

# SYSTEMATIC RISK AND MONOPOLY POWER

*John Schleider*

# AGENDA

1. Purpose and Value
2. Theoretical Model
3. Data
4. Measures of Power
5. Preliminary Regressions

*Why is the relationship  
between Risk and Monopoly  
Power important?*

# WHY RELATE RISK AND POWER?

- Understand firm decision making
  - Managers, risk, and reward
  - Interaction between risk and power
- Investors and valuation
  - How much is monopoly power worth?
- Better measures of power
  - Measuring risk is easy
  - Measuring monopolism is tricky

# RELATING POWER AND RISK

# WHAT IS MONOPOLY POWER?

- Excess profits
  - “Rents”
  - Value of firm exceeds inputs
- Decisions impact output markets
  - “Price setter”

# HOW ARE RISK AND POWER RELATED?

- Firm makes choices under uncertainty
  - Output market
  - Input market
- Firms are risk-averse
- Monopolies might use their power to “hedge”
  - Constrict quantity *more* than usual to avoid loss
  - Protects profitability in bad times, sacrifice profit in good times
  - Competitive firms can't do this because they don't have the market power to make it work

# PREVIOUS MODELS

- Popular topic in the 1980s and 1990s
- Half a dozen independent models
- Shared similarities
  - Single period model of the firm under uncertainty
- Cornerstone: Subrahmanyam and Thomadakis (1980)
- Consistent negative association
  - $\uparrow$  Monopoly power  $\Rightarrow$   $\downarrow$  Beta



# MY MODEL

*Connecting Monopoly Power and Systematic Risk*

# OVERVIEW OF MODEL

- Single period model of firm
- Uncertain demand
- Firm is risk-averse
- Firm chooses quantity
- No defined market or competitors
  - Not like Cournot or Bertrand
- Emphasis on simplicity
  - ...for my sake

# WITHOUT UNCERTAINTY

- Linear Demand
- Constant Marginal Cost
- Firm chooses Quantity

Demand

$$P(q) = A - bq$$

Marginal Revenue

$$MR = \frac{d}{dq}q(A - bq) = A - 2bq$$

Costs

$$MC = c$$

$$TC = cq$$

Total Profit

$$\Pi = q(A - bq - c)$$

# WITHOUT UNCERTAINTY

- Linear Demand
- Constant Marginal Cost
- Firm chooses Quantity

*Monopoly power appears in  $b$ .*

$\uparrow b \Rightarrow \uparrow$  Monopoly Power

Demand

$$P(q) = A - bq$$

Marginal Revenue

$$MR = \frac{d}{dq}q(A - bq) = A - 2bq$$

Costs

$$MC = c$$

$$TC = cq$$

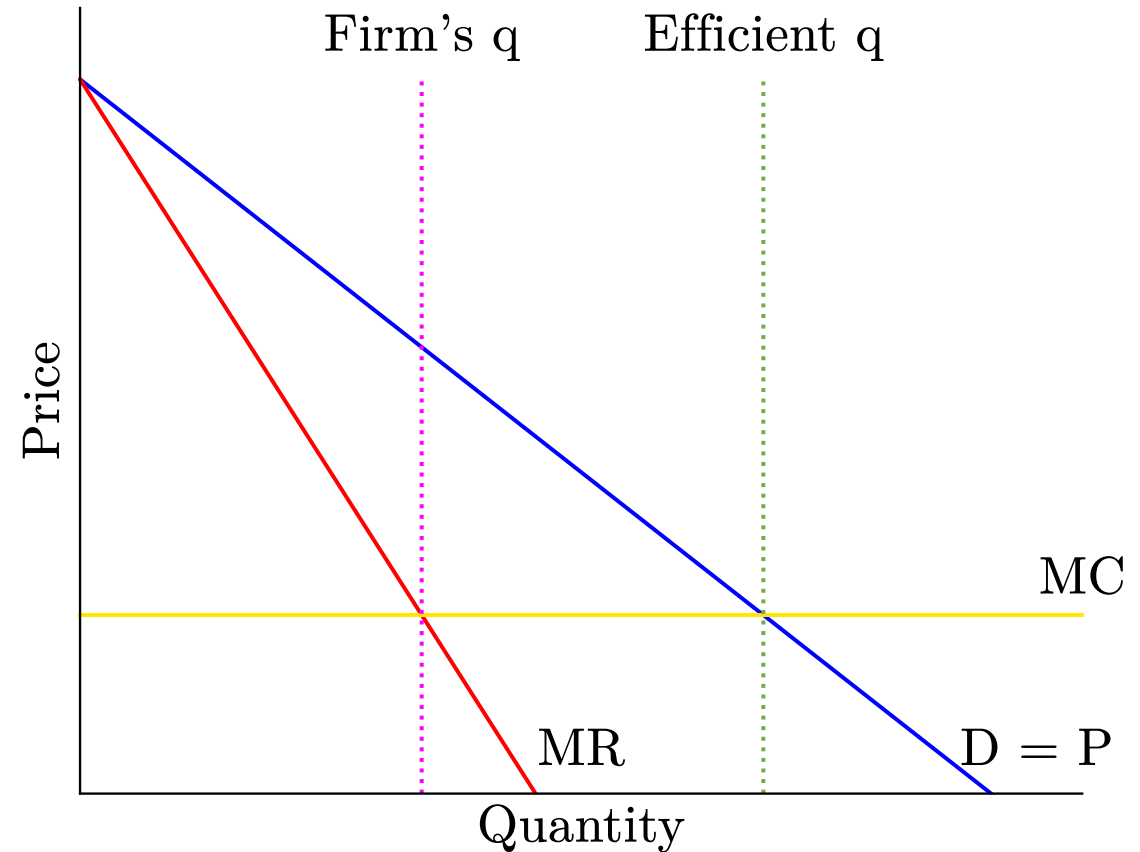
Total Profit

$$\Pi = q(A - bq - c)$$

# WITHOUT UNCERTAINTY

- Linear Demand
- Constant Marginal Cost
- Firm chooses Quantity

*Slope of demand is  $-b$ .*



# INTRODUCING UNCERTAINTY

- Demand exposed to systematic risk
- Simple exogenous shock
- Economy-wide source of risk
- Firm chooses  $q$  before it knows  $e$

Uncertain Demand

$$P(q) = A(1 + e) - bq$$

Exogenous Shock

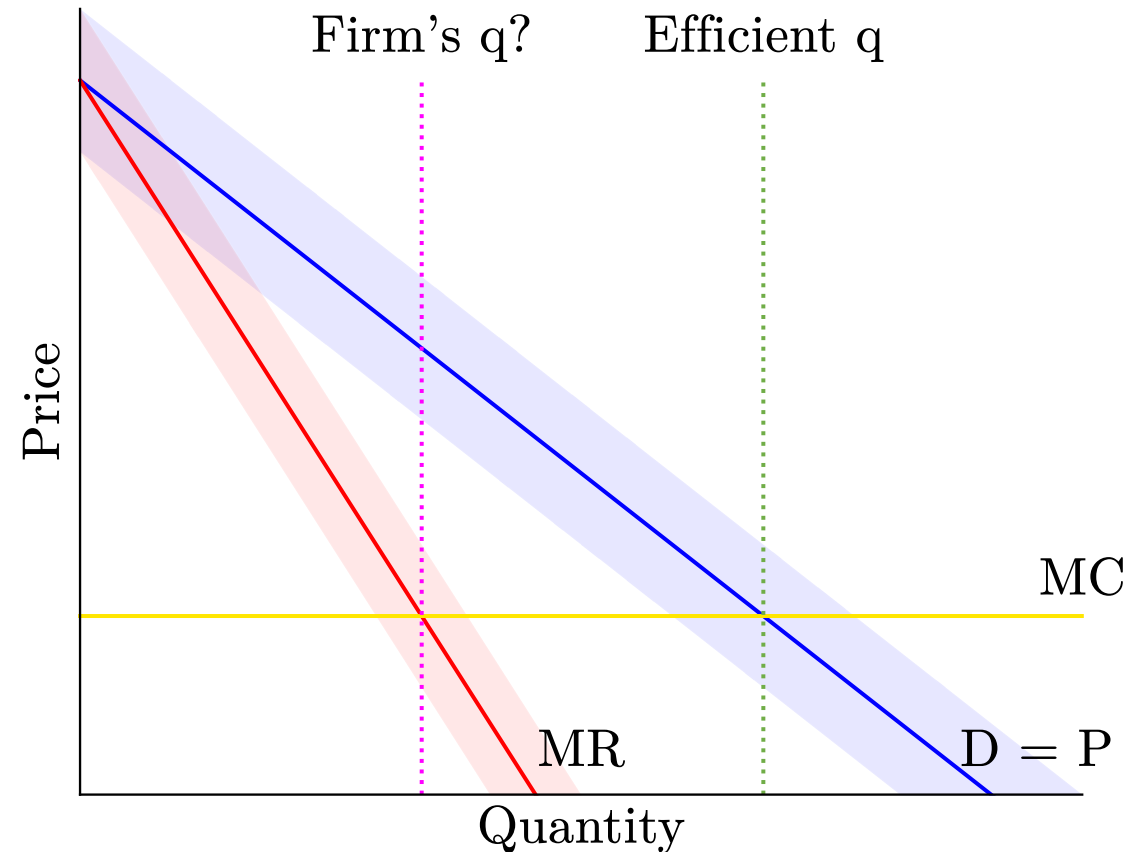
$$\mathbb{E}(e) = 0 \quad \text{Var}(e) = \sigma^2$$

# FIRM UNDER UNCERTAINTY

- *Uncertain* Linear Demand
- Constant Marginal Cost
- Firm chooses Quantity

$$\text{Var}(D) = \text{Var}(MR) = A^2\sigma^2.$$

*Slope of demand is  $-b$ .*



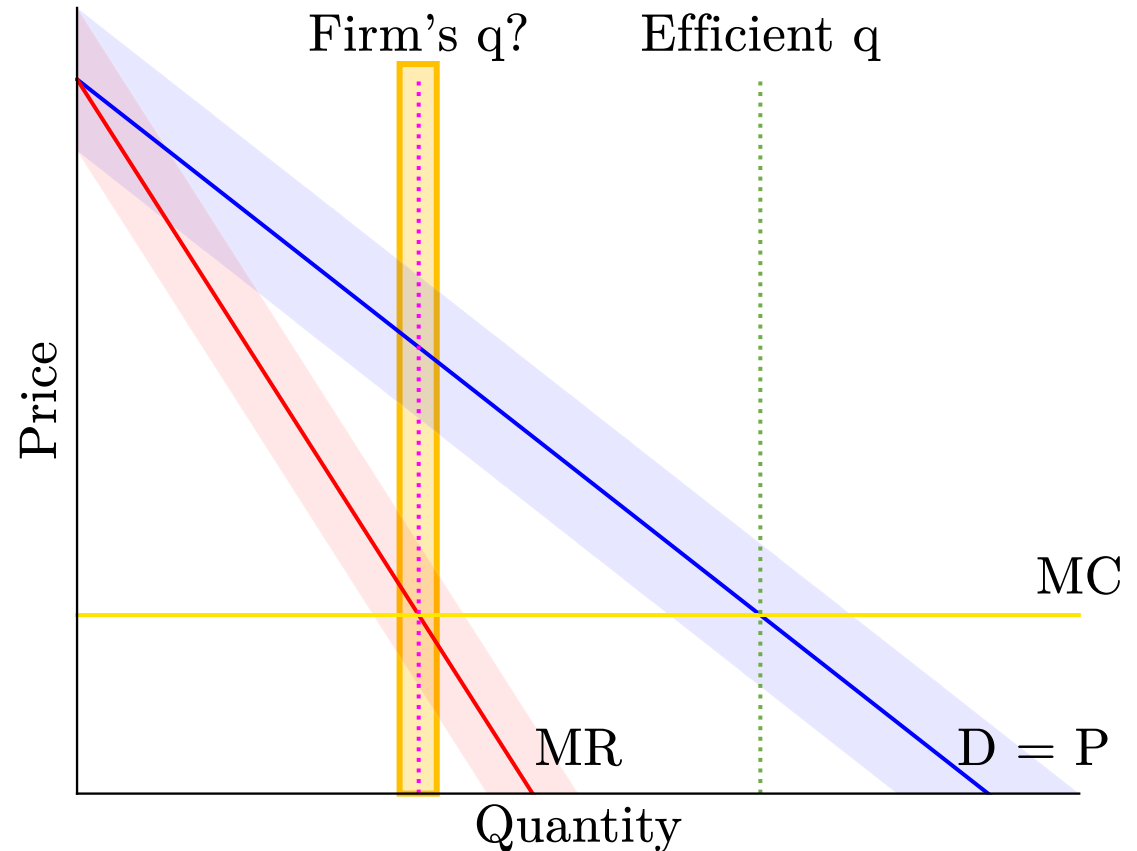
# FIRM UNDER UNCERTAINTY

- *Uncertain* Linear Demand
- Constant Marginal Cost
- Firm chooses Quantity

$$\text{Var}(D) = \text{Var}(MR) = A^2\sigma^2.$$

*Slope of demand is  $-b$ .*

*But do we know the firm's  $q$ ?*





# PROFIT UNDER UNCERTAINTY

Uncertain Profit

$$\Pi = q(A(1 + e) - bq - c)$$

Variance of Profits

$$\text{Var}(\Pi) = q^2 A^2 \sigma^2$$

# UTILITY AND BETA

*In real life, investors evaluate  
investments through discounting.*

Real-Life Utility

$$U = \frac{\mathbb{E}(\Pi)}{RFR + ERP \times \beta}$$

# UTILITY AND BETA

*In real life, investors evaluate investments through discounting.*

*Beta represents systematic risk and is measured with a regression using observations collected over time, often at least one year.*

Real-Life Utility

$$U = \frac{\mathbb{E}(\Pi)}{RFR + ERP \times \beta}$$

Real-Life Beta

$$\beta_i = \frac{\text{Cov}(r_i - r_f, r_m - r_f)}{\text{Var}(r_m - r_f)}$$

# UTILITY AND BETA

*In real life, investors evaluate investments through discounting.*

*Beta represents systematic risk and is measured with a regression using observations collected over time, often at least one year.*

*For single-period models, we calculate beta with variance of profits or firm values.*

Real-Life Utility

$$U = \frac{\mathbb{E}(\Pi)}{RFR + ERP \times \beta}$$

Real-Life Beta

$$\beta_i = \frac{\text{Cov}(r_i - r_f, r_m - r_f)}{\text{Var}(r_m - r_f)}$$

Single-Period Beta

$$\beta_i = \frac{\text{Var}(\Pi_i)}{\Pi_i} \times \frac{\Pi_m}{\text{Var}(\Pi_m)}$$

# UTILITY AND BETA

$$U(q) = \frac{\Pi_i}{RFR + ERP \times \frac{\text{Var}(\Pi_i)}{\Pi_i} \times \frac{\Pi_m}{\text{Var}(\Pi_m)}}$$

# UTILITY AND BETA

$$U(q) = \frac{\Pi_i}{RFR + ERP \times \frac{\text{Var}(\Pi_i)}{\Pi_i} \times \frac{\Pi_m}{\text{Var}(\Pi_m)}}$$

We simplify to approximate the relationship between  $\beta$  and  $b$ .

$$U(q) = \ln(\Pi_i) - \ln \left( RFR + ERP \times \frac{\text{Var}(\Pi_i)}{\Pi_i} \times \frac{\Pi_m}{\text{Var}(\Pi_m)} \right)$$

# SIMPLIFYING THE RELATIONSHIP

$$U(q) = \ln(\Pi_i) - \ln\left(RFR + ERP \times \frac{\text{Var}(\Pi_i)}{\Pi_i} \times \frac{\Pi_m}{\text{Var}(\Pi_m)}\right)$$

RFR is a constant with respect to  $q$ , so we ignore it.

$$U(q) = \ln(\Pi_i) - \ln(ERP) - \ln\left(\frac{\text{Var}(\Pi_i)}{\Pi_i}\right) - \ln\left(\frac{\Pi_m}{\text{Var}(\Pi_m)}\right)$$

ERP and total market variables are also constant.

$$U(q) = \ln(\Pi_i) - \ln\left(\frac{\text{Var}(\Pi_i)}{\Pi_i}\right) = \ln(\Pi_i) + \ln(\Pi_i) - \ln(\text{Var}(\Pi_i))$$

# SIMPLIFYING UTILITY

*Since utility is ordinal, we don't need to worry about the logarithmic functions.*

