MECH 6323 - HW 07

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Problem 1

In this problem, you will design a control law for a nano-positioning stage. These devices can achieve very high precision positioning which is important in applications such as atomic force microscopes (AFMs). The right side of Figure 1 shows a feedback diagram of a nanopositioning device. The system consists of piezo-electric actuation, a flexure stage, and a detection system. As illustrated in the feedback diagram, the flexure stage interacts with the head of an AFM. The left side of Figure 1 shows a diagram of the flexure stage for a nanopositioning device. Typical design requirements for the control law include high bandwidth, high resolution and good robustness.

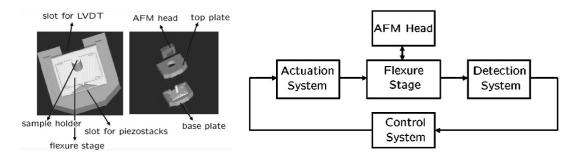


Fig. 1: Nanopositioning flexure stage (left) and feedback diagram (right); figures adapted from Salapaka et. al, Rev. Sci. Instrum. 2002.

```
clear
close all
```

Part a

```
nano_rsp = load('npresp.mat')

nano_rsp = struct with fields:
    Gfr: [1x1 frd]
    w: [1748x1 double]
    G: [1x1x1748 double]

omega_min = min(nano_rsp.w);
omega_max = max(nano_rsp.w);
```

Estimate system transfer function

```
tf_order = 6;
G_sys = fitfrd(nano_rsp.Gfr, tf_order)
```

 $G_sys =$

A =

```
х3
                          x4
                                 x5
       х1
             x2
                                       х6
                                      4270
х1
   -1468
           8540 -8540
                         8540 -8540
x2 -4681
           6559
                 -3757
                         3757
                              -3757
                                      1878
x3
    -2174
           4348
                 -7150
                         9952 -9952
                                     4976
x4
    -4695
           9390
                 -9390
                         6588
                              -3786
                                      1893
x5
    -1687
            3374
                 -3374
                         3374
                              -6176
                                     4489
x6 -3428
           6856 -6856
                         6856
                              -6856 625.7
B =
       u1
x1 5.156
x2 11.36
    16.7
х3
x4 18.15
x5 11.59
x6 11.18
C =
        x1
              x2
                      x3
                             x4
                                    x5
                                             х6
     114.1 -228.1 228.1 -228.1 228.1 -114.1
у1
D =
         u1
y1 0.08876
```

Continuous-time state-space model.

```
G_sys_tf = tf(G_sys)
```

```
G_sys_tf =

0.08876 s^6 - 876.1 s^5 + 1.136e07 s^4 - 4.345e10 s^3 + 4.097e14 s^2 - 2.095e17 s + 3.082e21

s^6 + 1021 s^5 + 7.856e07 s^4 + 5.129e10 s^3 + 1.342e15 s^2 + 3.65e17 s + 5.421e21
```

Continuous-time transfer function.

```
G_sys_zpk = zpk(G_sys)
```

```
G_sys_zpk =

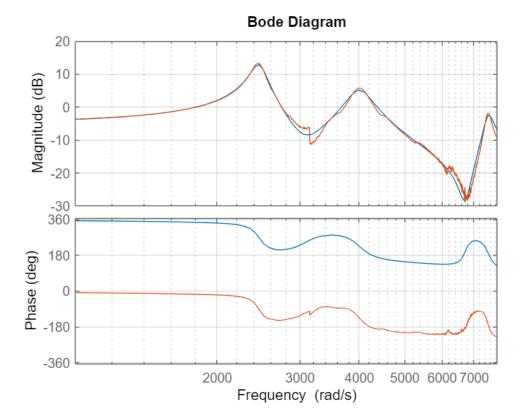
0.088762 (s^2 + 526.7s + 9.417e06) (s^2 + 276.6s + 4.494e07) (s^2 - 1.067e04s + 8.207e07)

(s^2 + 186.2s + 6.029e06) (s^2 + 482.7s + 1.6e07) (s^2 + 352.5s + 5.621e07)
```

Continuous-time zero/pole/gain model.

