```
hedge = Flatten[Import["c:\\book1.txt", "Table"], 1];
Length [hedge]
892
g = FinancialData["DAX", "1.1.2000"];
dax = Transpose[g][[2]][[1 ;; Length[hedge]]];
ListPlot[{hedge, dax}]
7000
6000
5000
4000
              200
hedge = Log[hedge]; dax = Log[dax];
hedge = Differences[hedge];
dax = Differences[dax];
w = Transpose[{hedge, dax}];
w = Sort[w, #1[[1]] < #2[[1]] &];
hedge = Transpose[w][[1]];
dax = Transpose[w][[2]];
w[[2]]
\{-0.0117745, 0.0306036\}
```

### ListPlot[Transpose[w], PlotRange → All]

```
0.08

0.06

0.02

-0.02

-0.04

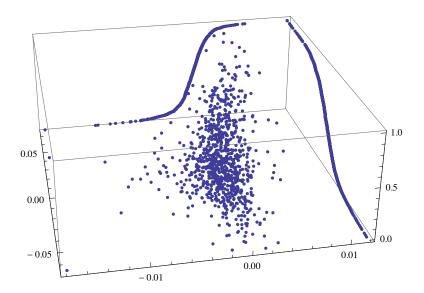
-0.06
```

```
nN = 20; wN = Length [hedge];
m0 = Min[Transpose[w][[1]]]
Max [Transpose [w][[1]]]
m1 = Min[Transpose[w][[2]]]
Max [Transpose [w][[2]]]
f0 = (nN - 1) / (Max[Transpose[w][[1]]] - m0)
f1 = (nN - 1) / (Max[Transpose[w][[2]]] - m1)
d = 1 / wN // N
-0.0178719
0.0118256
-0.0665223
0.0755268
639.785
133.757
0.00112233
F = \{\}; For [i = 1, i \le wN, i++,
 For [j = 1, j \le wN, j++,
  m = 0;
  If[w[[j,1]] \leftarrow w[[i,1]] \&\& w[[j,2]] \le w[[i,2]], m++;];
 AppendTo [F, \{w[[i,1]], w[[i,2]], m/wN\}];
]
```

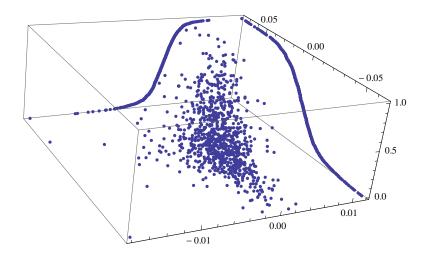
\$Aborted

```
U = \{\}; nN = 20; For [i = 0, i \le nN, i++,
   AppendTo[U, {min0, i / nN * (max1 - min1) + min1, 0}];
For [i = 0, i \le nN, i++,
   AppendTo [U, \{i / nN * (max0 - min0) + min0, min1, 0\}];
For [i = 0, i \le nN, i++,
   AppendTo [U, {max0, i/nN * (max1 - min1) + min1,
             Length [Select[w, #[[1]] <= \max0 && #[[2]] <= i / nN * (\max 1 - \min 1) + \min 1 &]] / wN}];
For [i = 0, i \le nN, i++,
   AppendTo [U, \{i / nN * (max0 - min0) + min0, max1,
             Length [Select [w, \#[2]] \le \max 1 \& \#[[1]] \le i / nN * (\max 0 - \min 0) + \min 0 \&] / wN \}];
min0 = Min[Transpose[w][[1]]];
max0 = Max [Transpose[w][[1]]];
min1 = Min[Transpose[w][[2]]];
max1 = Max [Transpose[w][[2]]];
U = {}; sdax = Sort[dax]; AppendTo[U, {max0, max1, 1}];
For [i = 1, i \le nn, i++,
   AppendTo [U, \{hedge [[i]], max1, (i-1) / nn\}];
   AppendTo [U, \{max0, sdax[[i]], (i-1)/nn\}];
   AppendTo[U, {hedge[[i]], min1, 0}];
1
F = \{\}; For [i = 1, i \le wN, i++,
   AppendTo [F, {w[[i, 1]], w[[i, 2]],
             Length [Select [w, \#[1]] < \#[1]] && \#[2]] < \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2]] & \#[1, 2] & \#[1, 2]] & \#[1, 2] & \#[1, 2]] & \#[1, 2] & \#[1, 2] & \#[1, 2] & \#[1, 2] & \#[1, 2] & \#[1, 2] & \#[1, 2] & \#[1, 2] & \#[1, 2] & \#[1, 2] & \#[1, 2] & \#[1, 2] & \#[1, 2
W = Join[F, U];
```

