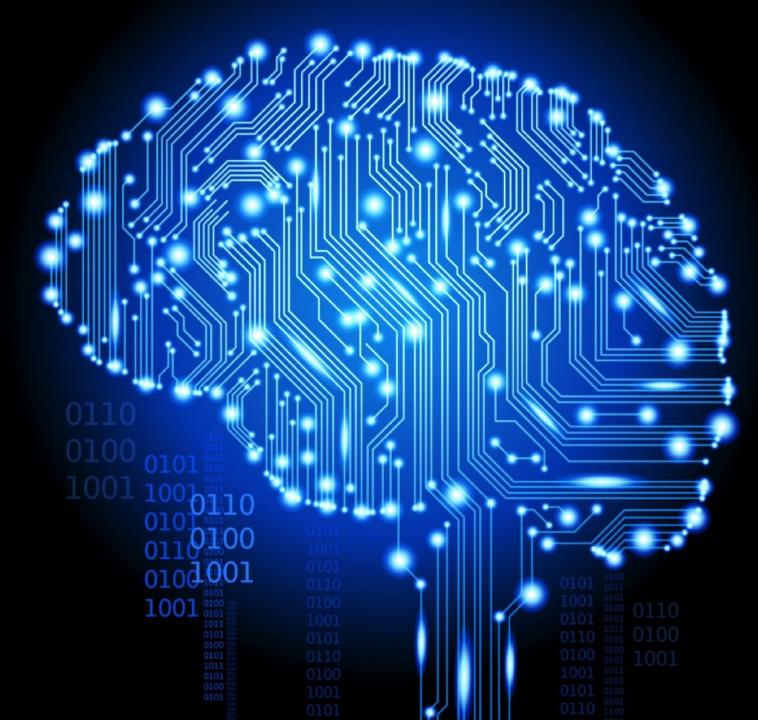
ESADE - MIBA (FALL 2017)

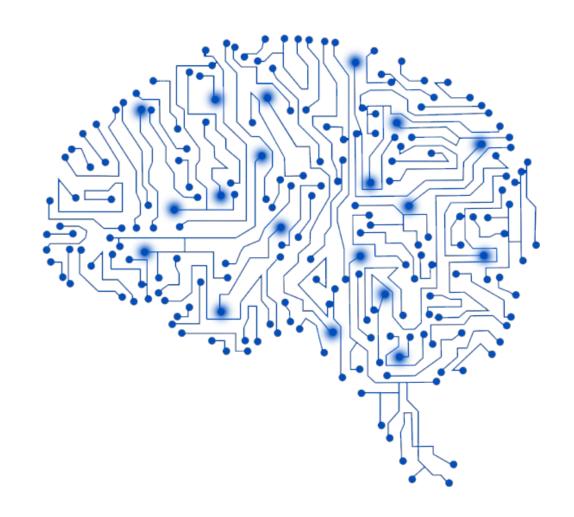


JORDI **TORRES |** FRANCESC **SASTRE** 

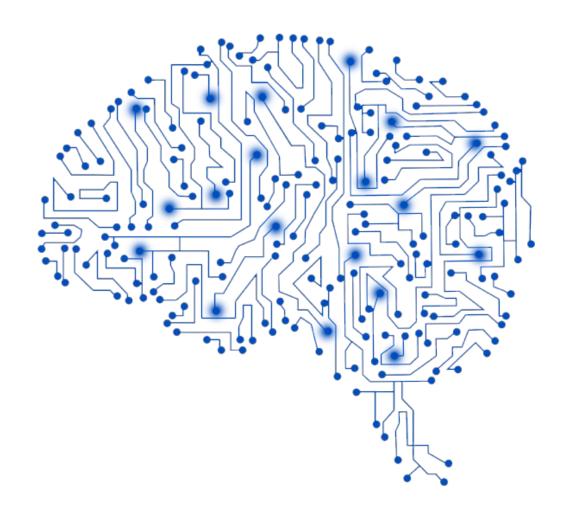
#### Summary

- 1. What is Deep Learning?
- 2. Neural Networks
- 3. Loss and optimization functions
- 4. ConvNets
- 5. Train

- Allows models to learn representations of data with multiple levels of abstraction
- Discovers intricate structure in large data sets (Patterns)
- Dramatically improved the state-of-the-art in speech recognition, visual object recognition, object detection, ...



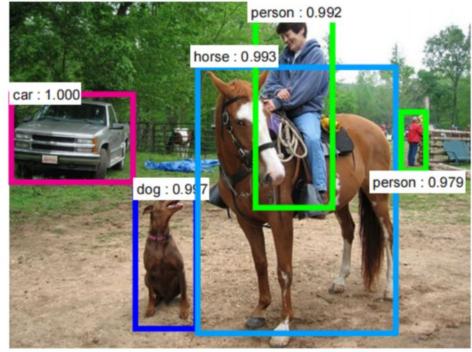
- Supervised Learning
  - Training data is labeled
  - Goal is correctly label new data
- Reinforcement Learning
  - Training data is unlabeled
  - System receives feedback for its actions
- Goal is to perform better actions
  - Unsupervised Learning
  - Training data is unlabeled
  - Goal is to categorize the observations



Source: Nvidia Research



ImageNet classification. (Source: Alex Krizhevsky et al.)



Object detection and classification. (Source: Shaoqing Ren et al.)





Images captioning. (Source: Andrej Karpathy et al.)

Image Colorization. (Source: Richard Zhang et al.)



"baseball player is throwing ball in game."