Bode Diagram Data

```
figure()
bode(G_sys)
hold on
bode(nano_rsp.Gfr)
grid on
xlim([omega_min, omega_max])
```



Clearly this plot is a good estimation for the frequency response of the system, noting that the phase of the system is offset by a 360 degree phase shift (which implies a need for another set of integrators)

Part b

PI - Implimentation

allmargin(C_pi * G_sys)

ans = struct with fields:

GainMargin: [2.3213 31.8215 13.3190]

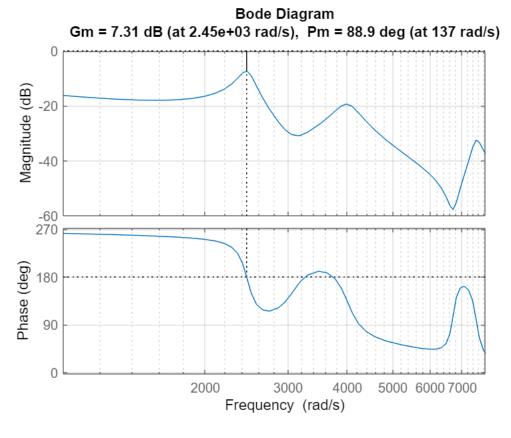
GMFrequency: [2.4472e+03 3.2556e+03 3.7346e+03]

PhaseMargin: 88.9408 PMFrequency: 136.5946 DelayMargin: 0.0114 DMFrequency: 136.5946

Stable: 1

Bode Diagram of Margin

```
figure
margin(C_pi * G_sys_tf)
xlim([omega_min, omega_max])
grid on
```



As a result, the single only integral controller is a pretty weird result. However, looking at the results it does make sense.

Sensivity Transfer Function

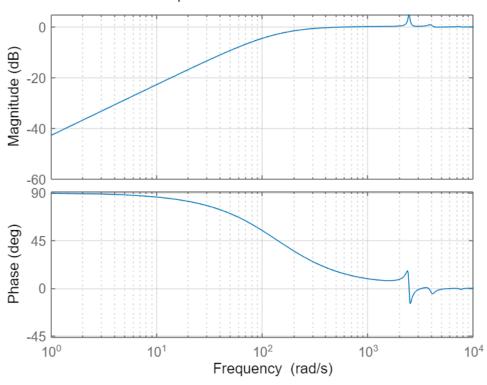
$$S_pi = zpk(1/(1+C_pi*G_sys))$$

```
S_pi =
```

Continuous-time zero/pole/gain model.

```
figure
bode(S_pi)
title('S_{pi}(j omega) - Bode Diagram')
grid on
```

S_{pi}(j omega) - Bode Diagram



Complimentary Transfer Function

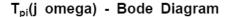
```
T_pi = zpk(1/(1+C_pi*G_sys))
```

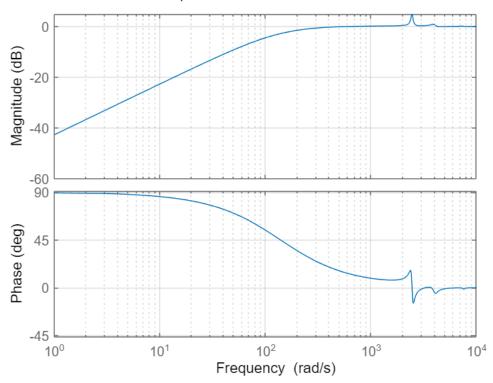
```
T_pi =
```

```
s (s^2 + 186.2s + 6.029e06) (s^2 + 482.7s + 1.6e07) (s^2 + 352.5s + 5.621e07)
(s+138.6) (s^2 + 108.1s + 5.995e06) (s^2 + 446.2s + 1.584e07) (s^2 + 349.8s + 5.615e07)
```

Continuous-time zero/pole/gain model.

```
figure
bode(T_pi)
title('T_{pi}(j omega) - Bode Diagram')
grid on
```





Bandwith Calculation

```
bw_threshold = -3; %db
bw = getGainCrossover(S_pi, db2mag(bw_threshold))
```

bw = 134.4361

Double Integrator implimenation

Instead we can also include an additional integrator into the controller, i.e.

```
G_int = tf(1,[1, 0]);
[C_pi_int, info] = pidtune(G_int * G_sys, 'pi', opt)
```

```
allmargin(C_pi_int * G_int * G_sys)
```

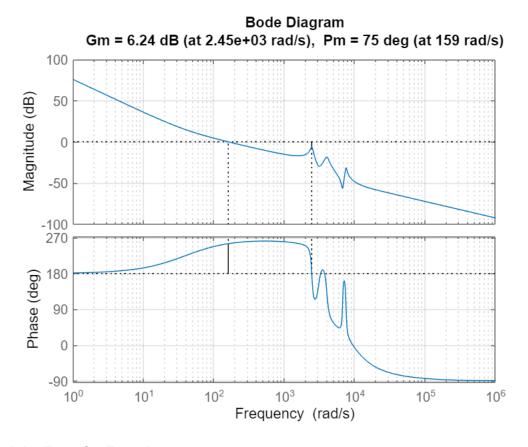
ans = struct with fields:

