

Evaluating ELA models for use in paleo-glaciology

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Introduction

Importance of ELA and paleo-glaciers...

Geomorphic features such as terminal moraines and cirque basins often provide reliable estimates of the max length, head-elevation, toe-elevation, slope, area, and aspects of paleo-glaciers.

We can use simple models to estimate ELA, which may provide insight into regional paleo-climate.

In this study we evaluate several ELA models by comparing observed ELAs with modeled ELAs in a subset of the World Glacier Inventory (WGI).

We also attempt to quantify the error of our simplest models.

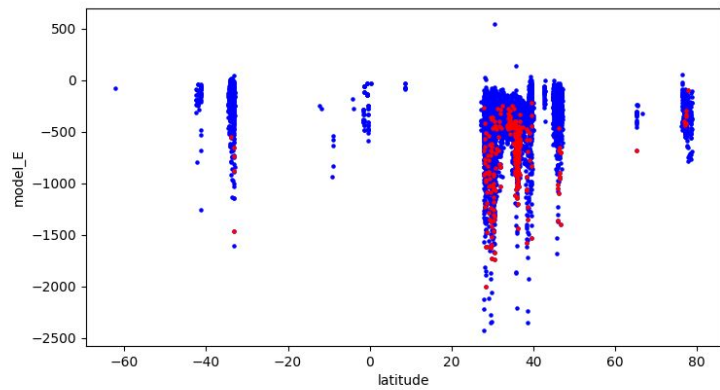
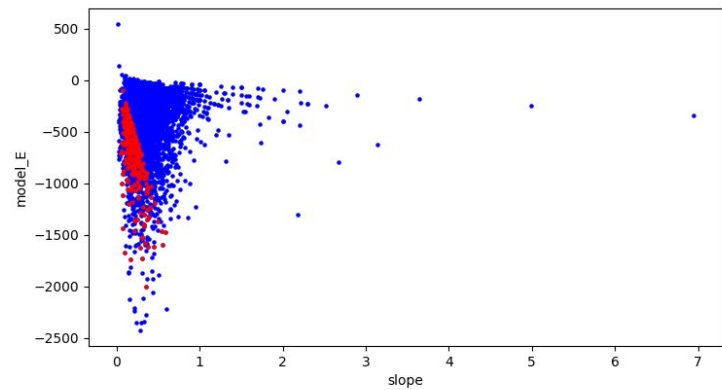
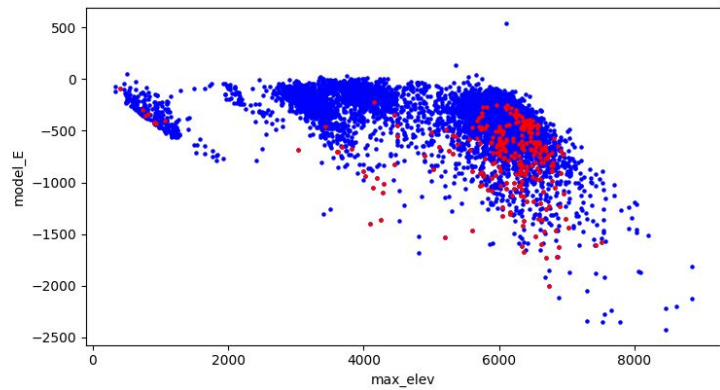
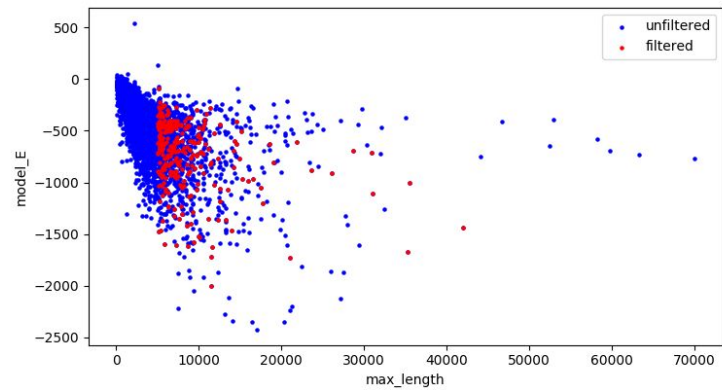
WGI dataset

