k + x^{2}]$$

$$put[W_{-}] := Max[0, 50 - W]$$

$$xx[B_{-}, t_{-}] := S0 Exp[\sigma Sqrt[t] B + (\mu - \sigma^{2}/2) t];$$

$$g[a_{-}, t_{-}] := NIntegrate[f[-put[xx[B, t]] + a (xx[B, t] - S0)] pr[B], \{B, -\infty, \infty\}]$$

$$Plot[\{g[a, 1], g[a, 0.5]\}, \{a, -.5, .1\}]$$

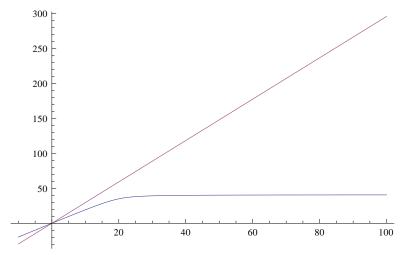
$$$Aborted$$

$$y = .; k = .; Simplify[Expand[(f[k, y + x] - f[k, y])^{2}]]$$

$$2 (k + x^{2} + x y + y^{2} + x \sqrt{k + y^{2}} - x \sqrt{k + (x + y)^{2}} - \sqrt{k + y^{2}} \sqrt{k + (x + y)^{2}})$$

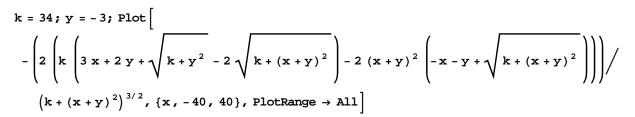
$$k = 34; y = -20; Plot[\{f[k, y + x] - f[k, y], \{2 + Abs[y / \sqrt{k + y^{2}}]\} x\}, \{x, -10, x\}$$

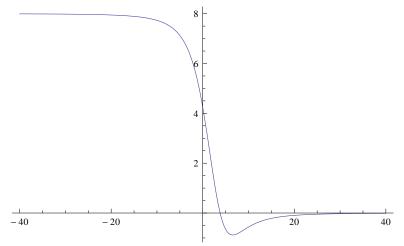
$$k = 34$$
;  $y = -20$ ; Plot  $\left[ \left\{ f[k, y + x] - f[k, y], \left( 2 + Abs \left[ y / \sqrt{k + y^2} \right] \right) x \right\}, \left\{ x, -10, 100 \right\} \right]$ 



$$y = .; k = .; Simplify [D[f[k, w + x], x]]$$

$$1 - \frac{w + x}{\sqrt{k + (w + x)^2}}$$

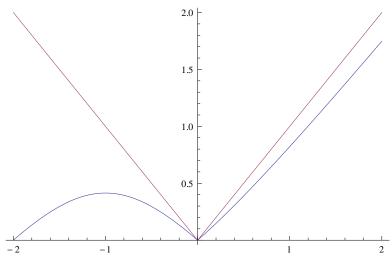


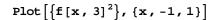


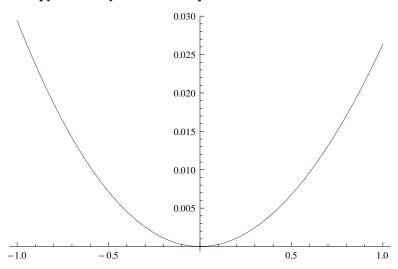
$$\label{eq:limit_limit} \text{Limit} \left[ 1 - \frac{x + y}{\sqrt{k + (x + y)^2}} \text{ , } \{x \to -\infty\} \right]$$

 $\{\,2\,\}$ 

$$a = 1; Plot\left[\left\{\left(Abs\left[Sqrt\left[1+\left(1+x\right)^{2}\right]-Sqrt\left[2\right]\right]\right), Abs\left[x\right]\right\}, \left\{x,-2,2\right\}\right]$$







 $\texttt{Limit}[f[x], \{x \to \infty\}]$ 

 $\{1\}$ 

k =.

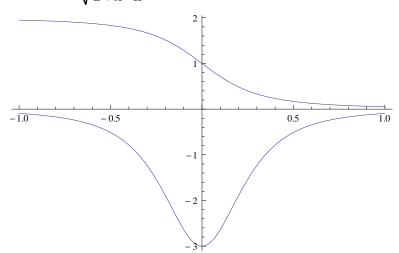
Simplify  $[D[f[k,x], \{x,1\}]]$ 

$$1 - \frac{x}{\sqrt{k + x^2}}$$

$$\operatorname{Limit}\left[1-\frac{x}{\sqrt{k+x^2}}, \{x \rightarrow -\infty\}\right]$$

 $\{2\}$ 

Plot 
$$\left[\left\{1 - \frac{k x}{\sqrt{1 + k^2 x^2}}, -\frac{k}{\left(1 + k^2 x^2\right)^{3/2}}\right\} / . k \rightarrow 3, \{x, -1, 1\}\right]$$



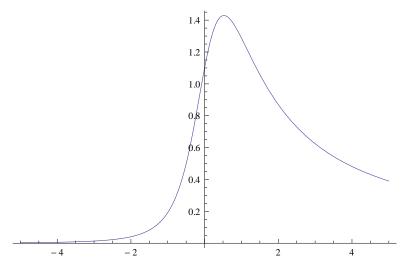
Simplify 
$$[D[f[k, x], \{x, 2\}]]$$

-Simplify 
$$[D[f[k,x], \{x,2\}]/D[f[k,x],x]]$$

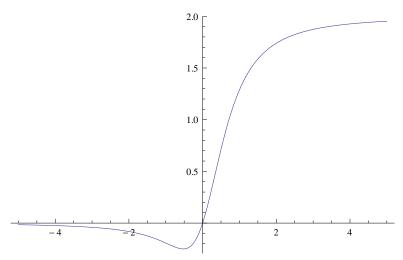
$$\frac{k \left(k x + \sqrt{1 + k^2 x^2}\right)}{}$$

$$1 + k^2 x^2$$

$$g[k_{-}, x_{-}] := \frac{k \left(k x + \sqrt{1 + k^2 x^2}\right)}{1 + k^2 x^2}$$



Plot[ $x g[1.1, x], \{x, -5, 5\}$ ]



lässt sich approximiern