Jonathan Woong 804205763 CS 143 LAB 1C

Homework 5

1. Suppose you have 2 relations, R(A, B, C) and S(B, C, D, E).

You have a clustering unique (no duplicate keys) B+-tree index on attribute A for relation R. Assume this index is kept entirely in memory (i.e., you do not need to read it from disk). For relation S, you have a non-clustering non-unique B+-tree index for attribute B. Furthermore, assume that the index is kept in memory (i.e. you do not need to read it from disk).

Other relevant data:

- 500 tuples of R are stored per block on disk.
- |R| = 750,000 (number of tuples of R).
- 100 tuples of S are stored per block on disk.
- |S| = 250,000 (number of tuples of S).
- For every R tuple, there are roughly 5 tuples in S with R.B = S.B.

You want to execute the following query:

```
SELECT * FROM R, S WHERE R.B=S.B AND R.C=S.C
```

We present you with the following query plans:

```
For every block Bi of R, retrieved using the clustered index on A for R
For every tuple r of Bi
Use the index on B for S to retrieve all of the tuples s of S such that s.B=r.B
For each of these tuples s, if s.C=r.C, output r.A, r.B, r.C, s.B, s.C, s.D, s.E
```

How many disk I/Os are needed to execute this query plan?

Number of blocks for all tuples of
$$R = \frac{750,000 \text{ tuples}}{500 \frac{\text{tuples}}{\text{block}}} = 1,500 \text{ blocks (sequential access)}$$

Number of S tuples per R tuple where (S.B = R.B) = 750,000 tuples * 5= 3,750,000 tuples (random access)

 $Total\ number\ of\ access = 1,500\ (sequential) + 3,750,000\ (random)$

Now assume that we have a clustering non-unique B+-tree index for attribute C of S. For every R tuple, there are roughly 5000 tuples in S with R.C = S.C. Assume that all of the tuples of S that agree on attribute C are stored in sequentially adjacent blocks on disk (that is, if more than one block is needed to store all of the tuples with some value of C, then these blocks will be sequentially located on the disk). The index is kept in main memory. Using this new index we came up with a second query plan:

For every block Bi of R, retrieved using the clustered index on A for R For every tuple r of Bi

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```
Use the index on C for S to retrieve all of the tuples s of S such that s.C=r.C

For each of these tuples s, if s.B=r.B, output r.A, r.B, r.C, s.B, s.C, s.D, s.E
```

Now analyze each of the two plans more carefully in terms of their behavior regarding accesses to disk. Your analysis should consider the behavior of the number of I/Os and access time. Explain which of the two plans is therefore better under what circumstances. For the analysis of access time, you do not need to compute a concrete number. Just include in your analysis what accesses to disk are sequential accesses and which ones are random accesses and discuss its consequence on overall access time.

Number of blocks for all tuples of
$$R = \frac{750,000 \text{ tuples}}{500 \frac{\text{tuples}}{\text{block}}} = 1,500 \text{ blocks (sequential access)}$$

Number of S blocks per R tuple where
$$(S.C = R.C) = 750,000 \text{ tuples} * \left(\frac{5,000 \text{ tuples}}{100 \frac{\text{tuples}}{\text{block}}}\right)$$

$$= 37,500,000 \text{ blocks (sequential)}$$

 $Total\ number\ of\ access = 1,500\ (sequential) + 37,500,000\ (sequential)$

The second query plan is faster than the first query plan if the sequential access time is at least 10 times faster than the random access time.

- 2. You are to design a database that maintains information for producing a weekly television guide for a given region (such as Northern California). The data should include information about television shows, television networks, cities, channels, show times, etc. For starters, you may make the following assumptions:
 - A given channel in a given city is associated with one network.
- A given show is either owned by a network (and shown on a channel associated with that network) or is a local show and may be shown on any channel.
 - Not all shows are shown in all cities, and the days and times for a given show may differ from city to city.
 - You may ignore cable channels, which generally are not city-dependent.

Please feel free to make additional assumptions about the real world in your design, as long as the assumptions are reasonably realistic and are stated clearly as part of your solution. Specify an entity-relationship diagram for your database. Don't forget to underline key attributes and include arrowheads and double lines.

Note that this question is fairly open-ended and there is no single right answer, but some designs are better than others.

City-name
Cities
State-name

Contain

Channel-number

Channels

Networks

Network-name

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A given city contains many channels. Many channels contain zero or more networks. Many networks contain one or more shows.

Show-name

Contain

Shows

Show-time

3. This problem is based on an E/R design for a database used in a manufacturing company shown in Figure 1. This database stores information about parts. Each part has a part number, which uniquely identifies the part. A part may in fact be an assembly, which consists of some number of one or more subparts. For example, a bicycle might be described as an assembly consisting of one frame and two wheels; a frame is just a basic part; a wheel is an assembly consisting of one tire, one rim, and 48 spokes. Each assembly is also associated with the cost of assembling its subparts.

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Convert the E/R diagram to relations. For the translation of subclasses, assume that we generate multiple tables for specialization and that a subclass does not inherit non-key attributes from its superclass.

