

```
Exit[];

n = 3; m = (3 * n + 7) / 2;

x[i_] := 1 / (n - 1) * (i - 1)

Table[x[i], {i, n}]

{0,  $\frac{1}{2}$ , 1}
```

Transpose[A[i,j]] beinhaltet den j-ten Koeffizienten der Gleichung an der Stelle x_i

i=1 .. n+2

j=1 .. m

M[j,i] beinhaltet den j-ten Koeffizient des i-ten Polynom

M1 ist der quadratische Anteil von M. M2 ist der Rest.

Die Gleichung M*A=1 wird nach M1(M2) aufgelöst

```
M2 = Table[m2[j, i], {j, m - n - 2}, {i, n + 2}];

Transpose[A].M // MatrixForm

Dot::dotsh : Tensors

{ {1, 0, 0, 0, 0, 0, 0, 0}, {1,  $\frac{1}{2}$ ,  $\frac{1}{4}$ ,  $\frac{1}{8}$ ,  $\frac{1}{16}$ ,  $\frac{1}{32}$ ,  $\frac{1}{64}$ ,  $\frac{1}{128}$ }, {1, 1, 1, 1, 1, 1, 1, 1}, {0, 1, 0, 0, 0, 0, 0, 0}, {0, 0, 0, 0, 0, 0, 0, 0}, {0, 1, 2, 3, 4, 5, 6, 7} } and

{{m1z1s1, m1z1s2, m1z1s3}, {m1z2s1, m1z2s2, m1z2s3}, <<1>>, {m2z1s1, m2z1s2, m2z1s3}, {m2z2s1, m2z2s2, m2z2s3}} have incompatible shapes. >>

{ {1, 0, 0, 0, 0, 0, 0, 0}, {1,  $\frac{1}{2}$ ,  $\frac{1}{4}$ ,  $\frac{1}{8}$ ,  $\frac{1}{16}$ ,  $\frac{1}{32}$ ,  $\frac{1}{64}$ ,  $\frac{1}{128}$ }, {1, 1, 1, 1, 1, 1, 1, 1}, {0, 1, 0, 0, 0, 0, 0, 0}, {0, 1, 2, 3, 4, 5, 6, 7} }.

{{m1z1s1, m1z1s2, m1z1s3}, {m1z2s1, m1z2s2, m1z2s3}, {m1z3s1, m1z3s2, m1z3s3}, {m2z1s1, m2z1s2, m2z1s3}, {m2z2s1, m2z2s2, m2z2s3}}

A = Transpose[Join[Table[Table[If[j == 0, 1, x[i]^j], {j, 0, m - 1}], {i, n}], Table[Table[If[j == 0, 0, If[j == 1, 1, j*i]], {j, 0, m - 1}], {i, 0, 1}]]];

M2 = Table[m2[j, i], {j, m - n - 2}, {i, n + 2}];

M1 = Inverse[Transpose[A[[1 ;; n + 2]]]].

(IdentityMatrix[n + 2] - Transpose[A[[n + 3 ;; m]]].M2);

M = Join[M1, M2]; M // MatrixForm

{1
0
-11 - 5 m2[1, 1] - 6 m2[2, 1] - 7 m2[3, 1] - 5 (-m2[1, 1] - m2[2, 1] - m2[3, 1] - m2[4, 1]) + 16  $\left(-\frac{1}{3}\right)$ 
18 - 3 (-5 m2[1, 1] - 6 m2[2, 1] - 7 m2[3, 1] - 8 m2[4, 1]) + 14 (-m2[1, 1] - m2[2, 1] - m2[3, 1] - m2[4, 1])
- 8 + 2 (-5 m2[1, 1] - 6 m2[2, 1] - 7 m2[3, 1] - 8 m2[4, 1]) - 8 (-m2[1, 1] - m2[2, 1] - m2[3, 1] - m2[4, 1])
m2[1, 1]
m2[2, 1]
m2[3, 1]
m2[4, 1]}
```

```
Flatten[Simplify[Transpose[A].M - IdentityMatrix[n + 2]]] // MatrixForm
```

$$\begin{pmatrix} -1 + m_{1z1s1} \\ m_{1z1s2} \\ m_{1z1s3} \\ m_{1z1s4} \\ m_{1z1s5} \\ \frac{1}{128} (128 m_{1z1s1} + 64 m_{1z2s1} + 32 m_{1z3s1} + 16 m_{1z4s1} + 8 m_{1z5s1} + 4 m_{2z1s1} + 2 m_{2z2s1} + m_{2z3s1}) \\ \frac{1}{128} (-128 + 128 m_{1z1s2} + 64 m_{1z2s2} + 32 m_{1z3s2} + 16 m_{1z4s2} + 8 m_{1z5s2} + 4 m_{2z1s2} + 2 m_{2z2s2} + m_{2z3s2}) \\ \frac{1}{128} (128 m_{1z1s3} + 64 m_{1z2s3} + 32 m_{1z3s3} + 16 m_{1z4s3} + 8 m_{1z5s3} + 4 m_{2z1s3} + 2 m_{2z2s3} + m_{2z3s3}) \\ \frac{1}{128} (128 m_{1z1s4} + 64 m_{1z2s4} + 32 m_{1z3s4} + 16 m_{1z4s4} + 8 m_{1z5s4} + 4 m_{2z1s4} + 2 m_{2z2s4} + m_{2z3s4}) \\ \frac{1}{128} (128 m_{1z1s5} + 64 m_{1z2s5} + 32 m_{1z3s5} + 16 m_{1z4s5} + 8 m_{1z5s5} + 4 m_{2z1s5} + 2 m_{2z2s5} + m_{2z3s5}) \\ m_{1z1s1} + m_{1z2s1} + m_{1z3s1} + m_{1z4s1} + m_{1z5s1} + m_{2z1s1} + m_{2z2s1} + m_{2z3s1} \\ m_{1z1s2} + m_{1z2s2} + m_{1z3s2} + m_{1z4s2} + m_{1z5s2} + m_{2z1s2} + m_{2z2s2} + m_{2z3s2} \\ -1 + m_{1z1s3} + m_{1z2s3} + m_{1z3s3} + m_{1z4s3} + m_{1z5s3} + m_{2z1s3} + m_{2z2s3} + m_{2z3s3} \\ m_{1z1s4} + m_{1z2s4} + m_{1z3s4} + m_{1z4s4} + m_{1z5s4} + m_{2z1s4} + m_{2z2s4} + m_{2z3s4} \\ m_{1z1s5} + m_{1z2s5} + m_{1z3s5} + m_{1z4s5} + m_{1z5s5} + m_{2z1s5} + m_{2z2s5} + m_{2z3s5} \\ m_{1z2s1} \\ m_{1z2s2} \\ m_{1z2s3} \\ -1 + m_{1z2s4} \\ m_{1z2s5} \\ m_{1z2s1} + 2 m_{1z3s1} + 3 m_{1z4s1} + 4 m_{1z5s1} + 5 m_{2z1s1} + 6 m_{2z2s1} + 7 m_{2z3s1} \\ m_{1z2s2} + 2 m_{1z3s2} + 3 m_{1z4s2} + 4 m_{1z5s2} + 5 m_{2z1s2} + 6 m_{2z2s2} + 7 m_{2z3s2} \\ m_{1z2s3} + 2 m_{1z3s3} + 3 m_{1z4s3} + 4 m_{1z5s3} + 5 m_{2z1s3} + 6 m_{2z2s3} + 7 m_{2z3s3} \\ m_{1z2s4} + 2 m_{1z3s4} + 3 m_{1z4s4} + 4 m_{1z5s4} + 5 m_{2z1s4} + 6 m_{2z2s4} + 7 m_{2z3s4} \\ -1 + m_{1z2s5} + 2 m_{1z3s5} + 3 m_{1z4s5} + 4 m_{1z5s5} + 5 m_{2z1s5} + 6 m_{2z2s5} + 7 m_{2z3s5} \end{pmatrix}$$

```
n = 1; m = (3 * n + 7) / 2;
```

```
p[i_] := Sum[x^k * i^k, {k, 0, m - 1}];
```

```
in = Integrate[p[i] * p[j], {x, 0, 1}];
```

```
c = CoefficientList[in, {i, j}]; c // MatrixForm
```

