h = Flatten[Table[
$$x ^n$$
, {n, 0, 5}]]
{1, x, x^2 , x^3 , x^4 , x^5 }

M = Flatten[Table[{a}, {a, 0, 2}], 1]; M // MatrixForm

 $\begin{pmatrix} 0 \\ 1 \\ 2 \end{pmatrix}$

 $A[i_] := D[#, {x, M[[i]]}] &$

 $\label{eq:constraint} \mbox{Co = Inverse[Transpose[Flatten[Table[A[j][h]/. x \rightarrow M[[i]], \{j, 3\}, \{i, 2\}], 1]]];}$

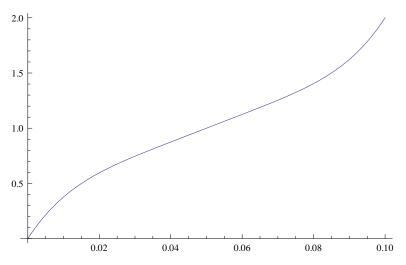
 $sc[m_] := Diagonal Matrix [{1,1,m,m,m^2,m^2}];$

 $alexp = sc[b].Co.h /. x \rightarrow y / b$

$$\left\{ 1 - \frac{10 \ y^3}{b^3} + \frac{15 \ y^4}{b^4} - \frac{6 \ y^5}{b^5} \right\}, \quad \frac{10 \ y^3}{b^3} - \frac{15 \ y^4}{b^4} + \frac{6 \ y^5}{b^5} \right\}, \quad y - \frac{6 \ y^3}{b^2} + \frac{8 \ y^4}{b^3} - \frac{3 \ y^5}{b^4} \right\},$$

$$- \frac{4 \ y^3}{b^2} + \frac{7 \ y^4}{b^3} - \frac{3 \ y^5}{b^4} \right\}, \quad \frac{y^2}{2} - \frac{3 \ y^3}{2 \ b} + \frac{3 \ y^4}{2 \ b^2} - \frac{y^5}{2 \ b^3} \right\}, \quad \frac{y^3}{2 \ b} - \frac{y^4}{b^2} + \frac{y^5}{2 \ b^3} \right\}$$

b = 0.1; s = {0, 2, 50, 50, -3000, 3000}; Plot[s.alexp, {y, 0, b}] b =.



(*Probe:*) Table[Table[D[{y1, y2, m1, m2, k1, k2}.alexp, {y, i}], {i, 0, 2}] /. y \rightarrow jb, {j, 0, 1}] {{y1, m1, k1}, {y2, m2, k2}}