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# Activity 1.0 - Empirical Complexity

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## Contents

Algorithm and Implementation . . . . .	3
Results . . . . .	3
Hardware . . . . .	4

## Algorithm and Implementation

There are three main files in this project:

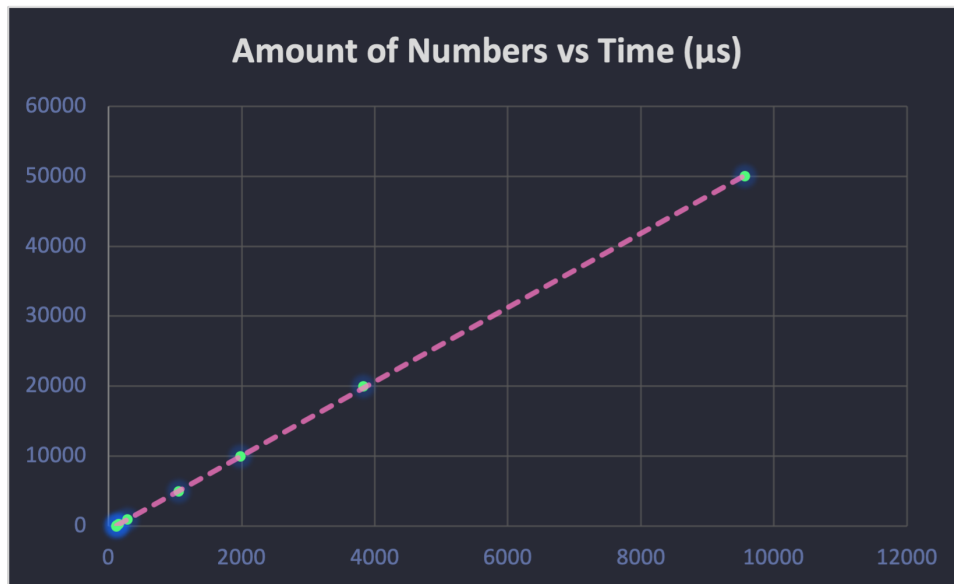
- `generate_numbers.cpp`: Generates random numbers between 1 and 100.
- `main.cpp`: Receives a file of numbers separated by a newline, calculates the sum of the numbers, prints the result and the amount of time it took to perform the sum.
- `run_test_cases.sh`: Compiles and runs the program for each test case and saves the amount of time it took to perform the sum in a file.

The algorithm that's used to compute the sum of the numbers is the following:

```
int sum = 0;
while (!file.eof())
{
    int n;
    file >> n;
    sum += n;
}
```

## Results

Amount of Numbers ( $n$ )	Time taken to sum ( $\mu s$ )
10	117 $\mu s$
50	120 $\mu s$
100	119 $\mu s$
150	125 $\mu s$
300	151 $\mu s$
1000	277 $\mu s$
5000	1050 $\mu s$
10000	1978 $\mu s$
20000	3828 $\mu s$
50000	9566 $\mu s$



**Figure 1:** Graph of the above table

$$t = 5.291x - 508.81$$

$$R^2 = 1$$

As you can see, the graph is linear, and the  $R^2$  value is 1. This means that the graph is a good fit for the data. Taking this into account, we can say that the algorithm used to compute the sum of the numbers is linear. The big O notation of the algorithm is  $O(n)$  because the amount of time it takes to compute the sum of the numbers is directly proportional to the amount of numbers.

## Hardware

For this activity I used a MacBook Pro (13-inch, 2018, Four Thunderbolt 3 Ports) with the following specs:

- **Processor:** 2.3 GHz Quad-Core Intel Core i5
- **Memory:** 8 GB 2133 MHz LPDDR3
- **Graphics:** Intel Iris Plus Graphics 655 1536 MB