

Predator, prey and strandings: An IBM approach to modelling the ‘Blue Fleet’

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1. Introduction

2. Model Elaboration

2.1 Conceptual Overview

The model is designed to investigate the effects of physical factors such as wind and ocean currents on the movement and behavior of the two species. We created a 50km x 10km grid, with a spatial resolution of 1 meter (5×10^9 total cells). Cells with x-values $> 1\text{km}$ were assigned a ‘land’ status and all other cells were assigned an ‘ocean’ status. This resulted in a straight coastline stretching the left side of the grid, emulating the Eastern Australian Coastline. Each individual cell was then assigned a value for the following physical parameters: Wind Speed, Wind Direction, Current Speed, Current Direction.

The environment was then populated with individual *Glaucus* and *Physalia*, each with their own unique attributes. For *Glaucus*, we assigned the following attributes: initial X coordinate, initial Y coordinate, chemodetection range, and movement speed. As both chemodetection and speed are traits that are expected to vary between *Glaucus*, these were assigned by drawing one value from a normal distribution with mean = LITERATURE and sd = LITERATURE. For *Physalia*, the following attributes were assigned: initial X coordinate, initial Y coordinate and orientation. Orientation refers to the position of the sail relative to the tentacles: this comes in a ‘right-handed’ or ‘left-handed’ variation. This variable was assigned randomly for each individual.

Whilst grid resolution was 1m, our model allows individuals to move through continuous space. The movement of an individual depends on the winds and current within the current cell, however the effect of these drivers might only amount to a movement of 20 cm within a timestep. This value is used to update the position of the individual. On the next iteration, the individual will simply ‘feel’ the same physical drivers, as it still finds itself in the same cell. This enables us to include the biological interactions that occur on the scale of centimeters.

2.2 Movement Equations

The main purpose of this model is to simulate the drifting patterns of two members of the Blue Fleet. The distribution of these animals is mainly driven by winds and currents. However, our model also accounts for the capability of *Glaucus* to make small directed movements towards detected prey, as well as the right-and-left-handedness of *Physalia*. Moreover, once a *Glaucus* has successfully latched on to a prey item, it is likely that it will follow the drift path of they prey, at least until it stops feeding. Although minor compared to the main physical drivers of movement, including these biological nuances in our movement equations allows us to build a realistic model.

The movement of an individual e

2.2.1 *Glaucus atlanticus*

$$X_{ij+1} = X_{ij} + WindSpeed_{xy,i} * \sin(WindDirection_{xy,i}) + CurrentSpeed_{xy,i} * \sin(CurrentDirection_{xy,i}) + C * (GlaucusSpeed_{ij} * \sin(\theta_{ij}))$$

$$Y_{ij+1} = Y_{ij} + WindSpeed_{xy,i} * \cos(WindDirection_{xy,i}) + CurrentSpeed_{xy,i} * \cos(CurrentDirection_{xy,i}) + C * (GlaucusSpeed_{ij} * \cos(\theta_{ij}))$$

Where:

X_{ij+1} = Position along the East-West Axis for *Individual_j* at Time = $i+1$ X_{ij} = Position along the East-West Axis for *Individual_j* at Time = i

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# Movement of Glaucus
glaucusMovement <- function(glaucus, physalia){

  # Check the glaucus is not beached
  if(glaucus$x > 1){
    glaucus$col <- 'steelblue'

    ### Predator module

    # Glaucus are predators. They can detect prey from distance using chemical cues. We want to simulate
    # by allowing glaucus limited movement to a target, if the target is within reasonable range.

    # scan area for each glaucus
```


2.2.2 Physalia physalis

$$X_{ij+1} = X_{ij} + 0.0266 * (WindSpeed_{xy,i} * \sin(WindDirection_{xy,i})) + CurrentSpeed_{xy,i} * \sin(CurrentDirection_{xy,i} + D_{ij}) Y_{ij+1}$$

Where:

X_{ij+1} = Position along the East-West Axis for *Individual_j* at Time = $i+1$ X_{ij} = Position along the East-West Axis for *Individual_j*

```
# Movement of Physalia
physaliaMovement <- function(physalia, glaucus){

  # Boundary conditions for movement
  if(physalia$x >= 100 | physalia$y >= 100 | physalia$y <= 0){
    physalia$col <- 'green'
    physalia$status <- 2
    return(physalia)}

  # Live condition
  if(physalia$x > 1 & physalia$status != 'EATEN'){
    physalia$col <- 'purple'

    # This is a very important part. We have right and left-handed bluebottles
    # They drift in opposite directions - presumably to sustain populations.
    # We need to account for this properly. In addition, we want to add some
    # stochasticity to the movement. This is due to inherent variability
    # in the shape and size of bluebottles, but also due to waves etc.

    if(physalia$orientation == 'right') {direction_offset <- rnorm(1,1,0.1)*pi/3} # right-handed drift
    if(physalia$orientation == 'left') {direction_offset <- rnorm(1,-1,0.1)*pi/3} # left handed drift

    # Positional update rules: this IS the movement of physalia
    # Wind larger impact on physalia due to sail
    # physalia also have an offset - their sails change the way they interact
    # with wind - this is one of the cool parts in the model.
    # 0.0266 - see Lee, Schaeffer, Groeskamp (2021)
    physalia$x <- max(physalia$x + 0.0266*(wind_strength[round(physalia$x,digits = 2),
                                                             round(physalia$y, digits = 2)]) * sin(wind_direction[round(physalia$x,digits = 2),
                                                             round(physalia$y, digits = 2)]),
                    current_strength[round(physalia$x,digits = 2),
                                       round(physalia$y, digits = 2)] * sin(current_direction[round(physalia$x,digits = 2),
                                       round(physalia$y, digits = 2)]))

    # Y movement (north - south) uses cosine function
    physalia$y <- max(physalia$y + 0.0266*(wind_strength[round(physalia$x,digits = 2),
                                                             round(physalia$y, digits = 2)]) * cos(wind_direction[round(physalia$x,digits = 2),
                                                             round(physalia$y, digits = 2)]),
                    current_strength[round(physalia$x,digits = 2),
                                       round(physalia$y, digits = 2)] * cos(current_direction[round(physalia$x,digits = 2),
                                       round(physalia$y, digits = 2)]))

    ### Predator module

    # We want to simulate damage to the physalia, i.e. being killed by a predator.
    # We use a simple rule: if the glaucus is within feeding range of the physalia
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# for 3 timesteps, the physalia has been eaten completely. The glaucus will then also
# move on as we delete the physalia.

# Convert to spatial geometries to allow geometric operations.
spat.point <- st_point(c(physalia$x, physalia$y))

# We can decide what a reasonable buffer is. This is the same for
# all physalia. 50 cm seems reasonable
under.attack.zone <- st_buffer(spat.point, 0.0005)

# Check if there is a predator nearby
glaucus.df <- rbindlist(glaucus, fill = T)
glaucus.df.spat <- st_as_sf(glaucus.df , coords = c('x', 'y'))

# Any predators in the detection zone?
if(any(st_intersects(glaucus.df.spat, under.attack.zone, sparse = F))){
  # If yes, the physalia is 'under attack'
  physalia$underattack <- physalia$underattack + 1
}

if(physalia$underattack >= 3){
  physalia$status <- 'EATEN'
}

} else{
  physalia$col <- 'red'
  if(physalia$x < 1){
    physalia$status <- 'BEACHED' # status 1 is beached
  }
}
return(physalia)
}

```

2.3 Biological Interactions