

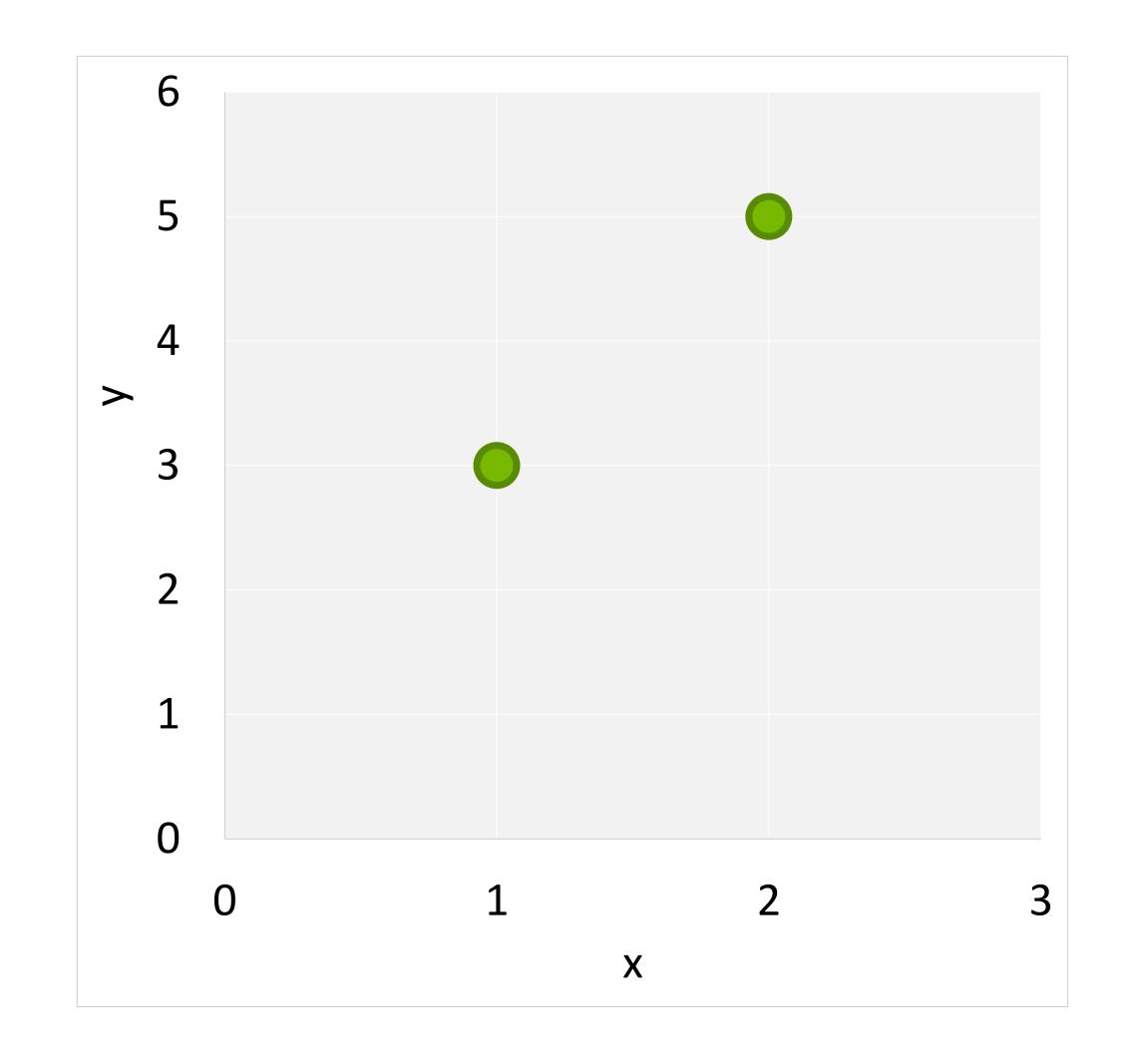
## Agenda

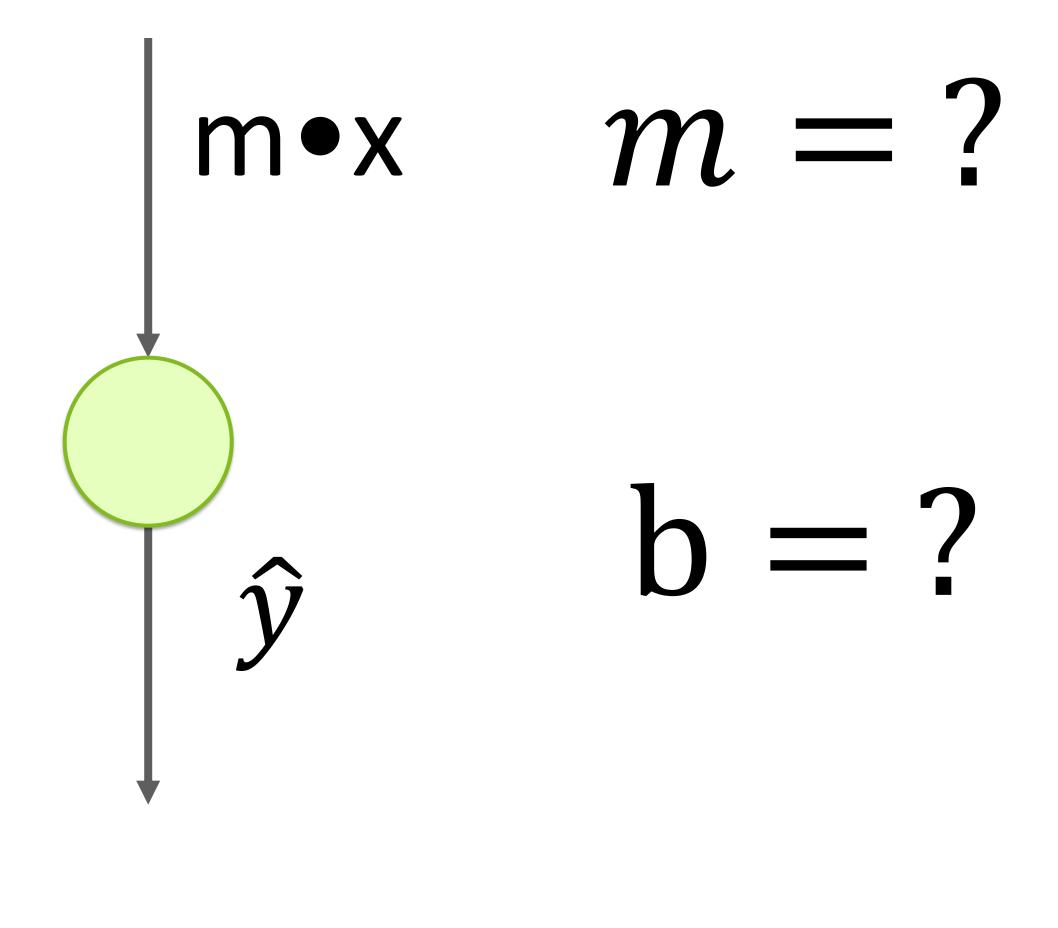
- Part 1: An Introduction to Deep Learning
- Part 2: How a Neural Network Trains
- Part 3: Convolutional Neural Networks
- Part 4: Data Augmentation and Deployment
- Part 5: Pre-Trained Models
- Part 6: Advanced Architectures



$$y = mx + b$$

X	y
1	3
2	5

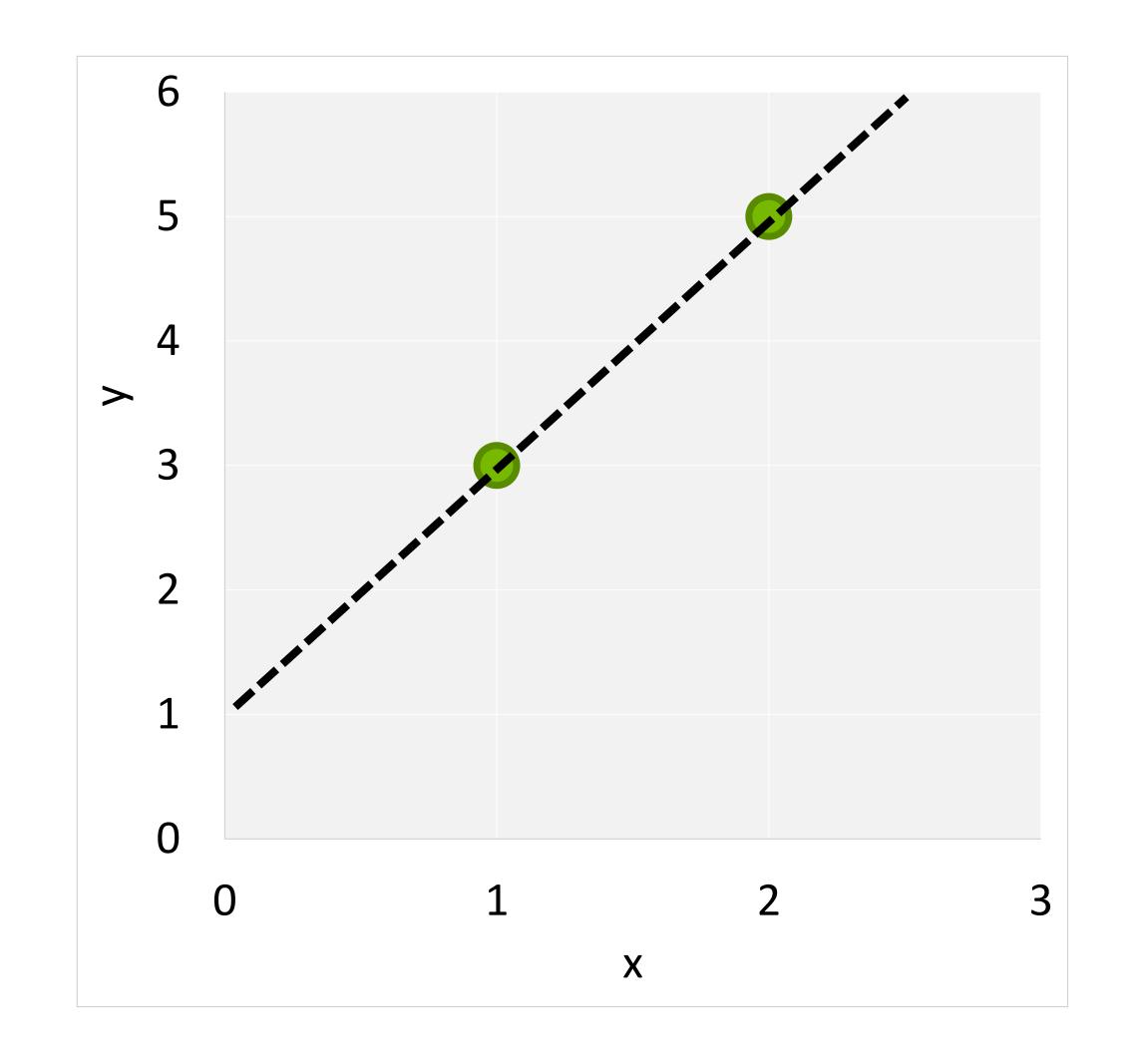


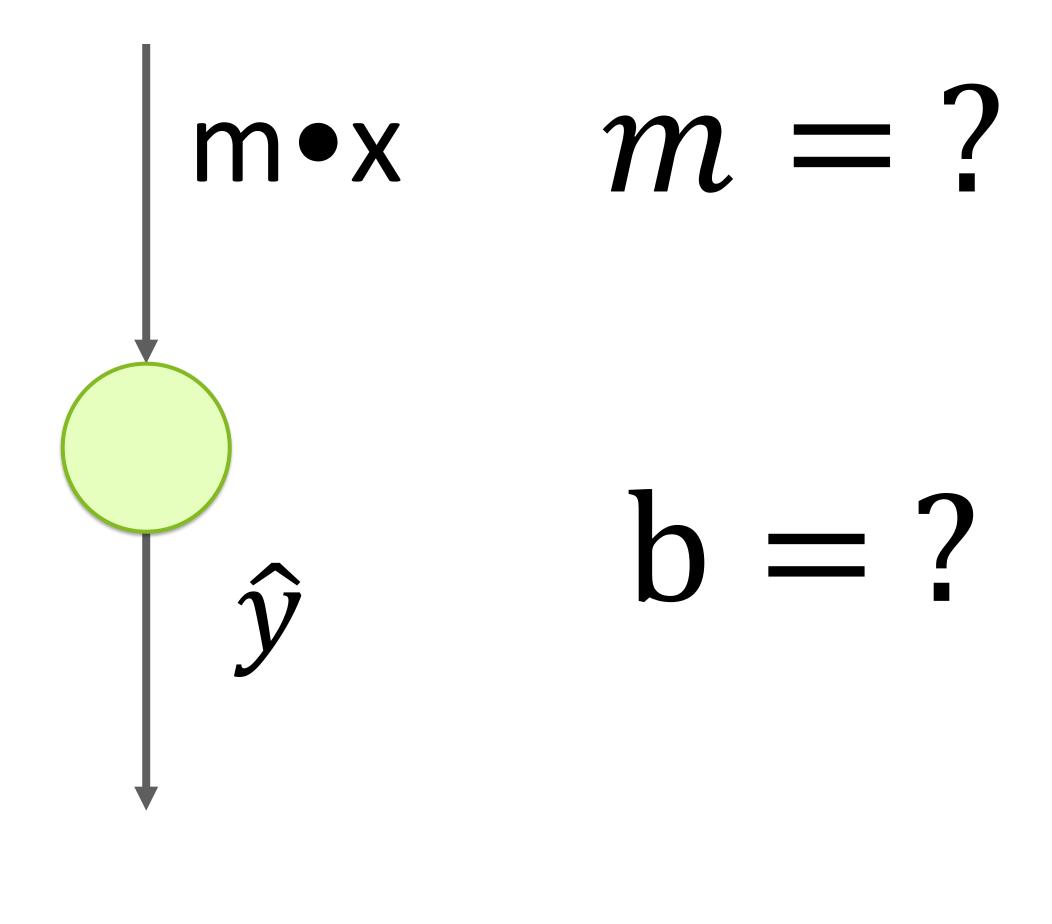




$$y = mx + b$$

X	y
1	3
2	5

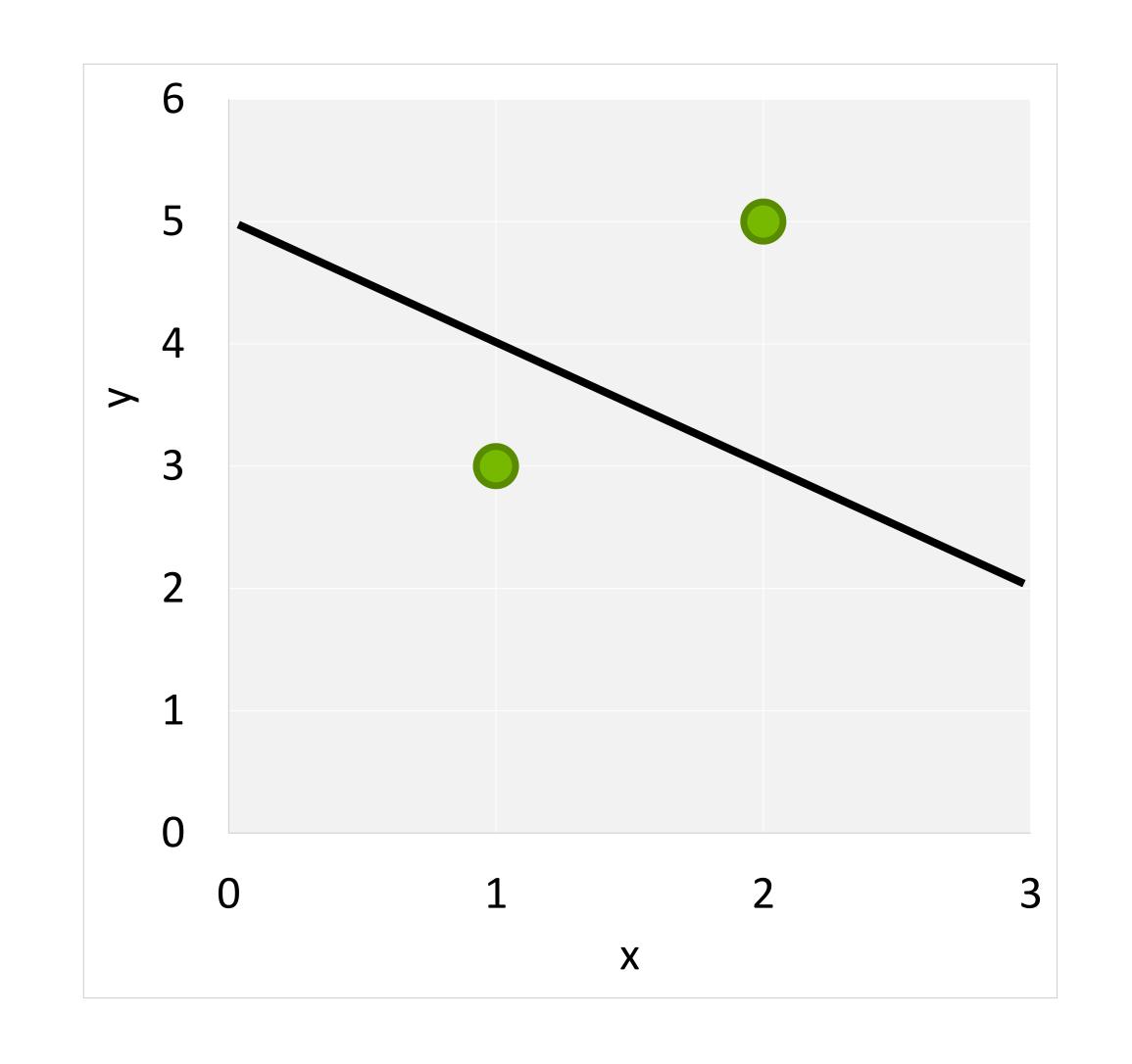


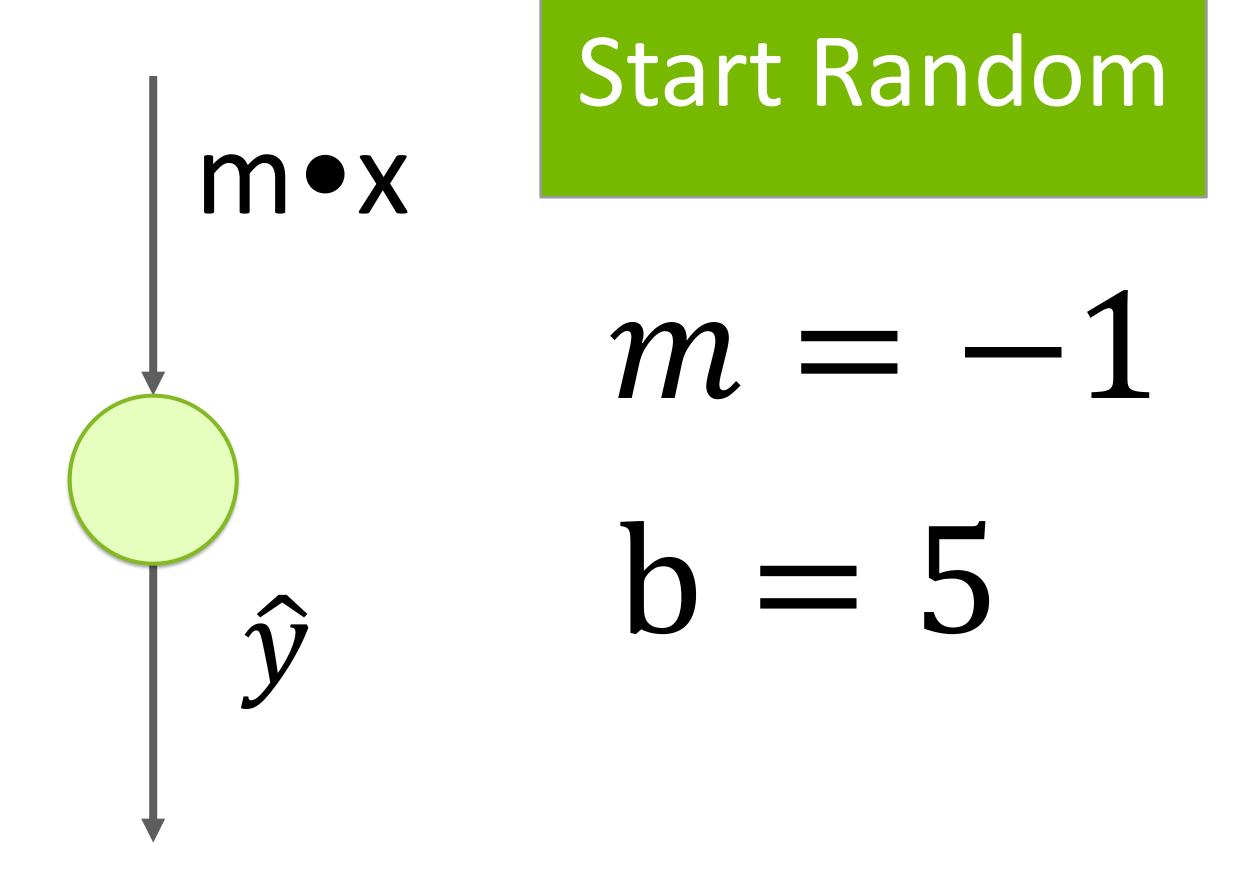




$$y = mx + b$$

X	y	$\widehat{\mathbf{y}}$
1	3	4
2	5	3

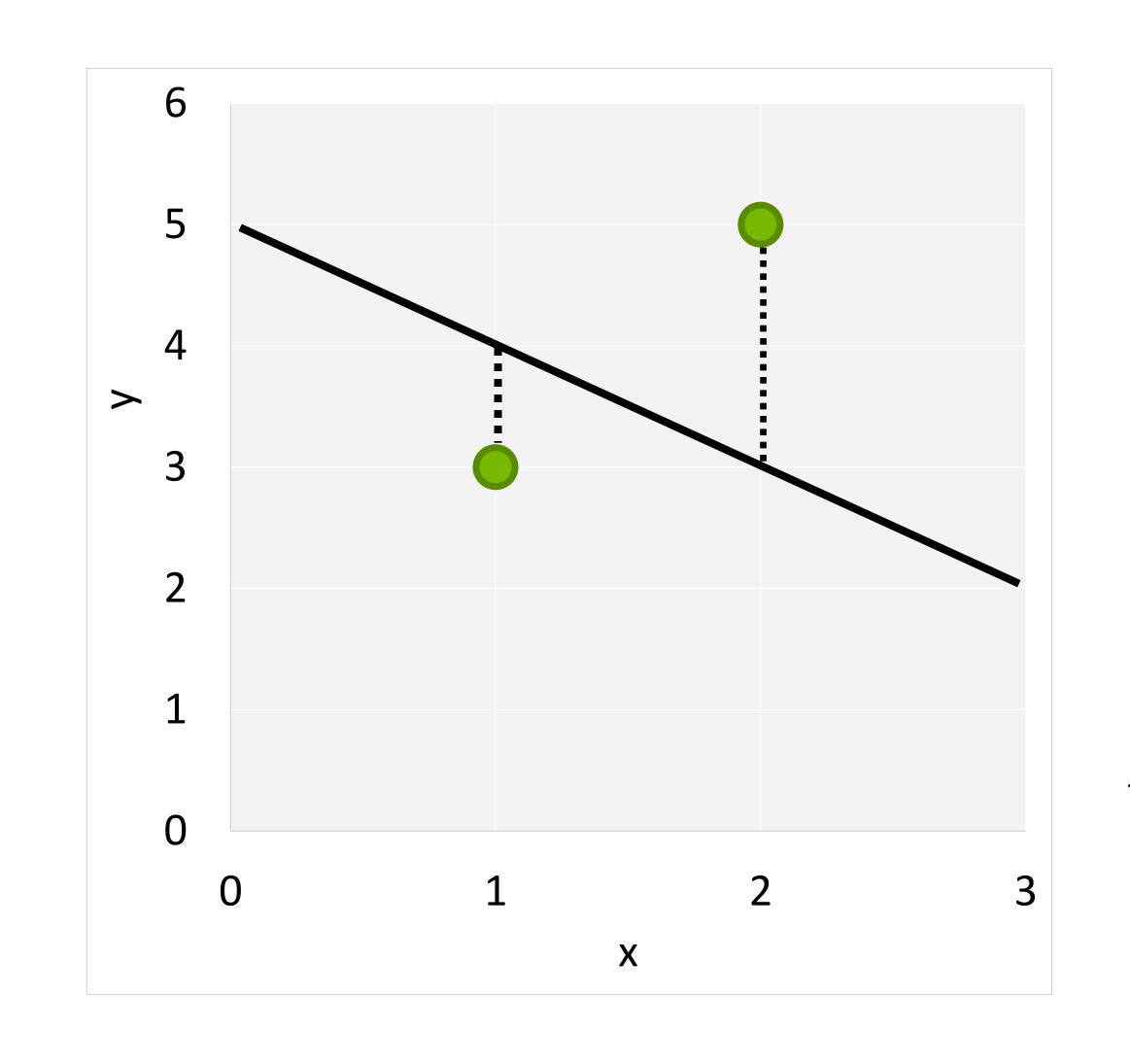






$$y = mx + b$$

X	y	ŷ	err <sup>2</sup>
1	3	4	1
2	5	3	4
MSE =		2.5	
	RMSE =		1.6

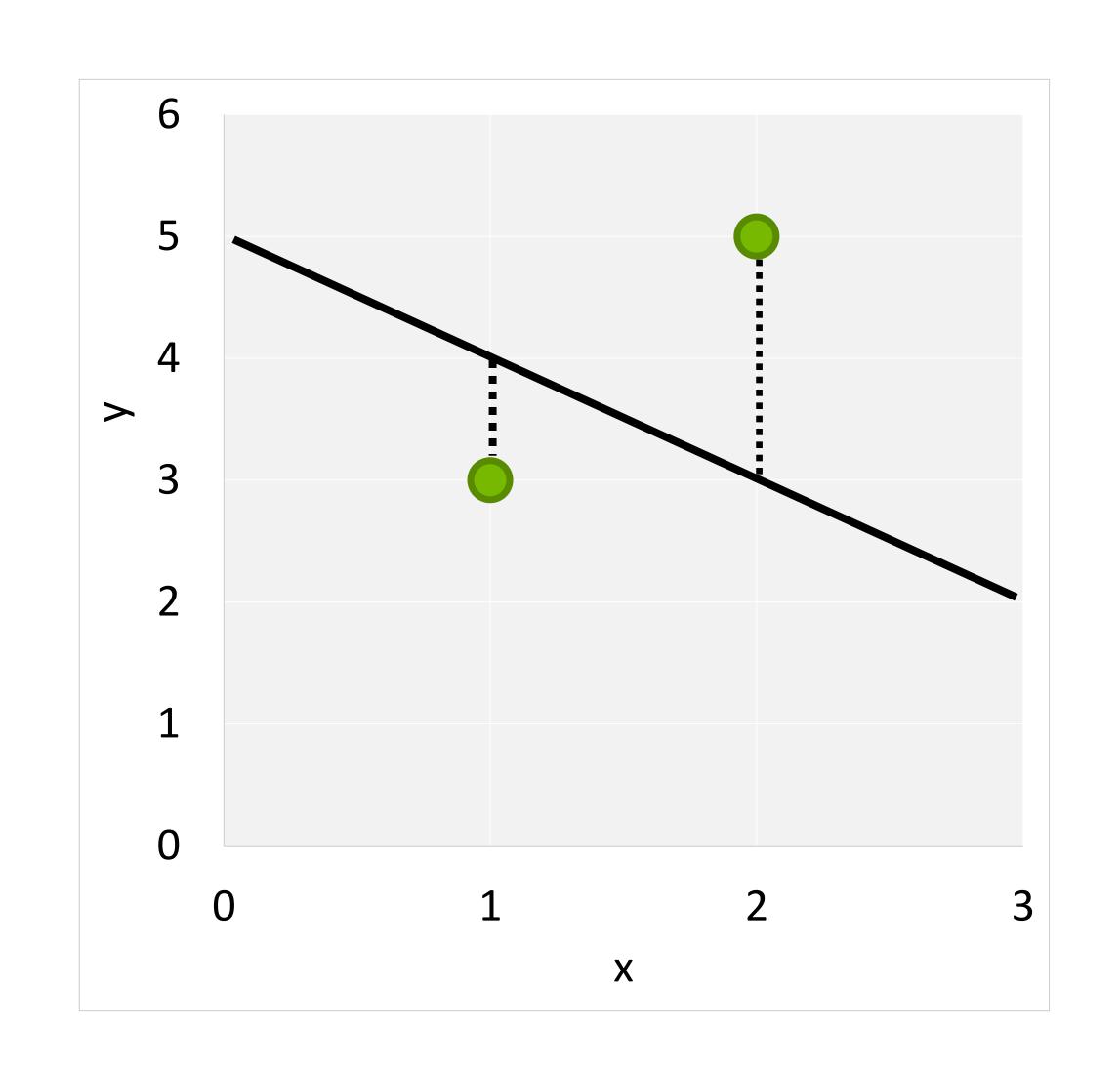


$$MSE = \frac{1}{n} \sum_{i=1}^{n} (y_i - \hat{y}_i)^2$$

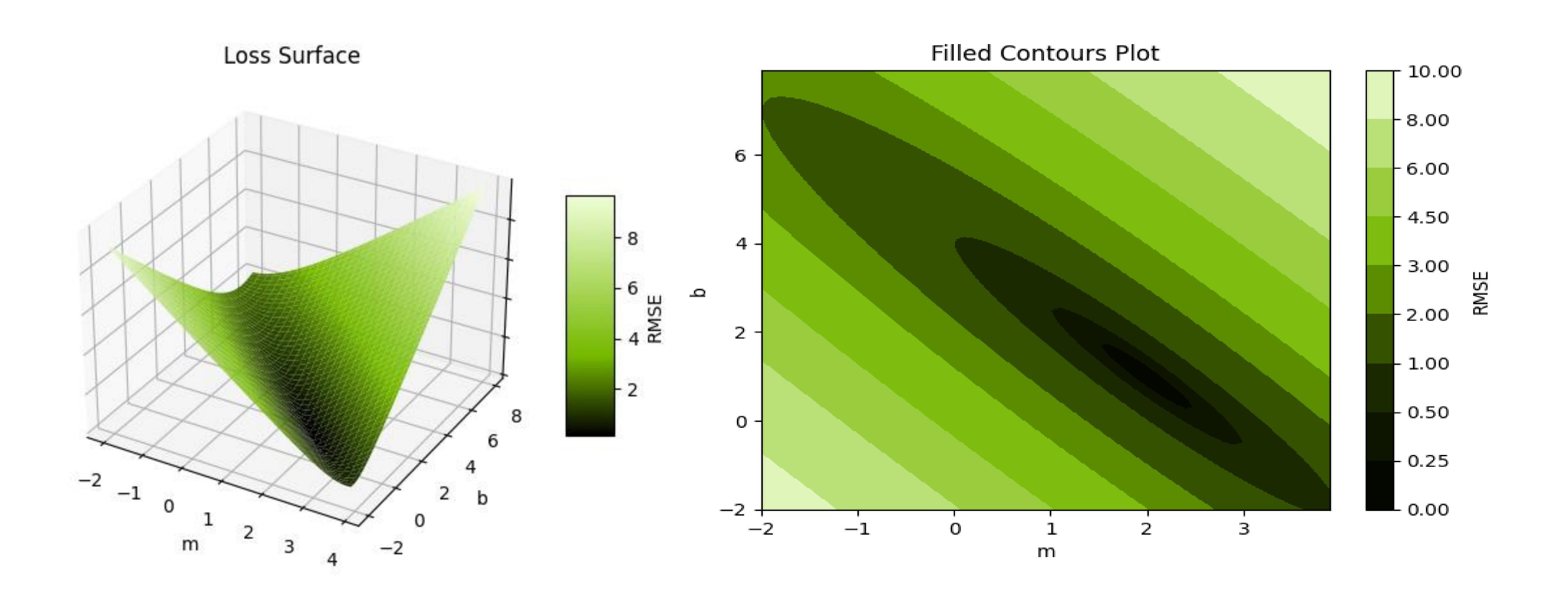
$$RMSE = \sqrt{\frac{1}{n} \sum_{i=1}^{n} (y_i - \hat{y}_i)^2}$$

$$y = mx + b$$

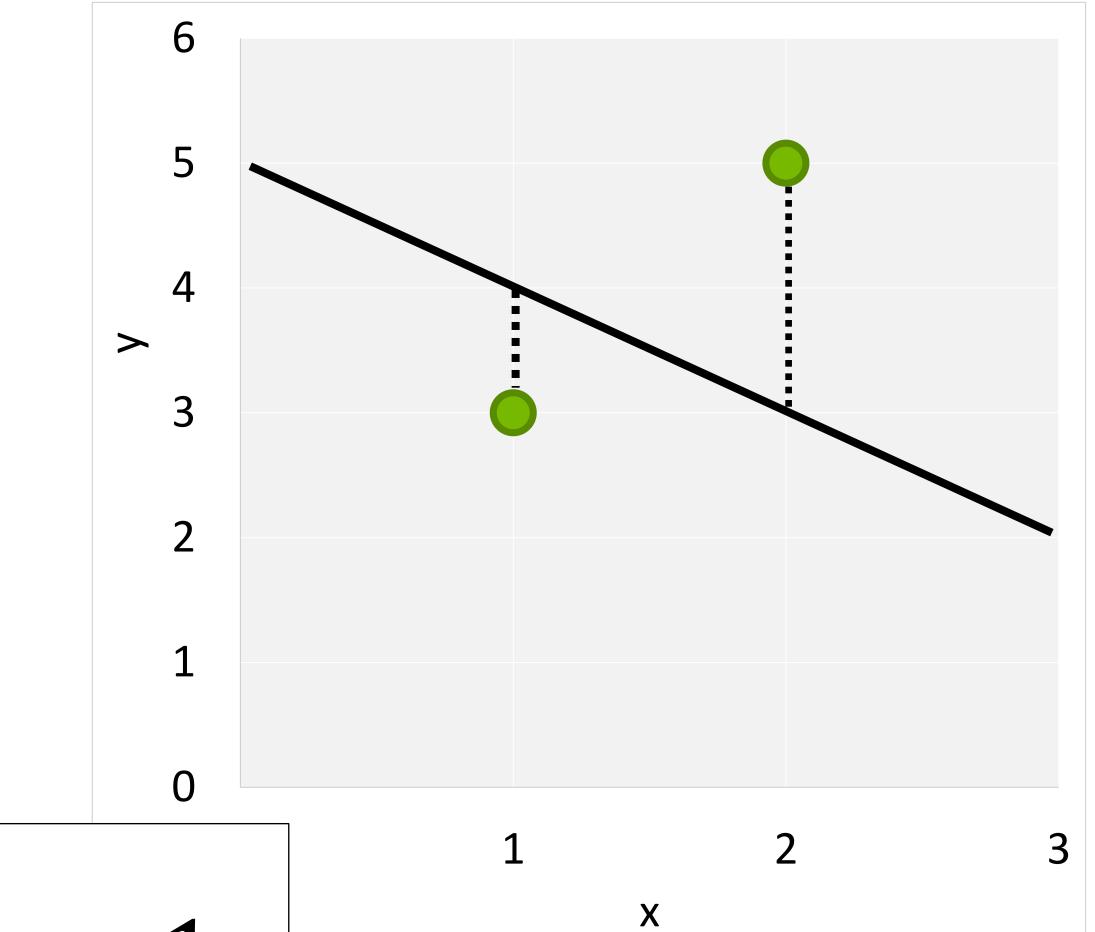
X	y	ŷ	err <sup>2</sup>
1	3	4	1
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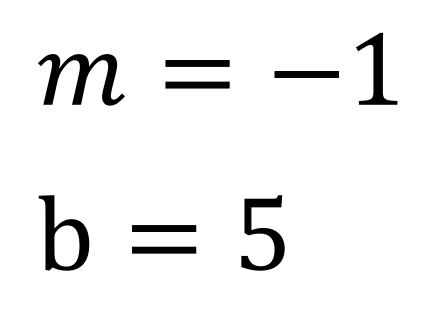


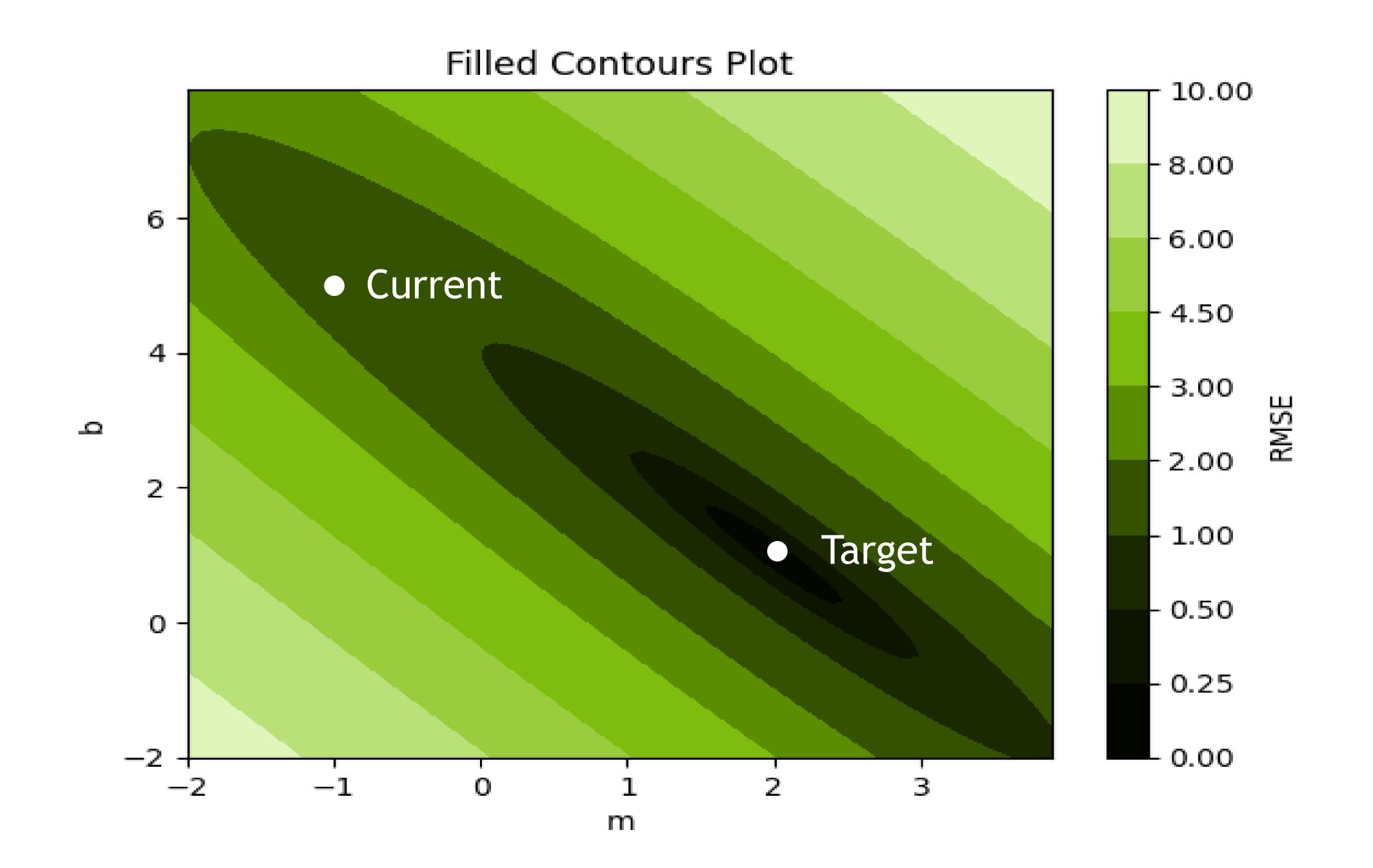
```
data = [(1, 3), (2, 5)]
    \mathbf{m} = -\mathbf{1}
    b = 5
 6 def get_rmse(data, m, b):
         """Calculates Mean Square Error"""
        n = len(data)
         squared_error = 0
         for x, y in data:
10 -
            # Find predicted y
11
             y_hat = m*x+b
12
             # Square difference between
13
             # prediction and true value
14
             squared_error += (
15
                 y - y_hat)**2
16
        # Get average squared difference
        mse = squared_error / n
18
        # Square root for original units
        return mse ** .5
20
```



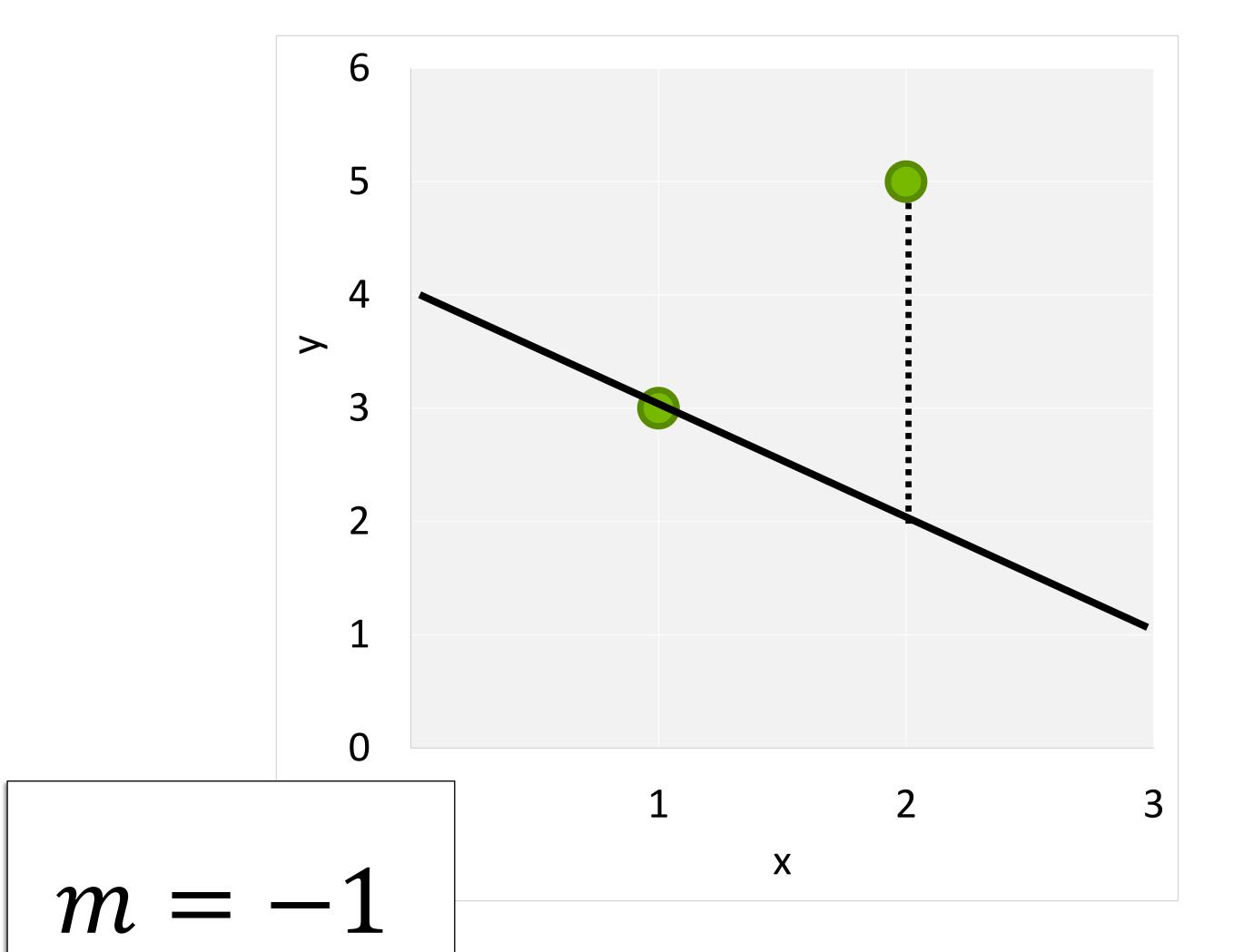


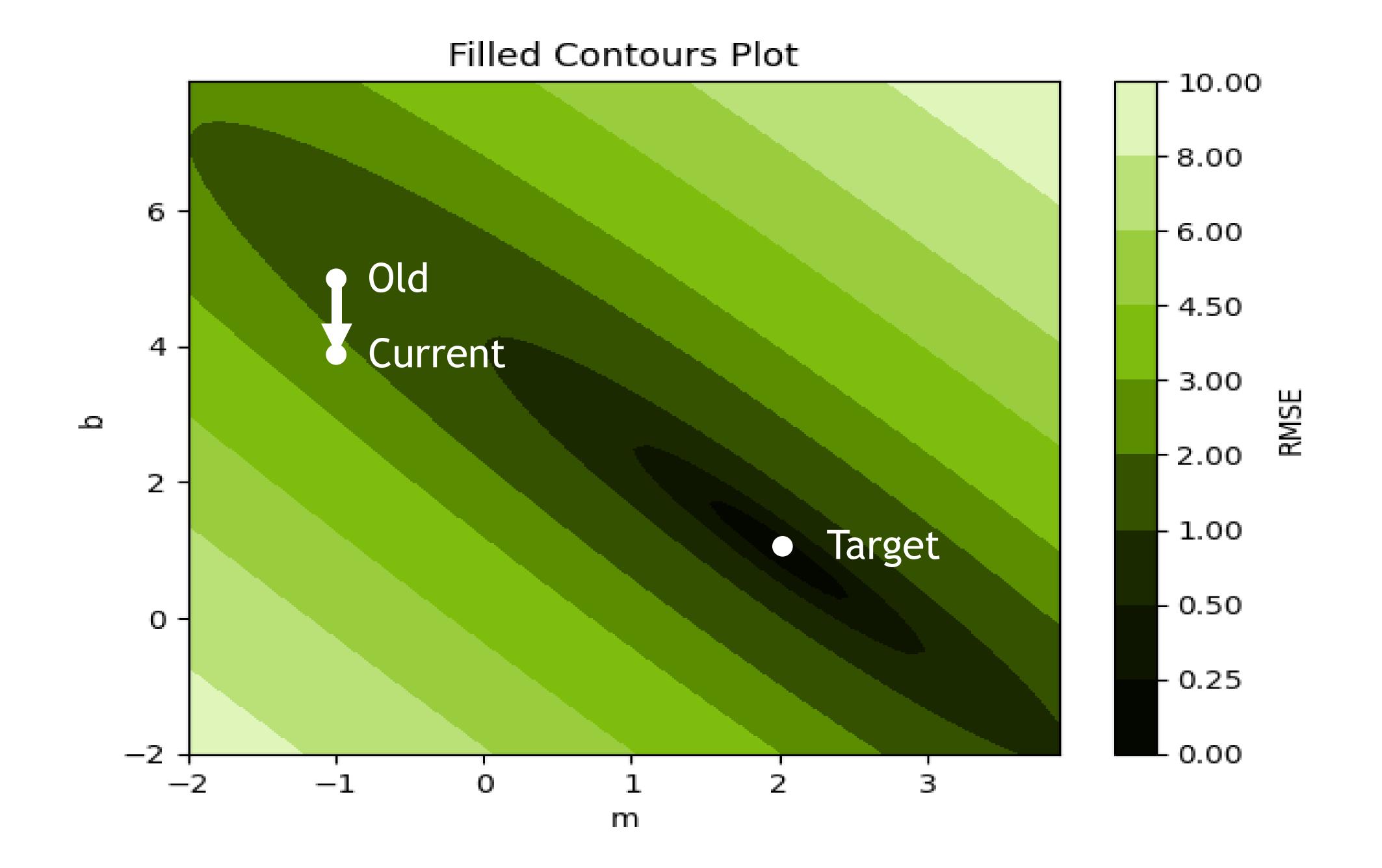


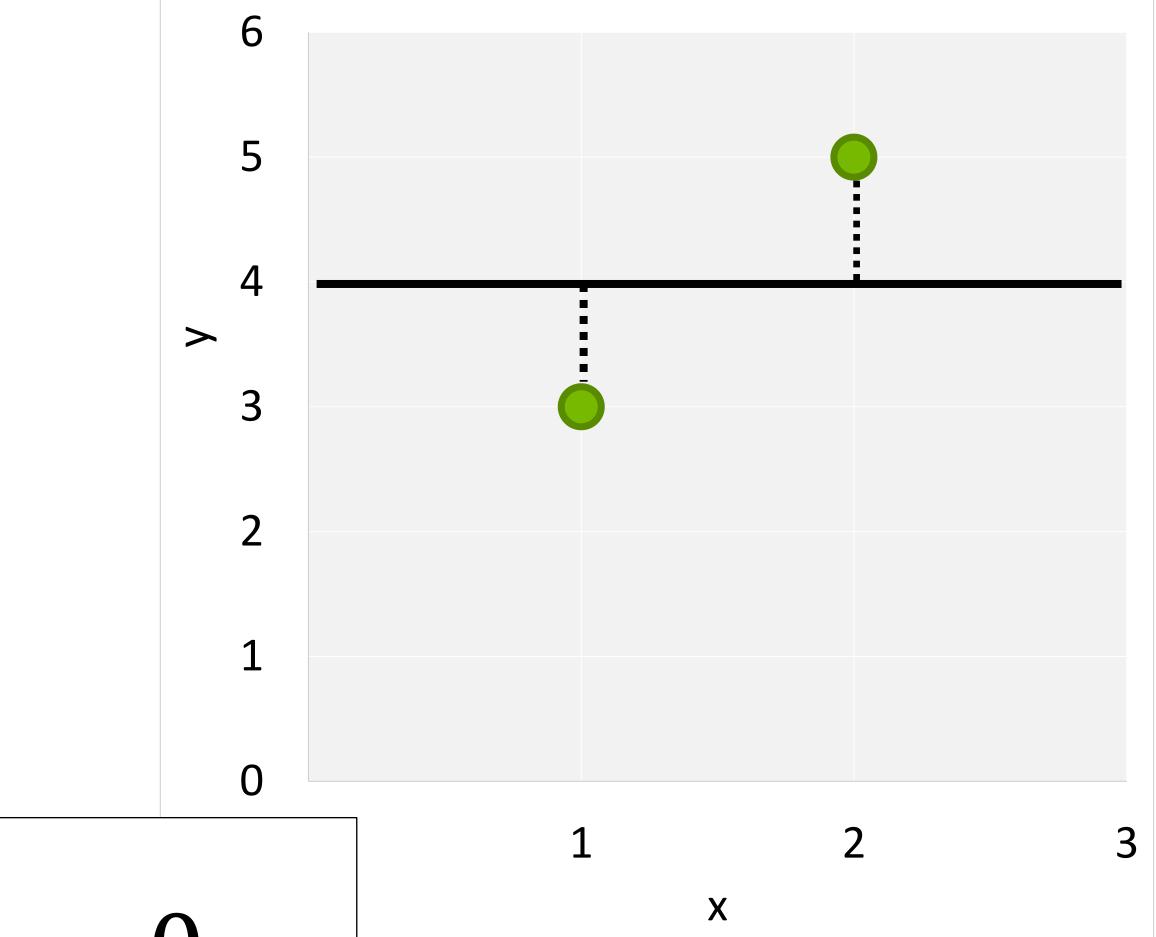


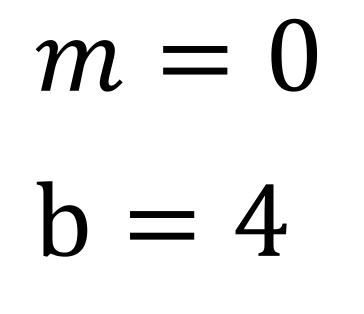


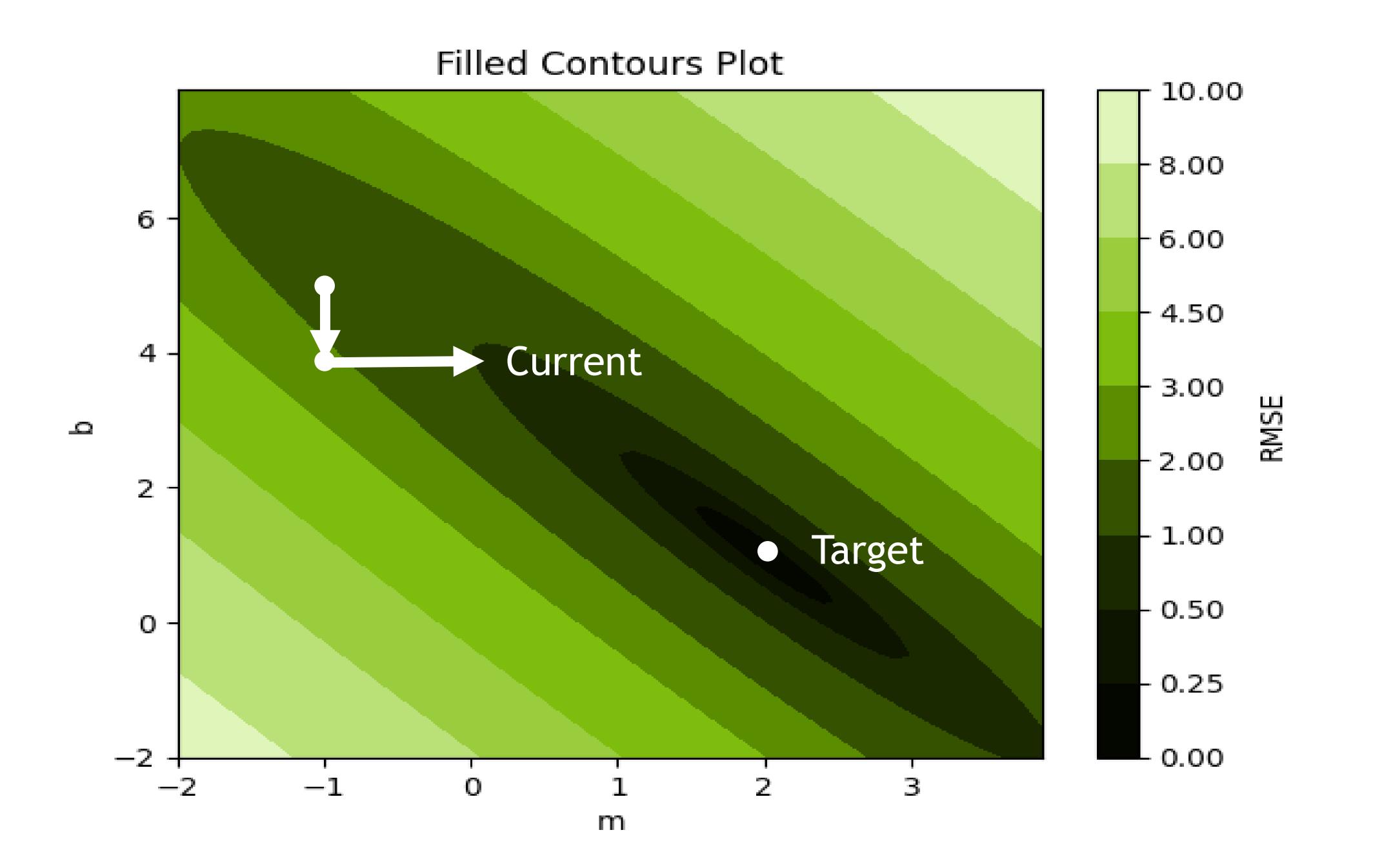




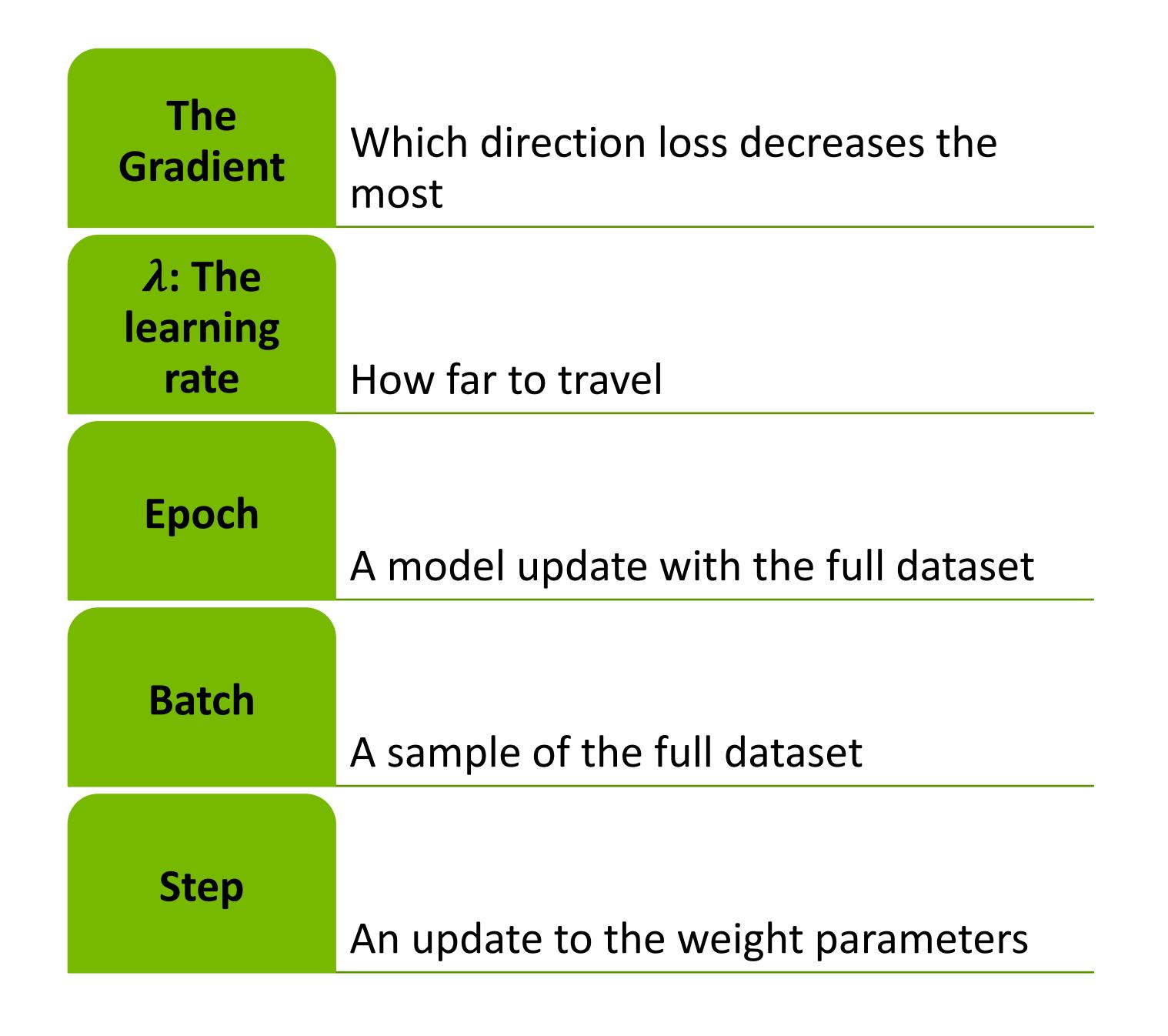


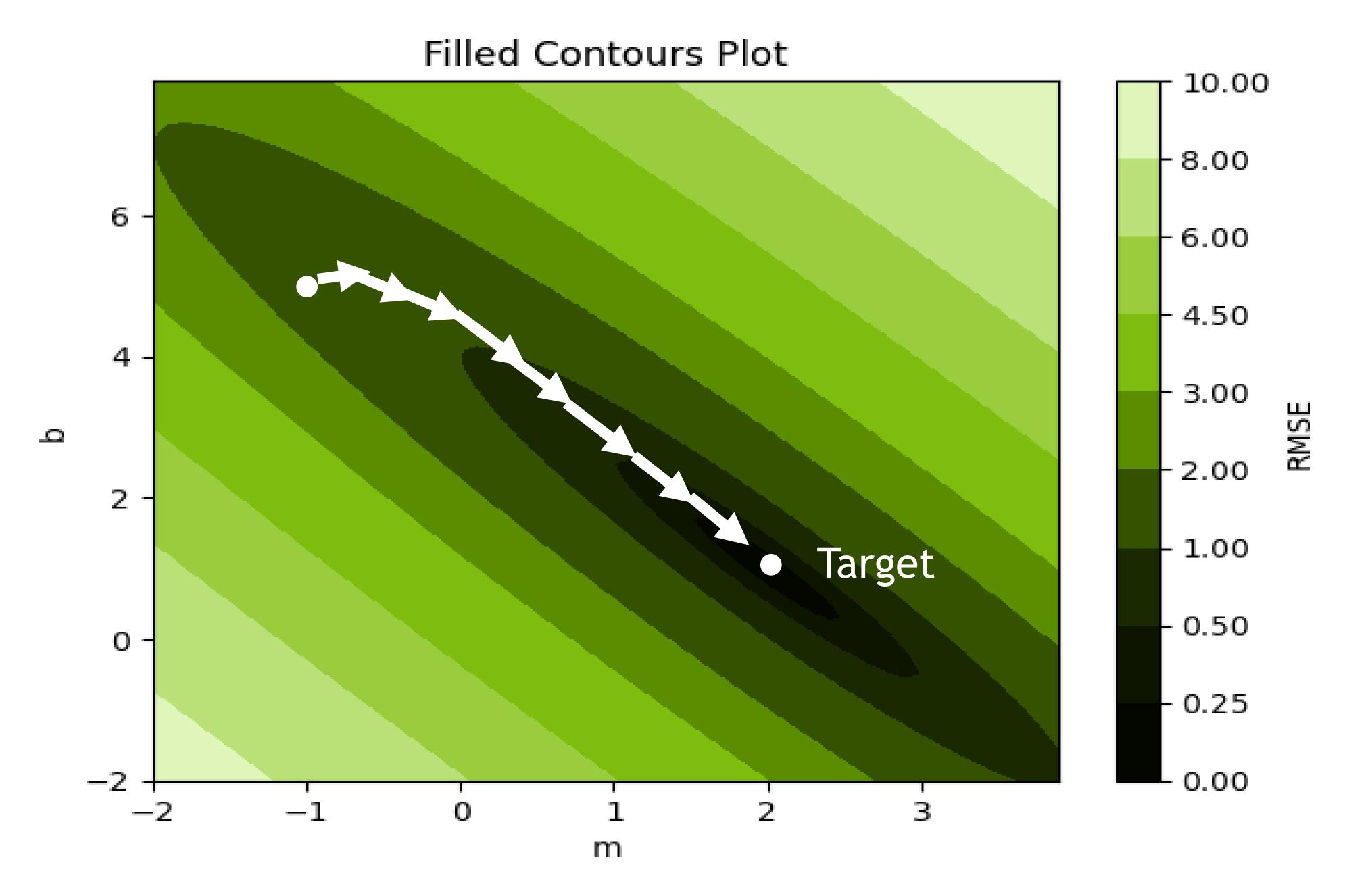














# Definitions (I)

Parameters: weights of the Neural Network. Their values are derived via training

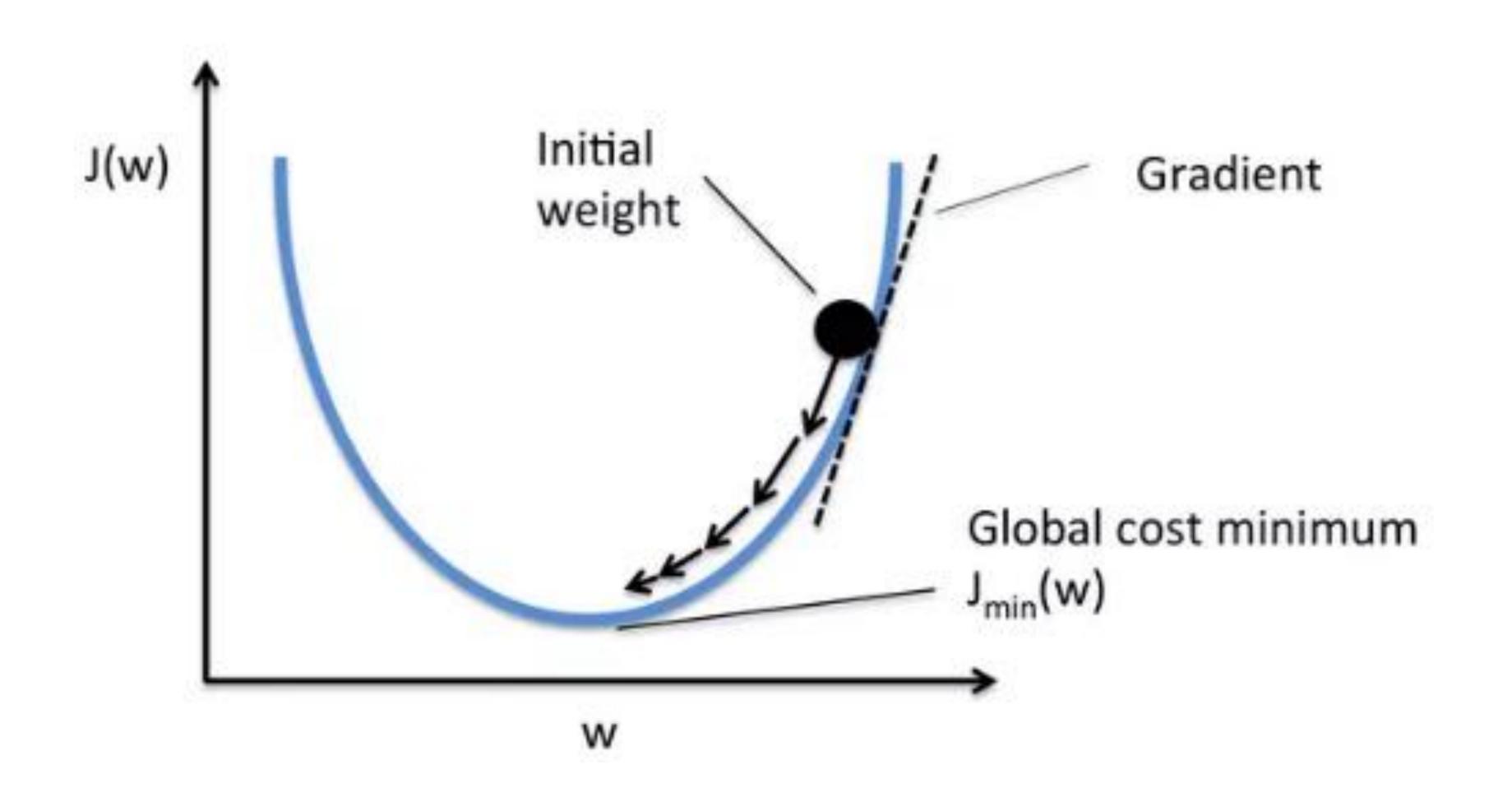
Hyper-parameters: are values set before the learning process begins.

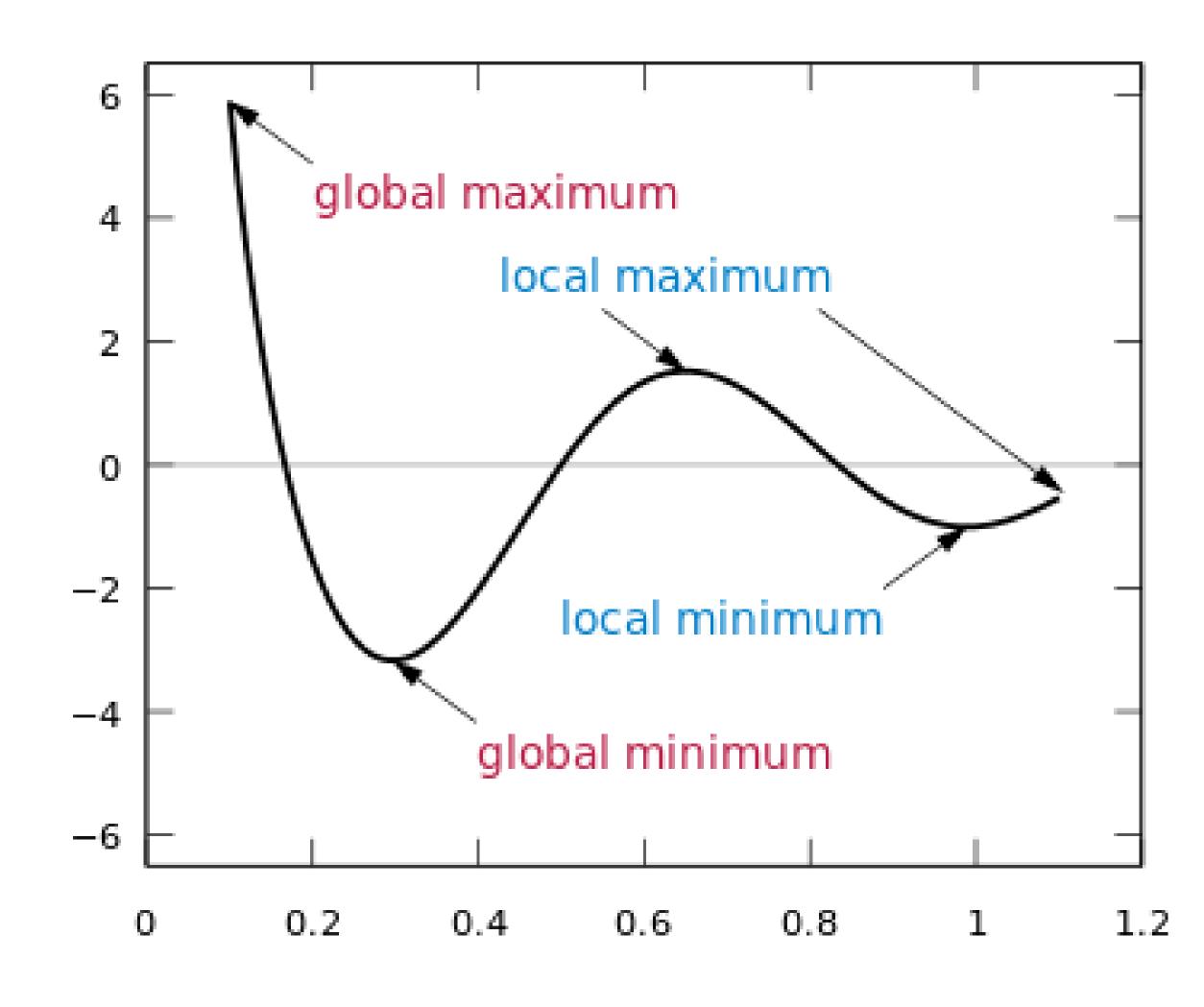
Ex: number of epochs mini-batch size learning rate

# Definitions (II)

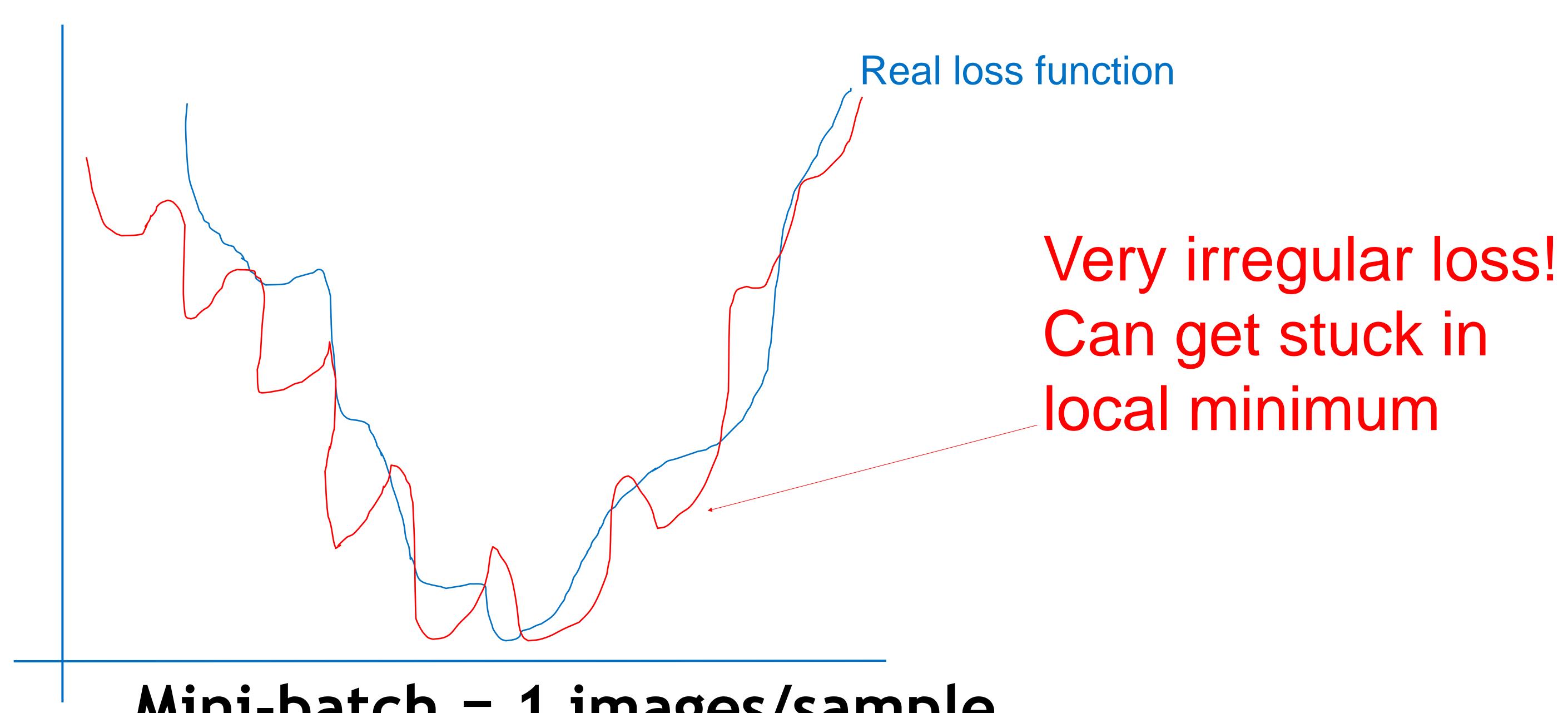
- 1 Iteration: 1 Forward pass + 1 Backward pass
- 1 Epoch: 1 Forward pass + 1 Backward pass for ALL training samples.
- Batch Size: Number of training samples
- Mini-batch (often called Batch Size!): Number of training samples used in 1 iteration
- Learning rate: determines to what extent newly acquired information overrides old information
- Loss: difference between prediction and correct output
- Accuracy: <u>number of correct predictions</u>
   total number of predictions

## Non convex Cost functions





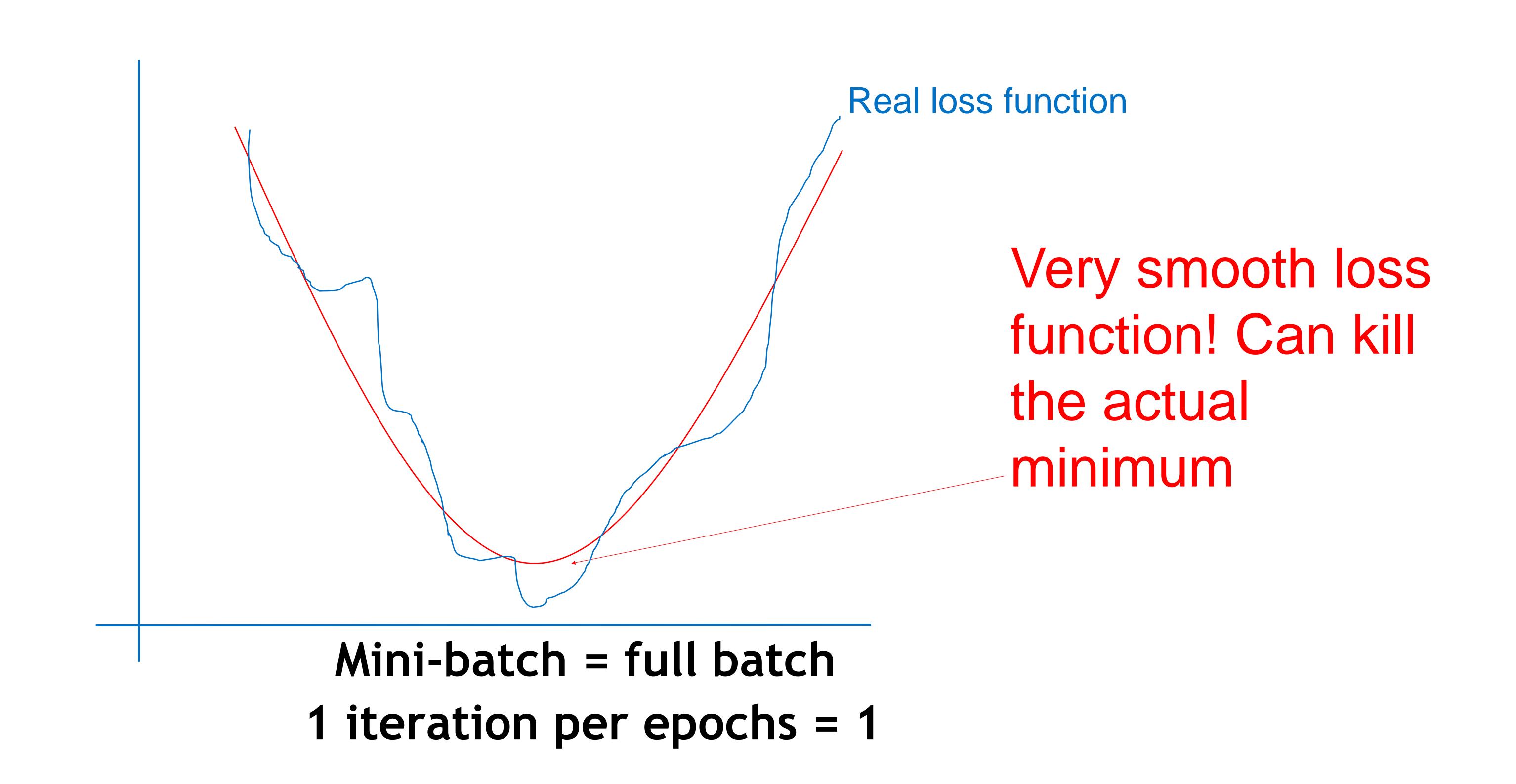
# Stochastic Gradient Descent (SGD) method



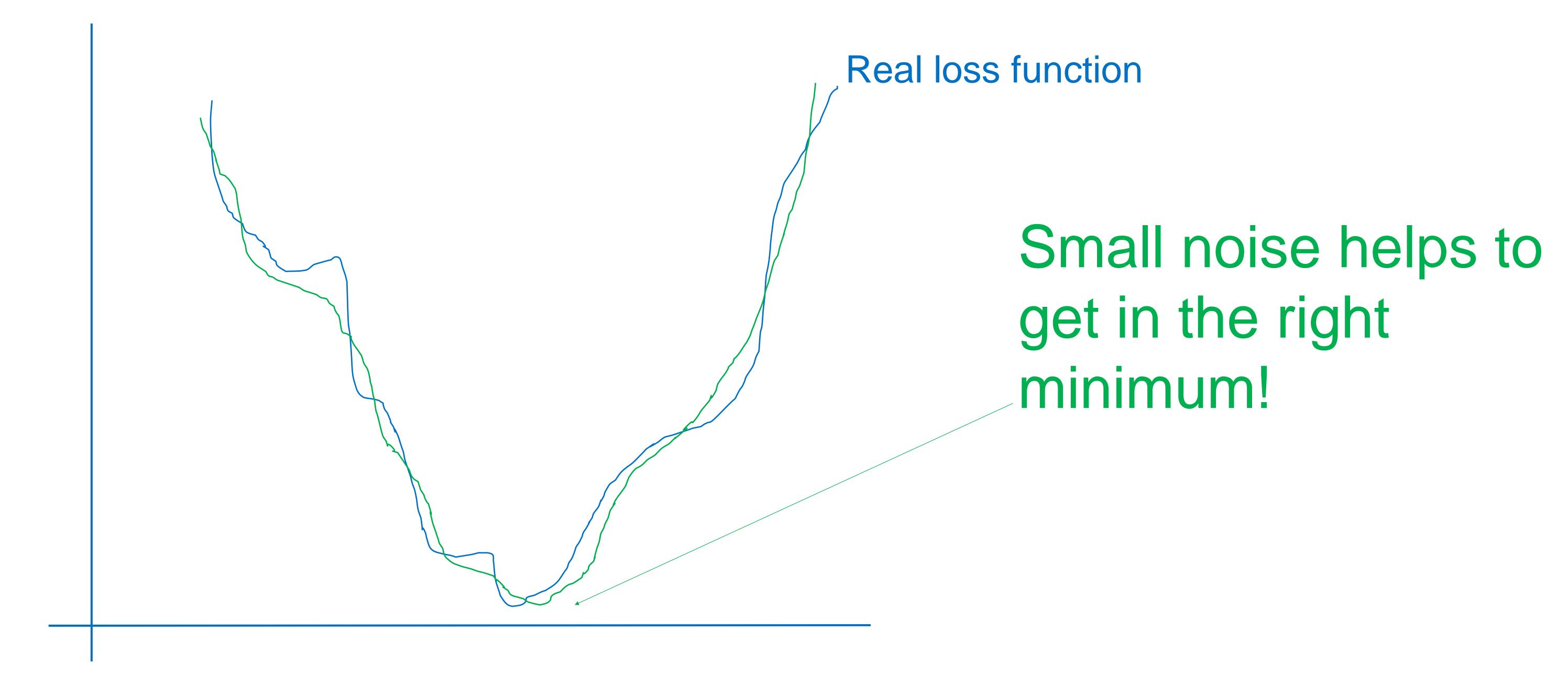
Mini-batch = 1 images/sample

N iterations per epochs = n samples in the batch

# Batch Gradient Descent (BGD) method



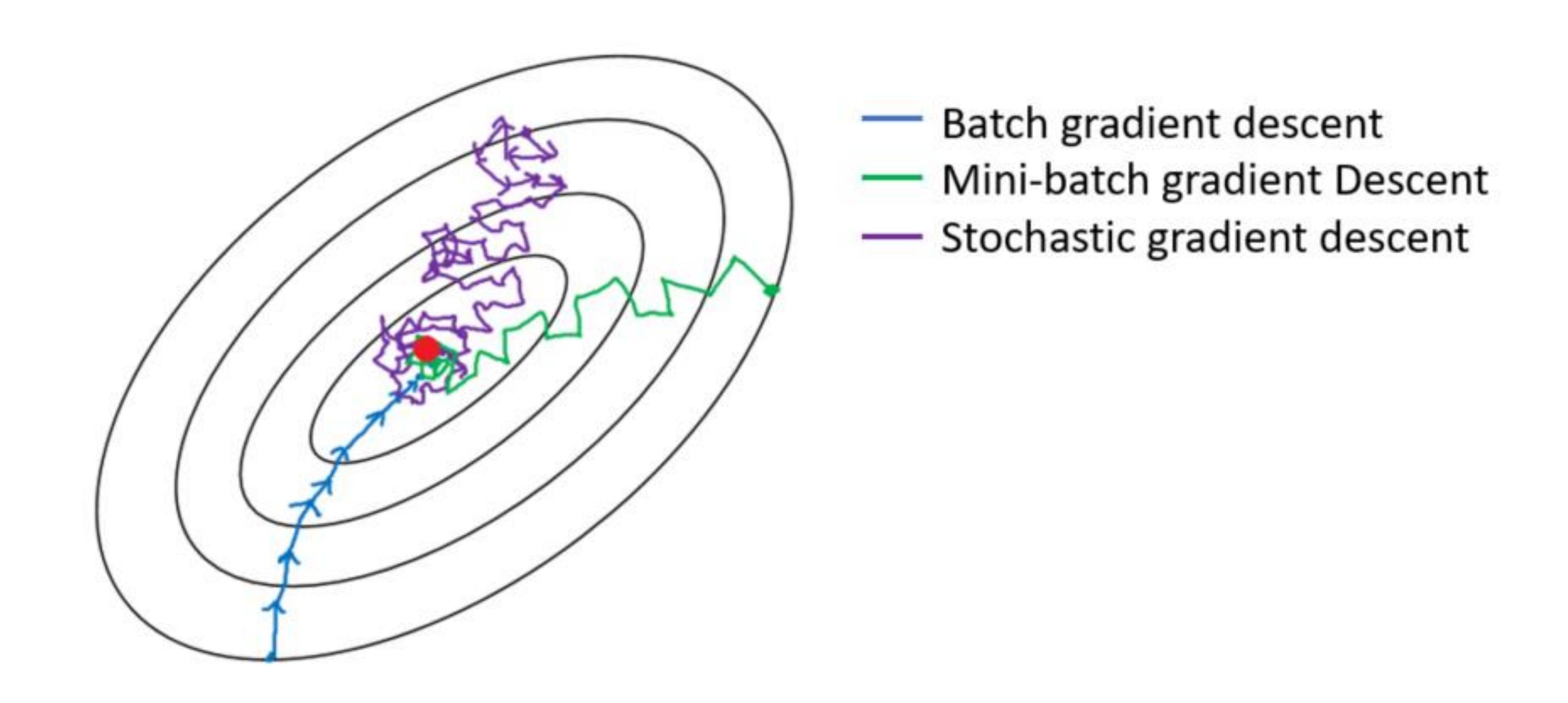
## Mini-batch Stochastic Gradient Descent (mSGD) method



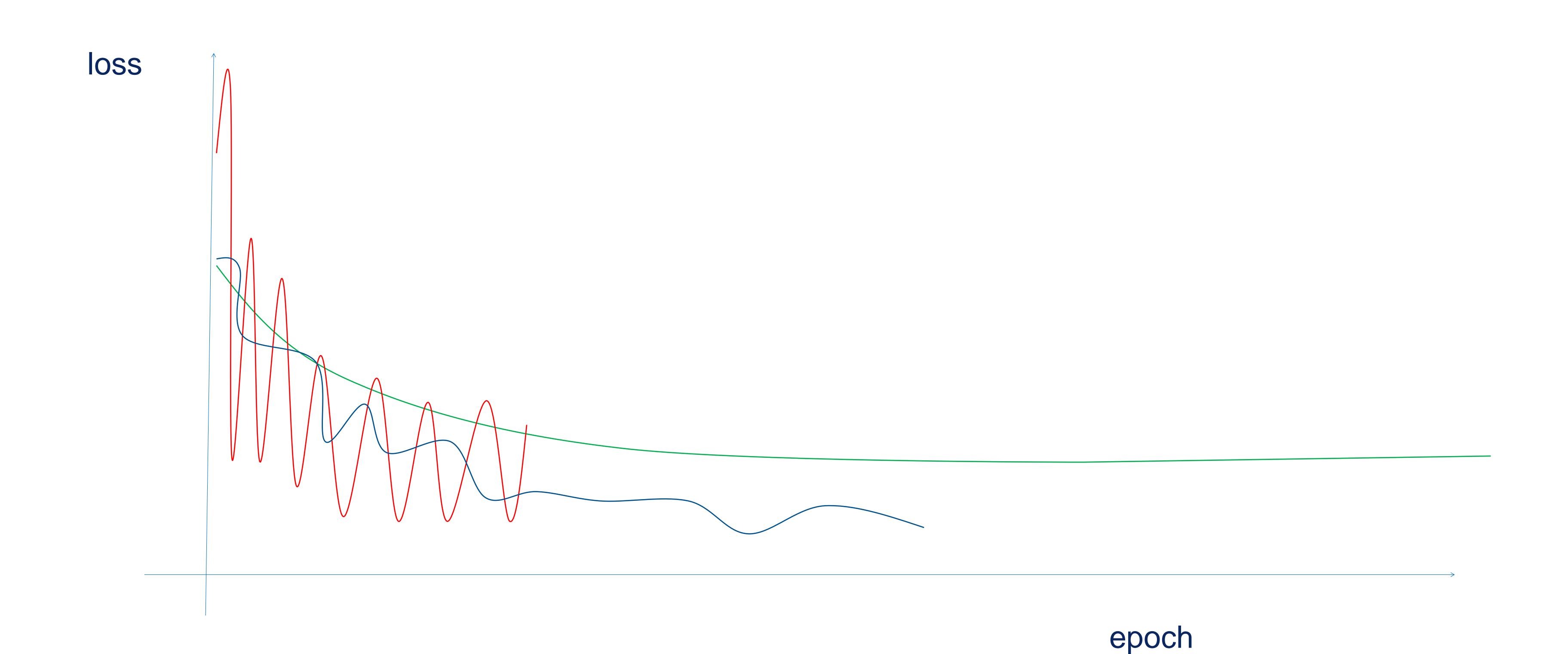
The mini-batch is equal to a subset of the batch size (usually 32/64/128...)

N iterations per epochs = N samples in the batch / mini-batch size

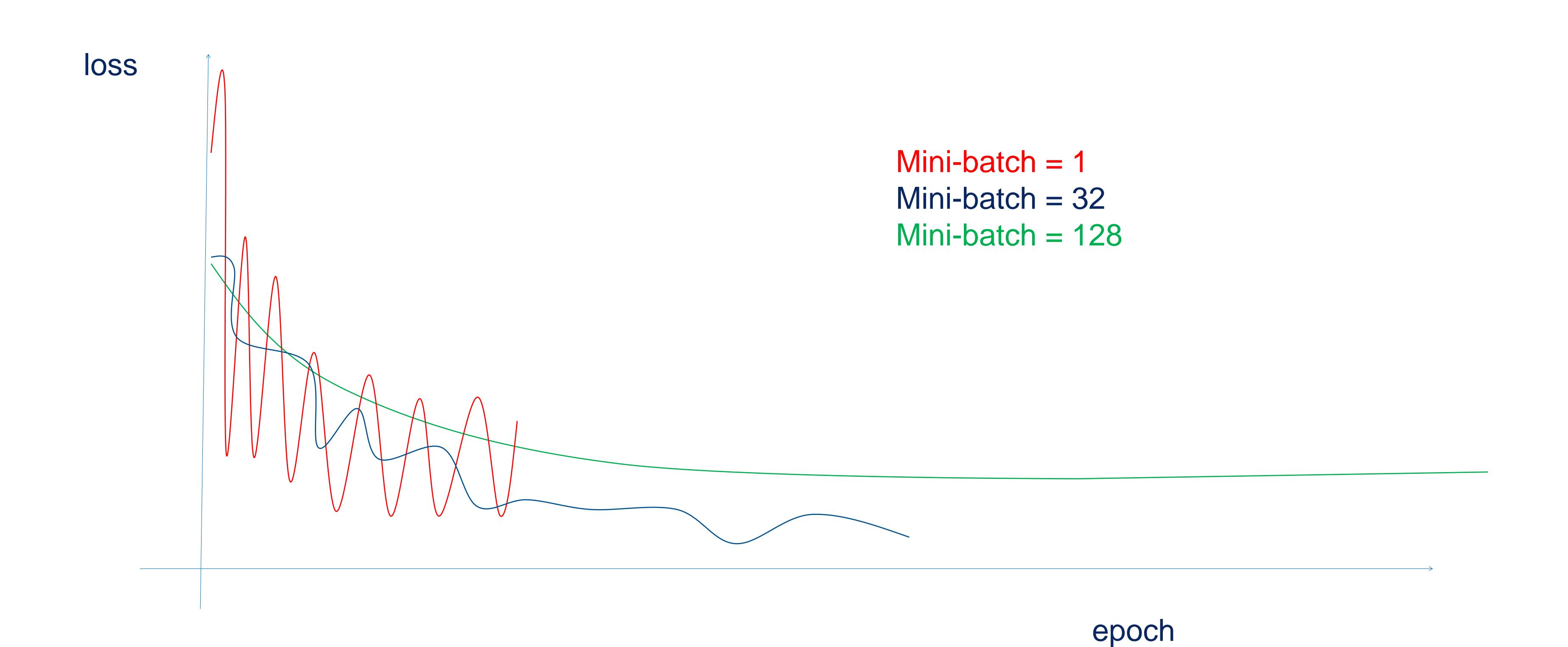
## Effect of different mini-batch size



# Which curve has the largest batch size?

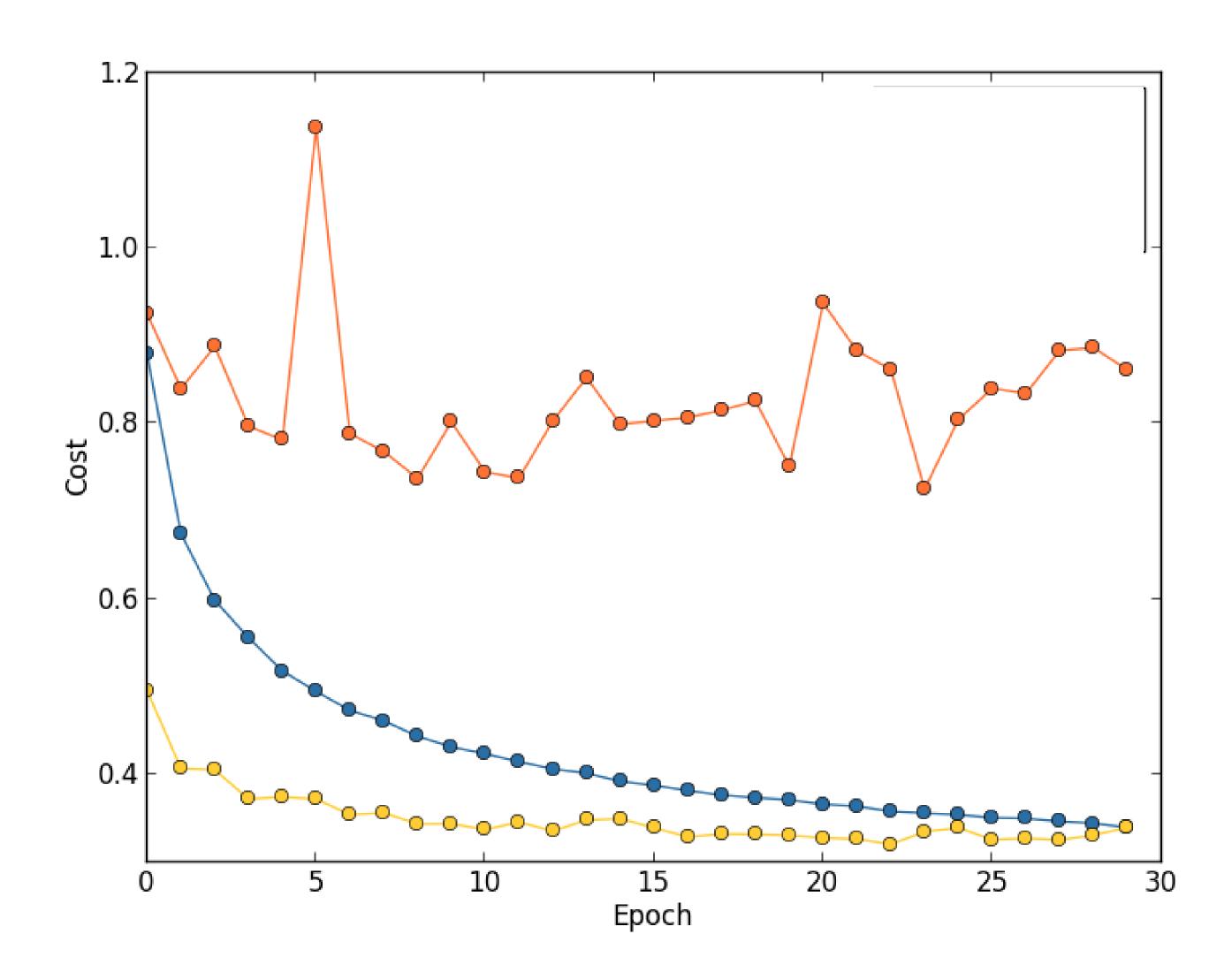


## Which curve has the largest batch size?



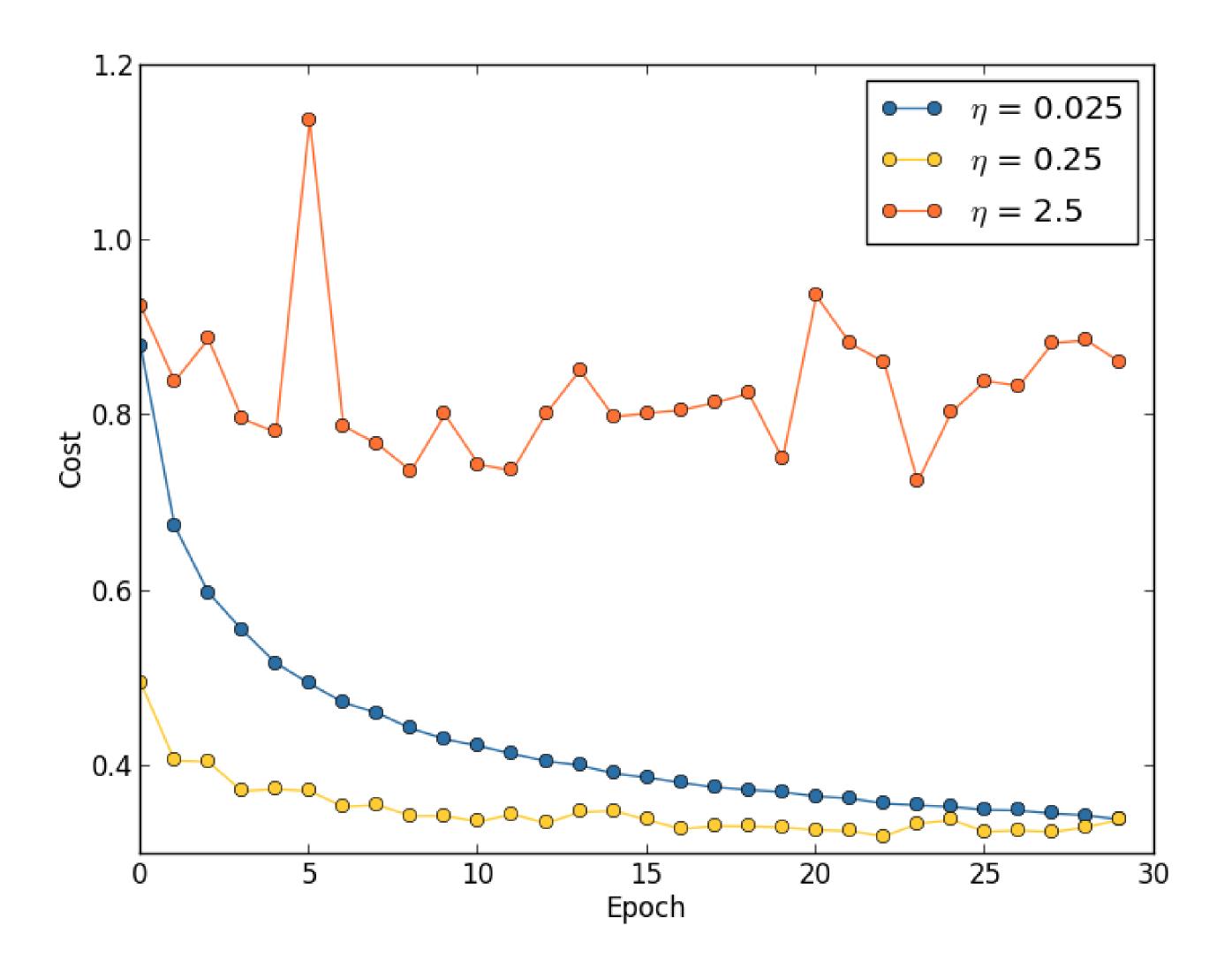
## Which curve has the smallest learning rate?

