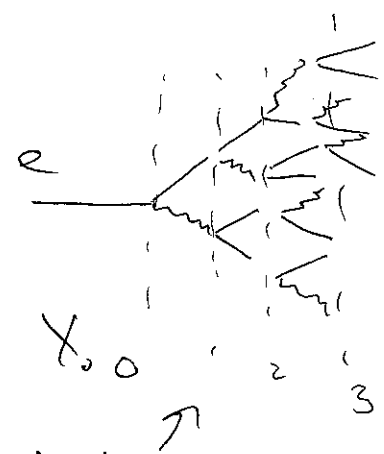


Similar Story  
for  $\gamma$ 's

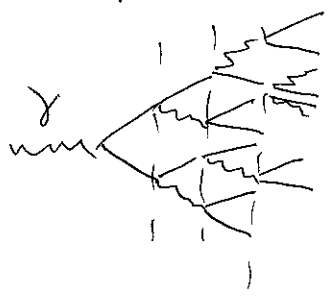
$E_c$  - critical energy  
 $\approx 10^2$  MeV  
 $(10^2 - 10^4 \text{ GeV})$

"Electromagnetic shower"

- each  $e$  (or  $\gamma$ ) w/  $E > E_c$  travels  $1 X_0$  then gives up  $1/2$  energy to  $\gamma$  (or  $e^+e^-$ )
- $e$ 's,  $\gamma$ 's with energy  $< E_c$  get absorbed via ionization.



look very similar



If initial Electron  $E_0 \gg E_c$   
 then after  $t$ -radiation lengths  
 there will be  $2^t$  particles,  
 ~ equal # of electrons /  $\gamma$ 's  
 each w/ energy  $E(t) = \frac{E_0}{2^t}$

Shower will stop growing when

$E(t) \approx E_c \equiv E(t_{\max})$  ← Point in shower w/ max particles

$$t_{\max} = t(E_c) = \frac{\ln(E_0/E_c)}{\ln 2}$$

- shower depth increases  $\ln$ .
- $N_{\max} = \frac{E_0}{E_c}$

For heavier particles Beam does not kick in  
until much higher energies

eg  $E_c \sim 3000 \text{ GeV}$

↳ for  $n$  in lead

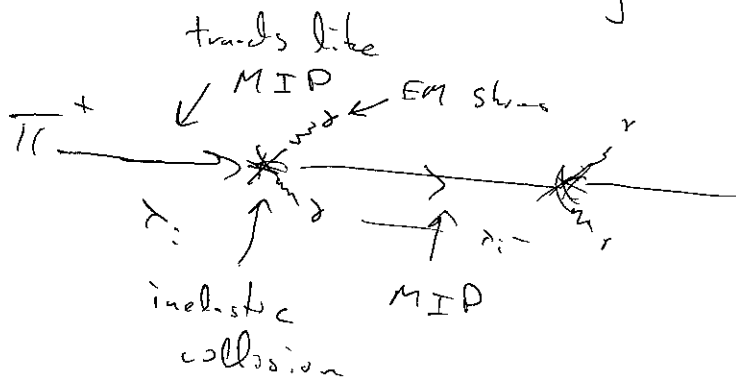
## Nuclear Interactions

If particle traversing medium is hadron, can interact via strong interaction.

eg  $\pi^\pm$  moving through detector material  
will suffer an inelastic collision in distance  $\lambda_i$

↳ Collision takes energy from  $\pi$  and convert it to additional hadrons (charged + neutral)

"Hadronic Shower" - much more complex than EM showers  
Involve a variety of processes @ different length scales.



↳  $\begin{cases} \pi^+ \sim \frac{1}{3} \\ \pi^0 \sim \frac{1}{3} \\ \pi^- \sim \frac{1}{3} \end{cases} \in B_r(\pi\pi) \sim 100\% \Rightarrow \text{EM shower w/ scale } X_0$   
travels  $\sim 10 \text{ nm}$

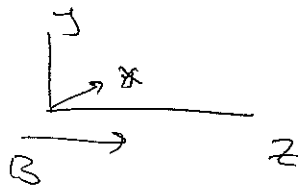
$\pi^\pm$  MIPs order  $\lambda_i$

$\Rightarrow$  Hadronic Showers develop over longer distances and contain much more fluctuations.

