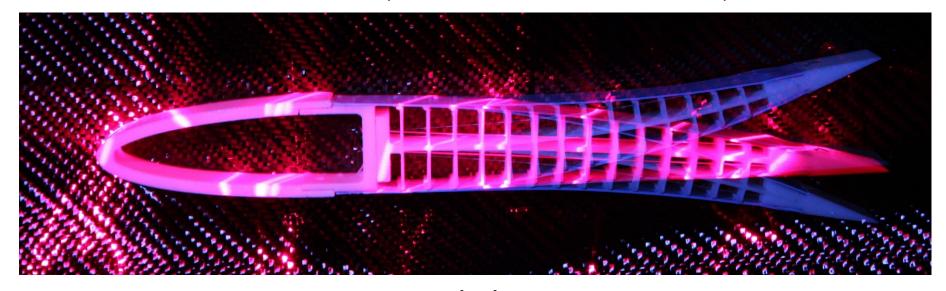
# Aeronautics & Mechanics AENG11301 Lecture 3

Aerofoils (known as Airfoils in the real world)



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#### Reminder! Matlab lab

- First one is this Friday 11am-1pm
- MVB 1.07
- 3 lab sessions, two exercises to be completed during lab
- 1 coursework to be done after



## Outline for today

- Aerodynamic coefficients
- Aerofoil characteristics
  - Lift
  - -Stall
- High lift devices

## Aims for today

- Be able to interpret the lift coefficient and define what factors effect it.
- Be able to read a lift curve and understand how it changes with:
  - Wing thickness
  - -Chamber
  - Flap extension
  - Leading edge devices

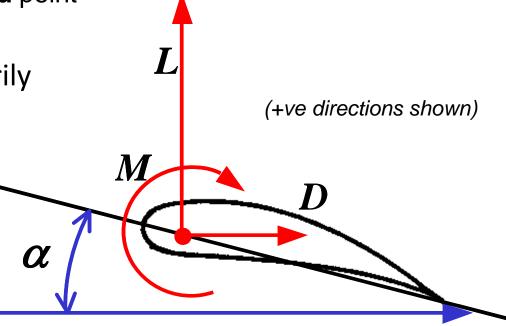
#### Review - Aerodynamic Forces

- Pressure distribution + friction give:
  - 1. **Lift** (L) acting *perpendicular* to the flow
  - 2. **Drag** (D) acting *parallel* to the flow
  - 3. Pitching Moment (M) acting about a defined axis

 usually the leading-edge or the quarter-chord point

 Forces determined primarily by the incidence or angle of attack

angle (α) between chord line and flow direction



#### **Equation for Lift**

- From last lecture:  $L \propto \alpha \rho_{\infty} V_{\infty}^2$
- Lift (L) is also proportional to a measure of area, which for airplanes is taken as the wing area (S)
- Taking these relationships we get the equation for lift:

$$L = \frac{1}{2} \rho_{\infty} V_{\infty}^2 SC_L$$

Where:

 $ho_{\infty} =$  free stream air density  $V_{\infty} =$  free stream velocity S = wing area

• But what is  $C_L$ ?

#### Aerodynamic Coefficients (1)

- engineers like to work in non-dimensional equations
  - Allows for more meaningful comparisons
- aerodynamic forces found to be proportional to:
  - velocity squared  $V^2$
  - density  $\rho$
  - $-\hspace{0.1cm}$  wing area S
- leads to non-dimensional coefficients:
  - 1. Lift Coefficient  $(C_I)$
  - 2. Drag Coefficient  $(C_D)$
  - 3. Pitching Moment Coefficient  $(C_M)$ 
    - with additional reference length (c)

$$C_L = \frac{L}{\frac{1}{2} \rho_{\infty} V_{\infty}^2 S}$$

$$C_D = \frac{D}{\frac{1}{2} \rho_{\infty} V_{\infty}^2 S}$$

$$C_{M} = \frac{M}{\frac{1}{2} \rho_{\infty} V_{\infty}^{2} Sc}$$

- coefficients ~ independent of aircraft size and speed
- factor of ½ added for consistency with dynamic pressure  $q = \frac{1}{2}\rho V^2$

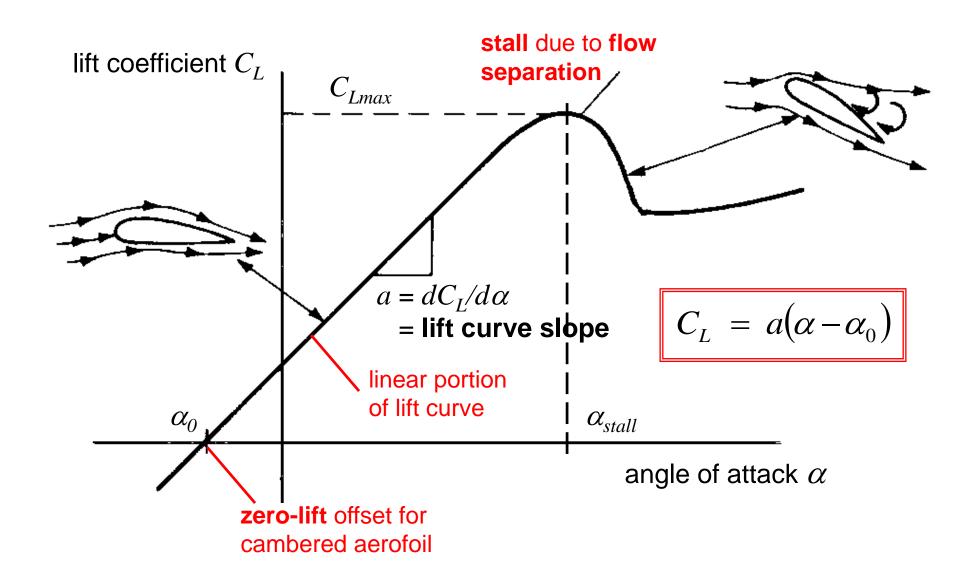
#### Aerodynamic Coefficients (2)

- coefficients are then functions of three further nondimensional parameters
  - 1. Incidence angle (a.k.a. angle of attack) ( $\alpha$ )
    - governs basic changes in flow pattern
  - 2. Mach Number  $(M_{\infty})$ 
    - $-M_{\infty}=V_{\infty}/a$  , where (a) is speed of sound
    - compressibility effects at high speed only  $(M_{\infty} > \sim 0.4)$
  - 3. Reynolds Number (Re)
    - ratio of inertia forces to viscous forces
    - effect of viscosity  $(\mu)$  on flow pattern
    - important below a critical value  $(Re < Re_{crit})$

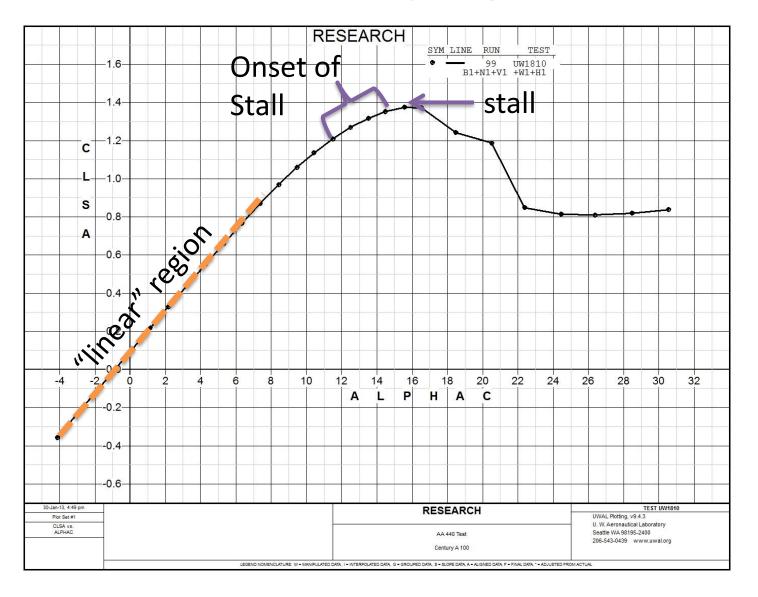
$$Re = \frac{\rho V_{\infty} c}{\mu}$$

- Re important for low speed,  $M_{\infty}$  for high speed
- matching both  $M_{\infty}$  and Re in wind tunnel tests rather difficult

#### Typical Aerofoil Lift Characteristics (1)



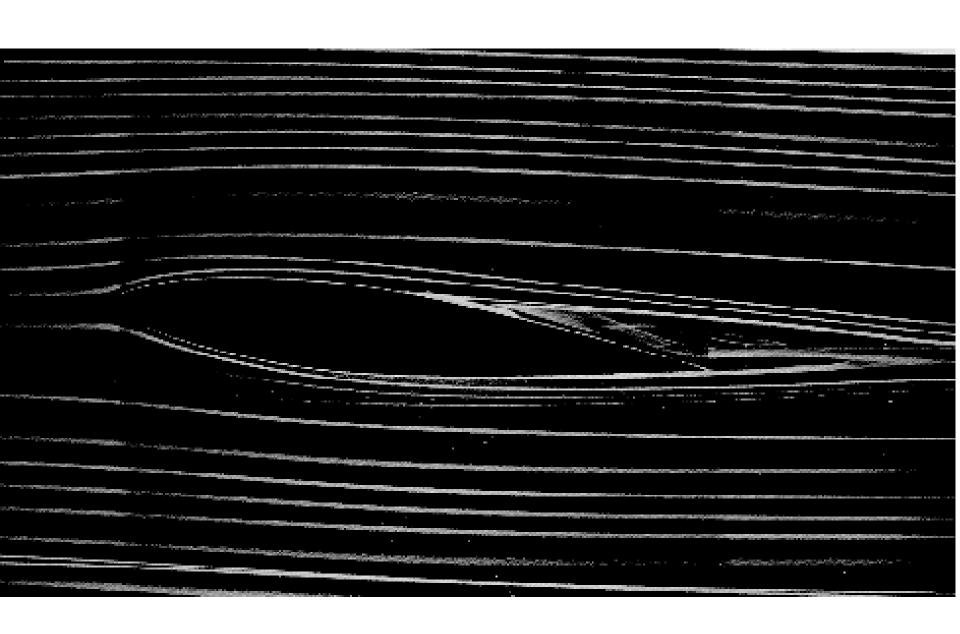
#### Lift Curve



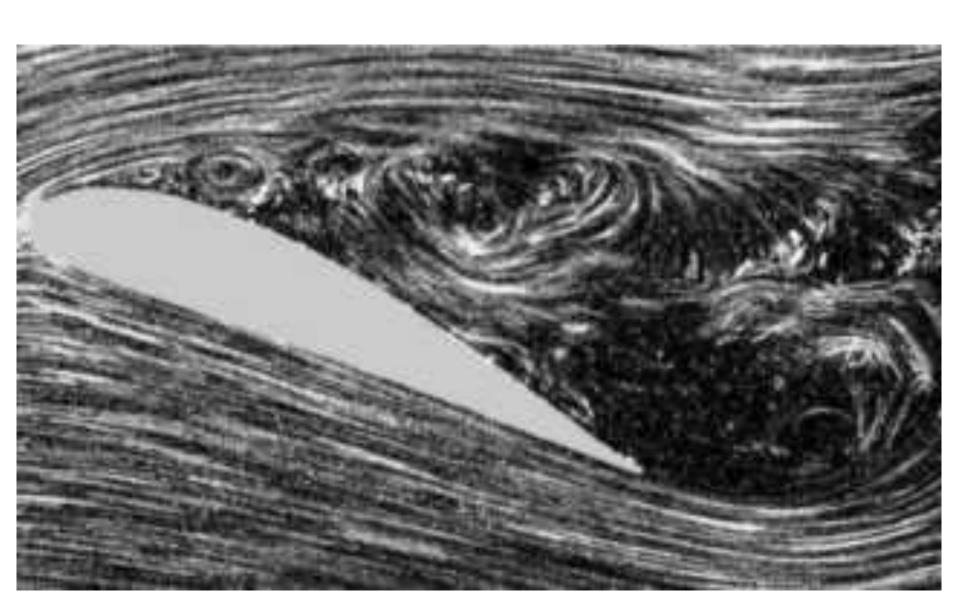
## N. A.C. A.

Flow about the same airfoil section in the small smoketunnel at approximately onesixth of the Reynolds Number of the flow shown previously

#### **Onset of Stall**

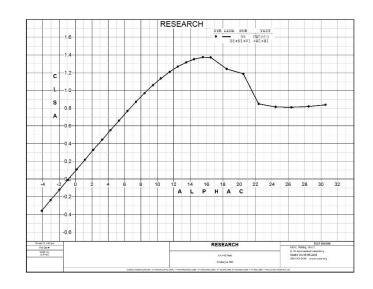


## Stall



#### Let's work through a problem together...





At cruise, an airplane weighs 3500kg The wing area is 12 m<sup>2</sup> Speed is 600 km/hr Altitude is 12,000 m ( $\rho$  = 0.31 kg/m<sup>3</sup>)

What is the lift coefficient,  $C_L$ ? What angle of attack does it fly at?

#### **Answer:**

$$L = \frac{1}{2} \rho_{\infty} V_{\infty}^2 SC_L \qquad \qquad L = W$$

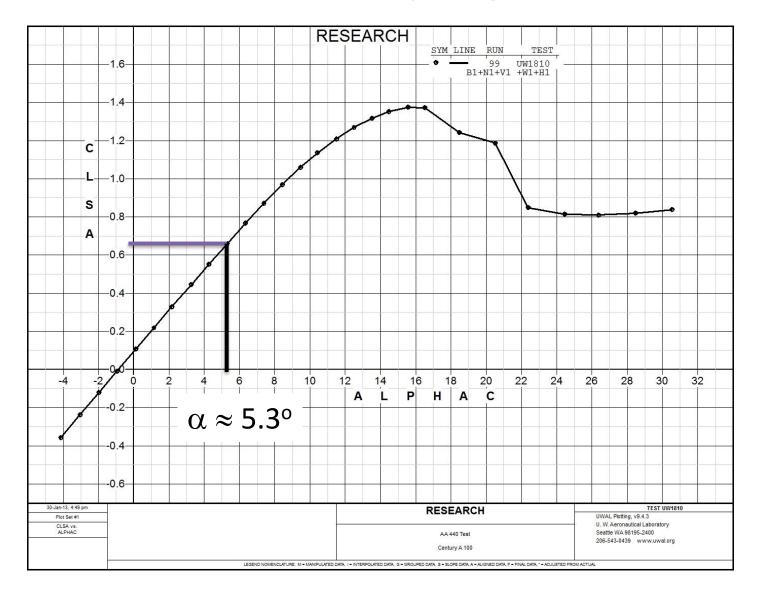
$$C_L = \frac{2W}{\rho SV^2}$$

$$= \frac{2 * 3500 \text{kg} * 9.81 \text{m/s}^2}{0.31 \text{kg/m}^3 * 12m^2 * [600 \text{km/hr} * 0.278 (\text{km/hr} \rightarrow \text{m/s})]^2}$$

$$= 0.663$$

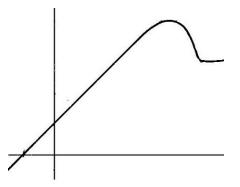
For angle of attack, we can use the lift graph...

## Lift Curve

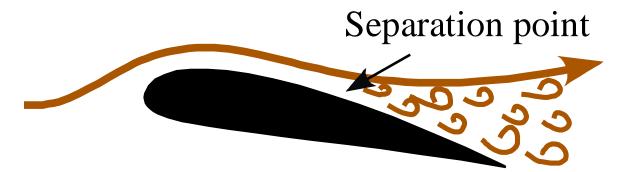


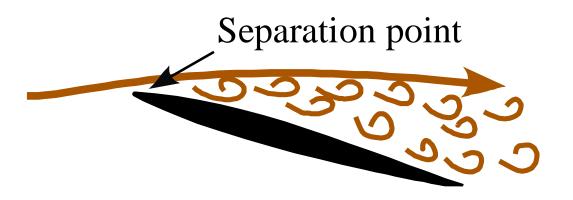
#### Typical Aerofoil Lift Characteristics (2)

- aircraft usually operate in linear part of lift-curve
  - constant slope  $dC_L/d\alpha$
  - − lift-curve slope  $a \approx 2\pi/\text{rad}$  (or  $\approx 0.11/\text{deg}$ ) for 2D aerofoil
  - slope less for 3D wing (more later ...)
  - linear region extends into negative incidence range
- positive camber gives constant increment in lift
  - corresponds to negative **zero-lift incidence**  $\alpha_0$
- maximum lift  $C_{Imax}$  limited by **stall** onset
  - fundamental limit to flight envelope
  - due to occurrence of flow separation
- $C_{Imax}$  and post-stall lift loss very dependent on:
  - aerofoil section 'thick' vs 'thin' governs type of separation
  - Reynolds Number governs onset of separation
  - Mach Number shock-induced separation at high speed

