



Module 2

Alternative Approaches to Valuation and Investment

Foundations of the WACC
(Finance is so WACC!)

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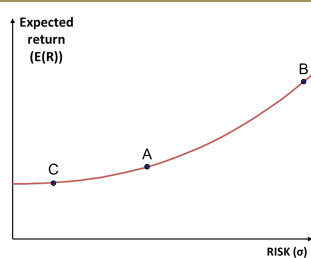


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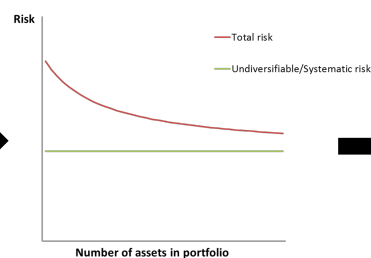
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A brief recap...

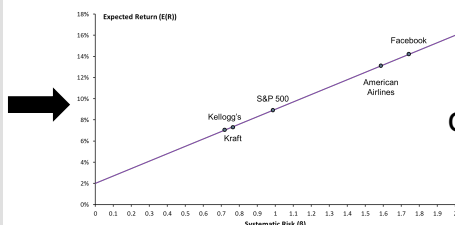


→ σ

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or

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$$E(R_i) = R_f + \beta_i [E(R_M) - R_f]$$

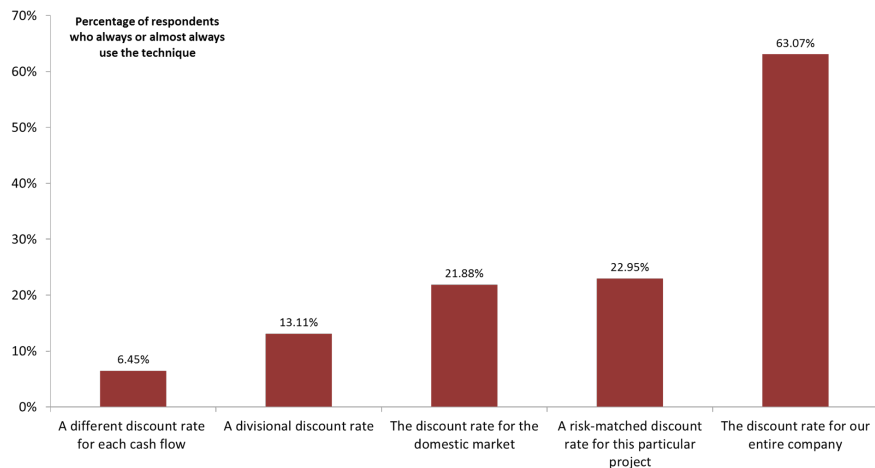
$$E(R_i) - R_f = \beta_i^{Mkt} [E(R_M) - R_f] \quad \text{..but then..}$$

$$+ \beta_i^{SMB} [E(R_{SMB})]$$

$$+ \beta_i^{HML} [E(R_{HML})]$$

A brief recap...

How frequently would your company use the following discount rates when evaluating a new project...?



Weighted Average Cost of Capital

$$WACC = k_d(1 - t_c)\left(\frac{D}{V}\right) + k_e\left(\frac{E}{V}\right)$$

Where:

- k_d = Cost of debt capital
- t_c = Corporate tax rate
- k_e = Cost of equity capital
- D = Market value of debt
- E = Market value of equity
- V = Market value of assets
= $D + E$





Demonstrating the intuition behind WACC

Let's assume the following for ABC Ltd:

k_d	5% per annum
k_e	12% per annum
t_c	35%
D	\$1,000,000
E	\$1,000,000

Let's also assume that:

- Shareholders receive all of their returns via dividends – that is: 100% payout
- Debt levels will be constant
- The firm is a going concern – with a cash flow stream that will be constant in perpetuity.

$$PV_{\text{Perpetuity}} = \frac{C}{(1+r)} + \frac{C}{(1+r)^2} + \dots + \frac{C}{(1+r)^\infty} = \frac{C}{r}$$

Demonstrating the intuition behind WACC

Cash flows required by contributors of capital

Debt holders:

$$\text{Interest Cost} = k_d \times D = 5\% \times \$1\text{m} = \$50,000$$

But that cash flow is tax-deductible – that is – it reduces the corporate tax paid by the company.

$$\text{Tax-deduction} = \$50,000 \times 35\% = \$17,500$$

$$\begin{aligned} \text{After-tax interest cost} &= \$50,000 - \$17,500 \\ &= \$32,500 \end{aligned}$$

$$\text{After-tax interest cost} = k_d \times (1 - t_c) \times D$$



Demonstrating the intuition behind WACC

Cash flows required by contributors of capital

Equity holders:

$$\text{Dividends} = k_e \times E = 12\% \times \$1\text{m} = \$120,000$$

Recall that the value of a perpetuity is calculated as:

$$PV_{\text{Perpetuity}} = \frac{C}{(1+r)} + \frac{C}{(1+r)^2} + \dots + \frac{C}{(1+r)^\infty} = \frac{C}{r}$$