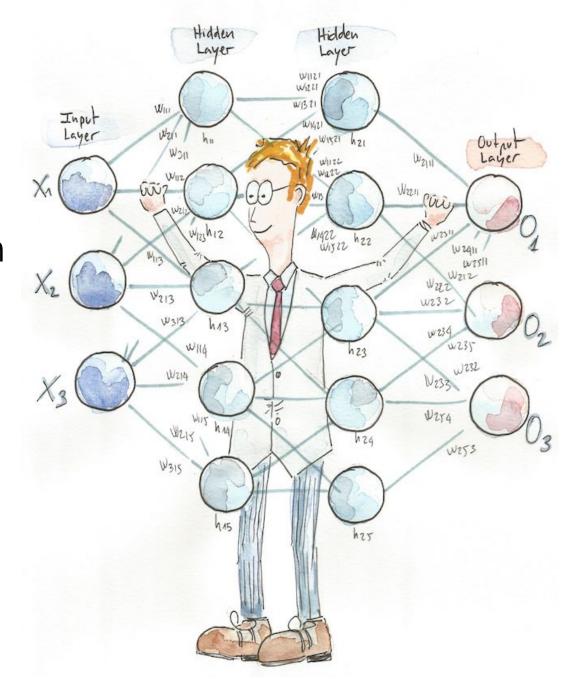


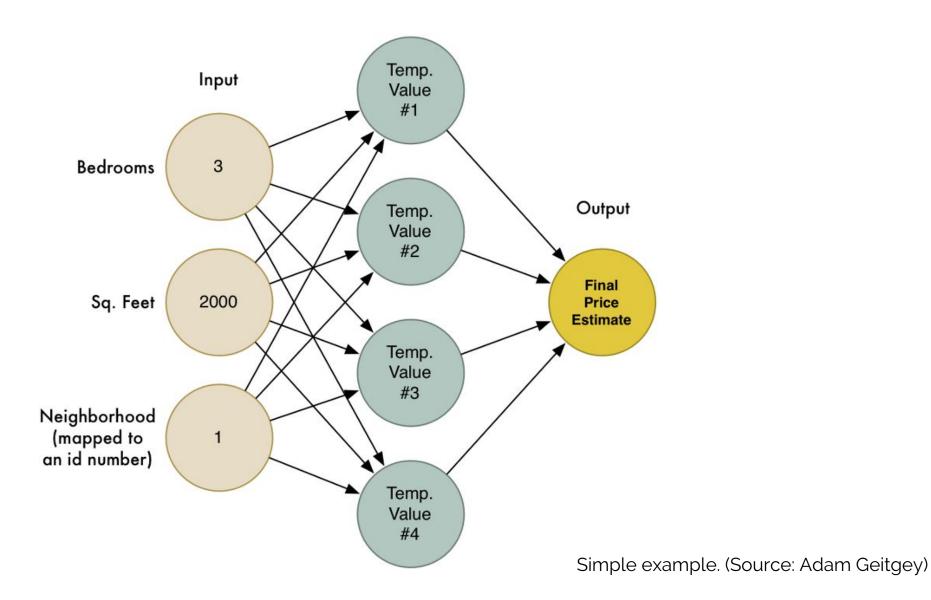
"woman is holding bunch of bananas."

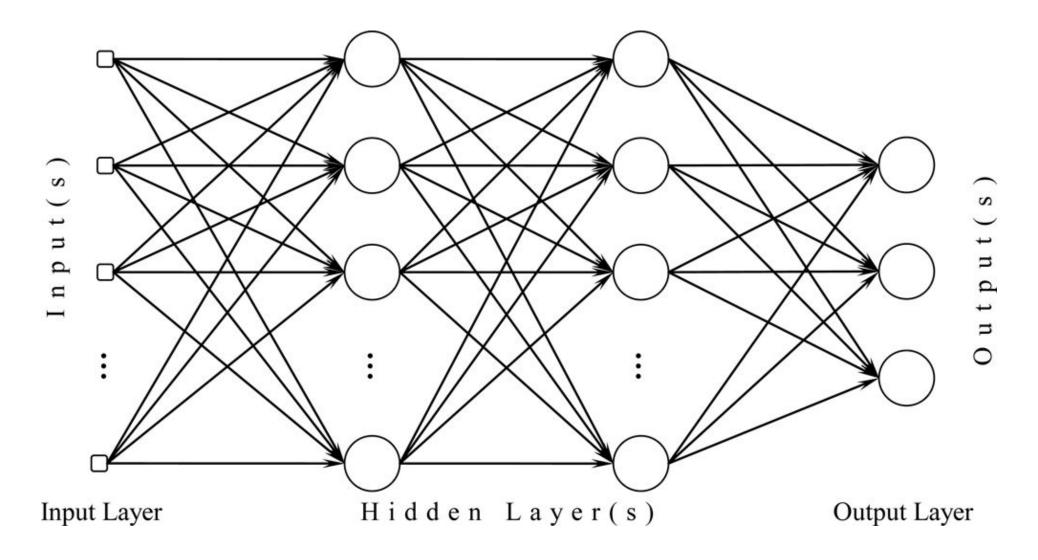


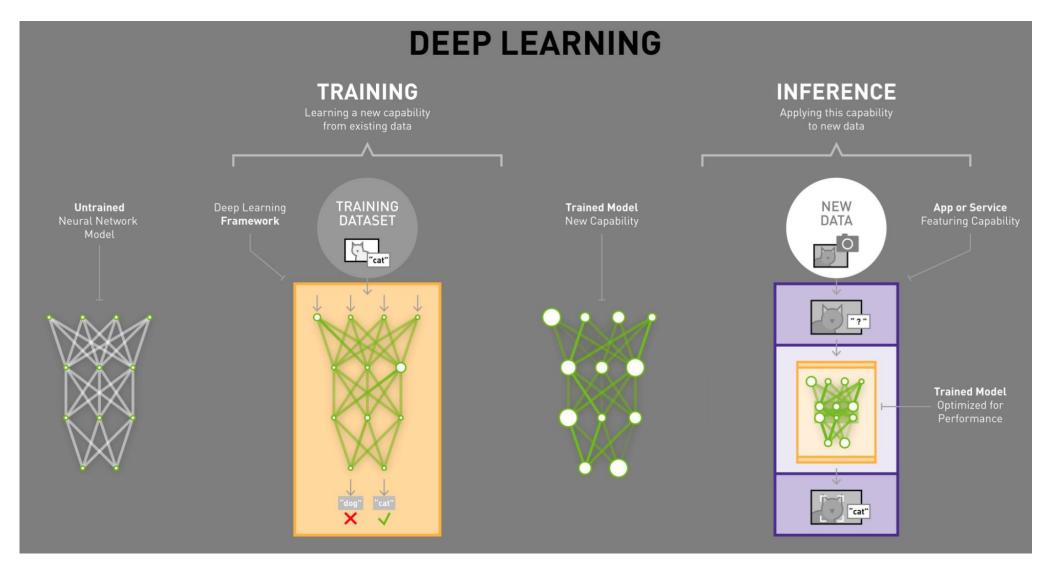
"black cat is sitting on top of suitcase."

