

Estimation of woodland canopy structure with terrestrial LiDAR: expanded methods

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1 1 Introduction

2 This document provides detailed field and analytical methods for the study of tree canopy struc-
3 ture in southern African woodlands. The study aimed to understand the effects of tree species di-
4 versity and stand structure on tree canopy structure and grass biomass. Chapter XXX contains
5 the same methods in brief.

6 2 Sampling

7 Fieldwork was conducted at two sites, the first in Bicuar National Park, southwest Angola ($S15.1^\circ$,
8 $E14.8^\circ$), and the second in and around Mtarure Forest Reserve, southeast Tanzania ($S9.0^\circ$, $E39.0^\circ$).
9 Fieldwork was conducted during the peak growth period of each site, in order to capture the high-
10 est foliage volume in the canopy and grass volume in the understorey.

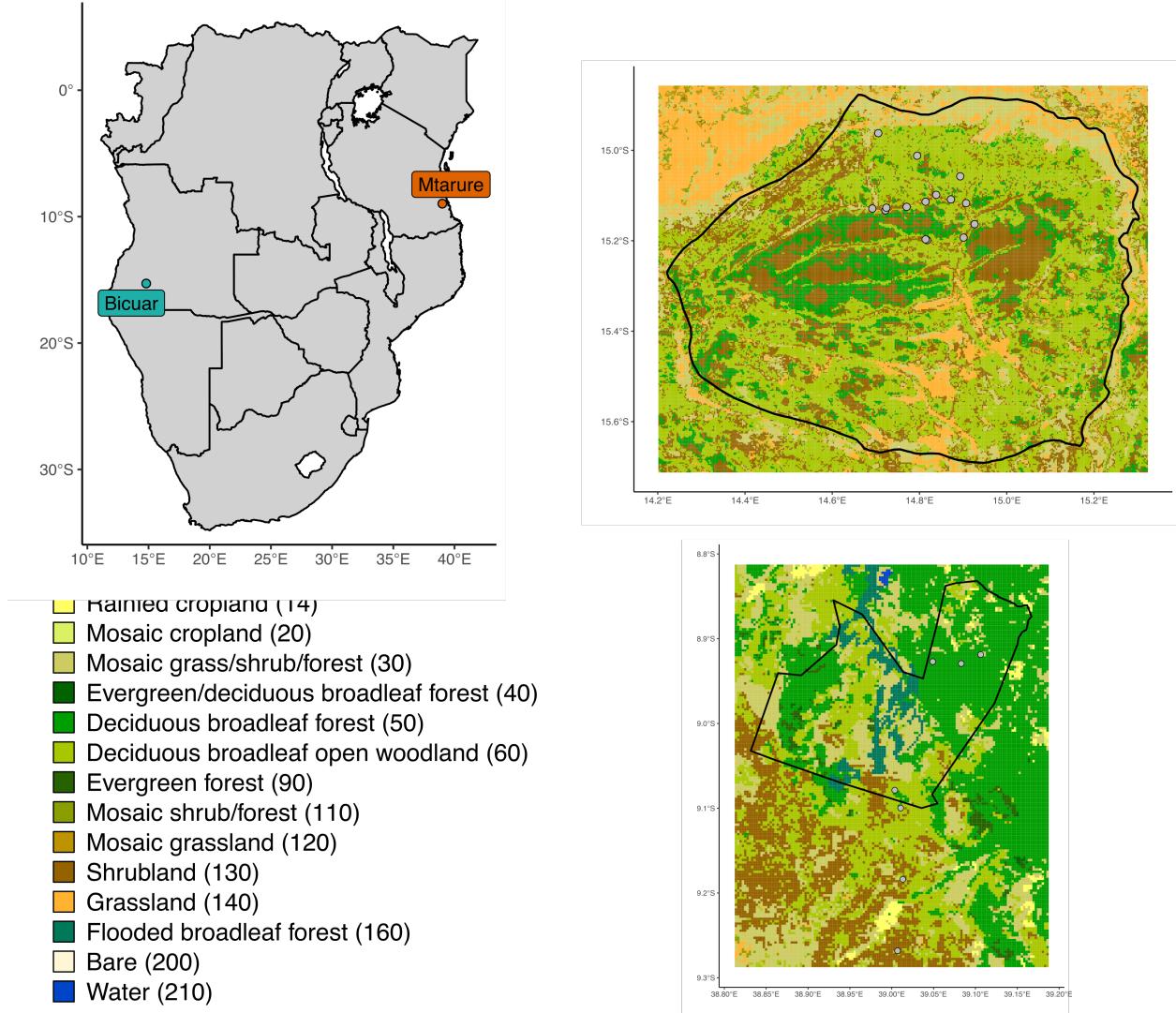


Figure 1: Location of study sites within southern Africa (a), and of 1 ha plots within each site. The black polygons denote the boundaries of protected areas which encompass the majority of study sites, Bicuar National Park in Angola (b), and Mtarure Forest Reserve in Tanzania (c). Each site map is coloured according to the GlobCover global land cover classification.

Site	MAT (°C)	MAP (mm y ⁻¹)	Temp. range (°C)	CWD
				(mm y ⁻¹)
Bicuar	20.8 (0.70)	825.9 (52.01)	24.5 (0.90)	-844.8 (44.29)
Mtarure	25.7 (0.24)	958.4 (25.19)	12.0 (0.33)	-739.6 (8.06)

Table 1: Climatic data for each site, extracted from WorldClim at 2.5 minute resolution. Values are the mean and standard deviation (in brackets) of all pixels intersecting each protected area.

¹¹ At each site, a number of 1 ha permanent plots were sampled. In Angola, 15 plots were sampled,
¹² while in Tanzania, only seven were sampled, following the curtailment of fieldwork due to COVID-

13 19 travel restrictions. Permanent plots were located in areas of homogeneous vegetation type,
 14 away from roads and undisturbed by humans. Plots were established following the SEOSAW pro-
 15 tocol (version 3.0, SEOSAW 2020). Plots were located quasi-randomly by first locating areas from
 16 satellite imagery expected to comprise savanna woodland vegetation. At each site, plots were de-
 17 liberately located along a gradient of stem density.
 18 Each permanent plot was further subdivided into nine 10 m diameter circular subplots arranged in
 19 a regular grid, with a buffer from the plot edge (Figure 2).

