

```

Exit[]

$Assumptions = t > 0;

er := {Cos[a[t]], Sin[a[t]]}; ea := D[er, t] / D[a[t], t];

RS = {RS1, RS2}; rs := t^2 / 2 * RS; r = {rs + b * er, rs - b * ea, rs + b / 2 * (ea - er)};

m = {1, 1, 2}; F[i_] := Fr[i] * er + Fa[i] * ea

f := {(rr[1] - rr[2])^2, (rr[1] - rr[3])^2, (rr[2] - rr[3])^2};

eq1 =
  Table[Simplify[m[[i]] * D[r[[i]], {t, 2}] - F[i] - Sum[L[j] / 2 / b * D[f[[j]], rr[i]] /.
    {rr[1] -> r[[1]], rr[2] -> r[[2]], rr[3] -> r[[3]]}, {j, 3}], {i, 3}];

{RS1, RS2} = chi[t] * er + phi[t] * ea;
eq2 = Simplify[Normal[SparseArray[{{i_} /; i < 4 -> eq1[[i]].er,
  {i_} /; i > 3 -> eq1[[i - 3]].ea}, {6}]]]; eq2 // MatrixForm

Part::pspec: Part specification i is neither an integer nor a list of integers. >>

Part::pspec: Part specification -3 + i is neither an integer nor a list of integers. >>


$$\begin{pmatrix} \text{chi}[t] - \text{Fr}[1] - L[1] - \frac{3 L[2]}{2} - b a'[t]^2 \\ \text{chi}[t] - \text{Fr}[2] + L[1] - \frac{L[3]}{2} + b a''[t] \\ \frac{1}{2} (4 \text{chi}[t] - 2 \text{Fr}[3] + 3 L[2] + L[3] + 2 b a'[t]^2 - 2 b a''[t]) \\ - \text{Fa}[1] - L[1] + \frac{L[2]}{2} + \text{phi}[t] + b a''[t] \\ - \text{Fa}[2] + L[1] + \frac{3 L[3]}{2} + \text{phi}[t] + b a'[t]^2 \\ \frac{1}{2} (-2 \text{Fa}[3] - L[2] - 3 L[3] + 4 \text{phi}[t] - 2 b a'[t]^2 - 2 b a''[t]) \end{pmatrix}$$


M = {{1, 3 / 2, 0}, {-1, 0, 1 / 2}, {1, -1 / 2, 0}}; M // MatrixForm


$$\begin{pmatrix} 1 & \frac{3}{2} & 0 \\ -1 & 0 & \frac{1}{2} \\ 1 & -\frac{1}{2} & 0 \end{pmatrix}$$


Eliminate[eq2[[1 ;; 2]] == 0, L[1]]

True

```

eq2[[1]]

Part::pspec : Part specification 5 ((1) ..) is neither an integer nor a list of integers. >>

$$\left\{ \chi[t] - \text{Fr}[1] - \text{L}[1] - \frac{3 \text{L}[2]}{2} - \text{b a}'[t]^2, \chi[t] - \text{Fr}[2] + \text{L}[1] - \frac{\text{L}[3]}{2} + \text{b a}''[t], \right. \\ \frac{1}{2} \left(4 \chi[t] - 2 \text{Fr}[3] + 3 \text{L}[2] + \text{L}[3] + 2 \text{b a}'[t]^2 - 2 \text{b a}''[t] \right), \\ -\text{Fa}[1] - \text{L}[1] + \frac{\text{L}[2]}{2} + \text{phi}[t] + \text{b a}''[t], -\text{Fa}[2] + \text{L}[1] + \frac{3 \text{L}[3]}{2} + \text{phi}[t] + \text{b a}'[t]^2, \\ \left. \frac{1}{2} \left(-2 \text{Fa}[3] - \text{L}[2] - 3 \text{L}[3] + 4 \text{phi}[t] - 2 \text{b a}'[t]^2 - 2 \text{b a}''[t] \right) \right\} \llbracket 5 \left((1) \dots \right) \rrbracket$$