Augmentation of brain MRIs using disentanglement and neural network expressivity

Status Seminar

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UNIVERSITY OF COPENHAGEN

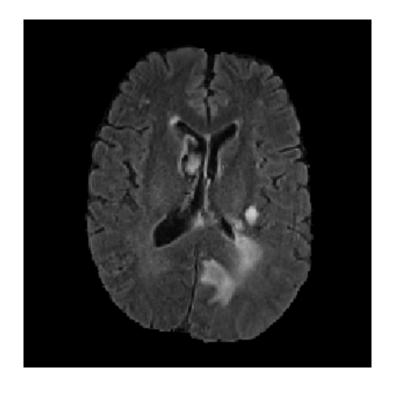


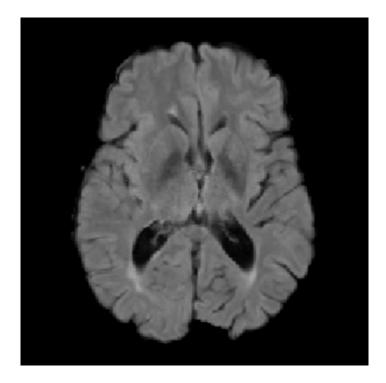


Task

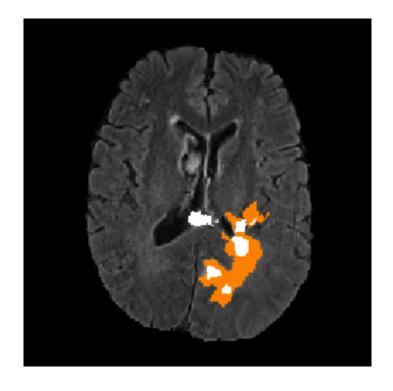
Highlight abnormal regions in human brain MRIs

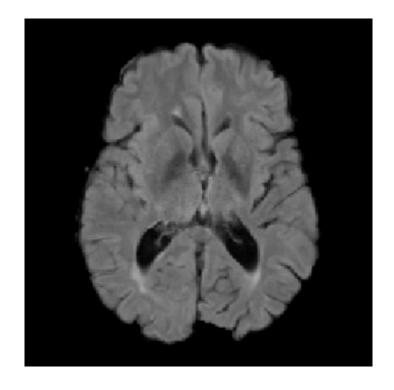
TaskHighlight abnormal regions in human brain MRIs





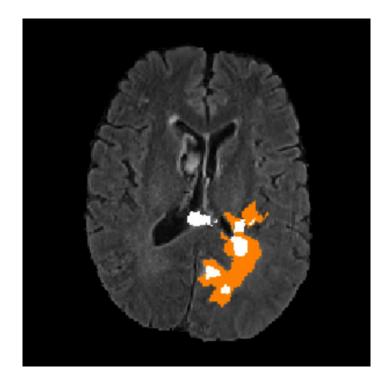
Task
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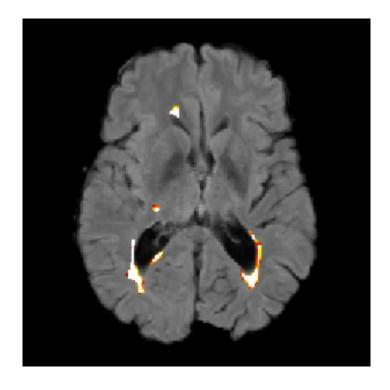


High-grade glioma (BraTS2019)

Task Highlight abnormal regions in human brain MRIs



High-grade glioma (BraTS2019)



Multiple sclerosis (MSSEG-2015)

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 - Corruption (cutout, cutmix)
 - Intensification (gamma, bias-field)
 - Deformation (affine, elastic, diffeomorphic)

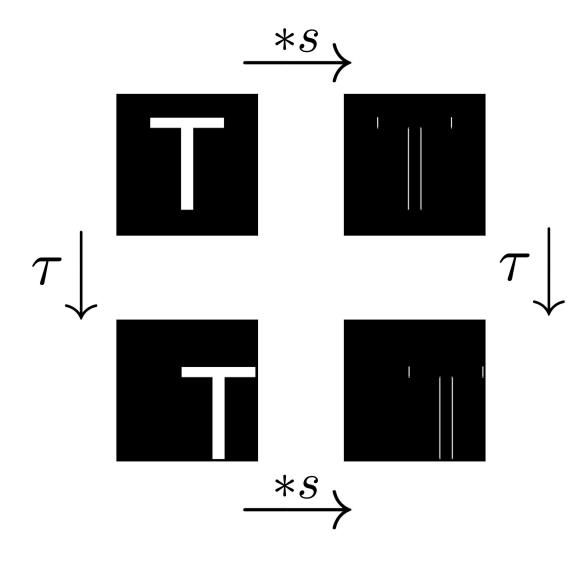
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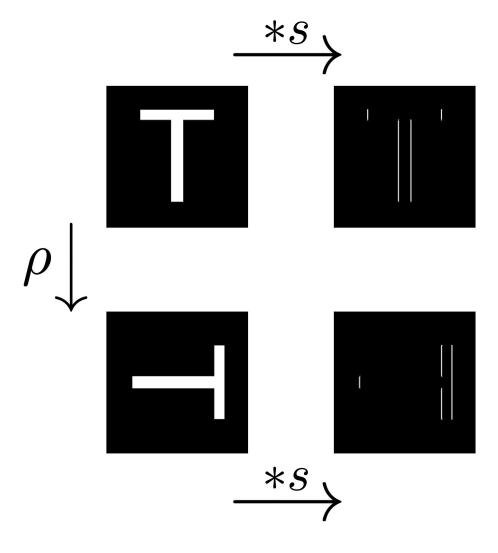
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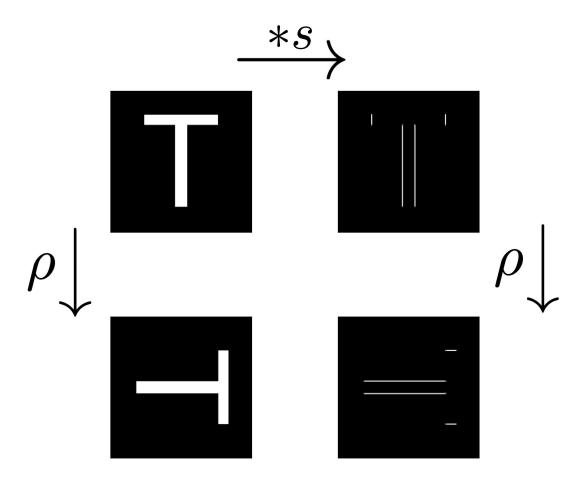
Translation equivariance in convolutional neural networks



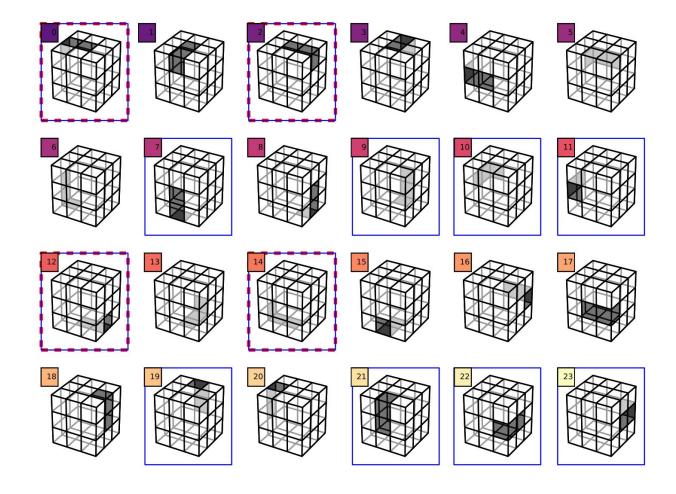
Finite group-equivariant convolutional neural networks



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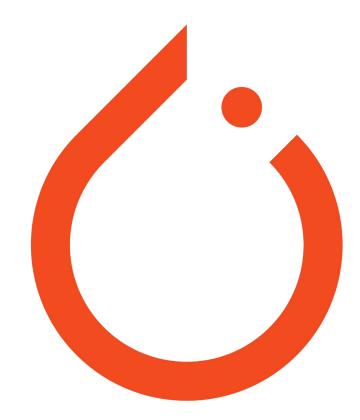
Open source implementations of G-CNNs