# ListPointPlot3D[W]



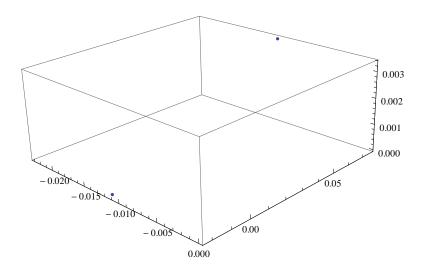
```
ww = {};
For [i = 1, i ≤ nn, i++,
    AppendTo[ww, Select[W, #[[1]] == hedge[[i]] &]];
]
Length[W]
Length[Flatten[ww, 1]]
2675
2759
W[[1]]
{-0.0178719, 0.041439, 0}
ww[[9]]
{{-0.00741427, 0.00408647, 2/891}, {-0.00741427, 0.0755268, 8/891}}
```



Select[W, #[[1]] == hedge[[3]] &]

$$\left\{ \left\{ -0.0114726,\, -0.0226471\,,\, 0 \right\},\, \left\{ -0.0114726,\, 0.0755268,\, \frac{2}{891} \right\} \right\}$$

# ListPointPlot3D[Select[W, #[[1]] == hedge[[3]] &]]



w[[2]]

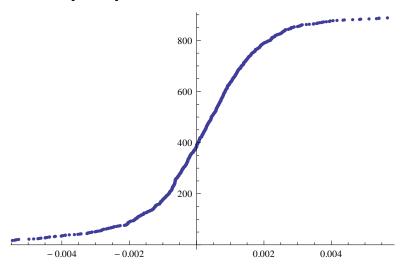
Length [Flatten[w, 1]]

891

### Length [W]

4455

#### ListPlot[hrand]



#### nn = Length [hedge]

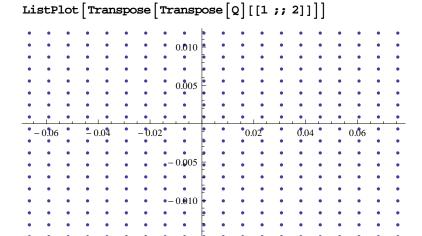
891

### f = Interpolation[Join[F, U]]

Interpolation::indim: The coordinates do not lie on a structured tensor product grid.