GainMargin: [0 2.0518 27.8933 11.9425]

GMFrequency: [0 2.4457e+03 3.2626e+03 3.7282e+03]

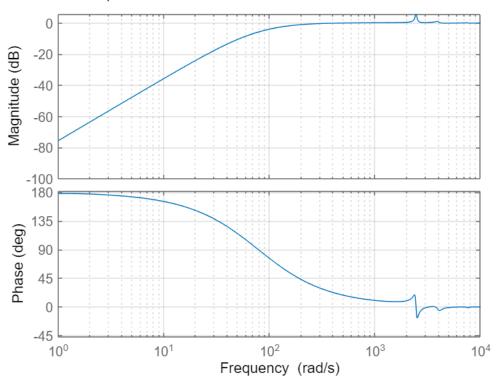
PhaseMargin: 75.0002 PMFrequency: 159.0759 DelayMargin: 0.0082 DMFrequency: 159.0759 Stable: 1

```
figure
margin(C_pi_int * G_int * G_sys)
grid on
```



Sensivity Transfer Function

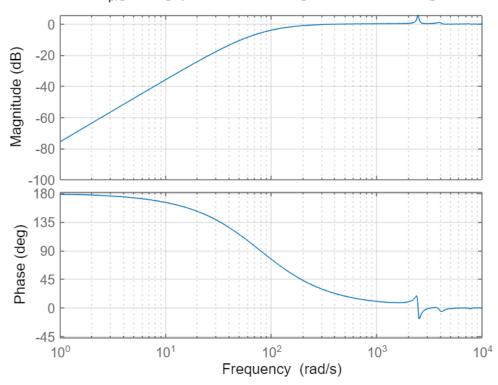




Complimentary Transfer Function

```
figure
bode(T_pi_int)
title('T_{pi}(j omega) w/ Double Integrator - Bode Diagram')
grid on
```

T_{pi}(j omega) w/ Double Integrator - Bode Diagram



Bandwith Calculation

```
bw_threshold = -3; %db
bw = getGainCrossover(S_pi_int, db2mag(bw_threshold))
```

bw = 117.7945

The bandwidth of this method is not as great as the original PI implimenation. I think the performance is better in certain situation though and may be worth implimenting (even if it isn't really a PI controller)

Part c

Specs:

- 1. Bandwidth ($|S(j\omega)| = -3$ dB) is around 250 Hz
- 2. $|S(j\omega)| \leq 1.5 \ \forall_{\omega}$
- 3. Slope below bandwidth = 20 dB/decade
- 4. DC gain of $S \le -80 \,\mathrm{dB}$
- 5. $|T(j\omega)| < -3 \, \text{dB}$ @ 500 Hz
- 6. $|T(j\omega)| \leq 1.5 \ \forall_{\omega}$
- 7. $|T(j\omega)| < -40 \,\mathrm{dB}$ as $\omega \to \infty$
- 8. $|C_{\infty}S(j\omega)| \leq 10 \ \forall_{\omega}$

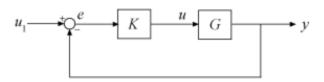
Design Weights

In order design using the mixed sensitivity design approach, we shape $S_{pi}(s)$ and $T_{pi}(s)$ to achieve the desired performance and robustness specs using weighting functions that are inverse of thoose desired shapes.

[K,CL,gamma,info] = mixsyn(G,W1,W2,W3) computes a controller that minimizes the H_{∞} norm of the weighted closed-loop transfer function

$$M(s) = \begin{bmatrix} W_1 S \\ W_2 K S \\ W_3 T \end{bmatrix},$$

where $S = (I + GK)^{-1}$ and T = (I - S) is the complementary sensitivity of the following control system.



mixsyn computes the controller K that yields the minimum $||M(s)||_{\infty}$, which is returned as gamma. For the returned controller K,

$$||S||_{\infty} \le \gamma |W_1^{-1}|$$

 $||KS||_{\infty} \le \gamma |W_2^{-1}|$
 $||T||_{\infty} \le \gamma |W_3^{-1}|.$

Description

makeweight is a convenient way to specify loop shapes, target gain profiles, or weighting functions for applications such as controller synthesis and control system tuning.