e2cnn

https://github.com/QUVA-Lab/e2cnn

e3nn

https://github.com/e3nn/e3nn



Open source implementations of G-CNNs

GrouPy

https://github.com/tscohen/GrouPy

CubeNet

https://github.com/danielewworrall/cubenet

Harmonic Networks

https://github.com/danielewworrall/harmonicConvolutions

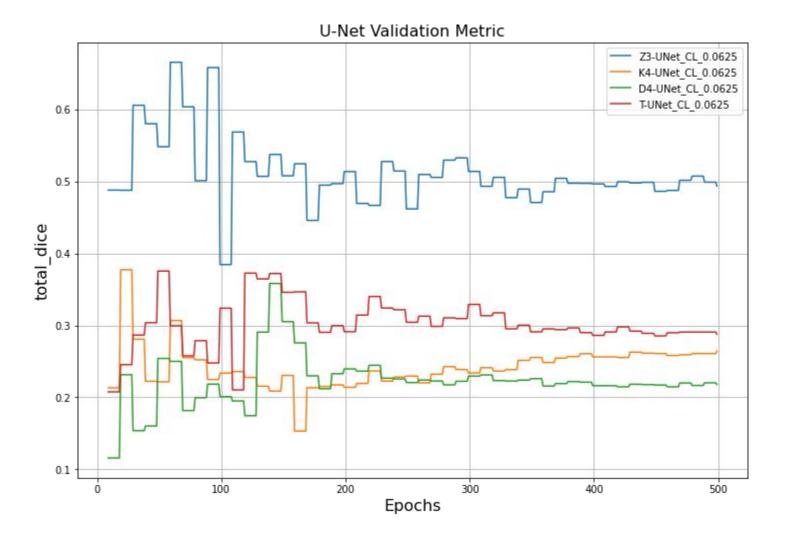


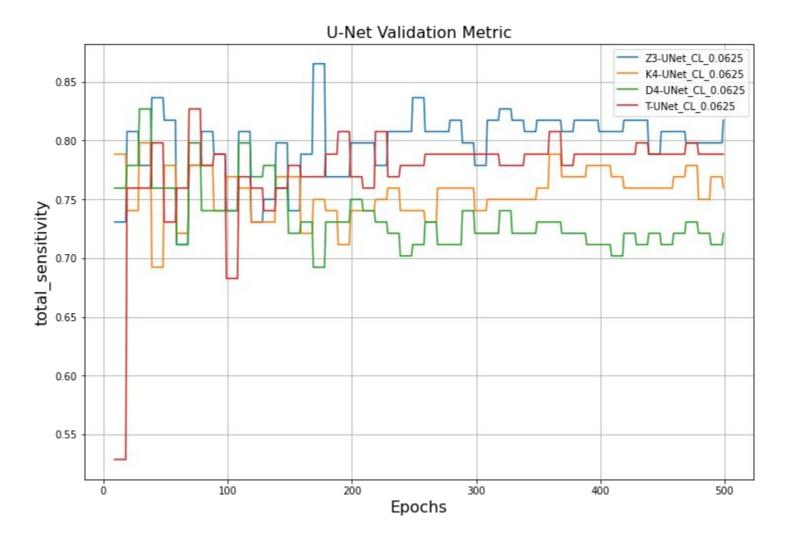


```
class Octahedral3D(Group):
    """Class for a three-dimensional representation of the octahedral group (a.k.a the group
    of symmetries of the cube, or the fourth symmetric group).
    11 11 11
    def __init__(self, inversion=False, name=None):
        self.generators = (Group.get_matrix([[0, 0, 1],
                                              [1, 0, 0],
                                              [0, 1, 0]]),
                           Group.get_matrix([[0, 1, 0],
                                              [-1, 0, 0],
                                              [0, 0, 1]]),)
        group_tuple = ops.generate(self.generators, 6, 3, 24)
```

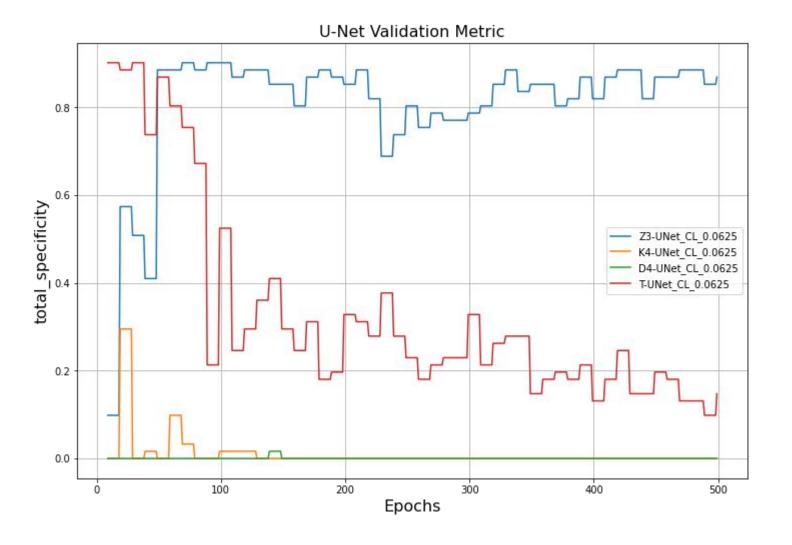
```
class GroupConv3D(Layer):
    """Implementation of an equivariant 3D convolution layer. This implementation maps out of
    Euclidean space and into an output_group of choice.
    11 11 11
    def __init__(self, n_channels_in, n_channels_out, kernel_size=3,
                 strides=(1, 1, 1, 1, 1,), padding="SAME", input_group=Trivial(3),
                 output_group=Trivial(3), activation=None, trainable=True):
```