- Set of neurons
- Each neuron contains an activation function
- Different topologies
- The connections are the inputs and outputs of the functions
- Each connection has a weight and bias









Source: Nvidia Research

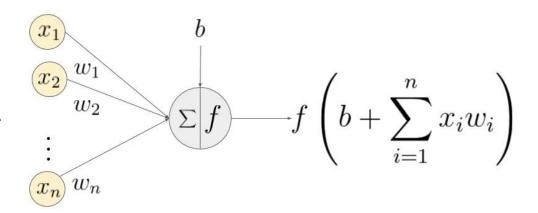
#### **Neurons**

- Inputs:
  - Outputs from other neurons
  - Input data
- Each input has a different weight
- One output
- Different activation functions

$$b + \sum_{i=1}^{n} x_i w_i$$

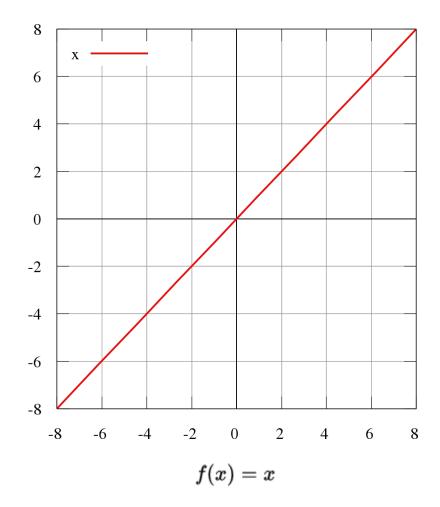
#### **Neurons**

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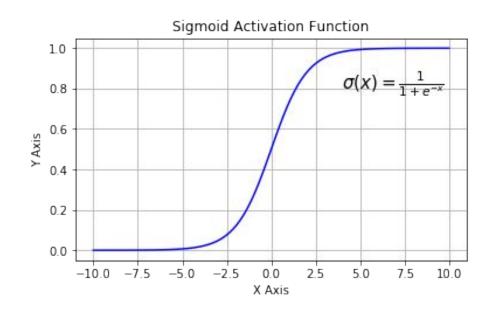


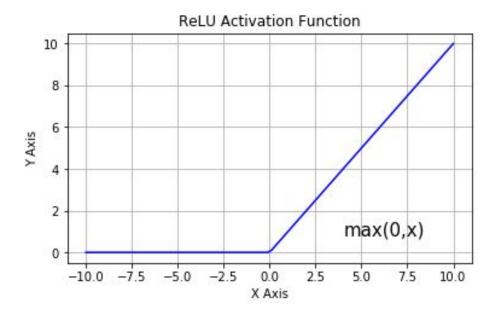
An example of a neuron showing the input (  $x_1 - x_n$  ), their corresponding weights (  $w_1 - w_n$  ), a bias ( b ) and the activation function f applied to the weighted sum of the inputs.

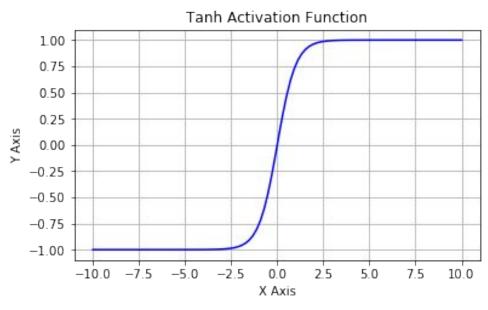
- Linear functions
  - Identity
- Non-linear functions



