

1. A.) 0110 0001 1111
 - First step is to convert to decimal
 - $0 \times 2^{11} + 1 \times 2^{10} + 1 \times 2^9 + \dots + 1 \times 2^0$
 - Decimal representation is 1567
 - Now we convert to hexadecimal
 - 61FB.) 1000 1111 1100
 - First step is always to convert to decimal using the same method as A
 - Decimal representation is 2300
 - Convert to hexadecimal
 - 8FCC.) 0001 0110 0100 0101
 - Convert to decimal
 - Decimal representation is 5701
 - Convert to hexadecimal
 - 1645
2. A.) 1100 1010
 - Signed: -54 (Same steps as question 1 but leading digit is sign)
 - 1s complement: -53 (always 1 more than decimal)
 - 2s complement: -54 (2s is same)B.) 1111 0010
 - Signed: -14 (Same steps as question 1 but leading digit is sign)
 - 1s complement: -13 (always 1 more than decimal)
 - 2s complement: -14 (2s is same)C.) 1000 0111
 - Signed: -121 (Same steps as question 1 but leading digit is sign)
 - 1s complement: -120 (always 1 more than decimal)
 - 2s complement: -121 (2s is same)
3. A.) $-100_{(10)}$
 - Take -100 and divide by two keeping the remainder
 - Assuming signed 8 bit: 1001 1100
 - 1s complement: 0110 0011 (invert digits)
 - 2s complement: 0110 00100 (add 1 to end of 1s complement)B.) $-16_{(10)}$
 - Take -16 and divide by two, keeping the remainder

- Assuming signed 8 bit: 1111 0000
- 1s complement: 0000 1111
- 2s complement: 0001 0000

C.) $-21_{(10)}$

- Take -21 and divide by two, keeping the remainder
- Assuming signed 8 bit: 1110 1011
- 1s complement: 0001 0100
- 2s complement: 0001 0101

D.) $-0_{(10)}$

- 0000 0000
- 1s complement: 1111 1111
- 2s complement: 0001 0000 0000

4. A.) Range of an unsigned 7-bit number?

- Range is typically 0 to (2^n-1) , so it is 0 to (2^7-1)
- 0 to 127

B.) Range of a signed 7-bit number?

- Range with signed is $(2^{n-1}-1)$ to $(2^{n-1}-1)$; signed on both
- (2^6-1) to (2^6-1) ; -63 to 63

5. A.) 1000 AND 1110

- Check each bit (if both are 1, then the result is 1)
- 1000

B.) 1000 OR 1110

- Check each bit (if either is 1, then result is 1)
- 1110

C.) (1000 AND 1110) OR (1001 AND 1110)

- AND operations first – (1000) OR (1000)
- OR operation second: 1000

6. $25 - 65 = -40$

- Not sure how to show work on word, but I will describe in words as best as I can
- Take the 1s place and subtract $(5 - 5) = 0$; We are left with $20 - 60$ (since this operation would be invalid for positive math, we will need to go into the negative)
- Flip the equation and do $60 - 20$ and add the sign back; -40

7. Verify the answer from Q6 using conversion of 2s and decimal numbers

- 25 in binary is 0001 1001
- 64 in 2s complement is 1011 1111
- Subtraction in 2s complement would follow the same steps, but carry from larger bit and add
- $0001\ 1001 + 1011\ 1111 = 1101\ 1000$
- 1101 1000 converted to decimal is -40