

HW_3

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Question 1: What is the effect of cut quality on diamond price?

```
diamonds <- read.csv("Data/diamond.csv")
head(diamonds[1:3, ])

##   price    cut carat
## 1   326  Ideal  0.23
## 2   326 Premium 0.21
## 3   327   Good  0.23

dia_mod <- glm(diamonds$price ~ diamonds$cut, family = "poisson")
coef(dia_mod)

##           (Intercept)      diamonds$cutGood      diamonds$cutIdeal
##           8.3799424        -0.1038367        -0.2316292
## diamonds$cutPremium diamonds$cutVery Good
##           0.0504411        -0.0904632

exp(8.3799424)

## [1] 4358.758

exp(8.3799424 + -0.1038367) - exp(8.3799424) #Good effect from fair

## [1] -429.8935

exp(8.3799424 + -0.2316292) - exp(8.3799424) #Ideal effect from fair

## [1] -901.2159

exp(8.3799424 + 0.0504411) - exp(8.3799424) #Premium effect from fair

## [1] 225.5

exp(8.3799424 + -0.0904632) - exp(8.3799424) #Very_Good effect from fair

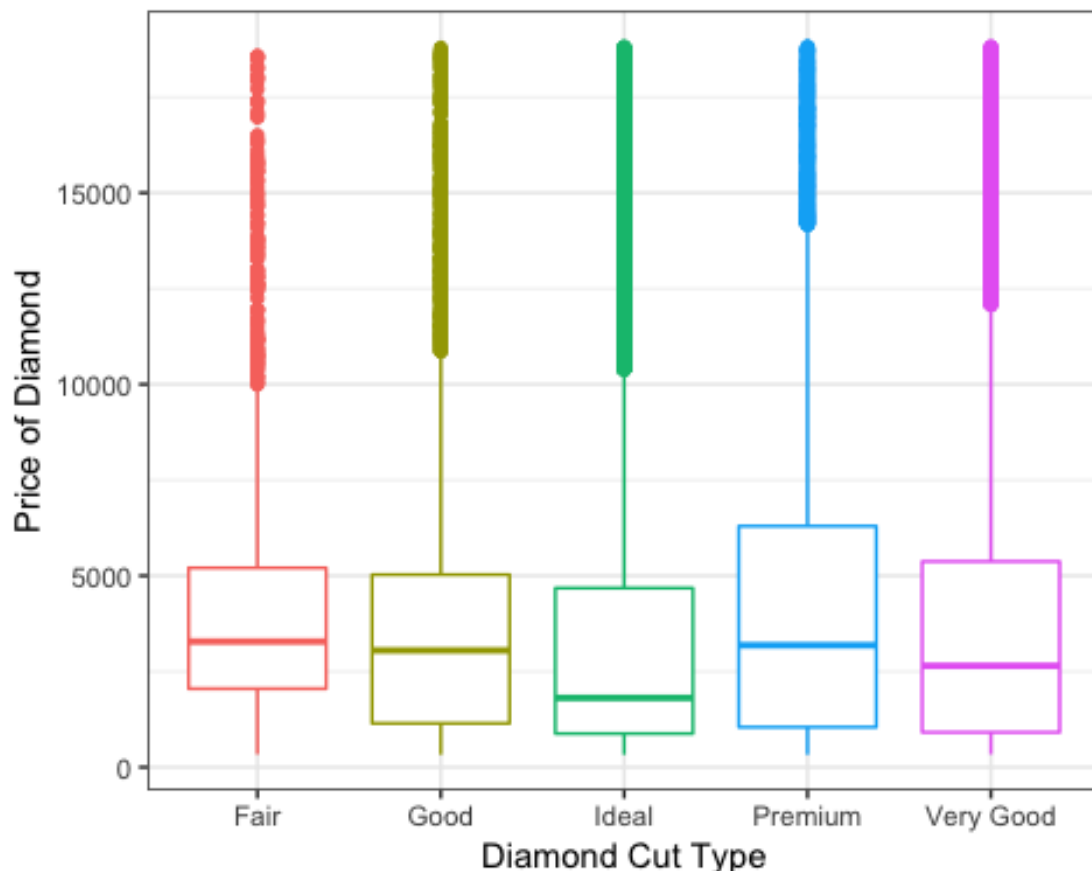
## [1] -376.9979

confint(dia_mod) # None overlap zero = significant; 95% interval is very
narrow = highly confident

##           2.5 %      97.5 %
## (Intercept)      8.37920242  8.38068216
## diamonds$cutGood -0.10470072 -0.10297248
```

```
## diamonds$cutIdeal      -0.23240302 -0.23085517
## diamonds$cutPremium    0.04966133  0.05122103
## diamonds$cutVery Good -0.09125511 -0.08967112

ggplot(diamonds, aes(x = cut, y = price, colour = cut)) + geom_boxplot(notch
= FALSE) +
  labs(x = "Diamond Cut Type", y = "Price of Diamond") + theme_bw() +
  theme(legend.position = "none")
```



The cut quality of diamonds effects the price of diamonds. The basline price of diamonds cut at fair quality is \$4358.76. The price of diamonds cut at fair quality is higher than diamonds cut at good quality by \$429.89, ideal quality by \$901.22, and very good quality by \$377.00. The price of diamonds cut at fair quality diamond is lower than a premium cut quality diamond by \$225.50.

Question 2: Does education have an impact on contraception use?

```
cont <- read.csv("Data/contraception.csv")
head(cont[1:3, ])
```

```
##   age education notUsing using Total
## 1 <25      low      53      6    59
```

```
## 2 <25      low      10      4      14
## 3 <25      high     212     52     264

# Ho: increased education does not effect contraception use
# Ha: increased education promotes contraception use
cont$prop_use <- cont$using/cont$Total
cont_success <- cbind(cont$using, cont$notUsing)
head(cont_success)

##      [,1] [,2]
## [1,]     6  53
## [2,]     4  10
## [3,]    52 212
## [4,]    10  50
## [5,]    14  60
## [6,]    10  19

cont_mod <- glm(cont_success ~ cont$education, family = "binomial")
summary(cont_mod) #no signifcance between groups

##
## Call:
## glm(formula = cont_success ~ cont$education, family = "binomial")
##
## Deviance Residuals:
##      Min       1Q   Median       3Q      Max
## -4.0868  -2.6566  -0.5529   2.1121   5.6674
##
## Coefficients:
##              Estimate Std. Error z value Pr(>|z|)
## (Intercept)   -0.81020    0.06871  -11.79  <2e-16 ***
## cont$educationlow  0.09249    0.11011    0.84   0.401
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
##
## (Dispersion parameter for binomial family taken to be 1)
##
##      Null deviance: 165.77  on 15  degrees of freedom
## Residual deviance: 165.07  on 14  degrees of freedom
## AIC: 240.58
##
## Number of Fisher Scoring iterations: 4

coef(cont_mod)

##      (Intercept) cont$educationlow
##      -0.81020374      0.09248529

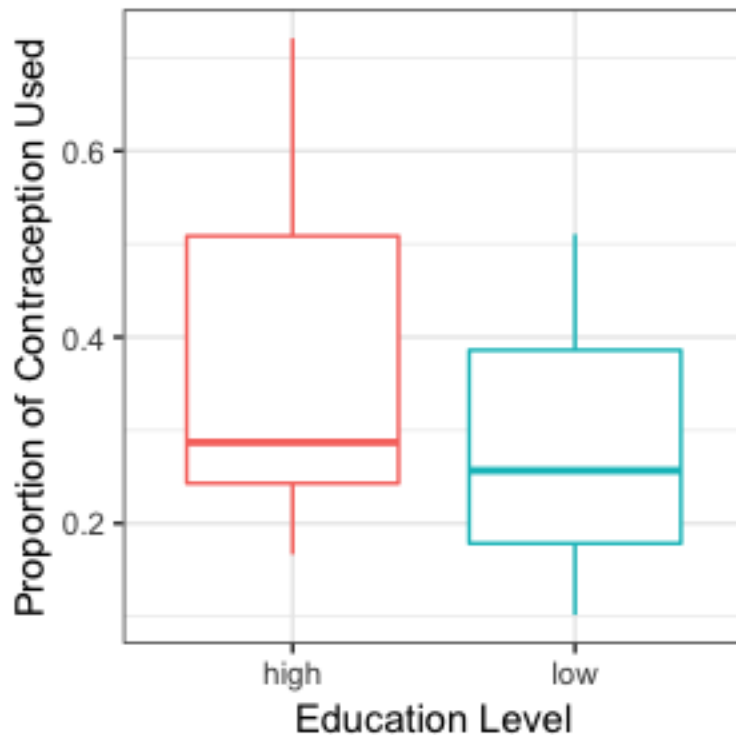
plogis(-0.81020374 + 0.09248529) - plogis(-0.81020374) # 2% effect size
between high and low education

## [1] 0.02004851
```

```
confint(cont_mod) # no significance because effect of education overlaps zero
```

```
##                2.5 %    97.5 %
## (Intercept)    -0.9460962 -0.6766394
## cont$educationlow -0.1239481  0.3078275
```

```
ggplot(cont, aes(x = education, y = prop_use, colour = education)) +
  geom_boxplot(notch = FALSE) + labs(x = "Education Level",
  y = "Proportion of Contraception Used") + theme_bw() +
  theme(legend.position = "none")
```



Women with a higher education is 2% more likely to use contraception. However, here is no significant effect that an increased education promotes contraception use.

Question 3: Hurricanes vs Himmicanes

```
canes <- read.csv("Data/Hurricane Dataset.csv")
head(canes)
```

```
##   Year   Name  MasFem MinPressure_before Minpressure_Updated.2014
## 1 1950   Easy  6.77778          958             960
## 2 1950   King  1.38889          955             955
## 3 1952   Able  3.83333          985             985
## 4 1953 Barbara 9.83333          987             987
## 5 1953 Florence 8.33333          985             985
## 6 1954   Carol 8.11111          960             960
```

```

## Gender_MF Category alldeaths NDAM Elapsed.Yrs Source ZMasFem
## 1 F 3 2 1590 63 MWR -0.00094
## 2 M 3 4 5350 63 MWR -1.67076
## 3 M 1 3 150 61 MWR -0.91331
## 4 F 1 1 58 60 MWR 0.94587
## 5 F 1 0 15 60 MWR 0.48108
## 6 F 3 60 19321 59 MWR 0.41222
## ZMinPressure_A ZNDAM
## 1 -0.35636 -0.43913
## 2 -0.51125 -0.14843
## 3 1.03765 -0.55047
## 4 1.14091 -0.55758
## 5 1.03765 -0.56090
## 6 -0.25310 0.93174

canes <- na.omit(caness)
canes_mod <- glm(caness$alldeaths ~ caness$Gender_MF, family = "poisson")
summary(canes_mod)

##
## Call:
## glm(formula = caness$alldeaths ~ caness$Gender_MF, family = "poisson")
##
## Deviance Residuals:
## Min 1Q Median 3Q Max
## -6.8932 -5.3945 -3.7551 -0.3653 27.4348
##
## Coefficients:
## Estimate Std. Error z value Pr(>|z|)
## (Intercept) 3.16792 0.02606 121.584 <2e-16 ***
## caness$Gender_MFM -0.51234 0.05496 -9.322 <2e-16 ***
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
##
## (Dispersion parameter for poisson family taken to be 1)
##
## Null deviance: 4031.9 on 91 degrees of freedom
## Residual deviance: 3937.1 on 90 degrees of freedom
## AIC: 4266
##
## Number of Fisher Scoring iterations: 6

coef(canes_mod)

## (Intercept) caness$Gender_MFM
## 3.1679220 -0.5123354

exp(3.167922 + -0.5123354) - exp(3.167922)

## [1] -9.524731

```

```

confint(canes_mod)

##                2.5 %    97.5 %
## (Intercept)    3.1164152  3.2185581
## canes$Gender_MFM -0.6211542 -0.4056501

# negative binomial
canes_negbin <- glm.nb(canes$alldeaths ~ canes$Gender_MF)
coef(canes_negbin)

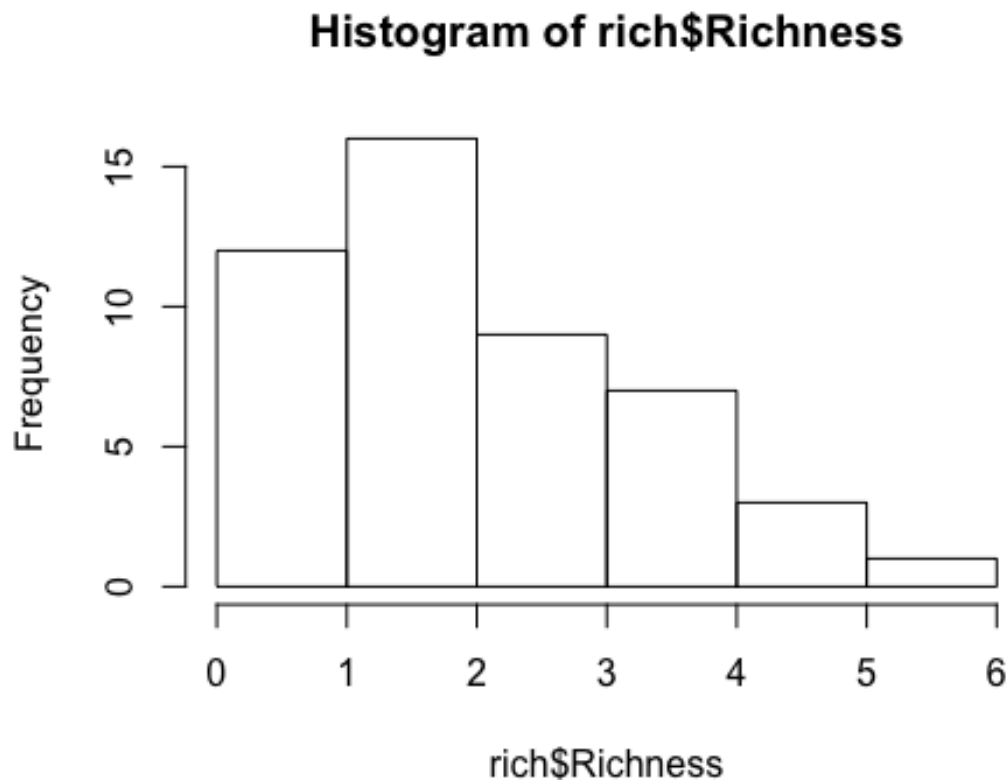
##      (Intercept) canes$Gender_MFM
##      3.1679220      -0.5123354

confint(canes_negbin)

##                2.5 %    97.5 %
## (Intercept)    2.816448  3.5640722
## canes$Gender_MFM -1.149166  0.1720959

ggplot(canes, aes(x = Gender_MF, y = alldeaths, colour = Gender_MF)) +
  geom_boxplot(notch = FALSE) + labs(x = "Gender Names (M/F)",
  y = "Number of Deaths") + theme_bw() + theme(legend.position = "none")