```
Parts(number)
Assembly(number, cost)
ComposedOf(assembly-number, part-number, quantity)
```

4. Suppose that we decompose the schema R(A, B, C, D, E, F) into (A, B, C, F) and (A, D, E). When the following set of functional dependencies hold, is the decomposition lossless?

$$A \rightarrow BC$$
, $CD \rightarrow E$, $B \rightarrow D$, $E \rightarrow A$
Explain your answer.

$$\begin{split} R_1 &= (A,B,C) \\ R_2 &= (A,D,E) \\ R_1 \cap R_2 &= A \\ \textit{Since } A \rightarrow \textit{BC and } A \rightarrow A \Longrightarrow A \rightarrow \textit{ABC or } R_1 \cap R_2 \rightarrow R_1 \; (\textit{lossless}) \end{split}$$

5. List non-trivial functional dependencies satisfied by the following relation. You do not need to find all functional dependencies. It is enough to identify a set of functional dependencies that imply all functional dependencies that is satisfied by the relation.

A	В	С
a_1	b_1	c_2
a_1	b_1	c_2
a_2	b_1	c_1
a_2	b_1	c_3

$$A \rightarrow B, C \rightarrow B, AC \rightarrow B$$

- 6. Assume the following set of functional dependencies hold for the relation R(A, B, C, D, E): $A \rightarrow BC$, $CD \rightarrow E$, $B \rightarrow D$, $E \rightarrow A$
- (a) Is E a key for R? Explain your answer. Yes
- (b) Is BC a key for R? Explain your answer. Yes

Since
$$A \to BC \Rightarrow A \to B$$
 and $A \to C$
Since $A \to B$ and $B \to D \Rightarrow A \to D$
Since $A \to C$ and $A \to D \Rightarrow A \to CD$
Since $A \to CD$ and $CD \to E \Rightarrow A \to E$
 $A \to BCDE$ (union)
Since $A \to A \Rightarrow A \to ABCDE$ (key)
Since $E \to A \Rightarrow E \to ABCDE$ (key)
Since $CD \to E \Rightarrow CD \to ABCDE$ (key)
Since $CD \to CD \Rightarrow CD \to CD$
Since $CD \to CD \Rightarrow CD \to CD$

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7. Assume the following set of functional dependencies hold for the relation R(A, B, C, D, E, F): $A \rightarrow BC$, C $\rightarrow E$, $B \rightarrow D$ Is it in BCNF? Explain your answer. If it is not, normalize it into a set of relations in BCNF.

Is A a key for R? Yes

Since $A \to BC \Rightarrow A \to B$ and $A \to C$ Since $A \to C$ and $C \to E \Rightarrow A \to E$ Since $A \to B$ and $B \to D \Rightarrow A \to D$ $A \to BCDE$ (union) Since $A \to A \Rightarrow A \to ABCDE$ (key)

Is C a key for R? No Is B a key for R? No

 $R_1: (\underline{A}, \underline{F}, \underline{G}, \underline{H})$ $R_2: (\underline{A}, \underline{B}, \underline{C})$ $R_3: (\underline{B}, \underline{D})$ $R_4: (\underline{C}, \underline{E})$