W = makeweight(dcgain,[freq,mag],hfgain) creates a first-order, continuous-time weight W(s) satisfying these constraints:

example

```
W(0) = dcgain

W(Inf) = hfgain

|W(j \cdot freq)| = mag.
```

In other words, the gain of W passes through mag at the finite frequency freq.

$$W_1$$
 - Shaping S : $||S||_{\infty} \le \gamma |W_1^{-1}|$

```
dcgain_1 = db2mag(-80);% Spec 4
hfgain_1 = 1.5; % Spec 2
bw_1 = 250; % Spec 1
W_1 = makeweight(dcgain_1, [2*pi*bw_1, db2mag(-3)], hfgain_1)
```

```
B =
        u1
    x1 64
   C =
    у1
       -68.77
   D =
         u1
    y1 1.5
 Continuous-time state-space model.
                       ||KS||_{\infty} \le \gamma |W_2^{-1}|
W_2 - Shaping KS:
 u_max = 10;
 W_2 = tf(1/u_max)
 W_2 =
   0.1
 Static gain.
                    ||T||_{\infty} \le \gamma |W_3^{-1}|
W_3 - Shaping T:
 dcgain_3 = 1.5; % Spec 6 (max KS should be less then 1.5)
 hfgain_3 = db2mag(-40); % Spec 7
 bw_3 = 450; %should be less then 500 to ensure below -3dB @ 500 Hz
 W_3 = makeweight(dcgain_3, [2*pi*bw_3, db2mag(-3)], hfgain_3)
 W_3 =
   A =
           x1
    x1
       -1513
        u1
    x1
       64
   C =
           х1
    y1 35.24
   D =
          u1
```

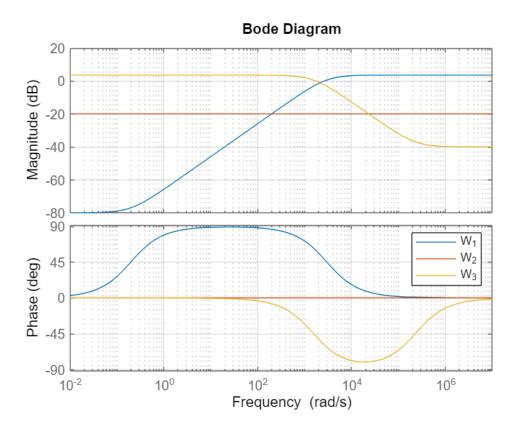
Plotting Weighting functions

Continuous-time state-space model.

y1 0.01

```
figure
hold on
bode(W_1)
bode(W_2)
```

```
bode(W_3)
legend('W_1','W_2','W_3')
grid on
```



H_{∞} controller Calculation

x8 223.3

```
[C_Hinf,CL,gamma,info] = mixsyn(G_sys,W_1,W_2,W_3)
C Hinf =
 A =
                                                               x5
                                                                                                    x8
              x1
                           x2
                                       х3
                                                   х4
                                                                           х6
                                                                                       x7
            -2934
                                2.547e-11
  х1
                   -1.51e-10
                                            4.657e-10
                                                       -9.313e-10
                                                                    6.985e-10
                                                                               -1.164e-10
                                                                                             8.731e-11
  x2
       9.353e+04
                   -1.527e+04
                               -5.738e+04
                                           -3.866e+06
                                                        4.894e+06
                                                                   -4.182e+06
                                                                                2.764e+06
                                                                                            -6.636e+05
  x3
       8.488e+04
                  -1.249e+04
                               -6.017e+04
                                           -3.487e+06
                                                         4.42e+06
                                                                   -3.774e+06
                                                                                2.486e+06
                                                                                            -5.914e+05
                                                                                5.494e+06
  х4
       1.871e+05
                  -2.752e+04
                                -1.34e+05
                                           -7.697e+06
                                                        9.756e+06
                                                                   -8.331e+06
                                                                                            -1.311e+06
        2.75e+05
                  -4.046e+04
                               -1.924e+05
                                                        1.434e+07
                                                                                8.074e+06
                                                                                            -1.925e+06
  x5
                                           -1.132e+07
                                                                   -1.224e+07
       2.989e+05
                  -4.397e+04
                               -2.114e+05
                                           -1.23e+07
                                                        1.558e+07
                                                                   -1.331e+07
                                                                                8.781e+06
                                                                                           -2.095e+06
  хб
       1.908e+05
                  -2.807e+04
                               -1.336e+05
                                           -7.853e+06
                                                         9.95e+06
                                                                   -8.497e+06
                                                                                 5.601e+06
                                                                                           -1.334e+06
  х7
       1.841e+05 -2.709e+04
                               -1.308e+05
                                          -7.576e+06
                                                          9.6e+06 -8.198e+06
                                                                                5.405e+06
                                                                                           -1.291e+06
  x8
  B =
          u1
  х1
          64
      113.4
  x2
  х3
         103
      226.9
  х4
      333.6
  х5
      362.5
  хб
       231.4
  х7
```

Continuous-time state-space model.