- Linear functions
- Non-linear functions

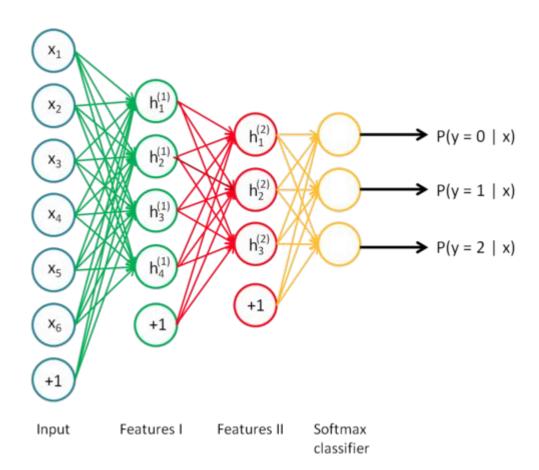


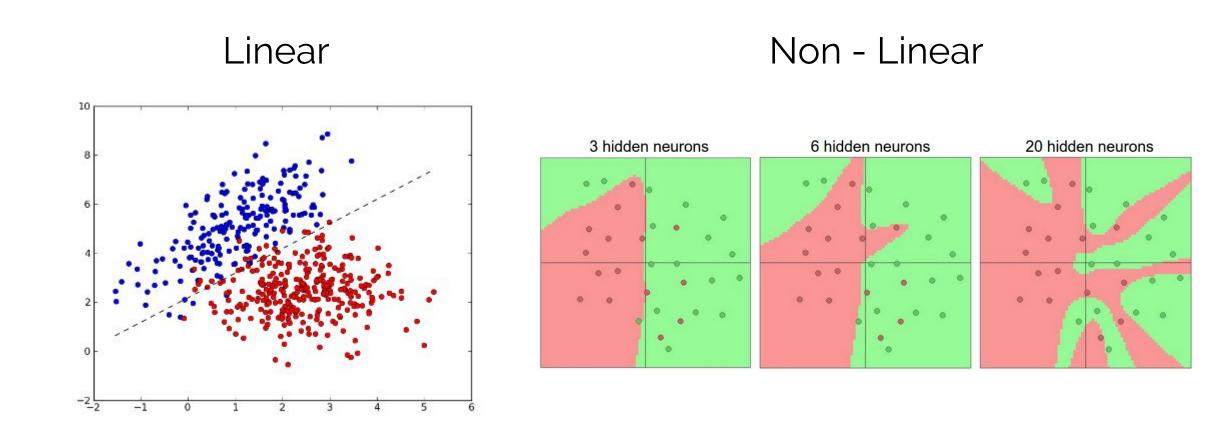


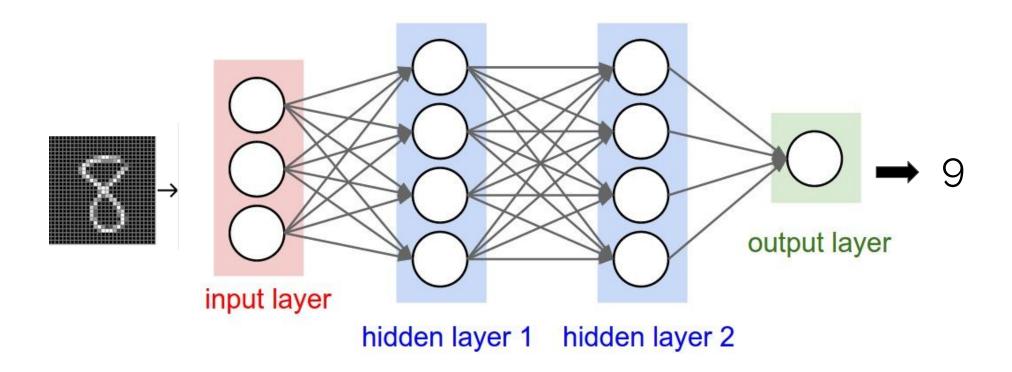


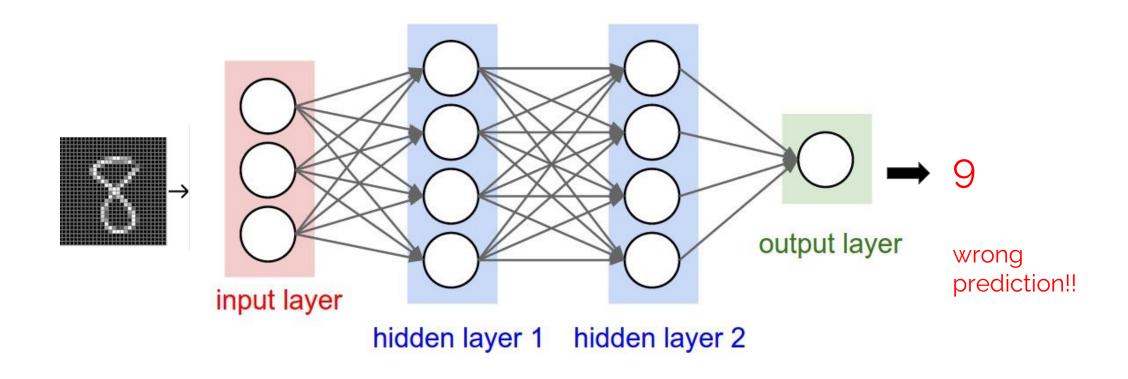
Source: Learn OpenCV

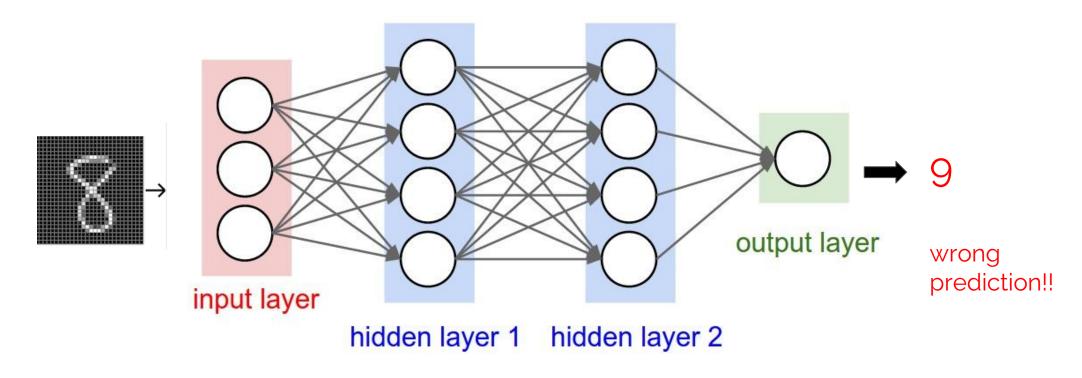
#### Softmax





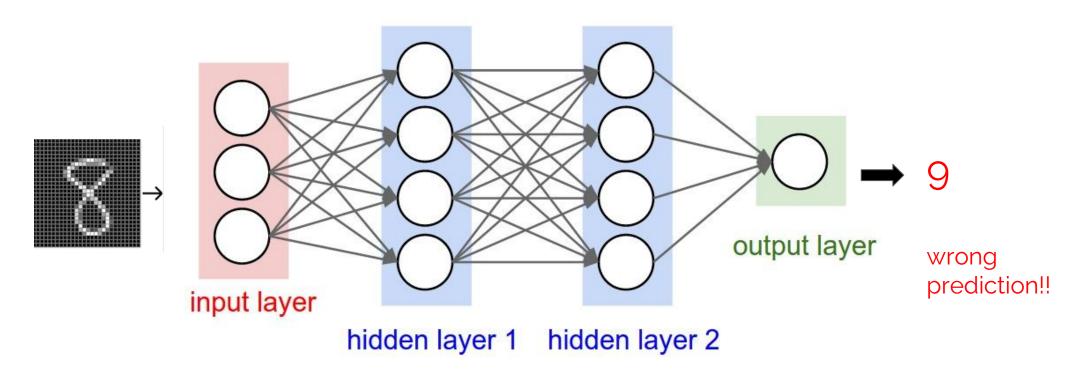






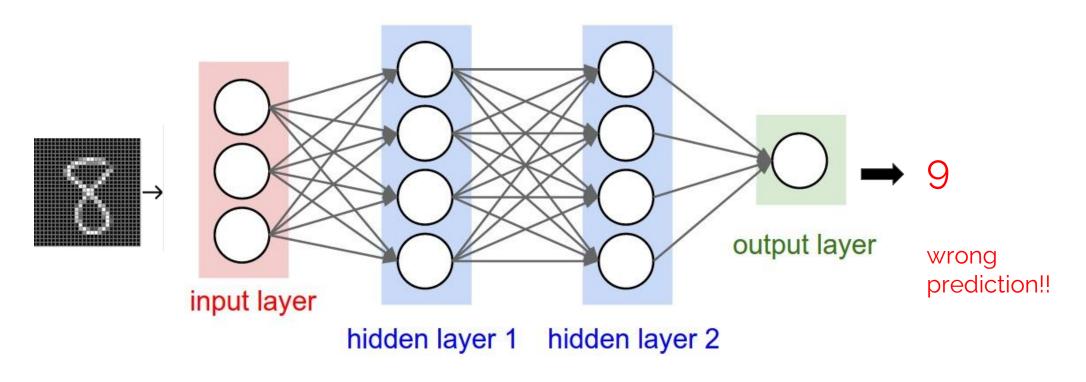
loss\_function(target, output)  $\rightarrow$  loss\_function(8, 9)