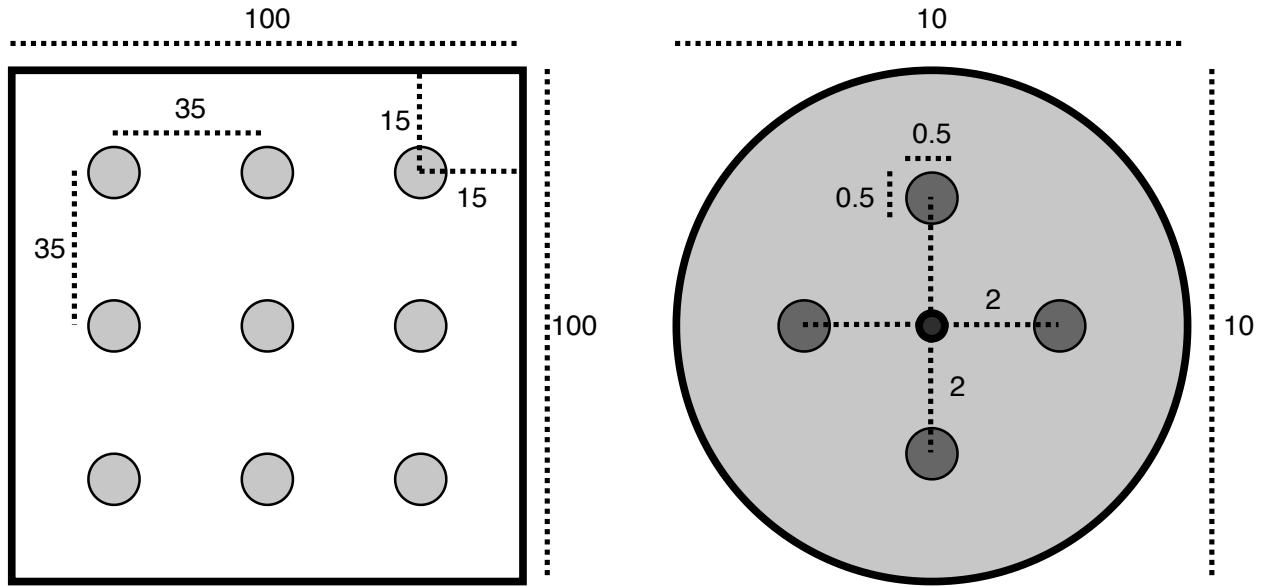


Figure 2: The layout of 10 m diameter subplots within each 1 ha square plot. Each subplot is situated inside a 15 m buffer from the plot edge, with 35 m between subplot centres. Subplots are arranged in a 3x3 grid. Disc-pasture measurements and biomass samples are located in cardinal directions 2 m from the centre of the subplot. All distances are in metres.

20 3 Field measurements

21 3.1 Trees

22 For each subplot, we measured all woody stems >5 cm stem diameter with canopy material inside
 23 the subplot. For each stem we recorded:

- 24 • Tree identity
- 25 • Stem diameter (diameter at breast height - 1.3 m)

26 For each tree, which may be composed of multiple stems joined at the base, we recorded:

- 27 • Species

- 28 • Height to top of canopy
- 29 • Canopy area, ellipse from two perpendicular measurements (Figure 3)
- 30 • Distance from subplot centre
- 31 • Compass direction from subplot centre

Plot edges

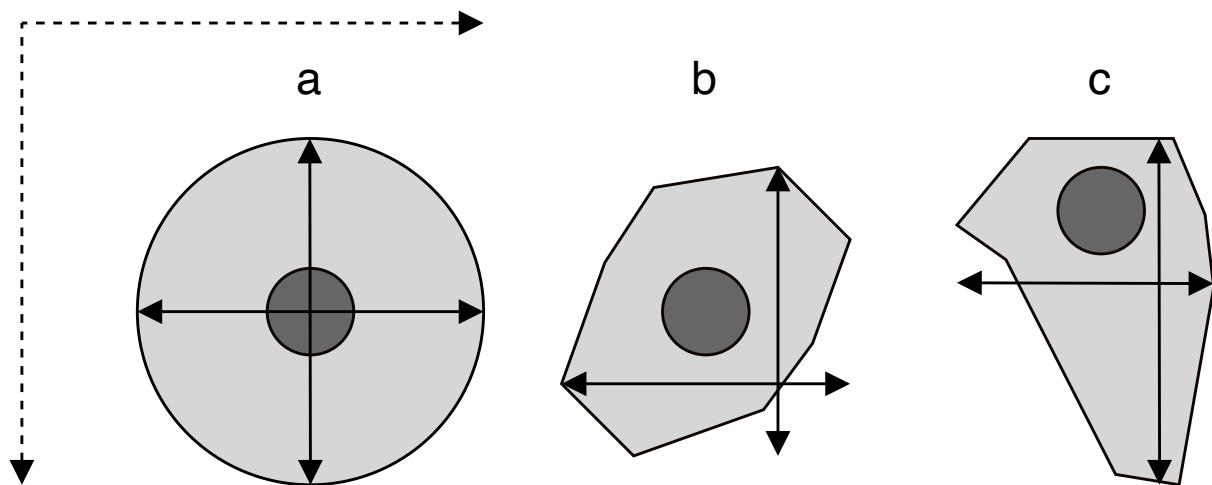


Figure 3: Examples of tree crowns as viewed from above to demonstrate how crown extent measurements are located. Darker grey circles show the main stem while pale grey polygons show the maximum extent of the crown. Extent measurements are taken parallel to the plot edges. a) shows a perfectly circular tree crown, b) and c) show irregular tree crowns, demonstrating that maximum crown extent in a given orientation be offset from the stem.

3.2 Grass biomass

32 Grass volume and biomass within each subplot was estimated from four sample points located 2
 33 m from the subplot centre in cardinal directions (Figure 2). At each point, a disc-pasture meter
 34 measurement was taken with a 45.8 cm radius disc weighing exactly 1.5 kg (Bransby and Tain-
 35 ton, 1977). Small woody stems were removed from disc-pasture sample points before the disc-
 36 pasture measurement was taken. The location of the sample point was moved if the designated
 37 point intersected with coarse woody debris, rocks, shrubs, or standing trees. Within each 1 ha
 38 plot, biomass harvesting was conducted at nine randomly allocated disc-pasture sample points.
 39 Tree leaf litter was removed from biomass samples. Biomass harvesting involved clipping all grass
 40 material within the 45.8 cm radius to ground level, taking care not to include roots. Grass sam-
 41 ples from Angola were dried until the mass remained constant (± 5 g) for >48 hours, then weighed
 42 (Figure 4).

43 to ascertain the grass biomass. Grass samples from Tanzania could not be processed due to cur-
44 tailment of fieldwork due to COVID-19 travel restrictions.

45 **3.3 Hemispherical photography**

46 At the centre of each subplot a single photograph was taken with a Nikon D750 full-frame DSLR
47 camera, with a circular fisheye lens. The lens had an equisolid (equal area) projection, which avoids
48 image distortion. The projection function is given by:

$$R = 2f \sin(\theta/2) \quad (1)$$

49 Where R is the radial position of a point on the image on the sensor, f is the focal length of the
50 lens, and θ is the angle in radians of the desired angular radius of the cropped image.

51 The photo was taken facing directly to zenith, with the top of the camera facing magnetic north,
52 at a height of 1.3 m or above understorey vegetation, whichever was higher. Table 2 shows de-
53 scribes the camera settings for each hemispherical photo.

Table 2: Description of camera settings used for each hemispherical photo. Note that the values of shutter speed and ISO are deliberately variable within sensible thresholds to adapt to light conditions.

Setting	Value
Camera model	Nikon D750
Lens model	Sigma 8 mm f/3.5 EX DG Circular Fisheye
Pixel pitch	5.95 µm
Sensor resolution	24.3 MP
Shutter speed	>1/60s
Aperture	5-7
ISO	100-200
Exposure compensation	-0.7 (Brusa and Bunker, 2014)
Focus	∞ (Hu and Zhu, 2009; Frazer et al., 2001)
Image size	Large Fine JPEG - circular image 4016x4016 px
Orientation	Landscape

54 Photos were captured under uniform light conditions as much as possible, either under overcast

55 skies or early in the day before direct sunlight could be seen on the photo.
 56 ImageJ (Fiji version 2.1.0/1.53c) was used to binarize hemispherical photos (), to separate plant
 57 material from sky. We first split each image into red, green and blue channels. We used the Huang
 58 algorithm to automatically threshold images, using the blue channel only, under the assump-
 59 tion that plant material reflects little blue light, while the sky reflects much more (). Images were
 60 saved as PNG at the original pixel resolution.