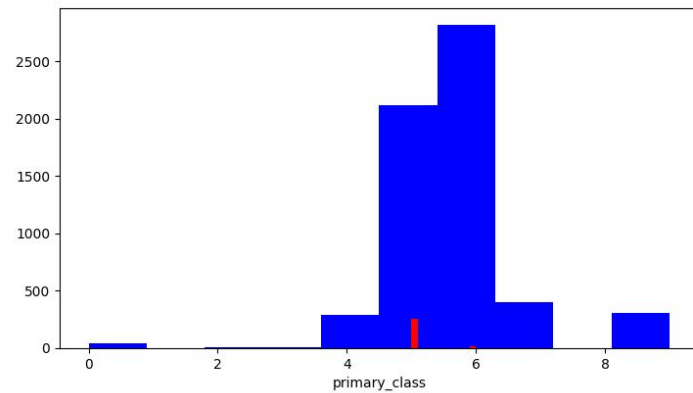
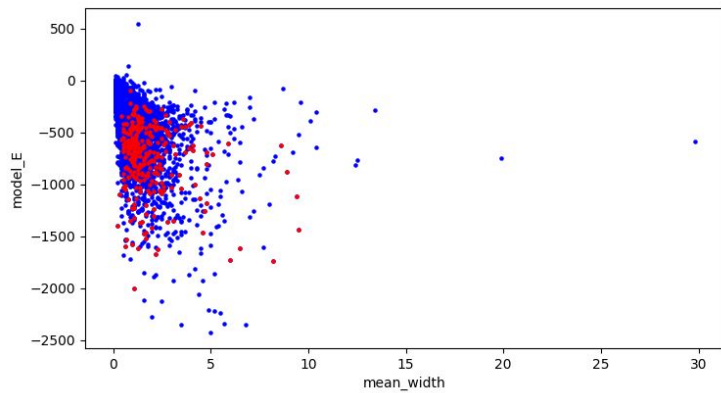
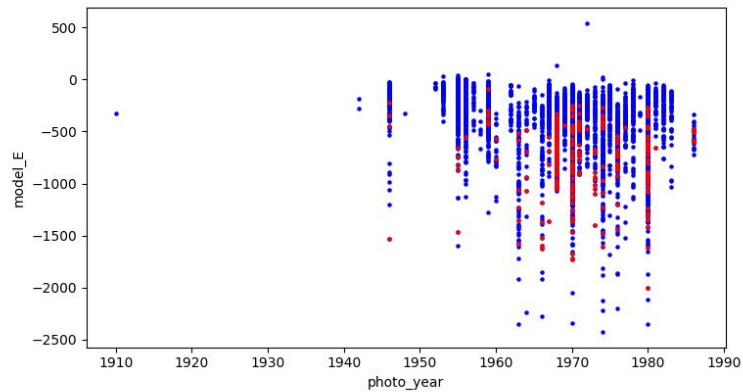
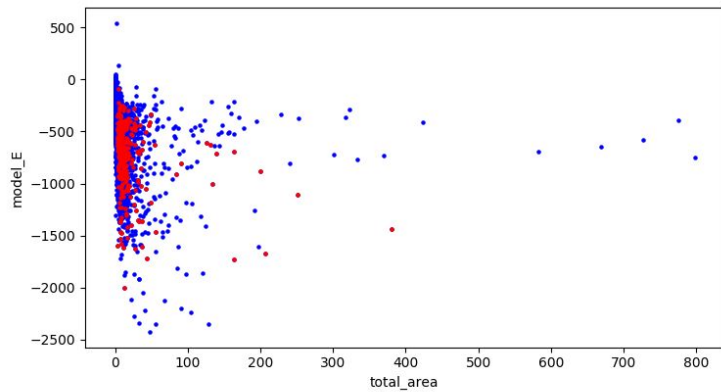
1. Filter World Glacier Inventory (WGI) dataset

