

# Implications of CBDC for the operational framework of monetary policy

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## We should understand better the implications of a CBDC

- Increasing attention from authorities and academics
- Implications remain to be fully understood: financial stability, currency competition, financial inclusion, payments & innovation...
- This paper: implications of CBDC for the [operational framework of monetary policy](#)

## What is the operational framework?

- Monetary policy is implemented through **several instruments**:
  - (i) overnight lending and deposit facilities;
  - (ii) asset purchases;
  - (iii) direct lending to banks (typically subsidized below lending facility, as in TLTRO).
- Currently CBs in advanced economies operate a **floor system**, satiating commercial banks with reserves, so that interbank rates are close to the deposit facility rate

## How does CBDC affect the operational framework?

- Introducing CBDC could **reduce excess reserves** (by reducing the amount of bank deposits), thus changing the conditions in the interbank market
- Questions:
  - (i) What are the general equilibrium implications of CBDC adoption in a floor system?
  - (ii) What are the implications of using different instruments to compensate for the fall in reserves?
  - (iii) What are the consequences of different CBDC designs for MP transmission?

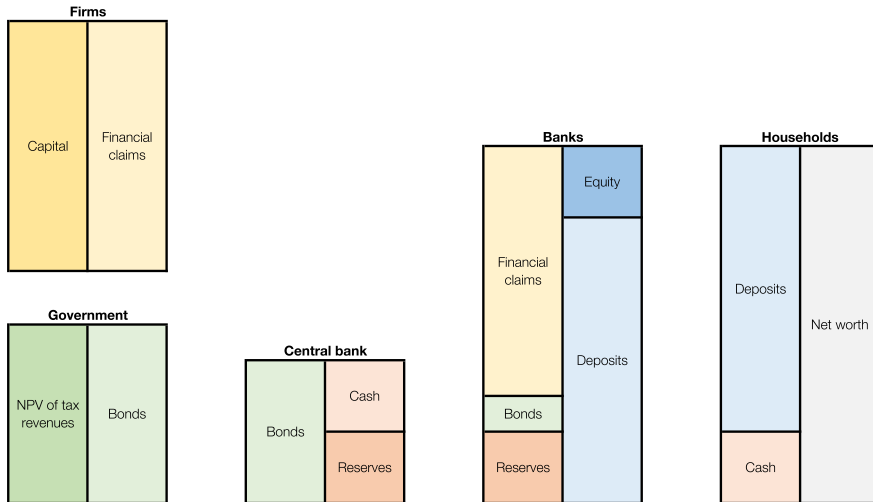
## What we do

- We introduce CBDC in a **realistic model of MP transmission**, which includes:
  - (i) heterogeneous banks that:
    - borrow from households and lend to firms,
    - lend/borrow in an OTC interbank market,
    - can access CB facilities;
  - (ii) a CB with all the tools discussed above;
  - (iii) households with preferences for liquid asset holdings (cash, CBDC and deposits);
  - (iv) a standard NK block.
- We calibrate the model to replicate the Eurosystem balance sheet in the medium-term
- We explore alternative scenarios about CBDC take-up and different policy options by CB

## What we find

- In the long run:
  - CBDC decreases bank intermediation and increases equilibrium rates
  - Absent other measures, a large takeup leads to a corridor or even a “ceiling” system with a [structural lack of reserves](#)
  - This can be avoided if the CB engages in further asset purchases or provides lending at IB rates, without any macro consequence
  - If CB [subsidizes lending](#) even below IB rates, it can compensate for the increase in bank funding costs and [stimulate credit](#) and output
- Along the transition path:
  - TBC

# Model overview



## Households

- Instantaneous utility function:

$$U(C_t, L_t, H_t) = \log(C_t) + \vartheta \log(L_t) - g(H_t),$$

where

$$L_t \equiv \left[ (D_t)^{\frac{\varepsilon-1}{\varepsilon}} + \eta_M (M_t)^{\frac{\varepsilon-1}{\varepsilon}} + \eta_{DC} \left( D_t^{DC} \right)^{\frac{\varepsilon-1}{\varepsilon}} \right]^{\frac{\varepsilon}{\varepsilon-1}},$$

with  $\varepsilon > 1$ .

- Liquidity services in the utility function with imperfect substitution across assets as in [Drechsler et al. \(2017\)](#), [Di Tella and Kurlat \(2017\)](#) and [Wang \(2022\)](#), among others.



# Banks

- Based on Arce, Nuño, Thaler and Thomas (2020)
- Continuum of banks operating in different islands indexed by  $j \in [0, 1]$ 
  - (i) Start with some after-dividend equity  $N_t^j$  and issue deposits  $D_t^j$  at rate  $R_t^D$
  - (ii) Learn idiosyncratic productivity  $\omega_t^j \stackrel{iid}{\sim} F(\omega)$
  - (iii) Make portfolio choice:
    - Finance firms' physical capital  $A_t^j$  with return  $\omega_t^j R_t^K$
    - Purchase govt. bonds  $b_t^{G,j}$  with return  $R_{t+1}^G$
    - Gross borrowing  $B_t^+$  and lending  $B_t^-$  in IB mkt at effective rates  $R_t^B, R_t^L$
  - Subject to leverage constraint:  $Q_t^K A_t^j \leq \phi N_t^j$
  - (iv) Banks that found no partner in the IB mkt access standing facilities of the CB
- Balance sheet:

$$\underbrace{Q_t^K A_t^j}_{\text{Claims on firms}} + \underbrace{B_t^{-,j}}_{\text{IB lending}} + \underbrace{b_t^{G,j}}_{\text{Govt. bonds}} = \underbrace{B_t^{+,j}}_{\text{IB borrowing}} + \underbrace{D_t^j}_{\text{Deposits}} + \underbrace{N_t^j}_{\text{Equity}}$$

## Interbank market

- Decentralized, OTC market: search frictions  $\rightarrow$  market does not automatically clear (similar to Afonso and Lagos, 2012, and Bianchi and Bigio, 2021)
  - Interbank rate:  $R_t^{IB} = \varphi(\theta_t)R_t^{DF} + [1 - \varphi(\theta_t)]R_t^{LF}$
- $\rightarrow$  Position of IB rate inside interest rate corridor  $(R_t^{DF}, R_t^{LF})$  depends on IB market tightness  $\theta_t$  (ratio of borrowing over lending orders), with  $\varphi'(\cdot) < 0$

## Central bank

- The central bank sets the two policy rates ( $R_t^{DF}, R_t^{LF}$ ) such that:

- (i) corridor width is constant

$$R_t^{LF} = R_t^{DF} + \chi$$

- (ii) IB market rate (the “operational target”) follows a Taylor rule with inertia

$$R_t^{IB} = \rho R_{t-1}^{IB} + (1 - \rho)[\bar{R} + \nu \pi_t]$$

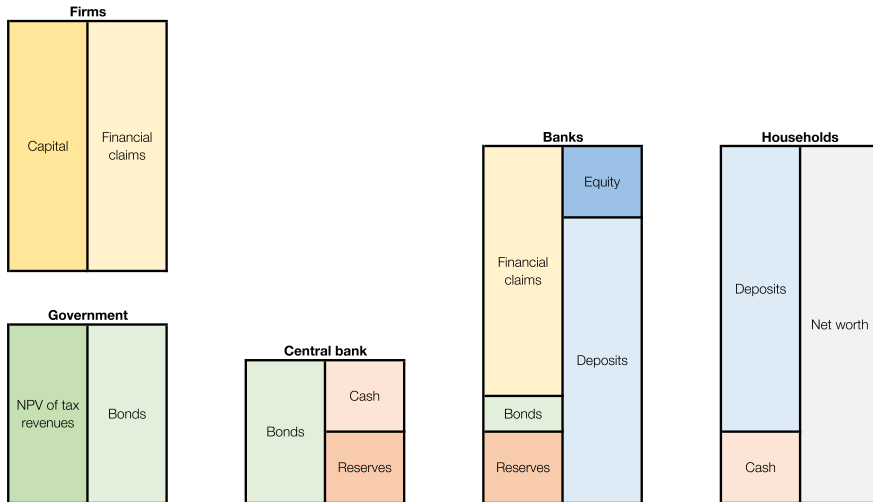
- Balance sheet:

$$\underbrace{b_t^{G,CB}}_{\text{Bond holdings}} + \underbrace{\phi^B(1 - \Gamma_t^B)}_{\text{CB loans}} = \underbrace{\phi^L(1 - \Gamma_t^L)}_{\text{CB reserves}} + \underbrace{M_t + D_t^{DC}}_{\text{Cash + CBDC}}$$

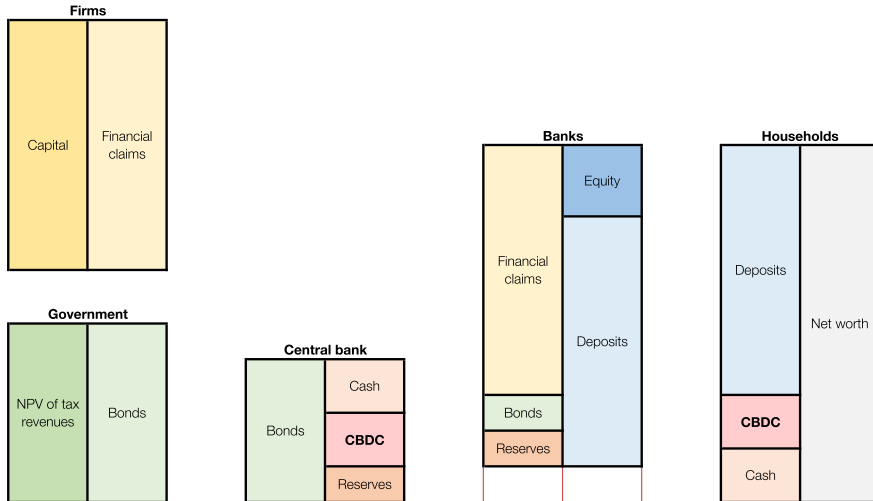
## Calibration

- We replicate the Eurosystem and EA banking sector balance sheets
- We use the **ECB SMA** forecasts of policy rates and balance sheet size in the medium run
  - $R^{DF} = 1\%$ ,  $R^{LF} = 1.75\%$
  - $APP + PEPP = 15\%$  of EA GDP
- The elasticity of substitution between the different types of liquid assets held by the household is taken from **Wang (2022)** [based on the estimated deposit rate pass-through of policy rate shocks in 2000-2008]
- Focus first on an **unremunerated** CBDC

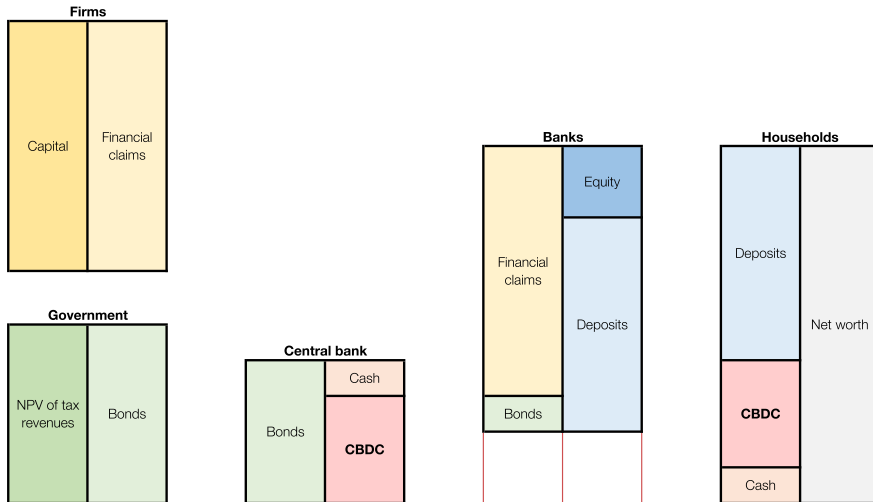
# Introduction of a CBDC – floor system



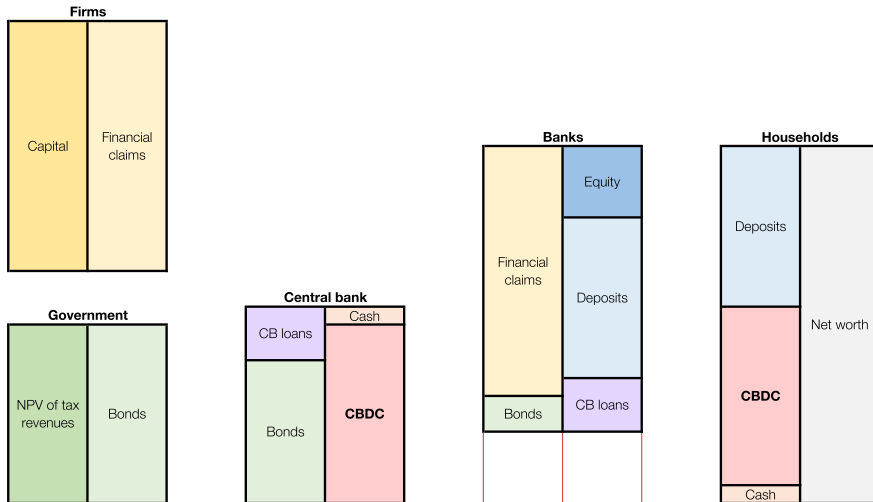
# Introduction of a CBDC – floor system



# Introduction of a CBDC – corridor system

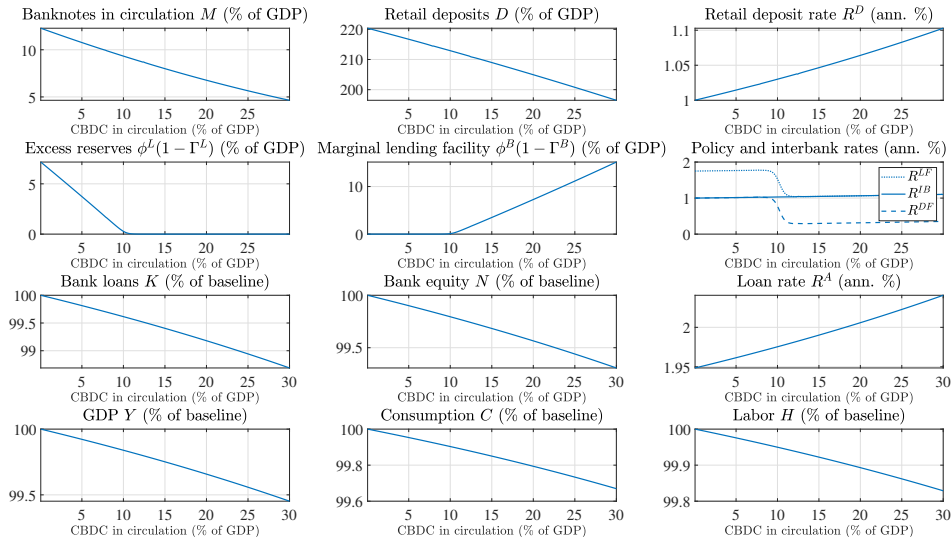


# Introduction of a CBDC – ceiling system

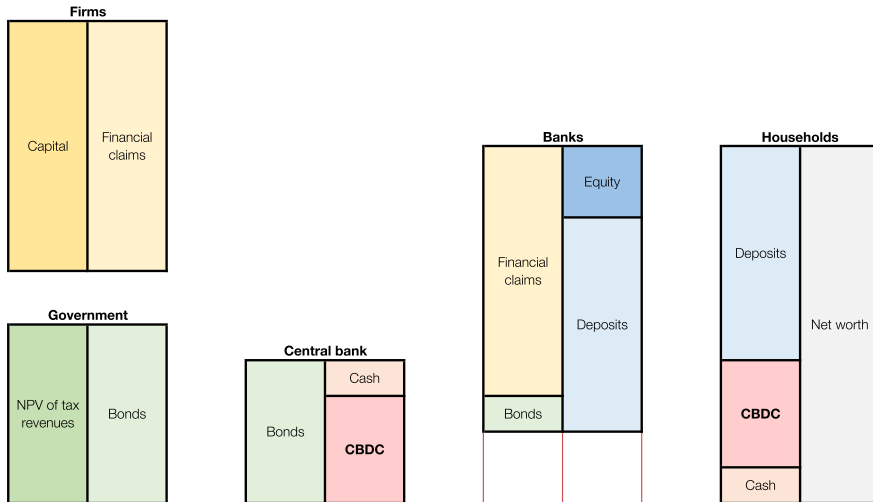




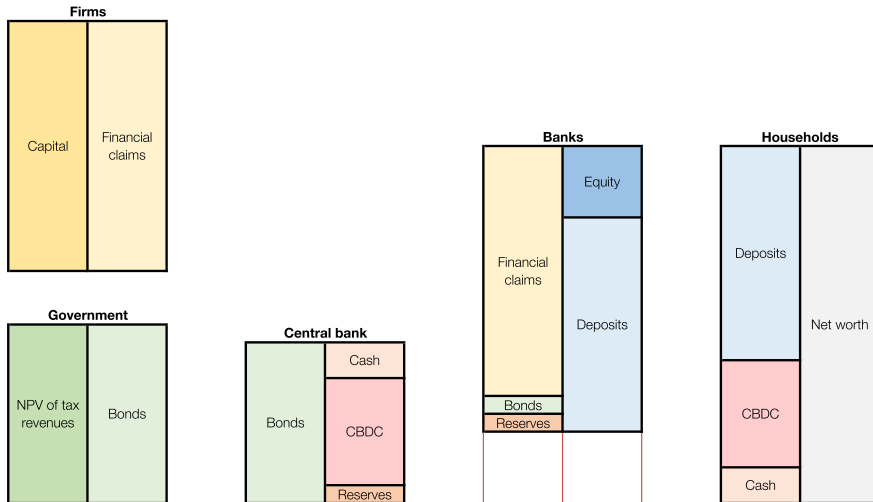
# Introduction of a CBDC – quantitative results



# Maintaining the floor system with asset purchases

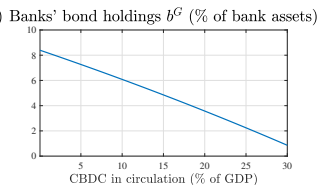
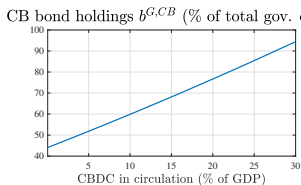
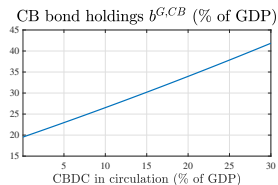


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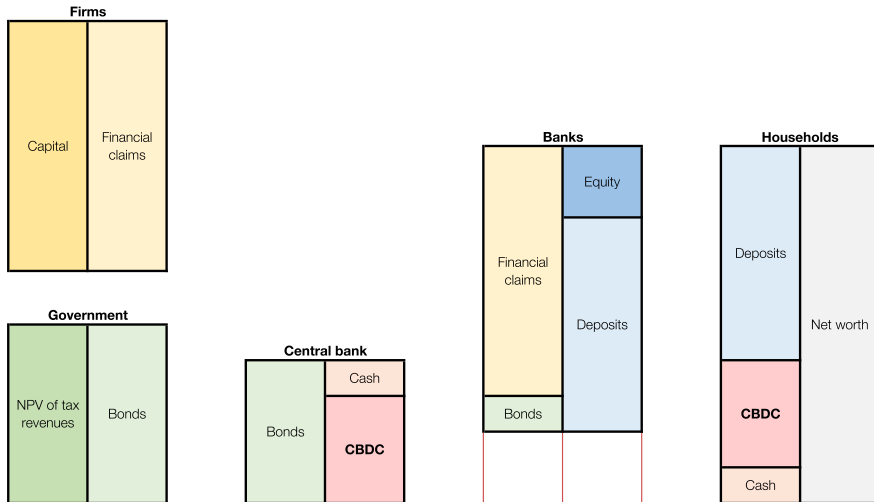


# Maintaining the floor system with asset purchases

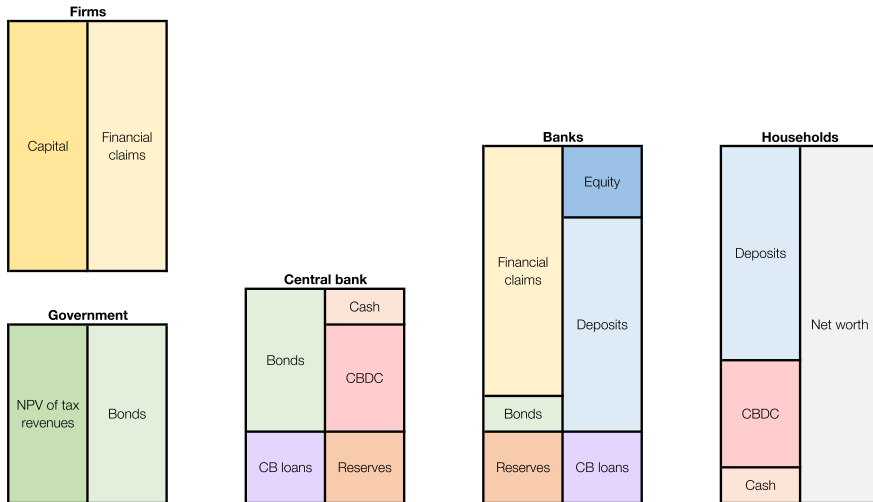
- Increase in CB bond holdings necessary to keep reserves at their pre-CBDC level?



# Maintaining the floor system with CB loans

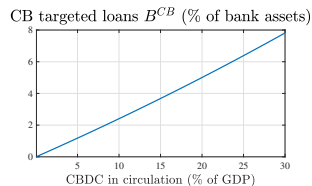
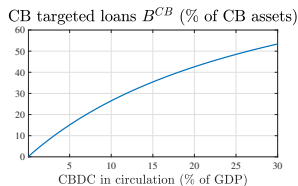
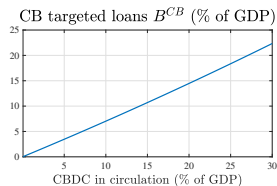


# Maintaining the floor system with CB loans



## Maintaining the floor system with CB loans

- Banks are offered funds  $B_t^{CB}$  at the DFR ( $R_t^{CB} = R_t^{DF}$ )
- Can borrow up to an allowance proportional to their loan portfolio:  $B_t^{CB,j} \leq \psi Q_t^K A_t^j$
- Max allowance necessary to keep reserves at their pre-CBDC level?

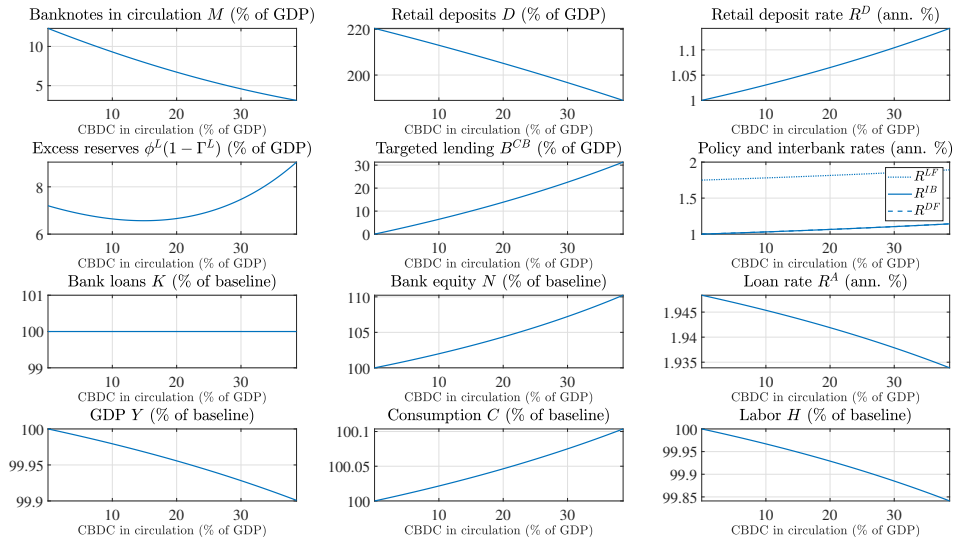


## Targeted (subsidized) lending

- Maintaining the floor system via additional asset purchases or CB lending at the IB rate is **neutral** for allocations and prices
- However, **subsidized lending** (at rates below  $R^{IB}$ ) is effective at stimulating credit supply
- We introduce targeted subsidized lending remunerated at  $R_t^{CB} = R_t^{DF} - \chi^{CB}$
- We calibrate the **necessary allowance**  $\psi$  conditional on CBDC take up that keeps **lending constant** at its baseline level (with **remuneration 1pp below the DFR**)



# Introduction of a CBDC – targeted lending



## CBDC remuneration and equivalence result

- So far, focused on **unremunerated** CBDC
  - Without additional policies, lower overall returns on savings decrease households' wealth
- We show the existence of a “**wealth neutral**” remuneration rate of CBDC ( $\bar{R}^{DC}$ ) as in Brunnermeier and Niepelt (2019)
  - It solves:

$$R^D D + M = R^D D' + M' + \bar{R}^{DC} D^{DC},$$

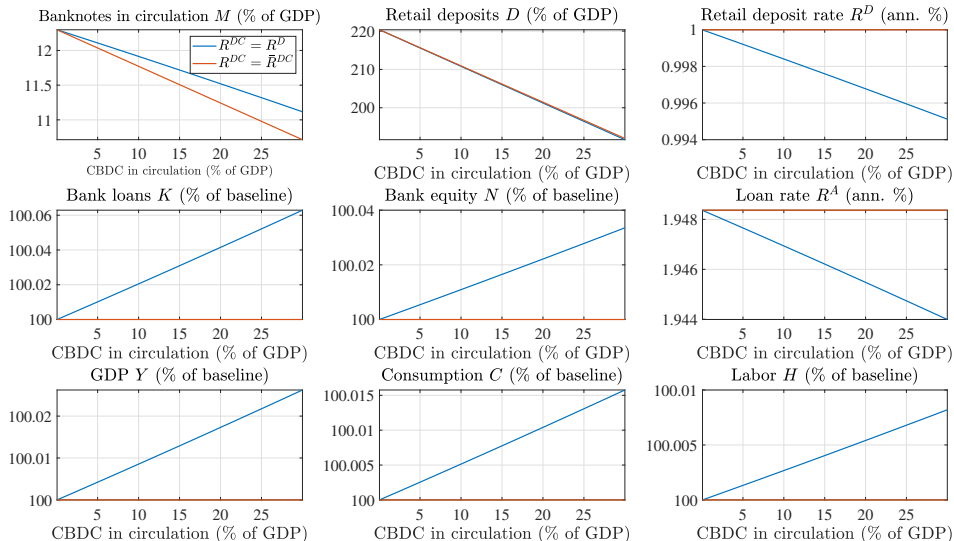
where  $X$  and  $X'$  are the steady-state before and after CBDC is introduced, so that

$$\bar{R}^{DC} = \frac{R^D \Delta D + \Delta M}{\Delta D + \Delta M}$$

where  $\Delta X = X' - X$  (and since  $D^{DC} = \Delta D + \Delta M$ )

- Given CES preferences for liquidity,  $\bar{R}^{DC}$  remains constant when  $\eta_{DC}$  changes

# CBDC remuneration and equivalence result



## Additional results

- Different design options:
  - (Tiered) remuneration
  - Holding limits
  - ...
- Alternative calibrations
  - Pre-crisis corridor system
  - Post-crisis negative rates and ZLB
  - ...
- Transitional dynamics

## Concluding remarks

- Introduction of a CBDC in a realistic model of MP transmission
- CBDC decreases bank intermediation and aggregate excess reserves
- We analyze different policies aimed at maintaining the floor system
- Results crucially depend on design features (especially CBDC remuneration)

**Thank you!**