CL =

A =									
	x1	x2	x3	x4	x5	х6	x7	x8	x9
x1	-2934	0	-2633	5266	-5266	5266	-5266	2633	-3.373e+04
x2	0	-1513	2633	-5266	5266	-5266	5266	-2633	3.373e+04
x3	0	0	-5704	1.701e+04	-1.701e+04	1.701e+04	-1.701e+04	8506	3.062e+04
x4	0	0	-1.402e+04	2.523e+04	-2.243e+04	2.243e+04	-2.243e+04	1.121e+04	6.747e+04
x5	0	0	-1.59e+04	3.18e+04	-3.46e+04	3.74e+04	-3.74e+04	1.87e+04	9.92e+04
x6	0	0	-1.961e+04	3.922e+04	-3.922e+04	3.642e+04	-3.362e+04	1.681e+04	1.078e+05
x7	0	0	-1.121e+04	2.241e+04	-2.241e+04	2.241e+04	-2.522e+04	1.401e+04	6.88e+04
x8	0	0	-1.262e+04	2.523e+04	-2.523e+04	2.523e+04	-2.523e+04	9815	6.641e+04
x9	0	0	-2633	5266	-5266	5266	-5266	2633	-3.667e+04
x10	0	0	-4667	9335	-9335	9335	-9335	4667	3.373e+04
x11	0	0	-4236	8472	-8472	8472	-8472	4236	3.062e+04
x12	0	0	-9335	1.867e+04	-1.867e+04	1.867e+04	-1.867e+04	9335	6.747e+04
x13	0	0	-1.372e+04	2.745e+04	-2.745e+04	2.745e+04	-2.745e+04	1.372e+04	9.92e+04
x14	0	0	-1.492e+04	2.983e+04	-2.983e+04	2.983e+04	-2.983e+04	1.492e+04	1.078e+05
x15	0	0	-9520	1.904e+04	-1.904e+04	1.904e+04	-1.904e+04	9520	6.88e+04
x16	0	0	-9189	1.838e+04	-1.838e+04	1.838e+04	-1.838e+04	9189	6.641e+04

B = u1 x1 23.08 x2 40.92 x3 37.13 x4 81.83 x5 120.3 x6 130.8 x7 83.45 x8 80.55 x9 23.08 x10 40.92 x11 37.13 x12 81.83 x13 120.3 x14 130.8 x15 83.45

D = u1
y1 0.541
y2 0.7203
y3 0.006393

x16 80.55

Input groups:

```
Name
            Channels
    U1
              1
Output groups:
   Name
           Channels
    Υ1
            1,2,3
Continuous-time state-space model.
gamma = 1.4549
info =
 hinfINFO with properties:
    gamma: 1.4549
       X: [8×8 double]
       Y: [8×8 double]
       Ku: [-325.4596 42.8192 1.8687e+03 9.4406e+03 -1.4372e+04 1.3922e+04 -1.0845e+04 3.5761e+03]
       Kw: [-869.6446 127.2423 943.6919 3.5037e+04 -4.4783e+04 3.8441e+04 -2.5510e+04 6.1675e+03]
      Lx: [8×1 double]
      Lu: 7.2026
    Preg: [5×2 ss]
      AS: [2×2 ss]
```

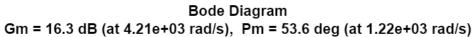
Part d

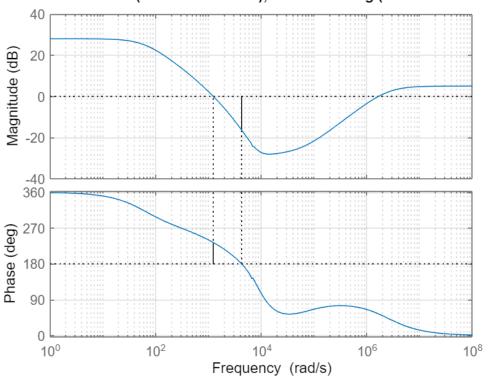
H_{∞} -controller Margin Calculations

```
allmargin(C_Hinf*G_sys)

ans = struct with fields:
    GainMargin: 6.5542
    GMFrequency: 4.2065e+03
    PhaseMargin: [53.6057 -125.7859]
    PMFrequency: [1.2243e+03 1.6588e+06]
    DelayMargin: [7.6422e-04 2.4644e-06 0]
    DMFrequency: [1.2243e+03 1.6588e+06 Inf]
        Stable: 1

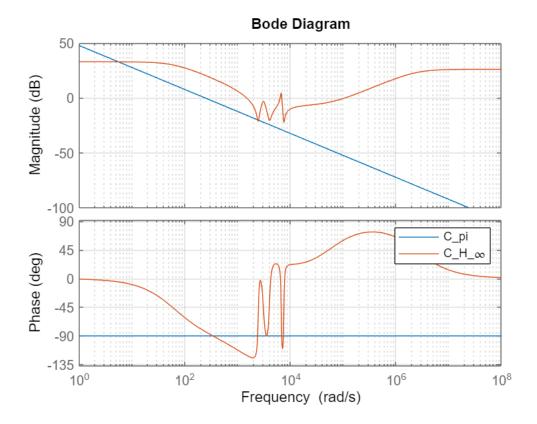
figure
margin(C_Hinf * G_sys)
grid on
```





PI - vs H_{∞} - controller Bode Comparrision

```
figure
hold on
bode(C_pi)
bode(C_Hinf)
legend('C_{pi}', 'C_{H_\infty}')
grid on
```

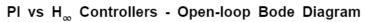


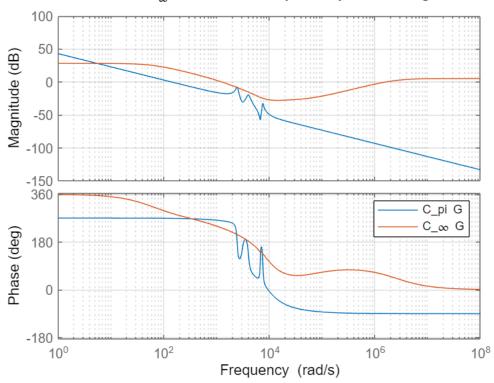
Loop Transfer Functions

```
sys_pi = feedback(C_pi * G_sys, 1);
sys_Hinf = feedback(C_Hinf * G_sys, 1);
```

Bode Open Loop

```
figure
hold on
bode(C_pi * G_sys, C_Hinf * G_sys)
legend('C_{pi} G', 'C_\infty G')
title('PI vs H_\infty Controllers - Open-loop Bode Diagram')
grid on
```

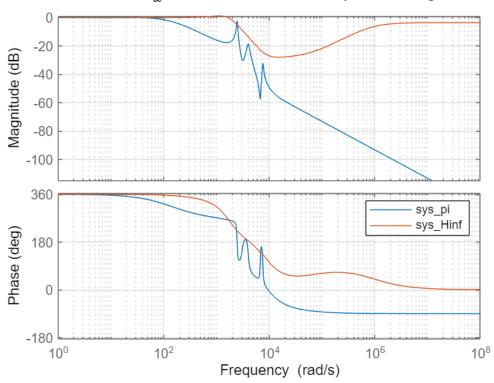




Bode Closed Loop

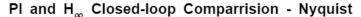
```
figure
hold on
bode(sys_pi,sys_Hinf)
legend
title('PI vs H_\infty Controllers - Closed-loop Bode Diagram')
grid on
```

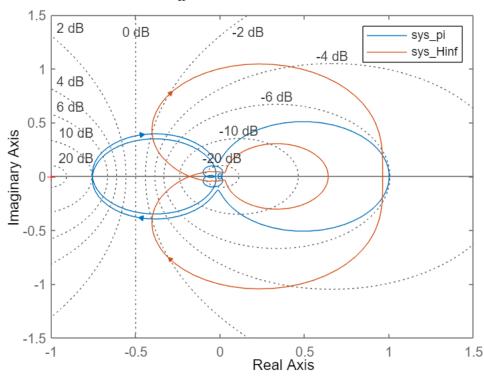
 $\text{PI} \text{ vs } \text{H}_{\infty} \text{ Controllers} \text{ - Closed-loop Bode Diagram}$



Nyquist Loops

```
figure
nyquist(sys_pi, sys_Hinf)
legend
title('PI and H_\infty Closed-loop Comparrision - Nyquist')
grid on
```





Problem 2

The Generic Transport Model (GTM) is a turbine powered subscale model of a civilian transport aircraft, which was developed by NASA Langley as a platform to validate control laws. The model has a wing span of 7 ft, and weighs around 55 lbs. Under normal operation, the aircraft flies at an altitude of 700 to 1100 ft, and with an airspeed of 70 and 85 knots. In this problem you will use the signal-weighted H_{∞} method to design a control law for the GTM.