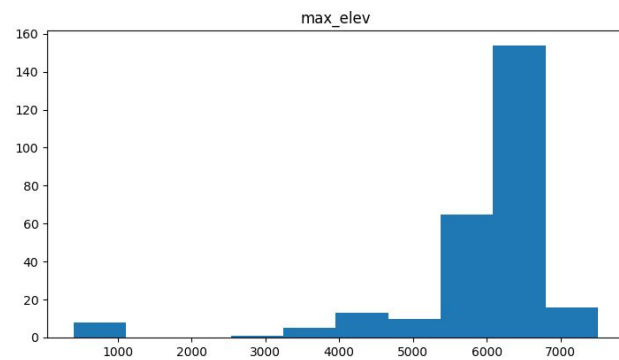
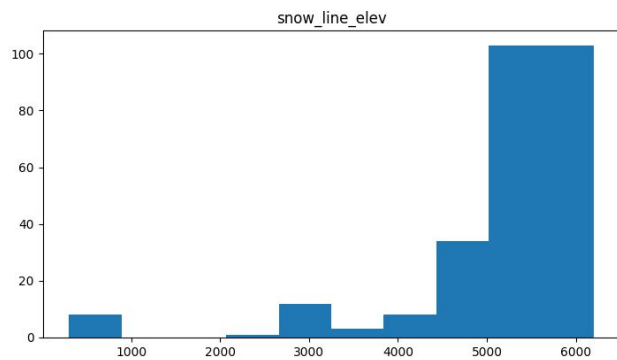
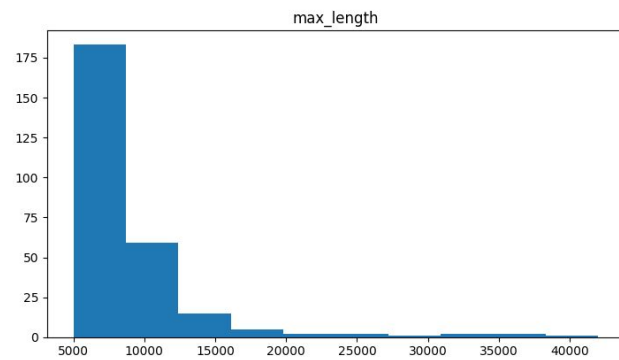
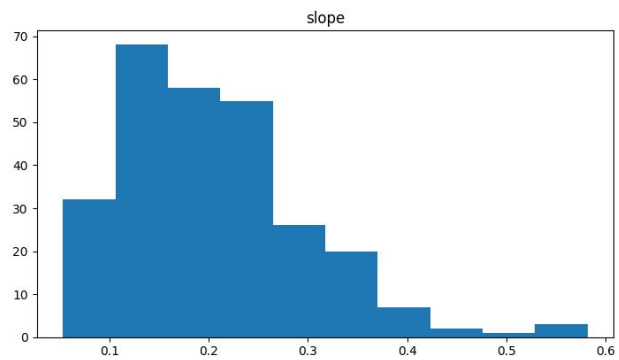
- a. Lengths between 5 km and 45 km (similar to Uinta paleo-glacier lengths)
- b. Slopes between 0 and 1 (rise/run)
- c. Mountain and valley glaciers
- d. Glaciers where the modeled length is within 15% of observed length
 - i. $L = (2/s) * ((\tau/(\rho * g * s)) + b_0 - E)$
 - ii. Glaciers where snowline close to ELA (assume: steady state, equation will get us close)
- e. Drop all remaining Nan

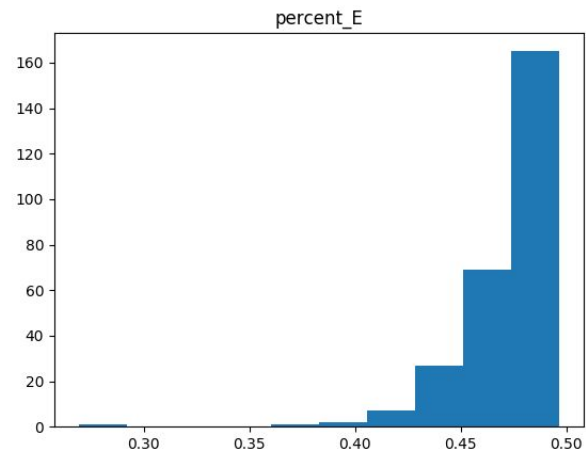
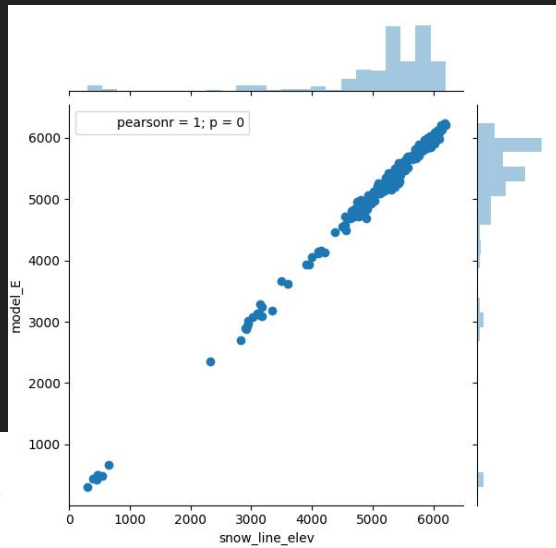
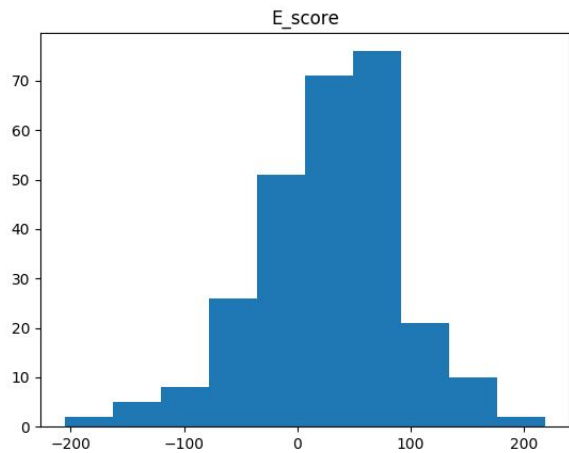
2. Data Validation

- a. Applied WGI variables to Oerlemans Eq. 2.1.4 for data validation--how well measured snowlines agree with modeled ELAs
 - i. Slope calculated from WGI variables-- $((Z_{\max} - Z_{\min}) / \text{Length})$
 - ii. Hm calculated using $\tau / \rho * g * \text{slope}$









