기계인공지능 final 속문제 Solution.

P.4

$$p(c) = 0.1$$
, $p(T|c) = 0.9$, $p(T|c^{-1}) = 0.9$
 \Rightarrow Bayes Rule \Rightarrow $p(c|T) = \frac{p(c,T)}{p(T)} = \frac{p(c)p(T|c)}{p(T)}$
 $p(c,T) = p(c)p(T|c) = 0.09$
 $p(T) = p(c)p(T|c) + p(c^{-1})p(T|c^{-1})$
 $p(T) = 0.1 \times 0.9 + 0.9 \times 0.7 = 0.09 + 0.63 = 0.72$

Thus,
$$p(C|T) = \frac{0.09}{0.02} = \frac{1}{8} = 0.125 = 12.5\%$$

Since the percentage of p(C|T) is (2.5%) (less than 50%) it is reasonable that I wouldn't belive Sam has a cencer

$$\theta_{MAP} = \frac{m}{m+6^2} \overline{\chi} + \frac{6^2}{m+6^2} \mu \dots 0$$

A: Data (Mews)

B: Prior (information)

From the above equation () for OMAP,

when
$$m \to \infty$$
 $\frac{m}{m+6^2} \to 1$ Then, $\theta_{MAP} = \overline{\chi}$ $\frac{6^2}{m+6^2} \to 0$

when
$$m \to 0$$
 $\frac{m}{m+c^2} \to 0$ Then, $\theta_{MAP} = \mu$ $\frac{c^2}{m+c^2} \to 0$

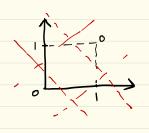
Eventhough A,B have had the similar amount of information and heard similar news, A believe the data (news) and B believe the prior (information), so their Omap is different.

We can treat A has greater weight for m so, $\theta_{MP,A}$ is close to $\overline{\kappa}$

and θ has smaller weight for m so, $\theta_{MAP,B}$ is close to μ

P.6

- 1) We know perceptron is linear classifier.
- However, XOR problem is not linearly separable.
- Thus, perceptron court solve XOR problem.



- 2) In ANN, we do nonlinear addition for each layer, So, we can classify XOR problem.
- 3) Since unit step function is not differentiable (at $\alpha=0$)
- 4) In case of Autoencoder, we need only input data, not a label. so, we can say Amoencoder is unsupervised learning,
- 5) In autoencoder, it reduce the demension of features.
 - So, it works as a feature extraction.
- 6) use activation function as linear function, and cost function as mean square error.
- 7) Since Autoencoder has multy layers.