61 **3.4 Stand structure**

62 From the stem measurements we calculated a number of indices to characterise whole-plot and
 63 subplot stand structure.

64 We calculated the spatial mingling index (M) according to von Gadow and Hui (2002) at the plot
 65 level. The spatial mingling index is a spatially explicit estimate of the degree to which species are
 66 spatially mixed within a plot:

$$M = \sum_{i=1}^N \left(\frac{S_i}{S} \frac{1}{k} \sum_{j=1}^k v_j \right) \quad (2)$$

$$\text{with } v_j = \begin{cases} 0, & \text{neighbour } j \text{ same species as reference } i \\ 1, & \text{otherwise} \end{cases} \quad (3)$$

(4)

67 where k is the number of nearest neighbours considered for each reference tree, S_i is the number
 68 of species found among the k nearest neighbours of tree i , S is the total number of species in the
 69 plot, and N is the total number of trees in the plot. In our case we used the conventional value
 70 of $k = 4$. The value of M_i increases with greater mixing of species, and all else being equal will
 71 decrease with number of species due to the correction made by S_i/S (Figure 4).

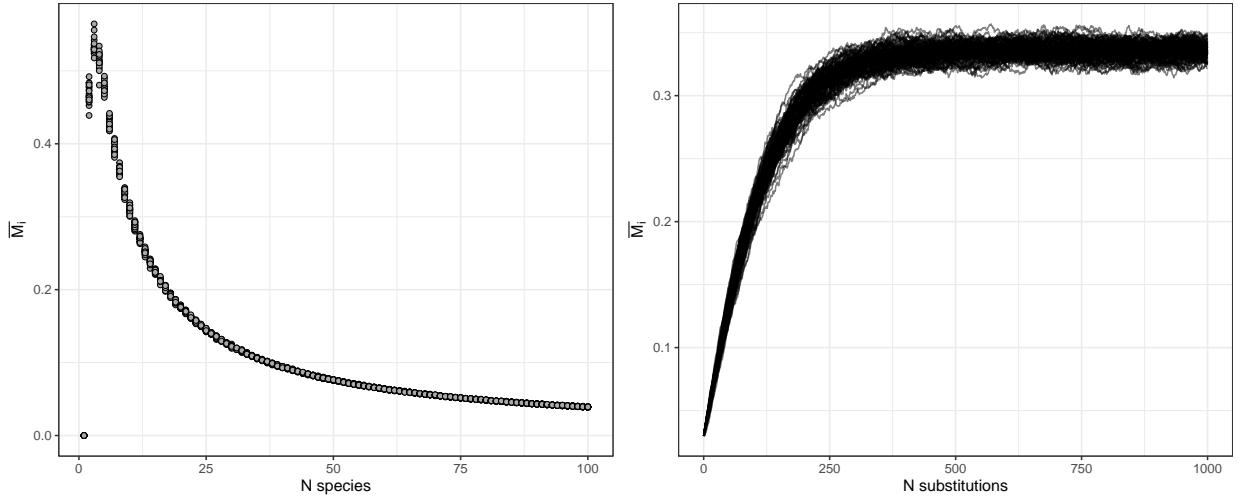


Figure 4: The behaviour of M_i with increasing number of species (left), and increasing spatial mixing of species. The left panel was generated by randomly assigning different numbers of species, in equal proportions, to an evenly spaced grid of individuals. 20 replicates were conducted for each number of species. The right panel was generated by randomly swapping pairs of individuals in a plot with 9 species arranged in mono-specific square blocks in an evenly spaced grid. Each line shows a single replicate, where individuals were swapped in an additive fashion, with 100 total.

72 We also calculated the Winkelmass W according to von Gadow and Hui (2002) at the plot level.

73 The Winkelmass estimates the degree of spatial uniformity in stem spatial distribution:

$$W = \sum_{i=1}^N \frac{1}{k} \sum_{j=1}^k v_j \quad (5)$$

$$\text{with } v_j = \begin{cases} 0, & \alpha_j \leq \alpha_0 \\ 1, & \text{otherwise} \end{cases} \quad (6)$$

$$(7)$$

74 where α_j is the angle between consecutive neighbours and α_0 is the principal angle, where $\alpha_0 =$
 75 $360/k$. The value of Winkelmass increases with increasing spatial clumping (decreasing spatial
 76 regularity) of individuals (Figure 6).

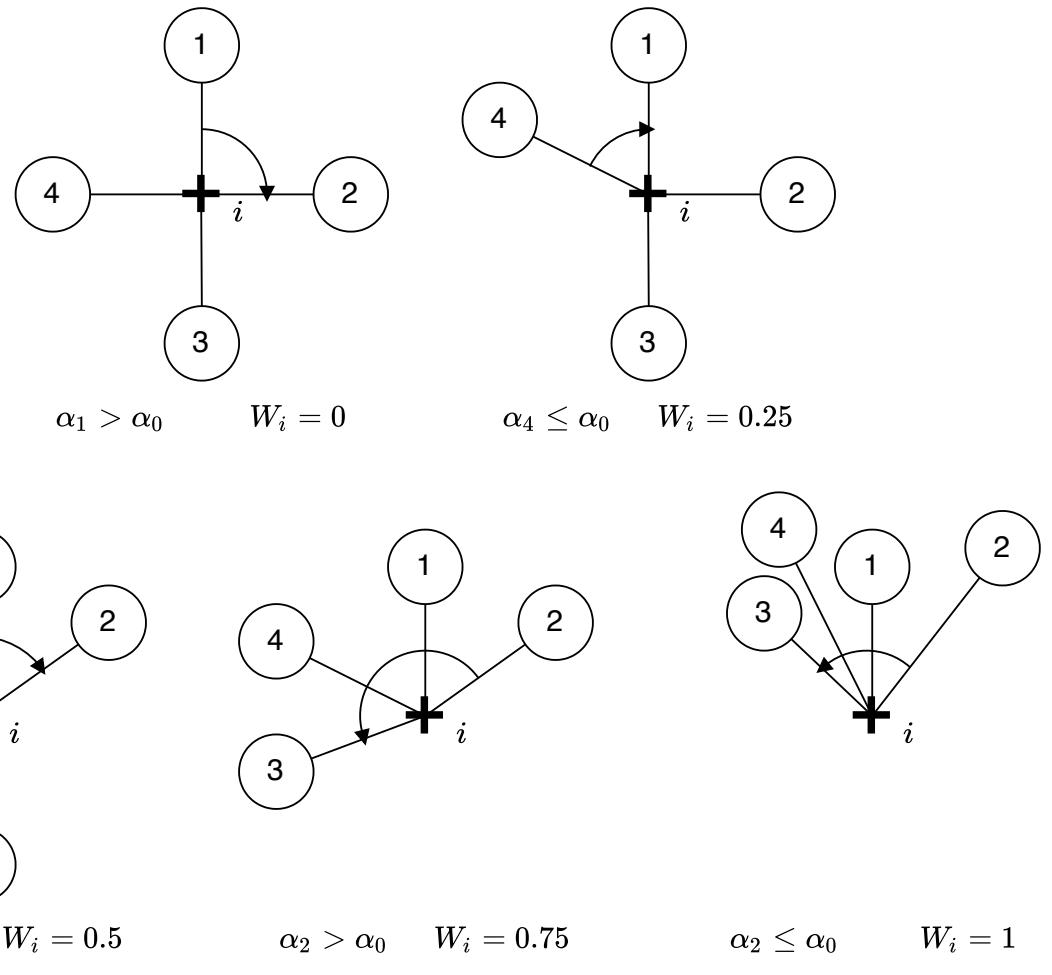


Figure 5: Possible values of W_i at a sample point i , denoted by a cross. Neighbours are represented as circles numbered sequentially from 1 to 4, where $k = 4$. The angles of arrows in each example are given below, along with the Winkelmass for that example.

