other terms are proportional to \tilde{q}^2*q^2 *) $(GA[\alpha].GS[q].GA[\beta].GS[q].GA[\gamma].GA[\delta] + GA[\alpha].GA[\beta].GA[\gamma].GS[q].GA[\delta].GS[q] + GA[\alpha].GA[\beta].GS[q].GA[\gamma].GA[\gamma].GA[\delta].GS[q] +$ $GA[\alpha].GA[\beta].GS[q].GA[\gamma].GS[q].GA[\delta] + GA[\alpha].GS[q].GA[\beta].GA[\gamma].GA[\delta].GS[q] +$ $GA[\alpha].GS[q].GA[\beta].GA[\gamma].GS[q].GA[\delta])$

 $TR[a^2 * GA[\alpha].GA[\beta].GA[y].GA[\delta] - (* a^2 is \tilde{q}^2 from \tilde{q}^4 term,$

 $Out[*] = 4 \left(a^2 \overline{g}^{\alpha \beta} \overline{g}^{\gamma \delta} - (2 \overline{q}^2 + a^2) \overline{g}^{\alpha \gamma} \overline{g}^{\beta \delta} + \overline{g}^{\alpha \delta} \left((2 \overline{q}^2 + a^2) \overline{g}^{\beta \gamma} - 2 \overline{q}^{\beta} \overline{q}^{\gamma} \right) - 2 \overline{q}^{\alpha} \overline{q}^{\beta} \overline{g}^{\gamma \delta} - 2 \overline{q}^{\alpha} \overline{q}^{\delta} \overline{g}^{\beta \gamma} - 2 \overline{q}^{\gamma} \overline{q}^{\delta} \overline{g}^{\alpha \beta} + 2 \overline{q}^2 \overline{g}^{\alpha \beta} \overline{g}^{\gamma \delta} \right)$

/// I:= FullSimplify[