

# Weak PRF Protocol: Pseudocode

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## 1 Fully Distributive Evaluation Protocol

The key is structured as a vector in  $\mathbb{Z}_2$

The protocol is divided into three phases:

### 1.1 Phase 1:

Each server  $S_i$  holds replicated additive shares of key  $k_i \in \mathbb{Z}_n^2$  and  $x_i \in \mathbb{Z}_n^2$  and computes  $h$ , which is the multiplication of key and input over  $\mathbb{Z}_2$ . This computation is performed locally.

### 1.2 Phase 2:

1. Each server, at this point have locally computed their shares, which was the multiplication of two vectors.
2. Server 1 randomly chooses a value  $c \in \mathbb{Z}_3^m$  and each bit of value is converted to it's 2-bit representation to form  $c_0$  and  $c_1$  respectively.
3. Meanwhile, Server 1, 2 and 3 runs sub-protocol for  $m$  instances ( $m$  is the length of additive share and also the value of  $c$ , which is with server 1).

For  $1 \leq j \leq m$ :

Each server  $s_i, i \in 1, 2, 3$  share their input  $h_{i,j}$  [Note:  $h_{i,j}$  is the input of server  $s_i$  in  $j^{th}$  iteration ]

Compute combined XOR of their input:  $comb := h_1 \oplus h_2 \oplus h_{13}$

Multiply one part of  $c$ , ( $c_0$ ), with  $comb$  and other part ( $c_1$ ) with  $\neg comb$  and XOR both the result, this forms  $d_0$ .

To compute  $d_1$ , XOR the  $c_0$  and  $\neg c_1$ , and multiply the result with the XOR of secret share of the servers.

The final result  $d = d_0, d_1 \in \{0, 1\}^2$  is converted back into  $\mathbb{Z}_3$

At the end of this phase, Server 1 has  $c \in \{0,1\}^m$  and Server 2 has received the output  $d \in \mathbb{Z}_3$

### 1.3 Phase 3:

Explanation: