```
Exit[];
c = \left\{1 - 3 n^{2} x^{2} + 2 n^{3} x^{3}, 3 n^{2} x^{2} - 2 n^{3} x^{3}, x - 2 n x^{2} + n^{2} x^{3}, -n x^{2} + n^{2} x^{3}\right\}
\{1-3 n^2 x^2+2 n^3 x^3, 3 n^2 x^2-2 n^3 x^3, x-2 n x^2+n^2 x^3, -n x^2+n^2 x^3\}
b = 1 / n;
Y[i_, h_] := {y[i], y[i+1], m[i], m[i+1]}.c /.x \rightarrow h;
\{ \texttt{Y[i,0]}, \, \texttt{Y[i,1/n]}, \, \texttt{D[Y[i,x]}, \, \texttt{x]} \, /. \, \, \texttt{x} \, \rightarrow \, \texttt{0}, \, \texttt{D[Y[i,x]}, \, \texttt{x]} \, /. \, \, \texttt{x} \, \rightarrow \, \texttt{1/n} \}
{y[i], y[1+i], m[i], m[1+i]}
Simplify [(D[Y[1, x], \{x, 2\}] / 4 / n / . x \rightarrow 0) = 0]
2 m[1] + m[2] + 3 n y[1] == 3 n y[2]
Simplify [(D[Y[n, x], \{x, 2\}] / 4 / n / . x \rightarrow b) = 0]
m[n] + 2 m[1+n] + 3 n y[n] = 3 n y[1+n]
Simplify [(D[Y[i,x], \{x,2\}]/4/n/.x \rightarrow b) = (D[Y[i+1,x], \{x,2\}]/4/n/.x \rightarrow 0)]
m[i] + 4 m[1+i] + m[2+i] + 3 n y[i] == 3 n y[2+i]
M[n_{-}] := SparseArray[{{1, 1} \rightarrow -2, (n+1) {1, 1} \rightarrow 2,
      \{n+1, n\} \rightarrow -2, \{1, 2\} \rightarrow 2, \{i_j, j_j\} /; (i == j+1 \&\& i < n+1 \&\& i > 1) \rightarrow -1,
      \{i_{-}, j_{-}\}\/; (i == j-1 \&\& i < n+1 \&\& i > 1) \rightarrow 1\}, (n+1) \{1, 1\}];
M[5] // MatrixForm
 ´-2 2 0 0 0 0
  -1 0 1 0 0 0
  0 - 1 \ 0 \ 1 \ 0 \ 0
 0 \quad 0 \quad -1 \quad 0 \quad 1 \quad 0
  0 \quad 0 \quad 0 \quad -1 \quad 0 \quad 1
```

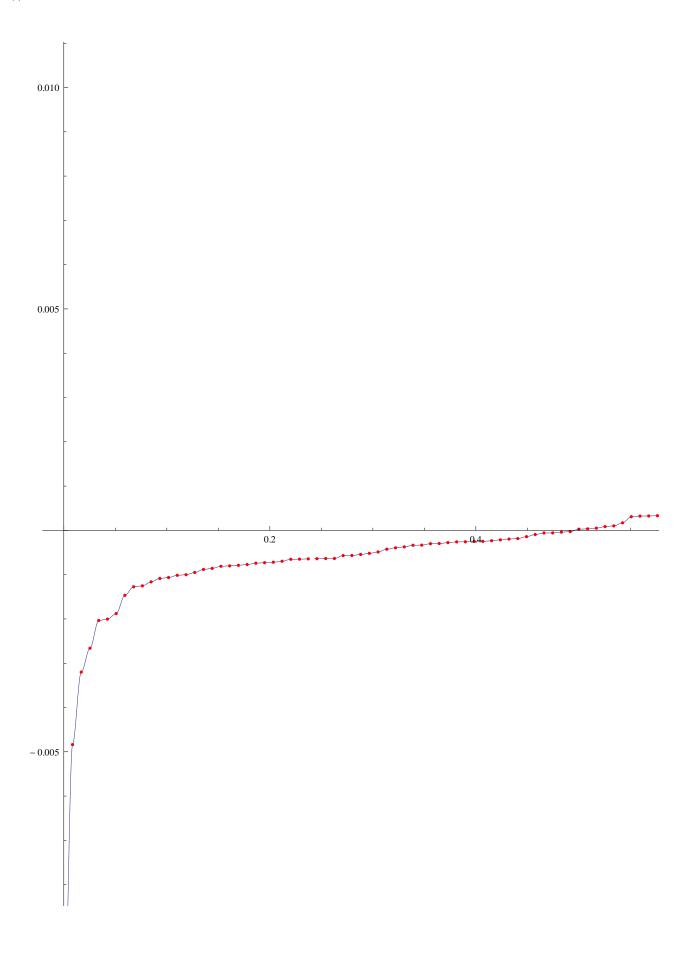
## los:

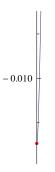
```
y = Transpose[XY][[2]]; n = Length[y] - 1; m = M[n].y;

Y[x0_] := Module[{i, x = x0, y = y, m = m, c = c, n = n},
    i = Ceiling[x * n];
    x -= (i - 1) / n;
    {y[[i]], y[[i + 1]], m[[i]], m[[i + 1]]}.
    {1 - 3 n² x² + 2 n³ x³, 3 n² x² - 2 n³ x³, x - 2 n x² + n² x³, -n x² + n² x³}

]

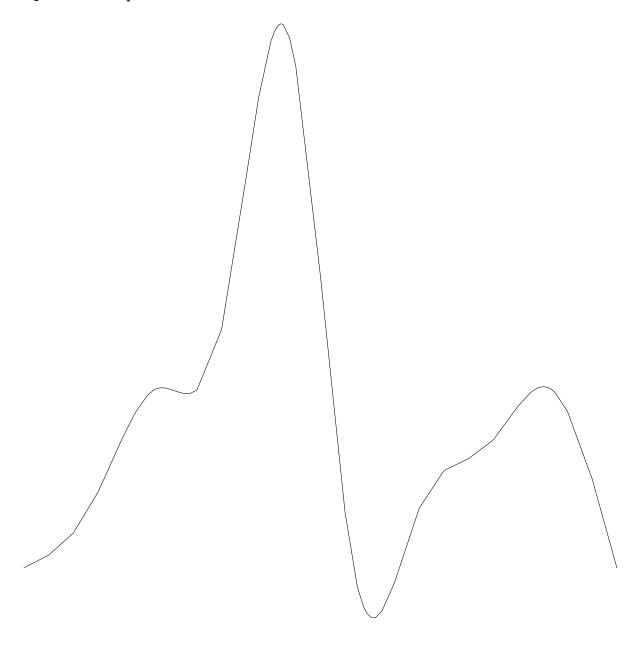
Show[Plot[Y[x], {x, 0, 1}, AspectRatio → 1, PlotRange → All],
    ListPlot[Table[{i / (Length[y] - 1), y[[i + 1]]}, {i, 0, Length[y] - 1}], PlotStyle → Red]]
```





<< Splines`

$$\begin{split} & \text{Graphics} \left[ \text{Spline} \left[ \text{Table} \left[ \left\{ i \; / \; (\text{Length} \left[ y \right] - 1) \; , \; y \left[ \left[ i \; + 1 \right] \right] \right\} , \; \left\{ i \; , \; 0 \; , \; \text{Length} \left[ y \right] - 1 \right\} \right] , \; \text{Cubic} \right] , \\ & \text{AspectRatio} \; \rightarrow \; 1 \right] \end{split}$$