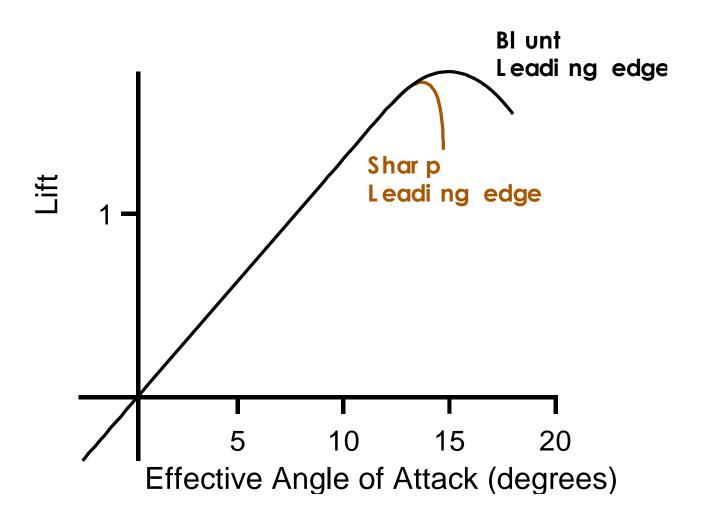


#### Stall

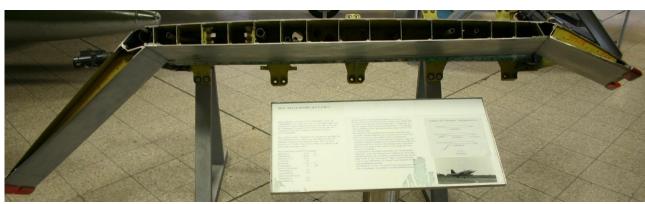




#### **Stall Characteristics**





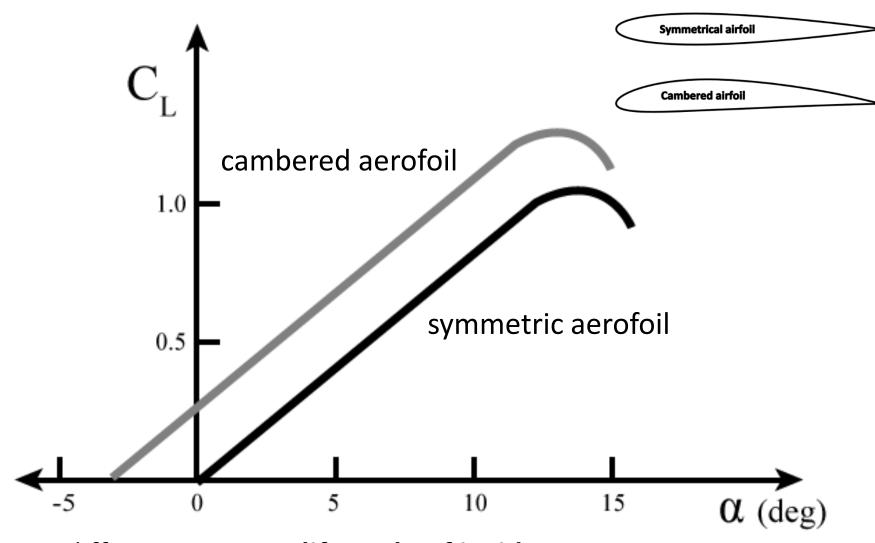




## **Blunt Aerofoil**



#### **Effect of Camber**



Note difference in zero-lift angle of incidence  $lpha_0$ 

## Reynolds Number

$$Re = \frac{\rho V_{\infty} c}{\mu}$$



Relates inertial forces to viscous forces



747-400 2 x  $10^8$ 

PA-16  $5 \times 10^6$ 

Eagle  $1 \times 10^5$ 

House Fly 8,000

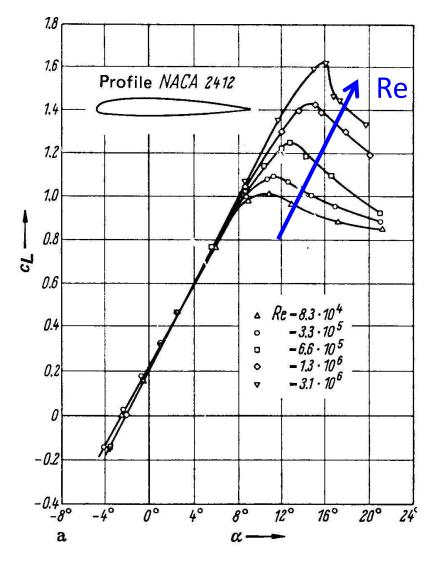
Where  $\mu$  is dynamic viscosity and for air at sea level = 1.7894 x 10<sup>-5</sup> kg/(ms)



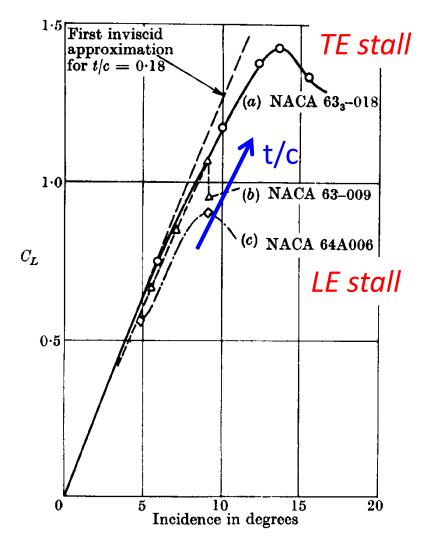


#### **Stall Characteristics**

Reynolds Number Re



thickness (t/c)



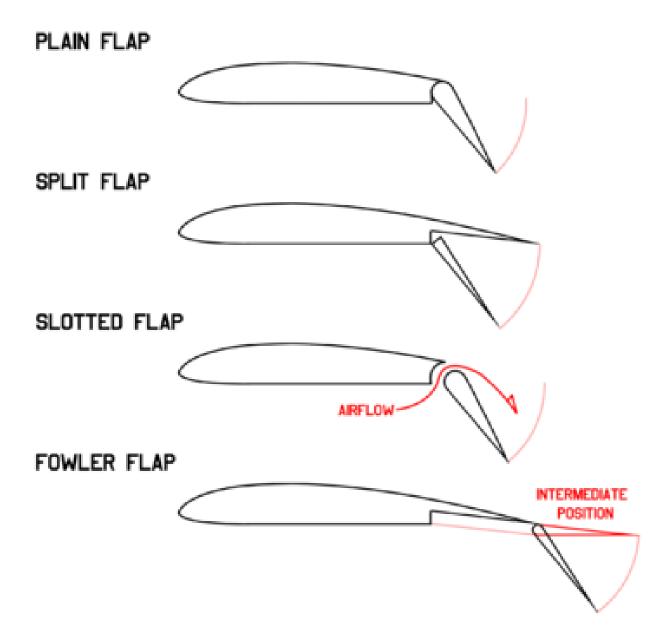
#### Why is $C_{Lmax}$ Important?

- the lift coefficient  ${\cal C}_L$  required to support an aircraft of weight W varies with speed V
- for steady level flight

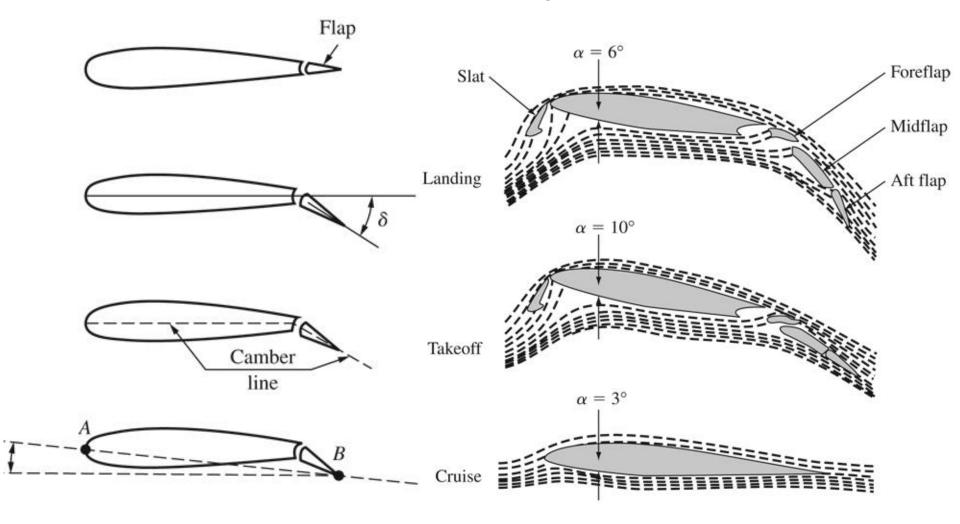
$$W = L = \frac{1}{2} \rho V^2 S C_L \qquad \qquad V = \sqrt{\frac{W}{\frac{1}{2} \rho S C_L}}$$

- and hence minimum flight speed  $V_{min} \propto 1/\sqrt{C_{Lmax}}$
- low minimum speed needed for take-off & landing
  - approach speed typically  $\sim 1.3 V_{min}$
- cambered high lift aerofoils inefficient in cruise
  - need variable geometry vast array of complex devices used
  - leading-edge devices and trailing-edge flaps

