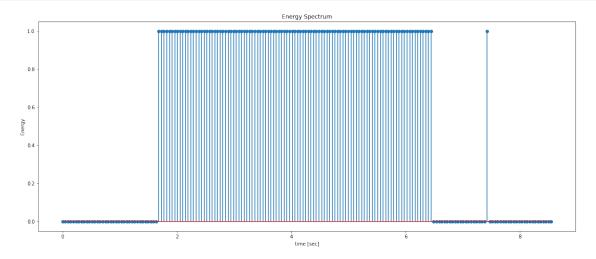
## prelab4

## February 13, 2023

```
[32]: import numpy as np
     import matplotlib.pyplot as plt
     from scipy.io.wavfile import read, write
[33]: FRAME_SIZE = 2048
     def ece420ProcessFrame(frame, threshold = 100e7):
         isVoiced = 0
         #### YOUR CODE HERE ####
         sum = 0
         for n in range(len(frame)):
             sum += abs(frame[n])**2
         if sum > threshold:
             isVoiced = 1
         # print("sum: {}".format(sum))
         return isVoiced
     Fs, data = read('test_vector.wav')
     numFrames = int(len(data) / FRAME_SIZE)
     framesVoiced = np.zeros(numFrames)
     t = np.linspace(0, len(data)/Fs, numFrames)
     for i in range(numFrames):
         frame = data[i * FRAME_SIZE : (i + 1) * FRAME_SIZE]
         framesVoiced[i] = ece420ProcessFrame(frame.astype(float))
     plt.figure(figsize=(20,8))
     plt.stem(t, framesVoiced)
     plt.title("Energy Spectrum")
     plt.xlabel("time [sec]")
     plt.ylabel("Energy")
```

## plt.show()



```
[34]: # peak detection functions from lab 1 for help
      def peak_detection(t, sig):
          Description: Retrieve the max peak from a given array of positions and \Box
        \hookrightarrow signal values
           :param t:
           :param sig:
           :return:
           n n n
          peaks = []
          max_val = -np.Inf
          N = len(sig)
          for i in range(0, N):
               if sig[i] > max_val:
                   max_val = sig[i]
                   position = t[i]
          peaks.append((position, max_val))
          return np.array(peaks)
      def multiple_peak_detection(t, sig, thresh=3):
          Description: For every continuous signal above the specified threshold, \Box
       \hookrightarrow retrieve its local maxima
           :param t:
           :param sig:
           :param thresh:
```

```
:return:
   11 11 11
  peaks = []
  N = len(sig)
  thresh_indices = np.where(sig > thresh)[0] # retrive all sig indices that
⇔are above the threshold
  curr_start = thresh_indices[0] # starting slice
  curr_end = None # ending slice
  for i in range(1, len(thresh_indices)):
       idx = thresh_indices[i]
       # update curr_end if indices are still continuous
       if curr_end is None or idx - 1 == curr_end:
           curr_end = idx
           continue
       \# if indices are no longer continuous, process previous continuous \sqcup
signal and then reset curr_start and curr_end
       if curr_end is not None and idx - 1 != curr_end:
           peaks.append(peak_detection(t[curr_start:curr_end], sig[curr_start:

curr_end])[0])

           curr start = idx
           curr_end = None
  return np.array(peaks)
```

```
[35]: fs = 8000
                       # Sampling Rate is 8000
      duration = 1
                       # 1 sec
      t = np.linspace(0,duration,duration*fs)
                       # Tune Frequency is 10 Hz
      freq = 10
      tune = np.sin(2*np.pi*freq*t)
      # Add some Gaussian noise
      tune += np.random.normal(0, 0.5, duration * fs)
      # Start a new figure for your autocorrelation plot
      # Your code here
      \max sum = 0
      max_1 = 0
      frames = np.zeros(len(tune))
      for 1 in range(len(tune)):
          sum_top = 0
          sum_bottom = 0
          for n in range(len(tune)):
```

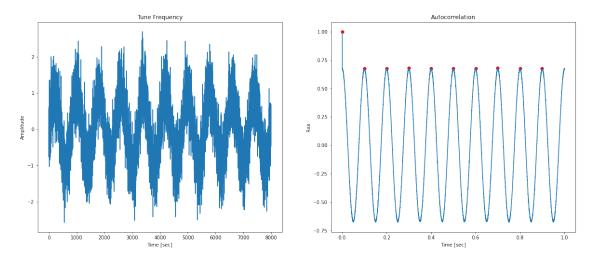
Rxx[0] = 1.0 with frequncy 0.0 Hz

```
[36]: plt.figure(figsize=(20,8))
      plt.subplot(121)
      plt.plot(tune)
      plt.title("Tune Frequency")
      plt.xlabel("Time [sec]")
      plt.ylabel("Amplitude")
      peaks = multiple_peak_detection(t, frames, 0.50)
      print(peaks)
      1 = np.argwhere(t == peaks[1,0])[0,0]
      print("l at: {}. Fundamental period of {} seconds and fundamental frequency of _{\sqcup}
       \rightarrow{} Hz".format(1, 1/fs, fs/1))
      plt.subplot(122)
      plt.plot(t, frames)
      plt.title("Autocorrelation")
      plt.xlabel("Time [sec]")
      plt.ylabel("Rxx")
      plt.scatter(peaks[:, 0], peaks[:, 1], color='red')
      # Only call plt.show() at the very end of the script
      plt.show()
      [[0.
                   1.
      [0.10101263 0.67431302]
      [0.20027503 0.67648521]
      [0.3007876 0.67862031]
      [0.39879985 0.67506271]
```

[0.10101263 0.67431302] [0.20027503 0.67648521] [0.3007876 0.67862031] [0.39879985 0.67506271] [0.4991874 0.67527244] [0.60132517 0.67506271] [0.69933742 0.67862031] [0.79984998 0.67648521] [0.89911239 0.67431302]]

1 at: 808. Fundamental period of 0.101 seconds and fundamental frequency of

## 9.90099009901 Hz



A lag of l=0 maximizes Rxx but this typically leads to a bad estimation. By ignoring the first peak and looking at the next local maxima, I found that a lag of 808 caused a maxima that is repeated, and its period and frequency was 0.101 seconds and 9.9 Hz.