$$w_t = w_{t-1} + \frac{dE}{dw_t}$$

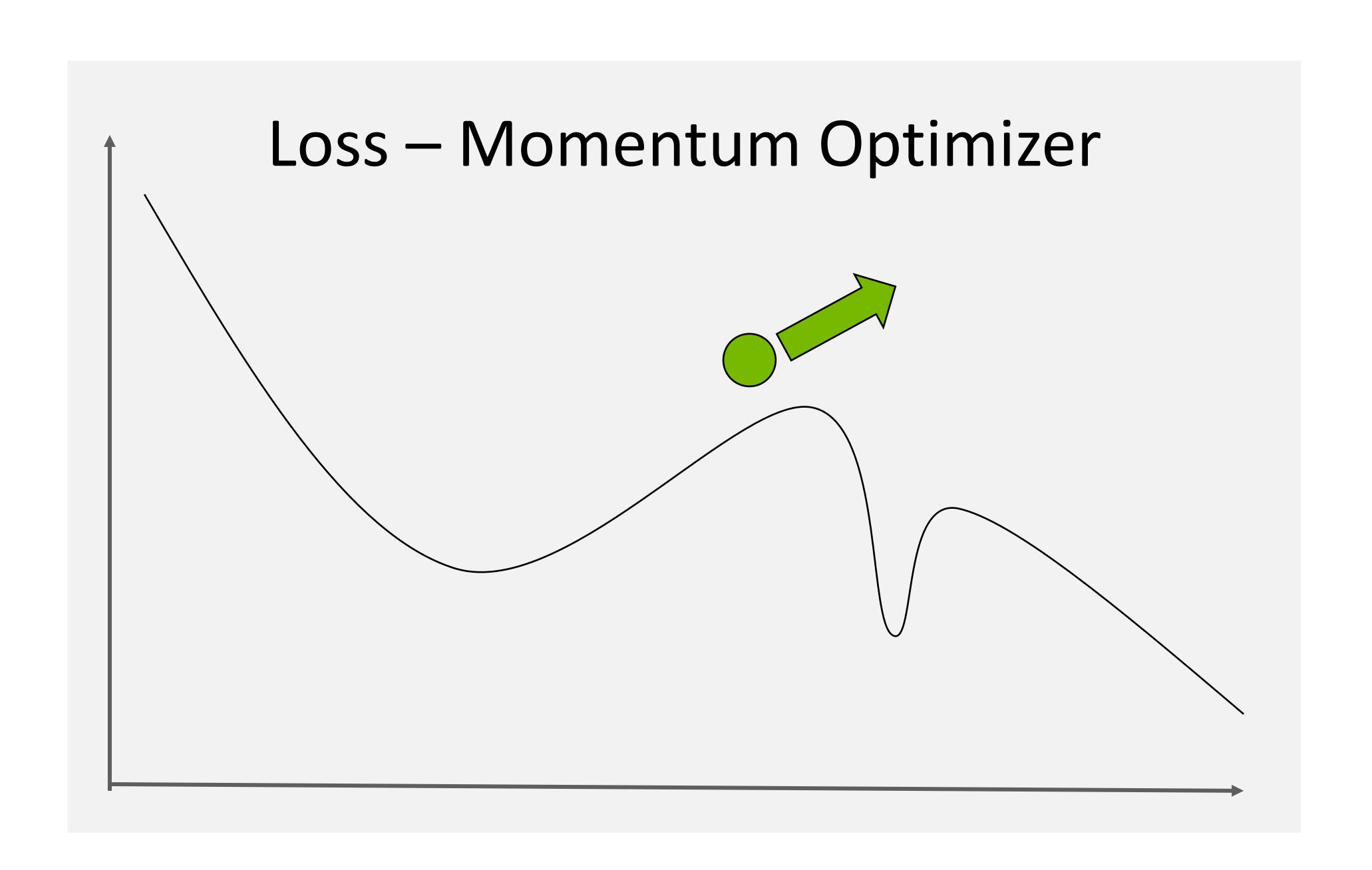


## Which curve has the smallest learning rate?

$$w_t = w_{t-1} + \frac{dE}{dw_t}$$



### Optimizers

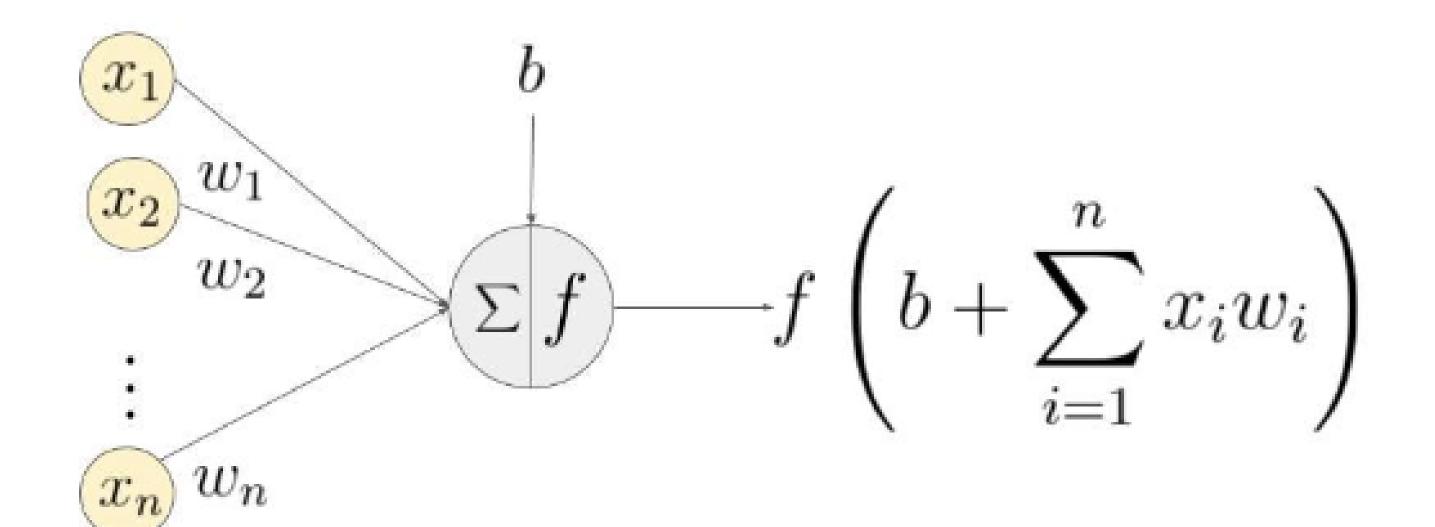


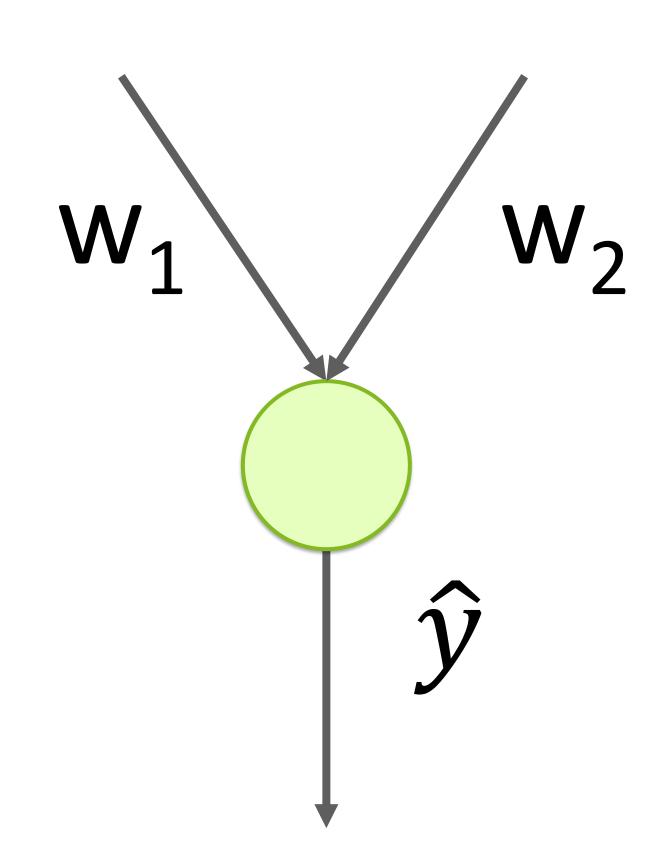
- Adam
- Adagrad
- RMSprop
- SGD





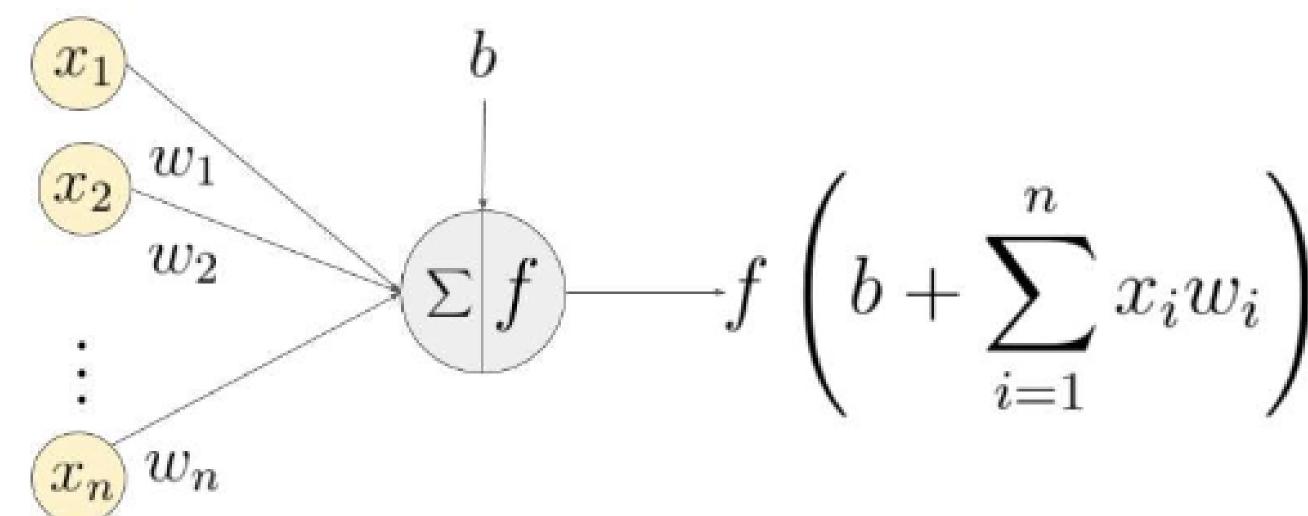
## Building a Network

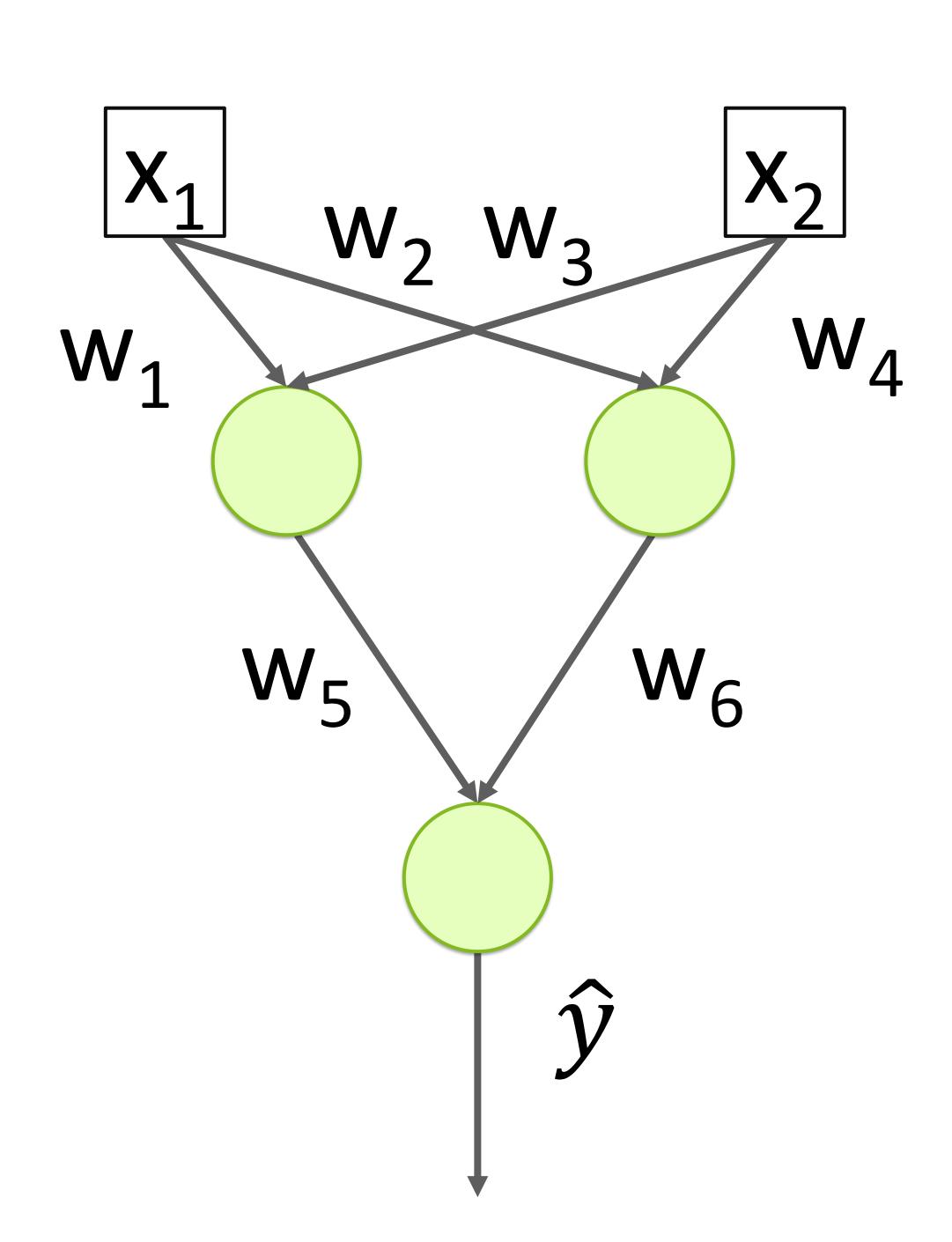




• Scales to more inputs

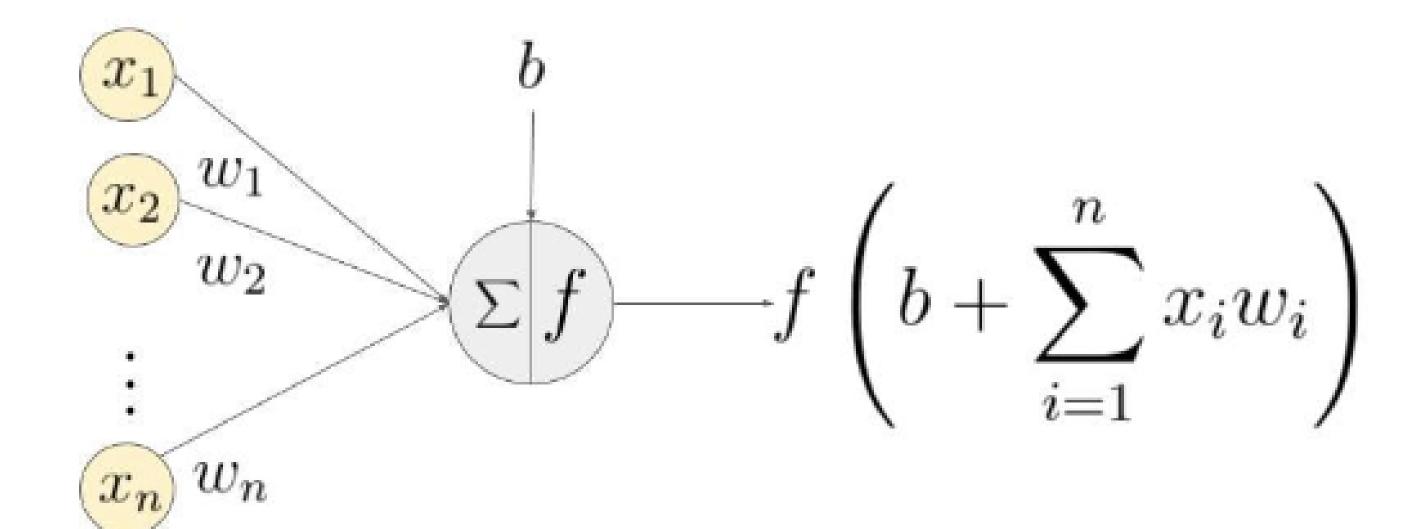
## Building a Network

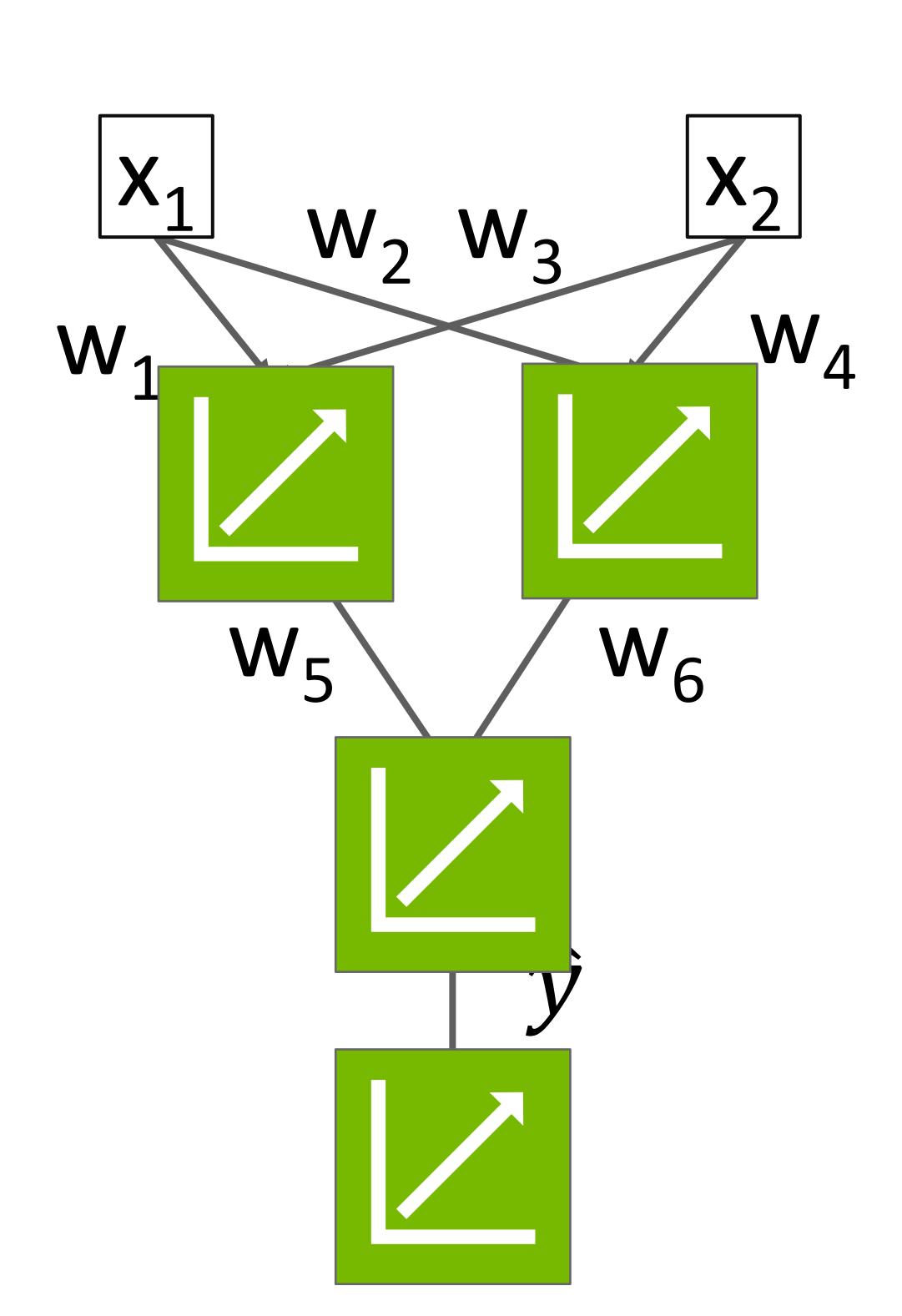




- Scales to more inputs
- Can chain neurons

## Building a Network





- Scales to more inputs
- Can chain neurons
- If all regressions are linear, then output will also be a linear regression





#### **Activation Functions**

#### Linear

$$\hat{y} = wx + b$$

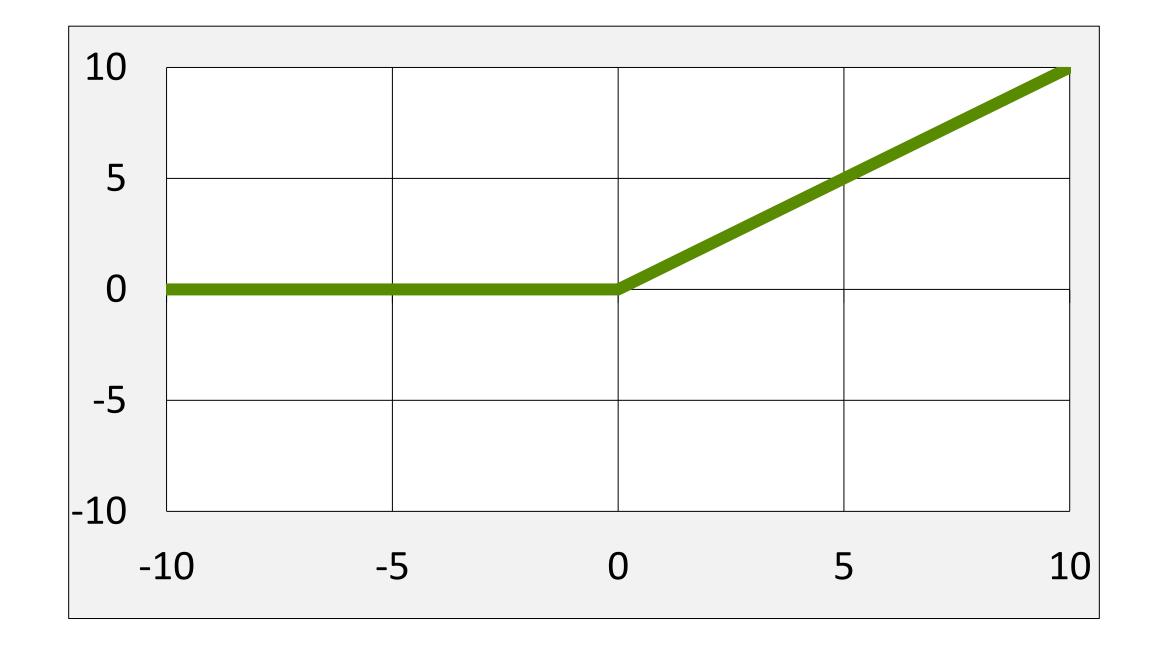
- 1 # Multiply each input
  2 # with a weight (w) and
- 3 # add intercept (b)
- $4 y_hat = wx+b$

## 10 5 0 -5 -10 -10 -5 0 5 10

#### ReLU

$$\hat{y} = \begin{cases} wx + b & if wx + b > 0 \\ 0 & otherwise \end{cases}$$

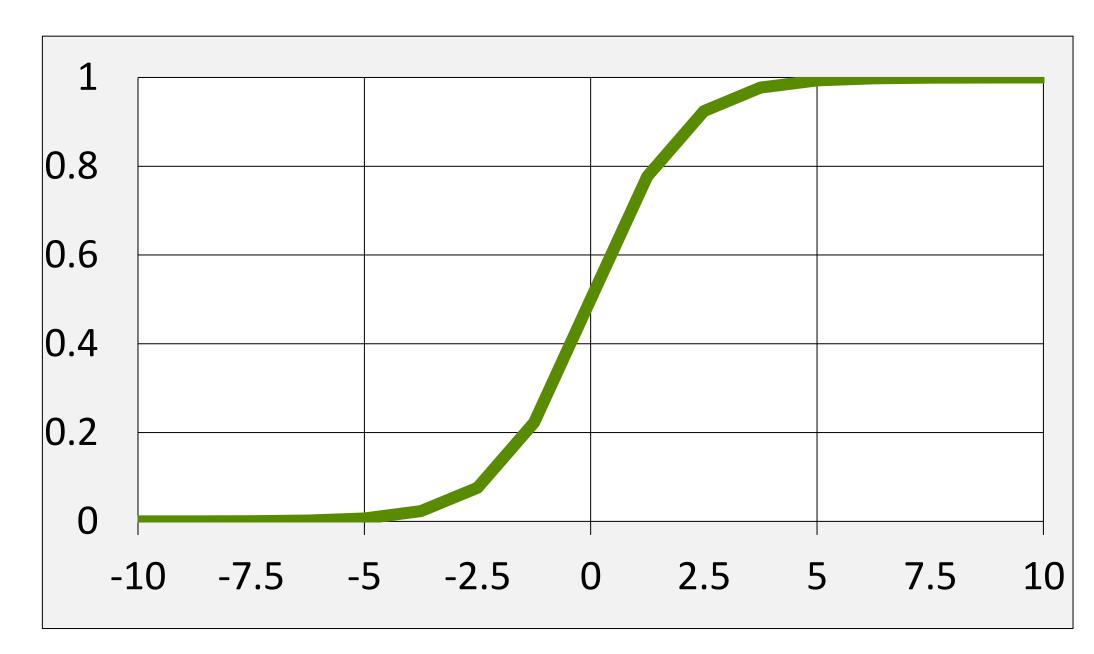
1 # Only return result
2 # if total is positive
3 linear = wx+b
4 y\_hat = linear \* (linear > 0)



#### Sigmoid

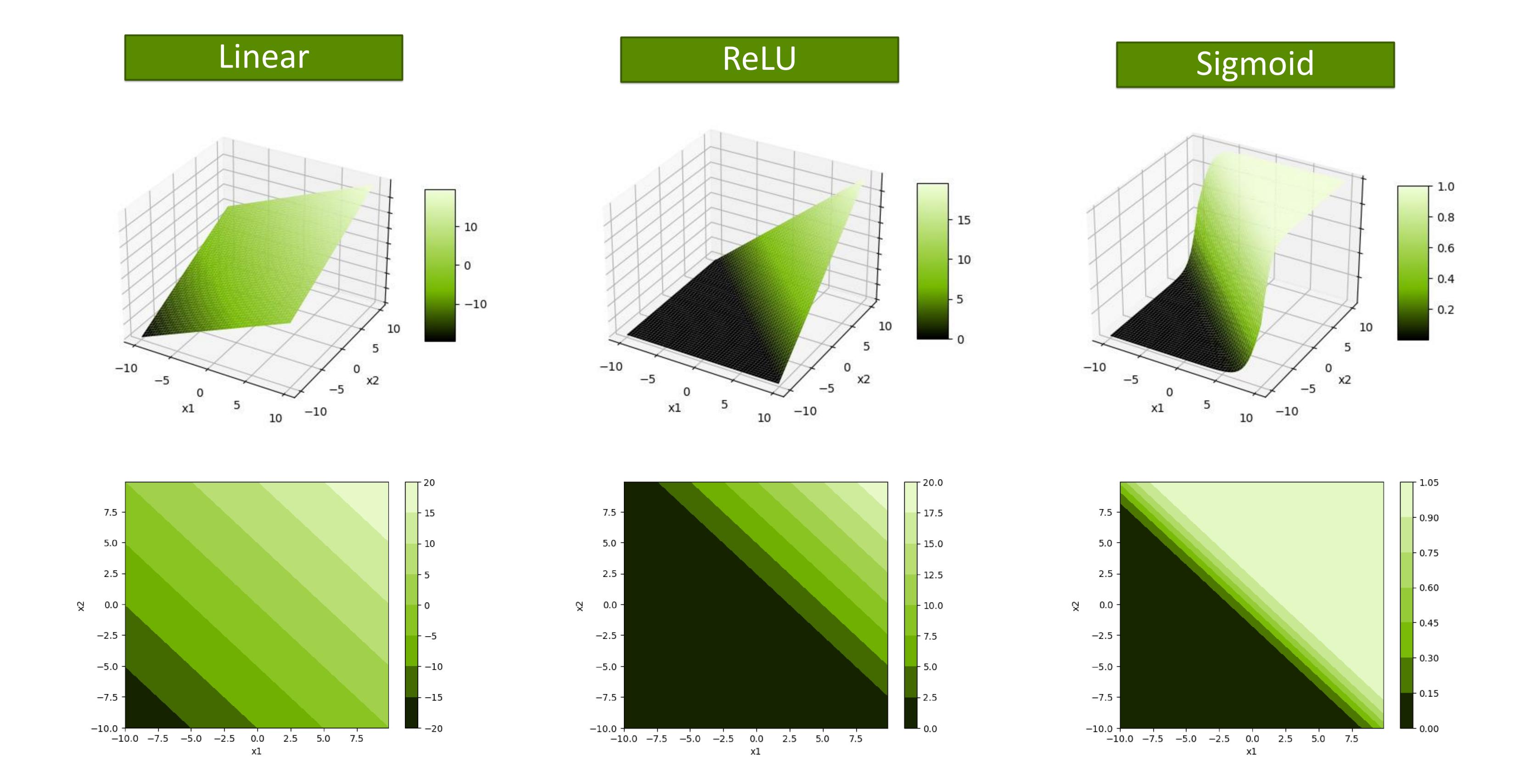
$$\hat{y} = \frac{1}{1 + e^{-(wx+b)}}$$

```
1  # Start with line
2  linear = wx + b
3  # Warp to - inf to 0
4  inf_to_zero = np.exp(-1 * linear)
5  # Squish to -1 to 1
6  y_hat = 1 / (1 + inf_to_zero)
```



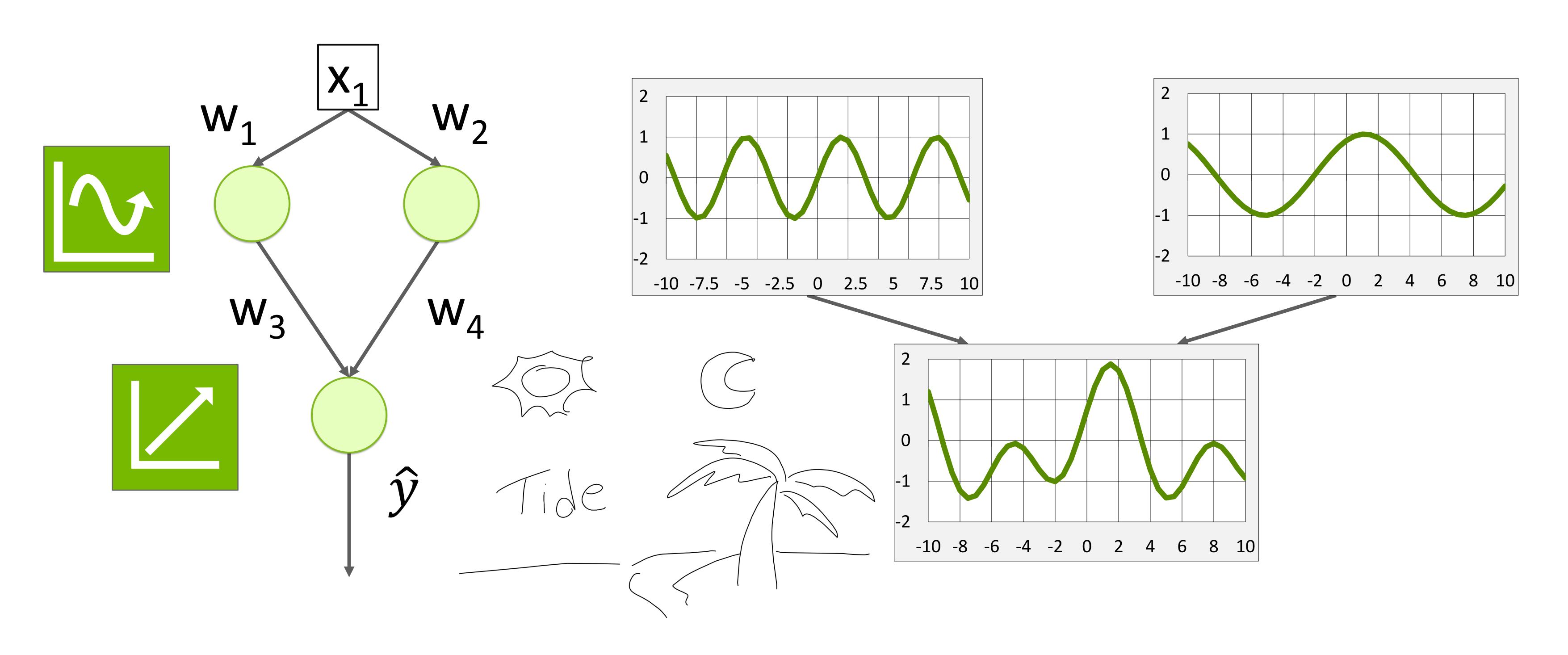


#### **Activation Functions**





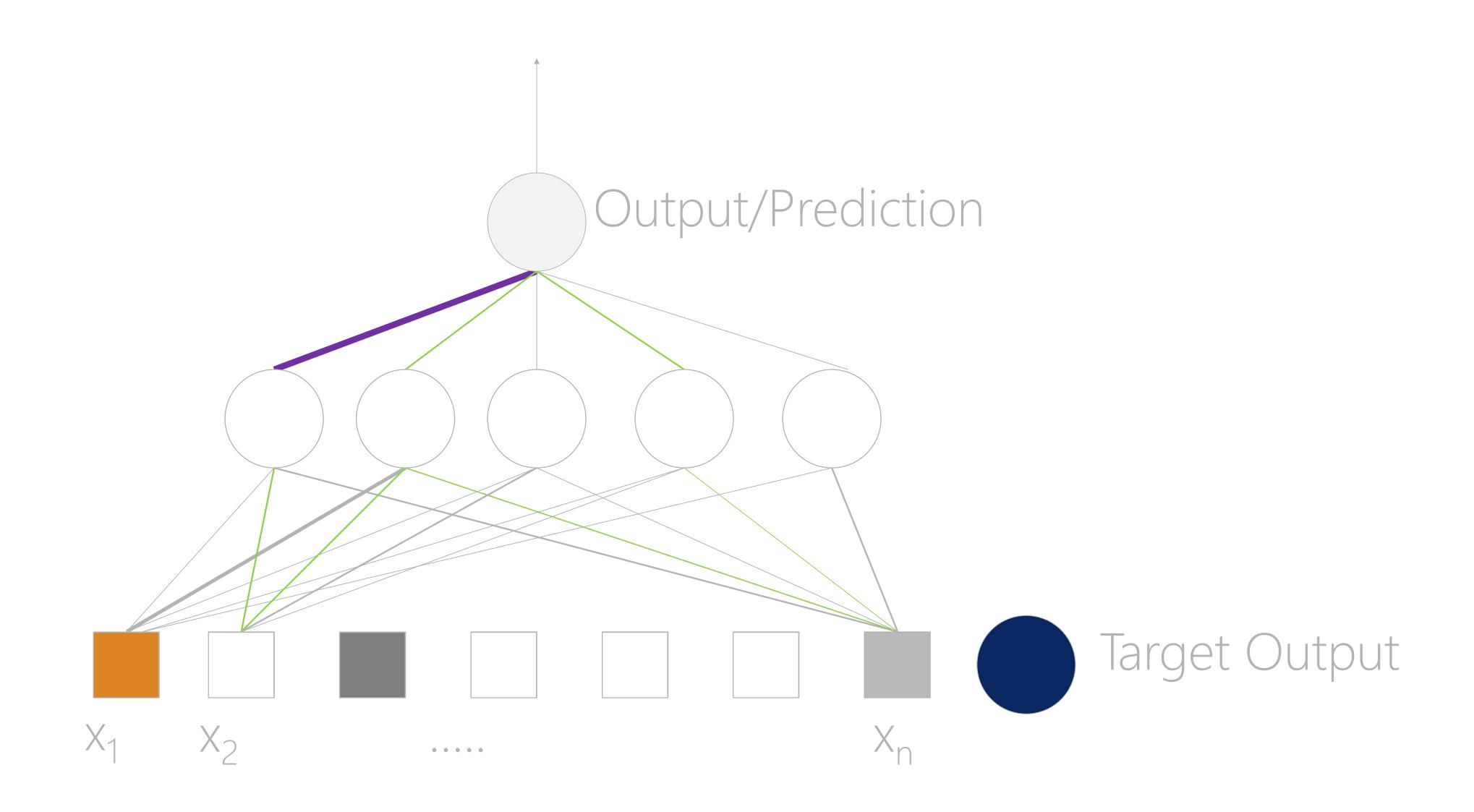
### **Activation Functions**





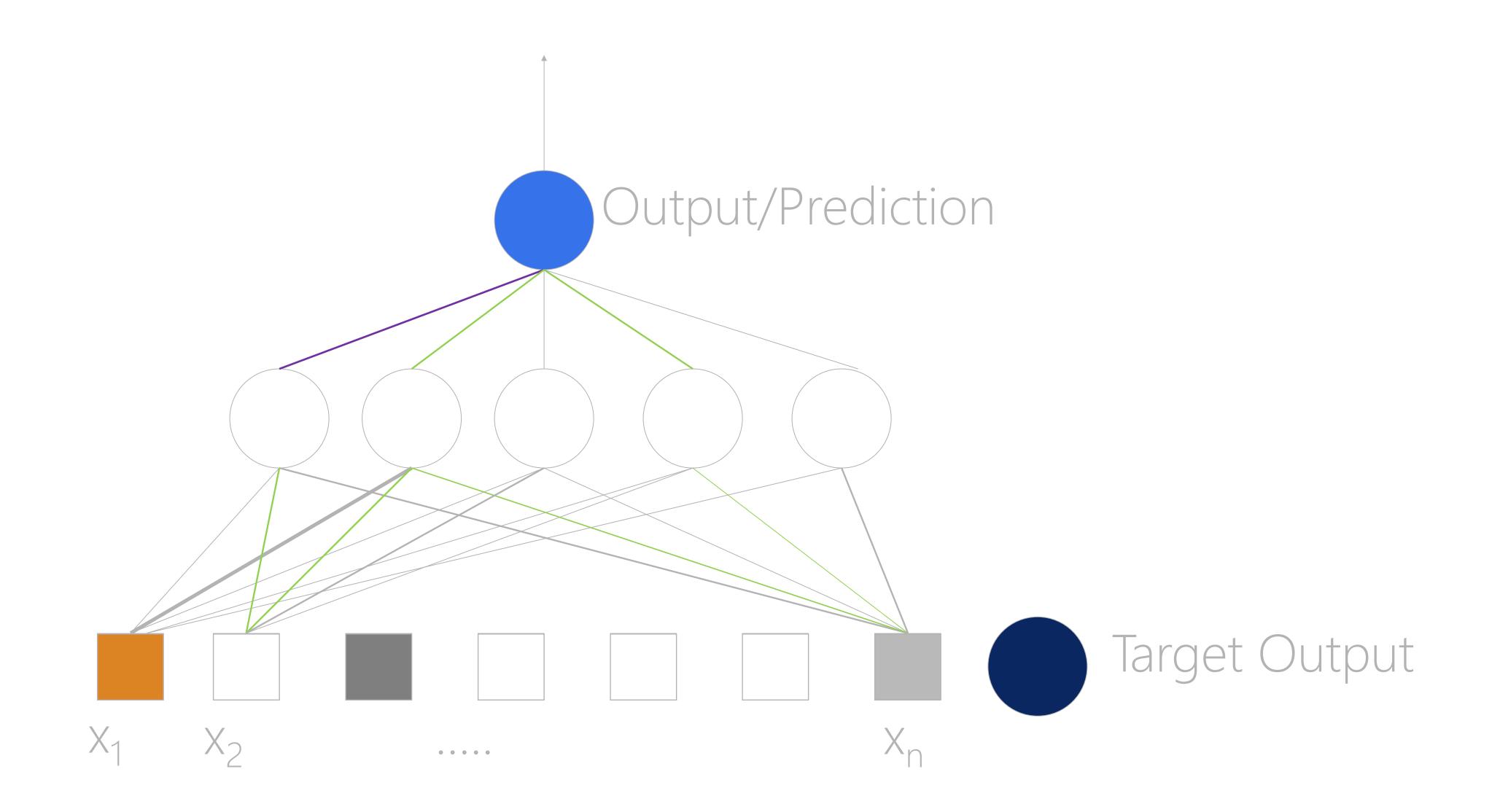
# Learning Principle $(x_2)$ Error: $w_2$ **Output Prediction** Dataset Target Output Outputs Inputs Each of these lines is a weight! So, if I say a dense layer with N inputs and M outputs (neurons) the number of weights is: NxM + M. For example: nn.Linear(7,10) = 7x10+10 = 80 learning parameters!

## Learning Principle: adjust weigths





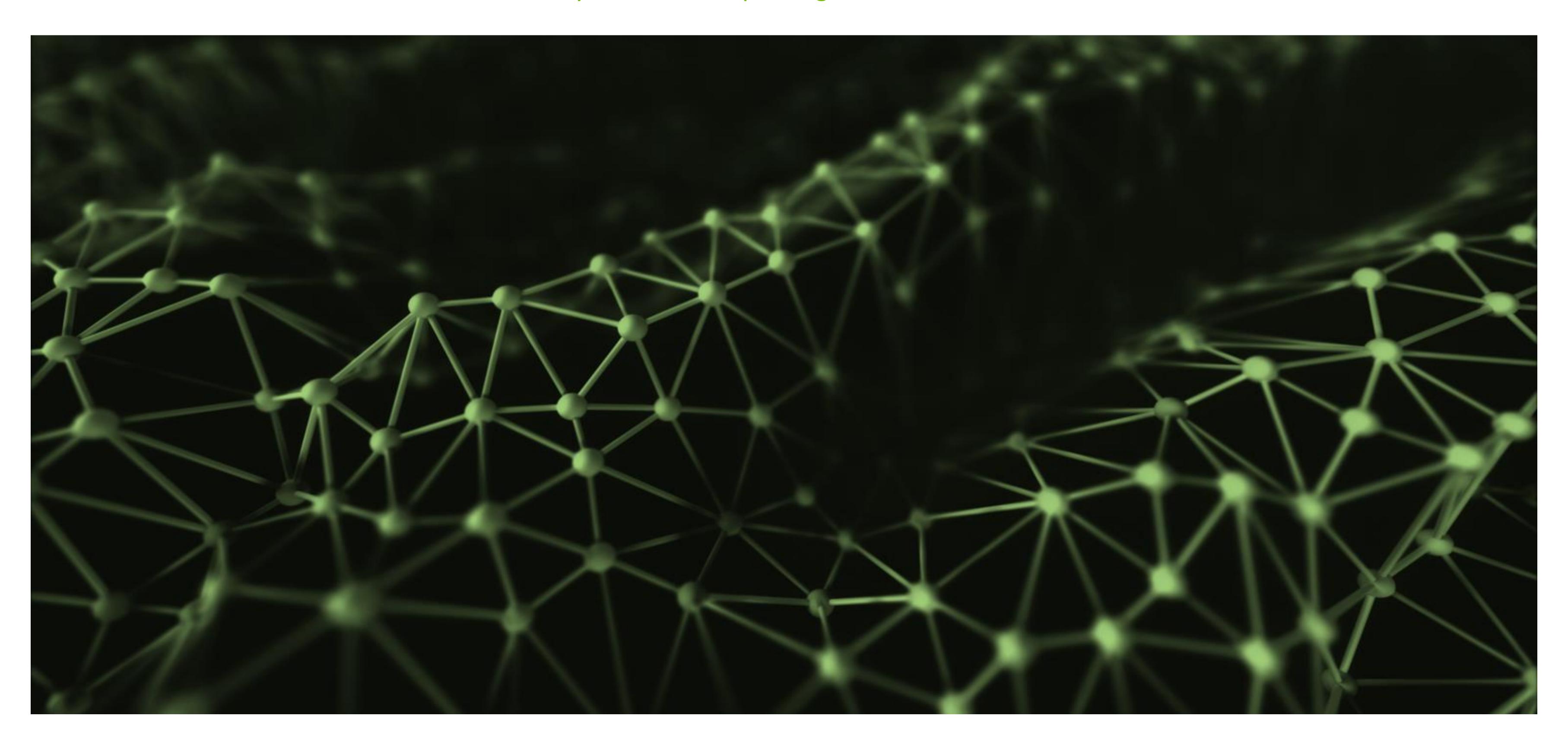
## Learning Principle: adjust weights





## Overfitting

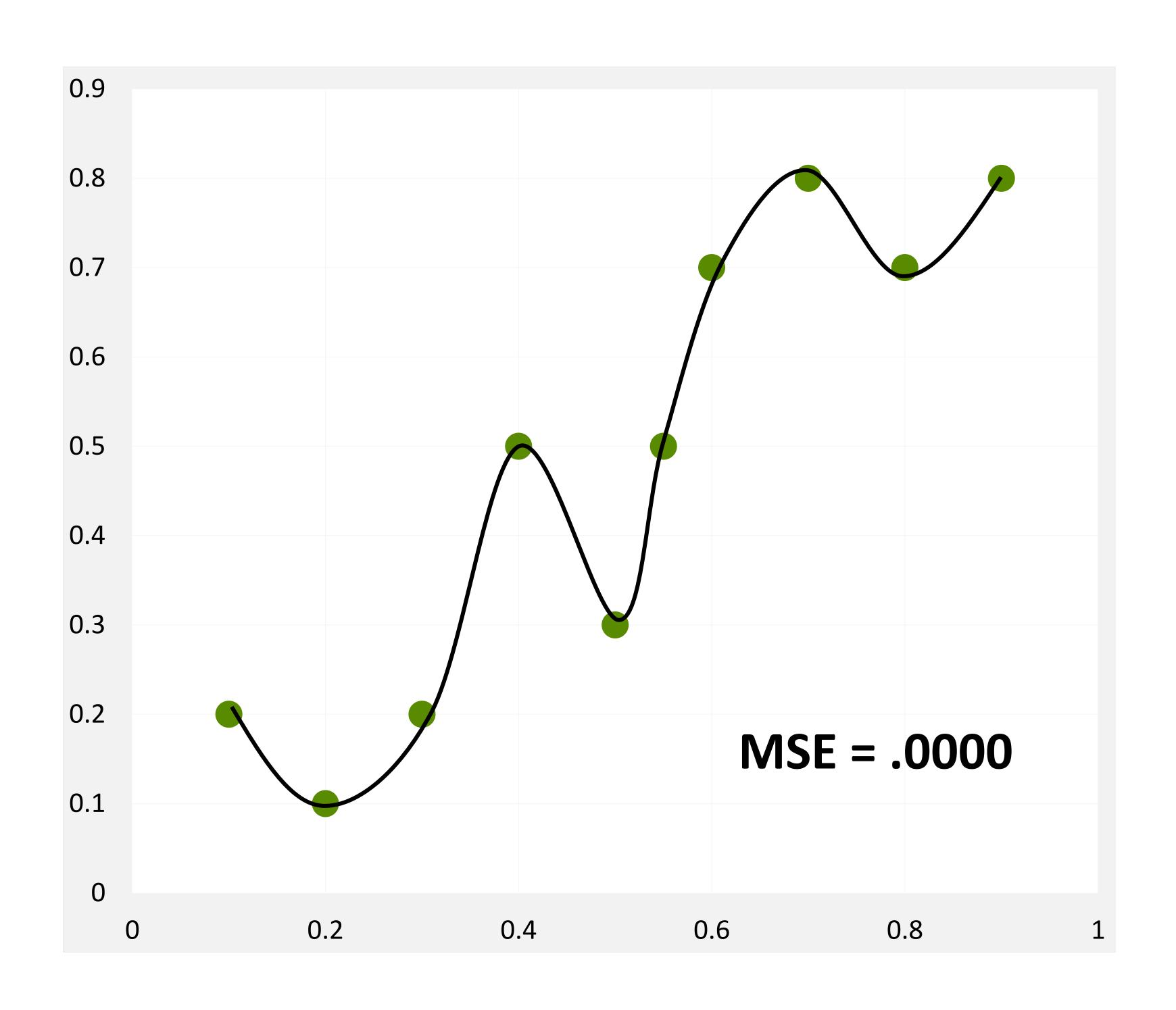
Why not have a super large neural network?

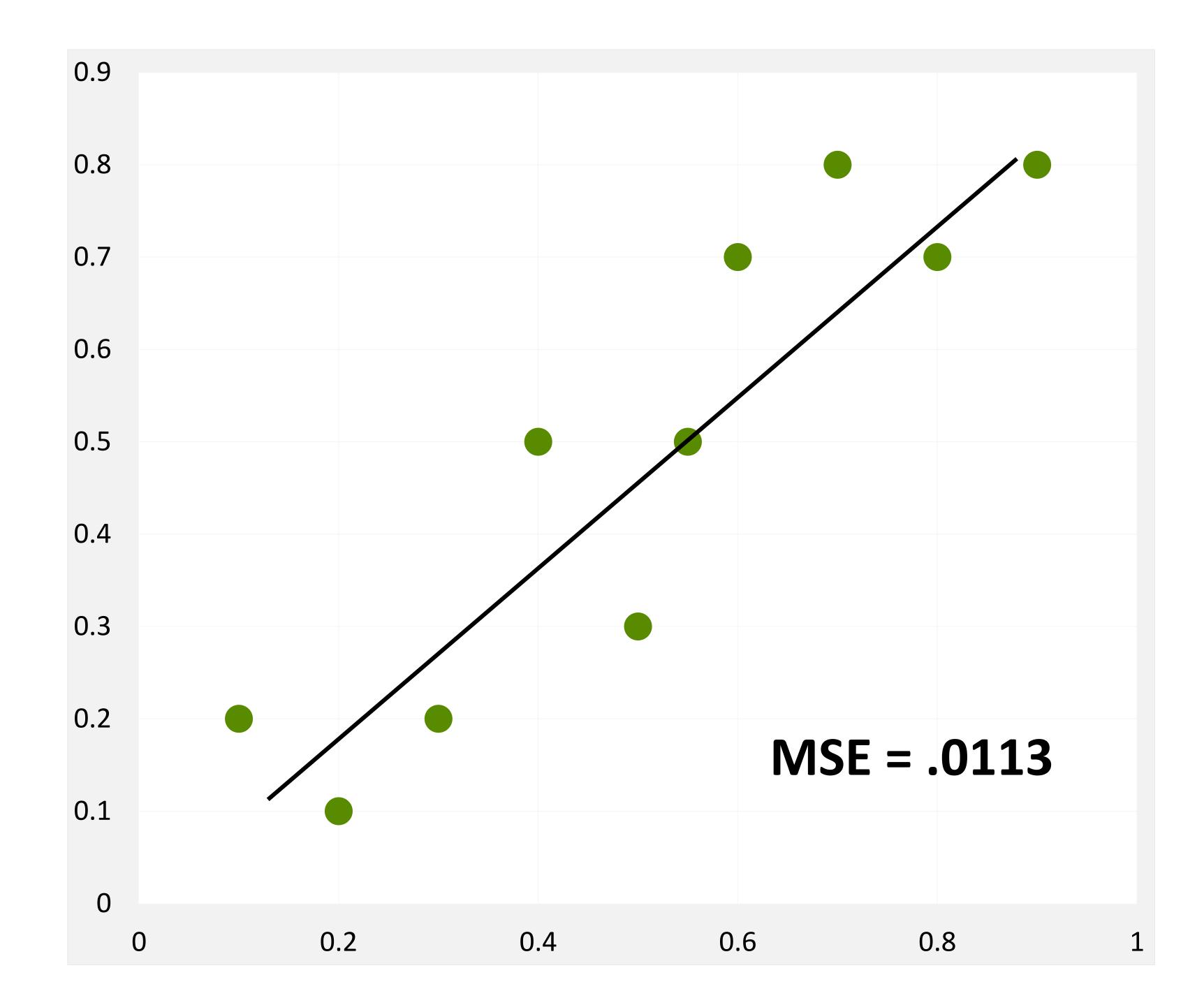




## Overfitting

#### Which Trendline is Better?

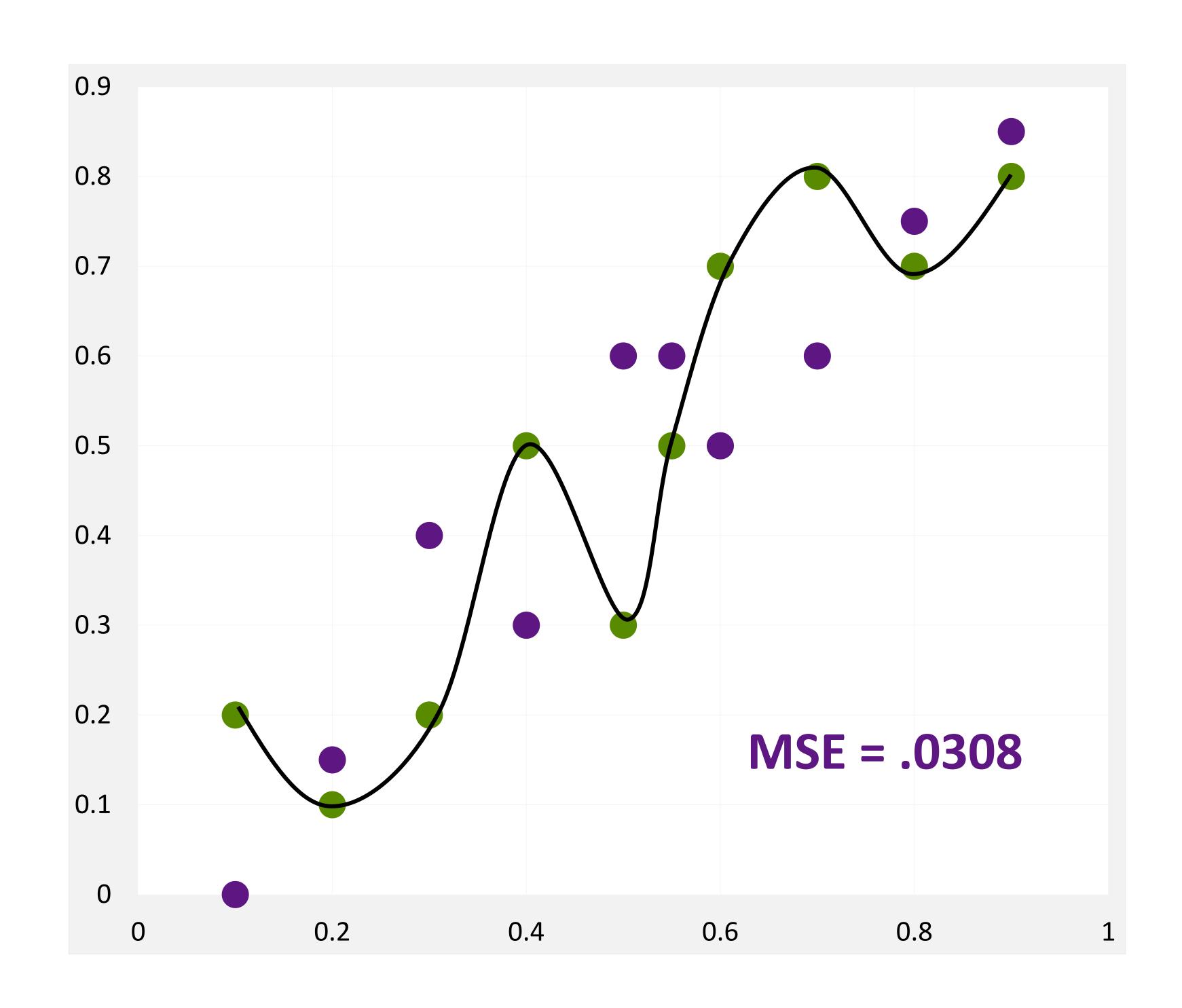


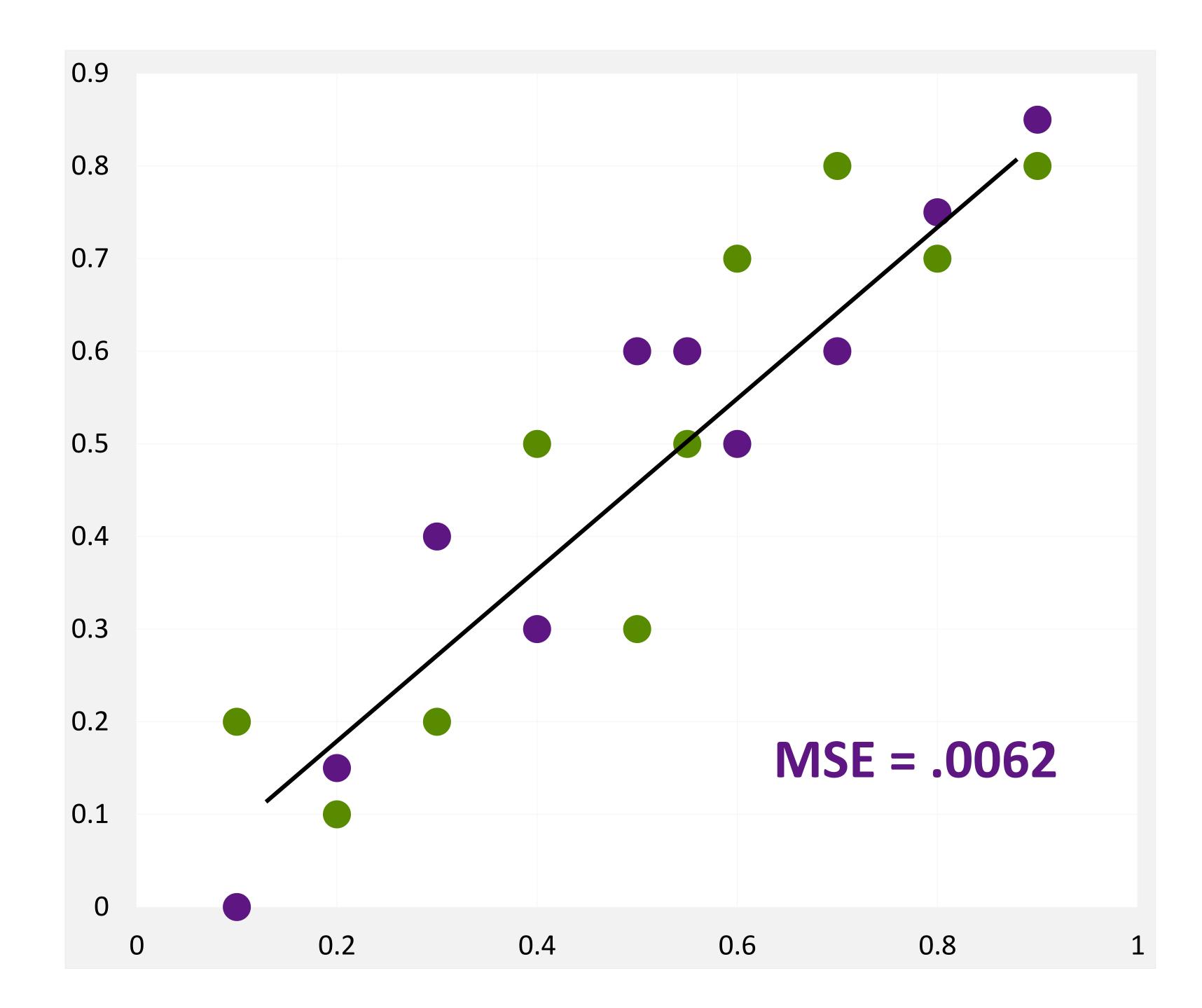




# Overfitting

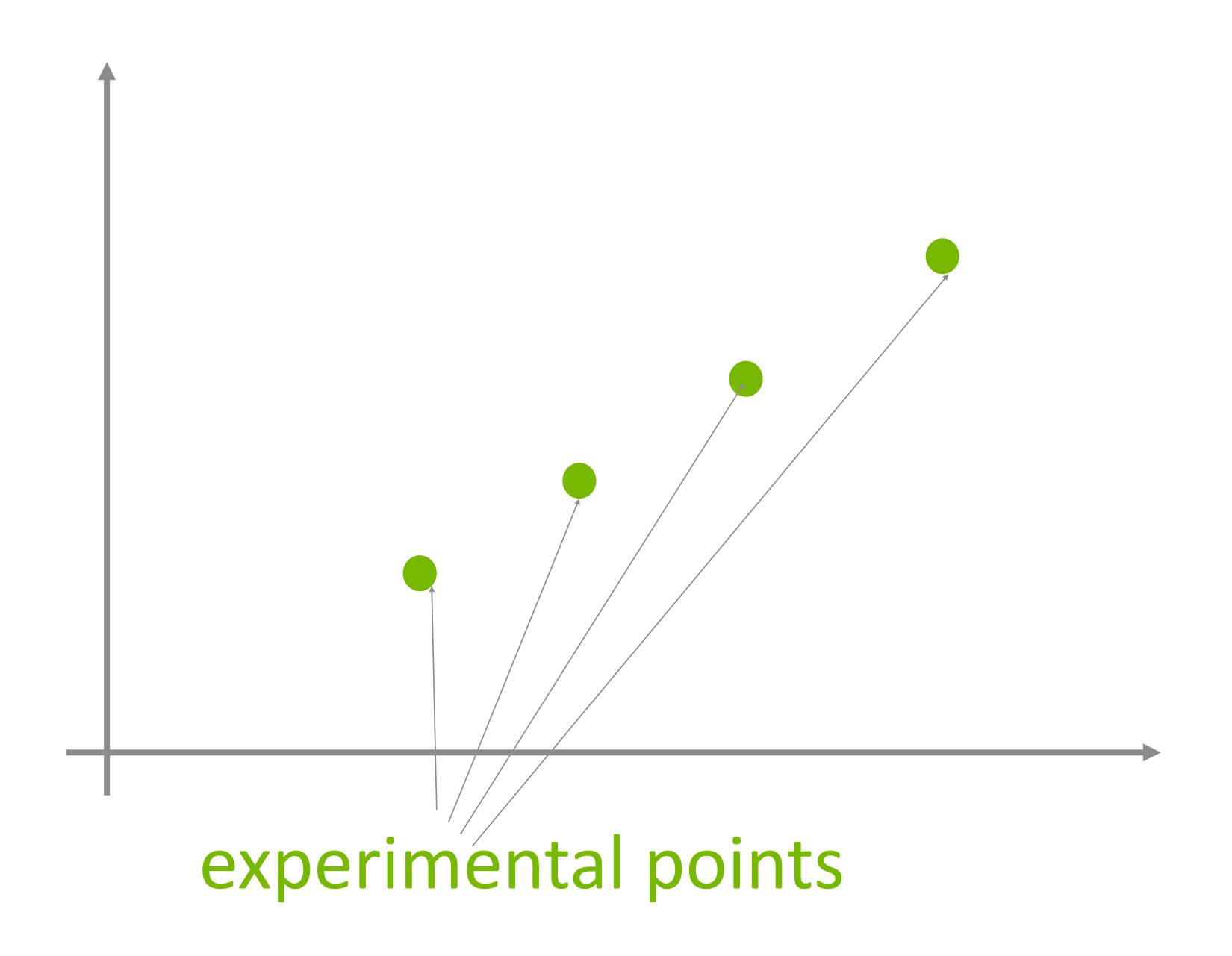
#### Which Trendline is Better?





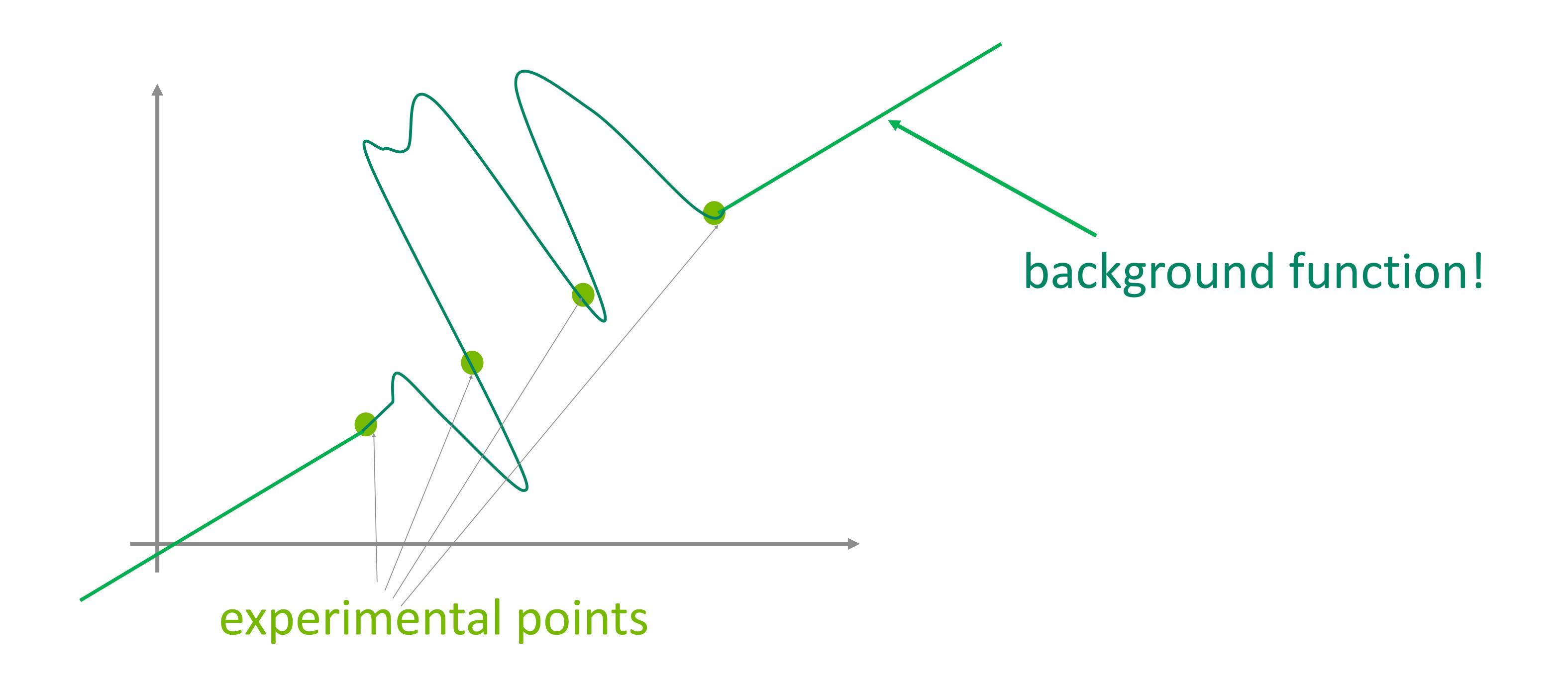


# Why interpolation is better than extrapolation?



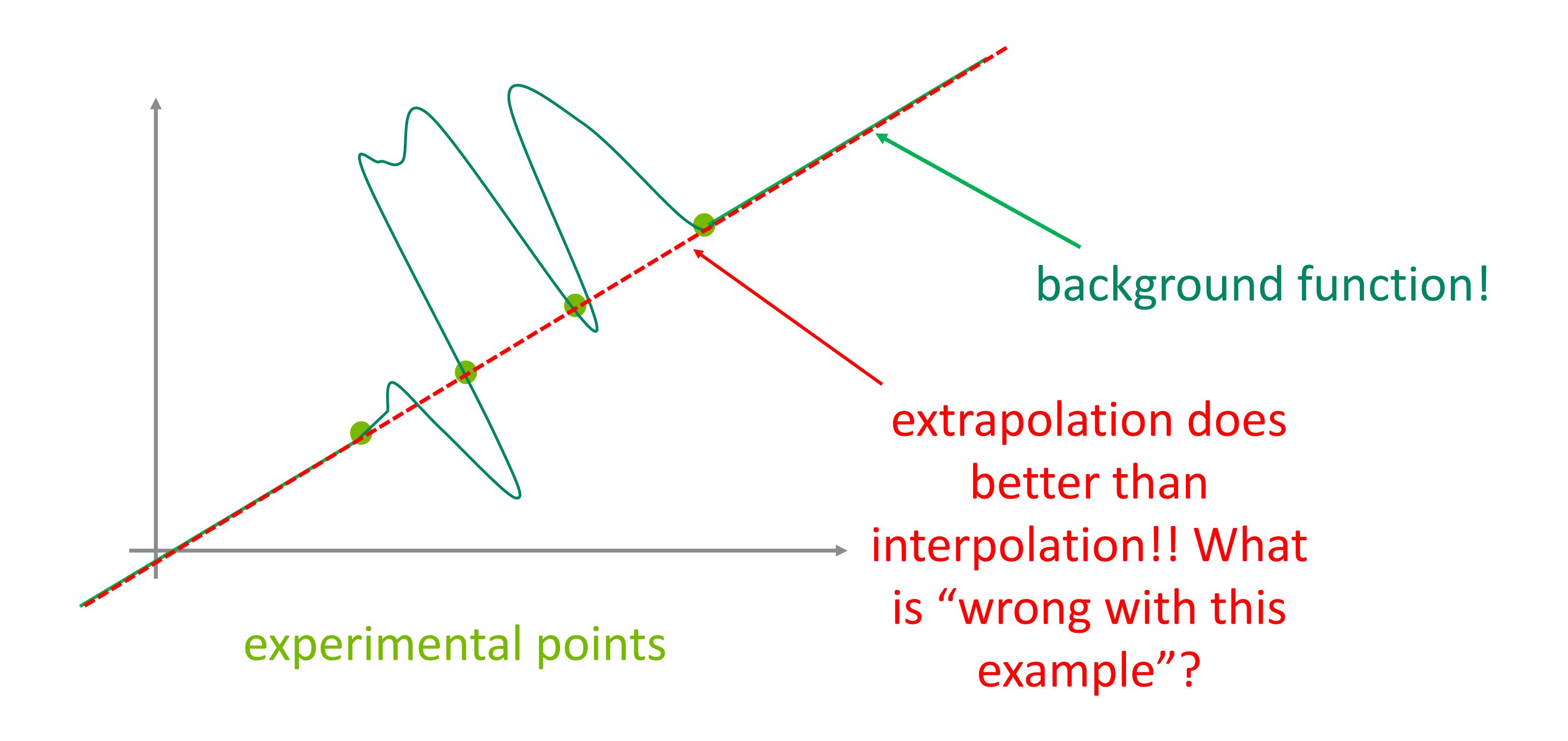


# Why interpolation is better than extrapolation?





# Why interpolation is better than extrapolation?





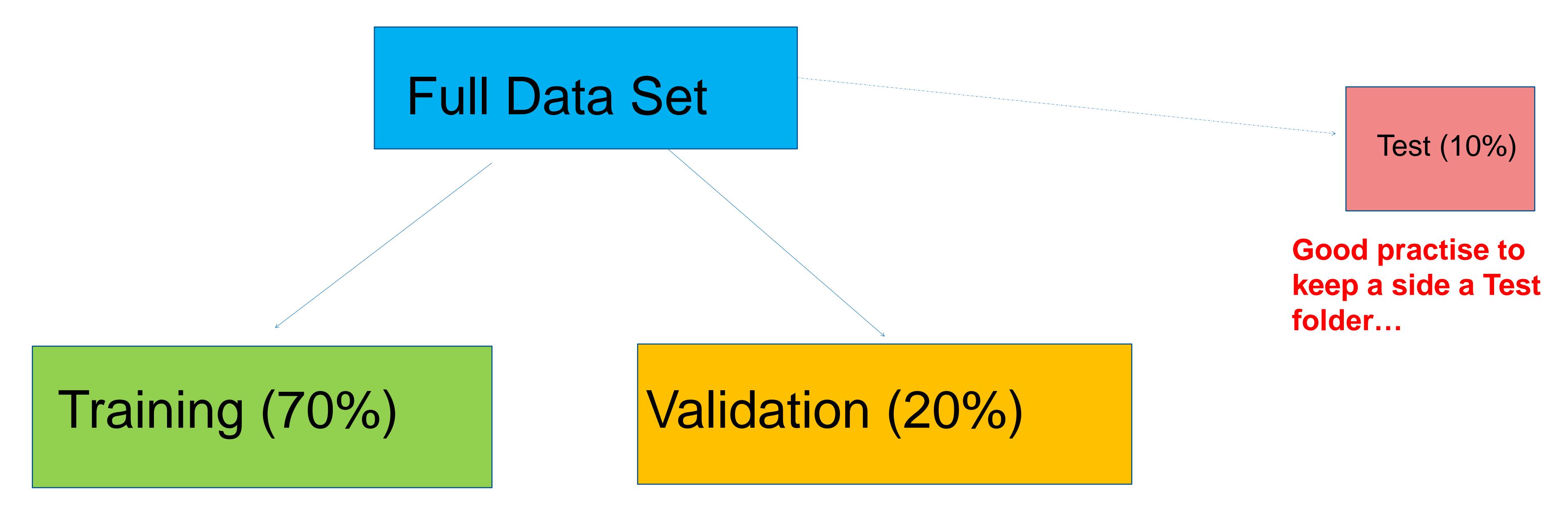
# Definitions (III)

Full Data Set

Training (80%)

Validation (20%)

# Definitions (IV)



#### Training vs Validation Data

Avoid memorization

#### Training data

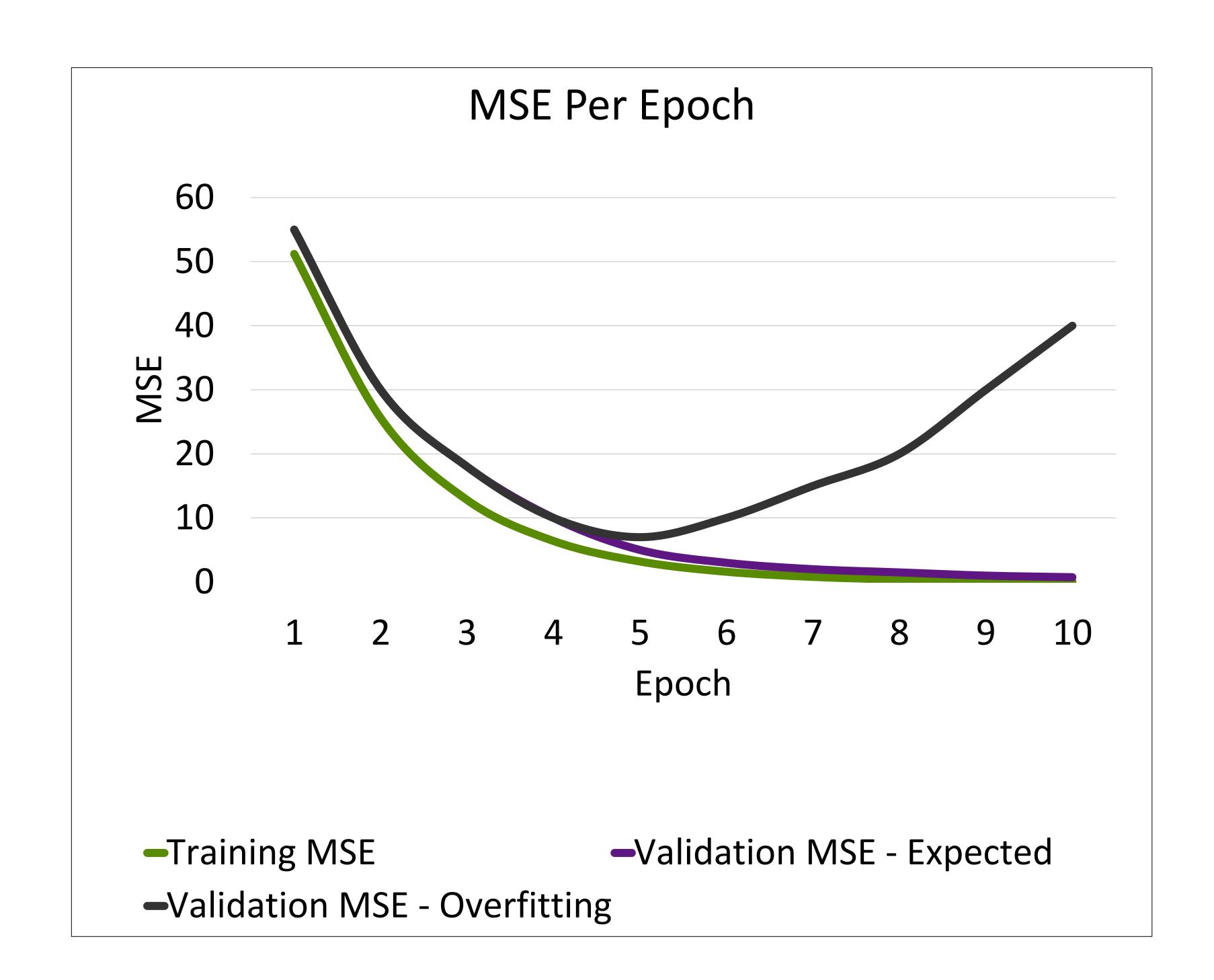
Core dataset for the model to learn on

#### Validation data

New data for model to see if it truly understands (can generalize)

#### Overfitting

- •When model performs well on the training data, but not the validation data (evidence of memorization)
- Ideally the accuracy and loss should be similar between both datasets