Uinta Paleo-glaciers

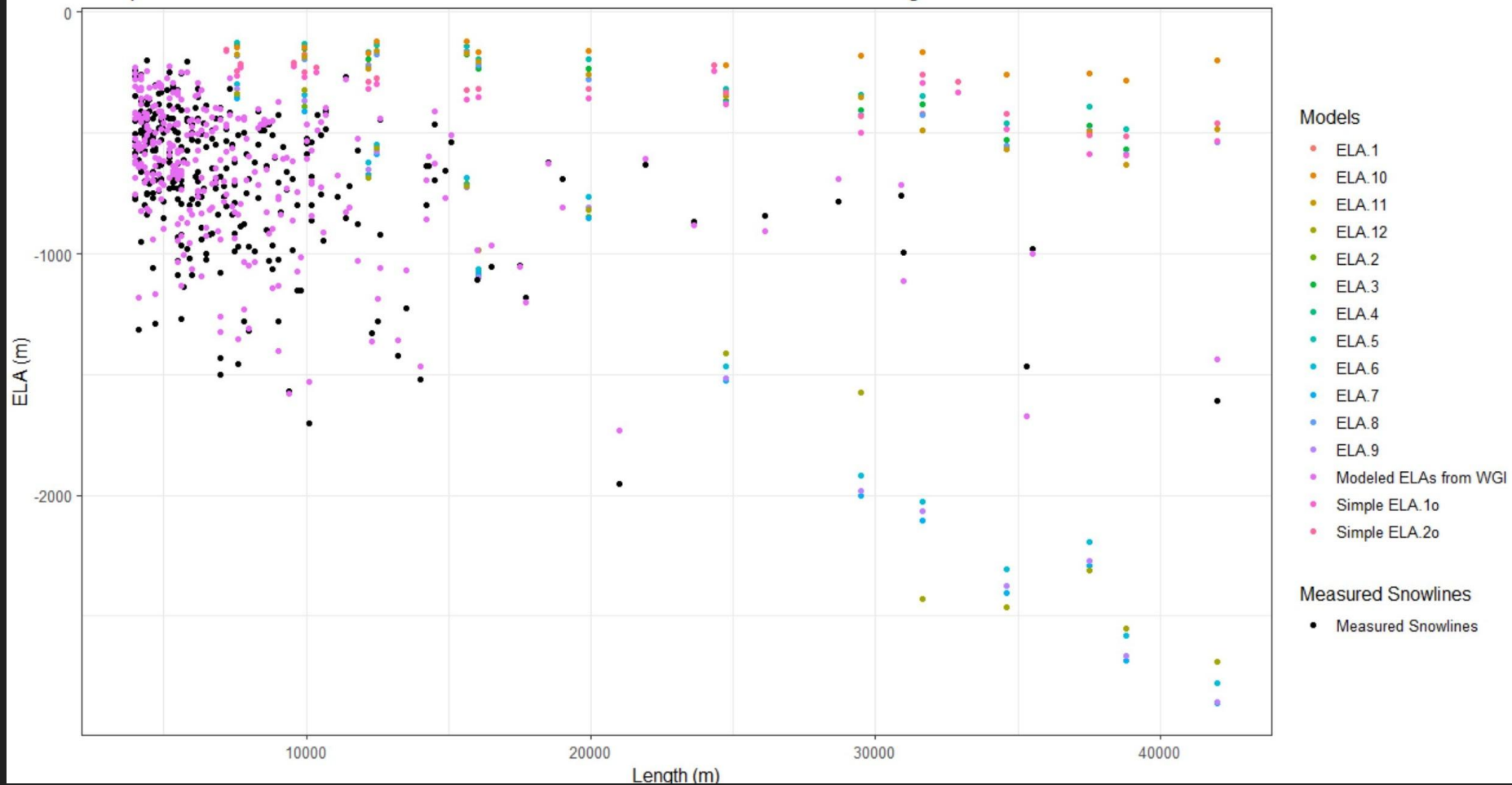
1. Analysis of DEMs and Ice Surface shapefile

- a. Created interpolated glacier surface according to polygons
- b. Split glaciers into upper basins and tongues
- c. Derived glacier model variables by calculating glacier volume, surface area, mean ice thickness, surface slope, bedrock slope, upper basin and lower basin widths from DEMs