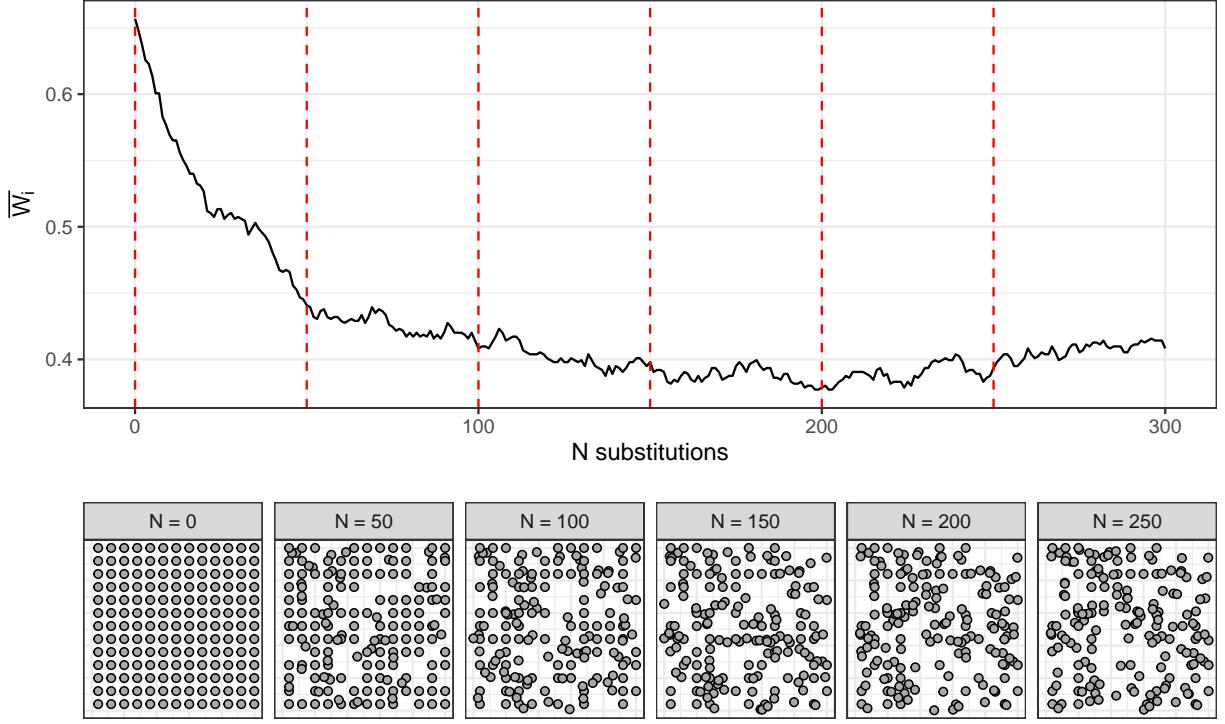


Figure 6: Variation in Winkelmass with increasing spatial irregularity of individuals. The top panel shows variation of Winkelmass in a single plot as individuals are sequentially moved to a random location within the plot. Red dotted lines correspond to the panels below which show the spatial distribution of individuals after a given number of random individual movements.

77 To estimate tree spatial structure in subplots we used an adapted version of the Iterative Hegyi
 78 index (H_i) (Hegyi, 1974). Our adapted formula allows the index to be based on a point rather
 79 than a focal tree, transforming it from a tree-centric competition index to a point-centric crowding
 80 index:

$$H_i = \log \sum_{j=1}^n \left(\frac{1}{L_{ij}} D_j \right) \quad (8)$$

81 where D_j is the stem diameter of neighbour tree j and L_j is the distance of the neighbour from
 82 the subplot centre.

83 4 Terrestrial LIDAR

84 Within each subplot, a variable number of scans were recorded using a Leica HDS6100 phase-
 85 shift terrestrial laser scanner (TLS). The number and position of scans within a subplot was de-
 86 termined by the arrangement and density of canopy material in the subplot. Scan positions were

87 arranged to minimise shadows within the canopy, and to maximise canopy penetration. Number of
 88 scans per subplot ranged between one and five in both Angola and Tanzania (Table 3).
 89 Five Leica 6" planar tilt and turn targets were used at each subplot to align scans. To allow reg-
 90 istration of scans among subplots, the location of each target was registered using a Leica VIVA
 91 GS10 GNSS unit, set up in post-processed kinematic (PPK) configuration with a base-station lo-
 92 cated ~100 m from the edge of each 1 ha plot. The location of each target was measured for at
 93 least 4 minutes. Further, we used the TrimbleRTX GNSS post-processing service to precisely lo-
 94 cate each target (Chen et al., 2011). When registering scans we discarded targets with location
 95 accuracy of >3 cm.

Table 3: Description of scan settings used for each scan.

Setting	Value
Scanner model	Leica HDS6100
Wavelength	650-690 nm
Spot size at exit	3 mm
Beam divergence	0.22 mrad
Range	79 m @90%; 50 m @18% albedo
Azimuth range	0-360°
Zenith range	0-155°
Increments	0.018°
Point spacing over 25 m	7.9 mm
Pixels per line	20000
Lines	10000
Compressed file size	~800 MB
Duration of scan	6 minutes 44 seconds

96 4.1 Registration

97 Scan registration for each subplot was conducted in Leica Cyclone (version 9.1). Targets from
 98 each scan were aligned using Cyclone's automatic target acquisition.
 99 After registration, scan scenes were exported from Cyclone as PTX files, one per subplot.

100 **4.2 Voxellation**

101 PTX files were converted to compressed LAZ files using PDAL (). The exact code used to ex-
102 tract and apply the PTX rotation matrix to each point in the PTX file can be found IN THIS
103 APPENDIX HERE.

104 LAZ files were voxelised to different voxel sizes depending on the application of the data. For
105 grass biomass estimation, we used 2 cm^3 cubic voxels, while for subplot height profile estimation
106 we used 5 cm^3 voxels, and for whole plot canopy rugosity we used 10 cm^3 voxels. WHY THO

107 **4.3 Noise reduction**

108 Outlier detection and noise reduction was conducted in PDAL using the `filters.outlier` filter,
109 using the “statistical method” (sensu Rusu et al. 2008), with $k = 8$ (mean number of neighbours),
110 and $m = 1.96$ (standard deviation threshold, approximating a 95% confidence interval):

$$\bar{\mu} = \frac{1}{N} \sum_{i=1}^N \mu_i \quad (9)$$

$$\sigma = \sqrt{\frac{1}{N-1} \sum_{i=1}^N (\mu_i - \bar{\mu})^2} \quad (10)$$

$$t = \mu + m\sigma \quad (11)$$

$$\text{outlier}_i = \begin{cases} \text{true}, & \text{if } \mu_i \geq t \\ \text{false}, & \text{otherwise} \end{cases} \quad (12)$$

111 where N is the number of points in the scene, $\bar{\mu}$ is the mean distance to nearest neighbour points,
112 and σ is the standard deviation of these distances. t is the threshold distance used to define an
113 outlier.

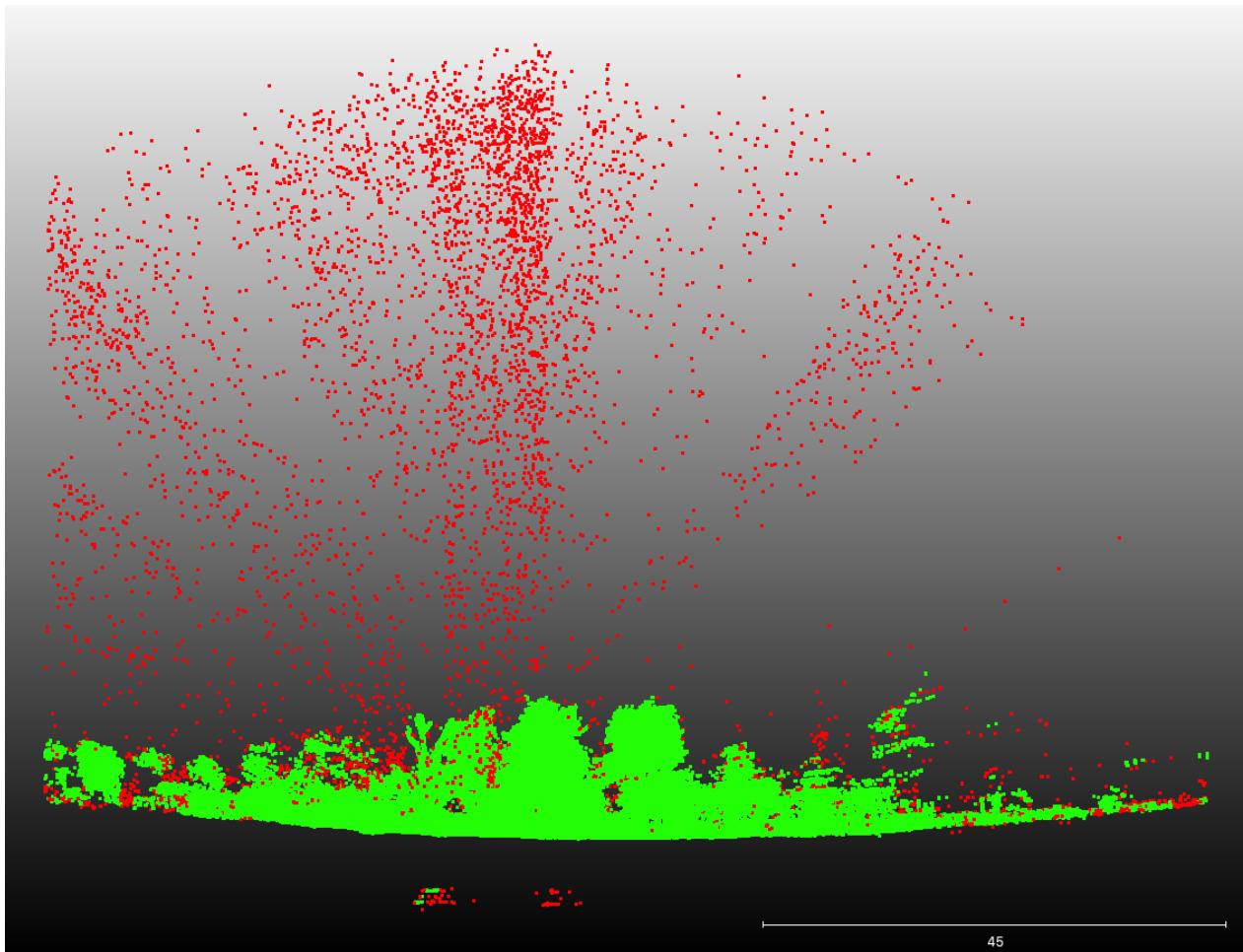


Figure 7: 2 m deep cross section of subplot showing the efficacy of the noise reduction and voxelisation process. Red points are points excluded by this cleaning process, while green points are used in further analysis.

¹¹⁴ **4.4 LiDAR analysis**

¹¹⁵ **4.4.1 Foliage density profiles**

¹¹⁶ To estimate subplot foliage density profiles, first the point cloud was cropped to a 10 m diameter cylinder of infinite height. Then the `filters.pmf` (Progressive Morphological Filter - PMF) ¹¹⁷ PDAL function was used to identify ground points (sensu Zhang et al. 2003). The `filters.hag_nn` ¹¹⁸ (Nearest Neighbour) PDAL function was used to generate height above ground of each point within ¹¹⁹ the cylinder. Points below ground level were then discarded. Height profile points were exported ¹²⁰ to a XYZ file then imported into R for further processing.

¹²² We excluded points above the 99.9th percentile of height, under the assumption that these often ¹²³ constituted noise that had not been adequately removed by PDAL.

¹²⁴ In R, within each 5 cm width vertical layer, we calculated the foliage density as the proportion of

125 filled 5 cm³ voxels. We filtered the point cloud data to the tree canopy, excluding grass. We iden-
 126 tified the breakpoint between the grass understorey and the tree canopy as the first local minima
 127 above 1.3 m from the ground.

128 We extracted statistics from the foliage density profile for use in statistical analysis. We first smoothed
 129 the density profile using a loess model with a span of 0.1. We then calculated the number of local
 130 maxima and minima along the profile. We defined local maxima and minima as points where the
 131 foliage density of the surrounding 50 cm of 5 cm bins was lower or higher, respectively.

132 We calculated the effective number of layers (ENL), using the true-numbers equivalent of the Shan-
 133 non diversity index (*sensu* (Ehbrecht et al., 2016)). We also calculated the conventional Shannon
 134 diversity index on the foliage density of 50 cm bins:

$$H' = - \sum_{i=1}^N p_i \ln p_i \quad (13)$$

135 Where N is the number of 50 cm bins in the height profile, and p_i is the proportion of filled voxels
 136 in layer i (foliage density).

137 We calculated the area under the curve of foliage density using trapezoid estimation.

138 We extracted the height of the maximum foliage density peak, and calculated the difference be-
 139 tween the highest and lowest local maxima. We also extracted the maximum canopy height within
 140 the subplot.

141 We calculated the coefficient of variation of the point cloud height distribution.

142 To describe the uniformity of the foliage density distribution we used Ripley's L function, which is
 143 more commonly used in describing spatial variation across a 2 dimensional surface. Ripley's L is
 144 an adjustment to Ripley's K, defined as:

$$\hat{K}(t) = \lambda^{-1} \sum_{i \neq j} \frac{I(d_{ij} < t)}{n} \quad (14)$$

$$\hat{L}(t) = \left(\frac{\hat{K}(t)}{\pi} \right)^{1/2} \quad (15)$$

145 We also used the standard error of a linear model of foliage density and height as a simple single
 146 number method of describing the uniformity of foliage density. Under a completely even distri-
 147 bution of foliage material through the canopy, the standard error should be zero, while clumping
 148 causes deviations from this uniform distribution and increases the standard error.

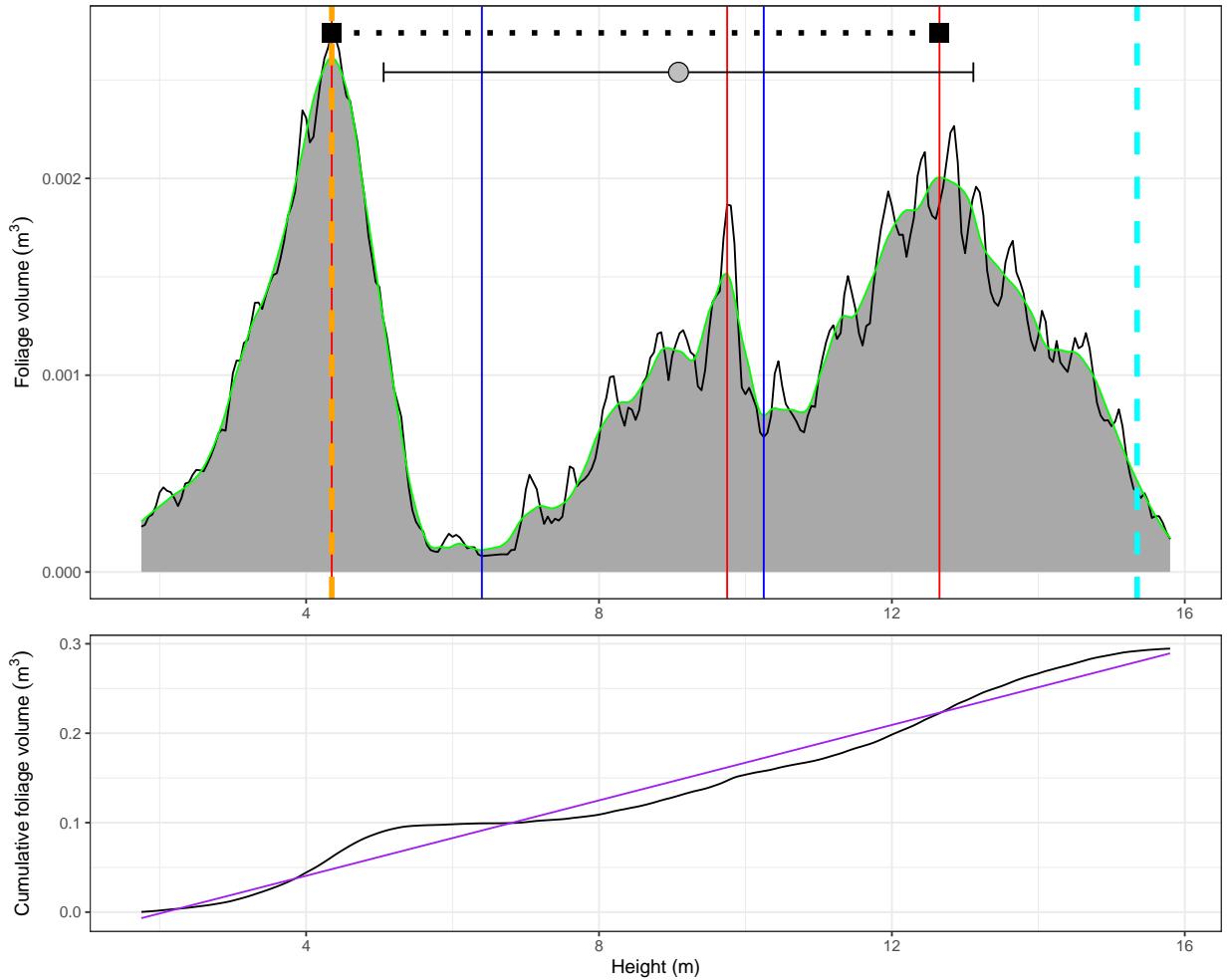


Figure 8: Subplot foliage volume height profile (top) and cumulative foliage volume profile (bottom) for a subplot in Bicuar National Park, to illustrate some of the canopy structure metrics extracted from each height profile. Starting with the top panel: the red lines denote peaks in the distribution, while blue lines represent troughs. The dashed orange line shows the height of the highest peak of foliage density. The dashed cyan line shows the 99th percentile of canopy height, used here as a measure of canopy top height across the subplot. The black squares connected by a dotted line show the layer differentiation, the height difference between the lowest peak and highest peak of foliage density *sensu* Palace et al. (2015). The grey point with interval lines shows the mean foliage volume height ± 1 standard deviation. The black trace shows the foliage density height profile, and the green trace shows the loess model fitted to the data, with the area under the canopy shaded grey. The bottom panel: the black trace shows the cumulative foliage volume through the canopy, taken from the loess fit in the top panel. The purple line shows the line of best fit of a linear model through this data. Not illustrated are the effective number of layers, calculated from the Shannon entropy of foliage volume in 0.5 m height bins.

149 **4.4.2 Canopy cover**

150 Due to terrestrial LiDAR measurement locations being spread over the subplot to avoid occlusion
151 of canopy material, we simulated a scan position at the centre of the subplot using the point cloud
152 data from all scans per subplot. Similar to the processing chain for the foliage density profiles,
153 PDAL was used to crop the point cloud to a 20 m cylinder around the subplot centre, then used
154 `filters.hag_nn` to classify ground points and recalculate height above ground. We cropped the
155 point cloud to points above 1.3 m, with a 50 cm exclusion sphere around the scan position at 1.3
156 m above the ground. The point cloud was converted to a POV-Ray object, where each point was
157 transformed to a 1 cm³ cube. POV-Ray was then used to produce a ray-traced image. As with
158 the hemispherical photos, we used a fisheye lens with an equisolid projection and a view angle of
159 180°, located at the subplot centre, at the same height as the hemispherical photo, with the top
160 of the camera facing magnetic north and the camera facing straight up. Each cube was set as a
161 non-reflective object, and the sky had an equal gamma of 1.0. POV-Ray produced an image of
162 4016x4016 px, identical to the cropped circular dimensions of the images produced by the hemi-
163 spherical photos.

164 Simple canopy cover as seen from the ground was measured using two methods: 1) hemispheri-
165 cal photography and 2) terrestrial LiDAR. Hemiphot () was used to estimate cover from both the
166 hemispherical photos and the TLS POV-Ray simulation. Hemiphot calculates canopy cover in 90
167 evenly sized concentric rings. To obtain the total cover of an image:

$$C_\alpha = 1 - G_{\text{tot}} = \sum_{\alpha=0.5}^{\alpha=89.5} (G_\alpha A_\alpha / A_{\text{tot}}) \quad (16)$$

168 Where G_α is the fraction of unfilled pixels in ring α , A_α is the sky area of the ring segment, and
169 A_{tot} is the total sky area of the hemisphere.

170 We compared canopy cover estimates from both the TLS and hemispherical photo using a linear
171 mixed model which accounted for variation among plots and between the two sites. While plots in
172 Mtarure had a marginally steeper slope, this difference was not significant. We found that hemi-
173 spherical photography almost exclusively under-estimated canopy cover, except in the most open
174 subplots. Additionally, at lower canopy cover the under-estimation of canopy cover by hemispheri-
175 cal photography was larger (Figure 9).