## Flaps



## What do flaps do?

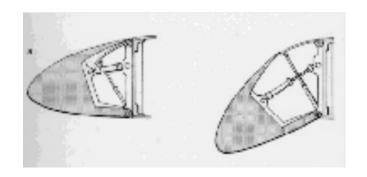


Increases camber and effective angle of attack, which increases lift

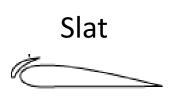
## **Leading Edge Devices**

Drooped leading edge











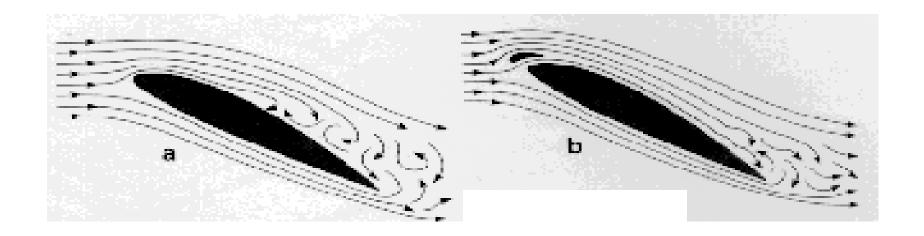




Krueger flap

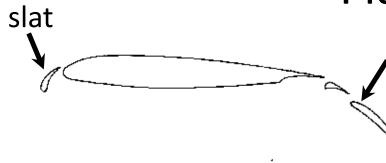


## What do leading edge devices do?



Increases angle at which stall occurs

#### Flaps & Slats

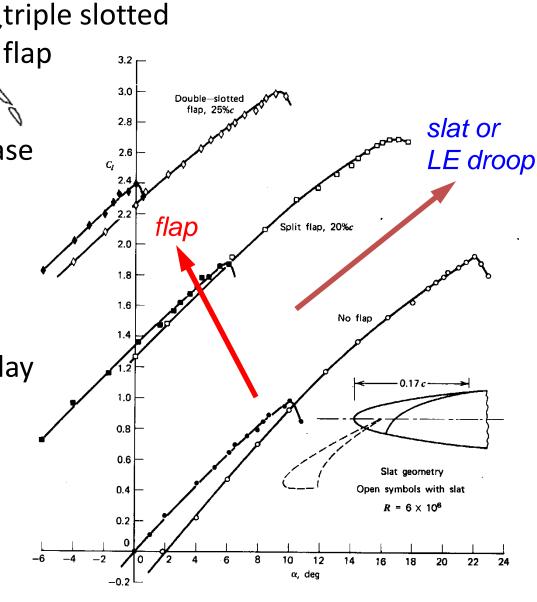


 trailing-edge flaps increase camber

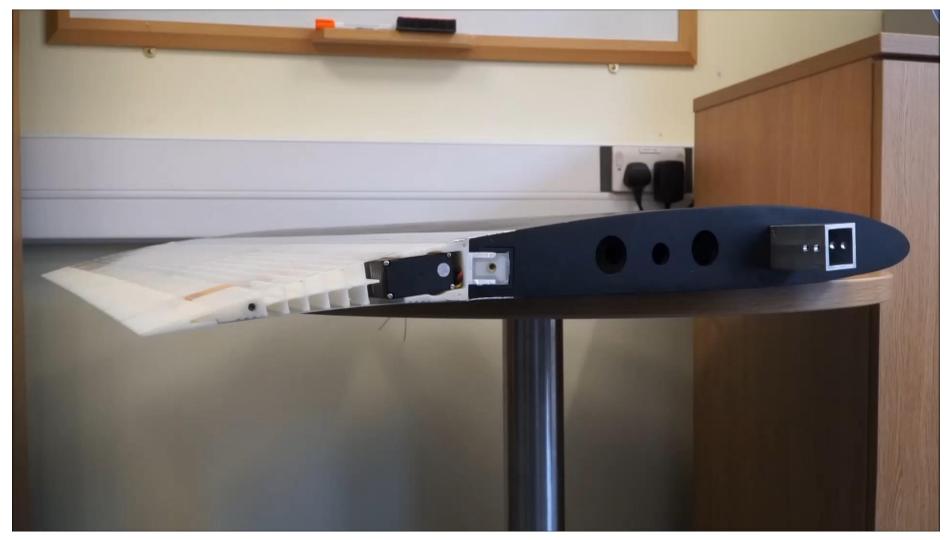
- increased lift
- lower stall angle
- increased  $C_{Lmax}$

 leading-edge devices delay onset of separation

- reduced lift
- much later stall
- increased  $C_{Lmax}$
- both increase drag



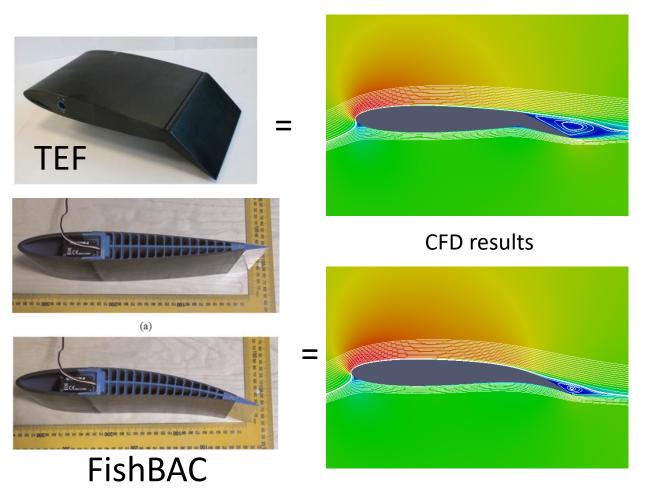
#### Is there a better way?!



Fish Bone Active Camber morphing aerofoil Tested here at UoB as part of a 4<sup>th</sup> year FYP

#### That drag though...

- While traditional flaps and slats are very effective and reliable, using them creates a significant drag penalty
- What if we could do the same thing, but more efficiently?



Wind tunnel data shows the FishBAC provides a 20-25% increase in  $C_L/C_D$ 

## Summary

- Lift coefficient determined by:
  - Shape
  - Angle of attack
  - Reynolds number
  - Mach number

$$Re = \frac{\rho V_{\infty} c}{\mu}$$

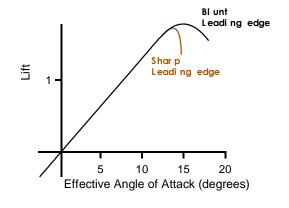
$$C_L = a(\alpha - \alpha_0)$$

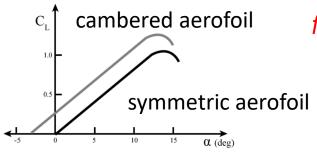
$$C_{L} = \frac{L}{\frac{1}{2} \rho_{\infty} V_{\infty}^{2} S}$$

