

# UNDERSTANDING THE TRADE-OFF BETWEEN UTILITY AND RISK IN CART BASED MODELS USING SIMULATION DATA

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#### DATA

From Reiter et al., 2014

"We use a simple simulation scenario that illustrates many of the main issues: protecting a 2<sup>4</sup> binary table with fully synthetic data. For  $i = 1, \dots, 1000 = n$ , let  $y_i = (y_{1i}, y_{2i}, y_{3i}, y_{4i})$  comprise four binary variables. Let each of the K=16 possible combinations be denoted  $c_k$ , where  $k=1,\ldots,16$ . Let  $c_{16}=(0,0,0,0)$ , and let  $C_{-16}=(c_1,\ldots,c_{15})$ . We generate an observed dataset D as follows. For i = 1, ..., n - 1 = 999, sample  $y_i$  from a multinomial distribution such that  $p(y_i = c_k) = 1/15$  for all  $c_k \in C - 16$ . Set  $y_{1000} = c_{16}$ . Since we do full synthesis,  $X = \theta$ "

## **VARIABLE FREQUENCY**

Figure 1

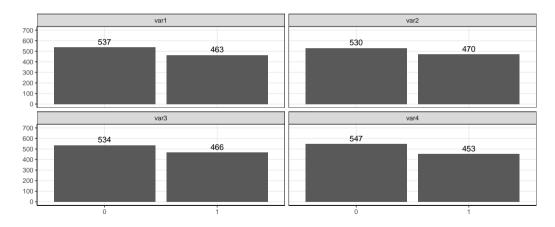
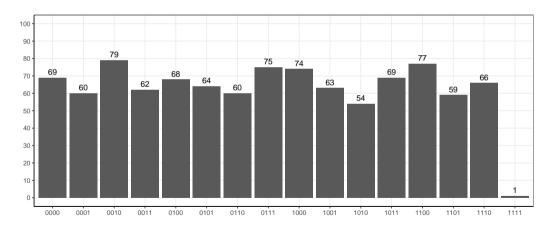


Figure 2

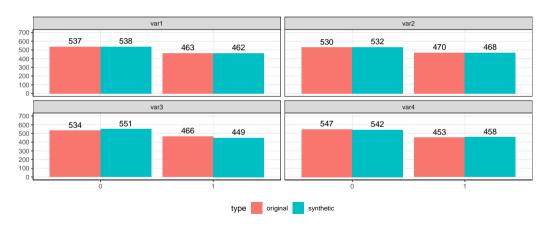


#### **SYNTHPOP**

```
1 > sds <- syn(df_ods, m=1)
Warning: In your synthesis there are numeric variables with 5 or fewer levels: var1, var2, var3, var4.
Consider changing them to factors. You can do it using parameter 'minnumlevels'.
Synthesis
 var1 var2 var3 var4
```

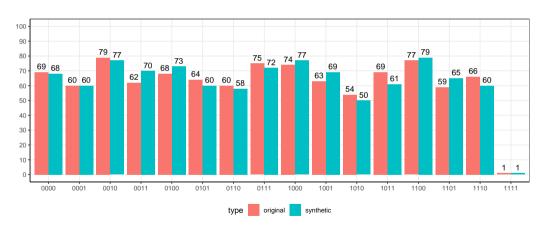
## COMPARE FREQUENCY (NUMERICAL)

Figure 3



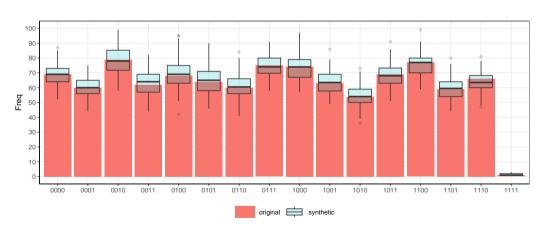
## COMPARE HISTOGRAM (NUMERICAL)

Figure 4



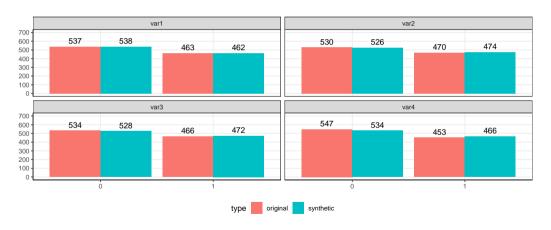
## COMPARE HISTOGRAM (NUMERICAL) X 100 SYNTHETIC DATASETS

Figure 5



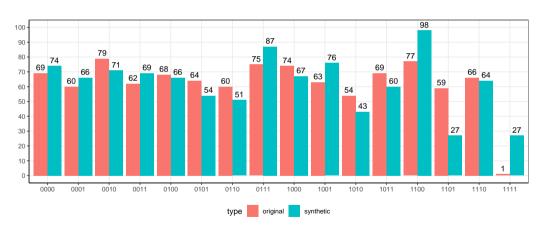
## COMPARE FREQUENCY (CATEGORICAL)

Figure 6



## COMPARE HISTOGRAM (CATEGORICAL)

Figure 7



## COMPARE HISTOGRAM (CATEGORICAL) X 100 SYNTHETIC DATASETS

Figure 8

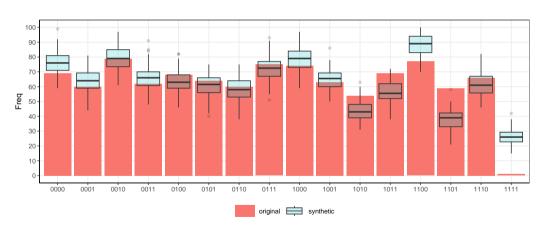
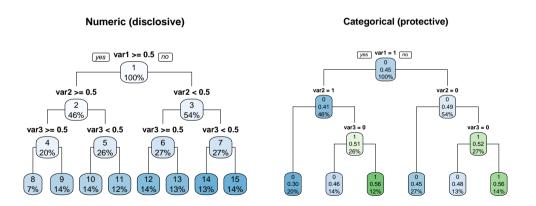


Figure 9



#### **HISTOGRAM WITH DIFFERENTIAL PRIVACY**

Figure 10