*To make things more simple, we ignore the squared profits—I performed the derivations with squared profits and get a similar, but less clean, relationship between  $b$  and  $\beta$ .*

$$U(q) = 2 \ln (\Pi_i) - \ln (\text{Var}(\Pi_i))$$

Simplified Utility

$$U(q) = \Pi - \mu \text{Var}(\Pi)$$



# SOLVING FOR QUANTITY

$$U(q) = \Pi - \mu \text{Var}(\Pi)$$

Substituting, we have

$$U(q) = (qA + qAe - bq^2 - cq) - \mu(q^2 A^2 \sigma^2)$$

Maximization Problem

$$\max_q qA + qAe - bq^2 - cq - \mu q^2 A^2 \sigma^2$$

# SOLVING FOR QUANTITY

$$A + Ae - 2bq - c - 2\mu q A^2 \sigma^2 = 0$$

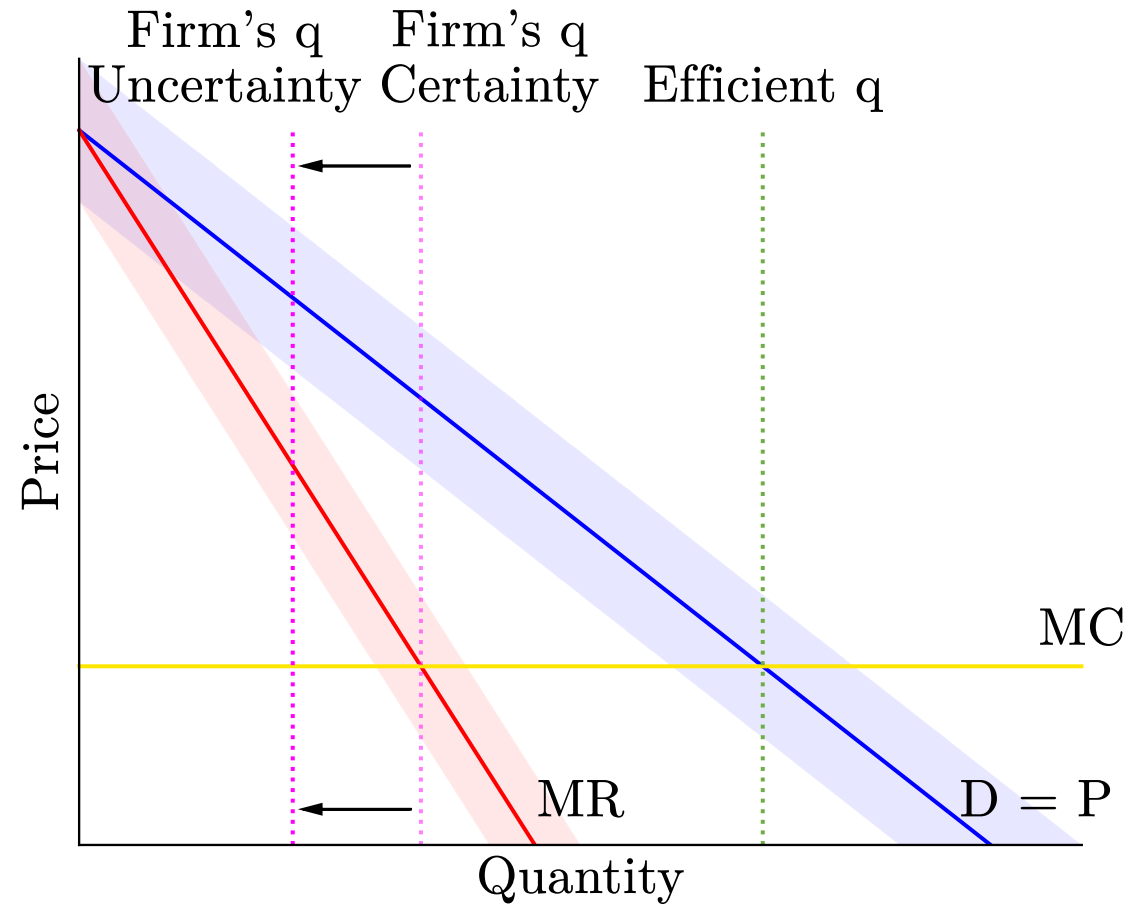
$$A + Ae - c = q(2b + 2\mu A^2 \sigma^2)$$

$$q = \frac{A(1 + e) - c}{2(b + \mu A^2 \sigma^2)}$$

Since  $\mathbb{E}(e) = 0$ ,

$$q = \frac{A - c}{2(b + \mu A^2 \sigma^2)}$$

# SOLVING FOR QUANTITY



# BETA AND POWER

*Systematic risk decreases with increased monopoly power.*

*For any positive value of  $b$ ,  $\beta$  decreases monotonically with an asymptote of 0.*

Derivative with respect to  $b$ .

$$\frac{d}{db}\beta_i = \frac{-A^2\sigma^2}{(2\mu A^2\sigma^2 + b)^2} \times \frac{\Pi_m}{\text{Var}(\Pi_m)}$$

Recall

$$\beta_i = \frac{\text{Var}(\Pi_i)}{\Pi_i} \times \frac{\Pi_m}{\text{Var}(\Pi_m)}$$

$$\beta_i = \frac{q^2 A^2 \sigma^2}{q(A - bq - c)} \times \frac{\Pi_m}{\text{Var}(\Pi_m)}$$

$$\beta_i = \frac{\left(\frac{A(1+e)-c}{2(b+\mu A^2\sigma^2)}\right) A^2 \sigma^2}{A - b \left(\frac{A(1+e)-c}{2(b+\mu A^2\sigma^2)}\right) - c} \times \frac{\Pi_m}{\text{Var}(\Pi_m)}$$

$$\beta_i = \frac{A^2 \sigma^2}{2\mu A^2 \sigma^2 + b} \times \frac{\Pi_m}{\text{Var}(\Pi_m)}$$

# BETA AND POWER

*Systematic risk is negatively related to monopoly power.*

*The relationship is not linear.*

*This finding is consistent with previous theory from Subrahmanyam & Thomadakis (1980), Booth (1980), and Lee, Thomas, & Rahman (1990).*

# BETA AND POWER

*Could risk and power be  
positively related?*

# BETA AND POWER

*Could risk and power be positively related?*

*Literature is not unanimous.*

# BETA AND POWER

Beta and monopoly power could have a *positive* relationship due to...

- Risk as a barrier to entry
  - Bustamante & Donangelo (2017)
- Monopolies absorb all the variance of demand
  - Abdoh & Varela (2017)
- Reward should match risk
  - Competitive firms have low rewards, so they should be less risky
  - Monopolistic firms' excess rents imply higher risk



# LITERATURE REVIEW

*Empirical Works*

# EMPIRICAL PAPERS

## *Negative Relationship*

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- Sullivan (1978, 1982)
  - Concentration (HHI)
- Alexander & Thistle (1999)
  - Concentration (4-Firm)
  - Insignificant HHI Relationship
  - Claim that firm-level regressions are not reliable
  - Inverse U-shape?
- Hollstein et al. (2023)
  - “Total product market similarity”

## *Positive or No Relationship*

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- Abdoh & Varela (2017)
  - C-CAPM as risk
  - Concentration (HHI)
- Bernier (1987)<sup>(1)</sup>
  - Tobin’s q ratio
  - “No consistent relationship”
- Manuel & Stevens (1987)
  - Concentration & Barriers
- Stevens (1986)
  - No significant relationship

(1) Couldn’t access the actual paper—some papers that cite it claim it supports a negative relationship, but the abstract says otherwise.

# EMPIRICAL PAPERS

## *Negative Relationship*

---

- Goldenberg (1987)
  - Earnings volatility
  - Regulated electric utilities
- Booth & Zhou (2015)
  - Connects power to dividend policy via business risk
  - Lerner and HHI
  - Also examines import competition

## *Positive or No Relationship*

---

- Abdoh & Varela (2017)
  - Competition (HHI) and tariffs
  - Fama-French and single-factor models for risk
- Bustamante & Donangelo (2017)
  - Threat of new entry lowers exposure to systematic risk
  - Higher risk is a barrier to entry
  - HHI and “Characteristics-based concentration” (modified HHI)

# EMPIRICAL PAPERS

## *Negative Relationship*

---

- Hou & Robinson (2006)
  - Concentrated industries (HHI) earn lower stock-market returns
- Sharma (2011)
  - Concentration (HHI) negatively related to stock returns
  - Product substitutability positively related to stock returns

## *Positive or No Relationship*

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DATA

# WHARTON RESEARCH DATABASE

- CompustatIQ
- Quarterly financial data
  - Revenues, earnings, costs, taxes, assets, debt, etc.
- Monthly stock price data
  - Total return and price return
  - I use total return to calculate systematic risk
- My subset includes only US non-financial firms
- Used commonly in literature

# “UNFILTERED” DATA

To be included in any analysis, a firm must

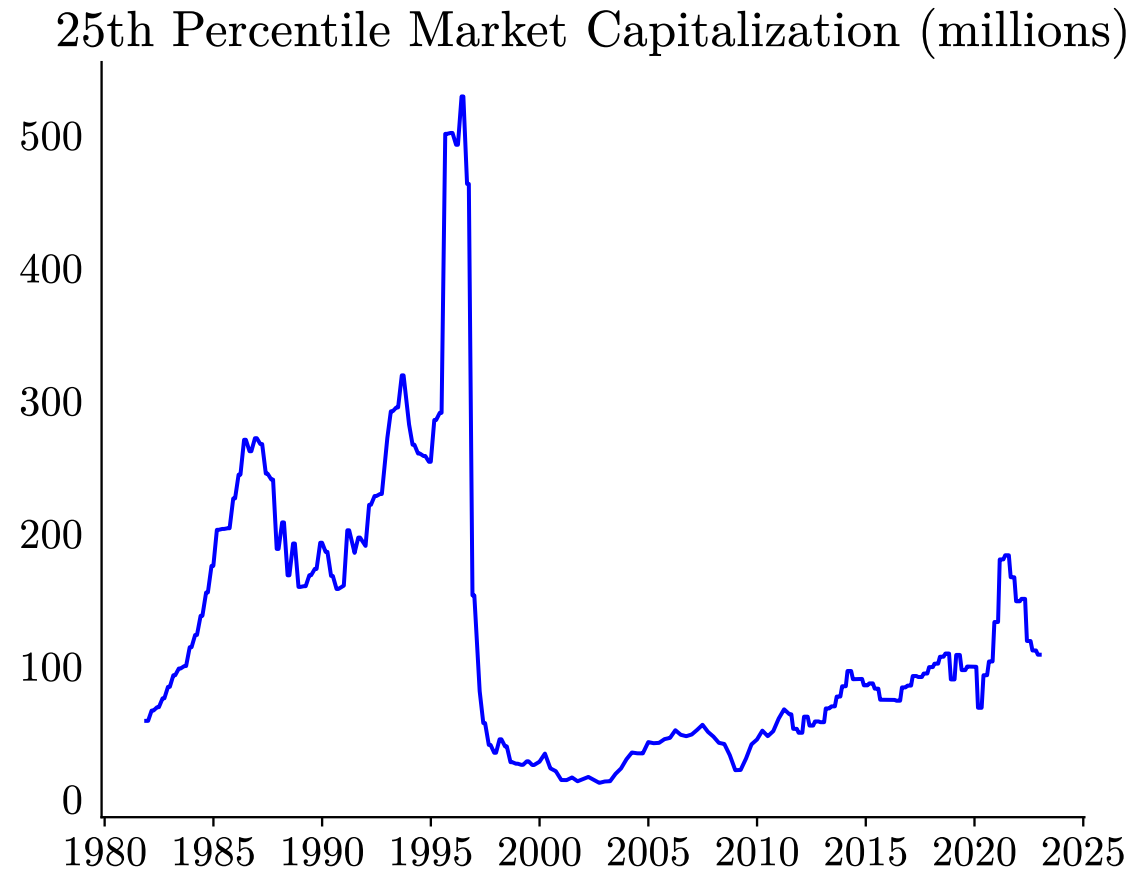
- be public for 5 consecutive years from 1976 to 2022,
- have a 5-year monthly CAPM beta during that interval,
- have revenue values greater than 0,
- have a market capitalization greater than 0.

I call this “unfiltered” because it contains the minimum amount of data to compute the CAPM beta and the core monopoly statistics.

# FILTERED DATA

I create a second dataset with additional filters, keeping only firms that

- have a market capitalization greater than the 25<sup>th</sup> percentile of that quarter,
- have assets greater than 0,
- have an EBIT margin, price-cost margin, Lerner, and CAPM beta within the 10<sup>th</sup> and 90<sup>th</sup> percentiles for each variable.



Filtering methodology still in flux.



# FOUR SUBSETS

- Unfiltered and Filtered
- Currently traded and Full 1981-2022

Dataset	Firms	Observations
Unfiltered 1981-2022	11,879	419,238
Unfiltered Current Public	3,737	206,040
Filtered 1981-2022	2,433	46,437
Filtered Current Public	1,555	35,619

BETAS

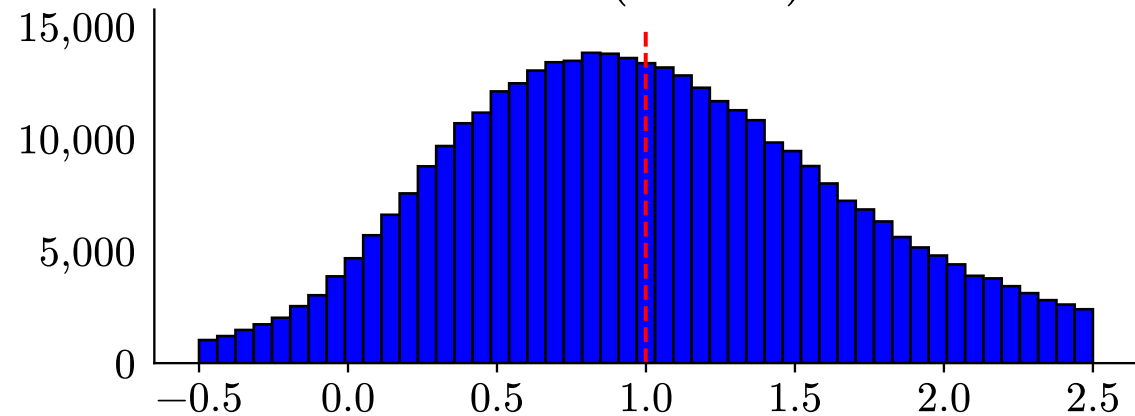
# CALCULATING BETA

- Explanation by the S&P 500
- 252-day rolling regressions
- $\beta > 1$ , higher systematic risk
- $\beta < 1$ , lower systematic risk

Levered Beta

Count	419,238
Mean	4.16
Std. Dev	471.21
Minimum	-8.68E+04
25th Percentile	0.52
Median	1.00
75th Percentile	1.57
Maximum	1.18E+05

Beta (levered)



Unfiltered 1981-2022

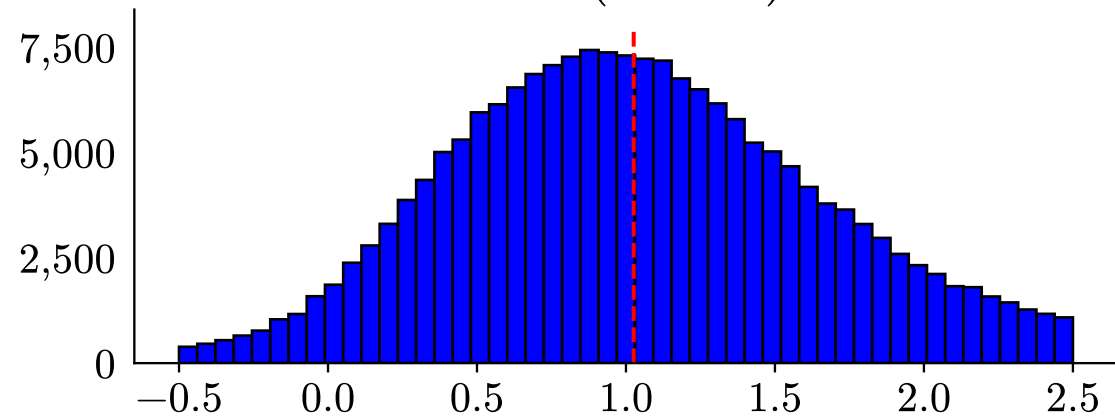
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Levered Beta

Count	206,040
Mean	4.92
Std. Dev	520.75
Minimum	-6.89E+03
25th Percentile	0.58
Median	1.03
75th Percentile	1.53
Maximum	1.01E+05

Beta (levered)



Unfiltered Current

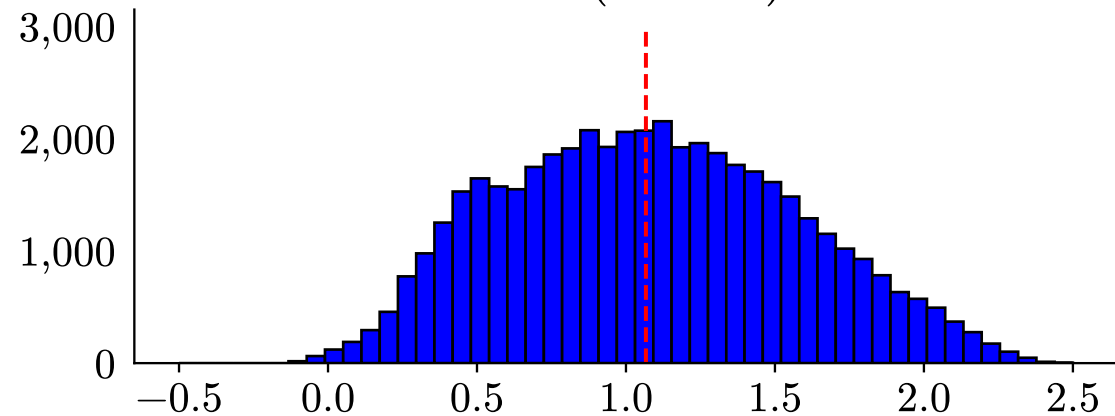
# CALCULATING BETA

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Levered Beta

Count	46,437
Mean	1.08
Std. Dev	0.49
Minimum	(0.12)
25th Percentile	0.70
Median	1.07
75th Percentile	1.44
Maximum	3.06