A nonlinear simulation model of the GTM has been developed from extensive wind tunnel and flight tests. The model can be linearized at a particular flight condition, yielding a linear model of the aircraft dynamics. The nominal fight condition for control design is level flight at 800 ft and 80 knots. The longitudinal short-period dynamics, denoted G, are described by the following state equation:

$$\frac{\mathrm{d}}{\mathrm{d}t} \begin{bmatrix} \alpha \\ q \end{bmatrix} = \begin{bmatrix} -2.4714 & 0.9514 \\ -43.9070 & -3.4738 \end{bmatrix} \begin{bmatrix} \alpha \\ q \end{bmatrix} + \begin{bmatrix} -0.2501 \\ -44.9478 \end{bmatrix} \delta_{elev}$$

where the state vector corresponds to angle-of-attack α [rad] and pitch rate q [rad/s]. The control surface input is elevator deflection δ_{elev} [rad]. The elevator actuator is modeled as a 5 Hz (= 31.42 rad/sec) first-order filter with DC gain equal to 1. This actuator saturates at 0.349 rads, i.e., it is physically constrained to $\delta_{elev} \leq 0.349$ rads. A rate gyro sensor measures pitch rate with noise that has standard deviation of 0.0067 rad/sec.

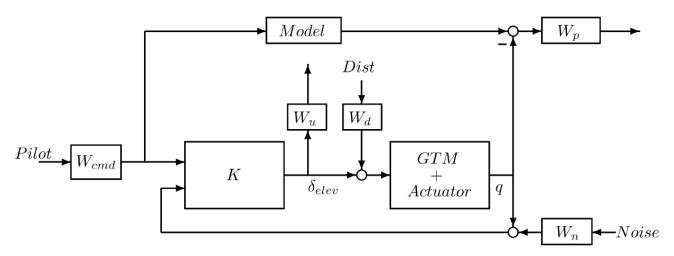


Fig. 2: Longitudinal system interconnection.

The main control objective is to design a Stability Augmentation System (SAS) to increase damping in the aircraft's oscillatory modes. A model-matching H_{∞} control problem is formulated to achieve the desired robustness and performance characteristics. The longitudinal control system interconnection is shown in Figure 2. The inputs to the controller are pilot longitudinal stick command and pitch rate feedback. The actual input commands are assumed to have magnitude ≤ 0.2618 rads. The ideal model for matching is denoted as "Model" in the diagram. It will be chosen to mimic the open-loop aircraft behavior at low and high frequency but with improved damping in the oscillatory modes.

```
clear
close all
```

Model Definition

Plant Definition

```
A = [
    - 2.4714
                  0.9514
    -43.9070
                 -3.4738
];
B = [
    - 0.2501
    -44.9478
1;
C = [0 \ 1];
D = 0;
G = ss(A,B,C,D);
G.InputName = 'delta elev sat';
G.StateName = {'alpha', 'q'};
G.OutputName = {'q'}
```

G =

```
A =
        alpha
 alpha -2.471 0.9514
        -43.91 -3.474
B =
        delta elev s
 alpha
           -0.2501
             -44.95
 q
C =
   alpha
 q
D =
   delta_elev_s
 q
```

Continuous-time state-space model.

Actuator Defintion

First order Actuator filter

Saturation?

Note: idk how to actually impliment a nonlinearity within this type of a system... so idk, do we just want another crazy filter going to zero at 0.349 somehow? idk, why aren't we using Simulink since it would be way easier (even if we did it via code...)

```
A =
   From input "delta_elev_sum" to output "delta_elev_sat":
     31.416
     .....(s+31.42)
Continuous-time zero/pole/gain model.
```

Rate Gyro Sensor Error

Just a change in standard diveation from 1 to 0.0067...

[wn_G, zeta_G, p_G] = damp(G)

```
std_gyro = 0.0067;
W_n = tf(std_gyro);
W_n.InputName = 'Noise';
W_n.OutputName = 'q_noise'

W_n =
From input "Noise" to output "q_noise":
0.0067

Static gain.
```

Part a

```
wn G = 2 \times 1
   7.0964
   7.0964
zeta_G = 2 \times 1
   0.4189
   0.4189
p_G = 2 \times 1 \text{ complex}
 -2.9726 + 6.4438i
 -2.9726 - 6.4438i
zeta_damp = 0.8;
p_G_damp = wn_G .* (acos(zeta_damp) + 1i * asin(zeta_damp) * [1; -1]);
G_damp = zpk(minreal(G * zpk(p_G, p_G_damp, 1)));
2 states removed.
G_damp.InputName = 'Wcmd';
G damp.OutputName = 'q ideal'
G_damp =
 From input "W_cmd" to output "q_ideal":
   -44.948 (s+2.227)
 (s^2 - 9.133s + 64.15)
Continuous-time zero/pole/gain model.
```