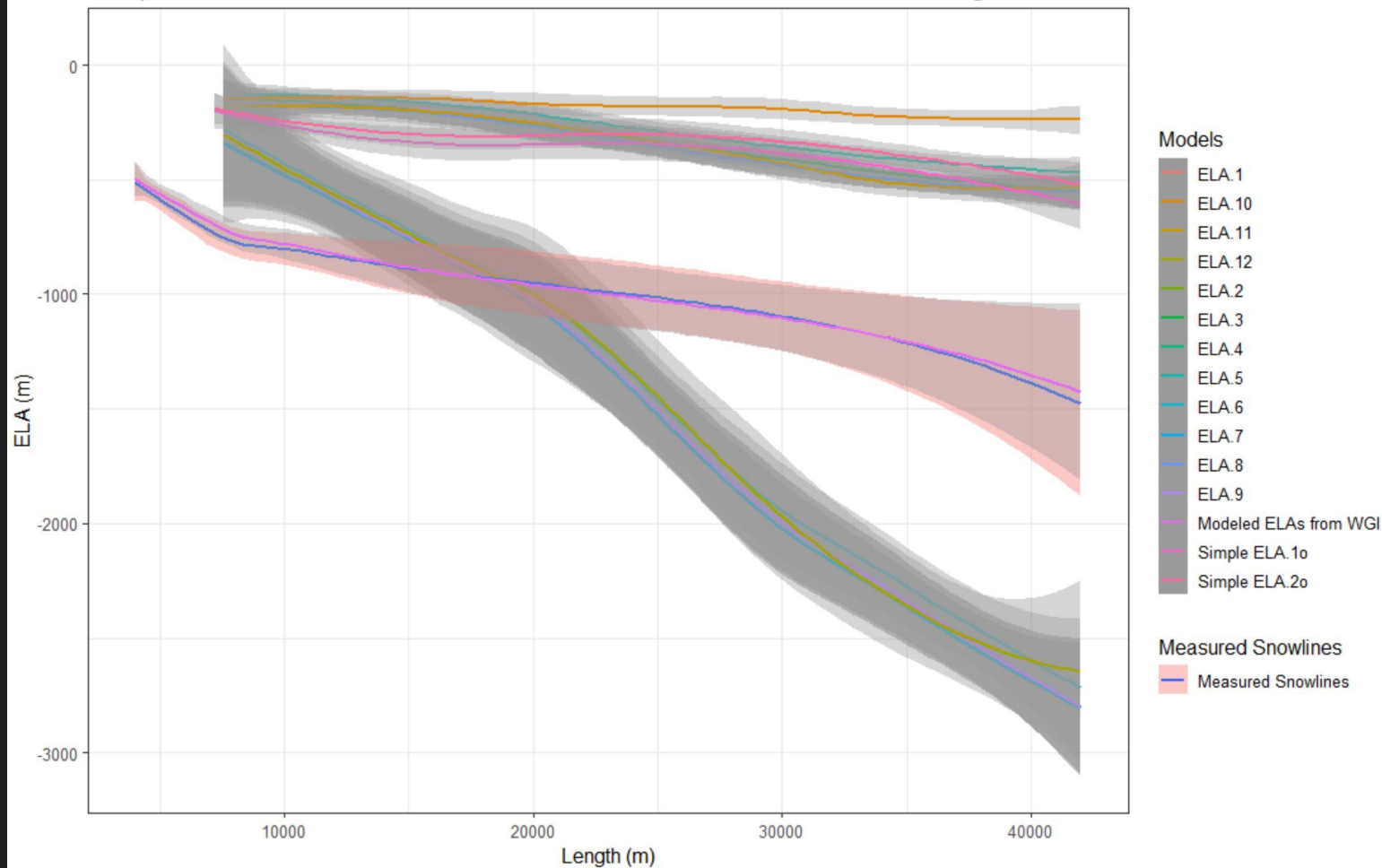
2. Model Variations

- a. Ran model using equations from Oerlemans (2.1.4) and (2.2.3)
 - i. Several iterations included changing variables such as using bedrock slope versus ice surface slope, glacier thickness derived from DEM and glacier thickness, etc.

