## Interest rate corridors, liquidity and credit frictions

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## Monetary policy implementation has evolved since the Great Moderation

Expanded toolkit – balance sheet policies, more prominent role for forward guidance, credit easing policies etc

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- ► US: interest on reserve balances
- ► Negative interest rates

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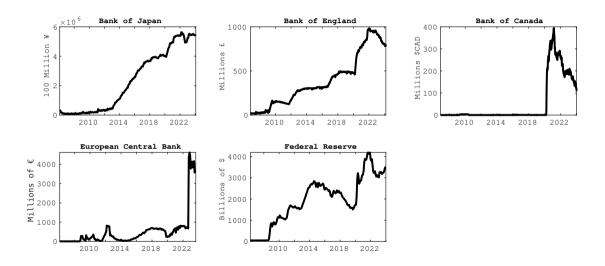
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Implementation of 'conventional' monetary policy also shifted, e.g.:

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These policies contributed to a big increase in banking sector excess reserves

## Banking sector reserves



## This paper

- ► I seek to build a model with endogenous excess reserves
- ► To study the interaction between QE, policy corridors, and lending conditions
- ► To study the important trade-offs in a structural model
- ► To study the impact of the ZLB and the role of negative interest rates
- ► To explore the role of QE on bank lending
- ► To study optimal policy

## Corridor system 1/2

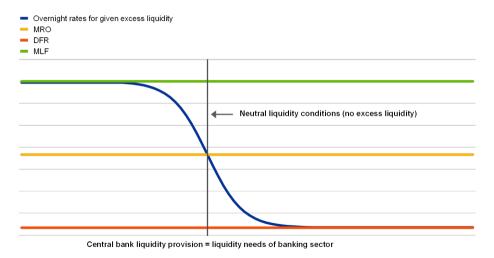
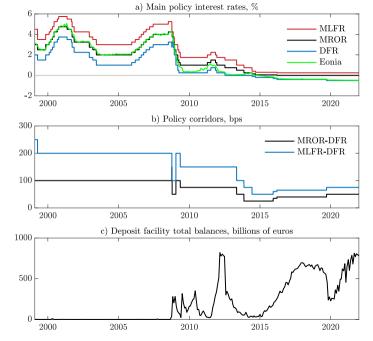


Figure: From Eisenschmidt, Kedan & Tietz (2018) (ECB Economic Bulletin 2018(5))

# ECB interest rates



## Corridor system 2/2

- ▶ Width of interest rate corridor to manage the volatility of overnight rate (Bindseil & Jabłecki 2011)
  - ► Narrow corridor → low volatility
  - ► Wide corridor → high interbank market volumes
- ► High reserve balances → floor becomes more important
  - ► Floor (CB deposit rate) becomes main policy interest rate
  - ▶ Deposit rate lowered to incentivize increased lending to real economy
  - ▶ Draghi (2015): "cuts in the rate on the deposit facility vastly improve the transmission of our monetary policy"

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It is very early stage – comments very welcome!

## Snapshot of results: model and credit friction

#### New Keynesian model with:

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#### Main mechanism:

- ► Central bank deposit facility is an outside option for banks
- ▶ When adverse selection is bad (e.g., high risk), banks can ration credit
- ► CB deposit rate (IoR) affects incentives
- ► If IoR relatively high, banks ration credit more

## Snapshot of results: initial results

#### Provisional results:

- ightharpoonup If ZLB squeezes corridor ightarrow more credit rationing
  - ▶ additional cost of ZLB
  - ► importance of negative rates
- ► QE can be used as an additional tool
  - ► Can shift monetary policy towards a floor system
- ► Away from ZLB, two main channels:
  - ▶ lowers overnight rate compared to main policy target rate usual demand channel expansion ↑
  - ► increases incentive to ration credit contraction ↓
  - ► Which effect dominates depends on financial conditions (firm risk)
- ► At the ZLB, I find QE can always help

#### Model Overview

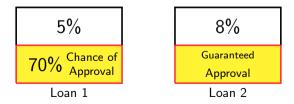
#### New Keynesian (Calvo) model frictional bank lending:

- ► Follow Swarbrick (2023) Stiglitz & Weiss (1981) information problem (see also, e.g., Ikeda 2020)
- ► 'Small firms' and 'large firms' (proportion exogenous, firm type random)
- ► Small firms all same size (need 1 unit of external finance)
- ► Each period draw either risky/safe projects, project type private information
- Banks can separate borrowers using loan approval
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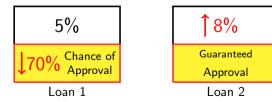
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- ▶ When risk is high, banks can ration credit and hold excess reserves (paying CB deposit rate)



