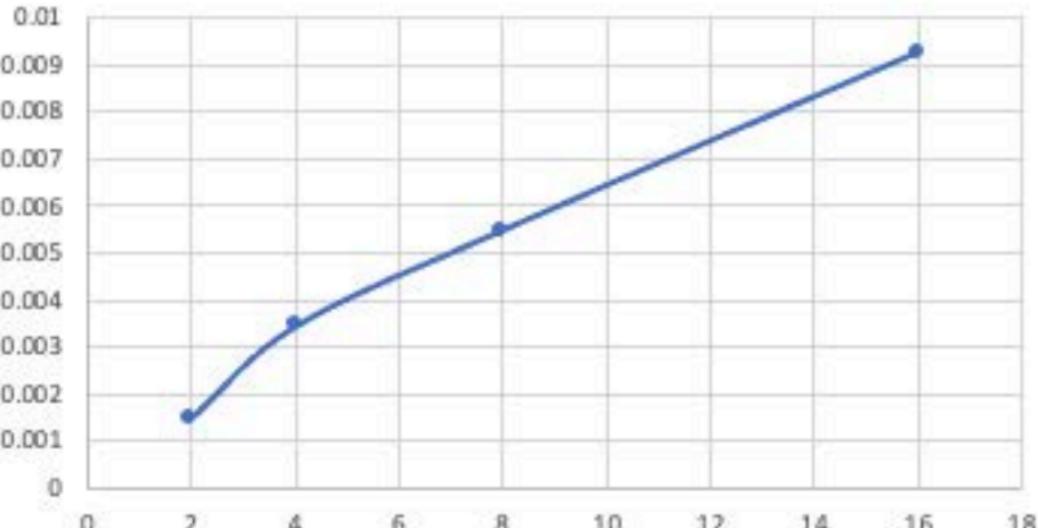


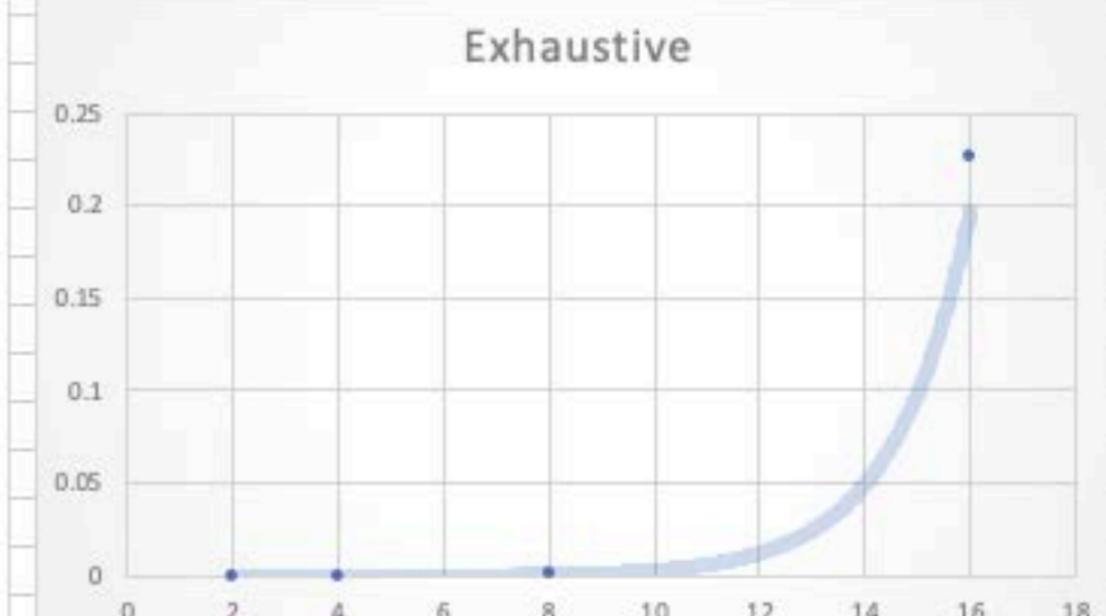
A	B	C	D	E	F	G	H	I	J	K	L
1	armors	dynamic time	exhaustive time	Jordhy Tapia							

2	2	0.00149421	0.0000226
3	4	0.00343149	0.0000249
4	8	0.00547488	0.0006994
5	16	0.00925247	0.226062

Dynamic



Exhaustive



Solving Taps

Dynamic max defense (Armors, total cost)

Σ

```

<Vector<Vector>>double map
for i=0 to armors.size() do
    vector<double> v;
    for j=0 to total cost + 1 do
        v.pushback(0);
    map.pushback(v);
end for
end for

for i=1 to map.size() do
    double d = armors[i-1].defense();
    int c = armors[i-1].cost();
    for int j=1 to map[i].size() do
        map[i][j] = map[i-1][j];
        if(j >= c) {
            if(map[i-1][j-c] + d > map[i][j])
                map[i][j] = map[i-1][j-c] + d;
        }
    end for
end for

int cap = map[0].size();
std::unique_ptr<ArmorVector> selected(new ArmorVector);
for map.size() - 1 to 1
    if(map[i][cap] != map[i-1][cap])
        size_t itemIndex = i-1;
        selected->pushback(armors[itemIndex]);
        cap -= armors[itemIndex].cost();
    end if
end for

return selected
    
```

$1 + n(1 + n(1)) + 1 \rightarrow n^2$
 $n \cdot n \cdot n \rightarrow n^3$
 $n(2 + n(s)) \rightarrow n^2$
 $2 + 3n = 3n \rightarrow n$
 $n^2 + n^2 + 3n = O(n^2)$

```

std::unique_ptr<ArmorVector> exhaustive_max_defense()
{
    const ArmorVector& armors,
    double total_cost
}

{
    const int n = armors.size(); ] + 2 S.C
    assert(n < 64);

    std::unique_ptr<ArmorVector> best(new ArmorVector);
    double candidateCost;
    double candidateDefense;
    double bestCost;
    double bestDefense;

    for (int i = 0; i < pow(2, n); ++i) 2^n S.C
    {
        std::unique_ptr<ArmorVector> candidate(new ArmorVector); ] + 2 S.C
        + 2^n(2 + n(3) + n^2n)
        for (int j = 0; j < n; ++j) n S.C
        {
            if ((i >> j) & 1) = 2^(1,0) S.C = 3 S.C
            {
                candidate->push_back(armors[j]); + 1 S.C
            }
        }

        sum_armor_vector(*best, bestCost, bestDefense); n S.C.
        sum_armor_vector(*candidate, candidateCost, candidateDefense); n S.C.

        if (candidateCost <= total_cost) 1 + (2 + (n, 0), 0) = 3 + n
        {
            if (best->empty() || (candidateDefense > bestDefense)) 2 S.C
            *best = *candidate; n S.C
        }
    }
}

```

return best;

$$\begin{aligned}
 & 8 + 2^n(2 + 3n + n^2 + 3 + n) + 1 + (2 + (n, 0), 0) \\
 & 2^n(6n + 5) + 8 + (4n + 2n + 1 + (2 + n)) \\
 & 2^n(6n) + 2^n(5) + 8 + (7n + 3) = 2^n(7n) + 2^n(3) + 8
 \end{aligned}$$

$O(n)$

$$= 2^n \cdot n$$