$$\begin{pmatrix} 1 & \frac{1}{2} & \frac{1}{3} & \frac{1}{4} & \frac{1}{5} \\ \frac{1}{2} & \frac{1}{3} & \frac{1}{4} & \frac{1}{5} & \frac{1}{6} \\ \frac{1}{3} & \frac{1}{4} & \frac{1}{5} & \frac{1}{6} & \frac{1}{7} \\ \frac{1}{4} & \frac{1}{5} & \frac{1}{6} & \frac{1}{7} & \frac{1}{8} \\ \frac{1}{5} & \frac{1}{6} & \frac{1}{7} & \frac{1}{8} & \frac{1}{9} \end{pmatrix}$$

```
B = Simplify[Transpose[M].c.M] - IdentityMatrix[n + 2];
```

```
lB = Flatten[B * Normal[SparseArray[{i_, j_} /; j >= i -> 1, {n + 2, n + 2}]]];
```

```
Solve[lB == 0, Flatten[M2]] // MatrixForm
```

```
$Aborted
```

```
Solve[lB[[1]] == 0, m2[1, 1]]
```

```
Exit[]
```

```
n = 1; m = (3 * n + 7) / 2;
```

```
M1 = Table[Symbol["mlz" <> ToString[j] <> "s" <> ToString[i]], {j, n + 2}, {i, n + 2}];
M2 = Table[Symbol["m2z" <> ToString[j] <> "s" <> ToString[i]], {j, m - n - 2}, {i, n + 2}];
M = Join[M1, M2];
```

```
M // MatrixForm
```

$$\begin{pmatrix} mlz1s1 & mlz1s2 & mlz1s3 \\ mlz2s1 & mlz2s2 & mlz2s3 \\ mlz3s1 & mlz3s2 & mlz3s3 \\ m2z1s1 & m2z1s2 & m2z1s3 \\ m2z2s1 & m2z2s2 & m2z2s3 \end{pmatrix}$$

```
G = Flatten[(Expand[Transpose[M].c.M] - IdentityMatrix[n + 2]) *
```

```
Normal[SparseArray[{i_, j_} /; j >= i -> 1, {n + 2, n + 2}]]]; G // MatrixForm
```

$$\begin{pmatrix} -1 + mlz1s1^2 + mlz1s1 mlz2s1 + \frac{mlz2s1^2}{3} + \frac{2 mlz1s1 mlz3s1}{3} + \frac{mlz2s1 mlz3s1}{2} + \frac{mlz3s1^2}{5} + \frac{mlz1s1 m2z1s1}{2} + \frac{2 mlz2s1 m2z1s1}{5} \\ mlz1s1 mlz1s2 + \frac{mlz1s2 mlz2s1}{2} + \frac{mlz1s1 mlz2s2}{2} + \frac{mlz2s1 mlz2s2}{3} + \frac{mlz1s2 mlz3s1}{3} + \frac{mlz2s2 mlz3s1}{4} + \frac{mlz1s1 mlz3s2}{3} + \frac{mlz2s1 mlz3s2}{3} \\ mlz1s1 mlz1s3 + \frac{mlz1s3 mlz2s1}{2} + \frac{mlz1s1 mlz2s3}{2} + \frac{mlz2s1 mlz2s3}{3} + \frac{mlz1s3 mlz3s1}{3} + \frac{mlz2s3 mlz3s1}{4} + \frac{mlz1s1 mlz3s3}{3} + \frac{mlz2s1 mlz3s3}{3} \\ 0 \\ -1 + mlz1s2^2 + mlz1s2 mlz2s2 + \frac{mlz2s2^2}{3} + \frac{2 mlz1s2 mlz3s2}{3} + \frac{mlz2s2 mlz3s2}{2} + \frac{mlz3s2^2}{5} + \frac{mlz1s2 m2z1s2}{2} + \frac{2 mlz2s2 m2z1s2}{5} \\ mlz1s2 mlz1s3 + \frac{mlz1s3 mlz2s2}{2} + \frac{mlz1s2 mlz2s3}{2} + \frac{mlz2s2 mlz2s3}{3} + \frac{mlz1s3 mlz3s2}{3} + \frac{mlz2s3 mlz3s2}{4} + \frac{mlz1s2 mlz3s3}{3} + \frac{mlz2s2 mlz3s3}{3} \\ 0 \\ 0 \\ -1 + mlz1s3^2 + mlz1s3 mlz2s3 + \frac{mlz2s3^2}{3} + \frac{2 mlz1s3 mlz3s3}{3} + \frac{mlz2s3 mlz3s3}{2} + \frac{mlz3s3^2}{5} + \frac{mlz1s3 m2z1s3}{2} + \frac{2 mlz2s3 m2z1s3}{5} \end{pmatrix}$$

```
Solve[{G[[1]] == 0, G[[2]] == 0, G[[3]] == 0, G[[5]] == 0}, Flatten[M2]]
```

```
Solve::svars: Equations may not give solutions for all "solve" variables. >>
```

```
{ {m2z1s3 ->
```

