

Introduction to Algorithms

Date: 3/6 (Thursday)

Instructor: 유준수

Assignment

- Read 1.1, 1.2, 2.1
- Problems:
 - 1.1절 1, 2, 4
 - 1.2절 2, 3
 - 2.1절 *-* 1,2,3,4

Chapter 1. The Role of Algorithms in Computing

- 1.1 Algorithms
- 1.2 Algorithms as a technology

What is Algorithm?

Example of Algorithm: Sorting

Toy Example of Sorting

Toy Example of Sorting

Correctness

- 1. Halt
- 2. Correct Output

Many area of application:

- Information Retrieval from Large DB on Internet
- Public Key & Digital Signature (RSA)
- Shortest Path Problem (Graph)
- Fast Fourier Transform (FFT)
- Machine Learning
- Deep Learning

Efficiency

- Insertion Sort:
- Merge Sort:

Efficiency Example

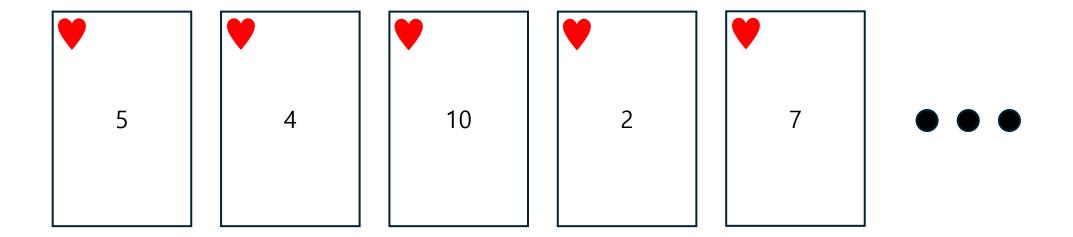
• Data size: $n = 10^7$

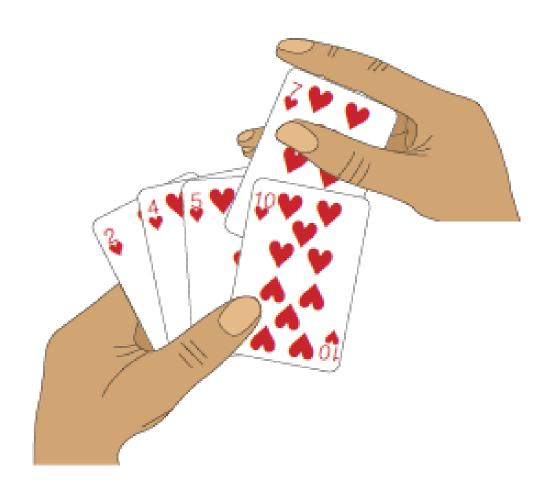
Name	Computer	Algorithm
Bob	A - $10^{10} \left(\frac{instruction}{s} \right)$	Insertion Sort (2n ²)
Alice	B - $10^7 \left(\frac{instruction}{s}\right)$	Merge Sort (50 nlogn)

Chapter 2. The Role of Algorithms in Computing

- 2.1 Insertion sort
- 2.2 Analyzing algorithms
- 2.3 Designing algorithms

Card Example in Sorting

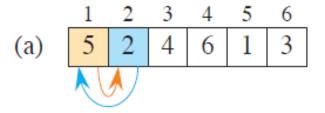


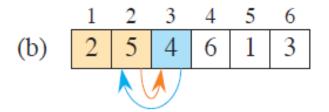


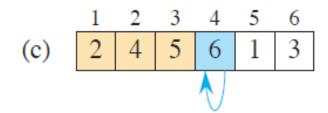
Mathematical Modeling: Array Representation

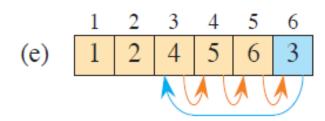
Insertion_Sort(A, n) - Pseudocode

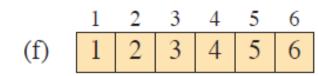
Insertion_Sort(A, n) - Graphical Representation











Algorithm Correctness

 Loop Invariant: A loop invariant is a property of a program loop that is true before (and after) each iteration

- 1. Initialization: It is true prior to the first iteration of the loop.
- 2. Maintenance: If it is true before an iteration of the loop, it remains true before the next iteration.
- 3. Termination: The loop terminates, and when it terminates, the invariant gives us a useful property that helps show that the algorithm is correct.

Insertion_Sort(A, n) - Correctness

Question?