## Banks

Using central banks liquidity and HH deposits:

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### **Banks**

#### Using central banks liquidity and HH deposits:

- $\blacktriangleright$  banks post loan contracts specifying interest rate  $\tau_t^i$  and approval probability  $x_t^i$
- $ightharpoonup au_t^i$  and  $x_t^i$  chosen solve:

$$\max_{\substack{x_t^s, x_t' \\ \tau_t^s, \tau_t'}} \mathbb{E}_t \left[ \frac{\Lambda_{t,t+1}}{\Pi_{t,t+1}} \left( \lambda x_t^s \left( \tau_t^s - \frac{R_t^*}{R_t} \right) + (1 - \lambda) x_t^r \left( p_{t+1}^r \tau_t^r - \frac{R_t^*}{R_t} \right) \right) \right]$$
(1)

$$\lambda x_t^s + (1 - \lambda) x_t^r \le \bar{x}_t \tag{3}$$

$$0 \le x_t^s \le x_t^r \le 1 \tag{4}$$

- ► IR constraint binds for safe firms (no expected profits)
- ► IC constraint binds for risky firms (earn expected profits to reveal type)
- ▶ IC, IR also  $\Rightarrow \tau_t^r \ge \tau_t^s$ ,  $x_t^r \ge x_t^s$
- ightharpoonup is opportunity cost of funds (e.g., interest on reserve balances)

(2)

## Monetary policy

Standard Taylor rule

$$r_t^{mro} = \bar{r} + \gamma_\pi \left( \pi_{t-1,t} - \pi^* \right) + \gamma_y \left( y_t - \bar{y} \right) \tag{5}$$

- ► Think of this as the central bank setting the main refinancing rate at regular full -allotment auctions
- ▶ Interest rate on HH deposits  $R_t = R_t^{mro}$  in equilbrium

Central bank also has two standing facilities

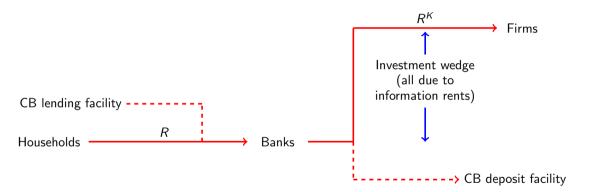
- ▶ Deposit facility paying  $R_t^{df}$  (excess reserves)
- ► Lending facility charging  $R_t^{lf}$

We also allow the bank to conduct QE through purchasing assets from HHs — more on this if time

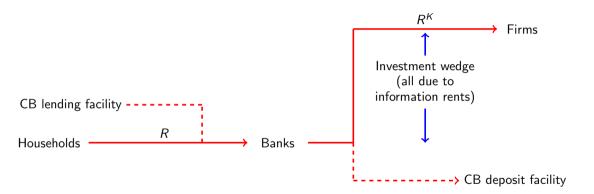
Benchmark - efficient financial markets

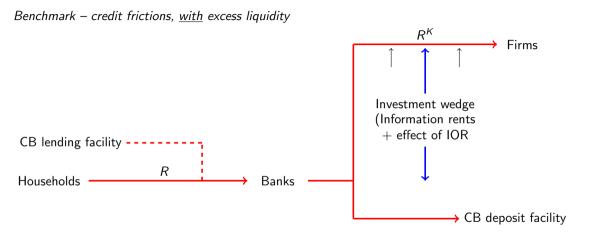


Benchmark - credit frictions, no excess liquidity



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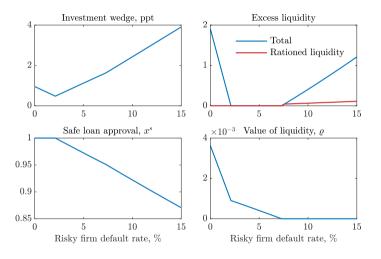


Note: interest rate corridor only matters when banks hold excess reserves

## Excess liquidity can arise from two sources

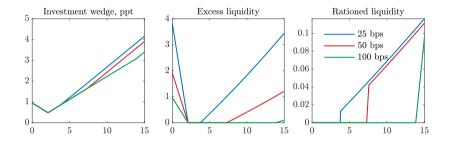
- 1. More liquidity available than firms looking for loans at equilibrium interest rates
  - ► Depends on risk and entry costs
  - ▶ Lower risk  $\rightarrow$  lower firm profits
  - ► Low profits + high entry costs = few firms
  - ightharpoonup Fewer firms ightharpoonup less investment ightharpoonup higher marginal return on capital
  - Excess liquidity in banking sector and positive spread
- 2. Banks ration credit due to high level of risk
  - ► To raise risky loan interest rates, banks must lower approval of safe loans
  - ▶ I.e., cannot only tighten standards on high-interest rate loans
  - ► Safe borrowers rationed
  - ► Banks hold excess reserves instead

## Comparative statics – effect of risk

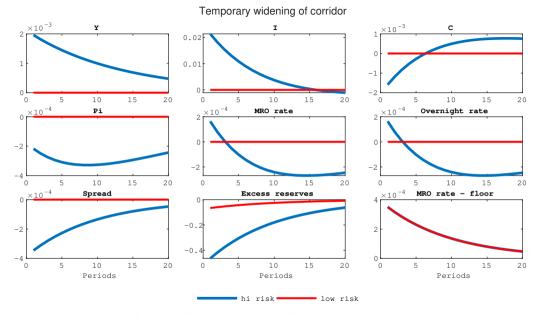


Result: large region with no excess reserves – the interest rate corridor has no role

## Comparative statics – role of corridor



Result: changes in deposit rate only affect economy through the effect on credit rationing.



Note: shows deviations from SS % or ppt (inflation/interest rates). Excess reserves are reserves/loans ratio

## Quantitative Easing

The equilibrium interest rate depends on the volume of banking sector liquidity

- ► Suppose the CB purchases assets from HHs or injects bank liquidity directly
- ▶ Banks will take liquidity as long as expected return = expected funding cost
- ▶ Expected bank return ( $L_t$  is loans,  $S_t$  is Assets = loans + reserves):

$$1 = \mathbb{E}_t \left[ \frac{\Lambda_{t,t+1}}{\Pi_{t,t+1}} \left( \underbrace{\left[ \lambda x_t^s + (1-\lambda) \left(1 - (1-p_{t+1}) \, x_t^s \right) \right] R_t^s \frac{L_t}{S_t}}_{\text{Return on lending}} + \underbrace{\left(1 - \left(\lambda x_t^s + (1-\lambda) \right) \frac{L_t}{S_t} \right) R_t^s}_{\text{Return on reserves}} \right) \right]$$

▶ This lowers average bank return, so will only clear at lower interest rate

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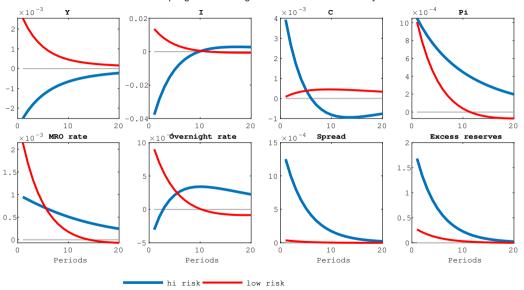
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#### Two competing effects

- ▶ With lower interest rates, banks pass on to more favourable lending conditions: lending ↑
- ► As equilibrium interest rate ↓ but CB deposit rate unchanged, incentive to ration credit: lending ↓

#### QE programme -- high risk vs. low risk economy



#### QE -- low risk economy, programme size effect 10 × 10 -3 $\times$ 10 $^{-3}$ Рi 0.02 -0.02 -0.04 -0.06 20 10 20 10 20 10 20 1.5 × 10 Overnight rate $imes 10^{\,-3}\,$ MRO rate Spread Excess reserves 0 -0.5

10

Periods

20

 $\times 10^{-3}$ 

10

10

Periods

20

0

10

Periods

small shock \_\_\_\_\_ medium shock \_\_\_\_\_ big shock

20

0

0

-2

20

10

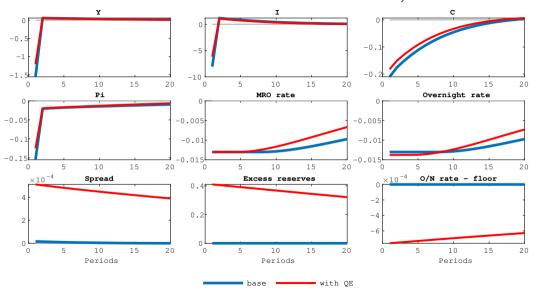
Periods

#### Demand shock with/without QE -- low risk economy Y -0.1 -1 -5 -10 0 5 10 15 20 5 10 15 20 10 15 20 Overnight rate Pi MRO rate -0.005 -0.005 -0.1 -0.01 -0.01 -0.2 -0.015 -0.015 5 10 15 20 10 15 20 10 15 20 20 ×10 -4 O/N rate - floor Spread Excess reserves 10 -5 F 0.5 5 10 15 20 10 15 20 10 15 20 0 0 5 0 5 Periods Periods Periods

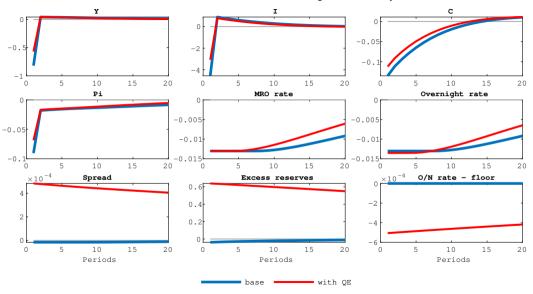
base

with OE

#### Demand shock with/without QE -- medium risk economy



#### Demand shock with/without QE -- high risk economy



#### References I

- Bindseil, U. & Jabłecki, J. (2011), The optimal width of the central bank standing facilities corridor and banks' day-to-day liquidity management, Working Paper Series 1350, European Central Bank.
- Draghi, M. (2015), 'Introductory statement to the press conference (with Q&A)'. 3 December 2015, European Central Bank, Frankfurt am Main.
  - **URL:** https://www.ecb.europa.eu/press/pressconf/2015/html/is151203.en.html
- Eisenschmidt, J., Kedan, D. & Tietz, R. (2018), IMeasuring fragmentation in the euro area unsecured overnight interbank money market: a monetary policy transmission approach, Economic Bulletin (2018), Issue 5, Frankfurt am Main.
- Ikeda, D. (2020), 'Adverse selection, lemons shocks and business cycles', *Journal of Monetary Economics* **115**, 94–112.
  - **URL:** https://www.sciencedirect.com/science/article/pii/S0304393219300947
- Stiglitz, J. E. & Weiss, A. (1981), 'Credit Rationing in Markets with Imperfect Information', *American Economic Review* **71**(3), 393–410.
- Swarbrick, J. (2023), 'Lending standards, productivity, and credit crunches', *Macroeconomic Dynamics* **27**(2), 456–481.

## Firms: large and small firms

- ▶ Differentiate between large (observable projects) and small (unobservable projects) firms
- ► Every period, firms draw their type (large/small) and a project (risky/safe):
  - 1.  $\lambda$  are safe known return, no risk of default
  - 2.  $1 \lambda$  are **risky** uncertain return, risk of default
- ▶ Project type doesn't matter for large firms as we'll assume equal NPV
- ► Entry costs new firms raise equity finance to enter ⇒ claim on future profits
- ► Firms must raise outside finance for ongoing investment

Firms raise k units of outside finance (loans)

- ightharpoonup convert to  $\omega_t^i k$  units of capital,  $i \in \{s, r\}$
- ightharpoonup succeed with probability  $p_{t+1}^i$ , otherwise yield zero
- $\blacktriangleright \ \omega_t^{\mathrm{s}} = p_t^{\mathrm{s}} = \omega_t^{\mathrm{r}} p_t^{\mathrm{r}} = 1, \ \omega_t^{\mathrm{r}} > 1, p_t^{\mathrm{r}} < 1$

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If funded, choose labour demand to maximise period profits:

$$V_{t}^{i} = \max_{h_{t}\left(\omega_{t}^{i}\right)} \left\{ \frac{P_{t}^{W}}{P_{t}} y_{t}\left(\omega_{t}^{i}\right) - \frac{W_{t}}{P_{t}} h_{t}\left(\omega_{t}^{i}\right) - \left(\frac{\tau_{t-1}^{i}}{\Pi_{t-1,t}} q_{t-1} - (1-\delta)\omega_{t}^{i} q_{t}\right) k + V_{t} \right\}$$
(6)

where

$$y_t\left(\omega_t^i\right) = z_t\left[\omega_t^i k\right]^{\alpha} \left[h_t\left(\omega_t^i\right)\right]^{1-\alpha}$$

3/6

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An important identity will by value of liquidity  $\varrho_t \geq 0$  ( $\psi$  is multiplier on  $x_t^r \geq x_t^s$  constraint):

Liquidity value 
$$= \varrho_t = \mathbb{E}_t \left[ \frac{\Lambda_{t,t+1}}{\Pi_{t,t+1}} \left( \left( 1 - \frac{1-\lambda}{\lambda} \left( 1 - \rho_{t+1} \right) \right) R_{t+1}^s - R_t^* \right) \right] - \psi_t$$
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## Optimal corridor