$$\begin{aligned} & \left(158760 mlz1s1 mlz1s3 mlz2s2 + 35280 mlz1s3 mlz2s1 mlz2s2 - 158760 mlz1s1 mlz1s2 mlz2s3 - \right. \\ & 35280 mlz1s2 mlz2s1 mlz2s3 + 8820 mlz1s3 mlz2s2 mlz3s1 - 8820 mlz1s2 mlz2s3 mlz3s1 + \\ & 176400 mlz1s1 mlz1s3 mlz3s2 + 44100 mlz1s3 mlz2s1 mlz3s2 + \\ & 35280 mlz1s1 mlz2s3 mlz3s2 + 11760 mlz2s1 mlz2s3 mlz3s2 + 11760 mlz1s3 mlz3s1 mlz3s2 + \\ & 3528 mlz2s3 mlz3s1 mlz3s2 - 176400 mlz1s1 mlz1s2 mlz3s3 - 44100 mlz1s2 mlz2s1 mlz3s3 - \\ & 35280 mlz1s1 mlz2s2 mlz3s3 - 11760 mlz2s1 mlz2s2 mlz3s3 - 11760 mlz1s2 mlz3s1 mlz3s3 - \\ & 3528 mlz2s2 mlz3s1 mlz3s3 - 3528 mlz1s3 mlz2s2 m2z2s1 + 3528 mlz1s2 mlz2s3 m2z2s1 - \\ & 5040 mlz1s3 mlz3s2 m2z2s1 - 1680 mlz2s3 mlz3s2 m2z2s1 + 5040 mlz1s2 mlz3s3 m2z2s1 + \\ & 1680 mlz2s2 mlz3s3 m2z2s1 + 158760 mlz1s1 mlz1s3 m2z2s2 + 44100 mlz1s3 mlz2s1 m2z2s2 + \\ & 47628 mlz1s1 mlz2s3 m2z2s2 + 17640 mlz2s1 mlz2s3 m2z2s2 + 12600 mlz1s3 mlz3s1 m2z2s2 + \\ & 5670 mlz2s3 mlz3s1 m2z2s2 + 17640 mlz1s1 mlz3s3 m2z2s2 + 7350 mlz2s1 mlz3s3 m2z2s2 + \\ & 2520 mlz3s1 mlz3s3 m2z2s2 - 5880 mlz1s3 m2z2s1 m2z2s2 - 2940 mlz2s3 m2z2s1 m2z2s2 - \\ & 1400 mlz3s3 m2z2s1 m2z2s2 + \frac{2835}{2} mlz1s1 mlz1s3 \left(-210 mlz1s2 - 168 mlz2s2 - \right. \\ & 140 mlz3s2 - 105 m2z2s2 - \sqrt{100800 - 56700 mlz1s2^2 - 30240 mlz1s2 mlz2s2 -} \\ & 5376 mlz2s2^2 - 8400 mlz1s2 mlz3s2 - 3360 mlz2s2 mlz3s2 - 560 mlz3s2^2 + \\ & \left. \left. 3780 mlz1s2 m2z2s2 + 1680 mlz2s2 m2z2s2 + 600 mlz3s2 m2z2s2 - 175 m2z2s2^2 \right) \right) + \end{aligned}$$

[illegible]

$$\begin{aligned}
& \sqrt{\left(100\,800 - 56\,700\, m_{1z1s2}^2 - 30\,240\, m_{1z1s2}\, m_{1z2s2} - 5376\, m_{1z2s2}^2 - \right. \\
& \quad \left. 8400\, m_{1z1s2}\, m_{1z3s2} - 3360\, m_{1z2s2}\, m_{1z3s2} - 560\, m_{1z3s2}^2 + 3780\, m_{1z1s2}\, m_{2z2s2} + \right. \\
& \quad \left. 1680\, m_{1z2s2}\, m_{2z2s2} + 600\, m_{1z3s2}\, m_{2z2s2} - 175\, m_{2z2s2}^2\right) \Big) - \\
& 158\,760\, m_{1z1s1}\, m_{1z1s2}\, m_{2z2s3} - 44\,100\, m_{1z1s2}\, m_{1z2s1}\, m_{2z2s3} - \\
& 47\,628\, m_{1z1s1}\, m_{1z2s2}\, m_{2z2s3} - \\
& 17\,640\, m_{1z2s1}\, m_{1z2s2}\, m_{2z2s3} - \\
& 12\,600\, m_{1z1s2}\, m_{1z3s1}\, m_{2z2s3} - \\
& 5670\, m_{1z2s2}\, m_{1z3s1}\, m_{2z2s3} - \\
& 17\,640\, m_{1z1s1}\, m_{1z3s2}\, m_{2z2s3} - \\
& 7350\, m_{1z2s1}\, m_{1z3s2}\, m_{2z2s3} - \\
& 2520\, m_{1z3s1}\, m_{1z3s2}\, m_{2z2s3} + \\
& 5880\, m_{1z1s2}\, m_{2z2s1}\, m_{2z2s3} + \\
& 2940\, m_{1z2s2}\, m_{2z2s1}\, m_{2z2s3} + \\
& 1400\, m_{1z3s2}\, m_{2z2s1}\, m_{2z2s3} - \\
& \frac{189}{4}\, m_{1z1s1}\, \left(-210\, m_{1z1s2} - 168\, m_{1z2s2} - 140\, m_{1z3s2} - 105\, m_{2z2s2} - \right. \\
& \quad \left. \sqrt{\left(100\,800 - 56\,700\, m_{1z1s2}^2 - 30\,240\, m_{1z1s2}\, m_{1z2s2} - 5376\, m_{1z2s2}^2 - \right. \right. \\
& \quad \left. \left. 8400\, m_{1z1s2}\, m_{1z3s2} - 3360\, m_{1z2s2}\, m_{1z3s2} - 560\, m_{1z3s2}^2 + 3780\, m_{1z1s2}\, m_{2z2s2} + \right. \right. \\
& \quad \left. \left. 1680\, m_{1z2s2}\, m_{2z2s2} + 600\, m_{1z3s2}\, m_{2z2s2} - 175\, m_{2z2s2}^2\right) \Big) \right) m_{2z2s3} - \\
& 21\, m_{1z2s1}\, \left(-210\, m_{1z1s2} - 168\, m_{1z2s2} - 140\, m_{1z3s2} - 105\, m_{2z2s2} - \right. \\
& \quad \left. \sqrt{\left(100\,800 - 56\,700\, m_{1z1s2}^2 - 30\,240\, m_{1z1s2}\, m_{1z2s2} - 5376\, m_{1z2s2}^2 - \right. \right. \\
& \quad \left. \left. 8400\, m_{1z1s2}\, m_{1z3s2} - 3360\, m_{1z2s2}\, m_{1z3s2} - 560\, m_{1z3s2}^2 + 3780\, m_{1z1s2}\, m_{2z2s2} + \right. \right. \\
& \quad \left. \left. 1680\, m_{1z2s2}\, m_{2z2s2} + 600\, m_{1z3s2}\, m_{2z2s2} - 175\, m_{2z2s2}^2\right) \Big) \right) m_{2z2s3} - \\
& \frac{15}{2}\, m_{1z3s1}\, \left(-210\, m_{1z1s2} - 168\, m_{1z2s2} - 140\, m_{1z3s2} - 105\, m_{2z2s2} - \right. \\
& \quad \left. \sqrt{\left(100\,800 - 56\,700\, m_{1z1s2}^2 - 30\,240\, m_{1z1s2}\, m_{1z2s2} - 5376\, m_{1z2s2}^2 - \right. \right. \\
& \quad \left. \left. 8400\, m_{1z1s2}\, m_{1z3s2} - 3360\, m_{1z2s2}\, m_{1z3s2} - 560\, m_{1z3s2}^2 + 3780\, m_{1z1s2}\, m_{2z2s2} + \right. \right. \\
& \quad \left. \left. 1680\, m_{1z2s2}\, m_{2z2s2} + 600\, m_{1z3s2}\, m_{2z2s2} - 175\, m_{2z2s2}^2\right) \Big) \right) m_{2z2s3} + \\
& \frac{35}{8}\, m_{2z2s1}\, \left(-210\, m_{1z1s2} - 168\, m_{1z2s2} - 140\, m_{1z3s2} - 105\, m_{2z2s2} - \right. \\
& \quad \left. \sqrt{\left(100\,800 - 56\,700\, m_{1z1s2}^2 - 30\,240\, m_{1z1s2}\, m_{1z2s2} - 5376\, m_{1z2s2}^2 - \right. \right. \\
& \quad \left. \left. 8400\, m_{1z1s2}\, m_{1z3s2} - 3360\, m_{1z2s2}\, m_{1z3s2} - 560\, m_{1z3s2}^2 + 3780\, m_{1z1s2}\, m_{2z2s2} + \right. \right. \\
& \quad \left. \left. 1680\, m_{1z2s2}\, m_{2z2s2} + 600\, m_{1z3s2}\, m_{2z2s2} - 175\, m_{2z2s2}^2\right) \Big) \right) m_{2z2s3} \Big) / \\
& (170\,100\, m_{1z1s1}\, m_{1z1s2} + 45\,360\, m_{1z1s2}\, m_{1z2s1} + 45\,360\, m_{1z1s1}\, m_{1z2s2} + \\
& 16\,128\, m_{1z2s1}\, m_{1z2s2} + \\
& 12\,600\, m_{1z1s2}\, m_{1z3s1} + 5040\, m_{1z2s2}\, m_{1z3s1} + \\
& 12\,600\, m_{1z1s1}\, m_{1z3s2} + 5040\, m_{1z2s1}\, m_{1z3s2} + \\
& 1680\, m_{1z3s1}\, m_{1z3s2} - 5670\, m_{1z1s2}\, m_{2z2s1} - \\
& 2520\, m_{1z2s2}\, m_{2z2s1} - 900\, m_{1z3s2}\, m_{2z2s1} - \\
& 5670\, m_{1z1s1}\, m_{2z2s2} - 2520\, m_{1z2s1}\, m_{2z2s2} - \\
& 900\, m_{1z3s1}\, m_{2z2s2} + 525\, m_{2z2s1}\, m_{2z2s2}), \\
& m_{2z1s1} \rightarrow \left(529\,200\, m_{1z1s1} + 423\,360\, m_{1z2s1} - 158\,760\, m_{1z1s2}^2\, m_{1z2s1} + \right. \\
& 158\,760\, m_{1z1s1}\, m_{1z1s2}\, m_{1z2s2} - \\
& 35\,280\, m_{1z1s2}\, m_{1z2s1}\, m_{1z2s2} + 35\,280\, m_{1z1s1}\, m_{1z2s2}^2 + \\
& 352\,800\, m_{1z3s1} - 176\,400\, m_{1z1s2}^2\, m_{1z3s1} -
\end{aligned}$$

$$\begin{aligned}
& 79\,380\,mlz1s2\,mlz2s2\,mlz3s1 - 11\,760\,mlz2s2^2\,mlz3s1 + \\
& 176\,400\,mlz1s1\,mlz1s2\,mlz3s2 + \\
& 26\,460\,mlz1s2\,mlz2s1\,mlz3s2 + 52\,920\,mlz1s1\,mlz2s2\,mlz3s2 + \\
& 11\,760\,mlz2s1\,mlz2s2\,mlz3s2 - 11\,760\,mlz1s2\,mlz3s1\,mlz3s2 - \\
& 3528\,mlz2s2\,mlz3s1\,mlz3s2 + 11\,760\,mlz1s1\,mlz3s2^2 + \\
& 3528\,mlz2s1\,mlz3s2^2 + 264\,600\,m2z2s1 - \\
& 158\,760\,mlz1s2^2\,m2z2s1 - 91\,728\,mlz1s2\,mlz2s2\,m2z2s1 - \\
& 17\,640\,mlz2s2^2\,m2z2s1 - 30\,240\,mlz1s2\,mlz3s2\,m2z2s1 - \\
& 13\,020\,mlz2s2\,mlz3s2\,m2z2s1 - 2520\,mlz3s2^2\,m2z2s1 + \\
& 158\,760\,mlz1s1\,mlz1s2\,m2z2s2 + \\
& 51\,156\,mlz1s2\,mlz2s1\,m2z2s2 + 40\,572\,mlz1s1\,mlz2s2\,m2z2s2 + \\
& 17\,640\,mlz2s1\,mlz2s2\,m2z2s2 + 22\,680\,mlz1s2\,mlz3s1\,m2z2s2 + \\
& 9030\,mlz2s2\,mlz3s1\,m2z2s2 + 7560\,mlz1s1\,mlz3s2\,m2z2s2 + \\
& 3990\,mlz2s1\,mlz3s2\,m2z2s2 + 2520\,mlz3s1\,mlz3s2\,m2z2s2 + \\
& 5880\,mlz1s2\,m2z2s1\,m2z2s2 + 2940\,mlz2s2\,m2z2s1\,m2z2s2 + \\
& 1400\,mlz3s2\,m2z2s1\,m2z2s2 - 5880\,mlz1s1\,m2z2s2^2 - \\
& 2940\,mlz2s1\,m2z2s2^2 - 1400\,mlz3s1\,m2z2s2^2 + \\
& \frac{2835}{2}\,mlz1s1\,mlz1s2\,(-210\,mlz1s2 - 168\,mlz2s2 - 140\,mlz3s2 - 105\,m2z2s2 - \\
& \sqrt{(100\,800 - 56\,700\,mlz1s2^2 - 30\,240\,mlz1s2\,mlz2s2 - 5376\,mlz2s2^2 - \\
& 8400\,mlz1s2\,mlz3s2 - 3360\,mlz2s2\,mlz3s2 - 560\,mlz3s2^2 + 3780\,mlz1s2\,m2z2s2 + \\
& 1680\,mlz2s2\,m2z2s2 + 600\,mlz3s2\,m2z2s2 - 175\,m2z2s2^2)}) + \\
& 378\,mlz1s2\,mlz2s1\,(-210\,mlz1s2 - 168\,mlz2s2 - 140\,mlz3s2 - 105\,m2z2s2 - \\
& \sqrt{(100\,800 - 56\,700\,mlz1s2^2 - 30\,240\,mlz1s2\,mlz2s2 - 5376\,mlz2s2^2 - \\
& 8400\,mlz1s2\,mlz3s2 - 3360\,mlz2s2\,mlz3s2 - 560\,mlz3s2^2 + 3780\,mlz1s2\,m2z2s2 + \\
& 1680\,mlz2s2\,m2z2s2 + 600\,mlz3s2\,m2z2s2 - 175\,m2z2s2^2)}) + \\
& 378\,mlz1s1\,mlz2s2\,(-210\,mlz1s2 - 168\,mlz2s2 - 140\,mlz3s2 - 105\,m2z2s2 - \\
& \sqrt{(100\,800 - 56\,700\,mlz1s2^2 - 30\,240\,mlz1s2\,mlz2s2 - 5376\,mlz2s2^2 - \\
& 8400\,mlz1s2\,mlz3s2 - 3360\,mlz2s2\,mlz3s2 - 560\,mlz3s2^2 + 3780\,mlz1s2\,m2z2s2 + \\
& 1680\,mlz2s2\,m2z2s2 + 600\,mlz3s2\,m2z2s2 - 175\,m2z2s2^2)}) + \\
& \frac{672}{5}\,mlz2s1\,mlz2s2\,(-210\,mlz1s2 - 168\,mlz2s2 - 140\,mlz3s2 - 105\,m2z2s2 - \\
& \sqrt{(100\,800 - 56\,700\,mlz1s2^2 - 30\,240\,mlz1s2\,mlz2s2 - 5376\,mlz2s2^2 - \\
& 8400\,mlz1s2\,mlz3s2 - 3360\,mlz2s2\,mlz3s2 - 560\,mlz3s2^2 + 3780\,mlz1s2\,m2z2s2 + \\
& 1680\,mlz2s2\,m2z2s2 + 600\,mlz3s2\,m2z2s2 - 175\,m2z2s2^2)}) + \\
& 105\,mlz1s2\,mlz3s1\,(-210\,mlz1s2 - 168\,mlz2s2 - 140\,mlz3s2 - 105\,m2z2s2 - \\
& \sqrt{(100\,800 - 56\,700\,mlz1s2^2 - 30\,240\,mlz1s2\,mlz2s2 - 5376\,mlz2s2^2 - \\
& 8400\,mlz1s2\,mlz3s2 - 3360\,mlz2s2\,mlz3s2 - 560\,mlz3s2^2 + 3780\,mlz1s2\,m2z2s2 + \\
& 1680\,mlz2s2\,m2z2s2 + 600\,mlz3s2\,m2z2s2 - 175\,m2z2s2^2)}) + \\
& 42\,mlz2s2\,mlz3s1\,(-210\,mlz1s2 - 168\,mlz2s2 - 140\,mlz3s2 - 105\,m2z2s2 - \\
& \sqrt{(100\,800 - 56\,700\,mlz1s2^2 - 30\,240\,mlz1s2\,mlz2s2 - 5376\,mlz2s2^2 - \\
& 8400\,mlz1s2\,mlz3s2 - 3360\,mlz2s2\,mlz3s2 - 560\,mlz3s2^2 + 3780\,mlz1s2\,m2z2s2 + \\
& 1680\,mlz2s2\,m2z2s2 + 600\,mlz3s2\,m2z2s2 - 175\,m2z2s2^2)}) + \\
& 105\,mlz1s1\,mlz3s2\,(-210\,mlz1s2 - 168\,mlz2s2 - 140\,mlz3s2 - 105\,m2z2s2 - \\
& \sqrt{(100\,800 - 56\,700\,mlz1s2^2 - 30\,240\,mlz1s2\,mlz2s2 - 5376\,mlz2s2^2 - \\
& 8400\,mlz1s2\,mlz3s2 - 3360\,mlz2s2\,mlz3s2 - 560\,mlz3s2^2 + 3780\,mlz1s2\,m2z2s2 +
\end{aligned}$$

$$(-302\,400 + 170\,100\, m_1 z_1 s^2 + 90\,720\, m_1 z_1 s\, m_1 z_2 s + 16\,128\, m_1 z_2 s^2 +$$

$$\begin{aligned}
& 25\,200\, m_1 z_1 s_2\, m_1 z_3 s_2 + \\
& 10\,080\, m_1 z_2 s_2\, m_1 z_3 s_2 + 1680\, m_1 z_3 s_2^2 - \\
& 11\,340\, m_1 z_1 s_2\, m_2 z_2 s_2 - 5040\, m_1 z_2 s_2\, m_2 z_2 s_2 - \\
& 1800\, m_1 z_3 s_2\, m_2 z_2 s_2 + 525\, m_2 z_2 s_2^2 \Big), \\
& m_2 z_1 s_2 \rightarrow \frac{1}{120} \Big(-210\, m_1 z_1 s_2 - 168\, m_1 z_2 s_2 - 140\, m_1 z_3 s_2 - 105\, m_2 z_2 s_2 - \\
& \sqrt{ \Big(100\,800 - 56\,700\, m_1 z_1 s_2^2 - 30\,240\, m_1 z_1 s_2\, m_1 z_2 s_2 - 5376\, m_1 z_2 s_2^2 - \\
& 8400\, m_1 z_1 s_2\, m_1 z_3 s_2 - 3360\, m_1 z_2 s_2\, m_1 z_3 s_2 - 560\, m_1 z_3 s_2^2 + 3780\, m_1 z_1 s_2\, m_2 z_2 s_2 + \\
& 1680\, m_1 z_2 s_2\, m_2 z_2 s_2 + 600\, m_1 z_3 s_2\, m_2 z_2 s_2 - 175\, m_2 z_2 s_2^2 \Big) } \Big), \\
& \{ m_2 z_1 s_3 \rightarrow \Big(158\,760\, m_1 z_1 s_1\, m_1 z_1 s_3\, m_1 z_2 s_2 + 35\,280\, m_1 z_1 s_3\, m_1 z_2 s_1\, m_1 z_2 s_2 - \\
& 158\,760\, m_1 z_1 s_1\, m_1 z_1 s_2\, m_1 z_2 s_3 - \\
& 35\,280\, m_1 z_1 s_2\, m_1 z_2 s_1\, m_1 z_2 s_3 + \\
& 8820\, m_1 z_1 s_3\, m_1 z_2 s_2\, m_1 z_3 s_1 - \\
& 8820\, m_1 z_1 s_2\, m_1 z_2 s_3\, m_1 z_3 s_1 + \\
& 176\,400\, m_1 z_1 s_1\, m_1 z_1 s_3\, m_1 z_3 s_2 + \\
& 44\,100\, m_1 z_1 s_3\, m_1 z_2 s_1\, m_1 z_3 s_2 + \\
& 35\,280\, m_1 z_1 s_1\, m_1 z_2 s_3\, m_1 z_3 s_2 + \\
& 11\,760\, m_1 z_2 s_1\, m_1 z_2 s_3\, m_1 z_3 s_2 + \\
& 11\,760\, m_1 z_1 s_3\, m_1 z_3 s_1\, m_1 z_3 s_2 + \\
& 3528\, m_1 z_2 s_3\, m_1 z_3 s_1\, m_1 z_3 s_2 - \\
& 176\,400\, m_1 z_1 s_1\, m_1 z_1 s_2\, m_1 z_3 s_3 - \\
& 44\,100\, m_1 z_1 s_2\, m_1 z_2 s_1\, m_1 z_3 s_3 - \\
& 35\,280\, m_1 z_1 s_1\, m_1 z_2 s_2\, m_1 z_3 s_3 - \\
& 11\,760\, m_1 z_2 s_1\, m_1 z_2 s_2\, m_1 z_3 s_3 - \\
& 11\,760\, m_1 z_1 s_2\, m_1 z_3 s_1\, m_1 z_3 s_3 - \\
& 3528\, m_1 z_2 s_2\, m_1 z_3 s_1\, m_1 z_3 s_3 - \\
& 3528\, m_1 z_1 s_3\, m_1 z_2 s_2\, m_2 z_2 s_1 + \\
& 3528\, m_1 z_1 s_2\, m_1 z_2 s_3\, m_2 z_2 s_1 - \\
& 5040\, m_1 z_1 s_3\, m_1 z_3 s_2\, m_2 z_2 s_1 - \\
& 1680\, m_1 z_2 s_3\, m_1 z_3 s_2\, m_2 z_2 s_1 + \\
& 5040\, m_1 z_1 s_2\, m_1 z_3 s_3\, m_2 z_2 s_1 + \\
& 1680\, m_1 z_2 s_2\, m_1 z_3 s_3\, m_2 z_2 s_1 + \\
& 158\,760\, m_1 z_1 s_1\, m_1 z_1 s_3\, m_2 z_2 s_2 + \\
& 44\,100\, m_1 z_1 s_3\, m_1 z_2 s_1\, m_2 z_2 s_2 + \\
& 47\,628\, m_1 z_1 s_1\, m_1 z_2 s_3\, m_2 z_2 s_2 + \\
& 17\,640\, m_1 z_2 s_1\, m_1 z_2 s_3\, m_2 z_2 s_2 + \\
& 12\,600\, m_1 z_1 s_3\, m_1 z_3 s_1\, m_2 z_2 s_2 + \\
& 5670\, m_1 z_2 s_3\, m_1 z_3 s_1\, m_2 z_2 s_2 + \\
& 17\,640\, m_1 z_1 s_1\, m_1 z_3 s_3\, m_2 z_2 s_2 + \\
& 7350\, m_1 z_2 s_1\, m_1 z_3 s_3\, m_2 z_2 s_2 + \\
& 2520\, m_1 z_3 s_1\, m_1 z_3 s_3\, m_2 z_2 s_2 - 5880\, m_1 z_1 s_3\, m_2 z_2 s_1\, m_2 z_2 s_2 - \\
& 2940\, m_1 z_2 s_3\, m_2 z_2 s_1\, m_2 z_2 s_2 - 1400\, m_1 z_3 s_3\, m_2 z_2 s_1\, m_2 z_2 s_2 + \\
& \frac{2835}{2} \, m_1 z_1 s_1\, m_1 z_1 s_3 \Big(-210\, m_1 z_1 s_2 - 168\, m_1 z_2 s_2 - 140\, m_1 z_3 s_2 - 105\, m_2 z_2 s_2 + \\
& \sqrt{ \Big(100\,800 - 56\,700\, m_1 z_1 s_2^2 - 30\,240\, m_1 z_1 s_2\, m_1 z_2 s_2 - 5376\, m_1 z_2 s_2^2 - \\
& 8400\, m_1 z_1 s_2\, m_1 z_3 s_2 - 3360\, m_1 z_2 s_2\, m_1 z_3 s_2 - 560\, m_1 z_3 s_2^2 + 3780\, m_1 z_1 s_2\, m_2 z_2 s_2 + \\
& 1680\, m_1 z_2 s_2\, m_2 z_2 s_2 + 600\, m_1 z_3 s_2\, m_2 z_2 s_2 - 175\, m_2 z_2 s_2^2 \Big) } \Big) +
\end{aligned}$$

[illegible]

$$\begin{aligned}
& \sqrt{(100\,800 - 56\,700\, m_{1z1s2}^2 - 30\,240\, m_{1z1s2}\, m_{1z2s2} - 5376\, m_{1z2s2}^2 - \\
& \quad 8400\, m_{1z1s2}\, m_{1z3s2} - 3360\, m_{1z2s2}\, m_{1z3s2} - 560\, m_{1z3s2}^2 + 3780\, m_{1z1s2}\, m_{2z2s2} + \\
& \quad 1680\, m_{1z2s2}\, m_{2z2s2} + 600\, m_{1z3s2}\, m_{2z2s2} - 175\, m_{2z2s2}^2)} - \\
& 158\,760\, m_{1z1s1}\, m_{1z1s2}\, m_{2z2s3} - 44\,100\, m_{1z1s2}\, m_{1z2s1}\, m_{2z2s3} - \\
& 47\,628\, m_{1z1s1}\, m_{1z2s2}\, m_{2z2s3} - \\
& 17\,640\, m_{1z2s1}\, m_{1z2s2}\, m_{2z2s3} - \\
& 12\,600\, m_{1z1s2}\, m_{1z3s1}\, m_{2z2s3} - \\
& 5670\, m_{1z2s2}\, m_{1z3s1}\, m_{2z2s3} - \\
& 17\,640\, m_{1z1s1}\, m_{1z3s2}\, m_{2z2s3} - \\
& 7350\, m_{1z2s1}\, m_{1z3s2}\, m_{2z2s3} - \\
& 2520\, m_{1z3s1}\, m_{1z3s2}\, m_{2z2s3} + \\
& 5880\, m_{1z1s2}\, m_{2z2s1}\, m_{2z2s3} + \\
& 2940\, m_{1z2s2}\, m_{2z2s1}\, m_{2z2s3} + \\
& 1400\, m_{1z3s2}\, m_{2z2s1}\, m_{2z2s3} - \\
& \frac{189}{4}\, m_{1z1s1}\, (-210\, m_{1z1s2} - 168\, m_{1z2s2} - 140\, m_{1z3s2} - 105\, m_{2z2s2} + \\
& \quad \sqrt{(100\,800 - 56\,700\, m_{1z1s2}^2 - 30\,240\, m_{1z1s2}\, m_{1z2s2} - 5376\, m_{1z2s2}^2 - \\
& \quad 8400\, m_{1z1s2}\, m_{1z3s2} - 3360\, m_{1z2s2}\, m_{1z3s2} - 560\, m_{1z3s2}^2 + 3780\, m_{1z1s2}\, m_{2z2s2} + \\
& \quad 1680\, m_{1z2s2}\, m_{2z2s2} + 600\, m_{1z3s2}\, m_{2z2s2} - 175\, m_{2z2s2}^2)})\, m_{2z2s3} - \\
& 21\, m_{1z2s1}\, (-210\, m_{1z1s2} - 168\, m_{1z2s2} - 140\, m_{1z3s2} - 105\, m_{2z2s2} + \\
& \quad \sqrt{(100\,800 - 56\,700\, m_{1z1s2}^2 - 30\,240\, m_{1z1s2}\, m_{1z2s2} - 5376\, m_{1z2s2}^2 - \\
& \quad 8400\, m_{1z1s2}\, m_{1z3s2} - 3360\, m_{1z2s2}\, m_{1z3s2} - 560\, m_{1z3s2}^2 + 3780\, m_{1z1s2}\, m_{2z2s2} + \\
& \quad 1680\, m_{1z2s2}\, m_{2z2s2} + 600\, m_{1z3s2}\, m_{2z2s2} - 175\, m_{2z2s2}^2)})\, m_{2z2s3} - \\
& \frac{15}{2}\, m_{1z3s1}\, (-210\, m_{1z1s2} - 168\, m_{1z2s2} - 140\, m_{1z3s2} - 105\, m_{2z2s2} + \\
& \quad \sqrt{(100\,800 - 56\,700\, m_{1z1s2}^2 - 30\,240\, m_{1z1s2}\, m_{1z2s2} - 5376\, m_{1z2s2}^2 - \\
& \quad 8400\, m_{1z1s2}\, m_{1z3s2} - 3360\, m_{1z2s2}\, m_{1z3s2} - 560\, m_{1z3s2}^2 + 3780\, m_{1z1s2}\, m_{2z2s2} + \\
& \quad 1680\, m_{1z2s2}\, m_{2z2s2} + 600\, m_{1z3s2}\, m_{2z2s2} - 175\, m_{2z2s2}^2)})\, m_{2z2s3} + \\
& \frac{35}{8}\, m_{2z2s1}\, (-210\, m_{1z1s2} - 168\, m_{1z2s2} - 140\, m_{1z3s2} - 105\, m_{2z2s2} + \\
& \quad \sqrt{(100\,800 - 56\,700\, m_{1z1s2}^2 - 30\,240\, m_{1z1s2}\, m_{1z2s2} - 5376\, m_{1z2s2}^2 - \\
& \quad 8400\, m_{1z1s2}\, m_{1z3s2} - 3360\, m_{1z2s2}\, m_{1z3s2} - 560\, m_{1z3s2}^2 + 3780\, m_{1z1s2}\, m_{2z2s2} + \\
& \quad 1680\, m_{1z2s2}\, m_{2z2s2} + 600\, m_{1z3s2}\, m_{2z2s2} - 175\, m_{2z2s2}^2)})\, m_{2z2s3} \Big) / \\
& (170\,100\, m_{1z1s1}\, m_{1z1s2} + 45\,360\, m_{1z1s2}\, m_{1z2s1} + 45\,360\, m_{1z1s1}\, m_{1z2s2} + \\
& 16\,128\, m_{1z2s1}\, m_{1z2s2} + \\
& 12\,600\, m_{1z1s2}\, m_{1z3s1} + 5040\, m_{1z2s2}\, m_{1z3s1} + \\
& 12\,600\, m_{1z1s1}\, m_{1z3s2} + 5040\, m_{1z2s1}\, m_{1z3s2} + \\
& 1680\, m_{1z3s1}\, m_{1z3s2} - 5670\, m_{1z1s2}\, m_{2z2s1} - \\
& 2520\, m_{1z2s2}\, m_{2z2s1} - 900\, m_{1z3s2}\, m_{2z2s1} - \\
& 5670\, m_{1z1s1}\, m_{2z2s2} - 2520\, m_{1z2s1}\, m_{2z2s2} - \\
& 900\, m_{1z3s1}\, m_{2z2s2} + 525\, m_{2z2s1}\, m_{2z2s2}), \\
& m_{2z1s1} \rightarrow (529\,200\, m_{1z1s1} + 423\,360\, m_{1z2s1} - 158\,760\, m_{1z1s2}^2\, m_{1z2s1} + \\
& 158\,760\, m_{1z1s1}\, m_{1z1s2}\, m_{1z2s2} - \\
& 35\,280\, m_{1z1s2}\, m_{1z2s1}\, m_{1z2s2} + \\
& 35\,280\, m_{1z1s1}\, m_{1z2s2}^2 + 352\,800\, m_{1z3s1} -
\end{aligned}$$

