\$\lambda\_{\text{in}[40]:=}\$ \$Assumptions = Element[R, Reals] && Element[M, Reals] && Element[h, Reals] && R > 0 \]  $\rho = \frac{M}{\frac{1}{3} \pi * R^2 * h}$ 

 $Out[40] = R \in Reals \&\& M \in Reals \&\& h \in Reals \&\& R > 0$ 

Out[41]= 
$$\frac{3 \text{ M}}{h \pi R^2}$$

$$\ln[45] := \mathbf{I}_{11} = \rho \star \int_{-R}^{R} \int_{-\sqrt{R^2 - x^2}}^{\sqrt{R^2 - x^2}} \int_{\frac{h_* \sqrt{x^2 + y^2}}{\rho}}^{h} \left( y^2 + z^2 \right) dz dy dx$$

Out[45]= 
$$\frac{3}{20}$$
 M  $(4 h^2 + R^2)$ 

$$\ln[46] := \ \, I_{22} \ \, = \ \, \rho \ \, \star \ \, \int_{-R}^{R} \int_{-\sqrt{R^{\wedge}2-x^{\wedge}2}}^{\sqrt{R^{\wedge}2-x^{\wedge}2}} \int_{\frac{h_{\star}\sqrt{x^{\wedge}2+y^{\wedge}2}}{2}}^{h} \left( x^{\wedge}2 + z^{\wedge}2 \right) \, d\!\!/ z \, d\!\!/ y \, d\!\!/ x$$

Out[46]= 
$$\frac{3}{20}$$
 M  $(4 h^2 + R^2)$ 

$$\ln[47] := \mathbf{I}_{33} = \rho \star \int_{-R}^{R} \int_{-\sqrt{R^2 - x^2}}^{\sqrt{R^2 - x^2}} \int_{\frac{h + \sqrt{x^2 + y^2}}{R}}^{h} \left( x^2 + y^2 \right) dz dy dx$$

Out[47]= 
$$\frac{3 \text{ M R}^2}{10}$$

$$\ln[48] := \mathbf{I}_{12} = \rho \star \int_{-R}^{R} \int_{-\sqrt{R^2 - x^2}}^{\sqrt{R^2 - x^2}} \int_{\frac{h_* \sqrt{x^2 + y^2}}{h_*}}^{h} (-x \star y) \, dx \, dy \, dx$$

Out[48]= **0** 

$$\ln[49] := \mathbf{I}_{13} = \rho \star \int_{-R}^{R} \int_{-\sqrt{R^2 - x^2}}^{\sqrt{R^2 - x^2}} \int_{\frac{h_* \sqrt{x^2 + y^2}}{R}}^{h} (-x \star z) \, dz \, dy \, dx$$

Out[49]= **0** 

$$\ln[51] = \mathbf{I}_{23} = \rho \star \int_{-R}^{R} \int_{-\sqrt{R^2 - x^2}}^{\sqrt{R^2 - x^2}} \int_{\frac{h_* \sqrt{x^2 + y^2}}{R}}^{h} (-y \star z) \, dz \, dy \, dx$$

Out[51]= 0