- Cross entropy
- Mean squared error
- Binary Cross entropy



loss\_function(target, output)  $\rightarrow$  loss\_function(8, 9)

- Cross entropy
- Mean squared error
- Binary Cross entropy



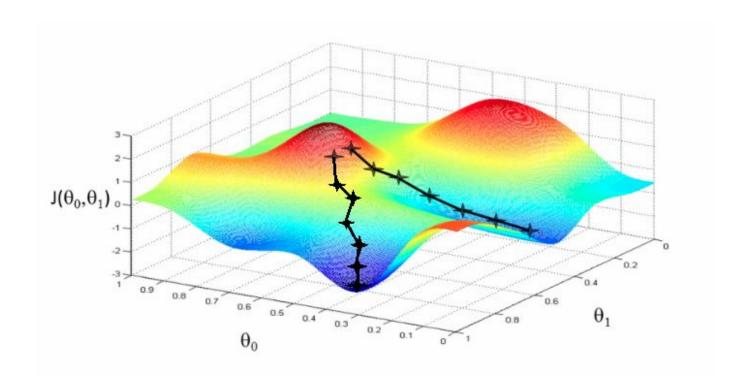
loss\_function(target, output)  $\rightarrow$  loss\_function(8, 9)

Minimize it!

Source: Stanford cs231n

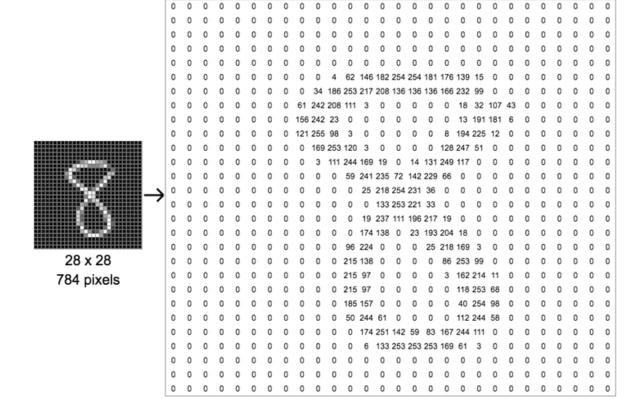
## **Optimization functions**

- Adagrad
- Adadelta
- Gradient descent



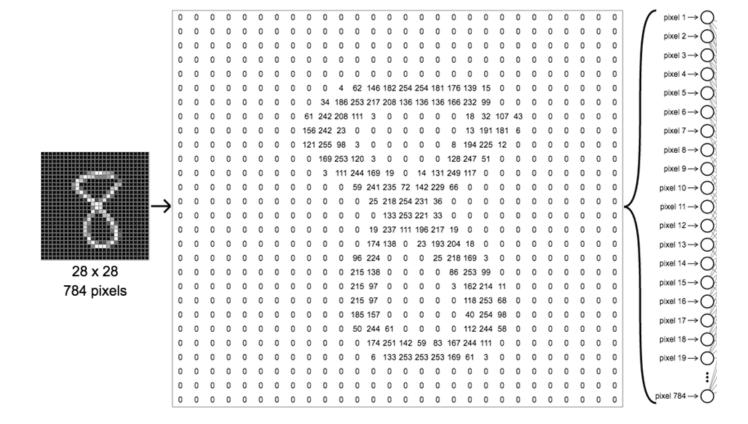
## Inputs

Input layer 2D



## Inputs

Input layer 1D



## Inputs

Input layer 3D



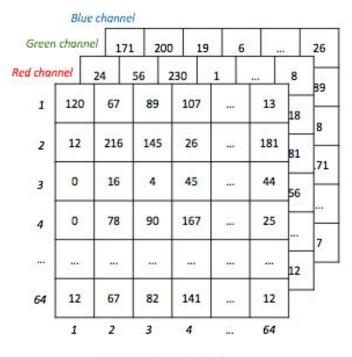
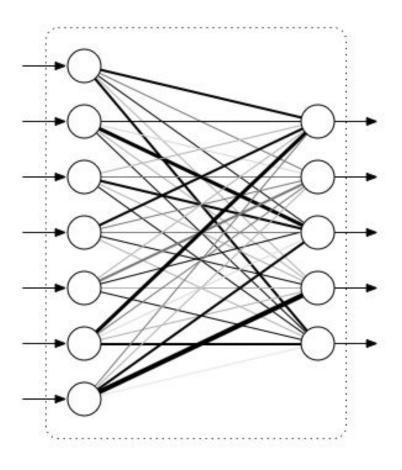
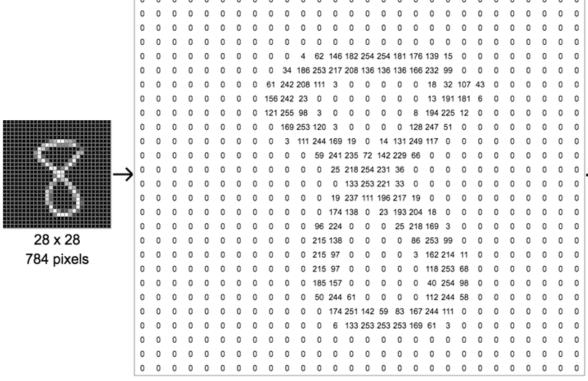


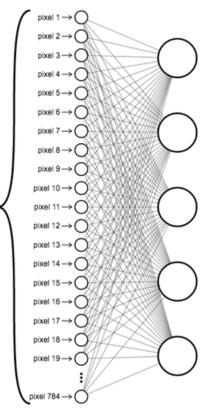
Image array: [64 x 64 x 3]

Fully connected | Dense

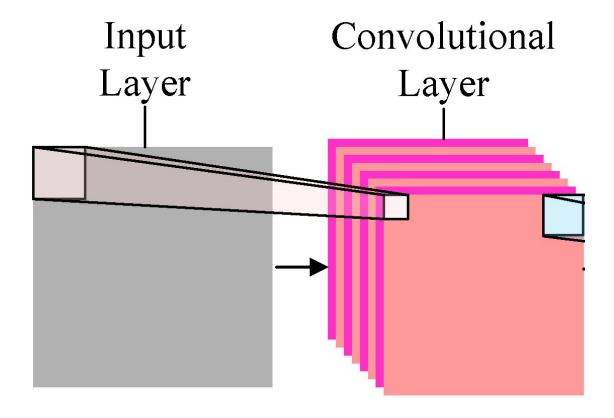


Flatten





Convolution (3D)



