I hereby confirm that the information provided by me is of completely my own work.

Signed: <u>Johnny Do</u> SID: <u>861003761</u>

### **Data Link GO HERE For Full Data**

https://docs.google.com/spreadsheets/d/1NxdQFLLHJceLcmOVW5KjiOLm4 w2T ZM7 6p oG9Gz7M/edit?usp=sharing

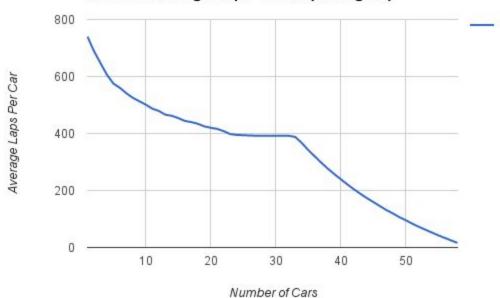
It is recommended to view the data set.

Information used was transferred over, somewhat, to aid in answering the questions.

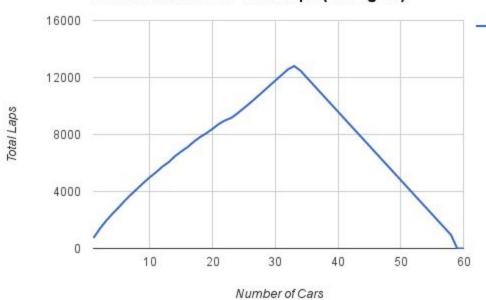
Experiment Questions Answered In Following Pages

# **Without Lights**

## Cars vs Average Lap Per Car (No Lights)



## Number of Cars vs Total Laps (No Lights)



### **Experiment:**

Measure the throughput (number of trips completed around the loop per hour) as a function of the number of zombies and find its maximum.

WIthout lights, the maximum is 33 cars on the road. We can somewhat estimate that value by looking at the graph, however with further analysis of the data on the spreadsheet, it is clear that if the number of zombies is 33, then we have a maximum.

What happens at "rush hour" when the roadway is (almost) completely filled with zombie cars?

At rush hour, when the roadway is almost completely filled, the actual throughput decreases dramatically. We see that from the graphs, it drops to almost nothing or nothing. Viewing the program data, we can more accurately see the number of laps is less.

confidence intervals

Using the formula: mean (+/-) t \* (s / sqrt(n))

With values:

T = 1.96

Confidence Level = 0.95

Alpha = 0.025

Mean = 337.862069

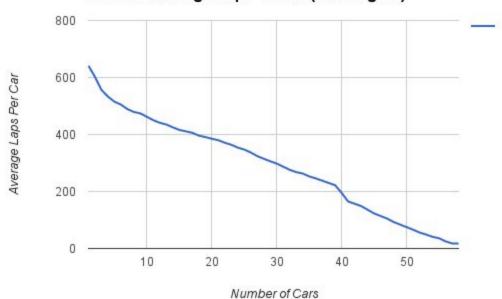
Standard Deviation = 183.2090598

Total Samples = 58

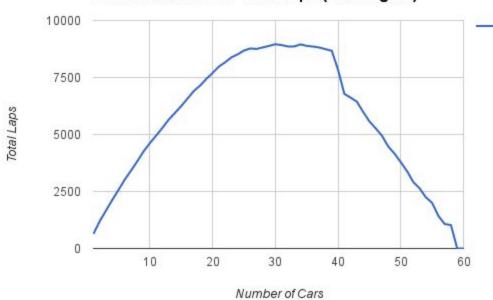
Our interval is [290.7112739 to 385.0128641]

## With Lights

## Cars vs Average Lap Per Car (With Lights)



## Number of Cars vs Total Laps (With Lights)



#### **Experiment:**

Measure the throughput (number of trips completed around the loop per hour) as a function of the number of zombies and find its maximum.

WIth lights, the maximum is 30 cars on the road. We can somewhat estimate that value by looking at the graph, though there seems to be some other values that could just as easily be the maximum, however with further analysis of the data on the spreadsheet, it is clear that if the number of zombies is 30, then we have a maximum.

What happens at "rush hour" when the roadway is (almost) completely filled with zombie cars?

At rush hour, when the roadway is almost completely filled, the actual throughput decreases dramatically just as before we installed the light and maybe even more so. We see that from the graphs, it drops to almost nothing or nothing. Viewing the program data, we can more accurately see the number of laps is less, even more so than the no light data. The stops here and there due to the light has quite the effect.

Using the formula: mean (+/-) t \* (s / sqrt(n))

With values:

T = 1.96

Confidence Level = 0.95

Alpha = 0.025

Mean = 337.862069

Standard Deviation = 183.2090598

**Total Samples = 58** 

Our interval is [246.3125507 to 332.8253804]