Oving 4, Open An.

Oppgave 1°

$$Mor X = 5 x_1 + 3x_2 + x_3 \quad S.t.$$

X1 + X2+3X3 + 6 /

 $S_{X_0} + 3_{X_2} + 6_{X_3} \leq 15$

 $\times_1, \times_2, \times_3 \geq 0$

Max Z 5. €.

$$z - 5x_1 - 3x_2 - x_3 = 0$$

 $x_1 + x_2 + 3x_3 + s_1 = 6$

 $S \times_{1} + 3 \times_{2} + 6 \times_{3} + S_{2} = (S)$

X, X2, X3, S3, S2 ≥ 0.

· Begin at in (Gal paine (BF solverion) (0,0,0,6,15)=(x1, x2, x3,51,52). (teration 18 X 2 X 3 S 1 R.H. S. ratio? 75 Nodiffeerce, chaose X2 as entering basic Variable I foral tranza X1 X2 X3 S1 S2 PRHS 0 5 0 1 15 ration 2/5/9/5] -1/5/1+3/+15/2=7.5 3/5 / 6/5 0 1/5

Switch with X, as basic Variable.

I foration 3! \times_1 \times_2 \times_3 S_1 S_2 \uparrow RMS. | -3/₃ 0 -3/₅ 1 - 1/₃ | + 1 \times_{2} \int_{3}^{5} 7. 2 0 $\frac{1}{3}$ \int_{3}^{5} $\int_{P} \text{ finality } \text{ fac hed } \text{ fwire}_{0}^{*}$ $(x_{0}^{*}, x_{2}^{*}, x_{3}^{*}) = (0, 5, 0).$ Solaton is optimal because will the coeff's in con o, (z-rov) ate all 20. b) We ove in a cycle of of Kmal solutions of we continue the simplex iterations. C) (suggest they choose one of the infinitely man 3 solutions along the line $\begin{pmatrix} \chi_{1} \\ \chi_{2} \\ \chi_{3} \end{pmatrix} (t) = t \begin{pmatrix} 3 \\ 0 \\ d \end{pmatrix} + (\gamma - t) \begin{pmatrix} 5 \\ 0 \\ 0 \end{pmatrix}$ d) we find detail values "

) We find detail values of 5.7 = 1, 5.7 = 0, meaning that we are not long strained by the first functional inequality constraints Also, we could increase

report is based on the optimal $SJMKan \left(X_{1}, X_{2}, X_{3}^{*} \right) = (3,0,0).$ As the increase in resource 2 ("orange") is within the allowable increase in the shis of the second for chand constraint, the apart BF-Sdufu des not change. De can therefore ful or new optimal Solution UE & $(\hat{\chi}_{1}^{*},\hat{\chi}_{2}^{*},\hat{\chi}_{3}^{*})=(6,0,0),\quad \text{with}$ $\hat{z} = 30$ However, when the availability of Mesonce 2 becomes 37, the Greation about our arrand solution fails, and we have to optimize again.

e) It appears that the rensitivity

5) Neither the paduction Plan or the chief the function culure changes until the Price for product 3 increases by more than 5. Workit then, the aptimal som Gorweternd temains the same.

This we can read off from the sens: this ty report.

L=[3, 1, A], JPB. 28 $(P) \quad min \quad 2 = 3x_1 - x_2 - A(-x_3) = C^T \times$ St. $2 \times_1 + \times_2 - (-\times_3) \leq 10$ $-C \chi_1 + (-\chi_3) \leq †1$ (=) 5 X₂-2(-X₃) B 5, $A \in \mathbb{R}^{3\times 3}$ ×1, X2 30, $(-\times_3)$ $\stackrel{?}{>}$ \bigcirc (p) max $w = 10y_1 + (y_2) + Sy_3$ $5.6. 2 \frac{1}{1} + 56\frac{1}{2}$ = 3 V_1 + $V_3 \in -1$ $-V_1+(-V_2)-2V_3 \leq (-1)$ Vy 50, $(-\gamma_2) \leq 0$ Y3 E0 E= 50.

Primal problems Dual Roblams

$$\text{max } Z = c^T \times \\
 \text{min } W = b^T y, \\
 \text{S.t. } A \times \leq b, \\
 \times Z d, \\
 \text{S.t. } A^T y \leq C, \\
 \times Z d, \\
 \text{S.t. } A^T y \leq C, \\$$

$$C = \begin{bmatrix} 3 \\ -1 \\ -A \end{bmatrix} = \begin{bmatrix} 3 \\ -1 \\ -0 \end{bmatrix}$$

$$\Rightarrow A = D = 13$$

$$\Rightarrow A = 0 = 13.$$

$$\ln Summargo$$

$$A = \begin{bmatrix} 3 \\ 6 \end{bmatrix}$$

$$\mathcal{P} = (\mathcal{L})_{\prime}$$

$$B = (2),$$

$$C = -9$$

$$B = (2),$$

$$C = -9,$$

$$D = (3)$$

$$E = (4)$$