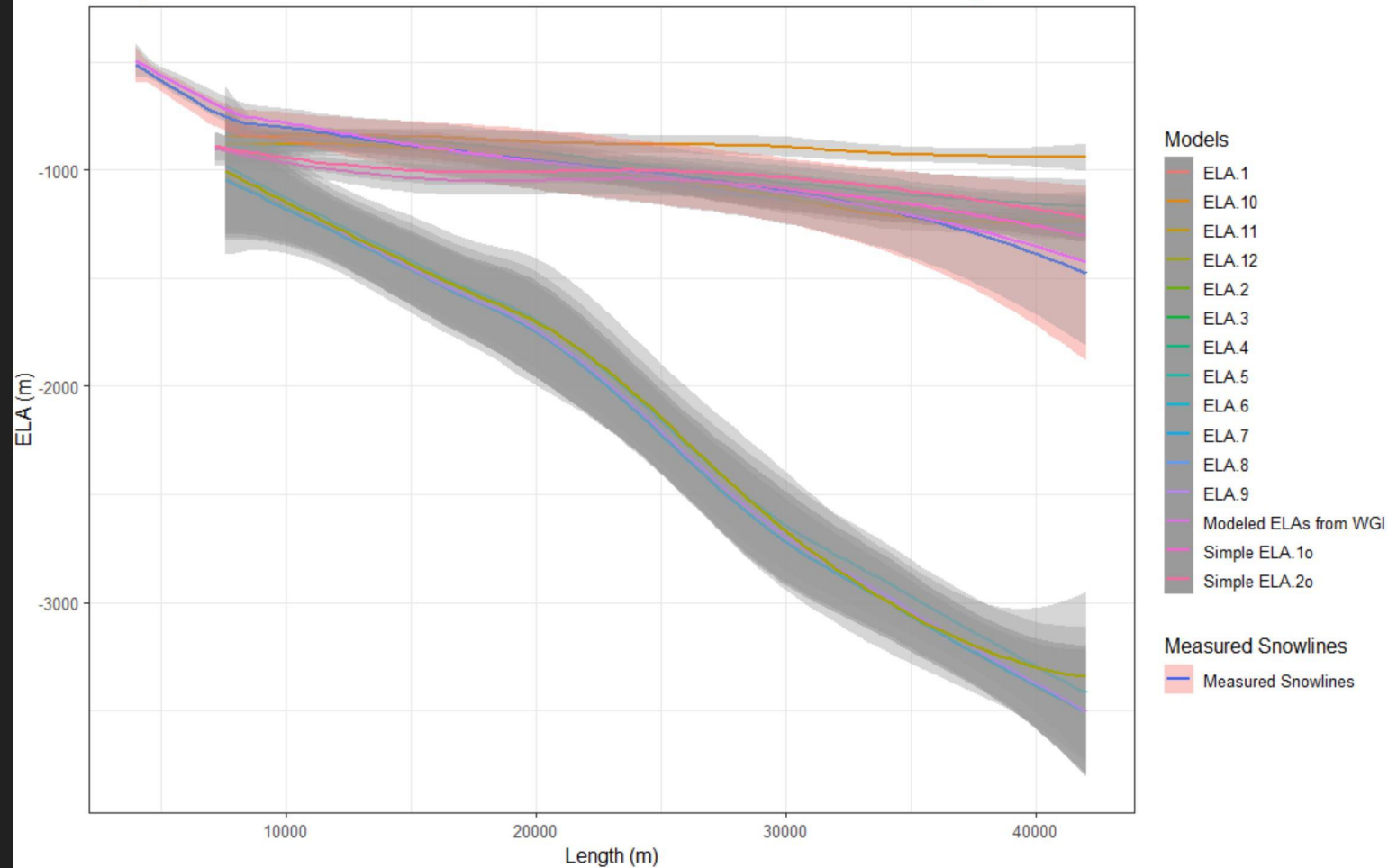
Comparisons of Modeled Paleo-ELAs to Modern ELAs as a function of Glacier Length