Beta (levered)



Filtered 1981-2022

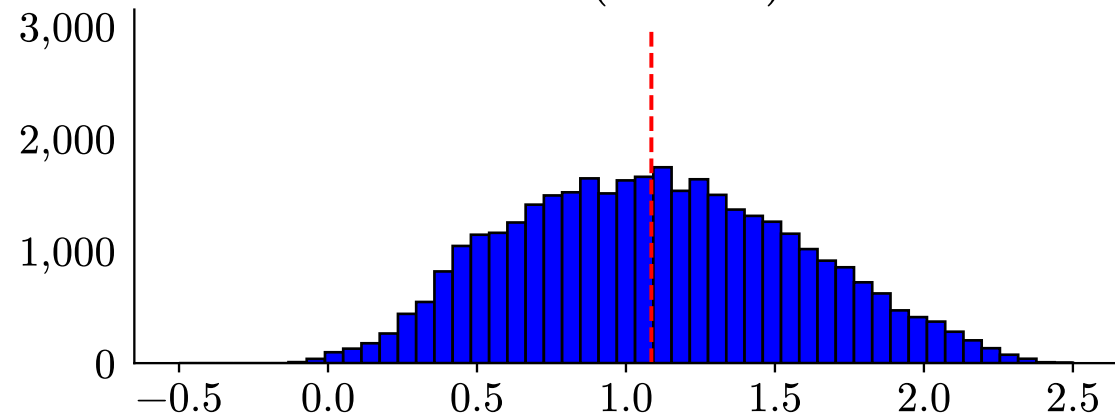
# CALCULATING BETA

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Levered Beta

Count	35,619
Mean	1.10
Std. Dev	0.48
Minimum	(0.12)
25th Percentile	0.74
Median	1.09
75th Percentile	1.44
Maximum	3.06

Beta (levered)



Filtered Current

# UNLEVERED BETA

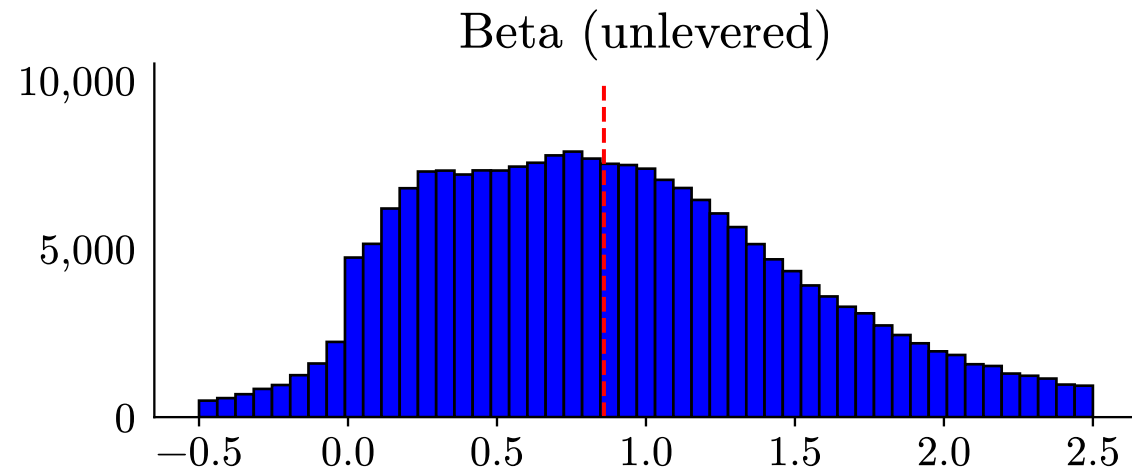
- Explanation by the S&P 500
- 252-day rolling regressions
- $\beta > 1$ , higher systematic risk
- $\beta < 1$ , lower systematic risk
- Unlevered beta adjustment used in the literature and by practitioners
  - Manuel & Stevens, 1987

Unlevered Beta

$$\beta_{UL} = \frac{\beta_L}{1 + (1 - \tau)\left(\frac{\text{Debt}}{\text{Equity}}\right)}$$

Unlevered Beta

Count	233,661
Mean	3.42
Std. Dev	973.91
Minimum	-3.46E+05
25th Percentile	0.38
Median	0.86
75th Percentile	1.40
Maximum	1.18E+05



Unfiltered 1981-2022

# UNLEVERED BETA

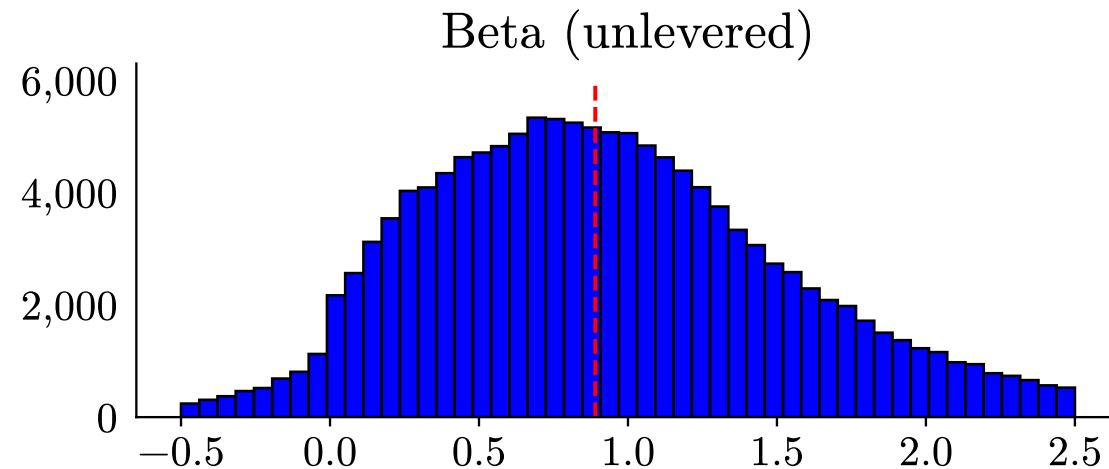
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Unlevered Beta

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Unlevered Beta

Count	144,297
Mean	3.27
Std. Dev	1,071.27
Minimum	-3.46E+05
25th Percentile	0.45
Median	0.89
75th Percentile	1.39
Maximum	9.79E+04





# UNLEVERED BETA

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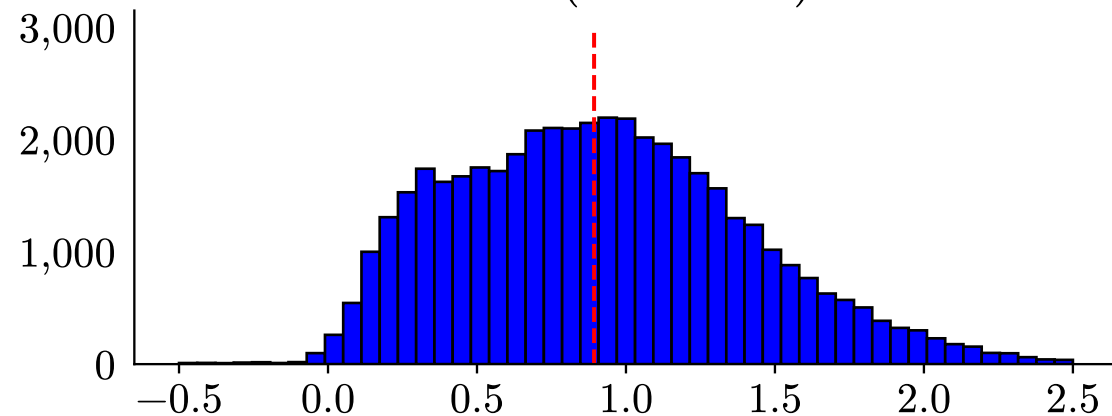
Unlevered Beta

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Unlevered Beta

Count	46,437
Mean	0.94
Std. Dev	1.81
Minimum	(13.17)
25th Percentile	0.54
Median	0.89
75th Percentile	1.24
Maximum	343.35

Beta (unlevered)



Filtered 1981-2022

# UNLEVERED BETA

- Explanation by the S&P 500
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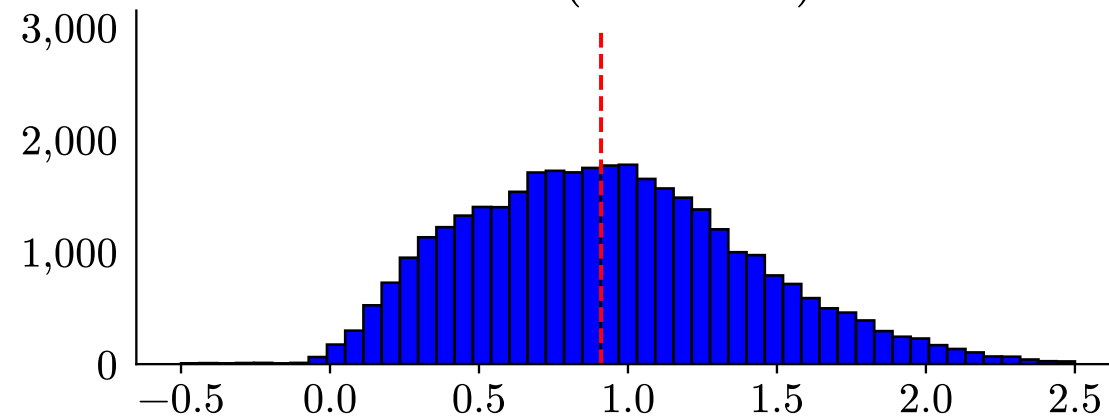
Unlevered Beta

$$\beta_{UL} = \frac{\beta_L}{1 + (1 - \tau)\left(\frac{\text{Debt}}{\text{Equity}}\right)}$$

Unlevered Beta

Count	35,619
Mean	0.95
Std. Dev	0.82
Minimum	(13.17)
25th Percentile	0.58
Median	0.91
75th Percentile	1.24
Maximum	59.99

Beta (unlevered)

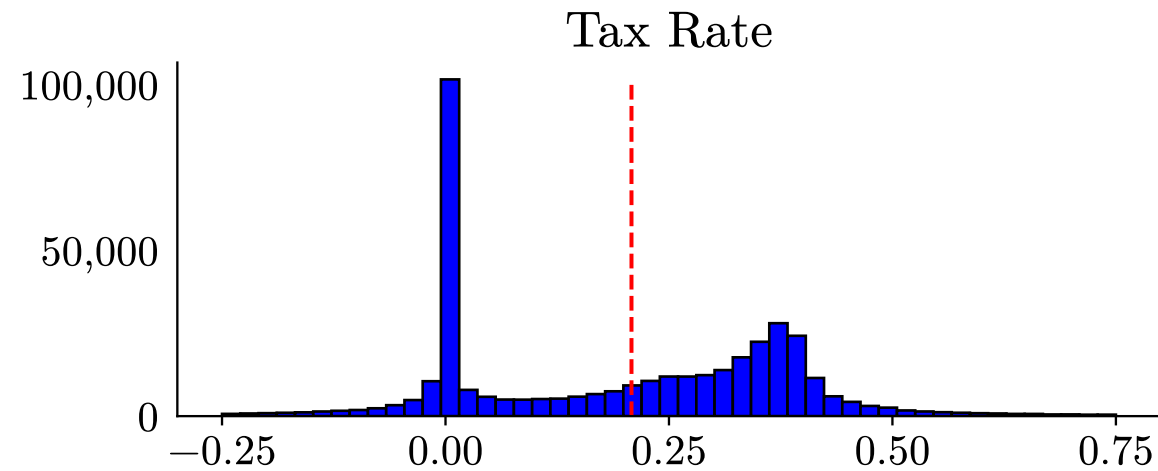


Filtered Current

# TAXES AND TAX RATE

- Last year, I applied a tax rate of 25% for all firms
- This was arbitrary, so when I computed statistics for the full WRDS database, I used the *effective* tax rate to unlever the beta
  - Taxes / Taxable Income
  - Better to use marginal tax rate but that is hard to identify for many firms
- This is part of my endogenous variable, unlevered beta

Tax Rate	
Count	414,209
Mean	15.1%
Std. Dev	771.6%
Minimum	-1.77E+03
25th Percentile	– %
Median	20.8%
75th Percentile	36.0%
Maximum	1.24E+03

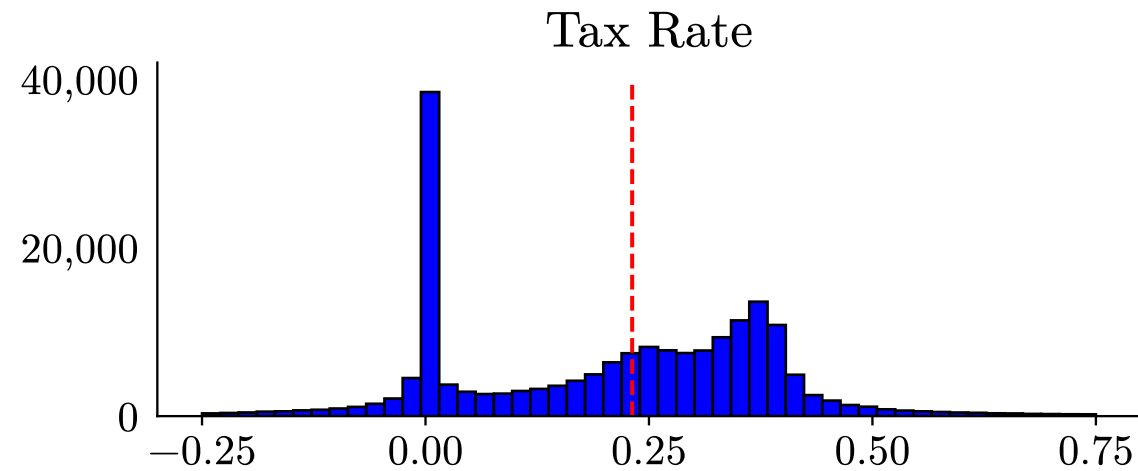


Unfiltered 1981-2022

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Tax Rate	
Count	203,818
Mean	18.6%
Std. Dev	722.7%
Minimum	-1.47E+03
25th Percentile	– %
Median	23.1%
75th Percentile	35.5%
Maximum	1.24E+03

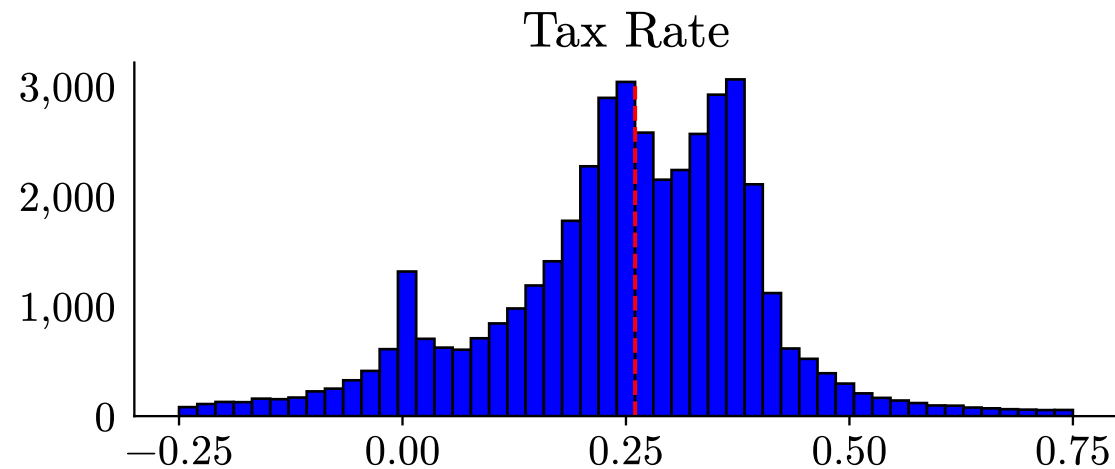


Unfiltered Current

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Tax Rate	
Count	46,437
Mean	22.5%
Std. Dev	230.5%
Minimum	-7.51E+01
25th Percentile	15.5%
Median	26.0%
75th Percentile	35.6%
Maximum	1.91E+02