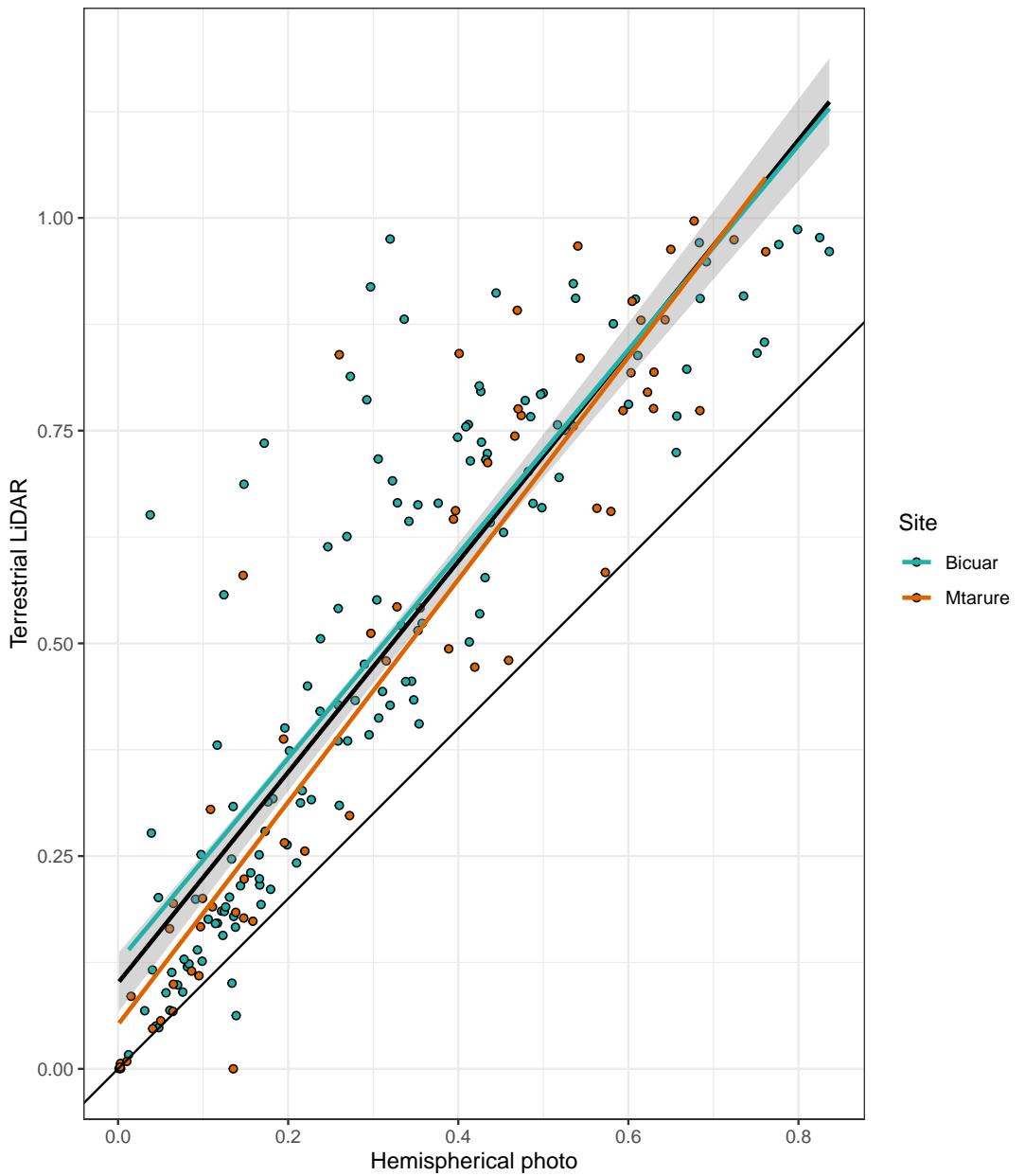


Figure 9: Comparison of canopy cover estimation from TLS and hemispherical photography. The black line of best fit is a linear model of all points ± 1 standard error, while the coloured lines are site specific linear models.



Figure 10: Comparison of hemispherical images for a single subplot in Bicuar National Park. The left image is generated from a hemispherical photo, while the right image is generated from multiple laser scans modelled as cubic voxels with POV-Ray (right).

176 **4.4.3 Grass biomass estimation**

177 An allometric model was developed to estimate grass biomass at every disc-pasture sample point
178 using the grass biomass sample masses. This model was only developed for Angola where grass
179 biomass samples were weighed. The model consisted of a linear mixed effects regression testing
180 the relationship between disc-pasture height (independent) and grass biomass (dependent), with a
181 random slope term for each 1 ha plot.

182 grass volume was measured from TLS point cloud data following the methodology of. First the
183 point cloud was cropped to points below 2 m. The point cloud was then aggregated to cubic vox-
184 els of 2 cm^3 . Within each vertical 2 cm^2 column, the mean height of points was calculated, then
185 the volume below the mean was assumed to be entirely filled with grass material.

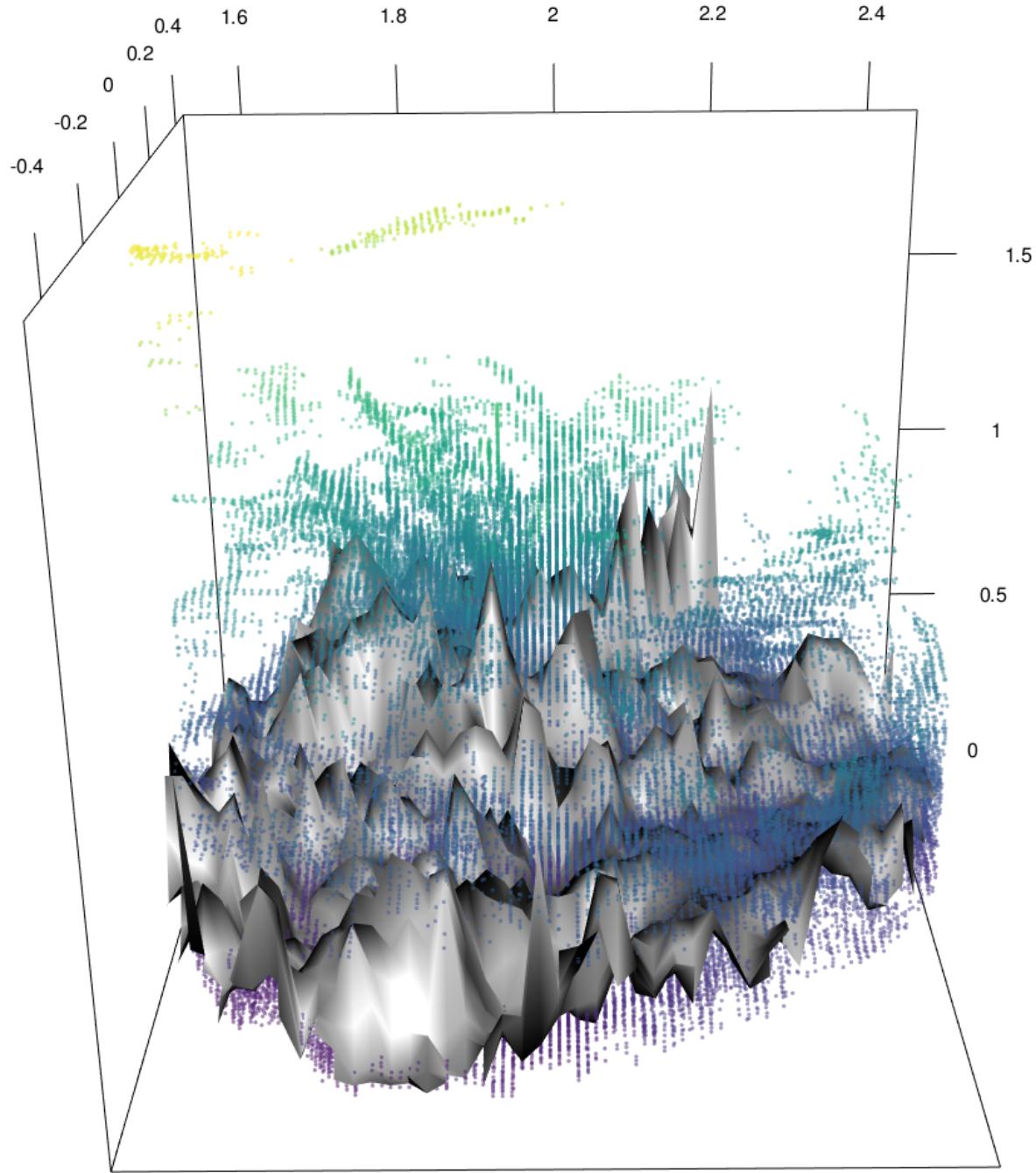


Figure 11: Point cloud with mean heights for each 2 cm^2 column labelled and the estimated grass volume below.

¹⁸⁶ **4.4.4 Canopy rugosity**

¹⁸⁷ The canopy rugosity of each 1 ha plot was estimated. All scans from each plot were merged to a
¹⁸⁸ single point cloud, and noise reduction was performed as described above and the cloud was vox-
¹⁸⁹ elised to 10 cm^3 cubic voxels. The point cloud was cropped to the plot boundaries, which were
¹⁹⁰ located with dGPS similar to the LiDAR targets.

¹⁹¹ A canopy height model was produced to describe the upper canopy surface. The 99th percentile of

192 height in each 10 cm^2 vertical column was extracted. The maximum height was not used as this
 193 occasionally constituted a severe outlier which skewed further canopy height model smoothing.
 194 We used the pit-filling algorithm described in Khosravipour et al. (2014) to smooth the canopy
 195 height profile by removing gaps within trees caused by incomplete penetration of the LiDAR beam
 196 (Figure 12).

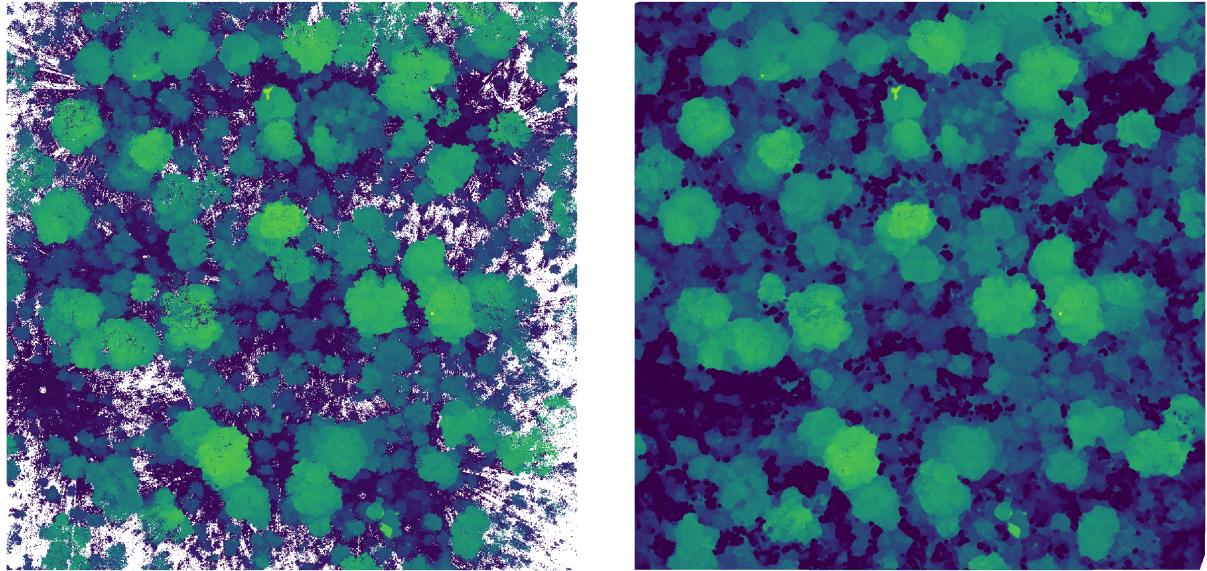


Figure 12: Top-down view of a 1 ha plot in Bicuar National Park. a) shows the point cloud after voxelisation, noise reduction, and taking the 99th percentile of stem height in each 5 cm vertical bin. b) shows the same point cloud after pit filling to generate a smooth canopy height profile. Points are coloured according to point height from the ground.

197 From the canopy height profile we extracted a number of statistics for use in statistical modelling.
 198 We calculated the mean and coefficient of variation of canopy height across the plot (canopy ru-
 199 gosity), following (Parker and Russ, 2004). We calculated the Topographic Ruggedness Index
 200 (TRI) as the mean of absolute differences between the heights of each column and the height of
 201 its eight surrounding cells (Wilson et al., 2007). From this we estimated the plot level mean TRI
 202 and coefficient of variation.
 203 We also calculated a second measure of canopy rugosity (R_c) following Hardiman et al. (2011),
 204 using all point cloud data rather than just the top surface:

$$R_c = \sigma(\sigma G_z)_x \quad (17)$$

205 Where G_z is the vertical height axis z , x is the horizontal axis, and σ is the standard deviation.

206 **5 Statistical analysis**

207 All linear mixed effects models were conducted using the `{lmer}` package in R version 4.0.2 (R
208 Core Team, 2020).

209 **5.1 Foliage density profiles**

210 We conducted a number of linear mixed effects models to assess the effects of tree diversity and
211 stand structure on various aspects of canopy structure measured at the 10 m subplot scale. Lin-
212 ear mixed effects models were used to account for the non-independence of samples caused by
213 the nested sampling structure of subplots within plots, and plots within sites. For each subplot
214 canopy structure measure, we created a linear mixed effects model with fixed effects of subplot
215 species richness, and tree spatial structure using the adapted Hegyi index (H_i) and the coefficient
216 of variation of stem diameter. We compared the standardized effect sizes of each fixed effect to
217 understand the relative effect of species richness and spatial structure on canopy structure. We
218 compared models with all combinations of fixed effects to understand which combination of fixed
219 effects best explained variation in each subplot canopy structure measure. We also compared mod-
220 els to a null model including only random effects of plot and site to evaluate whether this ‘best’
221 model explained real variation in canopy structure.

222 **5.2 Grass biomass**

223 To estimate the correlation between grass volume estimated by TLS and grass biomass estimated
224 from the allometry of DPM height and grass biomass samples, we conducted a linear mixed ef-
225 fects model of grass biomass vs. grass volume, with nested random slope terms for each 1 ha plot
226 nested within site.

227 We conducted a linear mixed effects model to assess the effects of canopy structure on grass vol-
228 ume, with random slope terms for each 1 ha plot nested within site. We began with a maximal
229 model which included fixed effects of subplot tree species richness, stem density, TLS canopy cover,
230 layer diversity, height of maximum foliage density, standard deviation of the foliage density pro-
231 file, and our simple measure of foliage density uniformity. We re-fitted the model with all possible
232 combinations of fixed and random effects and compared AIC, BIC, and log-likelihood to determine
233 which combination of explanatory variables best accounted for variation in grass volume. Once
234 this ‘best model’ had been identified we extracted standardized effect sizes for each fixed effect to
235 compare their relative contribution to the model. We also compared random effects for each fixed
236 effect to understand how the relationship differed between the two sites.

237 **5.3 Canopy rugosity**

238 To understand the effect of species composition and stand structure on whole-plot canopy rugos-
239 ity, we conducted a linear mixed effects model with fixed effects of tree species shannon diver-
240 sity index, stem density, spatial mingling index and winkelmass, with random intercept terms for
241 each site. We extracted slopes for each fixed effect to compare their effect sizes and compared our
242 model with a null model which consisted only of the random effect of site and the fixed effect of
243 stem density.

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