

QuIDS

A Large-Scale Distributed Framework for Quantum Irregular Dynamics Simulations

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Motivations for an irregular Quantum simulator

Initial motivation : Quantum Causal Graph Dynamics (QCGD) :

- Python code only for QCGD → too slow and inaccurate, and specific to QCGD
- Infinite dimension state → can't use most off the shelves simulators

Advantages of moving to a distributed, general framework :

- Faster and more accurate → better science
- Usable for any irregular application → a single efficient framework for many application
- Quantum Turing machine and Loop gravity simulations are existing use-cases
- The ability of simulating irregular system can motivate the creation of new models

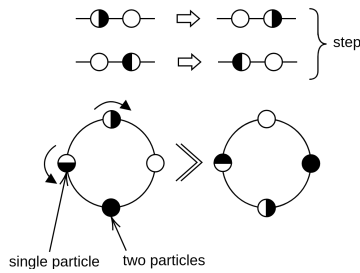
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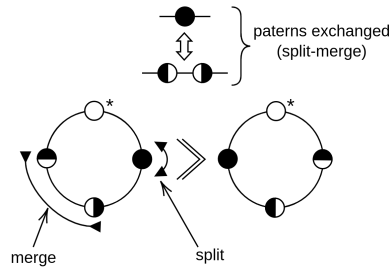
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Classical Graph Dynamics: Hasslacher-Meyer

- Circular colored graphs
- Can be used as a toy model for the expansion of the universe



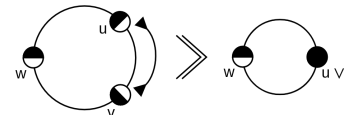
(a) Example of HM *step* evolution



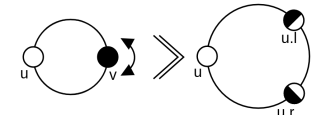
(b) Example of HM *split-merge* evolution

Irregularity in the Hasslacher-Meyer model

- Varying graph size after applying split-merge
- Complex name structure for nodes for reversibility



(a) Example of graph shrinking within the *split-merge* rule - example of node names.



(b) Example of graph growing within the *split-merge* rule - example of node names.

$$\begin{pmatrix} \psi_{n+1}(\text{---}\bullet\text{---}) \\ \psi_{n+1}(\text{---}\bullet\text{---}\bullet\text{---}) \end{pmatrix} = \begin{pmatrix} e^{i\xi}\cos\theta & e^{i\phi}\sin\theta \\ -e^{-i\phi}\sin\theta & e^{-i\xi}\cos\theta \end{pmatrix} \begin{pmatrix} \psi_n(\text{---}\bullet\text{---}) \\ \psi_n(\text{---}\bullet\text{---}\bullet\text{---}) \end{pmatrix}$$

Figure: Example of a quantum rule - *split-merge*

$$\text{SM} \left(\begin{array}{c} \circ^* \\ \text{---} \bullet \text{---} \bullet \text{---} \end{array} \right) = \frac{1}{2} \left(\begin{array}{c} \circ^* \\ \text{---} \bullet \text{---} \bullet \text{---} \end{array} + \begin{array}{c} \circ^* \\ \text{---} \bullet \text{---} \bullet \text{---} \end{array} - \begin{array}{c} \circ^* \\ \text{---} \bullet \text{---} \bullet \text{---} \end{array} - \begin{array}{c} \circ^* \\ \text{---} \bullet \text{---} \bullet \text{---} \end{array} \right)$$

Figure: Example application of a quantum rule - *split-merge* ($\theta = \pi/4, \phi = \xi = 0$)

Memory irregularity

- Big and small objects (1kB - 1MB)
- Objects with irregular sizes

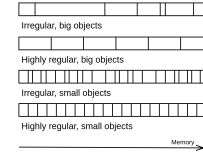


Figure: Examples of contiguous object vectors

Simulation irregularity

- Varying number of "child" objects
- Varying number of object collisions

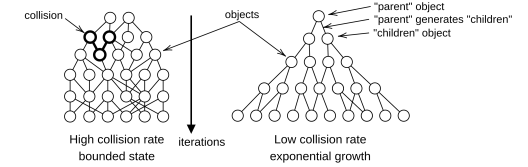
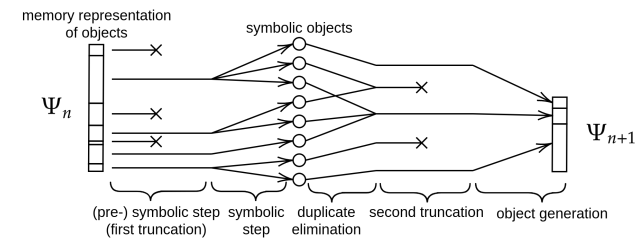


Figure: Two dynamics of different nature

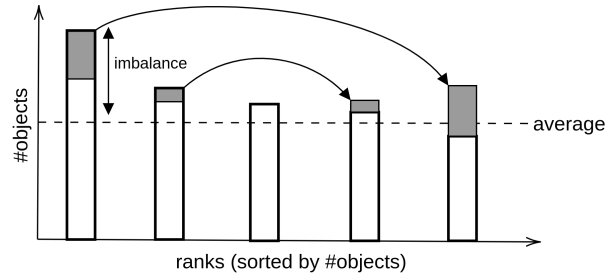
- Being as "general purpose" as possible:
 - To simulate *QCGD*, but also *Quantum Turing Machines*, simple *Loop Quantum Gravity* simulations, etc...
 - Allows the development of other irregular quantum models, owing to the capacity to simulate them.
- Performance: Usable accuracy and reasonable execution time:
 - Taking advantage of clusters to gain memory and computational power.
 - Distributing the computation: assigning objects to nodes to compute collisions.
- Exponential growth of the problem size - truncation:
 - Not running out of memory: *under-truncating*.
 - Not letting memory unused: *over-truncating*.
 - Retain accuracy and "representativity".

- Objects representing Ψ_n distributed across ranks
- 4 computational steps:
 1. Pre-symbolic step: First truncation and balancing of the number of objects
 2. Symbolic step
 3. Duplicate elimination and second truncation
 4. Final step: generates final object memory representation



QuIDS - Pre-symbolic step

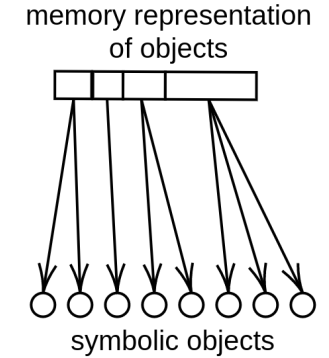
- Load balancing of the number of objects + first truncation
- Iterative balancing of pairs of MPI processes (point to point communication)
- Only step where we communicate objects
- Balancing of the number of children \Rightarrow better representing the load than the number of objects



QuIDS - Symbolic computation

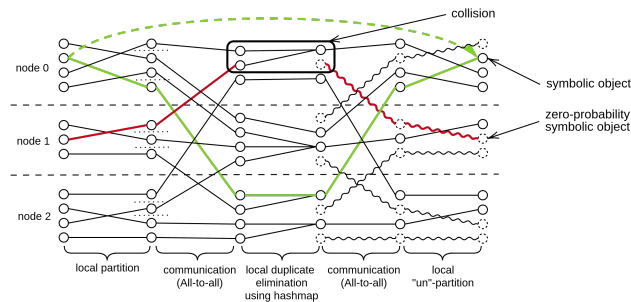
Reasons for a symbolic iteration:

- Memory management accuracy gains:
 - Manipulating fixed-size, smaller intermediary objects
 - Allows for more intermediary objects to be stored \Rightarrow higher accuracy
 - Knowing the exact size of future objects ahead of their generation
- Simpler distributed duplicate elimination:
 - Sending and receiving small, fixed-size intermediary objects
 - Comparing small objects (hashes)



QuIDS - Elimination of duplicate objects

- Divide objects into local buckets according to their hashes
- Build global exclusive hash sections by merging the buckets
- Each nodes compute collision on a specific exclusive section (collected from all nodes)
- Load balancing through dynamic local object mapping



QuIDS - State truncation

- *predictive method before the symbolic step*
- *reactive method before the final object generation*
- Types of ranking:
 - Deterministic ranking (N most probable objects selected)
 - Probabilistic ranking (according objects probability):
similar to a Quantum Monte-Carlo-like method

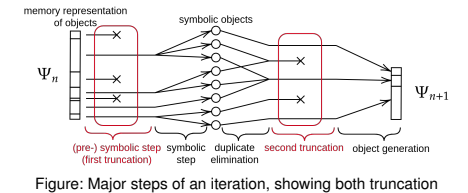
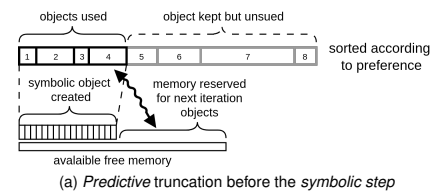
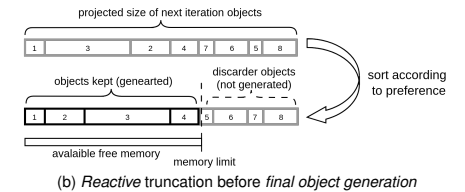


Figure: Major steps of an iteration, showing both truncation

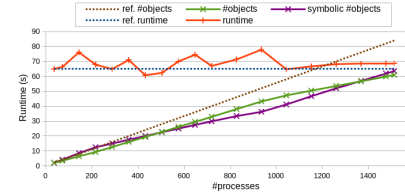


Framework implementation :

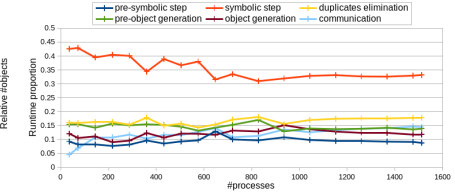
- Availability: github.com/jolatechno/QuIDS
- Implemented in C++(17) using MPI

Experimental setup :

- Plafirm Bora cluster
- Up to 43 nodes (1548 cores and 8.256TB of total memory)
- Compiled using g++ 11.3.0, distribution using OpenMPI 4.0.1
- Up to 2 billions objects and 31 billions symbolic objects

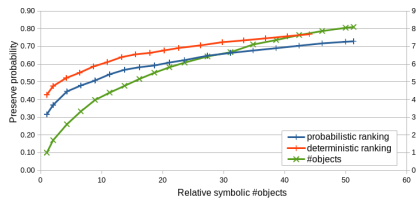


(a) Weak scaling example (low collision rate)

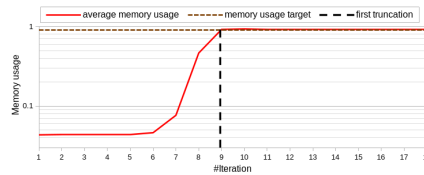


(b) Dissection of the execution time

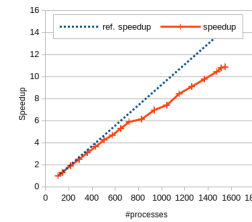
- Differences between ranking algorithms: *probabilistic* vs *deterministic*
- Preserved probability VS numerical accuracy
- Sustained memory use over 90% without running out of memory



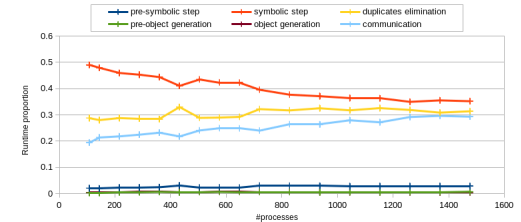
(a) Accuracy scaling example



(b) Memory usage over time



(a) Strong scaling example



(b) Dissection of the execution time

- Simulation of QCGDs for almost any case with usable accuracy
- 70-100% efficient weak-scaling
- Future work:
 - Testing the framework with other irregular problems

Special thanks to the PlaFRIM platform at Inria Bordeaux for providing the compute resources

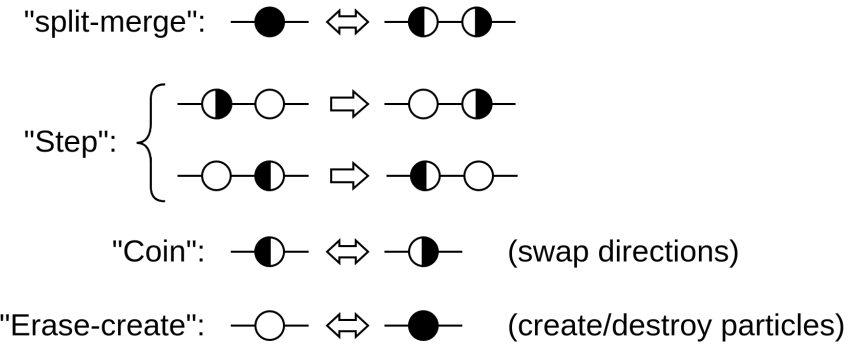
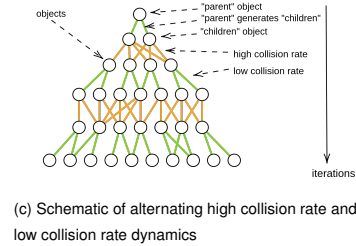
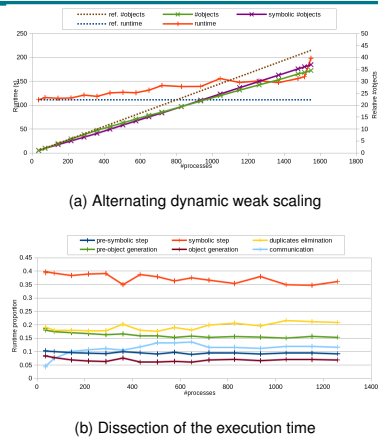
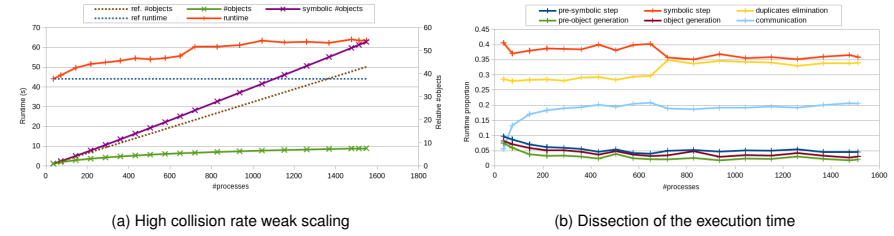


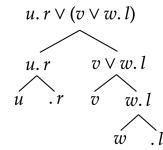
Figure: Other rules used.

Support slide 4 - QCGDs name arithmetic

- Node name represented as tree
- Complex name dynamic - *name arithmetic*

$$\left\{ \begin{array}{l} u.l \vee u.r = u \\ (u \vee v).l = u \\ (u \vee v).r = v \end{array} \right.$$

(a) Rules of the name arithmetic (allowing reversibility)



(b) Example of node name representation (tree)