c. Interpret the results found in parts (a) and (b). Do the confidence intervals suggest a difference in the variation among waiting times? Which arrangement seems better: the single-line system or the multiple-line system?

Using Large Data Sets from Appendix B. In Exercises 17 and 18, use the data set from Appendix B. Assume that each sample is a simple random sample obtained from a population with a normal distribution.

- 17. Penny Weights Refer to Data Set 21 in Appendix B and use the weights of the post-1983 pennies to construct a 98% confidence interval estimate of the standard deviation of the weights of all post-1983 pennies.
- 18. Ages of Presidents Refer to Data Set 12 in Appendix B and use the ages (years) of the presidents at the times of their inaugurations. Treating the data as a sample, construct a 98% confidence interval estimate of the standard deviation of the population of all such ages.

Determining Sample Size. In Exercises 19–22, assume that each sample is a simple random sample obtained from a normally distributed population. Use Table 7-2 to find the indicated sample size.

- 19. IQ of Statistics Professors You want to estimate  $\sigma$  for the population of IQ scores of statistics professors. Find the minimum sample size needed to be 99% confident that the sample standard deviation s is within 1% of  $\sigma$ . Is this sample size practical?
- **20.** McDonald's Waiting Times You want to estimate  $\sigma$  for the population of waiting times at McDonald's drive-up windows, and you want to be 95% confident that the sample standard deviation is within 20% of  $\sigma$ . Find the minimum sample size. Is this sample size practical?
- 21. Flight Delays You want to estimate the standard deviation of arrival delays for American Airlines flights from Chicago to Miami. Find the minimum sample size needed to be 95% confident that the sample standard deviation is within 5% of the population standard deviation. A histogram of a sample of those arrival delays suggests that the distribution is skewed, not normal. How does the distribution affect the sample size?
- 22. U.S. Incomes You want to estimate the standard deviation of the population of current annual incomes of adults in the United States. Find the minimum sample size needed to be 99% confident that the sample standard deviation is within 5% of the population standard deviation. Does the population of incomes have a normal distribution, and how is the sample size affected by the distribution?

## 7-4 Beyond the Basics

23. Finding Critical Values In constructing confidence intervals for  $\sigma$  or  $\sigma^2$ , Table A-4 can be used to find the critical values  $\mathcal{X}_L^2$  and  $\mathcal{X}_R^2$  only for select values of n up to 101, so the number of degrees of freedom is 100 or smaller. For larger numbers of degrees of freedom, we can approximate  $\mathcal{X}_L^2$  and  $\mathcal{X}_R^2$  by using

$$\chi^2 = \frac{1}{2} [\pm z_{\alpha/2} + \sqrt{2k-1}]^2$$

where k is the number of degrees of freedom and  $z_{\alpha/2}$  is the critical z score described in Section 7-2. Use this approximation to find the critical values  $\mathcal{X}_L^2$  and  $\mathcal{X}_R^2$  for Exercise 9. How do the results compare to the actual critical values of 82.354 and 129.918?