```

```
rich_mod <- glm(rich$Richness ~ rich$Study_Area, family = "poisson")
summary(rich_mod)

##
## Call:
## glm(formula = rich$Richness ~ rich$Study_Area, family = "poisson")
##
## Deviance Residuals:
##      Min       1Q   Median       3Q      Max
## -2.3214  -0.4435  -0.1260   0.7414   1.7308
##
## Coefficients:
##              Estimate Std. Error z value Pr(>|z|)
## (Intercept)      0.4055     0.2357   1.720   0.0854 .
## rich$Study_AreaOCTC 0.5857     0.2566   2.282   0.0225 *
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
##
## (Dispersion parameter for poisson family taken to be 1)
##
##      Null deviance: 50.145  on 47  degrees of freedom
## Residual deviance: 44.215  on 46  degrees of freedom
## AIC: 167.92
```



```
##
## Number of Fisher Scoring iterations: 5

coef(rich_mod)

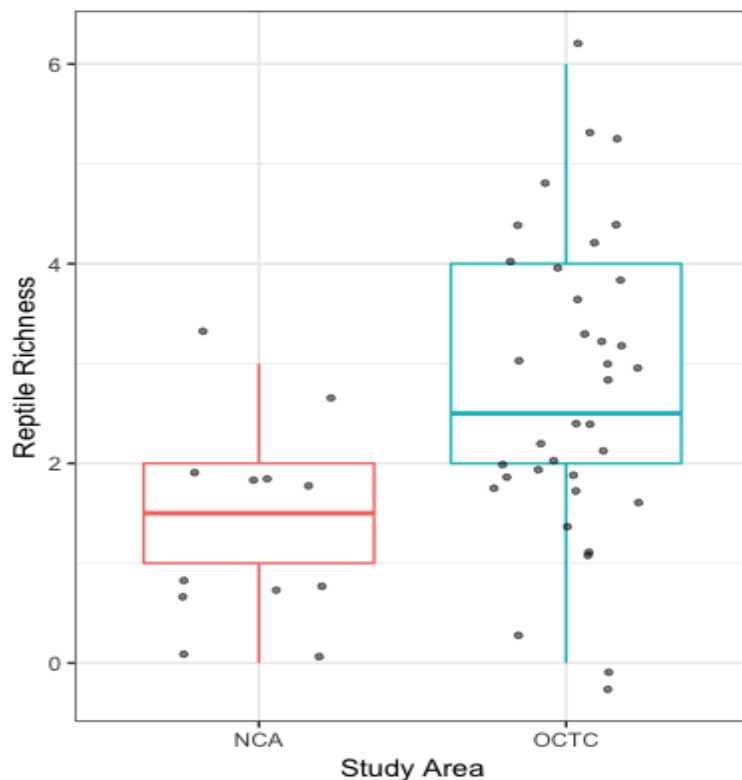
##           (Intercept) rich$Study_AreaOCTC
##           0.4054651          0.5857269

exp(0.4054651 + 0.5857269) - exp(0.4054651)

## [1] 1.194444

confint(rich_mod)

##               2.5 %    97.5 %
## (Intercept) -0.09503459 0.8343866
## rich$Study_AreaOCTC 0.10879789 1.1209811
```



The reptile richness is significantly different between two study areas. There is a 119% difference in reptile richness between study areas. The 95% CI does not overlap zero; however, the interval is wide for the effect size suggesting low confidence in the significance. The reptile richness data set does not fit normal or binomial regression; however, the poisson regression is not a good fit either due to the overdispersion of the data. A negative binomial to account for the overdispersion would be a better fit, but the theta is too large causing errors.