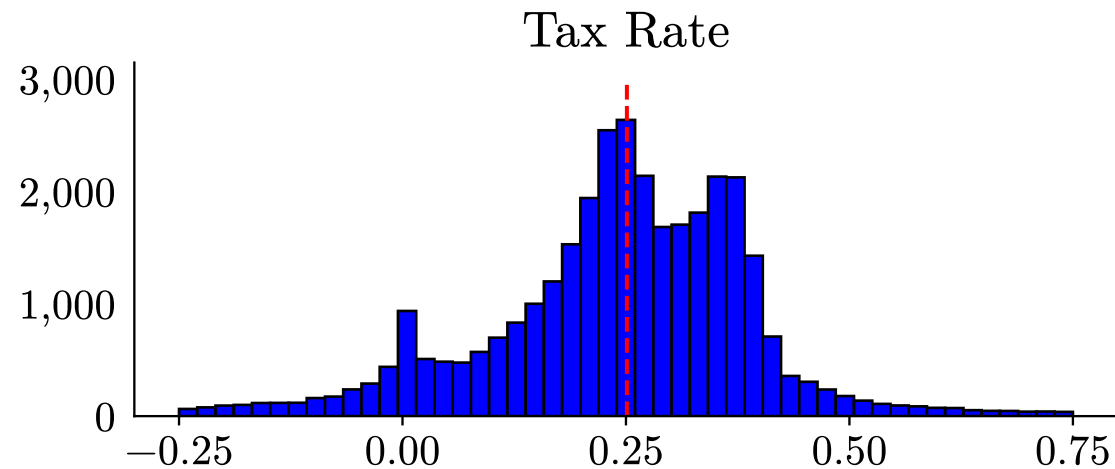


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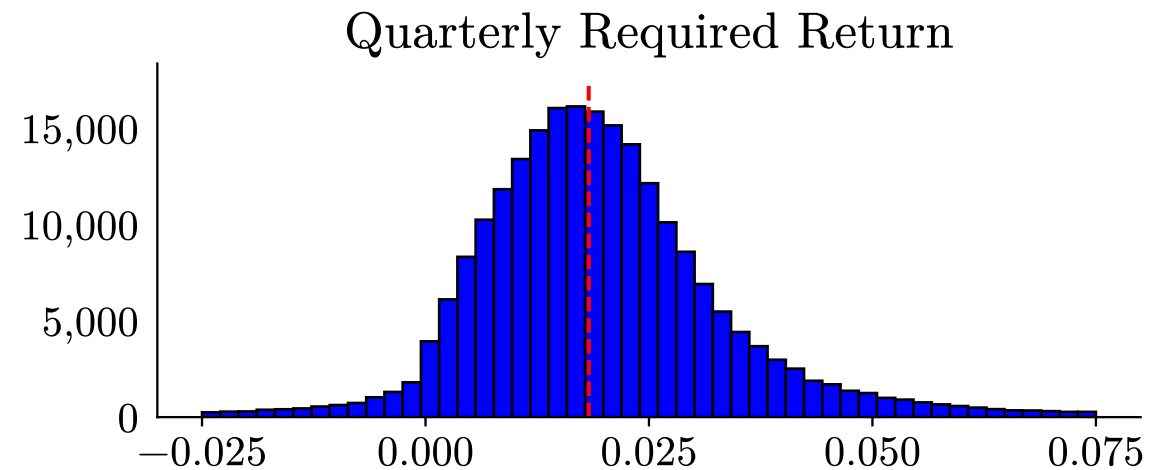
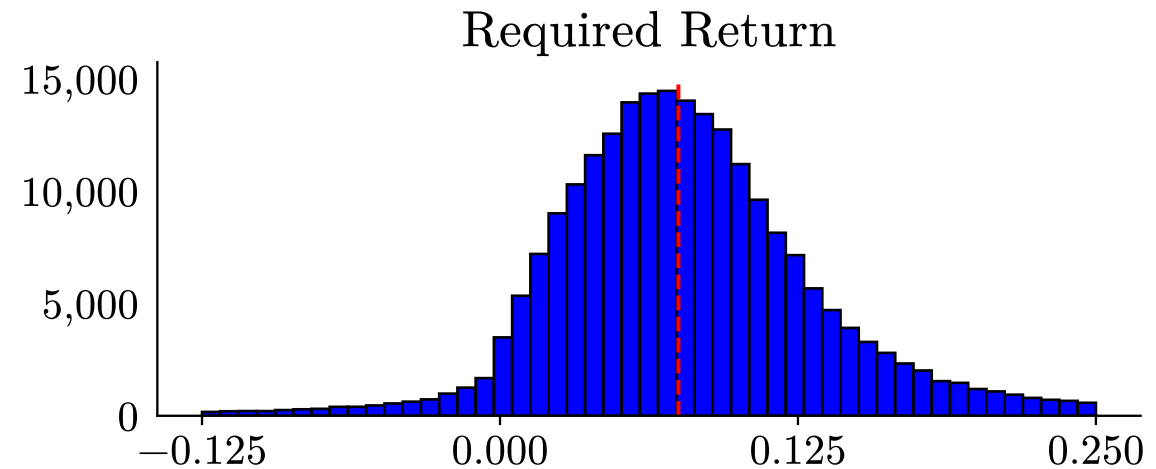
Tax Rate	
Count	35,619
Mean	22.1%
Std. Dev	234.7%
Minimum	-7.51E+01
25th Percentile	15.6%
Median	25.1%
75th Percentile	34.6%
Maximum	1.91E+02



Filtered Current

# REQUIRED RETURN

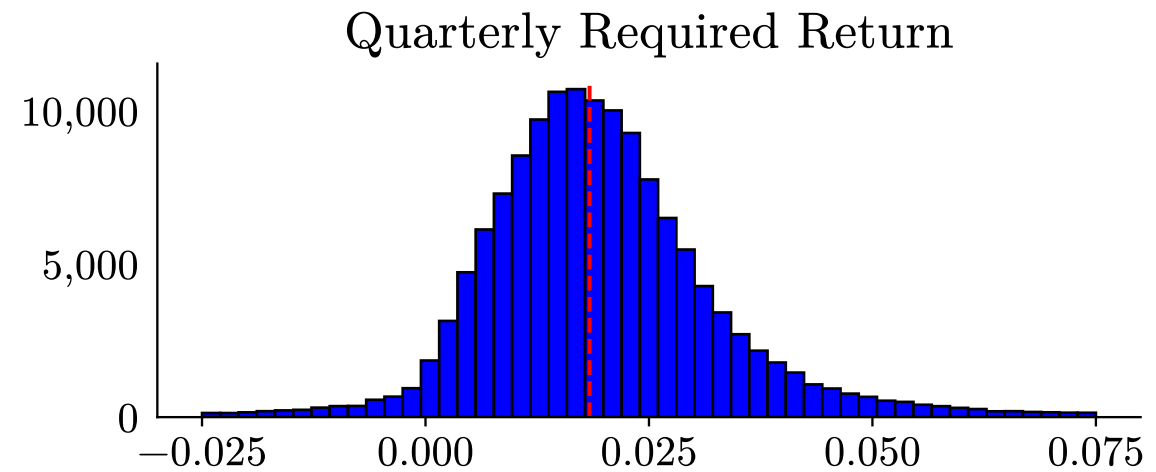
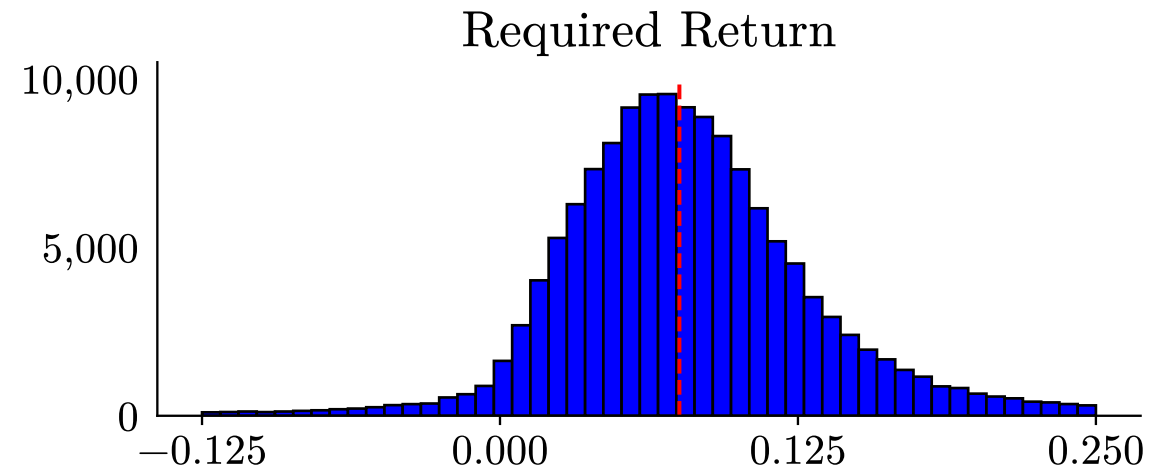
- Based on a simple CAPM
- $RFR + ERP \times \beta_{UL}$
- Simple way of measuring required return to capital
- Used in the Lerner Index



Unfiltered 1981-2022

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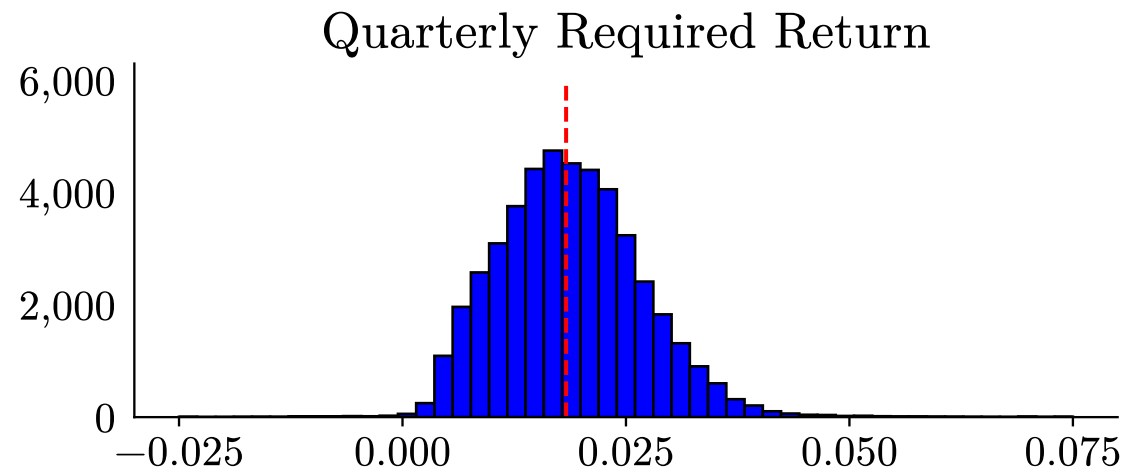
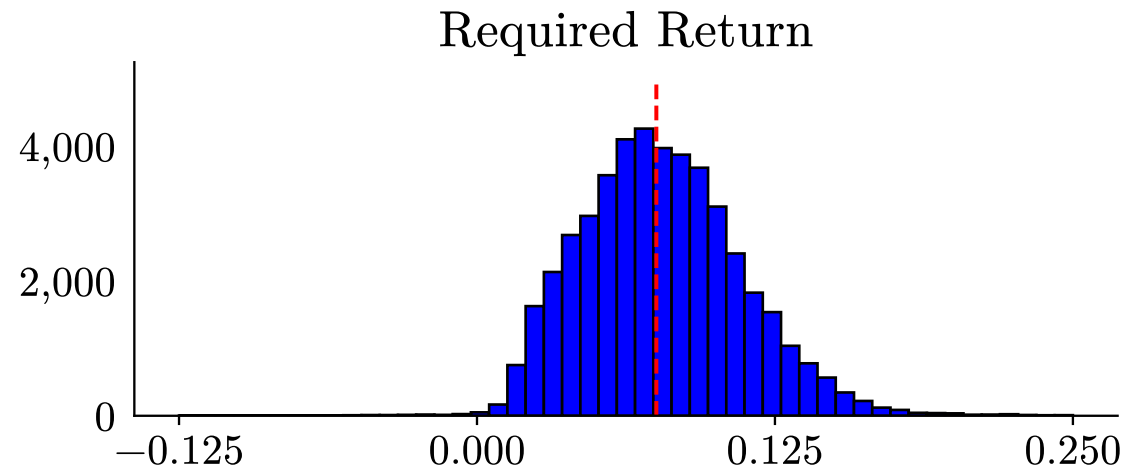


Unfiltered Current



# REQUIRED RETURN

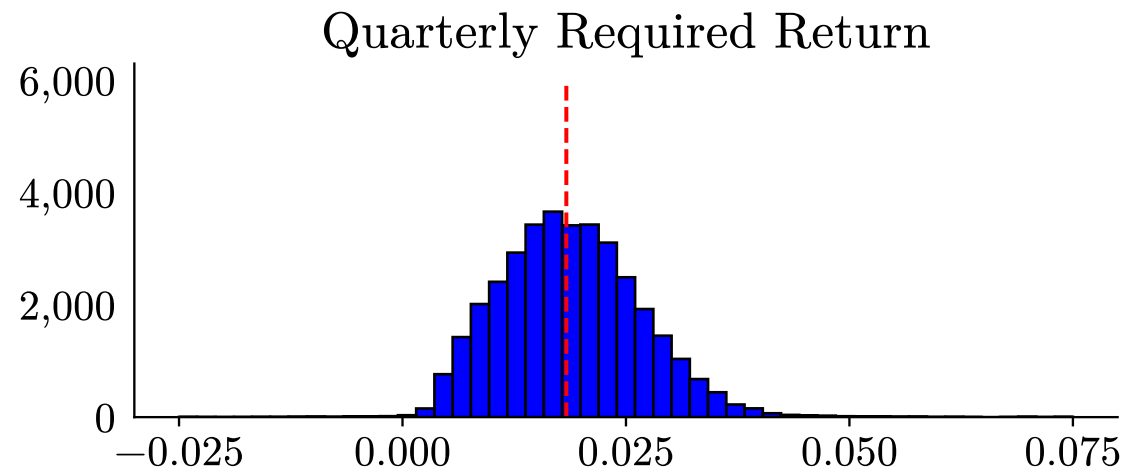
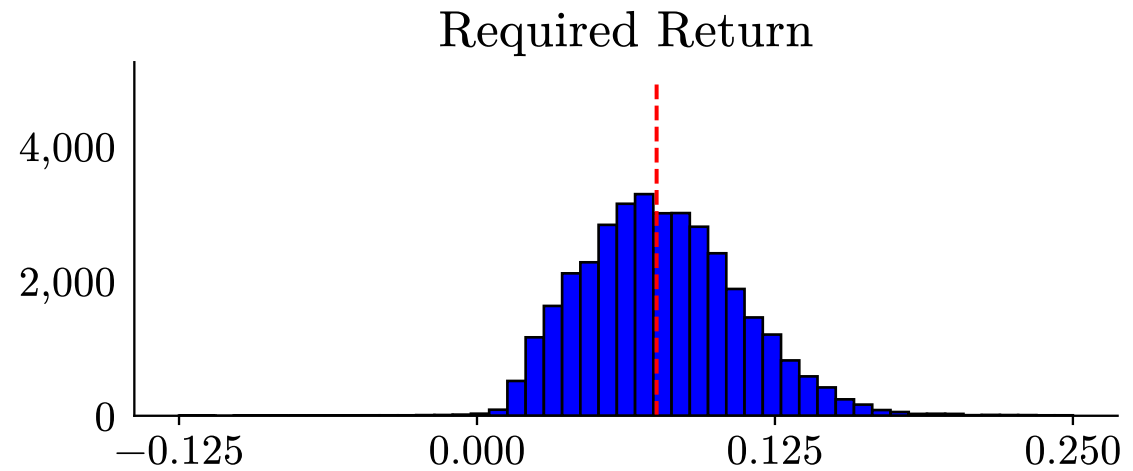
- Based on a simple CAPM
- $RFR + ERP \times \beta_{UL}$
- Simple way of measuring required return to capital
- Used in the Lerner Index



Filtered 1981-2022

# REQUIRED RETURN

- Based on a simple CAPM
- $RFR + ERP \times \beta_{UL}$
- Simple way of measuring required return to capital
- Used in the Lerner Index



Filtered Current

# MEASURES OF POWER

# MEASURES INCLUDE

- Profit metrics
  - Lerner index\*
  - Hay-Liu-Boone index\*
  - Accounting profit margins\*
  - Marginal ROIC or ROA
- Concentration
  - ~~$k$~~  Firm concentration index
  - Herfindahl-Hirshman index
- Time Series
  - ~~Industry Churn~~
  - ~~Profits Autoregression~~
- Elasticity
  - ~~Rothschild-Bresnahan~~
  - ~~Panzar-Rosse H-Statistic~~
- Valuation
  - Tobin's  $q$

# LERNER INDEX

- Marginal profit over price
- Common in literature
- Positive values imply monopoly power
- Hard to interpret the competitive environment

$$\text{Lerner Index} = \frac{P - C}{P}$$

Estimate Lerner with

$$(\text{EBIT} - \text{RR}) = \beta_0 + \beta_1(\text{Revenue})$$

Calculate Required Return with

$$\text{RR} = \text{IC}(\beta_{UL} \times \text{ERP} + \text{RFR})$$

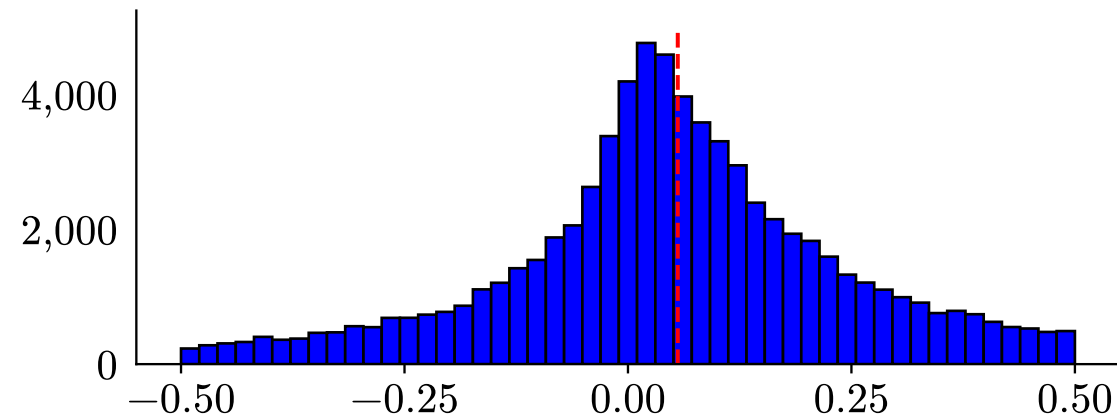
# LERNER INDEX

- Marginal profit over price
- Common in literature
- Positive values imply monopoly power
- Hard to interpret the competitive environment

Lerner Index

Count	96,030
Mean	-0.960
Std. Dev	255.41
Minimum	-61,974.741
25th Percentile	-0.087
Median	0.056
75th Percentile	0.253
Maximum	16,181.083

Lerner Index

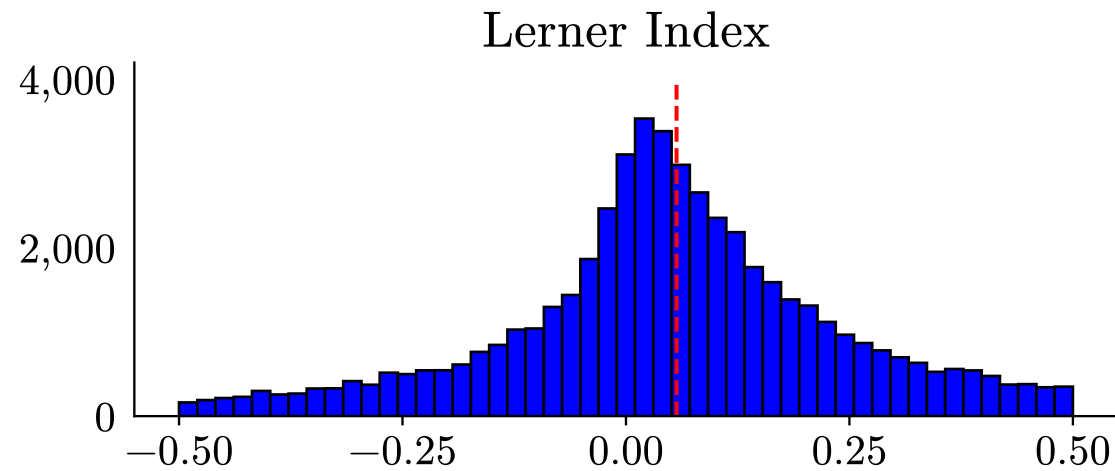


Unfiltered 1981-2022

# LERNER INDEX

- Marginal profit over price
- Common in literature
- Positive values imply monopoly power
- Hard to interpret the competitive environment

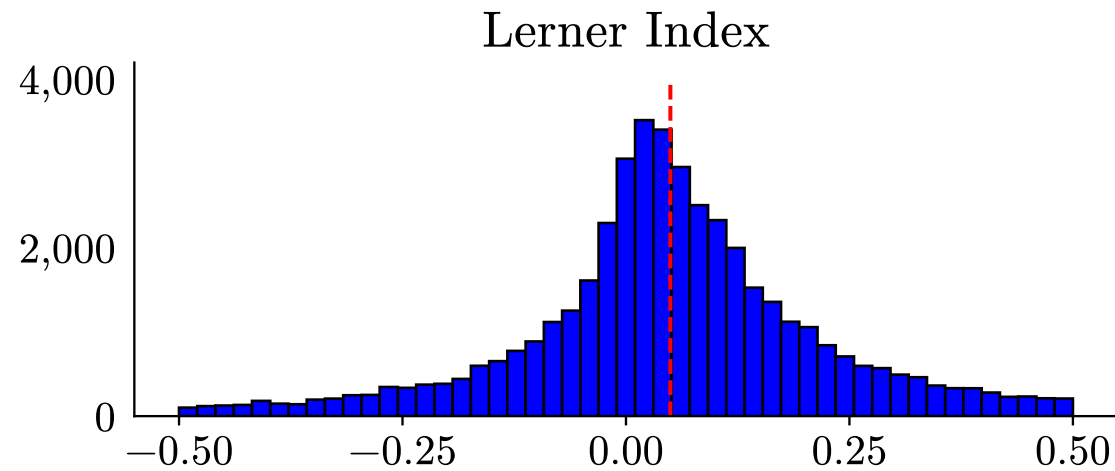
Lerner Index	
Count	68,410
Mean	-1.050
Std. Dev	259.947
Minimum	-61,974.741
25th Percentile	-0.077
Median	0.057
75th Percentile	0.247
Maximum	16,181.083



# LERNER INDEX

- Marginal profit over price
- Common in literature
- Positive values imply monopoly power
- Hard to interpret the competitive environment

Lerner Index	
Count	46,437
Mean	0.071
Std. Dev	0.227
Minimum	-1.506
25th Percentile	-0.026
Median	0.050
75th Percentile	0.154
Maximum	1.858



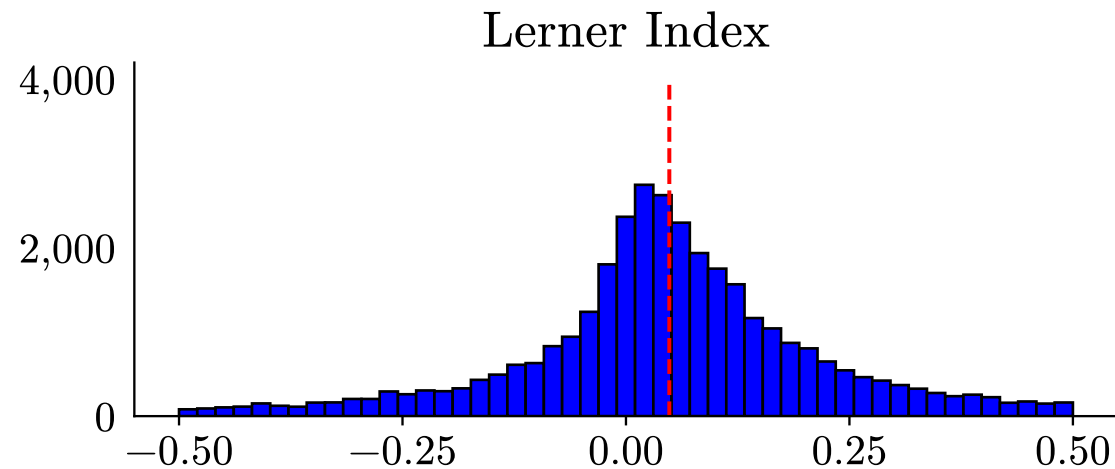
Filtered 1981-2022



# LERNER INDEX

- Marginal profit over price
- Common in literature
- Positive values imply monopoly power
- Hard to interpret the competitive environment

Lerner Index	
Count	35,619
Mean	0.068
Std. Dev	0.223
Minimum	-1.491
25th Percentile	-0.026
Median	0.049
75th Percentile	0.151
Maximum	1.858



Filtered Current

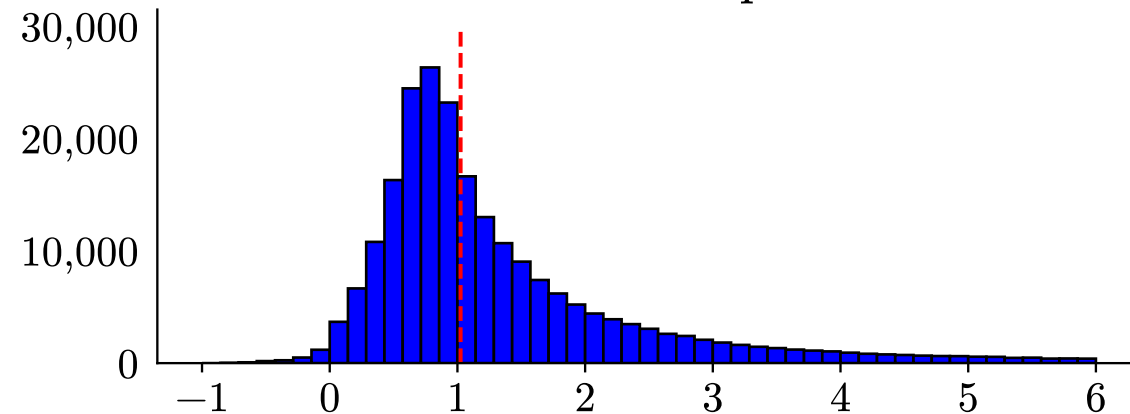
# TOBIN'S Q

- Ratio of a firm's replacement value to its current market value
  - Higher implies monopoly power (whole is worth more than the sum of the parts)
- I use total assets instead of replacement value
  - Replacement value hard to calculate in practice
- Enterprise Value (debt plus equity market values) as numerator

Tobin's q

Count	233,862
Mean	6.260
Std. Dev	334.538
Minimum	-0.843
25th Percentile	0.685
Median	1.025
75th Percentile	1.825
Maximum	98,030.435

Tobin's q



Unfiltered 1981-2022

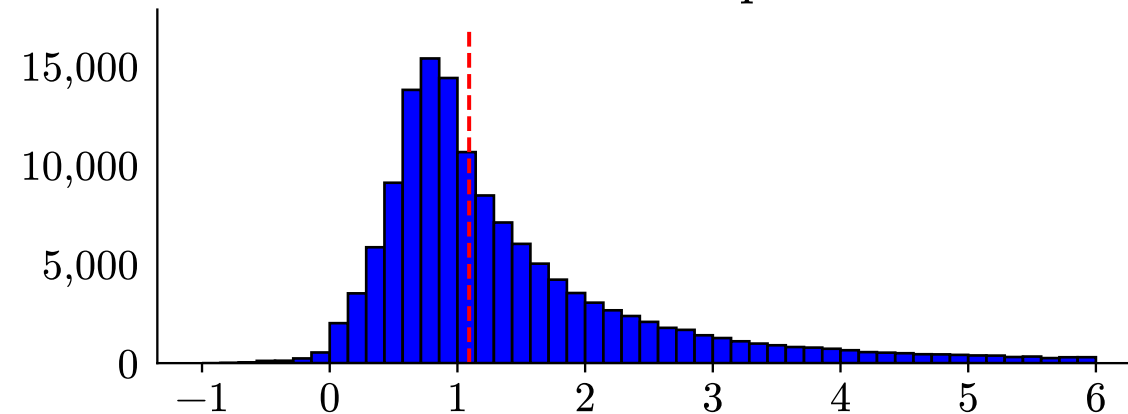
# TOBIN'S Q

- Ratio of a firm's replacement value to its current market value
  - Higher implies monopoly power (whole is worth more than the sum of the parts)
- I use total assets instead of replacement value
  - Replacement value hard to calculate in practice
- Enterprise Value (debt plus equity market values) as numerator

Tobin's q

Count	144,408
Mean	5.585
Std. Dev	297.926
Minimum	-0.843
25th Percentile	0.722
Median	1.092
75th Percentile	1.923
Maximum	88,722.496

Tobin's q



Unfiltered Current

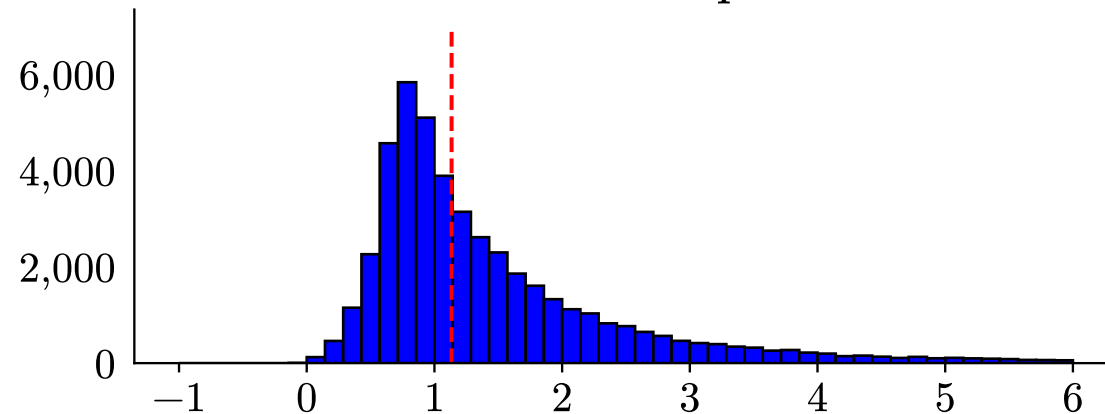
# TOBIN'S Q

- Ratio of a firm's replacement value to its current market value
  - Higher implies monopoly power (whole is worth more than the sum of the parts)
- I use total assets instead of replacement value
  - Replacement value hard to calculate in practice
- Enterprise Value (debt plus equity market values) as numerator

Tobin's q

Count	46,437
Mean	1.606
Std. Dev	1.590
Minimum	-0.059
25th Percentile	0.790
Median	1.134
75th Percentile	1.845
Maximum	31.660

Tobin's q



Filtered 1981-2022

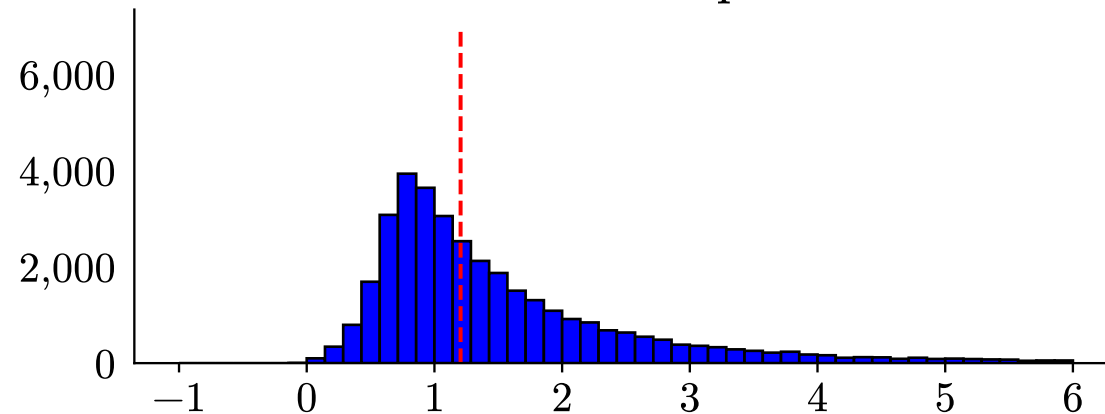
# TOBIN'S Q

- Ratio of a firm's replacement value to its current market value
  - Higher implies monopoly power (whole is worth more than the sum of the parts)
- I use total assets instead of replacement value
  - Replacement value hard to calculate in practice
- Enterprise Value (debt plus equity market values) as numerator

Tobin's q

Count	35,619
Mean	1.694
Std. Dev	1.691
Minimum	-0.059
25th Percentile	0.820
Median	1.205
75th Percentile	1.948
Maximum	31.660

Tobin's q



Filtered Current

# ACCOUNTING PROFITS

- Often simple GAAP margins
- Easy to compute, not a rigorous measure of power
- Higher values imply power
- Difficult to connect to models of the firm

Compute EBIT Margin with

$$\text{EBIT Margin \%} = \frac{\text{EBIT}}{\text{Revenue}}$$

Estimate Price-Cost Margin with

$$\text{EBIT} = \beta_0 + \beta_1(\text{Revenue})$$

Compute ROIC with

$$\text{ROIC} = \frac{\text{EBIT}(1 - \tau)}{\text{Invested Capital}}$$

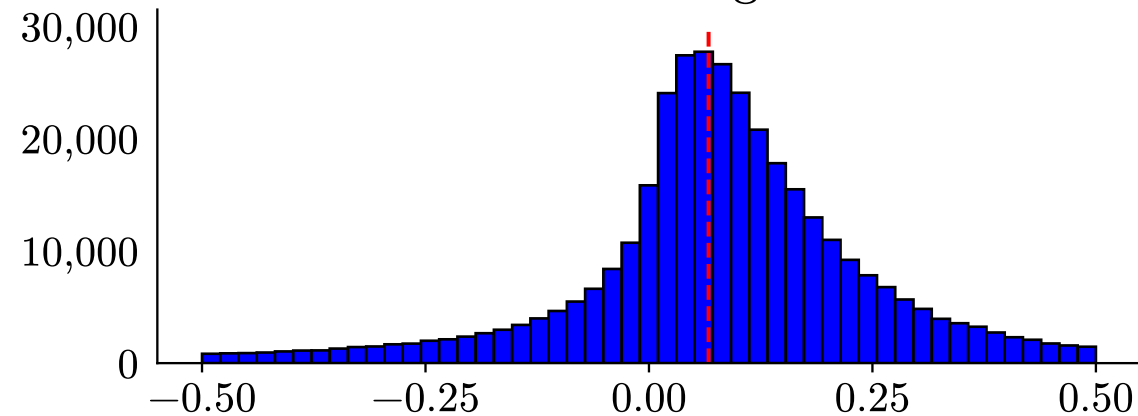
# EBIT MARGIN

- Percent profit on earnings before interest and tax
- Common financial metric

EBIT Margin

Count	412,691
Mean	-5.136
Std. Dev	138.919
Minimum	-3.95E+04
25th Percentile	-0.039
Median	0.067
75th Percentile	0.162
Maximum	7.43E+02

