

## Tutorial 3 Feb 12, 2021

### Max - closed Form Solution

Unlike the LS regression which has a closed form solution of the optimal weights, logistic regression for classification does not.

We use the fact that convex functions always have a minimum to find the optimal weights

### Gradient Descent

1. make initial guess  $w_1$
2. evaluate the negative gradient at point,  $-\nabla E(w_1)$ 
  - take negative since gradient points to direction of increase
3. make new guess  $w_2 = w_1 - \lambda \nabla E(w_1)$
4. iterate 3 until solution is found or maximum # of iterations is reached

### Picking Initial Guess

- 1) Random guess
- 2) Solution to similar that does have a closed form solution

### Picking Step Size

- 1) Random size



- 2) Used backtracking line search to determine step size at each iteration, check if step increase causes error to go up

### Termination Condition

- 1) Max number of iterations to run
- 2) Check for convergence, if decrease in error is less than  $\epsilon$ .

How to avoid getting trapped in local min?

- 1) Use momentum to optimize
- 2) Stochastic gradient descent for cheaper estimation