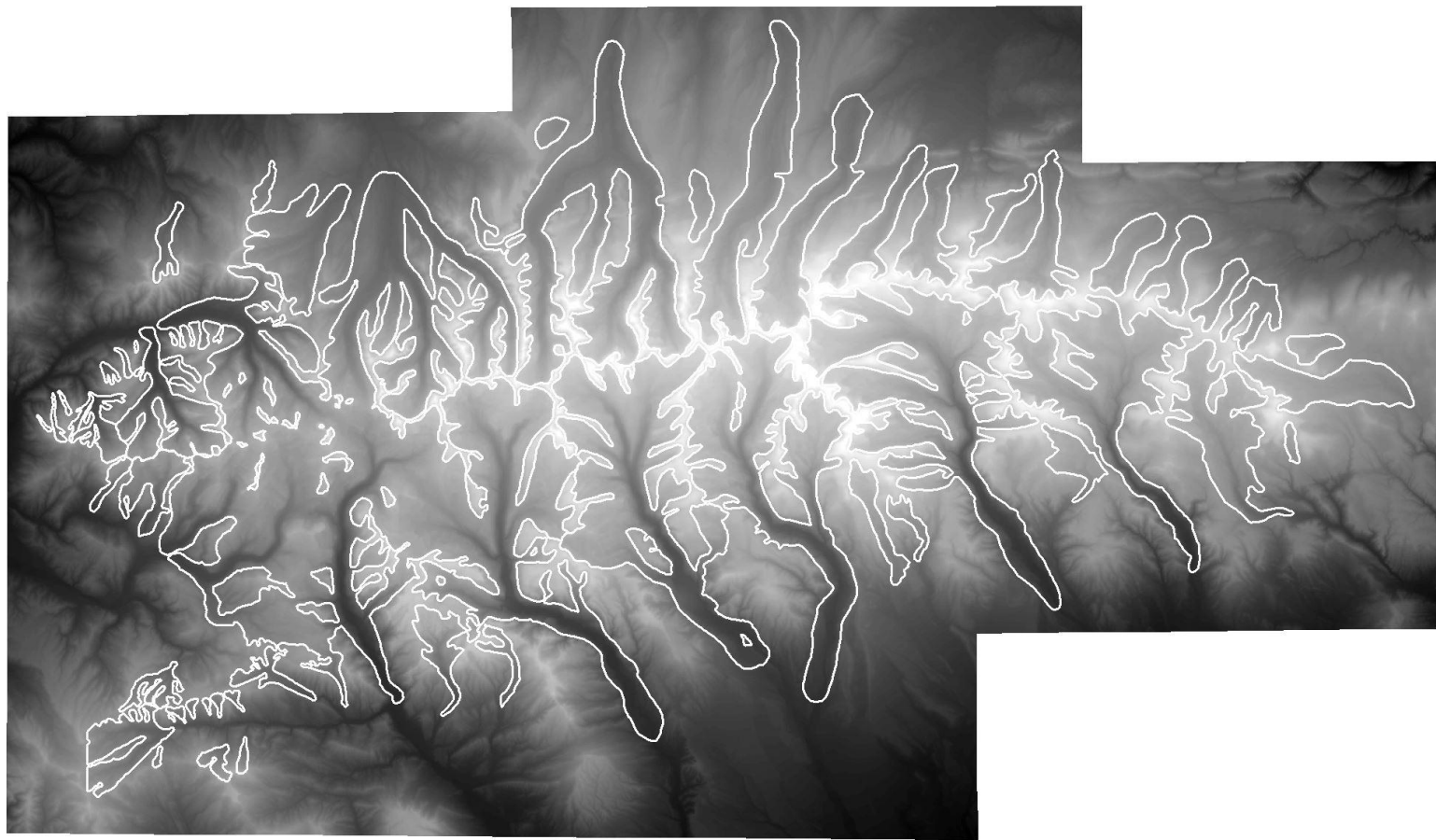


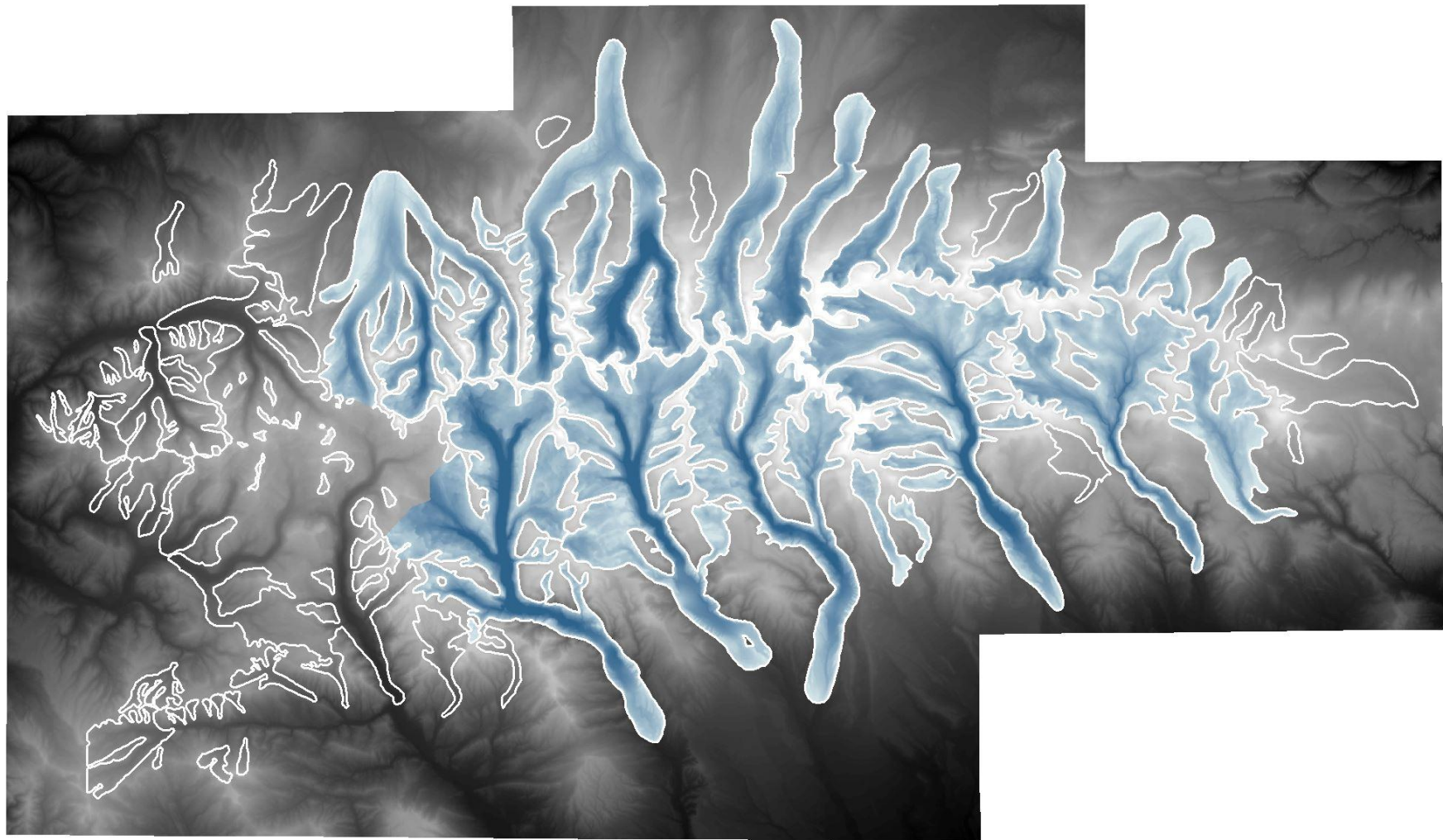
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