EBIT Margin



Unfiltered 1981-2022

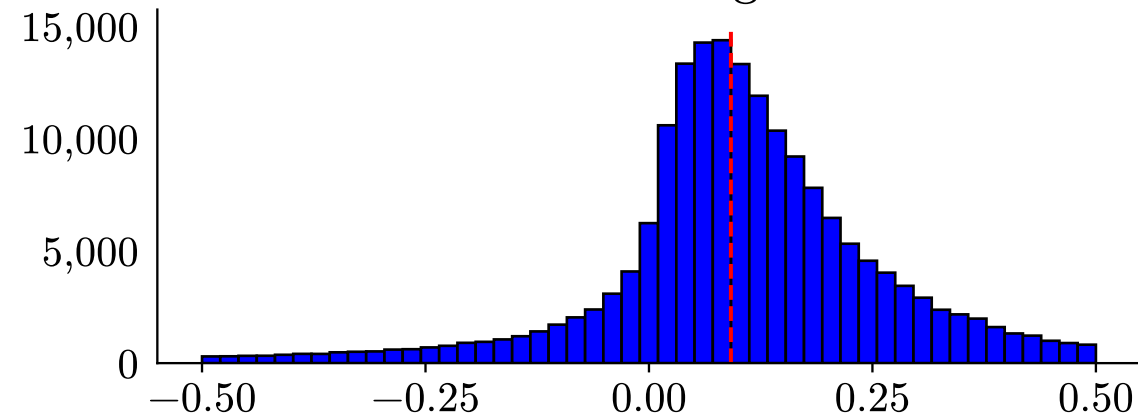
# EBIT MARGIN

- Percent profit on earnings before interest and tax
- Common financial metric

EBIT Margin

Count	203,413
Mean	-4.011
Std. Dev	143.618
Minimum	-3.95E+04
25th Percentile	0.014
Median	0.092
75th Percentile	0.189
Maximum	7.43E+02

EBIT Margin



Unfiltered Current



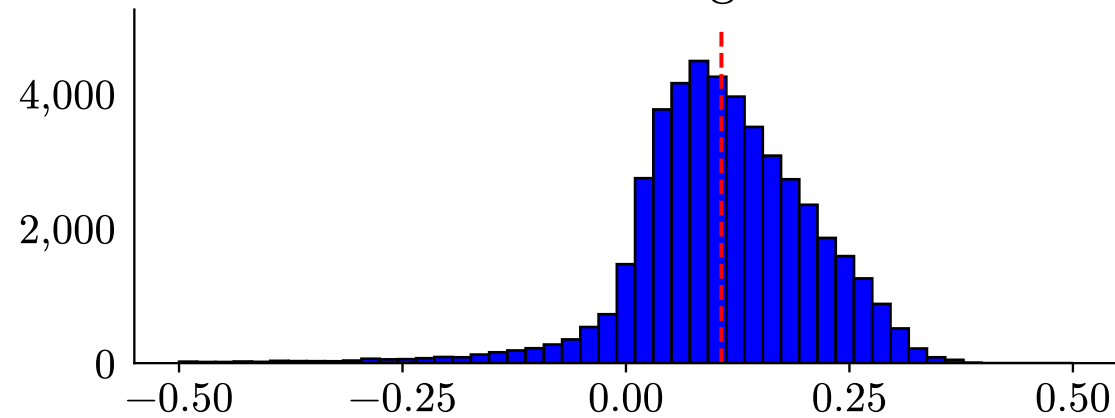
# EBIT MARGIN

- Percent profit on earnings before interest and tax
- Common financial metric

EBIT Margin

Count	46,437
Mean	0.105
Std. Dev	0.114
Minimum	-1.498
25th Percentile	0.052
Median	0.107
75th Percentile	0.173
Maximum	0.387

EBIT Margin



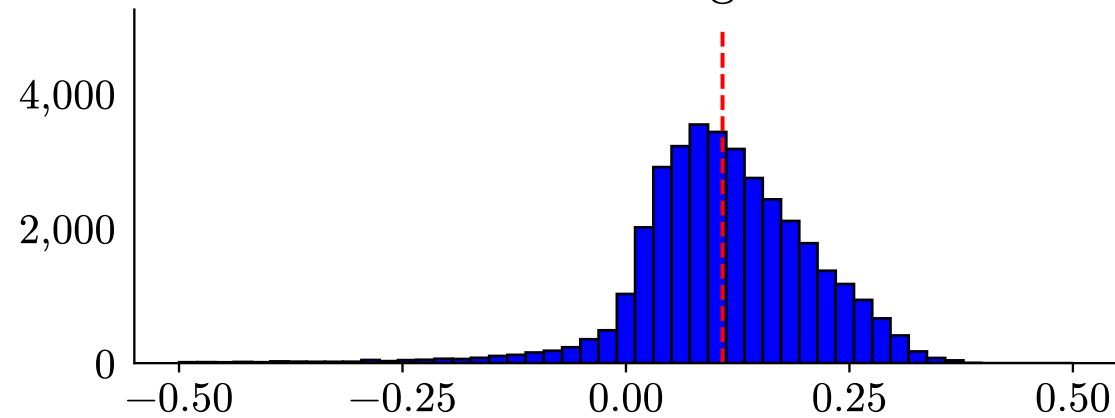
# EBIT MARGIN

- Percent profit on earnings before interest and tax
- Common financial metric

EBIT Margin

Count	35,619
Mean	0.107
Std. Dev	0.112
Minimum	-1.498
25th Percentile	0.055
Median	0.108
75th Percentile	0.172
Maximum	0.387

EBIT Margin



Filtered Current

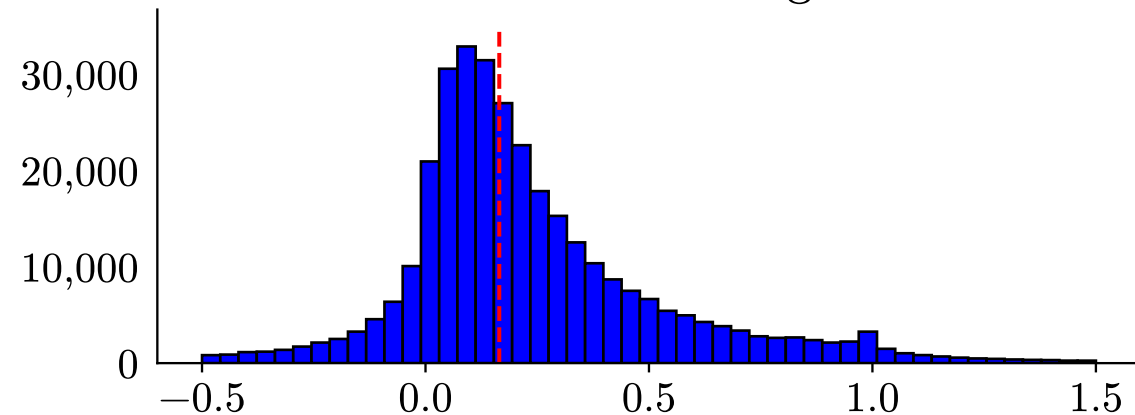
# PRICE-COST MARGIN

- “Marginal Profit Margin”
- Like the Lerner, but no consideration for required return to capital
- Used in literature

Price Cost Margin

Count	348,074
Mean	0.097
Std. Dev	18.923
Minimum	-6,487.639
25th Percentile	0.053
Median	0.165
75th Percentile	0.357
Maximum	3,431.453

Price-Cost Margin



Unfiltered 1981-2022

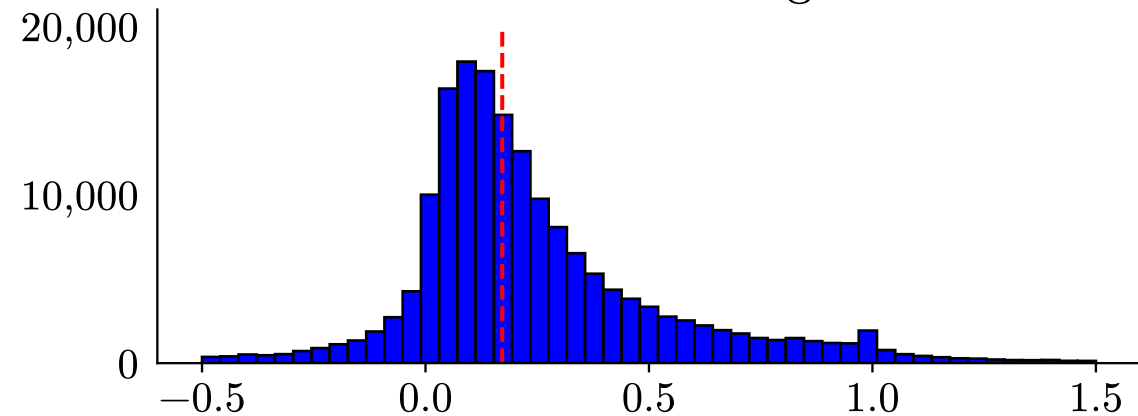
# PRICE-COST MARGIN

- “Marginal Profit Margin”
- Like the Lerner, but no consideration for required return to capital
- Used in literature

Price Cost Margin

Count	179,427
Mean	0.010
Std. Dev	24.659
Minimum	-6,487.639
25th Percentile	0.065
Median	0.172
75th Percentile	0.357
Maximum	3,431.453

Price-Cost Margin



Unfiltered Current

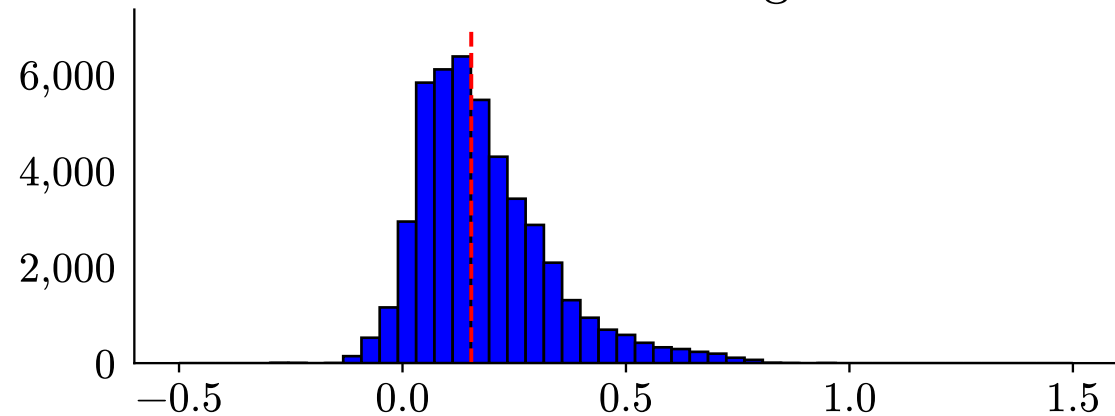
# PRICE-COST MARGIN

- “Marginal Profit Margin”
- Like the Lerner, but no consideration for required return to capital
- Used in literature

Price Cost Margin

Count	46,437
Mean	0.182
Std. Dev	0.147
Minimum	-0.288
25th Percentile	0.078
Median	0.154
75th Percentile	0.256
Maximum	0.945

Price-Cost Margin



Filtered 1981-2022

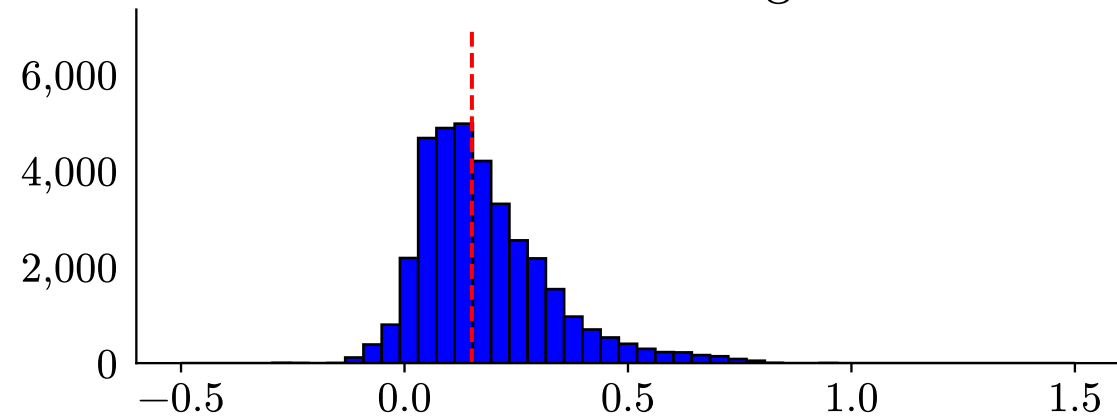
# PRICE-COST MARGIN

- “Marginal Profit Margin”
- Like the Lerner, but no consideration for required return to capital
- Used in literature

Price Cost Margin

Count	35,619
Mean	0.180
Std. Dev	0.145
Minimum	-0.288
25th Percentile	0.077
Median	0.151
75th Percentile	0.251
Maximum	0.945

Price-Cost Margin



Filtered Current

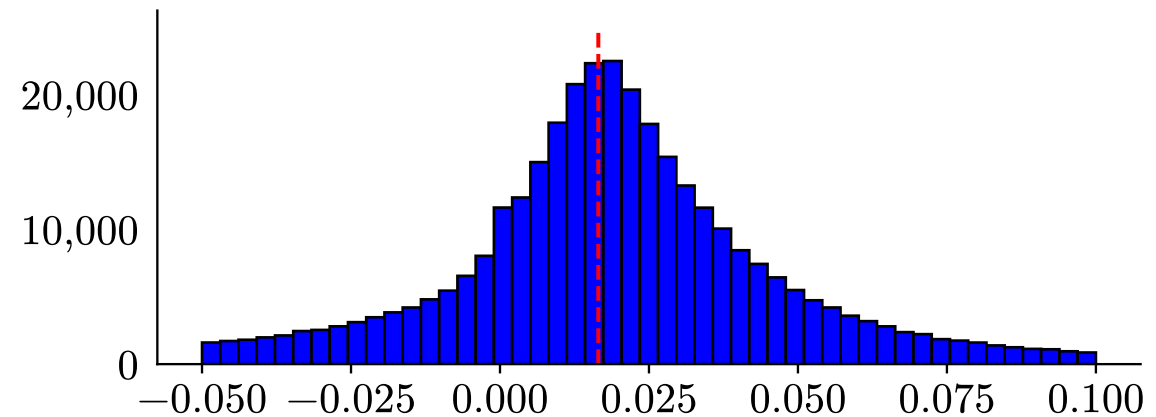
# RETURN ON INVESTED CAPITAL

- Profit divided by the resources the company has
- Used to assess performance
- Quarterly shown here

ROIC

Count	410,035
Mean	0.042
Std. Dev	10.760
Minimum	-1,809.000
25th Percentile	-0.004
Median	0.017
75th Percentile	0.034
Maximum	5,348.000

ROIC



Unfiltered 1981-2022

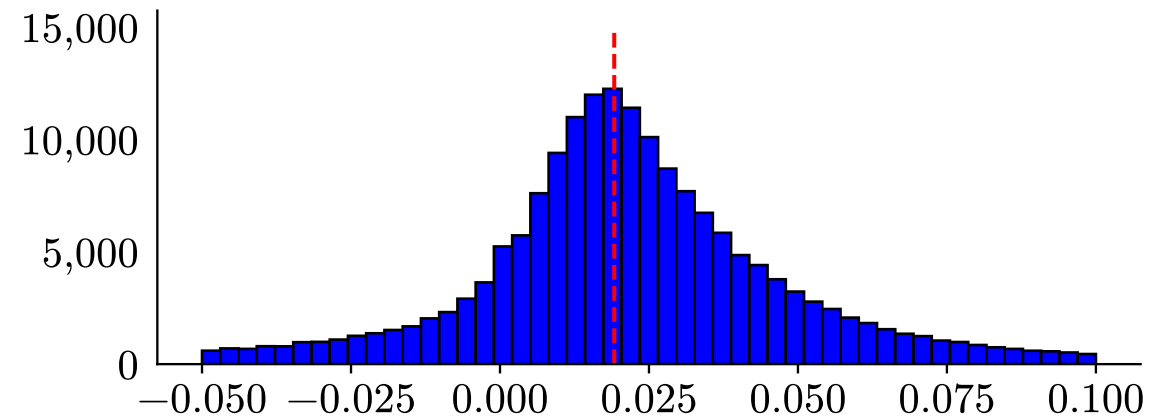
# RETURN ON INVESTED CAPITAL

- Profit divided by the resources the company has
- Used to assess performance
- Quarterly shown here

ROIC

Count	202,335
Mean	0.100
Std. Dev	13.069
Minimum	-1,168.000
25th Percentile	0.003
Median	0.019
75th Percentile	0.036
Maximum	5,348.000