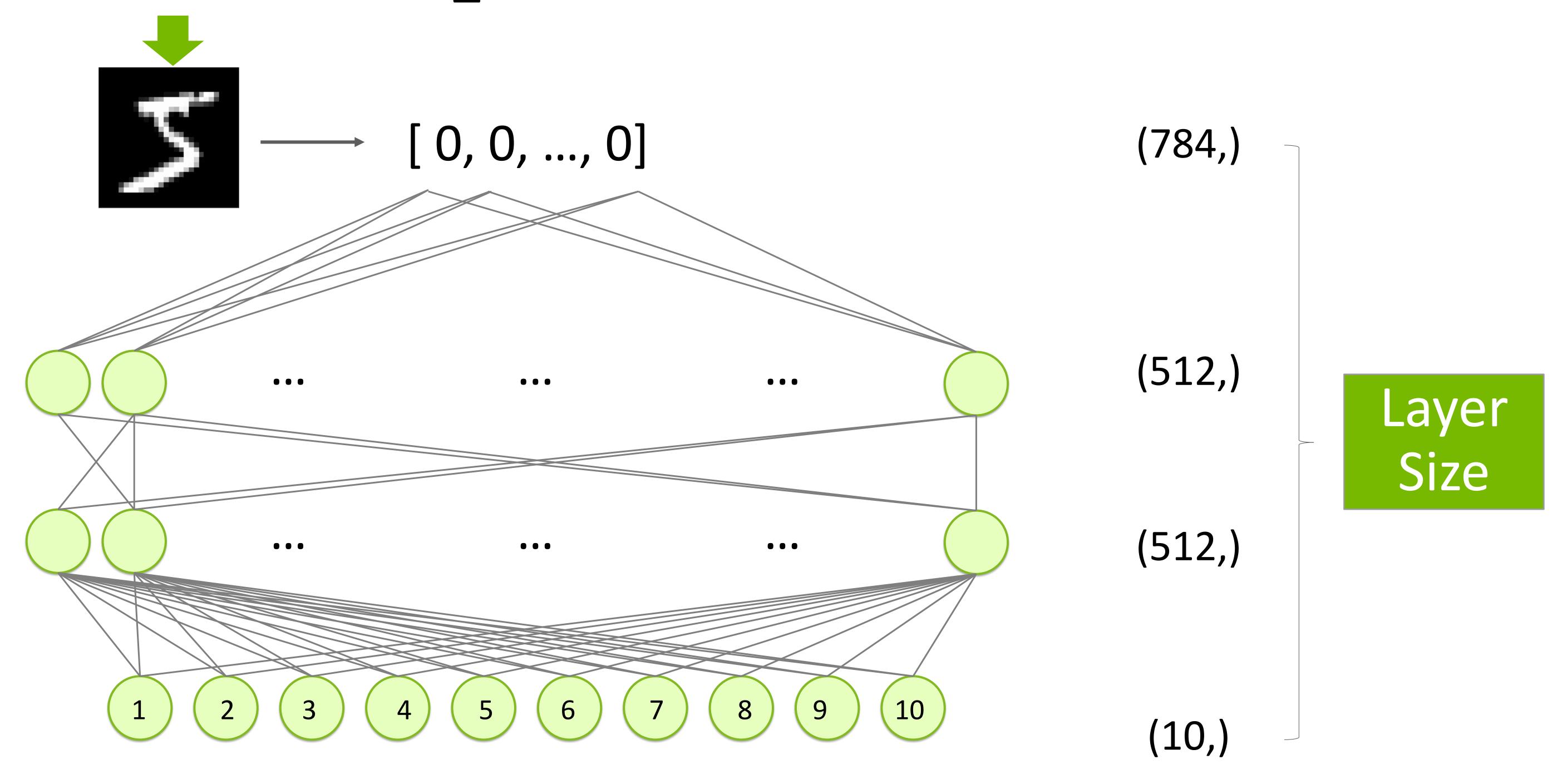






#### An MNIST Model

## BATCH\_SIZEx1x28x28 = BATCH\_SIZEx784



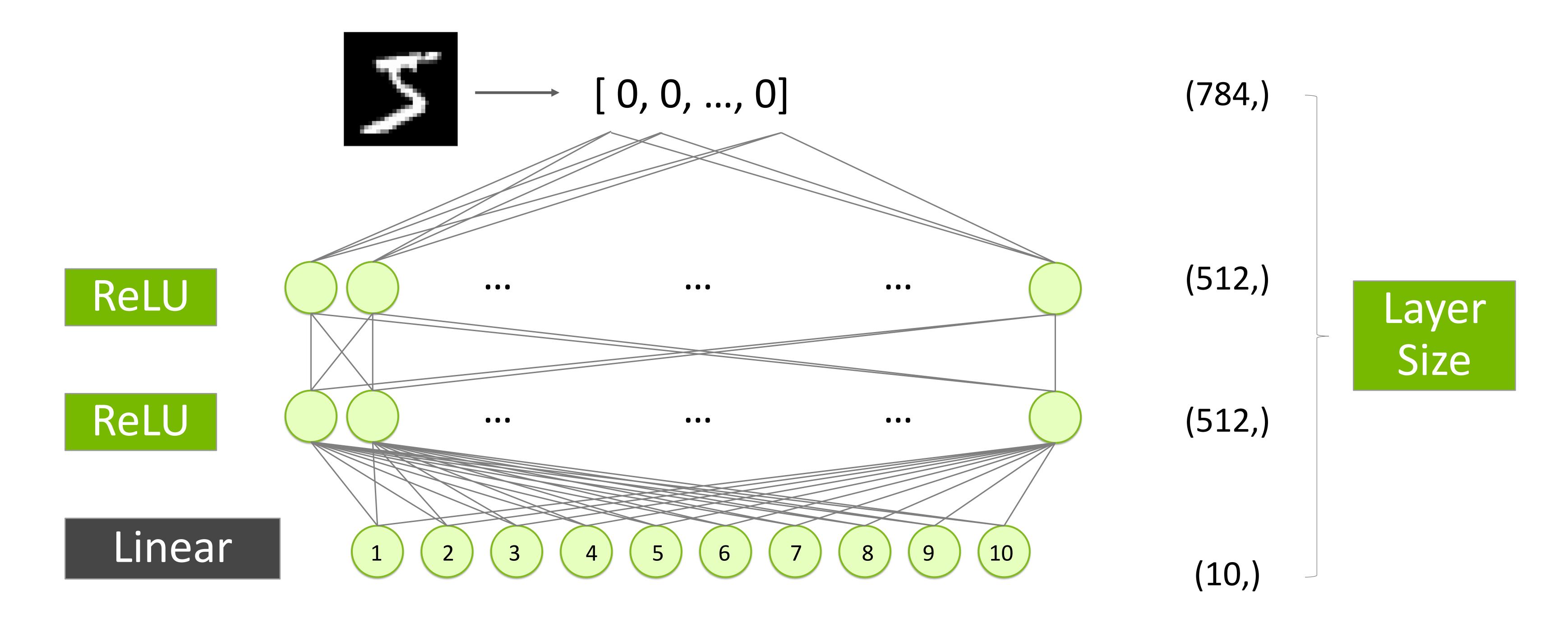
10 possible numbers



#### An MNIST Model

**During Prediction** 

### BATCH\_SIZEx1x28x28 = BATCH\_SIZEx784

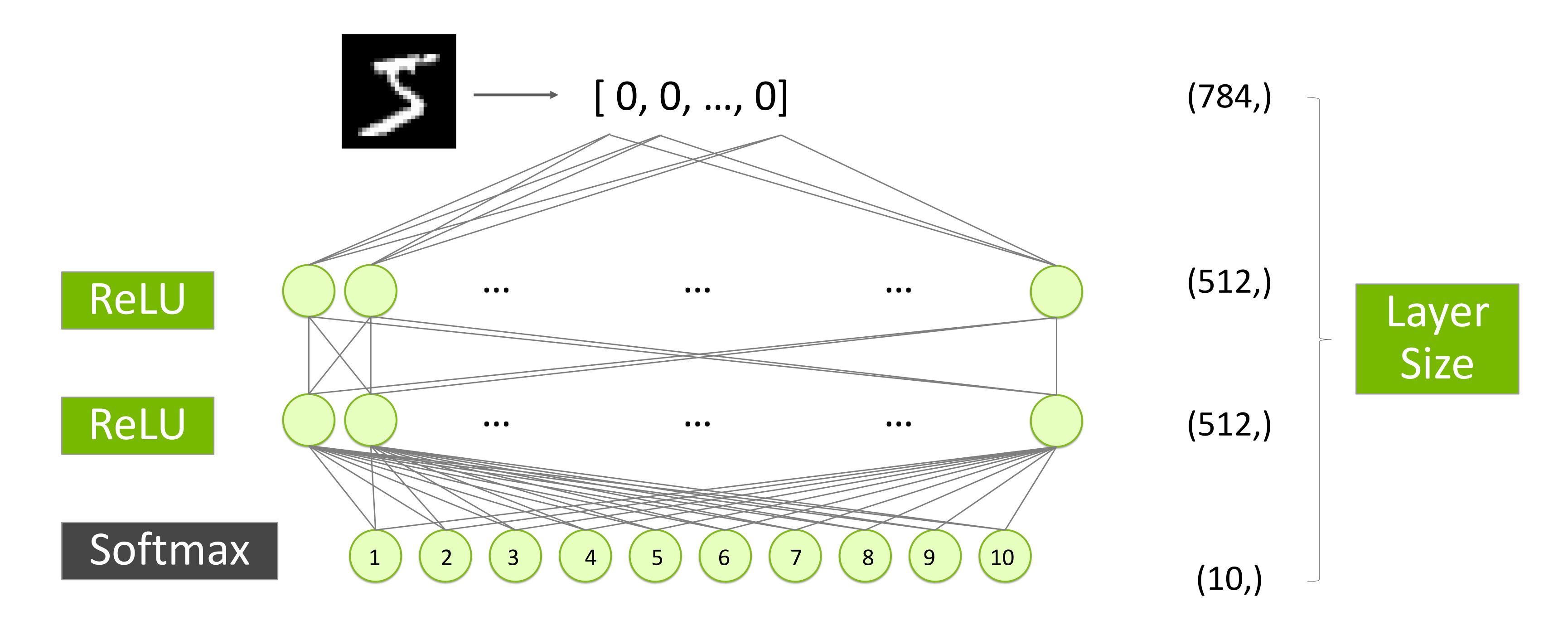




#### An MNIST Model

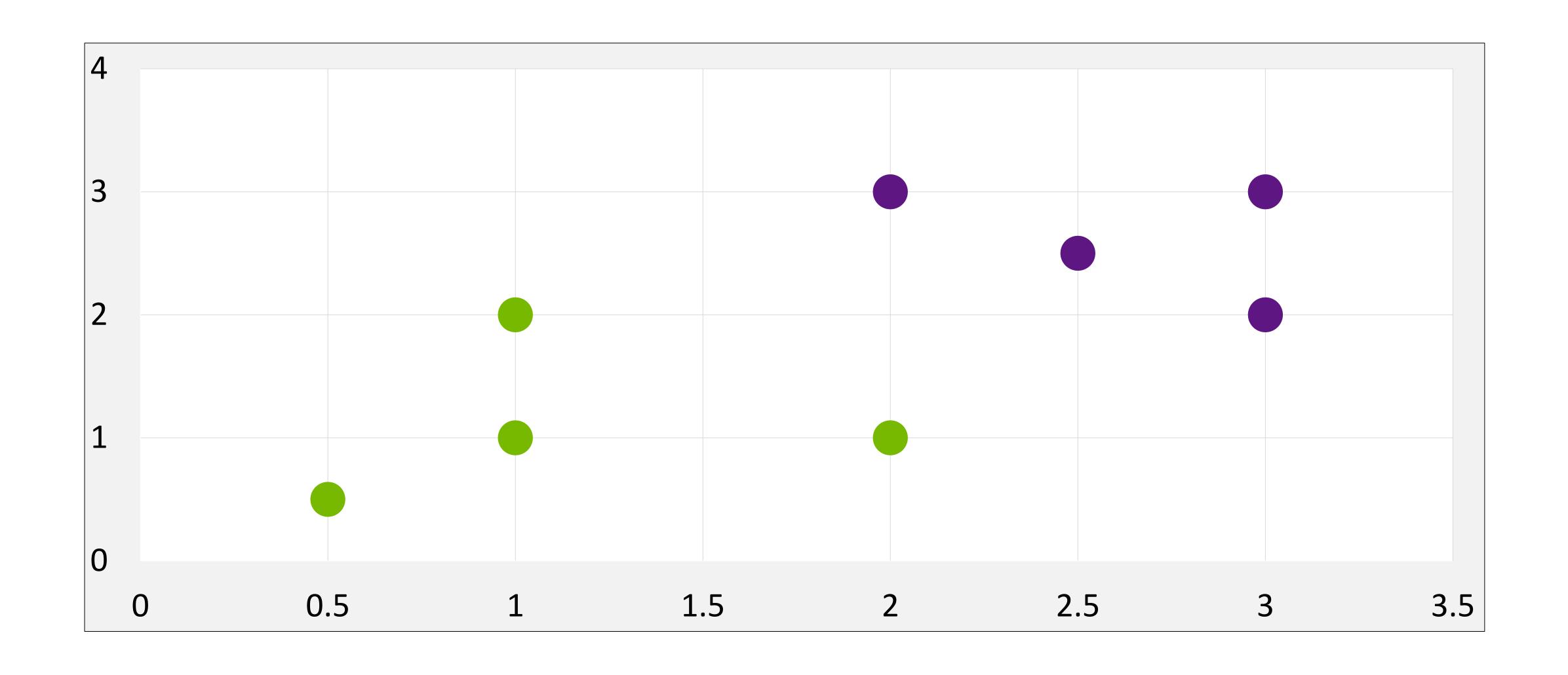
**During Training** 

### BATCH\_SIZEx1x28x28 = BATCH\_SIZEx784



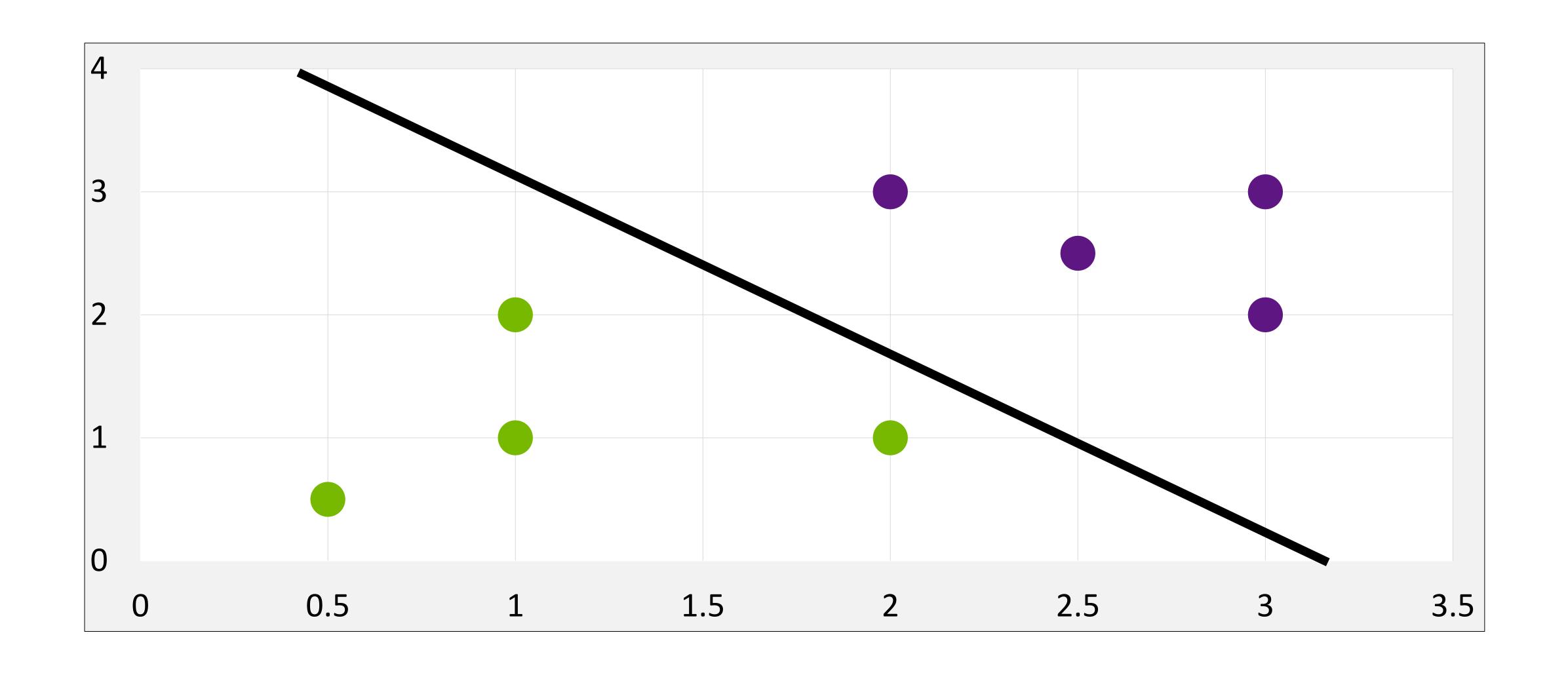


### RMSE For Probabilities?



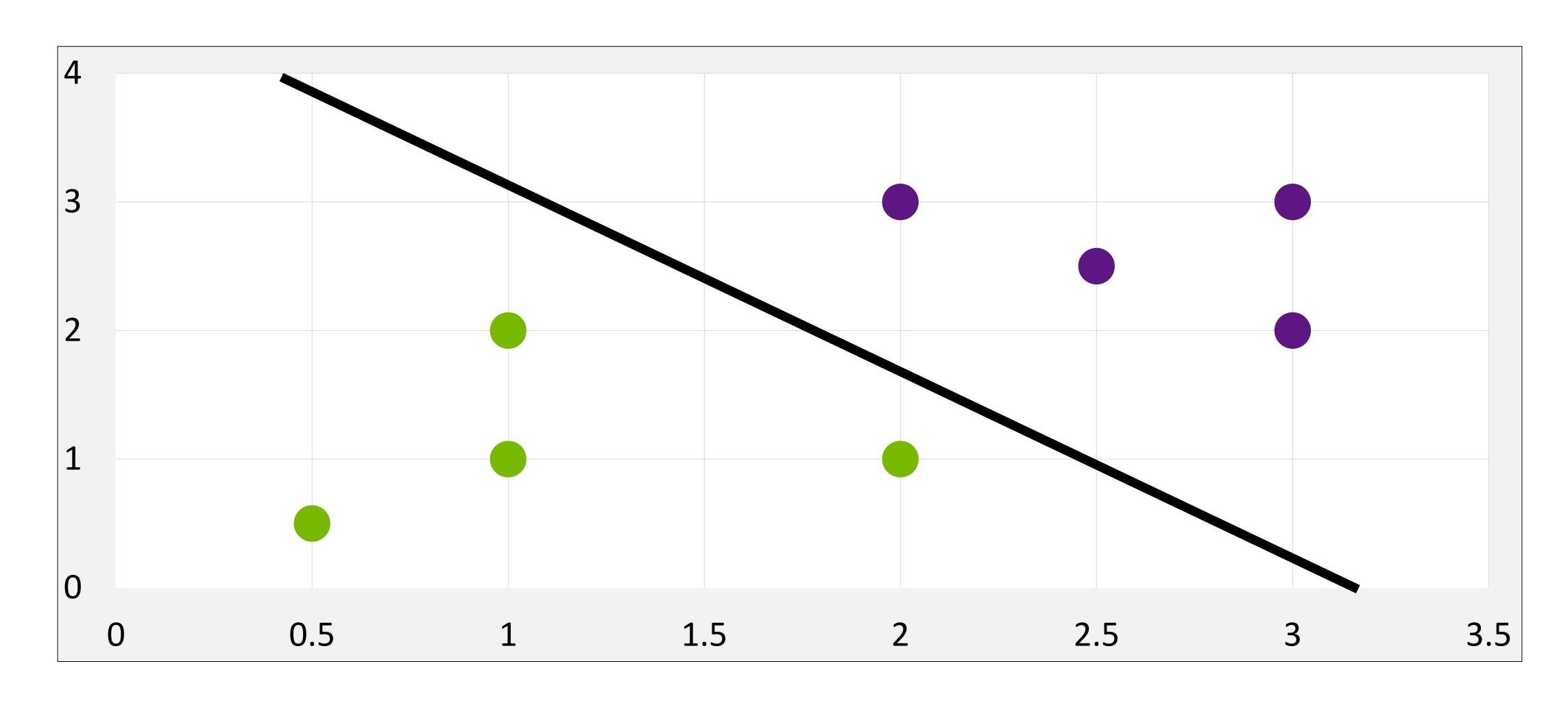


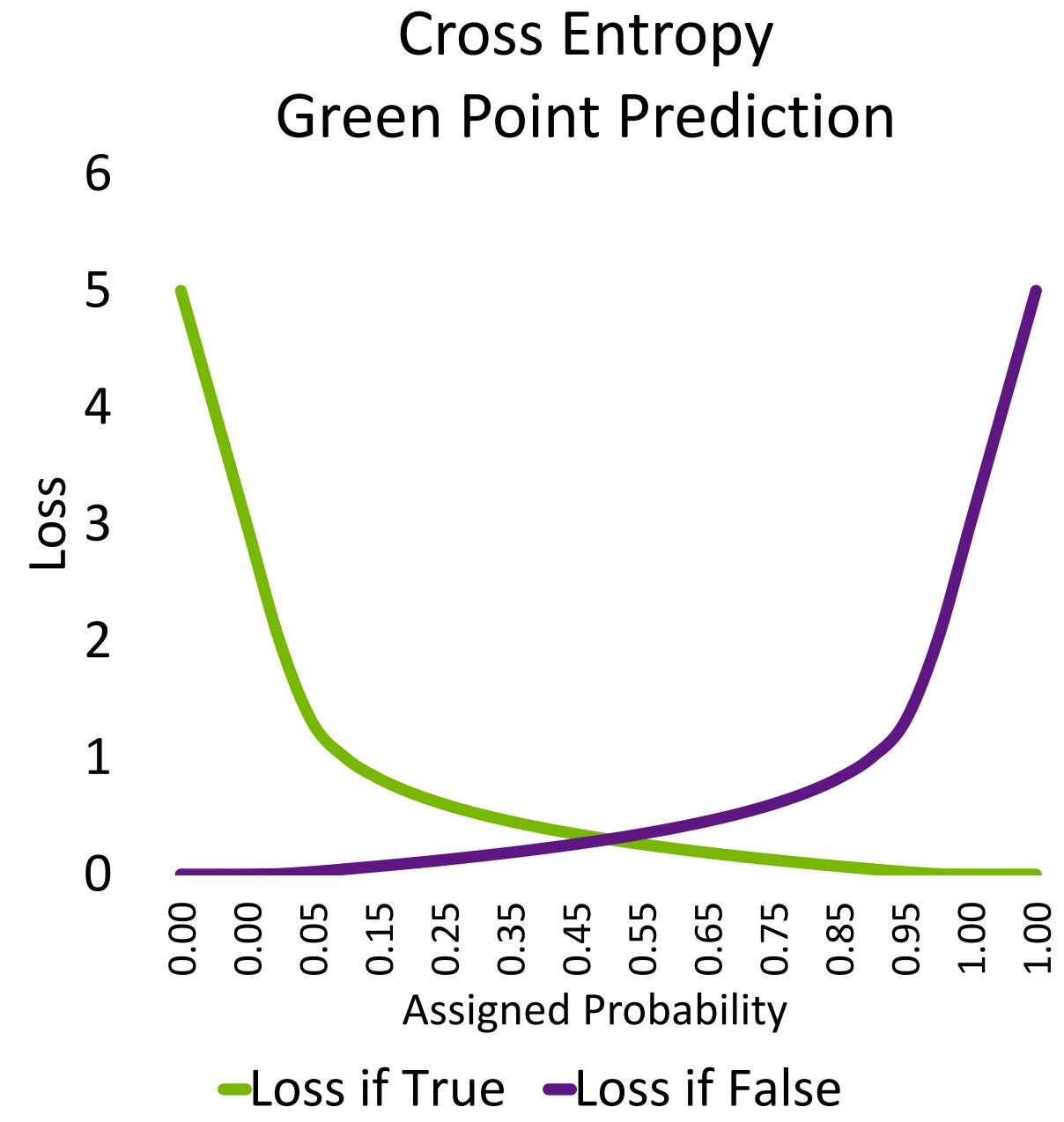
## RMSE For Probabilities?





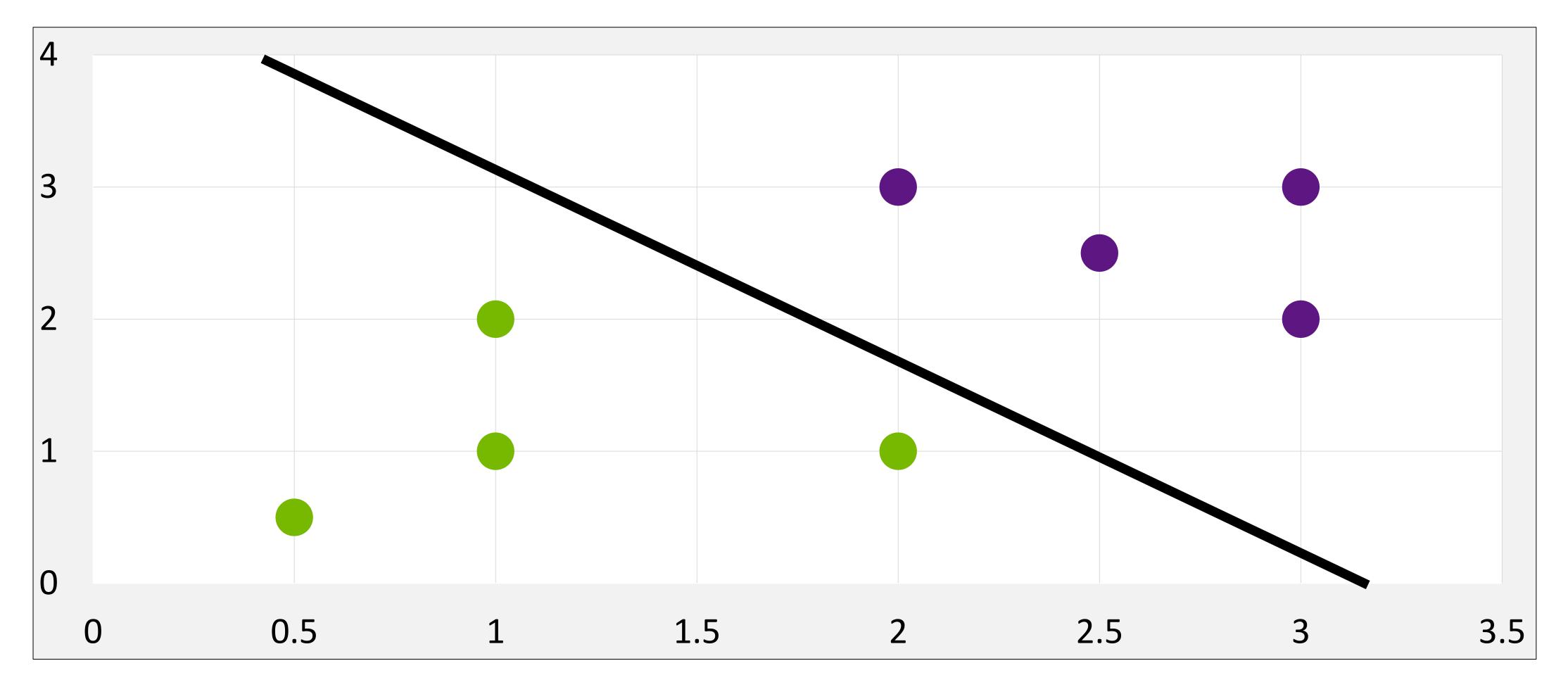
## Cross Entropy

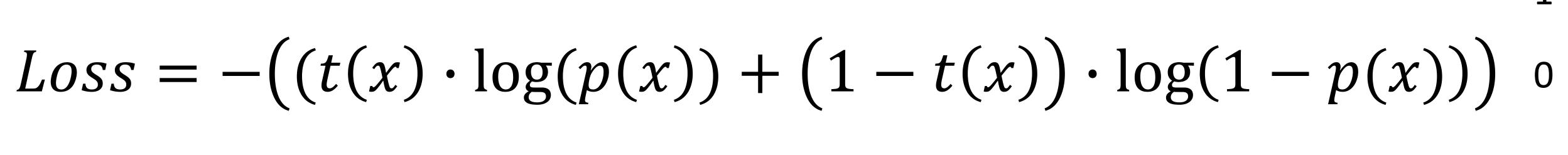






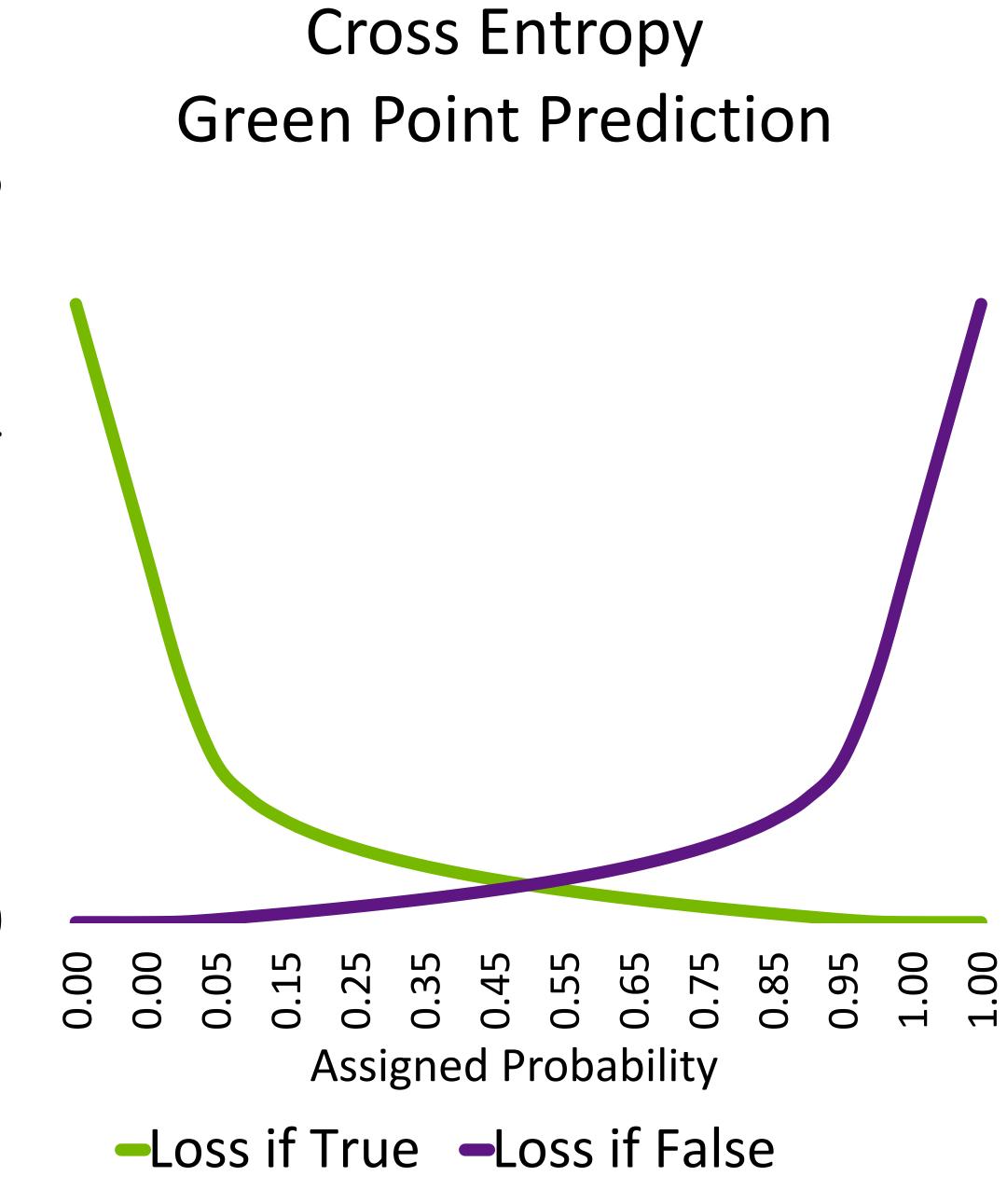
#### **Cross Entropy**



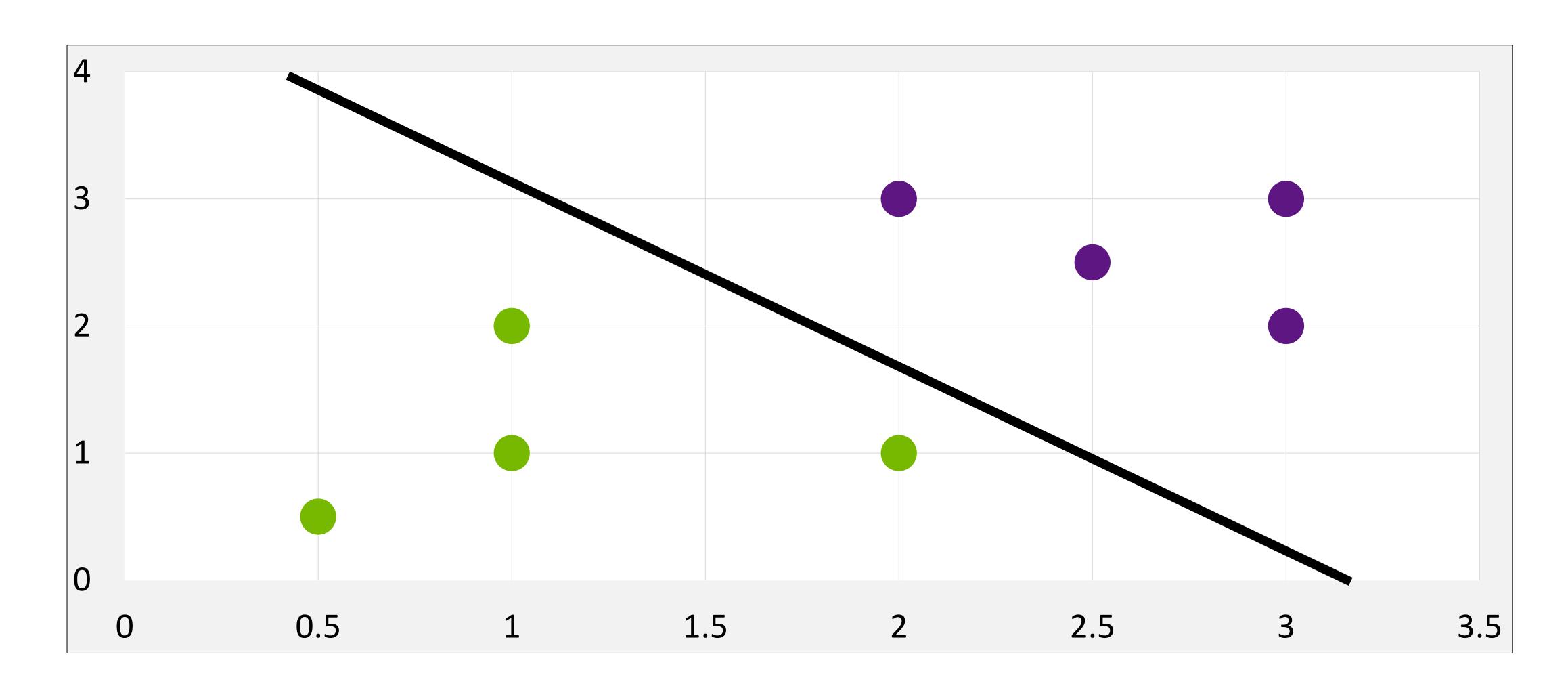


t(x) = target (0 if False, 1 if True)

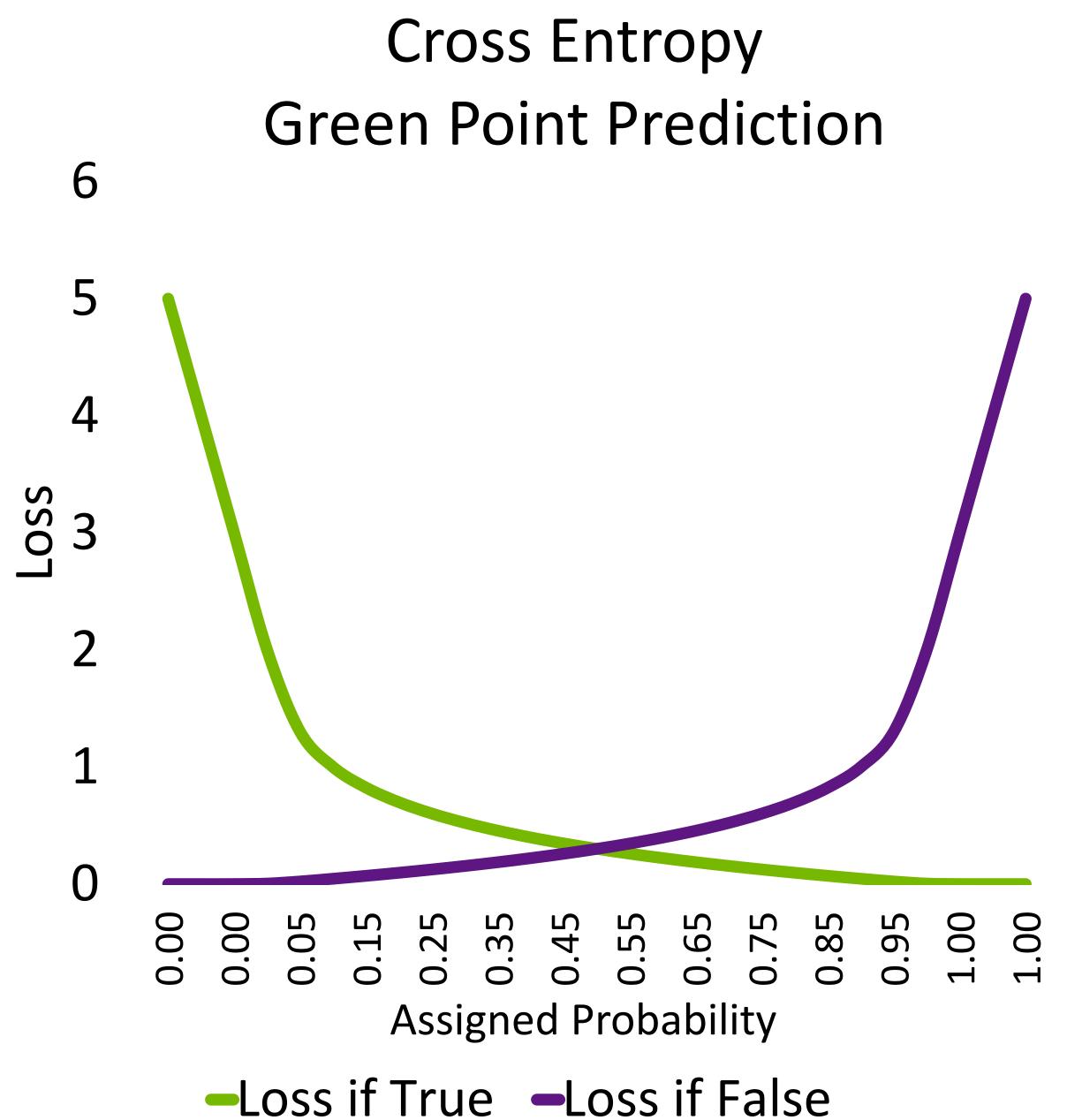
p(x) = probability prediction of point x



#### **Cross Entropy**



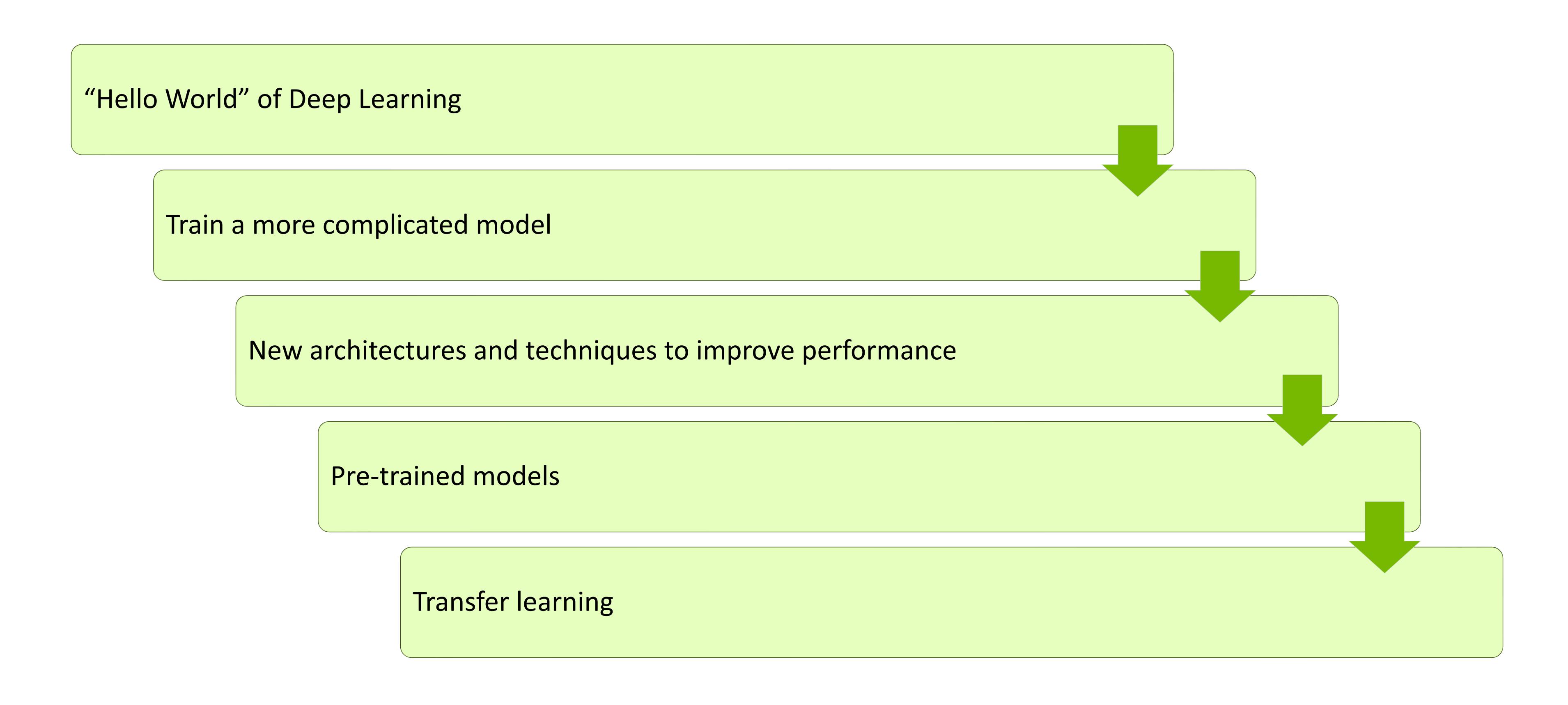
```
def cross_entropy(y_hat, y_actual):
    """Infinite error for misplaced confidence."""
    loss = log(y_hat) if y_actual else log(1-y_hat)
    return -1*loss
```



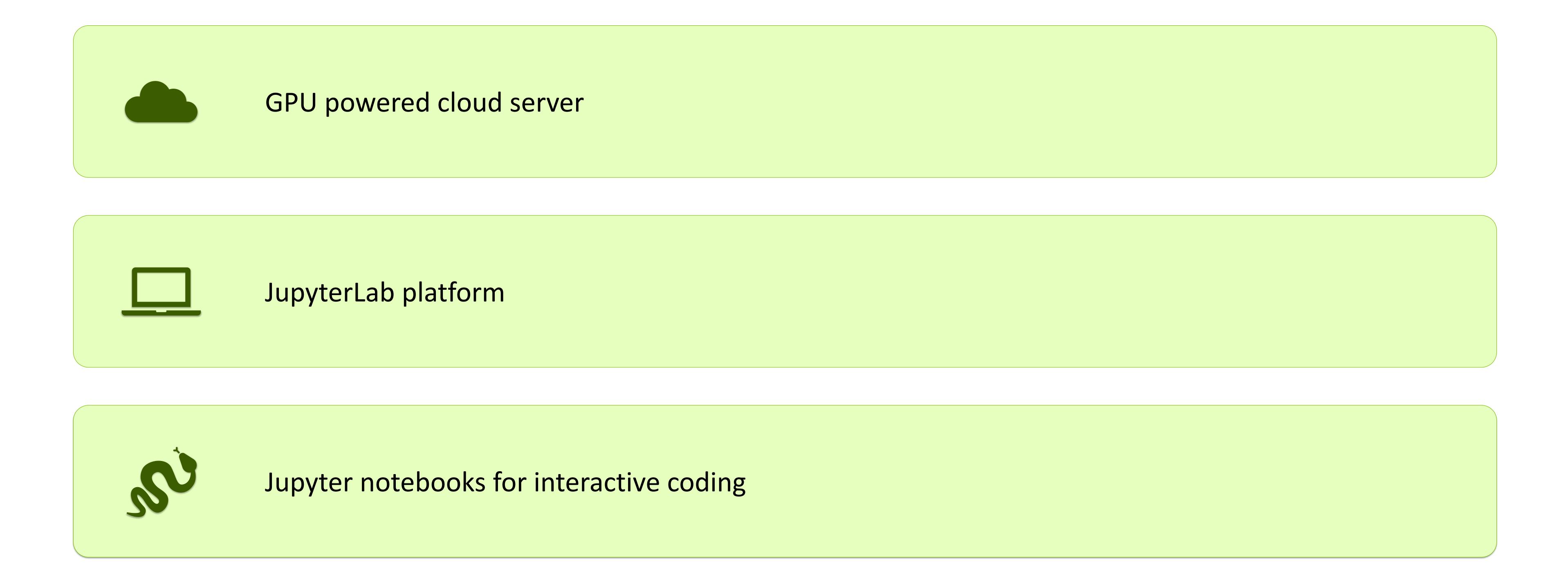




#### Structure of the Course



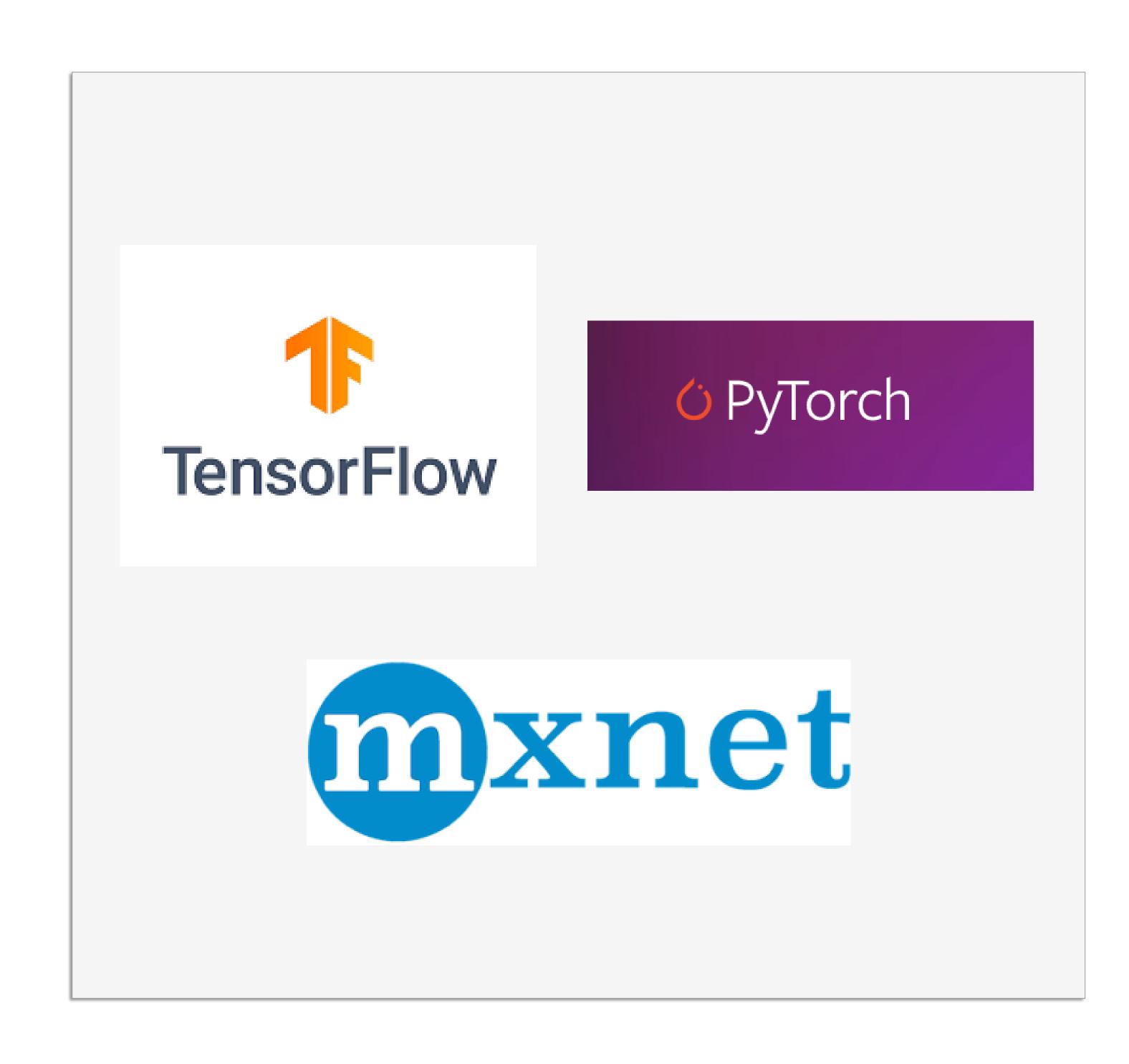
#### Platform of the Course





#### **Software of This Course**

- Major deep learning platforms:
  - TensorFlow + Keras (Google)
  - PyTorch (Meta)
  - MXNet (Apache)
- We'll be using PyTorch
- Good idea to gain exposure to others moving forward





#### Hands on Exercises

- Get comfortable with the process of deep learning
- Exposure to different models and datatypes
- Get a jump-start to tackle your own projects
- Have fun!!



