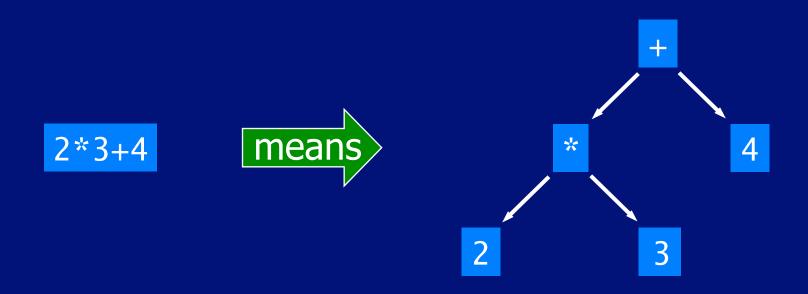
## What is a Parser?

A <u>parser</u> is a program that analyses a piece of text to determine its <u>syntactic structure</u>.



# Where Are They Used?

Almost every real life program uses some form of parser to <u>pre-process</u> its input.

**GHC** 

Unix

Explorer



Haskell programs

Shell scripts

HTML documents

# **The Parser Type**

In a functional language such as Haskell, parsers can naturally be viewed as <u>functions</u>.

type Parser = String → Tree

A parser is a function that takes a string and returns some form of tree.

However, a parser might not require all of its input string, so we also return any unused input:

A string might be parsable in many ways, including none, so we generalize to a <u>list of results</u>:

```
type Parser = String → [(Tree, String)]
```

Finally, a parser might not always produce a tree, so we generalize to a value of <u>any type</u>:

#### Note:

For simplicity, we will only consider parsers that either fail and return the empty list of results, or succeed and return a <u>singleton list</u>.

### **Basic Parsers**

The parser <u>item</u> fails if the input is empty, and consumes the first character otherwise:

```
item :: Parser Char

item = \lambdainp \rightarrow case inp of

[] \rightarrow []

(x:xs) \rightarrow [(x,xs)]
```

■ The parser <u>failure</u> always fails:

```
failure :: Parser a failure = λinp → []
```

The parser <u>return v</u> always succeeds, returning the value v without consuming any input:

```
return :: a → Parser a
return v = λinp → [(v,inp)]
```

The parser <u>p +++ q</u> behaves as the parser p if it succeeds, and as the parser q otherwise:

```
(+++) :: Parser a \rightarrow Parser
```

■ The function <u>parse</u> applies a parser to a string:

```
parse :: Parser a → String → [(a,String)]
parse p inp = p inp
```

# **Examples**

The behavior of the five parsing primitives can be illustrated with some simple examples:

```
% ghci Parsing
> parse item ""
[]
> parse item "abc"
[('a',"bc")]
```

```
> parse failure "abc"
> parse (return 1) "abc"
[(1, "abc")]
> parse (item +++ return 'd') "abc"
[('a',"bc")]
> parse (failure +++ return 'd') "abc"
[('d',"abc")]
```

#### Note:

■ The library file <u>Parsing</u> is available on the web from the Programming in Haskell home page.

- For technical reasons, the first failure example actually gives an error concerning types, but this does not occur in non-trivial examples.
- The Parser type is a <u>monad</u>, a mathematical structure that has proved useful for modeling many different kinds of computations.

# Sequencing

A sequence of parsers can be combined as a single composite parser using the keyword <u>do</u>.

### For example:

```
p :: Parser (Char, Char)
p = do x ← item
    item
    y ← item
    return (x,y)
```

#### Note:

Each parser must begin in precisely the same column. That is, the <u>layout rule</u> applies.

- The values returned by intermediate parsers are <u>discarded</u> by default, but if required can be named using the ← operator.
- The value returned by the <u>last</u> parser is the value returned by the sequence as a whole.

If any parser in a sequence of parsers <u>fails</u>, then the sequence as a whole fails. For example:

```
> parse p "abcdef"
[(('a','c'),"def")]
> parse p "ab"
[]
```

The do notation is not specific to the Parser type, but can be used with <u>any</u> monadic type.

## **Derived Primitives**

Parsing a character that <u>satisfies</u> a predicate:

Parsing a <u>digit</u> and specific <u>characters</u>:

```
digit :: Parser Char
digit = sat isDigit

char :: Char → Parser Char
char x = sat (x ==)
```

Applying a parser <u>zero or more</u> times:

```
many :: Parser a → Parser [a]
many p = many1 p +++ return []
```

Applying a parser one or more times:

Parsing a specific <u>string</u> of characters:

# **Example**

We can now define a parser that consumes a list of one or more digits from a string:

### For example:

```
> parse p "[1,2,3,4]"
[("1234","")]
> parse p "[1,2,3,4"
[]
```

#### Note:

More sophisticated parsing libraries can indicate and/or recover from <u>errors</u> in the input string.

# **Arithmetic Expressions**

Consider a simple form of <u>expressions</u> built up from single digits using the operations of addition + and multiplication \*, together with parentheses.

We also assume that:

- \* and + associate to the right;
- \* has higher priority than +.

Formally, the syntax of such expressions is defined by the following context free grammar:

```
expr → term '+' expr term
term → factor '*' term | factor
factor → digit | '(' expr ')'
digit → '0' | '1' | ... | '9'
```

However, for reasons of efficiency, it is important to <u>factorise</u> the rules for *expr* and *term*:

$$expr \rightarrow term ('+' expr \mid \epsilon)$$
 $term \rightarrow factor ('*' term \mid \epsilon)$ 

#### Note:

I The symbol  $\epsilon$  denotes the empty string.

It is now easy to translate the grammar into a parser that <u>evaluates</u> expressions, by simply rewriting the grammar rules using the parsing primitives.

### That is, we have:

```
term :: Parser Int
term = do f ← factor
do char '*'

t ← term
return (f * t)
+++ return f
```

## Finally, if we define

```
eval :: String -> Int
eval xs = fst (head (parse expr xs))
```

### then we try out some examples:

```
> eval "2*3+4"
10
> eval "2*(3+4)"
14
```

## **Exercises**

- (1) Why does factorising the expression grammar make the resulting parser more efficient?
- (2) Extend the expression parser to allow the use of subtraction and division, based upon the following extensions to the grammar:

```
expr \rightarrow term ('+' expr | '-' expr | \epsilon)
term \rightarrow factor ('*' term | '/' term | \epsilon)
```