

Ziocoma : (na acobe abe, na brog regnera abeabe) alpha=a? $(f_0, \star, abenec \square) \mapsto (g_1, \star a, beaec \square) \mapsto (g_2^R, \star a, beaec \square) \mapsto (g_2^R, \star abeaec \square)$ $\mapsto (\mathcal{G}_{P}^{2}, *abcab, \square) \mapsto (\mathcal{G}_{P}^{2}, *abca, b\square) \mapsto \cdots \mapsto (\mathcal{G}_{P}^{2}, *, abcab\square) \mapsto (\mathcal{G}_{P}^{2}, *Cb, cab\square) \mapsto (\mathcal{G}_{P}^{2}, *Cb, ca$ $(f^{R}, \star \bar{c}bcab\Pi, \lambda) \mapsto (f^{R}, \star \bar{c}bcab\Pi, \lambda) \mapsto (f^{R}, \star \bar{c}bca, \Pi)$ роймёт, что это а уже обработано? $\mapsto (\xi_{\beta}^2, \star \bar{c}\theta C, \alpha \Pi) \mapsto \cdots \mapsto (\xi_{\beta}^2, \star \bar{c}\beta C \alpha \Pi) \mapsto$ \rightarrow (\mathcal{G}_{p}^{c} , $\star \mathcal{C}b$, $\mathcal{C}a\Box$) \mapsto (\mathcal{G}_{x}^{R} , $\star \mathcal{C}bC$, $a\Box$) \mapsto $(f_{\alpha}^{R}, \star \overline{c} b c a, \Pi) \mapsto (f_{\alpha}^{R}, \star \overline{c} b c a \Pi, \Lambda) \mapsto (f_{\beta}^{R}, \star \overline{c} b c, \Pi) \mapsto (f_{\beta}^$ $\longrightarrow (g^c, \star \overline{cbc}, \alpha) \mapsto (g^c, \star \overline{cba}, \overline{cbc}, \alpha)$ $\longrightarrow (f_{\alpha}^{R}, \star \bar{c}b\bar{a} \, \Box, \lambda) \longmapsto (f_{\alpha}^{L}, \star \bar{c}b\bar{a}, \Box) \mapsto (f_{\alpha}^{L}, \star \bar{c}b, \alpha\Box) \mapsto$ —> (fcн, + ट, вап) —> (fcн, +, cвап) → (gf, +, cвап)