

Algorithm 1 Partially Observable Monte-Carlo Planning

```

procedure SEARCH( $h$ )
  repeat
    if  $h = \text{empty}$  then
       $s \sim \mathcal{I}$ 
    else
       $s \sim B(h)$ 
    end if
    SIMULATE( $s, h, 0$ )
  until TIMEOUT()
  return  $\underset{b}{\operatorname{argmax}} V(hb)$ 
end procedure

```

```

procedure ROLLOUT( $s, h, \text{depth}$ )
  if  $\gamma^{\text{depth}} < \epsilon$  then
    return 0
  end if
   $a \sim \pi_{\text{rollout}}(h, \cdot)$ 
   $(s', o, r) \sim \mathcal{G}(s, a)$ 
  return  $r + \gamma \cdot \text{ROLLOUT}(s', hao, \text{depth}+1)$ 
end procedure

```

```

procedure SIMULATE( $s, h, \text{depth}$ )
  if  $\gamma^{\text{depth}} < \epsilon$  then
    return 0
  end if
  if  $h \notin T$  then
    for all  $a \in \mathcal{A}$  do
       $T(ha) \leftarrow (N_{\text{init}}(ha), V_{\text{init}}(ha), \emptyset)$ 
    end for
    return ROLLOUT( $s, h, \text{depth}$ )
  end if
   $a \leftarrow \underset{b}{\operatorname{argmax}} V(hb) + c \sqrt{\frac{\log N(h)}{N(hb)}}$ 
   $(s', o, r) \sim \mathcal{G}(s, a)$ 
   $R \leftarrow r + \gamma \cdot \text{SIMULATE}(s', hao, \text{depth} + 1)$ 
   $B(h) \leftarrow B(h) \cup \{s\}$ 
   $N(h) \leftarrow N(h) + 1$ 
   $N(ha) \leftarrow N(ha) + 1$ 
   $V(ha) \leftarrow V(ha) + \frac{R - V(ha)}{N(ha)}$ 
  return  $R$ 
end procedure

```