[wn_G_damp, zeta_G_damp, p_G_damp] = damp(G_damp)

```
wn_G_damp = 2 \times 1
    8.0097
    8.0097
zeta G damp = 2 \times 1
   -0.5701
    -0.5701
p G damp = 2 \times 1 complex
   4.5665 + 6.5804i
   4.5665 - 6.5804i
```

Part b

```
W_n - Gyro measurment error std
 W_n % Gyro std from above
 W n =
   From input "Noise" to output "q_noise":
 Static gain.
W_u - Output to a normalized
 W_u = tf(0.349); % delta_elev normalized from delta_elev = [-0.349,0.349] to W_cmd = [-0.2618,0]
 W_u.InputName = 'delta_elev';
 W_u.OutputName = 'Wu'
 W u =
   From input "delta elev" to output "Wu":
   0.349
 Static gain.
W_{cmd} - Pilot comand input to setpoint
 W_{cmd} = tf(0.2618); % Input normalized from Pilot = [-1,1] to W_{cmd} = [-0.2618,0.2618]
 W cmd.InputName = 'Pilot';
 W_cmd.OutputName = 'Wcmd'
 W cmd =
   From input "Pilot" to output "Wcmd":
   0.2618
 Static gain.
W_p - Plant error output
 error_max = 0.01;
 W_p = tf(1/error_max); % Normalize from q = [-0.01, 0.01] to W_p = [-1, 1]
 W_p.InputName = 'e';
 W p.OutputName = 'Wp'
```

```
W_p =
  From input "e" to output "Wp":
  100
Static gain.
```

W_d - Disturbance Input

```
delta_limit = 0.349;
W_d_max = 0.15;
W_d = tf(delta_limit * W_d_max); % Gussing the Input normalized from u = [-1,1] to W_d = 0.15;
W_d.InputName = 'Dist';
W_d.OutputName = 'delta_elev_dist'
W_d =
From input "Dist" to output "delta_elev_dist":
0.05235
Static gain.
```

Part c

Although... I'm not sure why we are using connect (or even more outdated syssic) and all of this outdated structuring method instead of just setting this up and implimenting it within Simulink

Connect Definitions

Also... what's up with δ_{elev} as an "input"...

```
% input_to_P = '[u]';
% input_to_WS = '[r-P]';
% input_to_WK = '[u]';
% Gs = sysic;
```

```
e_sum = sumblk('e = q_ideal - q');
q_sum = sumblk('q_sensor = q + q_noise');
delta_sum = sumblk('delta_elev_sum = delta_elev + delta_elev_dist')
delta sum =
 From input "delta_elev" to output "delta_elev_sum":
 From input "delta_elev_dist" to output "delta_elev_sum":
Static gain.
P = connect( ...
    G, G_act, G_sat, Model, W_n, W_d, W_p, W_u, W_cmd,...
    e_sum, q_sum, delta_sum,...
    inputvar, outputvar)
Warning: The following block inputs are not used: W_cmd.
 A =
          alpha
                    a
  alpha -2.471 0.9514 -1.964
         -43.91 -3.474
                        -353
  ?
             0
                     0 -31.42
 B =
              Pilot
                          Dist
                                    Noise delta_elev
  alpha
                 0
                             0
                                        0
                 0
                             0
                                        0
                                                   0
  q
  ?
                 0
                        0.2094
                                        0
                                                   4
            alpha
                             ?
                   -100
  Wp
               0
                             0
               0
                      0
                             0
  Wu
               0
                      0
                             0
  Wcmd
                      1
                             0
  q_sensor
 D =
                Pilot
                             Dist
                                       Noise delta elev
  Wp
                    0
                               0
                                           0
  Wu
                    0
                               0
                                           0
                                                  0.349
               0.2618
  Wcmd
                                      0.0067
                                                      0
  q_sensor
Continuous-time state-space model.
```

Final Parts

```
fname = matlab.desktop.editor.getActiveFilename;
export(fname, 'MECH6323_HW07.pdf')
```

ans =

 $\verb|'C:\Users\Jonas\OneDrive - The University of Texas at Dallas\2022_Spring\MECH6323\MECH6323_HW07.pdf'| \\$