Possible cause

Not enough effective parameters in equivariant U-Nets

Example

Equivariance group: C4

Baseline U-Net: 12 filters in the first layer

C4 U-Net: 3 filters in the first layer

PADDIT (Orbes-Arteaga, et al. 2019)

Bayesian inference of a template MRI

$$p(I_k|\mathbf{v}_k, I_T, \sigma) = \frac{1}{(2\pi)^{V/2}\sigma^V} \exp\left(-\frac{\|I_T - I_k \circ \operatorname{Exp}(\mathbf{v}_k)\|^2}{2\sigma^2}\right)$$

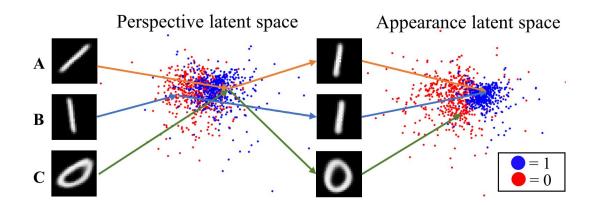
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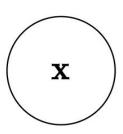
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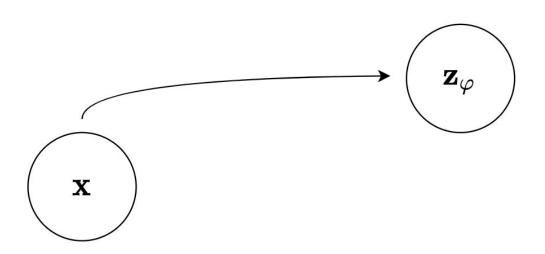
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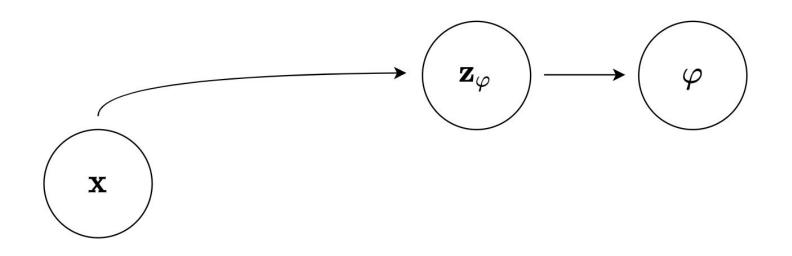
IT-VAE (Detlefsen and Hauberg, 2019)

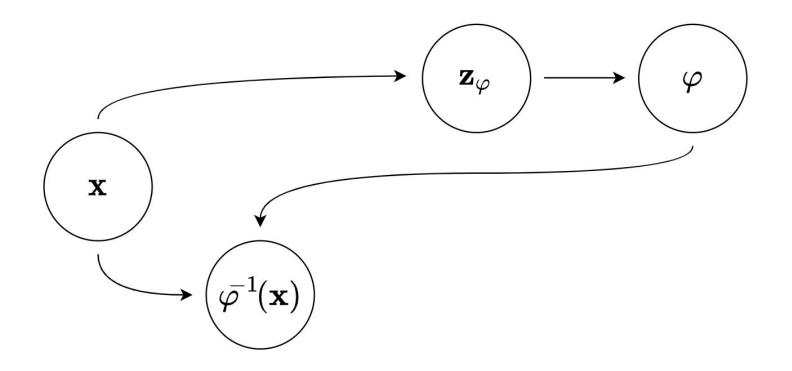
Unsupervised disentanglement of shape and appearance