# F[[1,1]]

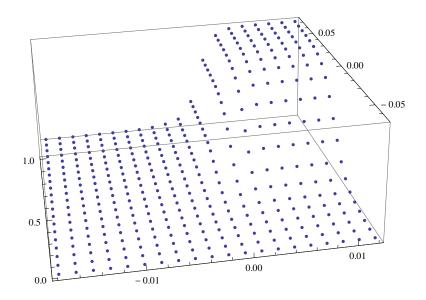
 $\{-0.0665223, -0.0178719, 0\}$ 



### w[[1]]

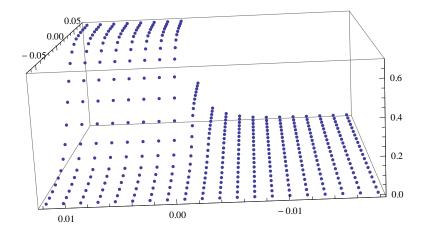
 $\{0.041439, -0.0178719\}$ 

```
 \begin{split} F &= Table \big[ \big\{ m0 + i \ / \ f0 \ , \ m1 + j \ / \ f1 \ , \ 0 \big\} \ , \ \{i \ , \ 0 \ , \ mN - 1 \big\} \big] \, ; \ For \big[ i = 1 \ , \ i \le mN \ , \ i + + \, , \\ &= For \big[ j = 1 \ , \ k \le wN \ , \ k + + \, , \\ &= If \big[ w \big[ \big[ k \ , \ 2 \big] \big] \le F \big[ \big[ i \ , \ j \ , \ 2 \big] \big] \ \&\& \ w \big[ \big[ k \ , \ 1 \big] \big] \le F \big[ \big[ i \ , \ j \ , \ 1 \big] \big] \ , \ F \big[ \big[ i \ , \ j \ , \ 3 \big] \ + = d \ ; \big] , \\ &= Interpolation \big[ p \ , \ 1 \big] , \\ &= Interpolation \big[ p \ , \ 1 \big] , \\ &= Interpolation \big[ p \ , \ 1 \big] , \\ &= Interpolation \big[ p \ , \ 1 \big] , \\ &= Interpolation \big[ p \ , \ 1 \big] , \\ &= Interpolation \big[ p \ , \ 1 \big] , \\ &= Interpolation \big[ p \ , \ 1 \big] , \\ &= Interpolation \big[ p \ , \ 1 \big] , \\ &= Interpolation \big[ p \ , \ 1 \big] , \\ &= Interpolation \big[ p \ , \ 1 \big] , \\ &= Interpolation \big[ p \ , \ 1 \big] , \\ &= Interpolation \big[ p \ , \ 1 \big] , \\ &= Interpolation \big[ p \ , \ 1 \big] , \\ &= Interpolation \big[ p \ , \ 1 \big] , \\ &= Interpolation \big[ p \ , \ 1 \big] , \\ &= Interpolation \big[ p \ , \ 1 \big] , \\ &= Interpolation \big[ p \ , \ 1 \big] , \\ &= Interpolation \big[ p \ , \ 1 \big] , \\ &= Interpolation \big[ p \ , \ 1 \big] , \\ &= Interpolation \big[ p \ , \ 1 \big] , \\ &= Interpolation \big[ p \ , \ 1 \big] , \\ &= Interpolation \big[ p \ , \ 1 \big] , \\ &= Interpolation \big[ p \ , \ 1 \big] , \\ &= Interpolation \big[ p \ , \ 1 \big] , \\ &= Interpolation \big[ p \ , \ 1 \big] , \\ &= Interpolation \big[ p \ , \ 1 \big] , \\ &= Interpolation \big[ p \ , \ 1 \big] , \\ &= Interpolation \big[ p \ , \ 1 \big] , \\ &= Interpolation \big[ p \ , \ 1 \big] , \\ &= Interpolation \big[ p \ , \ 1 \big] , \\ &= Interpolation \big[ p \ , \ 1 \big] , \\ &= Interpolation \big[ p \ , \ 1 \big] , \\ &= Interpolation \big[ p \ , \ 1 \big] , \\ &= Interpolation \big[ p \ , \ 1 \big] , \\ &= Interpolation \big[ p \ , \ 1 \big] , \\ &= Interpolation \big[ p \ , \ 1 \big] , \\ &= Interpolation \big[ p \ , \ 1 \big] , \\ &= Interpolation \big[ p \ , \ 1 \big] , \\ &= Interpolation \big[ p \ , \ 1 \big] , \\ &= Interpolation \big[ p \ , \ 1 \big] , \\ &= Interpolation \big[ p \ , \ 1 \big] , \\ &= Interpolation \big[ p \ , \ 1 \big] , \\ &= Interpolation \big[ p \ , \ 1 \big] , \\ &= Interpolation \big[ p \ , \ 1 \big] , \\ &= Interpolation \big[ p \ , \
```



```
w = Import["c:\\Trivariat.txt", "Table"];
Length[w]
8000
w[[8000]]
{0.011826, 0.075527, 0.011826, 1.}
w1 = Select[w, #[[1]] == w[[5000, 1]] &];
fif = Transpose[Transpose[w1][[2;; 4]]];
```

### ListPointPlot3D[fif]



## w[[3]]

 $\{-0.017872, -0.063653, 0.\}$ 

#### Length [w]

10000

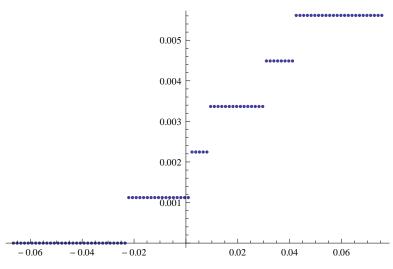
w[[1000, 2]]

0.075527

Table[p, {p, 1, 9999, 1000}]

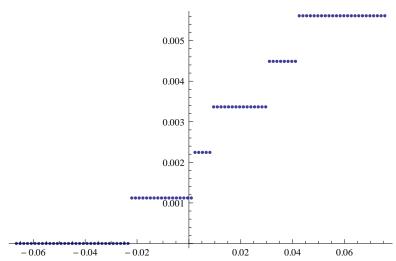
 $\{1\,,\,1001\,,\,2001\,,\,3001\,,\,4001\,,\,5001\,,\,6001\,,\,7001\,,\,8001\,,\,9001\}$ 

 $p = 3000; ListPlot[{\#[[2]], \#[[3]]} & @ Select[w, \#[[1]] == w[[p, 1]] &]]$ 



 $11 = {\#[[2]], \#[[3]]} \& /@ Select[w, \#[[1]] == w[[p, 1]] \&];$ 





 ${\tt Max} \, \big[ \, {\tt Table} \, \big[ \, w \, [\, [\, k \, , \, 3\, ] \,] \, - \, Q \, [\, [\, k \, , \, 3\, ] \,] \, , \, \, \{ k \, , \, \, nN \, \, ^{\wedge} \, 2 \} \, \big] \, \big]$ 

 $4.74747 \times 10^{-7}$