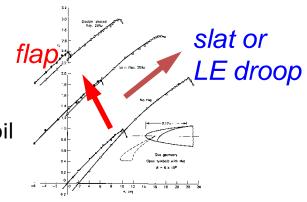
$$C_{D} = \frac{D}{\frac{1}{2} \rho_{\infty} V_{\infty}^{2} S}$$

$$C_{M} = \frac{M}{\frac{1}{2} \rho_{\infty} V_{\infty}^{2} S c}$$

Lift curve effected by: wing thickness, chamber, + high lift devices





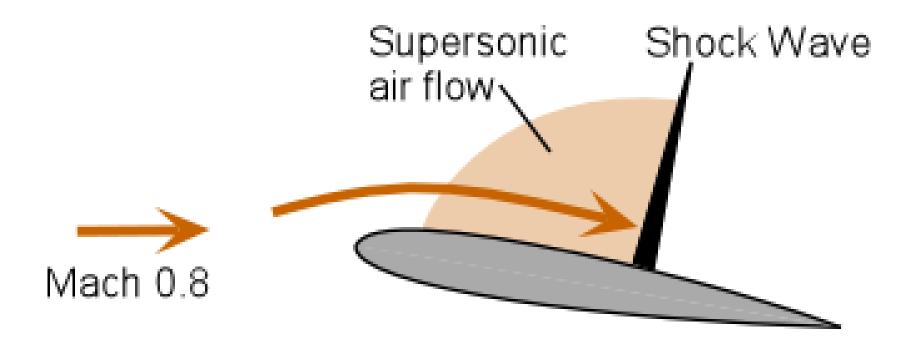


## Follow-up materials

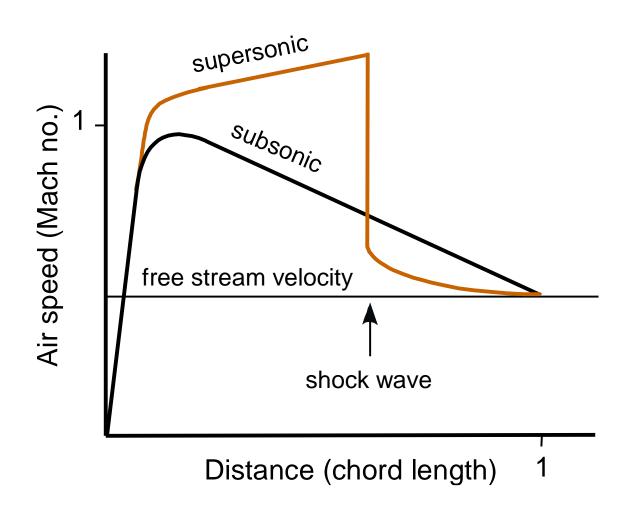
#### To help with exam:

Introduction to Flight – 5.3-5.4

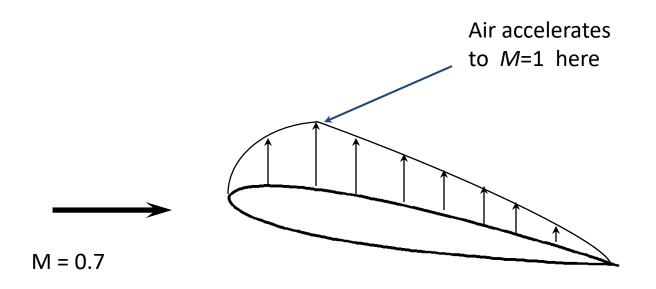
#### Airfoil at Mach 0.8



#### Different pressure distributions



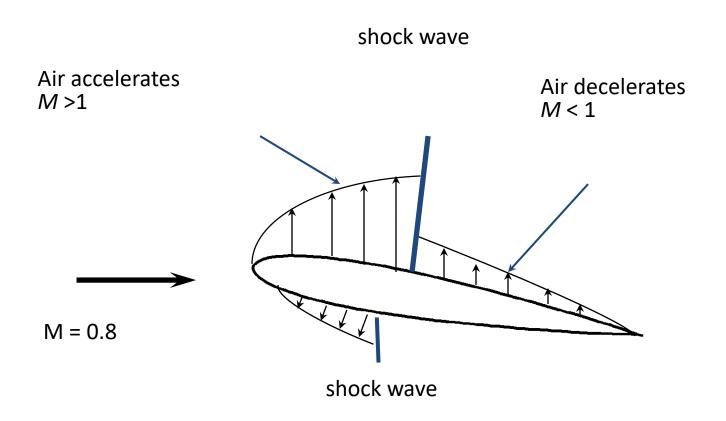
#### Airfoil at Critical Mach



Air is subsonic below wing

In this example the critical Mach number is 0.7

#### Airfoil above Critical Mach

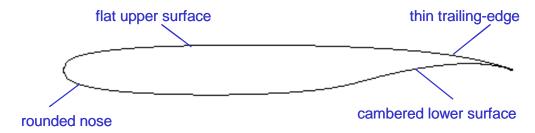


#### F-4 Phantom



#### Supercritical Airfoils

significant lower surface curvature



- rather similar to modern laminar flow sections
  - good structural shape!

