## P1Q2

## April 11, 2021

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[1]: #Given parameters
     F6P = 0.1 #mM concentration and constant
     ATP = 2.3 \# mM \ conc \ and \ constant
     PFK = 0.12 #uM conc and const; enzyme concentration
     #PFK = PFKu/1000 #mM conc and const; enzyme concentration
     KF6P = 0.11 \# mM
     KATP = 0.42 \#mM
     kcat = 0.4*3600 #1/hr
[2]: #Kinetic rate limit of PFK
     r11 = kcat*PFK #r1 part 1 #units of uM/hr
     r12 = (F6P/(KF6P+F6P)) \#r1 \ part 2 \#unitless
    r13 = (ATP/(KATP + ATP)) #r1 part 3 #unitless
     r1 = r11*r12*r13 #Kinetic limit of PFK
     r1 #uM/hr
[2]: 69.5798319327731
[3]: #Data 3-5-AMP
     AMPcon = [0.000, 0.055, 0.093, 0.181, 0.405, 0.990] #3-5-AMP concentration mM
     Overallrate = [3.003, 6.302, 29.761, 52.002, 60.306, 68.653] #uM/hr
     conest = [0.59, 1.20, 5.7, 10.2, 11.8, 13.3] #95% confidence estimate of
      \rightarrowmeasured rate
[4]: #Calculate W1
     W1 = (Overallrate[0]/r1)/(1-(Overallrate[0]/r1)) #no 3-5-AMP so fi = O
     W1 #dimensionless
[4]: 0.04510578098748108
[5]: #Calculate W2
     a =(Overallrate[5]/r1)
     W2 = (a+W1*(a-1))/(1-a) #with 3-5-AMP so assume saturated at highest conc
     W2
[5]: 74.02765495632235
```

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[6]: #Estimate paramters for hill-type binding function
Ki = 0.3 #needed to be less than 1
n = 6 #needed to be higher to get closer to 1 when put into fi
#x = AMPcon[5]/AMPcon[5]
#fi = ((x/Ki)**n)/((1+(x/Ki)**n))
#fi
```

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[7]: #get values of x for all concentrations assuming saturated at data point 6
x = []
for t in AMPcon:
    c = t/AMPcon[5] #divide each data point by highest to get fraction of bound
    →activator
    x.append(c)
print(x)
```

[0.0, 0.0555555555555556, 0.093939393939393, 0.1828282828282828, 0.409090909091, 1.0]

```
[8]: #Calculate fi (hill type binding function) for all data points and store in a

→ list

filist = []

for i in x:

    fi = ((i/Ki)**n)/((1+(i/Ki)**n)) #plug everything into fi

    filist.append(fi)

print(filist)
```

[0.0, 4.032922960816195e-05, 0.000941780713819529, 0.04873428489269943, 0.8654052601900627, 0.9992715310538617]

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[9]: #Calculate control correction functions for all fi
vlist = []
for j in filist:
    v = (W1 + W2*j)/(1+W1 + W2*j) #calculate the u variable equation now,
    →called it v on the exam
    vlist.append(v)
print(vlist)
```

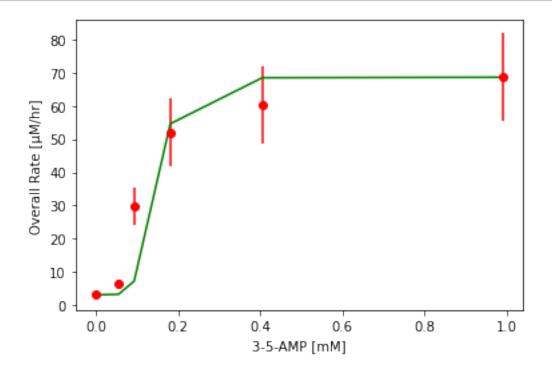
[0.0431590579710145, 0.045884610577263424, 0.10299710092881179, 0.7850752195094296, 0.9846411467948317, 0.9866700140730964]

[3.003, 3.192643492266732, 7.166520972189592, 54.62540182805106, 68.51116550807735, 68.65233375231293]

[]:

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[11]: #make graph to display data and data points
      import matplotlib.pyplot as plt
      # concentration of 3-5-AMP
      xest = AMPcon
      # estimation of overall rate of 3-5-AMP
      yest = rjlist
      # plotting the estimation/model
      plt.plot(xest, yest, color = "green")
      #concentration of 3-5-AMP
      xmeas = AMPcon
      #measured overall rate of 3-5-AMP
      ymeas = Overallrate
      plt.plot(xmeas, ymeas, marker = "o", linestyle = "", markerfacecolor = "red", u
       →markeredgecolor = "red")
      #add in error bars for the measured data
      plt.errorbar(xmeas, ymeas, conest, linestyle = "", color = "red")
      # naming the x axis
      plt.xlabel('3-5-AMP [mM]')
      # naming the y axis
      plt.ylabel('Overall Rate [\u03BCM/hr]')
      plt.show()
      #want data line to be smoother but this is based on being a 3rd polynomial so_{\sqcup}
       \rightarrow doesn't work
      #from scipy.interpolate import make_interp_spline, BSpline
      #import numpy as np
      \#x4 = np.array(xest)
      #y4 = np.array(yest)
      \#x\_new = np.linspace(x4.min(), y4.max(), 400)
      \#a_BSpline = make_interp_spline(x_4, y_4)
      #y_new = a_BSpline(x_new)
      #plt.plot(x_new, y_new)
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