$$\begin{aligned}
& 176\,400\, m_1 z_1 s^2 m_1 z_3 s_1 - \\
& 79\,380\, m_1 z_1 s_2 m_1 z_2 s_2 m_1 z_3 s_1 - \\
& 11\,760\, m_1 z_2 s^2 m_1 z_3 s_1 + \\
& 176\,400\, m_1 z_1 s_1 m_1 z_1 s_2 m_1 z_3 s_2 + \\
& 26\,460\, m_1 z_1 s_2 m_1 z_2 s_1 m_1 z_3 s_2 + \\
& 52\,920\, m_1 z_1 s_1 m_1 z_2 s_2 m_1 z_3 s_2 + \\
& 11\,760\, m_1 z_2 s_1 m_1 z_2 s_2 m_1 z_3 s_2 - \\
& 11\,760\, m_1 z_1 s_2 m_1 z_3 s_1 m_1 z_3 s_2 - \\
& 3528\, m_1 z_2 s_2 m_1 z_3 s_1 m_1 z_3 s_2 + \\
& 11\,760\, m_1 z_1 s_1 m_1 z_3 s_2^2 + 3528\, m_1 z_2 s_1 m_1 z_3 s_2^2 + \\
& 264\,600\, m_2 z_2 s_1 - 158\,760\, m_1 z_1 s^2 m_2 z_2 s_1 - \\
& 91\,728\, m_1 z_1 s_2 m_1 z_2 s_2 m_2 z_2 s_1 - \\
& 17\,640\, m_1 z_2 s^2 m_2 z_2 s_1 - \\
& 30\,240\, m_1 z_1 s_2 m_1 z_3 s_2 m_2 z_2 s_1 - \\
& 13\,020\, m_1 z_2 s_2 m_1 z_3 s_2 m_2 z_2 s_1 - 2520\, m_1 z_3 s^2 m_2 z_2 s_1 + \\
& 158\,760\, m_1 z_1 s_1 m_1 z_1 s_2 m_2 z_2 s_2 + \\
& 51\,156\, m_1 z_1 s_2 m_1 z_2 s_1 m_2 z_2 s_2 + \\
& 40\,572\, m_1 z_1 s_1 m_1 z_2 s_2 m_2 z_2 s_2 + \\
& 17\,640\, m_1 z_2 s_1 m_1 z_2 s_2 m_2 z_2 s_2 + \\
& 22\,680\, m_1 z_1 s_2 m_1 z_3 s_1 m_2 z_2 s_2 + \\
& 9030\, m_1 z_2 s_2 m_1 z_3 s_1 m_2 z_2 s_2 + \\
& 7560\, m_1 z_1 s_1 m_1 z_3 s_2 m_2 z_2 s_2 + \\
& 3990\, m_1 z_2 s_1 m_1 z_3 s_2 m_2 z_2 s_2 + \\
& 2520\, m_1 z_3 s_1 m_1 z_3 s_2 m_2 z_2 s_2 + \\
& 5880\, m_1 z_1 s_2 m_2 z_2 s_1 m_2 z_2 s_2 + \\
& 2940\, m_1 z_2 s_2 m_2 z_2 s_1 m_2 z_2 s_2 + \\
& 1400\, m_1 z_3 s_2 m_2 z_2 s_1 m_2 z_2 s_2 - 5880\, m_1 z_1 s_1 m_2 z_2 s^2 - \\
& 2940\, m_1 z_2 s_1 m_2 z_2 s^2 - 1400\, m_1 z_3 s_1 m_2 z_2 s^2 + \\
& \frac{2835}{2} m_1 z_1 s_1 m_1 z_1 s_2 \left(-210\, m_1 z_1 s_2 - 168\, m_1 z_2 s_2 - 140\, m_1 z_3 s_2 - 105\, m_2 z_2 s_2 + \right. \\
& \quad \left. \sqrt{\left(100\,800 - 56\,700\, m_1 z_1 s^2 - 30\,240\, m_1 z_1 s_2 m_1 z_2 s_2 - 5376\, m_1 z_2 s^2 - \right. \right. \\
& \quad \left. \left. 8400\, m_1 z_1 s_2 m_1 z_3 s_2 - 3360\, m_1 z_2 s_2 m_1 z_3 s_2 - 560\, m_1 z_3 s^2 + 3780\, m_1 z_1 s_2 m_2 z_2 s_2 + \right. \right. \\
& \quad \left. \left. 1680\, m_1 z_2 s_2 m_2 z_2 s_2 + 600\, m_1 z_3 s_2 m_2 z_2 s_2 - 175\, m_2 z_2 s^2 \right) \right) + \\
& 378\, m_1 z_1 s_2 m_1 z_2 s_1 \left(-210\, m_1 z_1 s_2 - 168\, m_1 z_2 s_2 - 140\, m_1 z_3 s_2 - 105\, m_2 z_2 s_2 + \right. \\
& \quad \left. \sqrt{\left(100\,800 - 56\,700\, m_1 z_1 s^2 - 30\,240\, m_1 z_1 s_2 m_1 z_2 s_2 - 5376\, m_1 z_2 s^2 - \right. \right. \\
& \quad \left. \left. 8400\, m_1 z_1 s_2 m_1 z_3 s_2 - 3360\, m_1 z_2 s_2 m_1 z_3 s_2 - 560\, m_1 z_3 s^2 + 3780\, m_1 z_1 s_2 m_2 z_2 s_2 + \right. \right. \\
& \quad \left. \left. 1680\, m_1 z_2 s_2 m_2 z_2 s_2 + 600\, m_1 z_3 s_2 m_2 z_2 s_2 - 175\, m_2 z_2 s^2 \right) \right) + \\
& 378\, m_1 z_1 s_1 m_1 z_2 s_2 \left(-210\, m_1 z_1 s_2 - 168\, m_1 z_2 s_2 - 140\, m_1 z_3 s_2 - 105\, m_2 z_2 s_2 + \right. \\
& \quad \left. \sqrt{\left(100\,800 - 56\,700\, m_1 z_1 s^2 - 30\,240\, m_1 z_1 s_2 m_1 z_2 s_2 - 5376\, m_1 z_2 s^2 - \right. \right. \\
& \quad \left. \left. 8400\, m_1 z_1 s_2 m_1 z_3 s_2 - 3360\, m_1 z_2 s_2 m_1 z_3 s_2 - 560\, m_1 z_3 s^2 + 3780\, m_1 z_1 s_2 m_2 z_2 s_2 + \right. \right. \\
& \quad \left. \left. 1680\, m_1 z_2 s_2 m_2 z_2 s_2 + 600\, m_1 z_3 s_2 m_2 z_2 s_2 - 175\, m_2 z_2 s^2 \right) \right) + \\
& \frac{672}{5} m_1 z_2 s_1 m_1 z_2 s_2 \left(-210\, m_1 z_1 s_2 - 168\, m_1 z_2 s_2 - 140\, m_1 z_3 s_2 - 105\, m_2 z_2 s_2 + \right. \\
& \quad \left. \sqrt{\left(100\,800 - 56\,700\, m_1 z_1 s^2 - 30\,240\, m_1 z_1 s_2 m_1 z_2 s_2 - 5376\, m_1 z_2 s^2 - \right. \right. \\
& \quad \left. \left. 8400\, m_1 z_1 s_2 m_1 z_3 s_2 - 3360\, m_1 z_2 s_2 m_1 z_3 s_2 - 560\, m_1 z_3 s^2 + 3780\, m_1 z_1 s_2 m_2 z_2 s_2 + \right. \right. \\
& \quad \left. \left. 1680\, m_1 z_2 s_2 m_2 z_2 s_2 + 600\, m_1 z_3 s_2 m_2 z_2 s_2 - 175\, m_2 z_2 s^2 \right) \right) + \\
& 105\, m_1 z_1 s_2 m_1 z_3 s_1 \left(-210\, m_1 z_1 s_2 - 168\, m_1 z_2 s_2 - 140\, m_1 z_3 s_2 - 105\, m_2 z_2 s_2 + \right.
\end{aligned}$$