The value of the firm's **assets** therefore can be estimated as:

$$\text{Value} = \frac{C}{r} = \frac{\text{Annual Cash Flow}}{\text{Firm - wide Cost of Capital}}$$

Demonstrating the intuition behind WACC

We know that the value of the firm's assets is simply the value of debt plus the value of equity:

$$V = D + E$$

Therefore:

$$D + E = \frac{\text{Annual Cash Flow}}{\text{Firm - wide Cost of Capital}}$$

$$\text{Firm - wide Cost of Capital} = \frac{\text{Annual Cash Flow}}{D + E}$$



Demonstrating the intuition behind WACC

Substitute what we know about the annual cash flow required by debtholders and shareholders:

$$\text{Cost of Capital} = \frac{k_d(1-t_c)D + k_e E}{D + E}$$

$$\text{Cost of Capital} = \frac{k_d(1-t_c)D}{D + E} + \frac{k_e E}{D + E}$$

$$\text{Cost of Capital} = k_d(1-t_c) \frac{D}{D + E} + k_e \frac{E}{D + E}$$

$$\text{Cost of Capital} = k_d(1-t_c) \frac{D}{V} + k_e \frac{E}{V} = WACC$$

Demonstrating the intuition behind WACC

So in our example:

$$\text{Cost of Capital} = \frac{\text{Annual Cash Flow}}{D + E}$$

$$\text{Cost of Capital} = \frac{\$32,500 + \$120,000}{\$1m + \$1m}$$

$$\text{Cost of Capital} = \frac{\$152,500}{\$2m} = 7.625\% \text{ per annum}$$

Demonstrating the intuition behind WACC

...or alternatively...

$$WACC = k_d(1 - t_c) \frac{D}{V} + k_e \frac{E}{V}$$

$$WACC = \left(0.05 \times (1 - 0.35) \times \frac{1}{2} \right) + \left(0.12 \times \frac{1}{2} \right)$$

$$WACC = 0.01625 + 0.06 = 0.07625 = 7.625\% \text{ per annum}$$

WACC – some points

$$WACC = k_d(1 - t_c) \left(\frac{D}{V} \right) + k_e \left(\frac{E}{V} \right)$$

1. Always use current costs of capital – that is – if you were to raise the funds today to fund the company – what would it cost you?
2. Always use **current market values** of debt and equity not **book values**.





WACC – who cares?

- Companies are often fiercely protective of letting others know the value of their WACC.

$$NPV = -I_o + \frac{C_1}{(1+r)^1} + \frac{C_2}{(1+r)^2} \dots + \frac{C_n}{(1+r)^n}$$

- One of the key reason's for this is that it can give competitors an advantage when bidding for assets.

$$NPV = -Price\ bid + \frac{C_1}{(1+WACC)^1} + \frac{C_2}{(1+WACC)^2} \dots + \frac{C_n}{(1+WACC)^n}$$

$$0 = -Price\ bid_{MAX} + \frac{C_1}{(1+WACC)^1} + \frac{C_2}{(1+WACC)^2} \dots + \frac{C_n}{(1+WACC)^n}$$

$$Price\ bid_{MAX} = \frac{C_1}{(1+WACC)^1} + \frac{C_2}{(1+WACC)^2} \dots + \frac{C_n}{(1+WACC)^n}$$

Summary

- We defined Weighted Average Cost of Capital as:

$$WACC = k_d(1 - t_c)\left(\frac{D}{V}\right) + k_e\left(\frac{E}{V}\right)$$

- We demonstrated the foundations of the equation – which also highlighted its key features:
 1. The use of market values for all elements of debt and equity
 2. The use of current required rates of return
- Highlighted why firm's guard their WACC carefully.

...Let's demonstrate the technique with a comprehensive example...



Source list

Slide 2:

Expected return/Risk and Risk/Number of assets in portfolio graphs created by Sean Pinder. © The University of Melbourne.

Expected return/systematic risk graph created by Sean Pinder using data downloaded from Yahoo Finance in June 2015 at <https://au.finance.yahoo.com>. © The University of Melbourne.

Slide 3:

Graph created by Sean Pinder using data sourced from Coleman, L., Maheswaran, K., & Pinder, S. (2010), 'Narratives in managers' corporate finance decisions', *Accounting & Finance*, vol. 50, no. 3, pp. 605-633.

Slide 4:

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Source list

Slide 5:

Example adapted from chapter 14 of *Business Finance* 12th edition, 2015, Peirson, Brown, Easton, Howard and Pinder, McGraw-Hill Education, Sydney.

Slide 12:

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