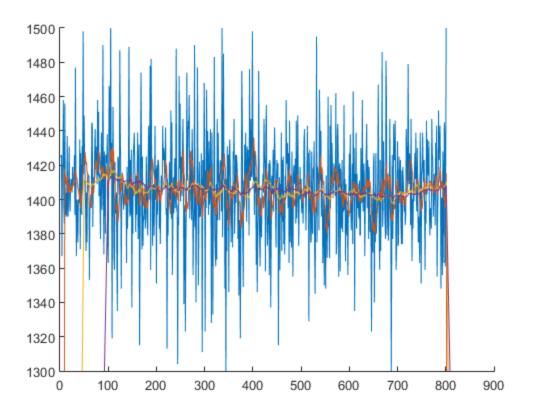
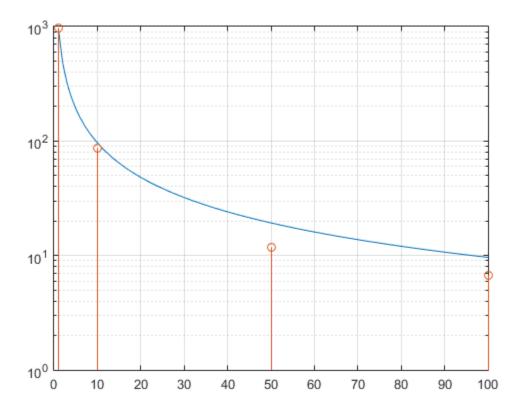
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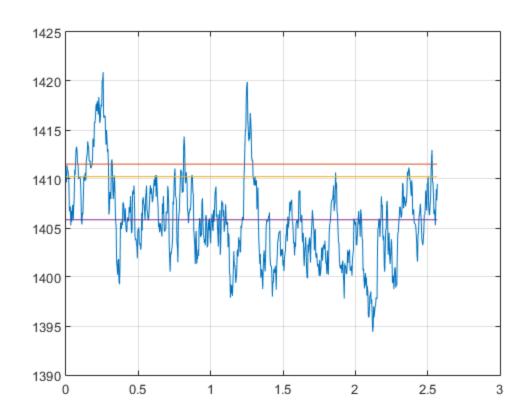
```
close all
clear
clc
load('vejecelle_data.mat'); % 1kg under 1020 -- uden lod over 1020
data=vejecelle_data;
clear vejecelle_data;
data_mlod = data(100:900);
data_ulod = data(1500:2300);
h10=ones(1,10)/10;
h50=ones(1,50)/50;
h100=ones(1,100)/100;
data_ulod_10=conv(h10,data_ulod);
data_ulod_50=conv(h50,data_ulod);
data_ulod_100=conv(h100,data_ulod);
figure
hold on
plot(data_ulod)
plot(data_ulod_10)
plot(data_ulod_50)
plot(data_ulod_100)
ylim([1300,1500])
avg_meas=[mean(data_ulod), mean(data_ulod_10(11:end-11)),
mean(data_ulod_50(51:end-51)), mean(data_ulod_100(101:end-101))];
rms_meas=[std(data_ulod), std(data_ulod_10(11:end-11)),
std(data_ulod_50(51:end-51)), std(data_ulod_100(101:end-101))];
var_meas=rms_meas.^2;
var_calc=var_meas(1)./[1:100];
figure
semilogy([1:100],var_calc)
hold on
grid on
stem([1 10 50 100], var_meas)
```