ROIC



Unfiltered Current



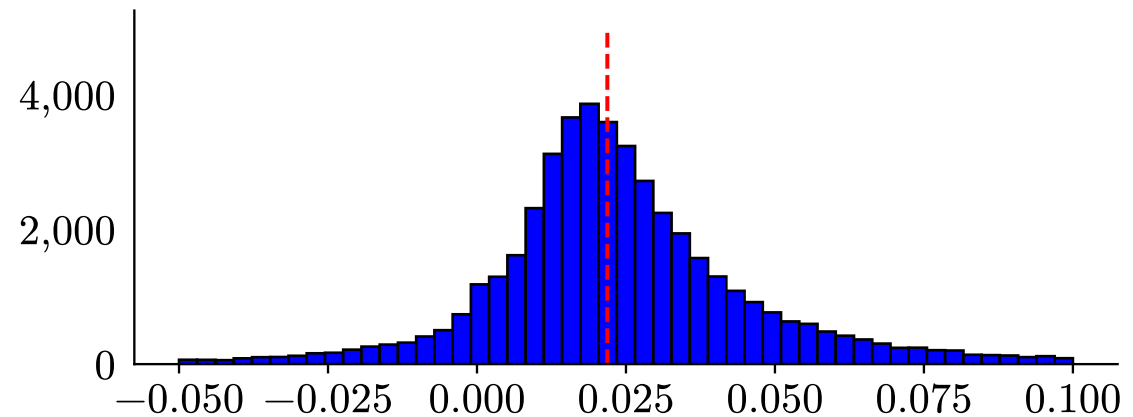
# RETURN ON INVESTED CAPITAL

- Profit divided by the resources the company has
- Used to assess performance
- Quarterly shown here

ROIC

Count	46,437
Mean	0.025
Std. Dev	0.080
Minimum	-4.720
25th Percentile	0.012
Median	0.022
75th Percentile	0.035
Maximum	6.932

ROIC



Filtered 1981-2022

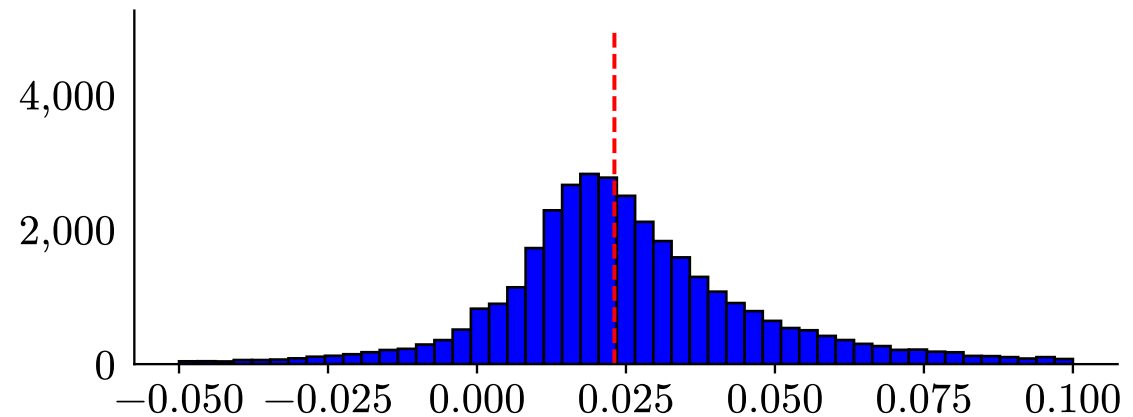
# RETURN ON INVESTED CAPITAL

- Profit divided by the resources the company has
- Used to assess performance
- Quarterly shown here

ROIC

Count	35,619
Mean	0.027
Std. Dev	0.073
Minimum	-4.720
25th Percentile	0.013
Median	0.023
75th Percentile	0.037
Maximum	6.538

ROIC



Filtered Current

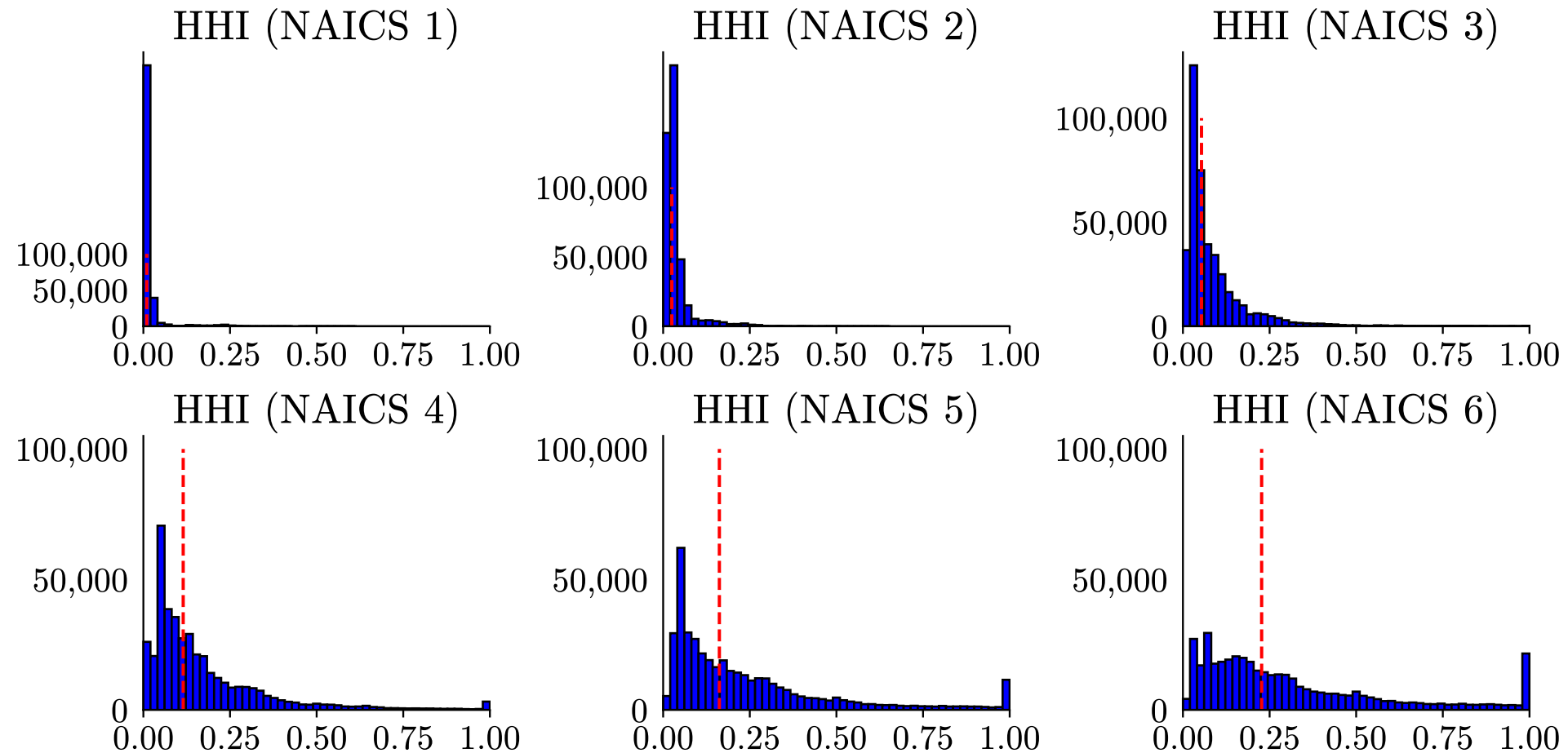
# HIRSCHMAN-HERFINDAHL INDEX

$$\text{Market Share} = \frac{\text{Revenue}_{\text{Firm}}}{\text{Revenue}_{\text{Industry}}}$$

$$\text{HHI} = (\text{MS}_1)^2 + (\text{MS}_2)^2 + \dots + (\text{MS}_n)^2$$

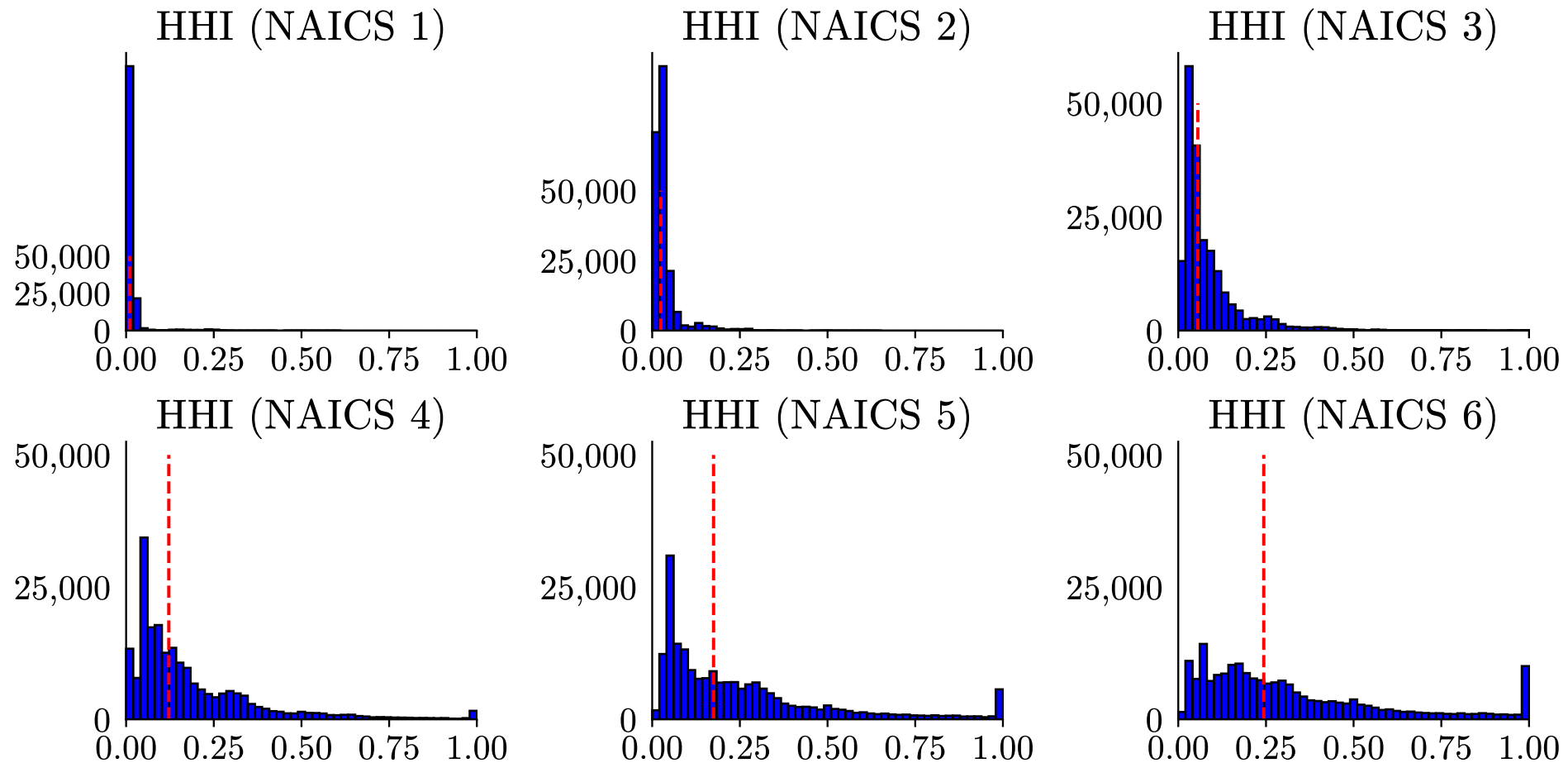
I compute market share and HHI before any filtering.

# HIRSCHMAN-HERFINDAHL INDEX



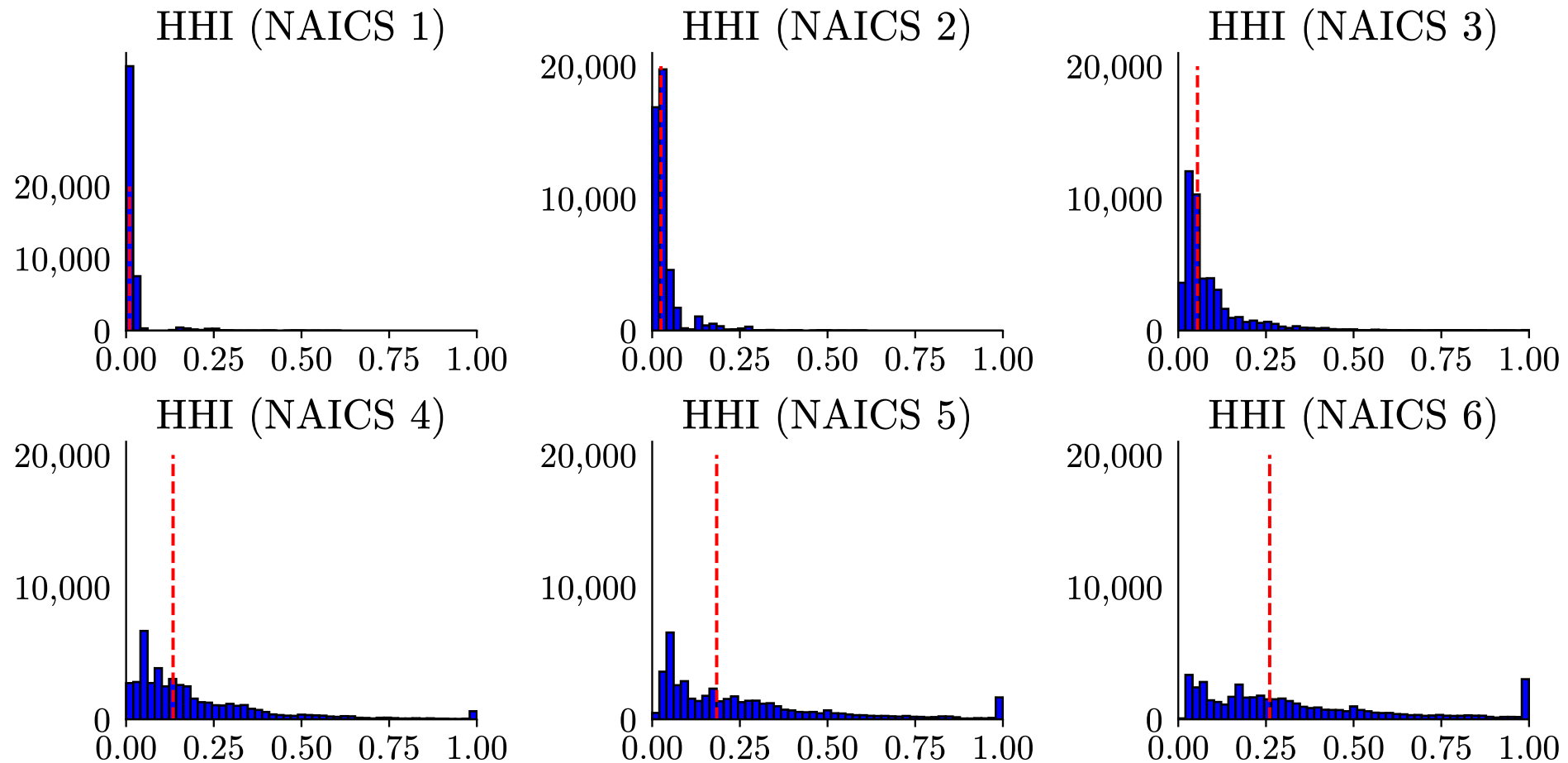
Unfiltered 1981-2022

# HIRSCHMAN-HERFINDAHL INDEX



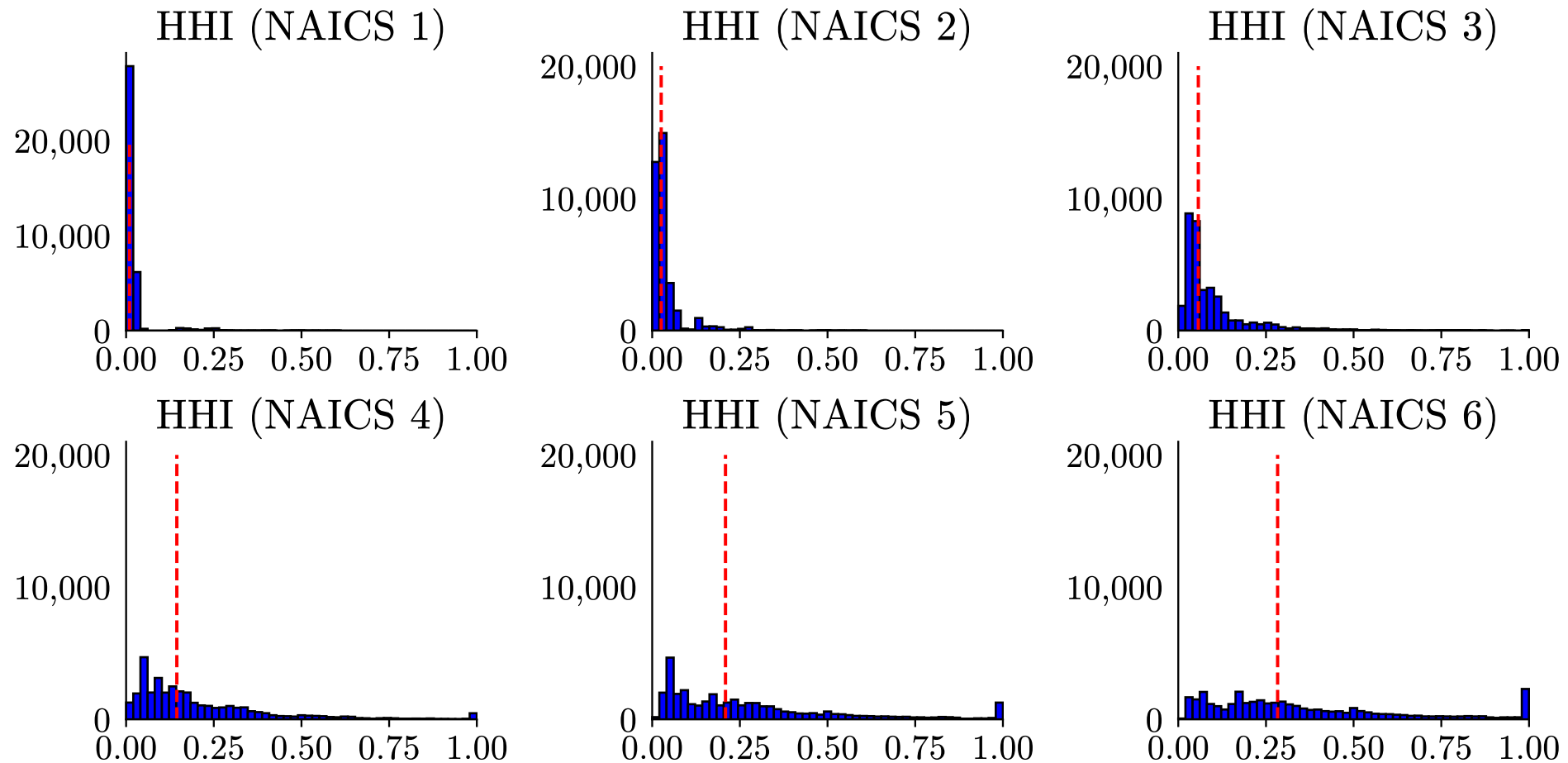
Unfiltered Current

# HIRSCHMAN-HERFINDAHL INDEX



Filtered 1981-2022

# HIRSCHMAN-HERFINDAHL INDEX



Filtered Current

# REGRESSIONS



# REGRESSIONS

- All Heteroskedastic
- Run them for all four subsets of the data
- Mostly small, insignificant coefficients
- Endogenous variable is **Unlevered Beta**