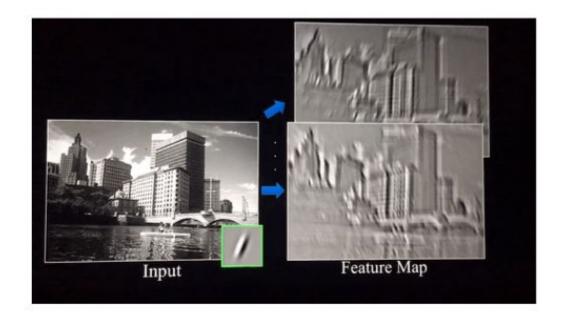
Convolution (3D)

1	1	1	0	0
0	1	1	1	0
0,,1	0,0	1,	1	1
0,0	0,1	1,0	1	0
0,,1	1,0	1,	0	0

**Image** 

4	3	4
2	4	3
2		

Convolved Feature



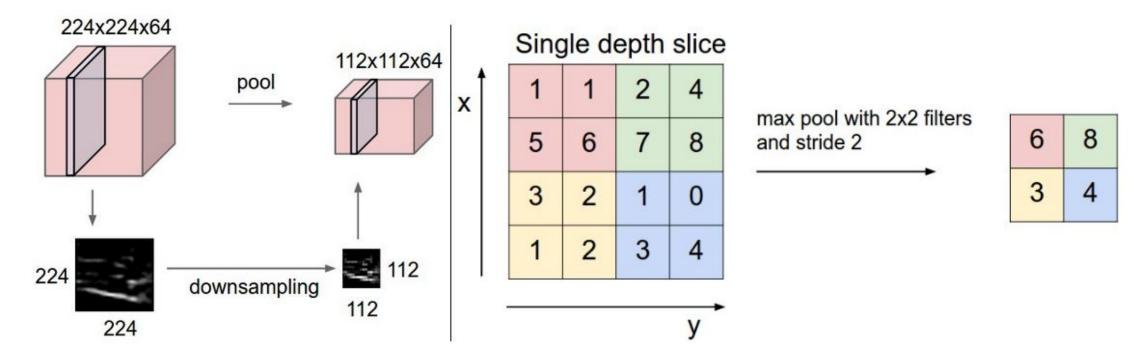
Source: S. Lazebnik

#### • Filters

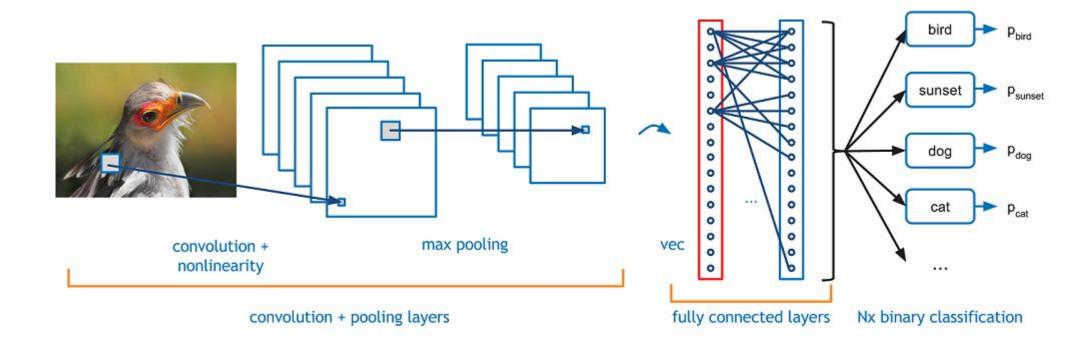
Operation	Kernel	Image result
Identity	$\begin{bmatrix} 0 & 0 & 0 \\ 0 & 1 & 0 \\ 0 & 0 & 0 \end{bmatrix}$	
	$\begin{bmatrix} 1 & 0 & -1 \\ 0 & 0 & 0 \\ -1 & 0 & 1 \end{bmatrix}$	
Edge detection	$\begin{bmatrix} 0 & 1 & 0 \\ 1 & -4 & 1 \\ 0 & 1 & 0 \end{bmatrix}$	
	$\begin{bmatrix} -1 & -1 & -1 \\ -1 & 8 & -1 \\ -1 & -1 & -1 \end{bmatrix}$	
Sharpen	$\begin{bmatrix} 0 & -1 & 0 \\ -1 & 5 & -1 \\ 0 & -1 & 0 \end{bmatrix}$	
Box blur (normalized)	$\frac{1}{9} \begin{bmatrix} 1 & 1 & 1 \\ 1 & 1 & 1 \\ 1 & 1 & 1 \end{bmatrix}$	
Gaussian blur 3 × 3 (approximation)	$\frac{1}{16} \begin{bmatrix} 1 & 2 & 1 \\ 2 & 4 & 2 \\ 1 & 2 & 1 \end{bmatrix}$	
Gaussian blur 5 x 5 (approximation)	$\frac{1}{256} \begin{bmatrix} 1 & 4 & 6 & 4 & 1 \\ 4 & 16 & 24 & 16 & 4 \\ 6 & 24 & 36 & 24 & 6 \\ 4 & 16 & 24 & 16 & 4 \\ 1 & 4 & 6 & 4 & 1 \end{bmatrix}$	8
Unsharp masking 5 x 5 Based on Gaussian blur with amount as 1 and threshold as 0 (with no image mask)	$ \frac{-1}{256} \begin{bmatrix} 1 & 4 & 6 & 4 & 1 \\ 4 & 16 & 24 & 16 & 4 \\ 6 & 24 & -476 & 24 & 6 \\ 4 & 16 & 24 & 16 & 4 \\ 1 & 4 & 6 & 4 & 1 \end{bmatrix} $	

Source: Wikipedia

#### Downsampling | Max pooling

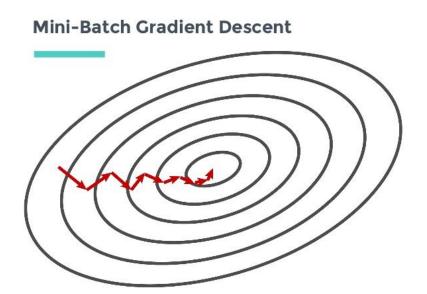


Source: Stanford cs231n



#### Batching

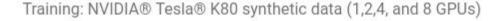
- The network can not be trained with all data at once
- The data is divided in batches
- Update the loss and the accuracy for each step/batch