# Hands on: work through Introduction Section

- 1. WIFI Info: eduroam
- 2. Browser Recommendation: Chrome
- 3. websocketstest.courses.nvidia.com
- 4. https://learn.nvidia.com/dli-event
- 5. create an Account (if you have not done yet!)
- 6. event code: STFC\_FDL\_AMBASSADOR\_NO24
- work through the Introduction Section and 'Start' launching your first GPU task

## First exercise: MNSIT dataset classification (Hello Neural Networks)

#### Train a network to correctly classify handwritten digits

Historically important and difficult task for computers

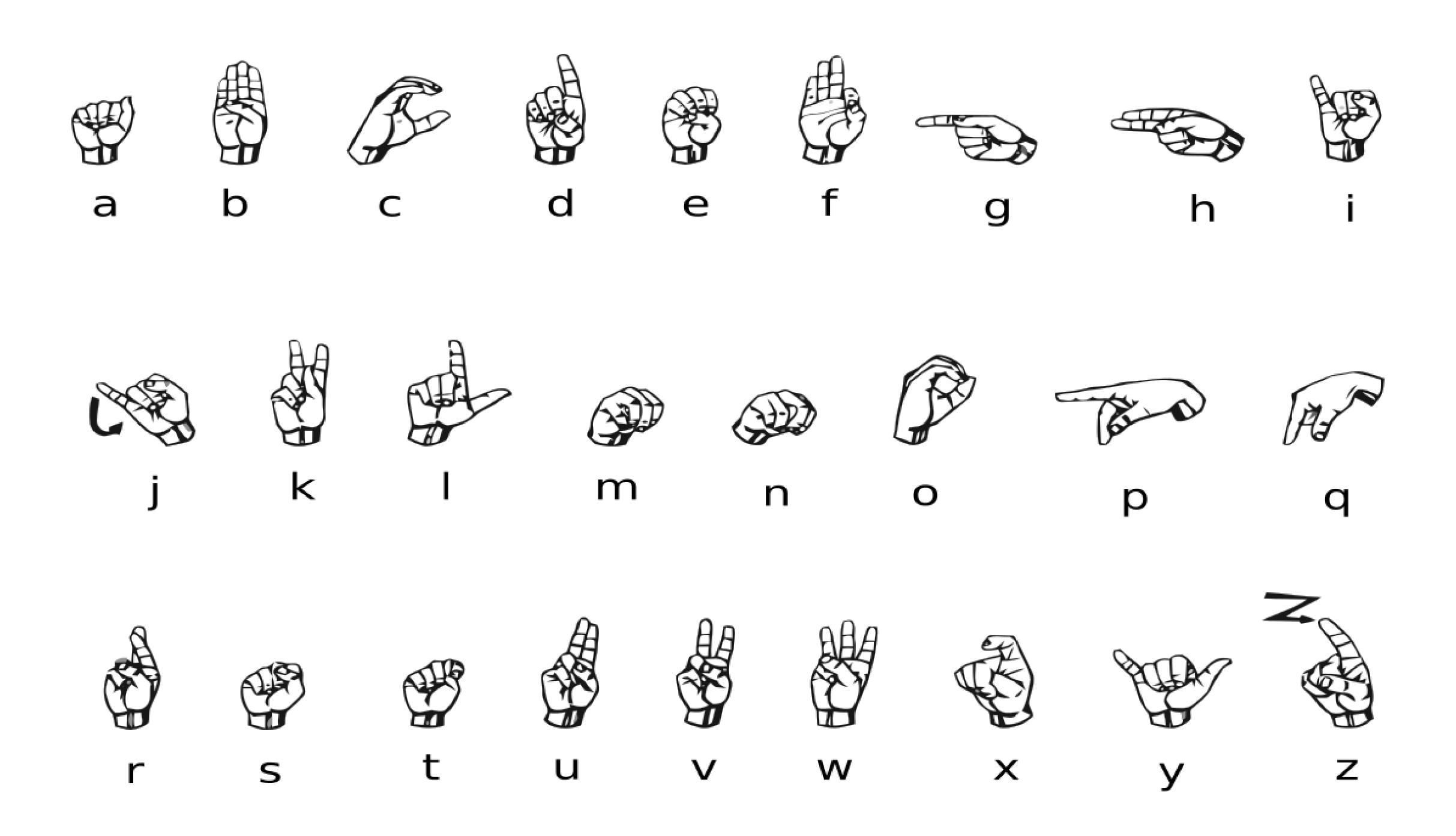
### Try learning like a Neural Network

Get exposed to the example, and try to figure out the rules to how it works



#### **Second Exercise**

The American Sign Language Alphabet







# Appendix: Gradient Descent

Helping the Computer Cheat Calculus

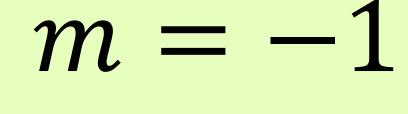
### Learning from Error

$$MSE = \frac{1}{n} \sum_{i=1}^{n} (y - \hat{y})^2 = \frac{1}{n} \sum_{i=1}^{n} (y - (mx + b))^2$$

$$MSE = \frac{1}{2}((3 - (m(1) + b))^2 + (5 - (m(2) + b))^2)$$

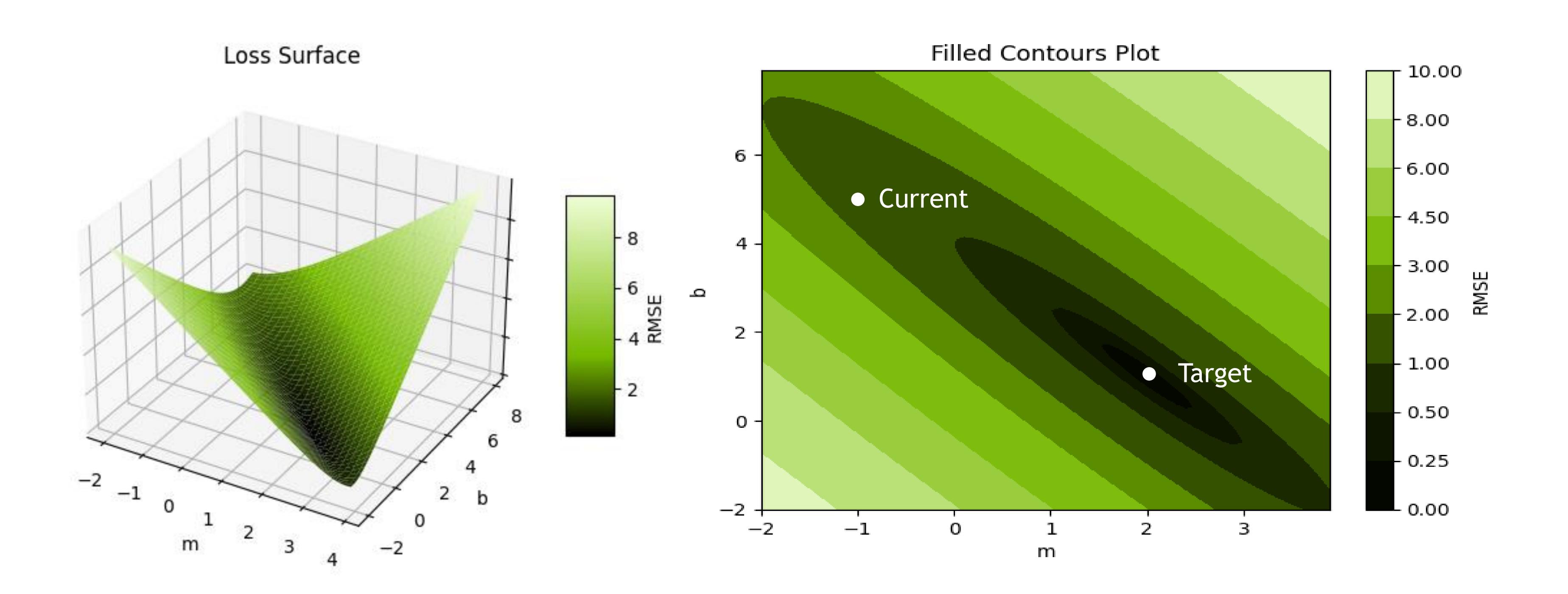
$$\frac{\partial MSE}{\partial m} = 5m + 3b - 13 \qquad \qquad \frac{\partial MSE}{\partial b} = 3m + 2b - 8$$

$$\frac{\partial MSE}{\partial m} = -3 \qquad \qquad \frac{\partial MSE}{\partial b} = -1$$



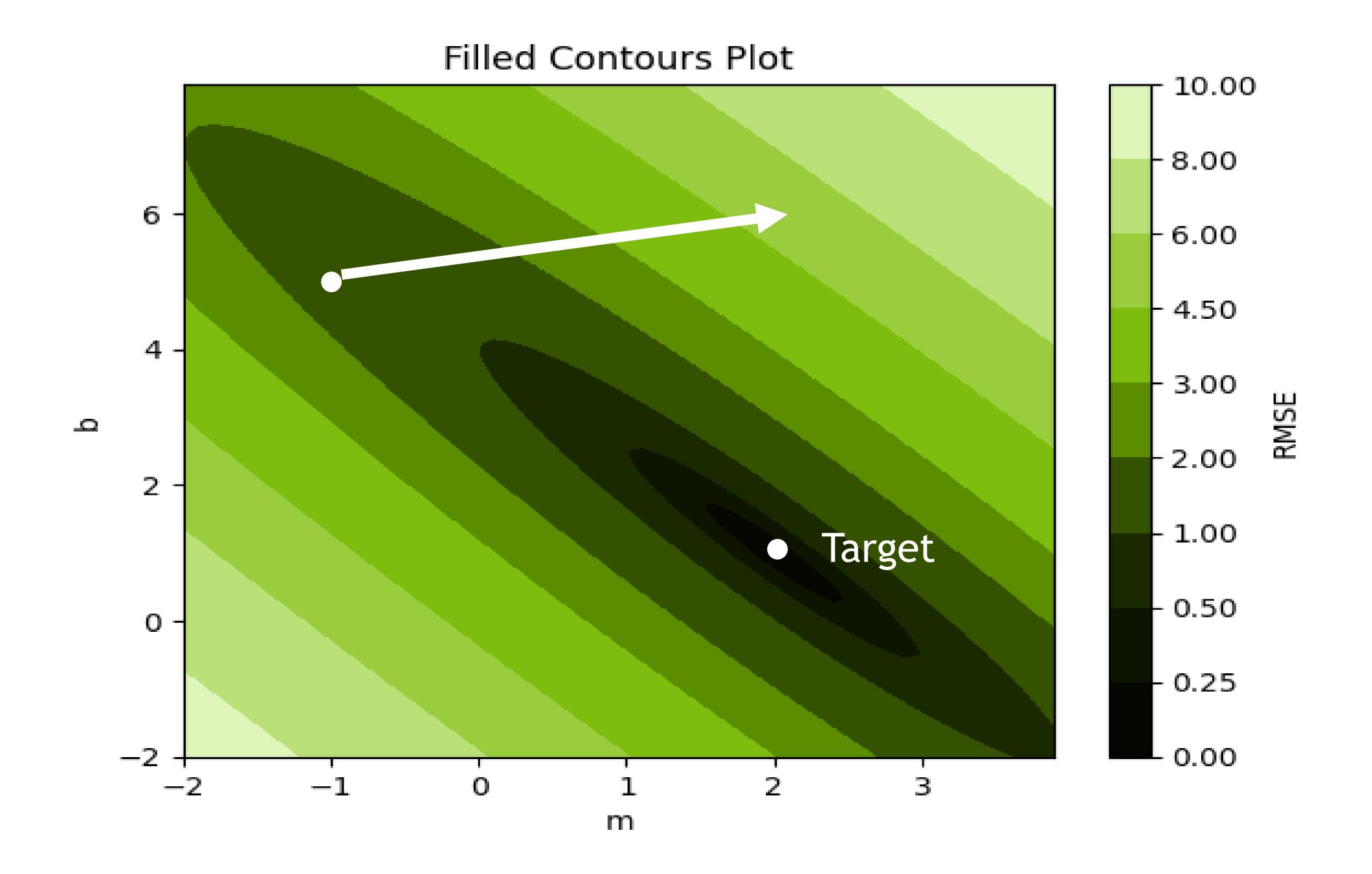
$$b = 5$$







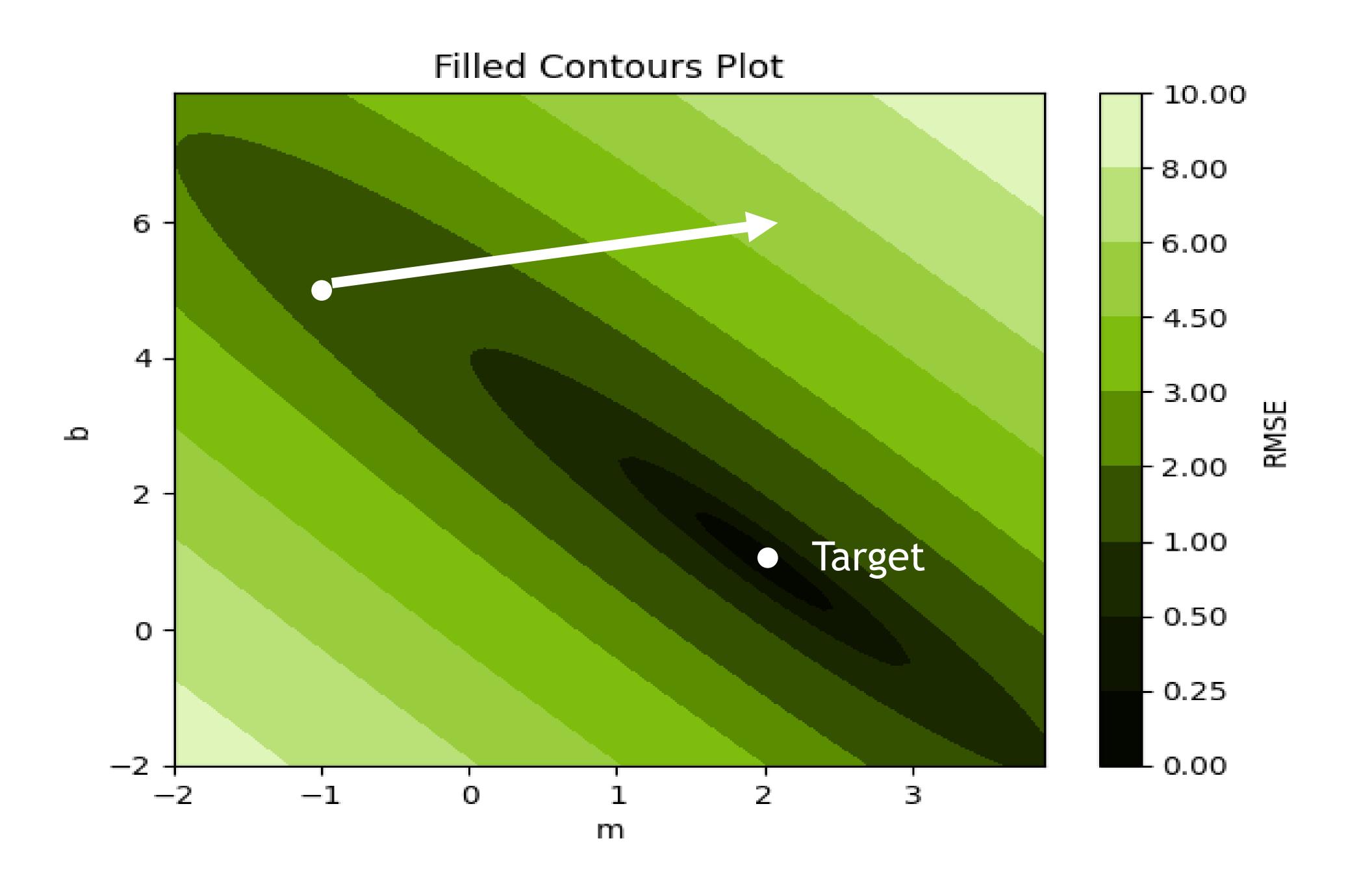
$$\frac{\partial MSE}{\partial m} = -3 \qquad \frac{\partial MSE}{\partial b} = -1$$



$$\frac{\partial MSE}{\partial m} = -3 \qquad \frac{\partial MSE}{\partial b} = -1$$

$$\mathbf{m} := \mathbf{m} - \lambda \frac{\partial MSE}{\partial m}$$

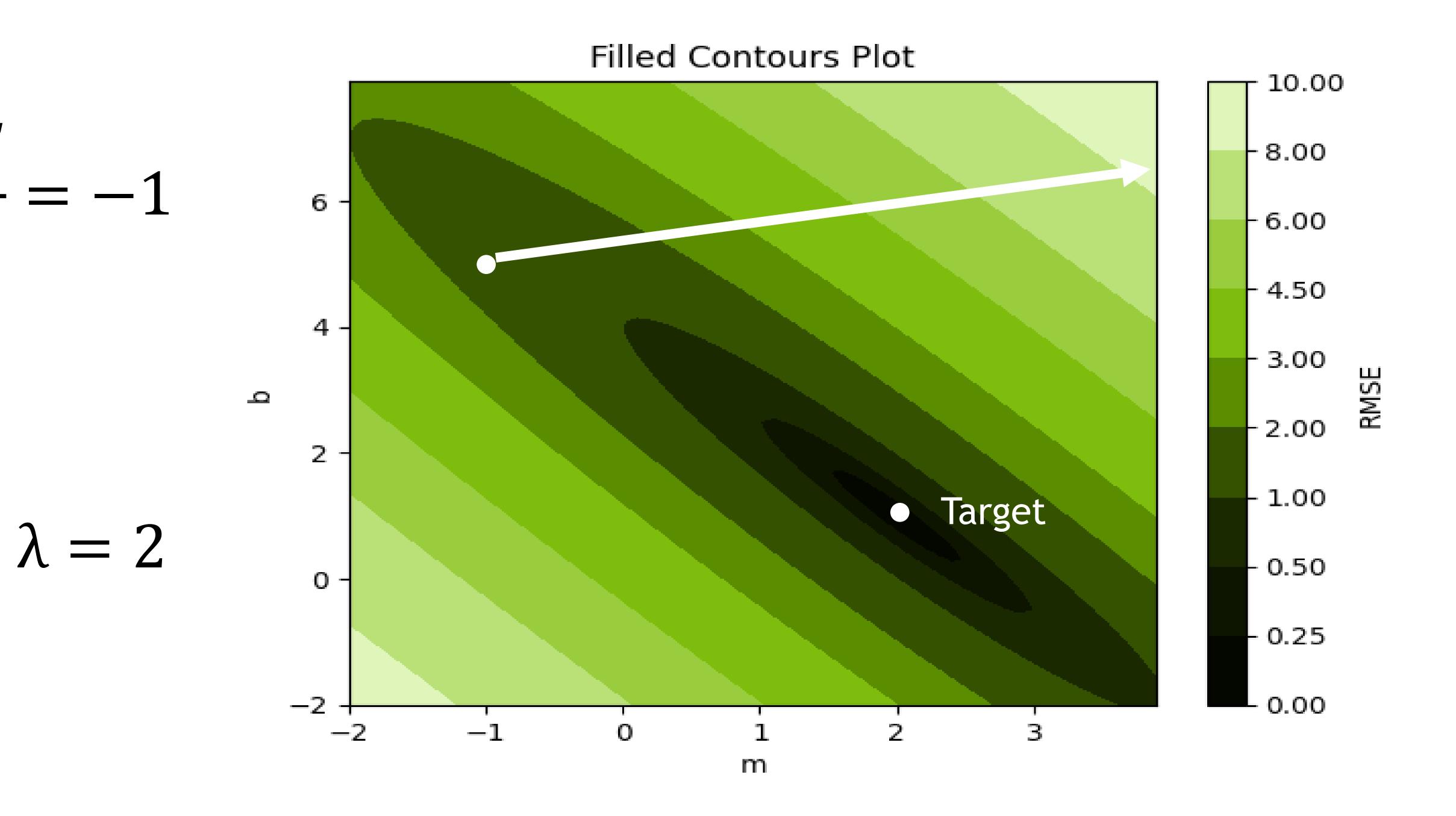
$$b := b - \lambda \frac{\partial MSE}{\partial b}$$



$$\frac{\partial MSE}{\partial m} = -3 \qquad \frac{\partial MSE}{\partial b} = -1$$

$$\mathbf{m} := \mathbf{m} - \lambda \frac{\partial MSE}{\partial m}$$

$$b := b - \lambda \frac{\partial MSE}{\partial b}$$

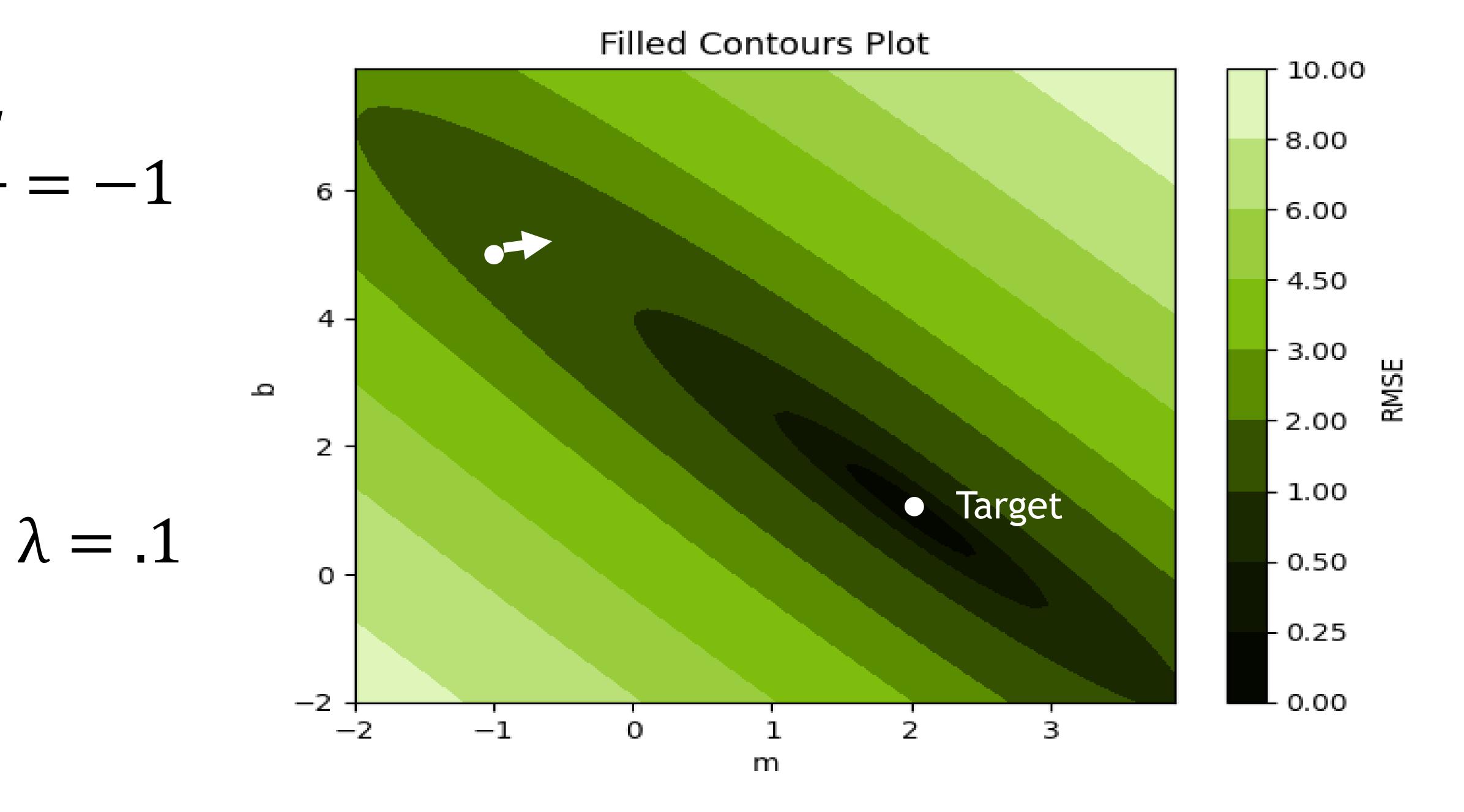




$$\frac{\partial MSE}{\partial m} = -3 \qquad \frac{\partial MSE}{\partial b} = -1$$

$$\mathbf{m} := \mathbf{m} - \lambda \frac{\partial MSE}{\partial m}$$

$$b := b - \lambda \frac{\partial MSE}{\partial b}$$

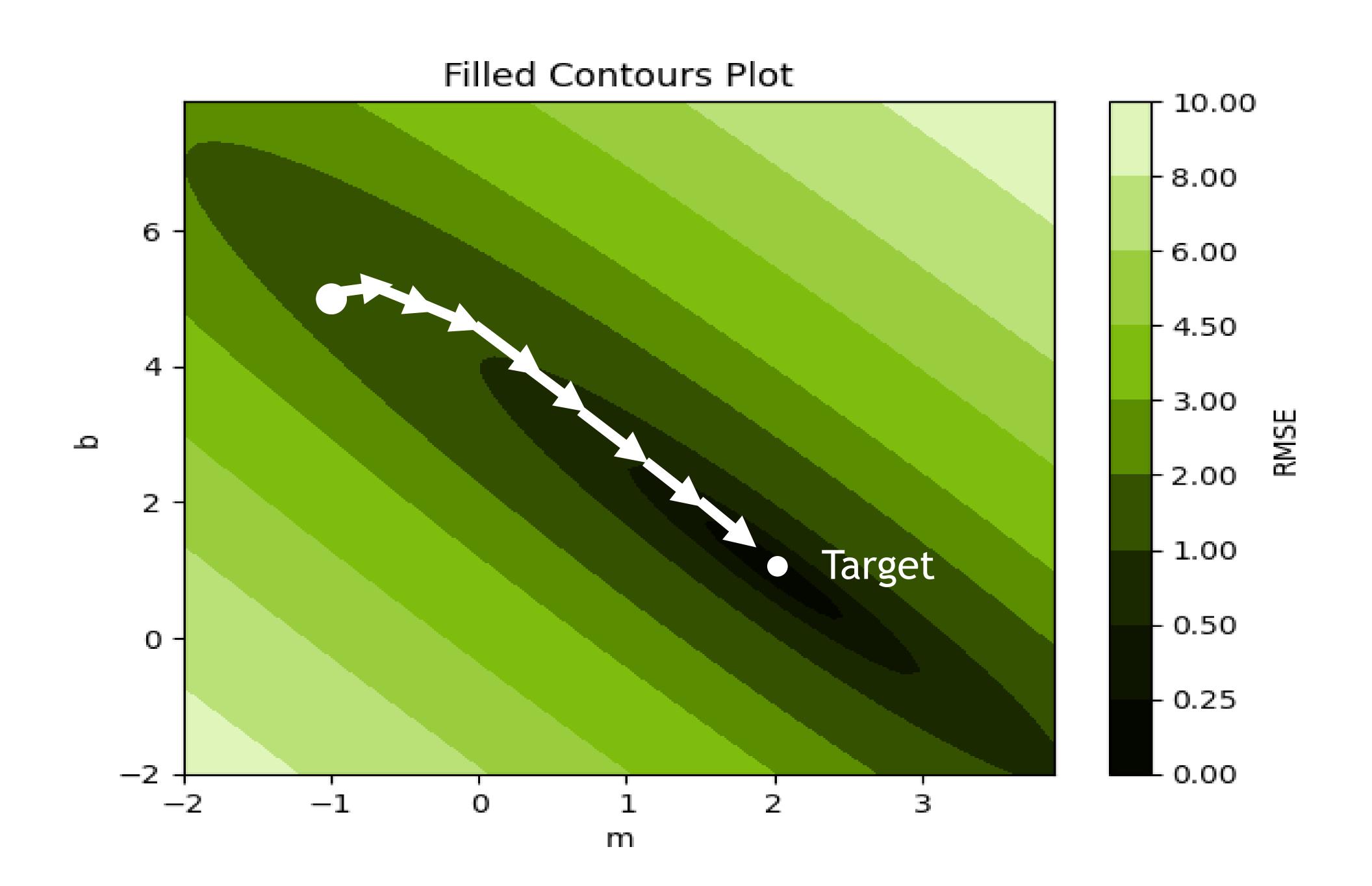




$$\lambda = .1$$

$$m := -1 + 3 \lambda = -0.7$$

$$b := 5 + \lambda = 5.1$$

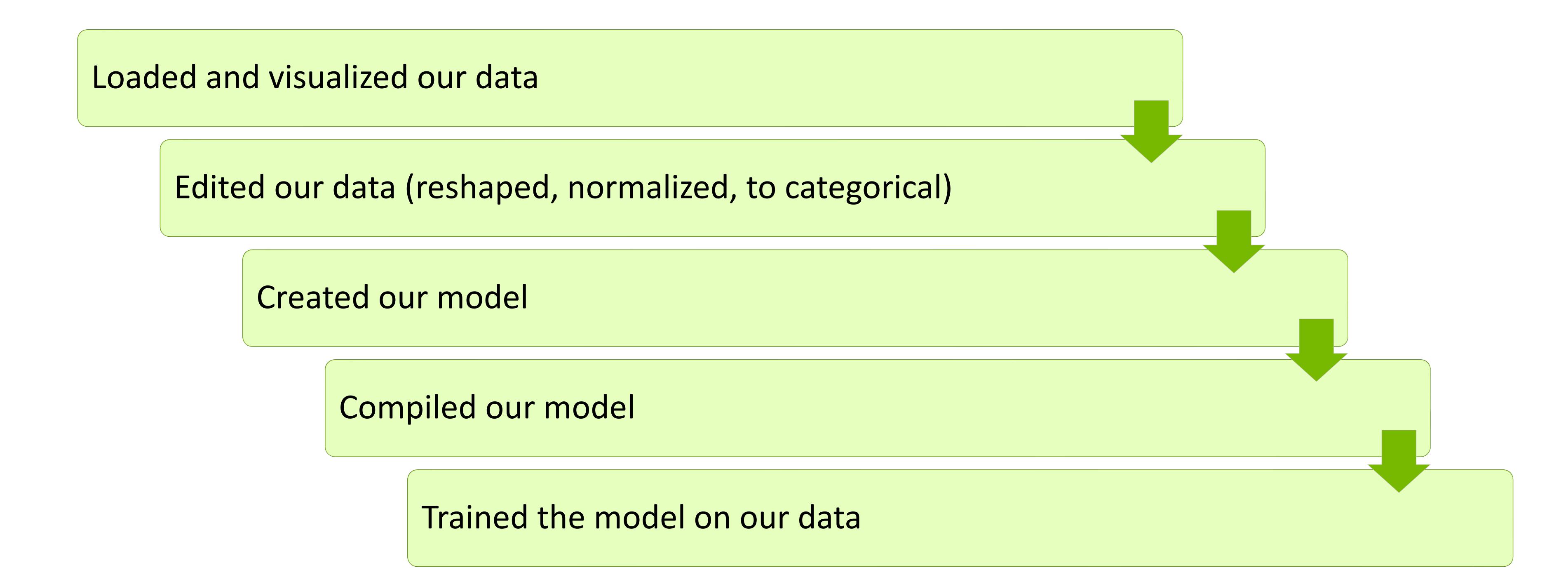






## Recap of the Exercise

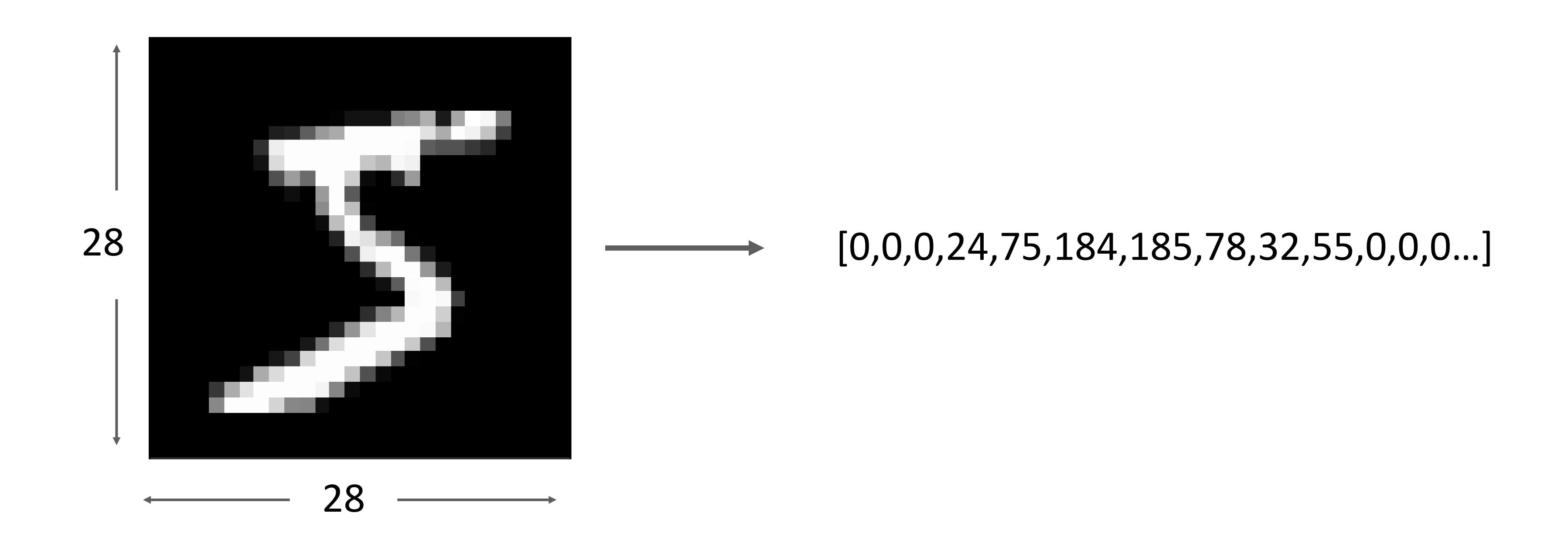
What just happened?





## Data Preparation

Input as an Array





### An Untrained Model