# REGRESSIONS

1. UL Beta vs Lerner
2. UL Beta vs Monopoly Stat + Controls & FEs
  - Lerner, PCM, Tobin's q, HHI<sub>4</sub>
3. UL Beta vs Monopoly Stat × Revenue + Controls & FEs
  - Lerner, PCM, HHI<sub>4</sub>

8 Specifications × 4 Subsets = 32 Regressions

*(This is a fraction of the regressions I actually ran, of course.)*

# 1. BETA VS LERNER

# LERNER – UNFILTERED DATA

$$\beta_{UL} = a_0 + b_1(\text{Lerner})$$

Unfiltered  
1981-2022

Item	Coefficient	Std. Error	Z	p-value
Intercept	0.855	0.002	395.764	—
Lerner	-1.53E-05	8.43E-06	-1.817	0.069

Unfiltered  
Current

Item	Coefficient	Std. Error	Z	p-value
Intercept	0.893	0.002	357.718	—
Lerner	4.71E-06	9.58E-06	0.491	0.623

# LERNER – FILTERED DATA

$$\beta_{UL} = a_0 + b_1(\text{Lerner})$$

Filtered  
1981-2022

Item	Coefficient	Std. Error	Z	p-value
Intercept	0.903	0.003	361.040	—
Lerner	-0.068	0.011	-6.493	—

Filtered  
Current

Item	Coefficient	Std. Error	Z	p-value
Intercept	0.928	0.003	339.895	—
Lerner	-0.128	0.012	-10.929	—

## 2. BETA VS MONOPOLY STATS

# LERNER – UNFILTERED DATA

$$\beta_{UL} = a_0 + b_1(\text{Lerner}) + b_2(\text{Market Cap}) + b_3(\ln(\text{Stock Price})) + \Gamma_{I,Y}$$

Unfiltered  
1981-2022

Item	Coefficient	Std. Error	Z	p-value
Intercept	0.269	0.061	4.397	—
Lerner	-1.17E-05	7.13E-06	-1.634	0.102
Market Cap	-6.38E-07	3.46E-08	-18.432	—
ln(Stock Price)	0.062	0.001	60.188	—

Unfiltered  
Current

Item	Coefficient	Std. Error	Z	p-value
Intercept	0.342	0.095	3.617	—
Lerner	8.16E-06	8.32E-06	0.980	0.327
Market Cap	-4.73E-07	3.51E-08	-13.474	—
ln(Stock Price)	0.042	0.001	32.104	—

# LERNER – FILTERED DATA

$$\beta_{UL} = a_0 + b_1(\text{Lerner}) + b_2(\text{Market Cap}) + b_3(\ln(\text{Stock Price})) + \Gamma_{I,Y}$$

Filtered  
1981-2022

Item	Coefficient	Std. Error	Z	p-value
Intercept	0.368	0.067	5.488	—
Lerner	-0.133	0.008	-15.669	—
Market Cap	-3.32E-07	3.05E-08	-10.888	—
ln(Stock Price)	0.010	0.002	5.161	—

Filtered  
Current

Item	Coefficient	Std. Error	Z	p-value
Intercept	0.365	0.099	3.691	—
Lerner	-0.148	0.010	-15.113	—
Market Cap	-3.23E-07	3.06E-08	-10.550	—
ln(Stock Price)	0.014	0.002	6.415	—



# PCM – UNFILTERED DATA

$$\beta_{UL} = a_0 + b_1(\text{PCM}) + b_2(\text{Market Cap}) + b_3(\ln(\text{Stock Price})) + \Gamma_{I,Y}$$

Unfiltered  
1981-2022

Item	Coefficient	Std. Error	Z	p-value
Intercept	0.188	0.062	3.041	0.002
PCM	-1.00E-04	6.55E-05	-1.658	0.097
Market Cap	-8.43E-07	3.73E-08	-22.594	—
ln(Stock Price)	0.058	0.001	70.407	—

Unfiltered  
Current

Item	Coefficient	Std. Error	Z	p-value
Intercept	0.266	0.093	2.846	0.004
PCM	-5.00E-04	6.59E-05	-7.600	—
Market Cap	-5.45E-07	3.59E-08	-15.164	—
ln(Stock Price)	0.030	0.001	27.903	—

# PCM – FILTERED DATA

$$\beta_{UL} = a_0 + b_1(\text{PCM}) + b_2(\text{Market Cap}) + b_3(\ln(\text{Stock Price})) + \Gamma_{I,Y}$$

Filtered  
1981-2022

Item	Coefficient	Std. Error	Z	p-value
Intercept	0.286	0.067	4.256	—
PCM	0.149	0.013	11.012	—
Market Cap	-3.57E-07	3.05E-08	-11.706	—
ln(Stock Price)	0.008	0.002	4.284	—

Filtered  
Current

Item	Coefficient	Std. Error	Z	p-value
Intercept	0.310	0.099	3.130	0.002
PCM	0.149	0.016	9.542	—
Market Cap	-3.48E-07	3.06E-08	-11.371	—
ln(Stock Price)	0.012	0.002	5.274	—

# HHI<sub>4</sub> – UNFILTERED DATA

$$\beta_{UL} = a_0 + b_1(\text{HHI}_4) + b_2(\text{Market Cap}) + b_3(\ln(\text{Stock Price})) + \Gamma_{I,Y}$$

Unfiltered  
1981-2022

Item	Coefficient	Std. Error	Z	p-value
Intercept	0.265	0.025	10.643	—
HHI <sub>4</sub>	-0.004	0.001	-3.585	—
Market Cap	-9.46E-07	3.74E-08	-25.253	—
ln(Stock Price)	0.059	0.001	79.569	—

Unfiltered  
Current

Item	Coefficient	Std. Error	Z	p-value
Intercept	0.382	0.036	10.630	—
HHI <sub>4</sub>	-0.003	0.001	-2.324	0.020
Market Cap	-6.37E-07	3.60E-08	-17.727	—
ln(Stock Price)	0.032	0.001	32.442	—

# HHI<sub>4</sub> – FILTERED DATA

$$\beta_{UL} = a_0 + b_1(\text{HHI}_4) + b_2(\text{Market Cap}) + b_3(\ln(\text{Stock Price})) + \Gamma_{I,Y}$$

Filtered  
1981-2022

Item	Coefficient	Std. Error	Z	p-value
Intercept	0.269	0.068	3.970	—
HHI <sub>4</sub>	0.082	0.012	7.004	—
Market Cap	-3.48E-07	3.05E-08	-11.404	—
ln(Stock Price)	0.010	0.002	4.919	—

Filtered  
Current

Item	Coefficient	Std. Error	Z	p-value
Intercept	0.238	0.100	2.389	0.017
HHI <sub>4</sub>	0.121	0.013	9.268	—
Market Cap	-3.40E-07	3.06E-08	-11.102	—
ln(Stock Price)	0.014	0.002	6.161	—

# TOBIN'S Q – UNFILTERED DATA

$$\beta_{UL} = a_0 + b_1(\text{Tobin's } q) + b_2(\text{Market Cap}) + b_3(\ln(\text{Share Price})) + \Gamma_{I,Y}$$

Unfiltered  
1981-2022

Item	Coefficient	Std. Error	Z	p-value
Intercept	0.263	0.025	10.541	—
Tobin's q	-2.85E-05	4.42E-06	-6.452	—
Market Cap	-9.45E-07	3.74E-08	-25.222	—
ln(Stock Price)	0.059	0.001	79.388	—

Unfiltered  
Current

Item	Coefficient	Std. Error	Z	p-value
Intercept	0.380	0.036	10.582	—
Tobin's q	4.90E-06	5.73E-06	0.856	0.392
Market Cap	-6.37E-07	3.60E-08	-17.702	—
ln(Stock Price)	0.032	0.001	32.374	—

# TOBIN'S Q – FILTERED DATA

$$\beta_{UL} = a_0 + b_1(\text{Tobin's } q) + b_2(\text{Market Cap}) + b_3(\ln(\text{Share Price})) + \Gamma_{I,Y}$$

Filtered  
1981-2022

Item	Coefficient	Std. Error	Z	p-value
Intercept	0.345	0.067	5.148	—
Tobin's q	0.008	0.001	6.098	—
Market Cap	-3.46E-07	3.05E-08	-11.327	—
ln(Stock Price)	0.005	0.002	2.328	0.020

Filtered  
Current

Item	Coefficient	Std. Error	Z	p-value
Intercept	0.345	0.099	3.478	0.001
Tobin's q	0.009	0.001	6.167	—
Market Cap	-3.37E-07	3.07E-08	-10.998	—
ln(Stock Price)	0.008	0.002	3.283	0.001

# 3. BETA VS MONOPOLY STATS AND INTERACTION

# LERNER – UNFILTERED DATA

$$\beta_{UL} = a_0 + b_1(\text{Lerner}) + b_2(\text{Revenue}) + b_3(\text{Rev:Lerner}) + b_4(\text{Market Cap})\Gamma_{I,Y}$$

Unfiltered  
1981-2022

Item	Coefficient	Std. Error	Z	p-value
Intercept	0.409	0.063	6.505	—
Lerner	-2.26E-05	7.36E-06	-3.074	0.002
Revenue	-4.61E-06	3.68E-07	-12.516	—
Lerner:Revenue	-3.05E-09	4.80E-09	-0.636	0.525
Market Cap	1.65E-07	4.37E-08	3.774	—

Unfiltered  
Current

Item	Coefficient	Std. Error	Z	p-value
Intercept	0.438	0.096	4.587	—
Lerner	1.17E-05	8.44E-06	1.392	0.164
Revenue	-5.51E-06	3.69E-07	-14.945	—
Lerner:Revenue	-4.58E-09	4.72E-09	-0.970	0.332
Market Cap	1.61E-07	4.32E-08	3.729	—



# LERNER – FILTERED DATA

$$\beta_{UL} = a_0 + b_1(\text{Lerner}) + b_2(\text{Revenue}) + b_3(\text{Rev:Lerner}) + b_4(\text{Market Cap})\Gamma_{I,Y}$$

Filtered  
1981-2022

Item	Coefficient	Std. Error	Z	p-value
Intercept	0.391	0.066	5.895	—
Lerner	-0.133	0.009	-14.867	—
Revenue	-5.89E-06	3.03E-07	-19.449	—
Lerner:Revenue	-7.30E-07	1.27E-06	-0.575	0.565
Market Cap	2.30E-07	3.80E-08	6.034	—

Filtered  
Current

Item	Coefficient	Std. Error	Z	p-value
Intercept	0.399	0.098	4.060	—
Lerner	-0.150	0.010	-14.399	—
Revenue	-6.12E-06	3.06E-07	-19.951	—
Lerner:Revenue	6.04E-07	1.29E-06	0.467	0.641
Market Cap	2.35E-07	3.80E-08	6.187	—

# PCM – UNFILTERED DATA

$$\beta_{UL} = a_0 + b_1(\text{PCM}) + b_2(\text{Revenue}) + b_3(\text{Rev:PCM}) + b_4(\text{Market Cap})\Gamma_{I,Y}$$

Unfiltered  
1981-2022

Item	Coefficient	Std. Error	Z	p-value
Intercept	0.300	0.063	4.753	—
PCM	-8.73E-05	6.75E-05	-1.293	0.196
Revenue	-5.19E-06	3.39E-07	-15.340	—
PCM:Revenue	1.29E-07	1.84E-07	0.700	0.484
Market Cap	1.80E-07	4.63E-08	3.899	—

Unfiltered  
Current

Item	Coefficient	Std. Error	Z	p-value
Intercept	0.333	0.094	3.541	—
PCM	-5.00E-04	6.67E-05	-7.289	—
Revenue	-6.02E-06	3.23E-07	-18.611	—
PCM:Revenue	1.59E-07	2.19E-07	0.727	0.467
Market Cap	1.59E-07	4.35E-08	3.660	—

# PCM – FILTERED DATA

$$\beta_{UL} = a_0 + b_1(\text{PCM}) + b_2(\text{Revenue}) + b_3(\text{Rev:PCM}) + b_4(\text{Market Cap})\Gamma_{I,Y}$$

Filtered  
1981-2022

Item	Coefficient	Std. Error	Z	p-value
Intercept	0.311	0.067	4.657	—
PCM	0.137	0.014	9.858	—
Revenue	-4.64E-06	3.42E-07	-13.560	—
PCM:Revenue	-1.13E-05	2.01E-06	-5.600	—
Market Cap	2.87E-07	4.22E-08	6.819	—

Filtered  
Current

Item	Coefficient	Std. Error	Z	p-value
Intercept	0.340	0.098	3.450	0.001
PCM	0.136	0.016	8.418	—
Revenue	-4.76E-06	3.46E-07	-13.739	—
PCM:Revenue	-1.20E-05	2.04E-06	-5.892	—
Market Cap	3.05E-07	4.22E-08	7.222	—

# HHI<sub>4</sub> – UNFILTERED DATA

$$\beta_{UL} = a_0 + b_1(\text{HHI}_4) + b_2(\text{Revenue}) + b_3(\text{Rev:HHI}) + b_4(\text{Market Cap})\Gamma_{I,Y}$$

Unfiltered  
1981-2022

Item	Coefficient	Std. Error	Z	p-value
Intercept	0.389	0.026	15.261	—
HHI <sub>4</sub>	-0.004	0.001	-4.199	—
Revenue	-5.03E-06	4.03E-07	-12.458	—
HHI <sub>4</sub> :Revenue	3.03E-06	9.63E-07	3.148	0.002
Market Cap	1.19E-07	4.62E-08	2.574	0.010

Unfiltered  
Current

Item	Coefficient	Std. Error	Z	p-value
Intercept	0.470	0.036	13.027	—
HHI <sub>4</sub>	-0.004	0.001	-3.115	0.002
Revenue	-6.08E-06	3.84E-07	-15.821	—
HHI <sub>4</sub> :Revenue	3.58E-06	9.09E-07	3.942	—
Market Cap	8.44E-08	4.31E-08	1.958	0.050

# HHI<sub>4</sub> – FILTERED DATA

$$\beta_{UL} = a_0 + b_1(\text{HHI}_4) + b_2(\text{Revenue}) + b_3(\text{Rev:HHI}) + b_4(\text{Market Cap})\Gamma_{I,Y}$$

Filtered  
1981-2022

Item	Coefficient	Std. Error	Z	p-value
Intercept	0.306	0.067	4.543	—
HHI <sub>4</sub>	0.063	0.012	5.237	—
Revenue	-6.88E-06	3.82E-07	-18.038	—
HHI <sub>4</sub> :Revenue	4.37E-06	1.10E-06	3.977	—
Market Cap	1.77E-07	3.83E-08	4.634	—

Filtered  
Current

Item	Coefficient	Std. Error	Z	p-value
Intercept	0.286	0.099	2.891	0.004
HHI <sub>4</sub>	0.097	0.013	7.294	—
Revenue	-6.92E-06	3.87E-07	-17.900	—
HHI <sub>4</sub> :Revenue	4.05E-06	1.13E-06	3.591	—
Market Cap	1.86E-07	3.83E-08	4.846	—

*Next Steps...*

# NEXT STEPS

- Finalize Filtering
- Add Hay-Liu-Boone Statistic
- Improve theoretical model
- Review additional specifications

*And possibly see if it is at all possible to cut down the number of slides...*