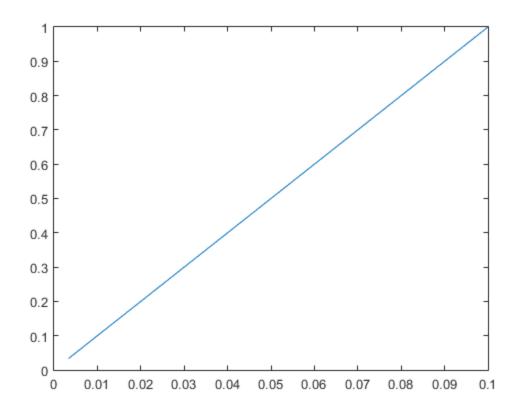
Krav max indsvingningstid 100ms

```
Ts=fs^-1
M=floor(0.1/Ts) % runder ned da ellers vil kravet ikke være opfyldt,
 dog
                % går tallet lige op så det er ikke noget problem men
 for
                % god ordens skyld bruges floor alligevel.
h_{M=ones(1,M)/M};
data_ulod_M=conv(data_ulod,h_M);
mean_M=mean(data_ulod_M(M:end-M))
var_calc_M=var_meas(1)/M
rms_calc_M=sqrt(var_calc_M)
rms_M=std(data_ulod_M(M:end-M))
var_M=rms_M^2
figure
plot([0:length(data_ulod_M)-M*2]*Ts, data_ulod_M(M:end-M))
hold on
grid on
plot([0:length(data_ulod_M)-M*2]*Ts, (rms_calc_M
+mean_M)*ones(1,length(data_ulod_M)-M*2+1));
plot([0:length(data_ulod_M)-M*2]*Ts, (rms_M
+mean_M)*ones(1,length(data_ulod_M)-M*2+1));
plot([0:length(data_ulod_M)-M*2]*Ts,
 (mean_M)*ones(1,length(data_ulod_M)-M*2+1));
Ts =
    0.0033
M =
    30
mean_M =
   1.4058e+03
var calc M =
   32.0997
```



Step test for at se om det opfylder kravet.

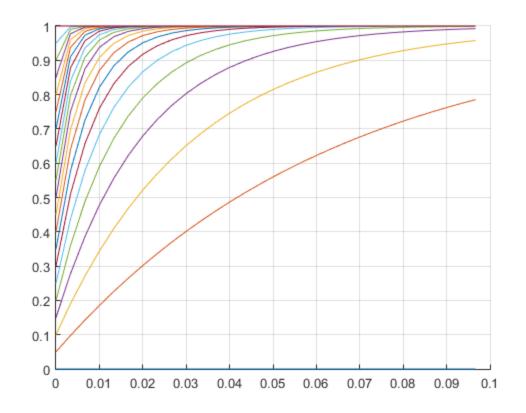
```
step_M=conv(h_M, ones(1, M));
figure
plot([1:length(step_M)-M+1]*Ts,step_M(1:end-M+1)) % kravet er opfyldt.
```