# Trackers (Ionising detectors in magnetic field)

①

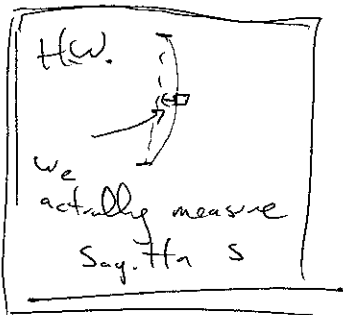
Charged particles traveling in magnetic field move in circles



$$\frac{1}{R(m)} = Q B(T) \frac{0.3}{P_T(GeV)}$$

Particle positions are measured by finely etched Si Sensors  
~10 nm resolution

What is measured is the curvature  $\propto \frac{1}{R} \propto \frac{1}{P_T}$



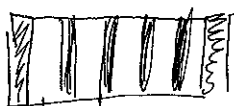
$$\Rightarrow \Delta \frac{1}{P_T} = \frac{\Delta P_T}{P_T^2} \Rightarrow \text{Relative uncertainty in } P_T \text{ depends on } 1/P_T$$

LHC typical performance

$$S = \frac{2BL^2}{8P_T} \text{ more important to have bigger } \frac{\Delta P_T}{P_T} \sim (\text{few \%}) \left( \frac{P_T}{100 \text{ GeV}} \right)$$

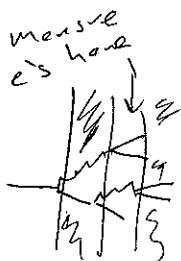
EM Calorimeter \* length then B

Contains & Measures  $e^-$ 's  $\gamma$ 's  $\pi^0 \rightarrow \gamma\gamma$



lead  $\rightarrow$  maximize  $\frac{X_0}{m}$   
medium sensitive to ionization  
Si / LAr

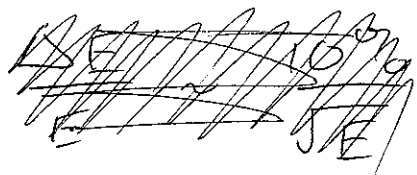
total depth  $\sim 20 X_0$   
(Enough to contain high  $P_T$  showers)



Only energy deposited in Si/LAr is measured. Rest is lost in lead  
unmeasured

Only a small fraction of total EM shower energy is collected. (2)

$$E \sim N_e \leftarrow \text{Amount that is collected scales like \# electrons produced.}$$



$$\frac{\Delta E}{E} \sim \frac{\Delta N}{N} \sim \frac{1}{\sqrt{N}} \sim \frac{1}{\sqrt{E}}$$

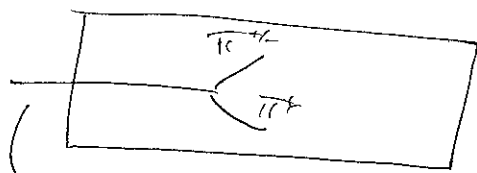
At the LHC typical performance

$$\frac{\Delta E}{E} \sim \frac{10\%}{\sqrt{E}}$$

Unlike tracks the relative energy measurement improves with  $E$ .

## Hadron Calorimeters

Imagine putting a  $\pi^+$  into the detector instead of  $e^-$



- total depth  $\sim 11 \lambda_I$

$\rightarrow$   $\pi$  will travel further B/c has to interact via strong force (much shorter range than EM)

$\pi^+$  will make other  $\pi^+$ 's &  $\pi^0$ 's

- Compared to  $e$ 's /  $\gamma$ 's you will make less particles

B/c the  $\pi$  mass is bigger (fewer @ fixed  $E$ )

$\Rightarrow$  more fluctuations

- Also have much more varied showers depending on what particles are produced  $\pi^+$  vs  $\pi^0$

Typical performance for hadrons

$$\frac{\Delta E}{E} \sim \frac{50\%}{\sqrt{E}}$$

### Muon Detectors

Put tracking detectors outside of the calorimeters

And if any charged particle makes it through  
 $\sim 3$  m of lead it has to be a  $\mu$ .

$\mu$  - / no strong interaction  
only rarely radiate  $\gamma$ 's (below  $\sim 3$  TeV)

### Neutrino Detectors @ LHC

$\nu$ 's leave no energy in detector. Can infer  
their presence from ~~the~~ momentum imbalance in  
transverse plane.

Poor Resolution, B/c have to measure  
everything in Event

### Trigger

LHC provides bunch crossing @ 40 MHz

each event is  $\sim 2$  kb  $\Rightarrow$  80 Tb/s

$\hookrightarrow$  Library of Congress  
 $\sim 10$  Tb

Can only afford to keep  $\sim 2$  Gb/s

Only keep  $1/40$  k events