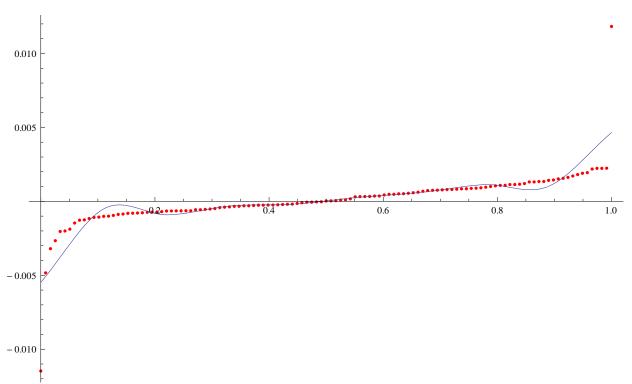


```
Y[x0_{-}] := Module[{a, delta, i = n, x = x0, p = P, m = m, kr = kr, n = n, b, y},
           If[x0 = 0, i = 1,
                While [x \le p[[i, 1]], i--];
           b = p[[i+1,1]] - p[[i,1]];
           {p[[i, 2]], p[[i+1, 2]], m[[i]], m[[i+1]]}.
                 \{1-3 n^2 x^2+2 n^3 x^3, 3 n^2 x^2-2 n^3 x^3, x-2 n x^2+n^2 x^3, -n x^2+n^2 x^3\}
n = 8; nN = Length[XY];
P = Join[{1}, Table[i, {i, Ceiling[(nN - (Floor[nN / n] - 1) n) / 2], nN, n}], {nN}];
n = Length[P] - 1;
P = Table[{XY[[P[[i]], 1]], XY[[P[[i]], 2]]}, {i, 1, n+1}]
m = Table[ts[i], {i, n+1}];
\{0, -0.011473\}, \{0.059322, -0.001466\}, \{0.127119, -0.000951\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00073\}, \{0.194915, -0.00075, -0.00075\}, \{0.194915, -0.
     \{0.262712, -0.000635\}, \{0.330508, -0.000373\}, \{0.398305, -0.00025\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}, \{0.466102, -0.000059\}
     \{0.533898, 0.000101\}, \{0.601695, 0.000434\}, \{0.669492, 0.00068\}, \{0.737288, 0.000846\},
     \{0.805085, 0.001082\}, \{0.872881, 0.001341\}, \{0.940678, 0.001811\}, \{1., 0.011826\}\}
d = (Y[#[[1]]] - #[[2]]) ^2 & @ XY; d = Sum[d[[i]], {i, Length[d]}];
g = Solve[Table[D[d, ts[i]] == 0, {i, n+1}], m]
\{\{\mathsf{ts}[1] \to 0.476741, \mathsf{ts}[2] \to -0.202484, \mathsf{ts}[3] \to 0.0994919, \mathsf{ts}[4] \to -0.0576761,
           \mathsf{ts}[5] \to 0.0442024, \mathsf{ts}[6] \to -0.0278467, \mathsf{ts}[7] \to 0.0261955, \mathsf{ts}[8] \to -0.0170168,
           \mathsf{ts}[9] \to 0.0192287, \mathsf{ts}[10] \to -0.00766155, \mathsf{ts}[11] \to 0.0138237, \mathsf{ts}[12] \to -0.00780359,
           ts[13] \rightarrow 0.0138848, ts[14] \rightarrow -0.00535186, ts[15] \rightarrow 0.0185076, ts[16] \rightarrow 0.272203}
m = m = n / 2 M[n]. Transpose [P][[2]];
For [i = 1, i \le n, i++,
     delta = (P[[i+1, 2]] - P[[i, 2]]) / (P[[i+1, 1]] - P[[i, 1]]);
     a = m[[i]] / delta; b = m[[i+1]] / delta;
     If [a^2+b^2>3,
          t = 3 / Sqrt[a^2 + b^2]; m[[i]] = t a delta; m[[i+1]] = t b delta;]
 \{0.150105, 0.0227331, 0.00159015, 0.00278623, 0.00314773, 0.0042178, 0.00343997, 0.00410635, 0.00410635, 0.00410635, 0.00410635, 0.00410635, 0.00410635, 0.00410635, 0.00410635, 0.00410635, 0.00410635, 0.00410635, 0.00410635, 0.00410635, 0.00410635, 0.00410635, 0.00410635, 0.00410635, 0.00410635, 0.00410635, 0.00410635, 0.00410635, 0.00410635, 0.00410635, 0.00410635, 0.00410635, 0.00410635, 0.00410635, 0.00410635, 0.00410635, 0.00410635, 0.00410635, 0.00410635, 0.00410635, 0.00410635, 0.00410635, 0.00410635, 0.00410635, 0.00410635, 0.00410635, 0.00410635, 0.00410635, 0.00410635, 0.00410635, 0.00410635, 0.00410635, 0.00410635, 0.00410635, 0.00410635, 0.00410635, 0.00410635, 0.00410635, 0.00410635, 0.00410635, 0.00410635, 0.00410635, 0.00410635, 0.00410635, 0.00410635, 0.00410635, 0.00410635, 0.00410635, 0.00410635, 0.00410635, 0.00410635, 0.00410635, 0.00410635, 0.00410635, 0.00410635, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.00410655, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.00410655, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.00410655, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 0.0041065, 
    0.0057676,\, 0.0043425,\, 0.00525751,\, 0.00845994,\, 0.00854837,\, 0.00200951,\, 0.0207001,\, 0.150225\}
d /.g[[1]]
0.0106315
```