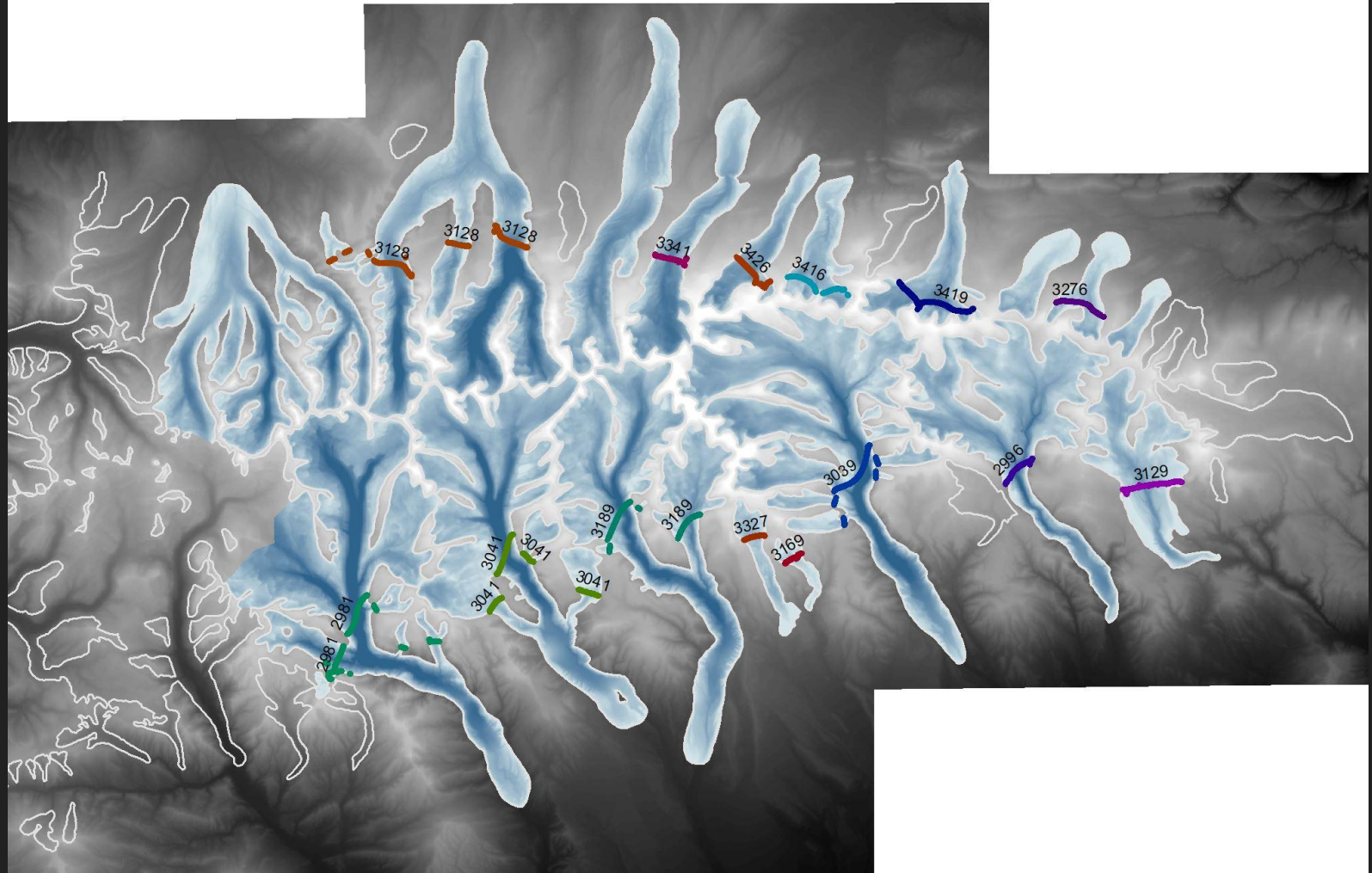






Discussion/Conclusions

- WGI Data
- Uinta Data



References

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