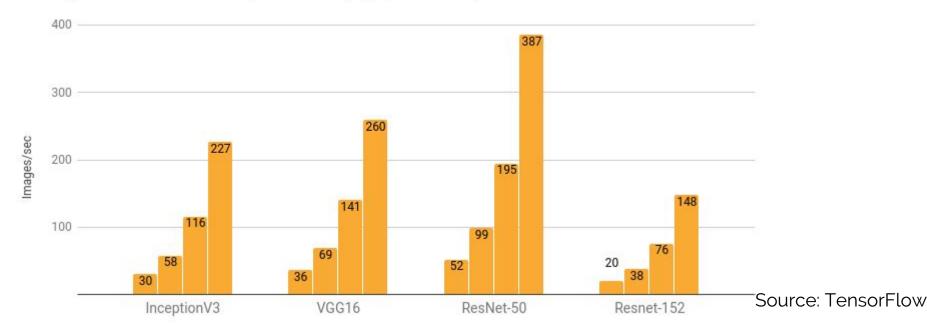


#### Also allows distributed training!

#### Batching

- The network can not be trained with all data at once
- The data is divided in batches
- Update the loss and the accuracy for each step/batch





#### Hyperparameters

- Batch size
- Epochs
- Learning rate
- Loss function
- Regularization
- •

#### Data

- Training set
- Validation set
- Test set

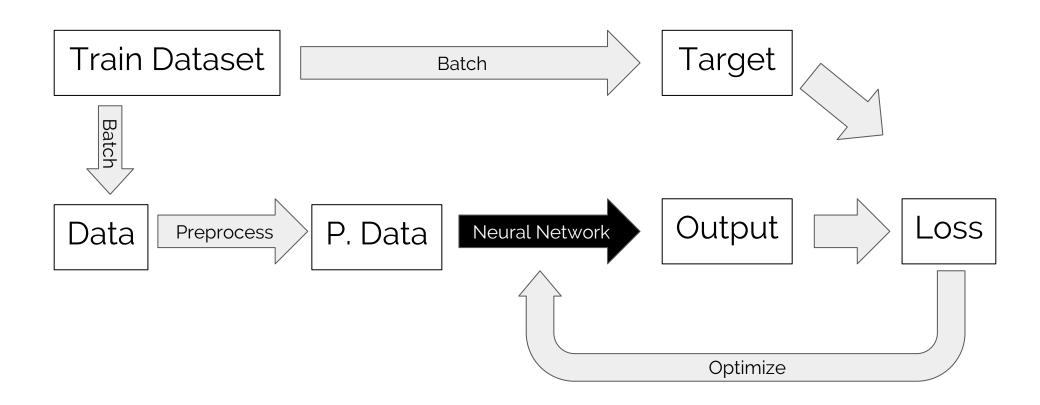
## **Train**

#### Data

- Training set
- Validation set → For hyperparameter tuning
- Test set → Test model performance