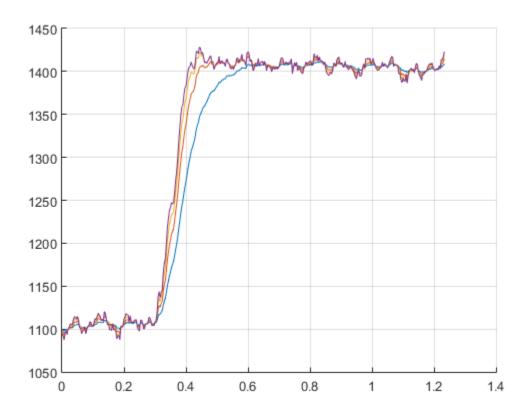


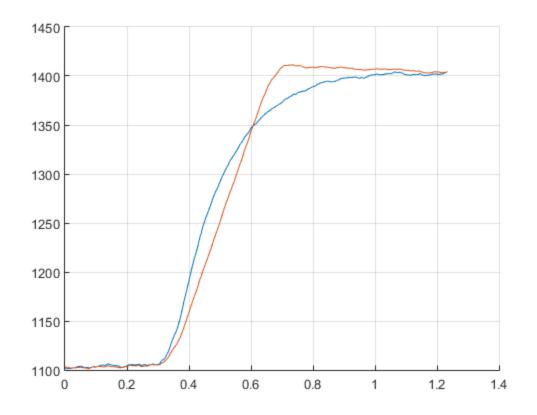
Eksponentielt midlingsfilter.

```
% test værdier af alfa.
x=ones(1,M);
figure
hold on
grid on
for a=[0:0.05:1]
  [b, a]=ExpMean(a);
  y=filter(b,a, x);
  plot([0:length(y)-1]*Ts, y);
end
x=data;
indsving=[930:1300];
figure
hold on
grid on
for a=[0.05:0.05:0.2]
   [b, a]=ExpMean(a);
  y=filter(b,a, x);
  plot([0:length(y(indsving))-1]*Ts, y(indsving));
end
```

```
% udfra dette kan det ses at alfa nok skal være omkrin 0.2.
% udregn hvad alfa skal være hvis den skal have samme dæmpning som
vores
% 100 \text{ ordens filter. ay}^2=(a/(2-a))*ax^2
a=(2*var_calc(100))/(var_meas(1)+var_calc(100))
[b, a]=ExpMean(a);
figure
hold on
grid on
y=filter(b,a, x);
plot([0:length(y(indsving))-1]*Ts, y(indsving));
rms_exp=std(y(1500:2300))
var_exp=rms_exp^2
var_calc(100)
rms_calc_100=sqrt(var_calc(100))
data_100=conv(h100,data);
plot([0:length(data_100(indsving))-1]*Ts, data_100(indsving));
% det kan ses at Eksponentielt midlingsfilter reagere hurtigere end
det 100
% ordens filter, dog har den en længere indsvingningstid.
a =
    0.0198
rms\_exp =
    3.2040
var_exp =
   10.2657
ans =
    9.6299
rms\_calc\_100 =
    3.1032
```



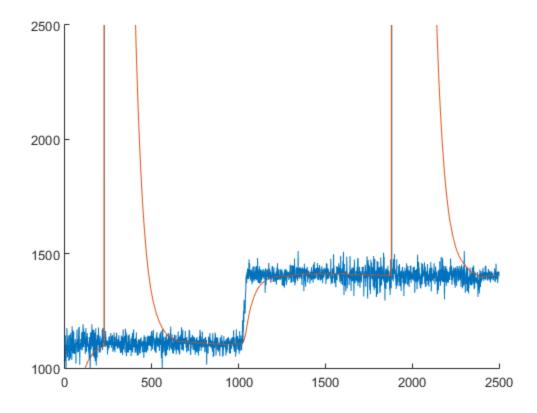


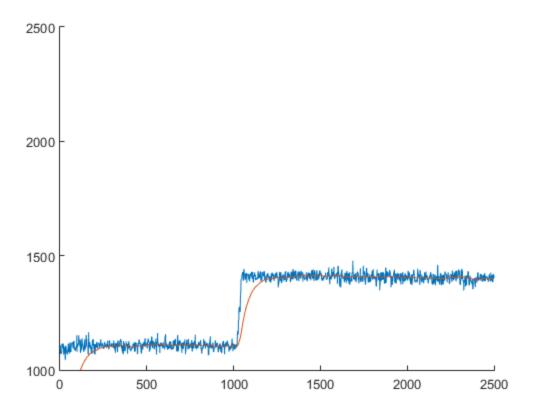


ekstra opgave håndtering af korrupt data. med median filter

```
data_korrupt=data;
for i=1:length(data_korrupt);
    if(rand >= 0.999)
        data_korrupt(i)=round((2^24)*rand);
    end
end
figure
hold on
plot(data_korrupt)
plot(filter(b,a,data_korrupt))
ylim([1000,2500])
y=medfilt1(data_korrupt, 3);
figure
hold on
plot(y)
plot(filter(b,a,y))
```

```
ylim([1000,2500])
eksempel=median([1 2 2 2 inf 1 1 1])
eksempel =
    1.5000
```





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