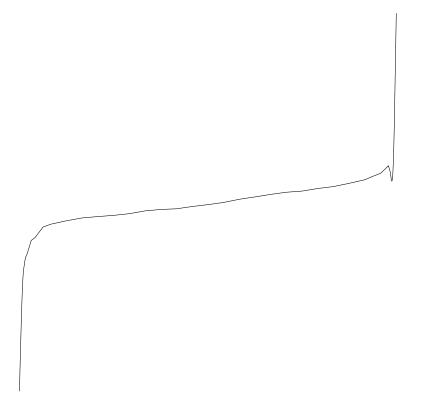
```
Show [ListPlot[{P, XY}, PlotRange \rightarrow All],
  Plot[Y[x] / g[[1]], \{x, 0, 1\}, PlotRange \rightarrow All]]
 - 5
-10
-15
-20
-25
Solve[Table[D[d,ys[i]] = 0, \{i,nN\}], Table[ys[i], \{i,nN\}]]
\{\{\text{ys}\, [\text{1}] \, \to \, \text{-0.00547464, ys}\, [\text{2}] \, \to \, \text{-0.000492335, ys}\, [\text{3}] \, \to \, \text{-0.000911088, }
   ys\left[\,4\,\right]\,\rightarrow\,-\,0.00031071\,\text{, }ys\left[\,5\,\right]\,\rightarrow\,-\,0.000185091\,\text{, }ys\left[\,6\,\right]\,\rightarrow\,0.000265952\,\text{,}
   ys\:[7]\:\to\:0.00060474\:,\:ys\:[8]\:\to\:0.00113058\:,\:ys\:[9]\:\to\:0.00100276\:,\:ys\:[10]\:\to\:0.0046597\}\}
y = Table[ys[i], {i, nN}] /. %[[1]];
nN = 10; y = Table[ys[i], {i, nN}];
```

```
\label{eq:main_problem} \begin{split} &m=n\ /\ 2\ M\ [n]\ .\ y;\ n=Length\ [y]\ -1;\\ &d=\left(Y\ [\#[[1]]]\ -\#[[2]]\right)\ ^2\ \&\ /\ @\ XY;\ d=Sum\ [d\ [[i]]\ ,\ \{i\ ,\ Length\ [d\ ]\}]\\ &Show\ [ListPlot\ [XY\ ,\ PlotStyle\ \to\ Red\ ,\ PlotRange\ \to\ All\ ],\\ &Plot\ [Y\ [x\ ]\ ,\ \{x\ ,\ 0\ ,\ 1\}\ ,\ PlotRange\ \to\ All\ ]] \end{split}
```





## Graphics [Spline [XY, Cubic], AspectRatio → 1]



## Y[0]

0.01

## {#[[1]]} & /@ XY

```
\{0.\}, \{0.008475\}, \{0.016949\}, \{0.025424\}, \{0.033898\}, \{0.042373\}, \{0.050847\},
     \{0.059322\}, \{0.067797\}, \{0.076271\}, \{0.084746\}, \{0.09322\}, \{0.101695\}, \{0.110169\},
      \{0.118644\}, \{0.127119\}, \{0.135593\}, \{0.144068\}, \{0.152542\}, \{0.161017\}, \{0.169492\}, \{0.118644\}, \{0.127119\}, \{0.135593\}, \{0.144068\}, \{0.152542\}, \{0.161017\}, \{0.169492\}, \{0.118644\}, \{0.127119\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.118644\}, \{0.1
       \{0.177966\}, \{0.186441\}, \{0.194915\}, \{0.20339\}, \{0.211864\}, \{0.220339\}, \{0.228814\},
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