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Assumptions = W > 0
```

W > 0

eq = rest == W * (q ^n - q ^L) / (q ^n - 1) /. n
$$\rightarrow$$
 -Log[1 - (q - 1) W / rate] / Log[q]

$$\text{rest} = \frac{\text{W}\left(-\,q^L + \frac{1}{1 - \frac{(-1 + q)\,\,\text{W}}{\text{rate}}}\right)}{-1 + \frac{1}{1 - \frac{(-1 + q)\,\,\text{W}}{\text{vale}}}}$$

eq2 = Simplify [eq]

$$rest = \frac{rate - q^{L} \ rate + (-1 + q) \ q^{L} \ W}{-1 + q}$$

Solve [eq2 /. L \rightarrow 36 /. rest \rightarrow 22.5 /. W \rightarrow 49 /. rate \rightarrow 1.01961, q]

(0.00772) * 12

0.09264

1.0077188558231032`^12

1.09666

1.02 ^ 12

1.26824

Solve
$$[24 * z / (24 - 11 z) = x, z]$$

$$\Big\{\Big\{z\,\rightarrow\,\frac{24\ x}{24+11\ x}\,\Big\}\Big\}$$

$$24 * z / (24 - 11 z) /. z \rightarrow .24$$

0.2696629213483146 / 12

0.0224719

$$\frac{24 \times \text{ }}{24 + 11 \times \text{ }} /. \times \rightarrow 0.1268250301319696^{\circ}$$

0.11985791274253633 / 12

0.00998816

$$a = Series[(1 + z / 12)^12 - 1, \{z, 0, 5\}]$$

$$z + \frac{11 z^2}{24} + \frac{55 z^3}{432} + \frac{55 z^4}{2304} + \frac{11 z^5}{3456} + 0[z]^6$$

$$b = Series[24 * z / (24 - 11 z), {z, 0, 5}]$$

$$z + \frac{11 z^2}{24} + \frac{121 z^3}{576} + \frac{1331 z^4}{13824} + \frac{14641 z^5}{331776} + O[z]^6$$

$$-\,\frac{143\;z^3}{1728}\,-\,\frac{1001\;z^4}{13\,824}\,-\,\frac{13\,585\;z^5}{331\,776}\,+\,O\,[\,z\,]^{\,6}$$