$$\begin{aligned}
& \sqrt{\left(100800 - 56700 \, m1z1s2^2 - 30240 \, m1z1s2 \, m1z2s2 - 5376 \, m1z2s2^2 - \right. \\
& \quad \left. 8400 \, m1z1s2 \, m1z3s2 - 3360 \, m1z2s2 \, m1z3s2 - 560 \, m1z3s2^2 + 3780 \, m1z1s2 \, m2z2s2 + \right. \\
& \quad \left. 1680 \, m1z2s2 \, m2z2s2 + 600 \, m1z3s2 \, m2z2s2 - 175 \, m2z2s2^2\right) +} \\
& \frac{35}{8} \, m2z2s1 \, m2z2s2 \left(-210 \, m1z1s2 - 168 \, m1z2s2 - 140 \, m1z3s2 - 105 \, m2z2s2 + \right. \\
& \quad \left. \sqrt{\left(100800 - 56700 \, m1z1s2^2 - 30240 \, m1z1s2 \, m1z2s2 - 5376 \, m1z2s2^2 - \right. \right. \\
& \quad \left. \left. 8400 \, m1z1s2 \, m1z3s2 - 3360 \, m1z2s2 \, m1z3s2 - 560 \, m1z3s2^2 + 3780 \, m1z1s2 \, m2z2s2 + \right. \right. \\
& \quad \left. \left. 1680 \, m1z2s2 \, m2z2s2 + 600 \, m1z3s2 \, m2z2s2 - 175 \, m2z2s2^2\right)\right) \Bigg/ \\
& \left(-302400 + 170100 \, m1z1s2^2 + 90720 \, m1z1s2 \, m1z2s2 + 16128 \, m1z2s2^2 + \right. \\
& \quad 25200 \, m1z1s2 \, m1z3s2 + \\
& \quad 10080 \, m1z2s2 \, m1z3s2 + 1680 \, m1z3s2^2 - \\
& \quad 11340 \, m1z1s2 \, m2z2s2 - 5040 \, m1z2s2 \, m2z2s2 - \\
& \quad \left. 1800 \, m1z3s2 \, m2z2s2 + 525 \, m2z2s2^2\right), \\
& m2z1s2 \rightarrow \frac{1}{120} \left(-210 \, m1z1s2 - 168 \, m1z2s2 - 140 \, m1z3s2 - 105 \, m2z2s2 + \right. \\
& \quad \left. \sqrt{\left(100800 - 56700 \, m1z1s2^2 - 30240 \, m1z1s2 \, m1z2s2 - 5376 \, m1z2s2^2 - \right. \right. \\
& \quad \left. \left. 8400 \, m1z1s2 \, m1z3s2 - 3360 \, m1z2s2 \, m1z3s2 - 560 \, m1z3s2^2 + 3780 \, m1z1s2 \, m2z2s2 + \right. \right. \\
& \quad \left. \left. 1680 \, m1z2s2 \, m2z2s2 + 600 \, m1z3s2 \, m2z2s2 - 175 \, m2z2s2^2\right)\right) \Bigg\} \Bigg\}
\end{aligned}$$

Table[x_i, {i, 10}]

```
{x : Blank[1], x : Blank[2], x : Blank[3], x : Blank[4], x : Blank[5],
  x : Blank[6], x : Blank[7], x : Blank[8], x : Blank[9], x : Blank[10]}
```

Table[Symbol["m" <> ToString[i]], {i, 10}]

```
{m1, m2, m3, m4, m5, m6, m7, m8, m9, m10}
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