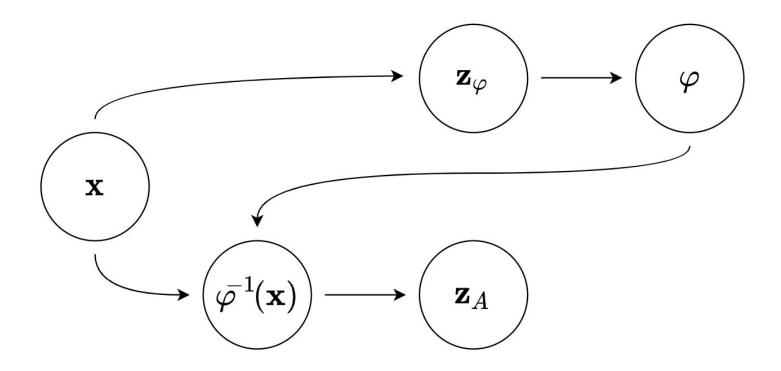


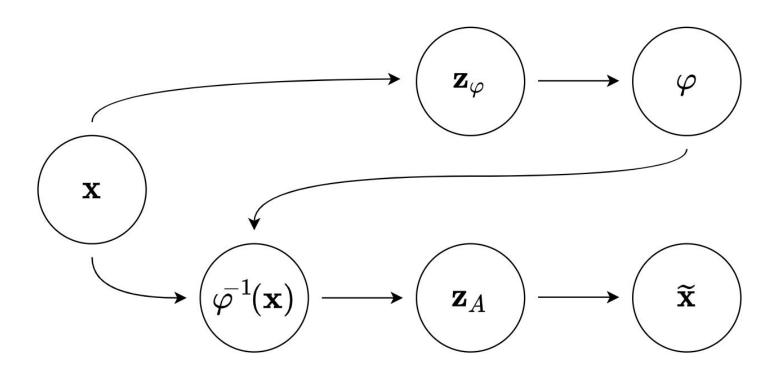


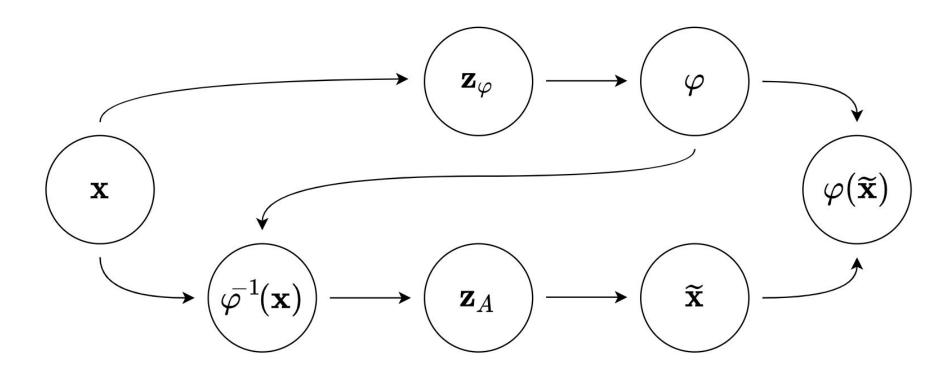




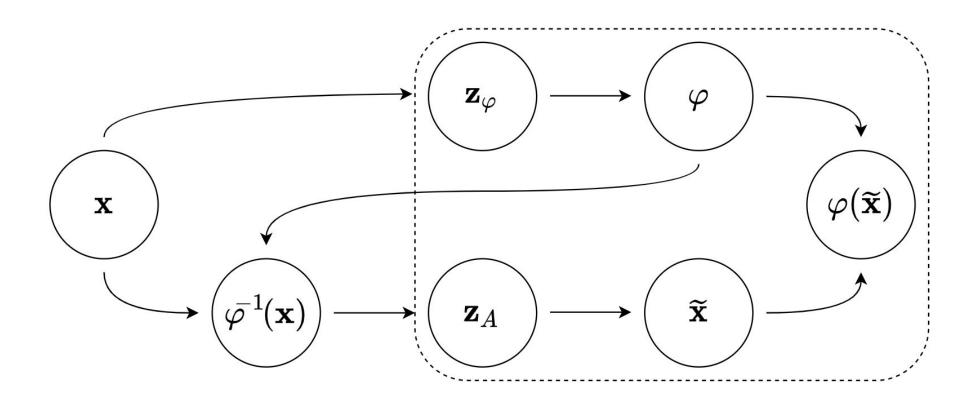




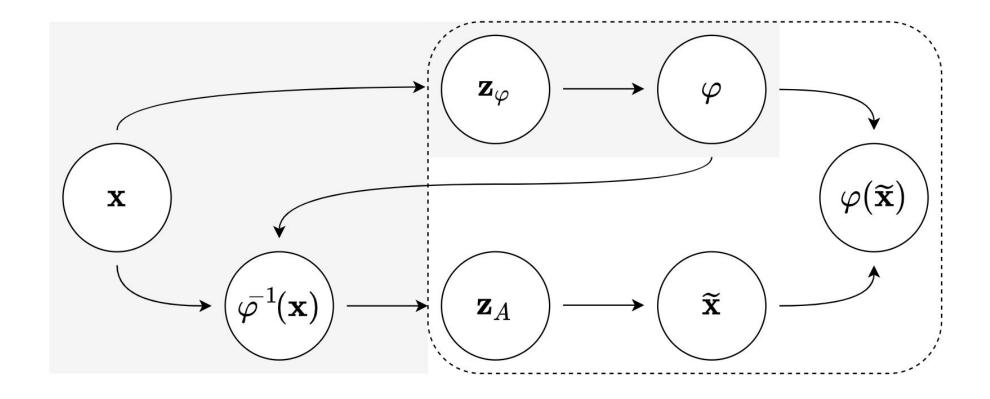




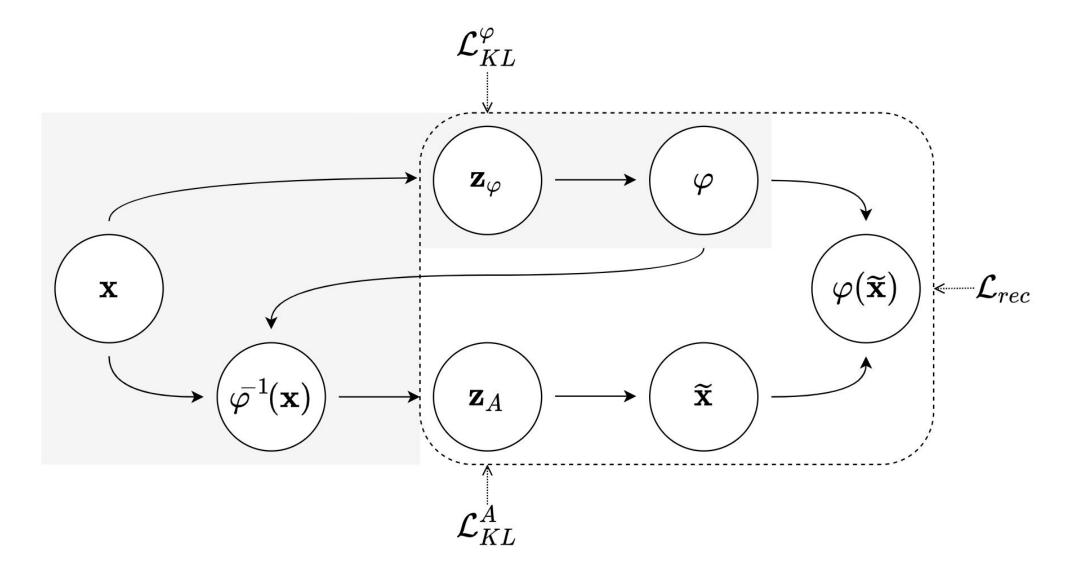


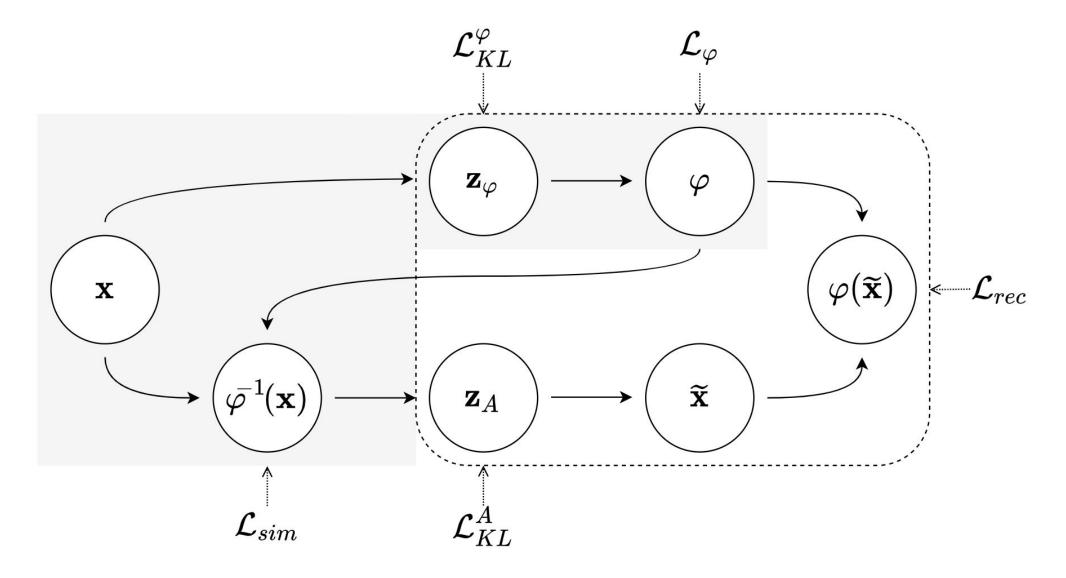




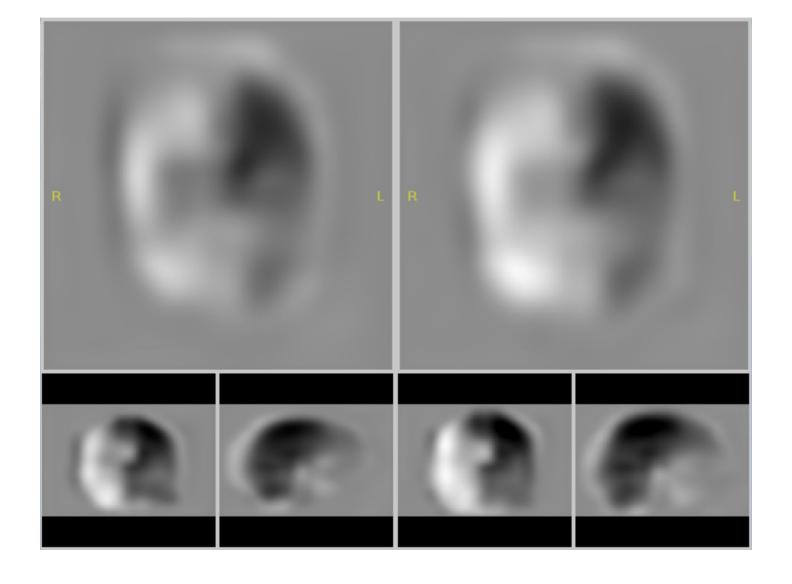


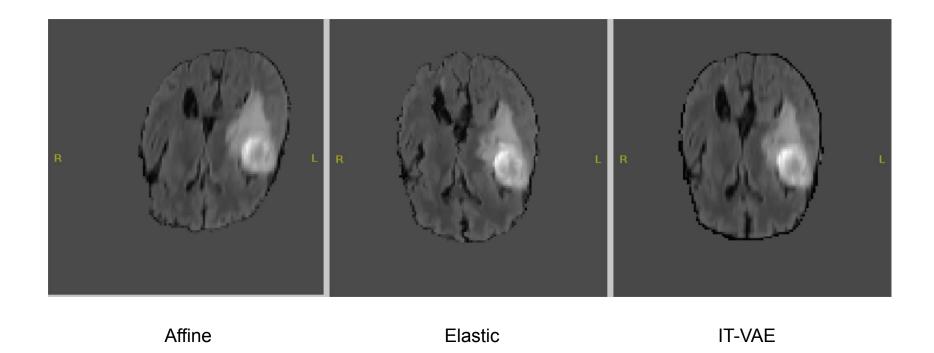






Decoded samples from conditional latent space distributions





Questions

What effect do VAE augmentation pipelines have on segmentation networks?

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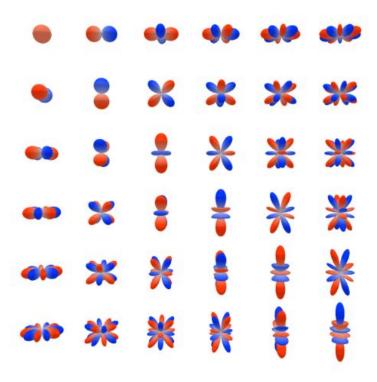
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- What effect do VAE augmentation pipelines have on segmentation networks?
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- How well can an IT-VAE perform unsupervised groupwise registration?
 - This works for small datasets, but for MRIs?
 - Deformable autoencoders work for MRIs but are unconditioned

Thanks!

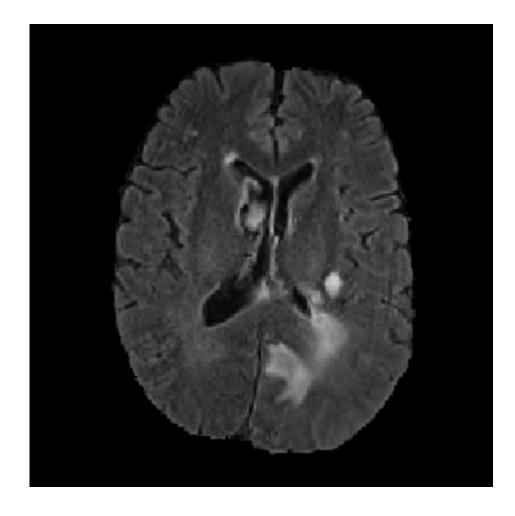
jami@di.ku.dk

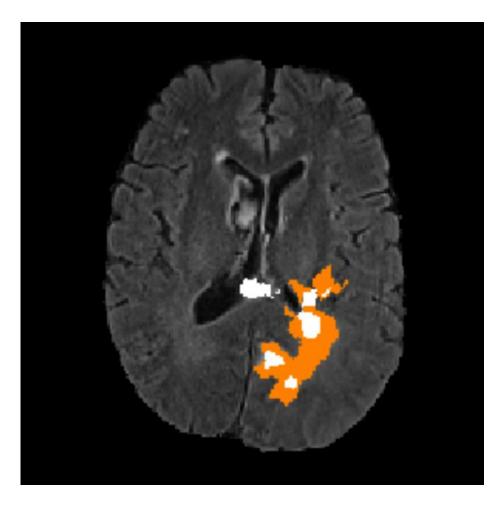
Equivariance with 3D harmonic filters



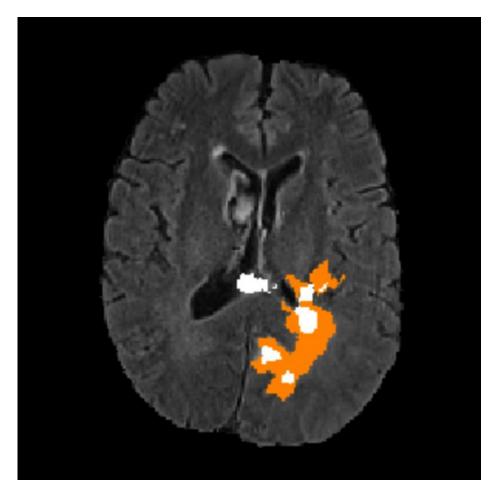
$$f(\rho,\theta,\phi) = \sum_{n=0}^{N} h_n(\rho) \sum_{m=-n}^{n} C_n[m] Y_{n,m}(\theta,\phi).$$

Sources: https://github.com/e3nn/e3nn, https://doi.org/10.1016/j.media.2020.101756

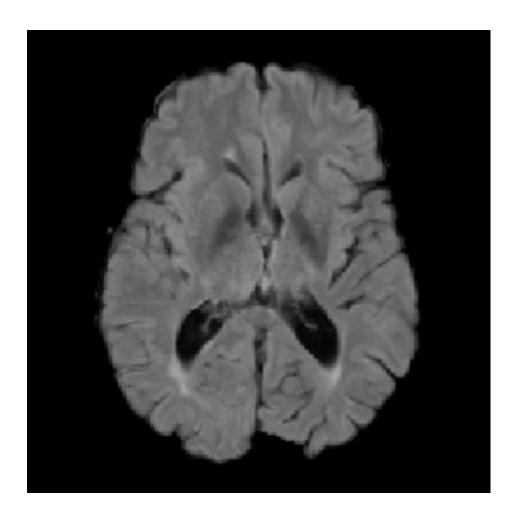


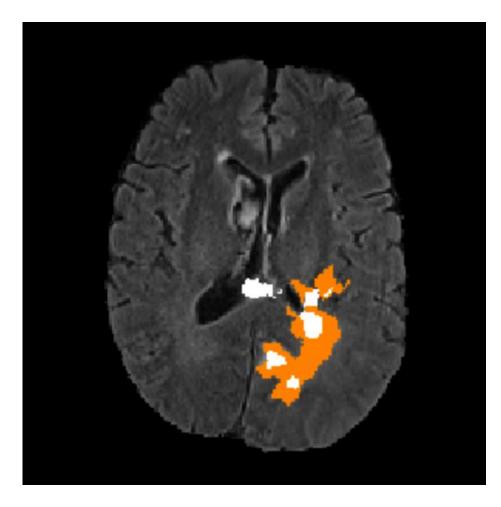


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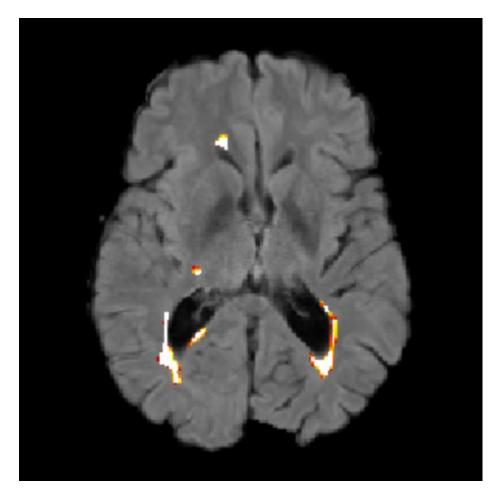


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