

PMMS Assignment

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Abstract

The purpose of this short document is to provide a brief overview of how mutual exclusion was achieved in the multi-process as well as the multi-threaded components of the assignment. Also included are the test inputs and outputs, a README, as well as the source code. The coding components of the assignment were written in C99.

1 Process PMMS

Mutual exclusion was achieved in the multi-process program by having the parent process (consumer) waiting until the buffer (in this case the subtotal data structure) had an item in it (indicated by the `sem_full` semaphore) to acquire the mutex lock. The child processes (producers) would wait until the buffer was empty (indicated by `sem_empty` semaphore) to then acquire the lock. Therefore achieving mutual exclusion between the processes.

Access to the matrices did not require any mutual exclusion as child processes will only be reading from matrix A and matrix B. Writing to matrix C only involved writing to each child processes row therefore each child process will be writing to a separate place. No critical section

The required semaphores (`mutex`, `sem_full`, and `sem_empty`), buffer (subtotal) and matrices were implemented using shared memory.

2 Thread PMMS

Mutual exclusion was achieved in the multi-threaded program by having the parent lock the mutex and wait until the `is_full` condition was signalled (showing that there is a subtotal available). Before the parent leaves the critical section the `is_full` condition is set to false allowing the child threads to stop waiting. The parent releases the mutex and the children waiting on the full condition are signalled. In the children threads the signals are achieved using a broadcast.

Whereas the process PMMS used shared memory the thread PMMS used global variables as threads can share data declared as global in the parent. The data declared as global were the required semaphores, subtotal and matrices.

3 Testing

3.1 Method

3.2 Known Issues

3.3 Input Files

$$\text{matrix_a} = \begin{bmatrix} 1 & 2 \\ 3 & 4 \\ 5 & 6 \end{bmatrix}$$

$$\text{matrix_b} = \begin{bmatrix} 1 & 2 & 3 & 4 \\ 5 & 6 & 7 & 8 \end{bmatrix}$$

$$\text{matrix_E} = \begin{bmatrix} 61 & 78 & 80 & 70 & 49 & 37 & 84 & 60 & 31 & 100 \\ 85 & 3 & 9 & 53 & 20 & 96 & 36 & 36 & 50 & 64 \\ 97 & 41 & 67 & 34 & 76 & 76 & 40 & 20 & 32 & 4 \\ 41 & 69 & 91 & 38 & 33 & 76 & 91 & 16 & 2 & 72 \\ 42 & 97 & 15 & 92 & 51 & 59 & 7 & 72 & 75 & 42 \\ 15 & 32 & 52 & 53 & 40 & 36 & 50 & 57 & 2 & 21 \\ 98 & 25 & 13 & 45 & 3 & 38 & 10 & 39 & 90 & 84 \\ 44 & 23 & 83 & 8 & 5 & 73 & 92 & 84 & 95 & 46 \\ 67 & 13 & 25 & 87 & 82 & 69 & 91 & 85 & 53 & 60 \\ 47 & 18 & 18 & 83 & 16 & 24 & 53 & 19 & 57 & 38 \end{bmatrix}$$

$$\text{matrix_F} = \begin{bmatrix} 88 & 97 & 80 & 53 & 40 & 40 & 100 & 13 & 8 & 37 \\ 31 & 79 & 40 & 2 & 10 & 42 & 48 & 32 & 7 & 30 \\ 76 & 77 & 29 & 95 & 85 & 32 & 92 & 73 & 17 & 85 \\ 26 & 17 & 52 & 65 & 9 & 35 & 1 & 85 & 25 & 51 \\ 62 & 24 & 48 & 13 & 89 & 39 & 44 & 48 & 74 & 82 \\ 42 & 10 & 51 & 68 & 97 & 79 & 18 & 65 & 52 & 81 \\ 97 & 55 & 94 & 72 & 91 & 22 & 92 & 87 & 26 & 76 \\ 94 & 95 & 8 & 85 & 36 & 99 & 81 & 28 & 35 & 100 \\ 76 & 14 & 57 & 99 & 95 & 63 & 87 & 45 & 59 & 43 \\ 78 & 69 & 100 & 70 & 57 & 97 & 92 & 80 & 66 & 48 \end{bmatrix}$$

3.4 Outputs

3.4.1 $\text{matrix_a} \times \text{matrix_b}$

$$\text{expected result} = \begin{bmatrix} 11 & 14 & 17 & 20 \\ 23 & 30 & 37 & 44 \\ 35 & 46 & 57 & 68 \end{bmatrix}$$

$$\text{expected subtotals} = \begin{bmatrix} 62 \\ 134 \\ 206 \end{bmatrix}$$

expected total = 402

3.4.2 $\text{matrix_E} \times \text{matrix_F}$

$$\text{expected result} = \begin{bmatrix} 44222 & 38629 & 383427 & 39909 & 37049 & 35001 & 44581 & 38219 & 22407 & 40499 \\ 30575 & 22032 & 28715 & 30681 & 28734 & 27747 & 28599 & 25073 & 18021 & 27677 \\ 32191 & 25793 & 26779 & 27982 & 32055 & 23168 & 31030 & 24742 & 16520 & 31244 \\ 34988 & 30154 & 32111 & 32173 & 33867 & 26767 & 35108 & 33353 & 17498 & 34180 \\ 32298 & 27443 & 27625 & 31489 & 27763 & 32185 & 30499 & 28208 & 20311 & 32365 \\ 23632 & 19850 & 17870 & 22325 & 20858 & 18773 & 21604 & 21496 & 12184 & 25428 \\ 31367 & 25010 & 28421 & 30852 & 25285 & 27979 & 32694 & 22194 & 16982 & 23662 \\ 42105 & 31006 & 30561 & 42201 & 39686 & 32411 & 42447 & 31343 & 20263 & 37789 \\ 43968 & 31550 & 36839 & 40589 & 39505 & 35296 & 39949 & 36410 & 25311 & 42319 \\ 24443 & 17542 & 23493 & 25206 & 21177 & 18961 & 23309 & 22632 & 13229 & 21501 \end{bmatrix}$$

$$\text{expected subtotals} = \begin{bmatrix} 378858 \\ 267854 \\ 271504 \\ 310199 \\ 290186 \\ 204020 \\ 264446 \\ 349812 \\ 371736 \\ 211493 \end{bmatrix}$$

expected total = 2920108

4 ReadMe

5 Graphics

L^AT_EX can include images in one of several format, depending on whether you use latex (postscript format required) or pdflatex (either jpeg, png or pdf required). Figures can be included either at their natural size, or you can specify e.g. the figure width. Figure 1 shows an example image which intentionally looks slightly different depending on whether you compile the document with latex or pdflatex. Note that in this example the suffix of the image file is not included so that this document compiles under both latex and pdflatex.

Figure 1: Example of a sigmoidal curve generated by the R programming environment. The title above the curve indicates whether you have included the postscript or the pdf version of the figure.