## **Train**

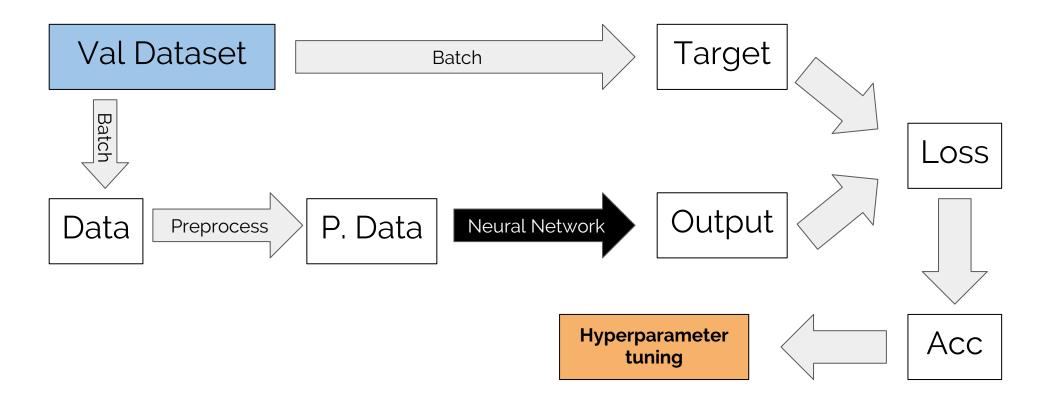
#### Pipeline



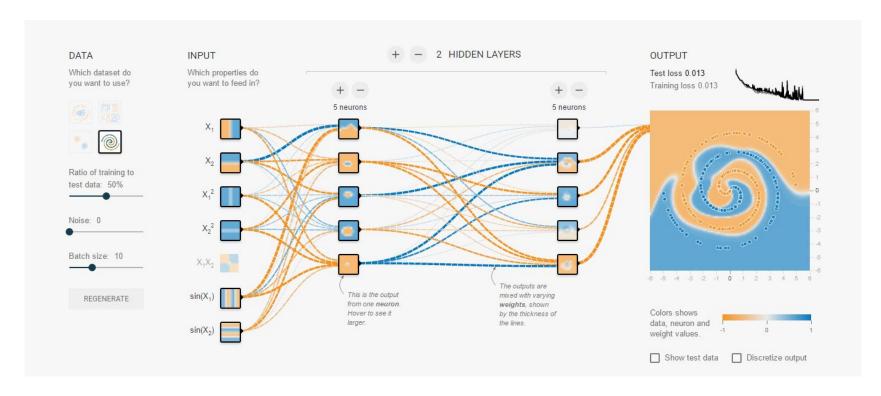
## **Train**

### Pipeline

After epoch

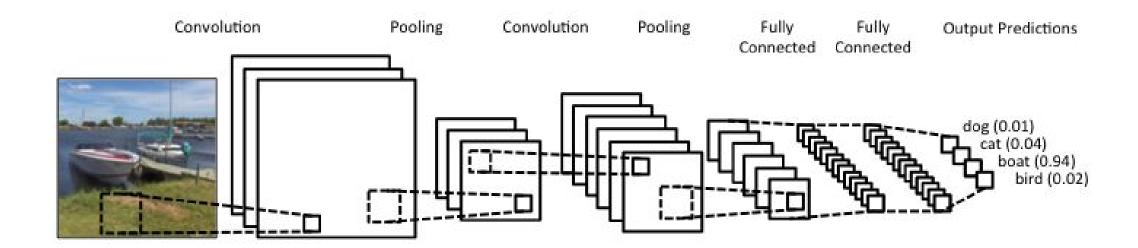


# Let's play



http://playground.tensorflow.org

# Network example



Source: clarifai

# Network example

```
model.add(Conv2D(20, (5, 5), input shape=(28, 28, 3),
      activation="relu", padding="same"))
model.add(MaxPooling2D(pool size=(2, 2), strides=(2, 2)))
model.add(Conv2D(50, (5, 5), activation="relu", padding="same"))
model.add(MaxPooling2D(pool size=(2, 2), strides=(2, 2)))
model.add(Flatten())
model.add(Dense(500, activation="relu"))
model.add(Dense(10, activation="softmax"))
```

# Inference example

Using docker, run:

```
docker pull jorditorresbcn/dl
docker run -it -p 8888:8888 jorditorresbcn/dl
wget https://raw.githubusercontent.com/jorditorresBCN/dlaimet/master/keras/Inference.ipynb
jupyter notebook --allow-root --ip=0.0.0.0
```

# Inference example

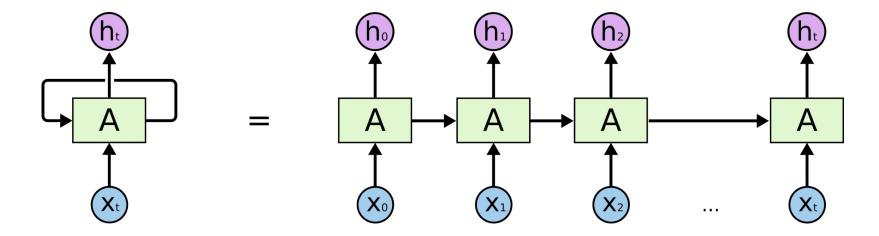
```
In [8]: url image = "https://media.brstatic.com/2017/03/17170632/2016-hyundai-sonata-mst.jpg"
In [9]: img path = '/tmp/image'
        urllib.request.urlretrieve(url image, img path)
        img = image.load img(img path, target size=(299, 299))
        plt.imshow(img)
        x = image.img to array(img)
        x = np.expand dims(x, axis=0)
        x = preprocess input(x)
        preds = model.predict(x)
        # decode the results into a list of tuples (class, description, probability)
        # (one such list for each sample in the batch)
        print('Predicted:', decode predictions(preds, top=3)[0])
        Predicted: [('n04285008', 'sports car', 0.69676977), ('n04037443', 'racer', 0.08645054), ('n02974003', 'car wheel', 0.046
        464231)]
          50
         100
         150
         200
         250
                        150 200
```

### **Networks**

- LeNet (1990) Yann Lecun
- AlexNet (2012) Alex Krizhevsky et al.
- GoogLeNet (2014) Christian Szegedy et al.
  - Inception V2 (2015)
  - Inception V<sub>3</sub> (2015)
- VGG (2014) Karen Simonyan et al.
- ResNet (2015) Kaiming He et al.
  - Inception (v4)-ResNet (2016)
- MobileNet (2017) Andrew G. Howard et al.

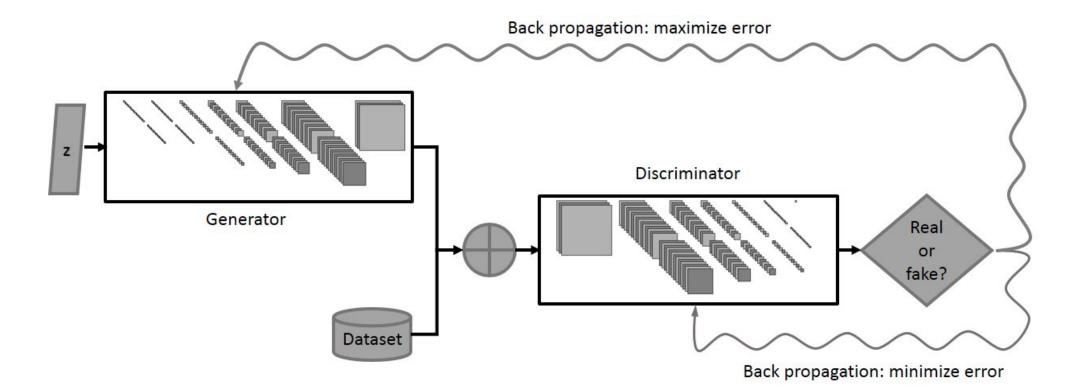
### **Other Networks**

Recurrent Neural Networks (RNN)



### **Other Networks**

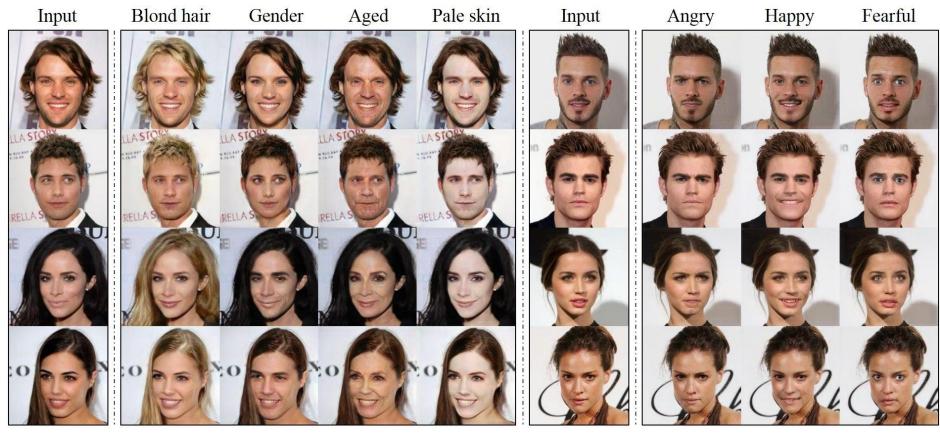
Generative Adversarial Networks (GAN)



Source: Nvidia research

### **Other Networks**

#### Generative Adversarial Networks (GAN)



Source: Yunjey Choi

