

The preceding formula is a formal expression of conditional probability, but blind use of formulas is not recommended. Instead, we recommend the following intuitive approach.

### Intuitive Approach to Conditional Probability

**Finding  $P(B|A)$**  The conditional probability of  $B$  occurring given that  $A$  has occurred can be found by assuming that event  $A$  has occurred and then calculating the probability that event  $B$  will occur.

#### Example 2 Pre-Employment Drug Screening

Refer to Table 4-1 to find the following:

- If 1 of the 1000 test subjects is randomly selected, find the probability that the subject had a positive test result, given that the subject actually uses drugs. That is, find  $P(\text{positive test result} | \text{subject uses drugs})$ .
- If 1 of the 1000 test subjects is randomly selected, find the probability that the subject actually uses drugs, given that he or she had a positive test result. That is, find  $P(\text{subject uses drugs} | \text{positive test result})$ .

**Table 4-1** Pre-Employment Drug Screening Results

	Positive Test Result (Drug Use Is Indicated)	Negative Test Result (Drug Use Is Not Indicated)
Subject Uses Drugs	44 (True Positive)	6 (False Negative)
Subject Is Not a Drug User	90 (False Positive)	860 (True Negative)

#### Solution

- Intuitive Approach to Conditional Probability:** We want  $P(\text{positive test result} | \text{subject uses drugs})$ , the probability of getting someone with a positive test result, *given that the selected subject uses drugs*. Here is the key point: If we assume that the selected subject actually uses drugs, we are dealing only with the 50 subjects in the first row of Table 4-1. Among those 50 subjects, 44 had positive test results, so we get this result:

$$P(\text{positive test result} | \text{subject uses drugs}) = \frac{44}{50} = 0.88$$

**Using the Formula for Conditional Probability:** The same result can be found by using the formula for  $P(B|A)$  given with the definition of conditional probability. We use the following notation.

$$P(B|A) = P(\text{positive test result} | \text{subject uses drugs})$$

where  $B$  = positive test result and  $A$  = subject uses drugs.

In the following calculation, we use  $P(\text{subject uses drugs and had a positive test result}) = 44/1000$  and  $P(\text{subject uses drugs}) = 50/1000$  to get the following results: