

## Minería de datos y Patrones

Version 2024-I

#### **Local Binary Patterns**

[Capítulo 2]

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- Local Binary Pattern (LBP) is a simple yet very efficient texture operator which labels the pixels of an image by thresholding the neighborhood of each pixel and considers the result as a binary number.
- Due to its discriminative power and computational simplicity, LBP texture operator has become a popular approach in various applications

# Concept

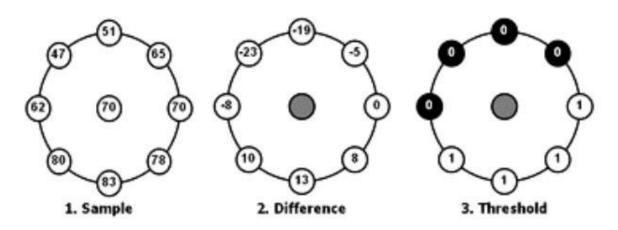
- Where the center pixel's value is greater than the neighbor, write "1". Otherwise, write "0". This gives an 8-digit binary number (which is usually converted to decimal for convenience).
- Compute the histogram, over the cell, of the frequency of each "number" occurring (i.e., each combination of which pixels are smaller and which are greater than the center).

# Concept

#### Illustration

The value of the LBP code of a pixel  $(x_c, y_c)$  is given by:

$$LBP_{P,R} = \sum_{p=0}^{P-1} s(g_p - g_c)2^p$$
  $s(x) = \begin{cases} 1, & \text{if } x \ge 0; \\ 0, & \text{otherwise.} \end{cases}$ 



1\*1 + 1\*2 + 1\*4 + 1\*8 + 0\*16 + 0\*32 + 0\*64 + 0\*128 = 15

4. Multiply by powers of two and sum

### Pixel Neighborhood-based Feature

- The most important for texture analysis is to describe the spatial behavior of intensity values in any given neighborhood.
- Different methodologies have been proposed.
- Local binary pattern (LBP) is one of the mostwidely used approach - mainly for face recognition.
- LBP is used for texture analysis too.

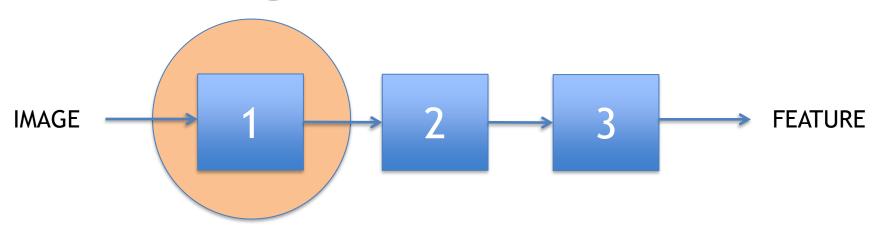
## Local Binary Patterns

- 1. Coding
- 2. Mapping
- 3. Histogram



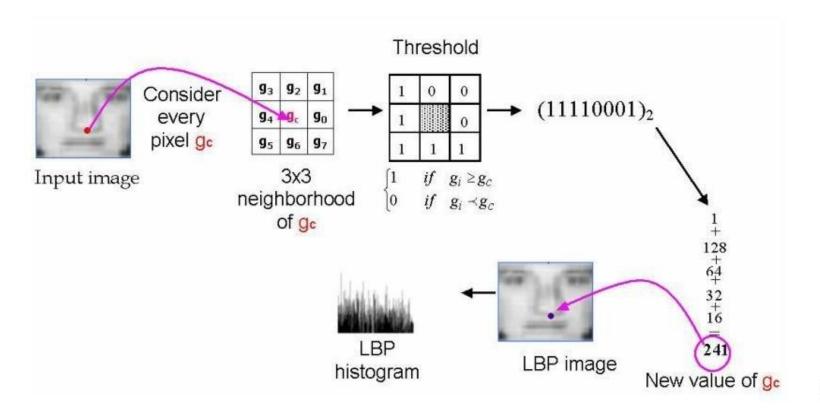
## Local Binary Patterns

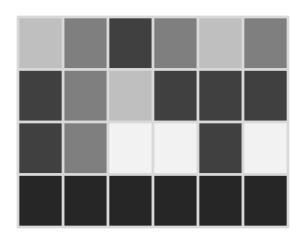
- 1. Coding
- 2. Mapping
- 3. Histogram



## LBP: Example

• Local Binary Pattern (LBP) is a texture descriptor which codifies local primitives (such as curved edges, spots, flat areas, etc.) into a feature histogram.





4	6	9	6	4	6
9	6	4	9	9	9
9	6	2	2	9	2
10	10	10	10	10	10

4	6	9	6	4	6
9	6	4	9	9	9
9	6	2	2	9	2
10	10	10	10	10	10

4	6	9	6	4	6
9	6	4	9	9	9
9	6	2	2	9	2
10	10	10	10	10	10

4	6	9	6	4	6
9	6	4	9	9	9
9	6	2	2	9	2
10	10	10	10	10	10

4	6	9
9	6	4
9	6	2

<	

4	6	9	6	4	6
9	6	4	9	9	9
9	6	2	2	9	2
10	10	10	10	10	10

4	6	9
9	6	4
9	6	2

0	

4	6	9	6	4	6
9	6	4	9	9	9
9	6	2	2	9	2
10	10	10	10	10	10

4	6	9
9	6	4
9	6	2

0	2	

4	6	9	6	4	6
9	6	4	9	9	9
9	6	2	2	9	2
10	10	10	10	10	10

4	6	9
9	6	4
9	6	2

0	1	

4	6	9	6	4	6
9	6	4	9	9	9
9	6	2	2	9	2
10	10	10	10	10	10

4	6	9
9	6	4
9	6	2

0	1	1

4	6	9	6	4	6
9	6	4	9	9	9
9	6	2	2	9	2
10	10	10	10	10	10

4	6	9	
9 (	6	4	
9	6	2	

0	1	1
		0

4	6	9	6	4	6
9	6	4	9	9	9
9	6	2	2	9	2
10	10	10	10	10	10

4	6	9
9	6	4
9	6	2

0	1	1
		0
		0

4	6	9	6	4	6
9	6	4	9	9	9
9	6	2	2	9	2
10	10	10	10	10	10

4	6	9
9	6	4
9	6	2

0	1	1
		0
	1	0

4	6	9	6	4	6
9	6	4	9	9	9
9	6	2	2	9	2
10	10	10	10	10	10

4	6	9	
9	6	4	
9	6	2	

0	1	1
		0
1	1	0

4	6	9	6	4	6
9	6	4	9	9	9
9	6	2	2	9	2
10	10	10	10	10	10

4	6	9
9	6	4
9	6	2

0	1	1
1		0
1	1	0

4	6	9	6	4	6
9	6	4	9	9	9
9	6	2	2	9	2
10	10	10	10	10	10

4	6	9
9	6	4
9	6	2

0	1	1
1		0
1	1	0

	1	2	4
х	128	+	8
	64	32	16

**= 2+4+32+64+128 = 230** 

4	6	9	6	4	6
9	6	4	9	9	9
9	6	2	2	9	2
10	10	10	10	10	10

4	6	9
9	6	4
9	6	2

0	1	1
1		0
1	1	0

	1	2	4
x	128	+	8
	64	32	16

**= 2+4+32+64+128 = 230** 

4	6	9	6	4	6
9	6	4	9	9	9
9	6	2	2	9	2
10	10	10	10	10	10



230		

4	6	9
9	6	4
9	6	2

0	1	1
1		0
1	1	0

	1	2	4
x	128	+	8
	64	32	16

4	6	9	6	4	6
9	6	4	9	9	9
9	6	2	2	9	2
10	10	10	10	10	10



230	<b>~</b> ·		

6	9	6
6	4	9
6	2	2

	1	2	4
х	128	+	8
	64	32	16

4	6	9	6	4	6
9	6	4	9	9	9
9	6	2	2	9	2
10	10	10	10	10	10



230	207		

6	9	6
6	4	9
6	2	2

1	1	1
1		1
1	0	0

	1	2	4
x	128	+	8
	64	32	16

4	6	9	6	4	6
9	6	4	9	9	9
9	6	2	2	9	2
10	10	10	10	10	10



230	207	?	

4	6	9	6	4	6
9	6	4	9	9	9
9	6	2	2	9	2
10	10	10	10	10	10



230	207	25	

9	6	4
4	9	9
2	2	9

1	0	0
0		1
0	0	1

	1	2	4
x	128	+	8
	64	32	16

4	6	9	6	4	6
9	6	4	9	9	9
9	6	2	2	9	2
10	10	10	10	10	10



230	207	25	168	

4	6	9	6	4	6
9	6	4	9	9	9
9	6	2	2	9	2
10	10	10	10	10	10



230	207	25	168	
243				

4	6	9	6	4	6
9	6	4	9	9	9
9	6	2	2	9	2
10	10	10	10	10	10



230	207	25	168	
243	255			

4	6	9	6	4	6
9	6	4	9	9	9
9	6	2	2	9	2
10	10	10	10	10	10



230	207	25	168	
243	255	255		

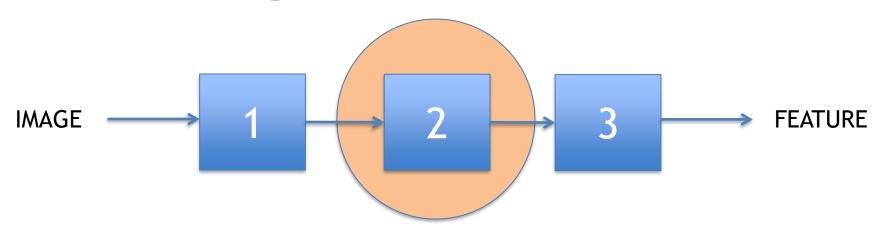
4	6	9	6	4	6
9	6	4	9	9	9
9	6	2	2	9	2
10	10	10	10	10	10

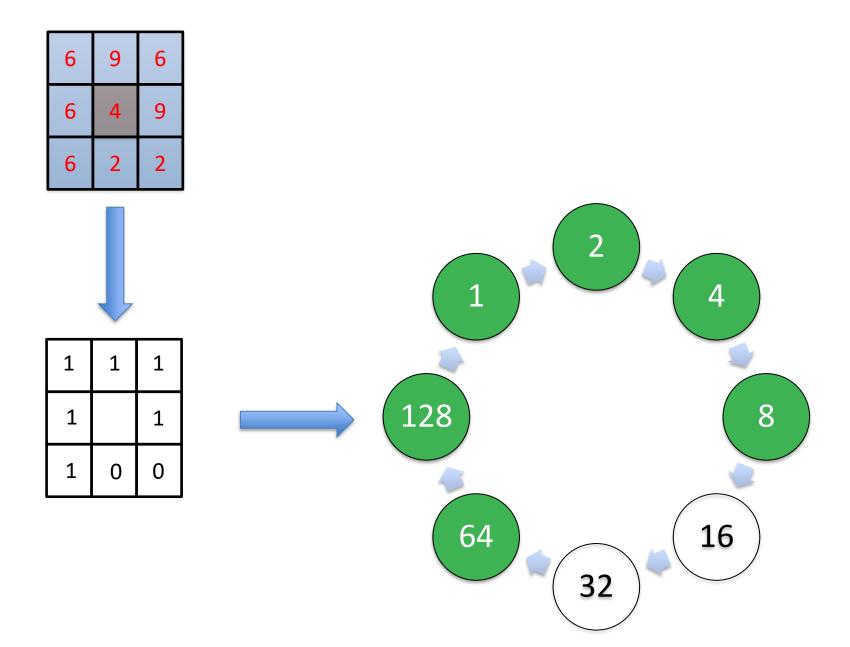


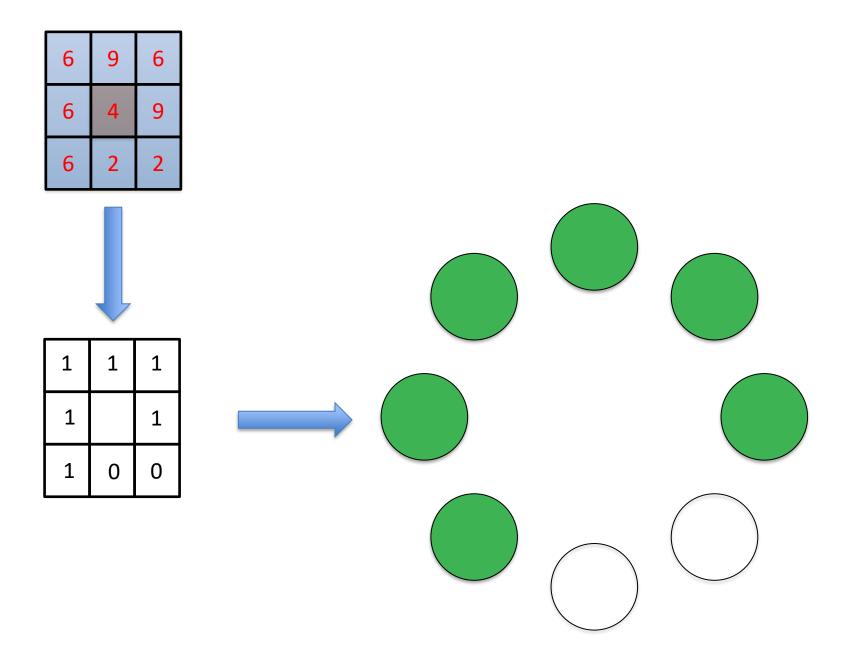
230	207	25	168	
243	255	255	119	

## Local Binary Patterns

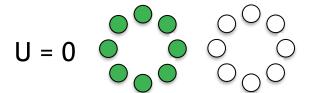
- 1. Coding
- 2. Mapping
- 3. Histogram

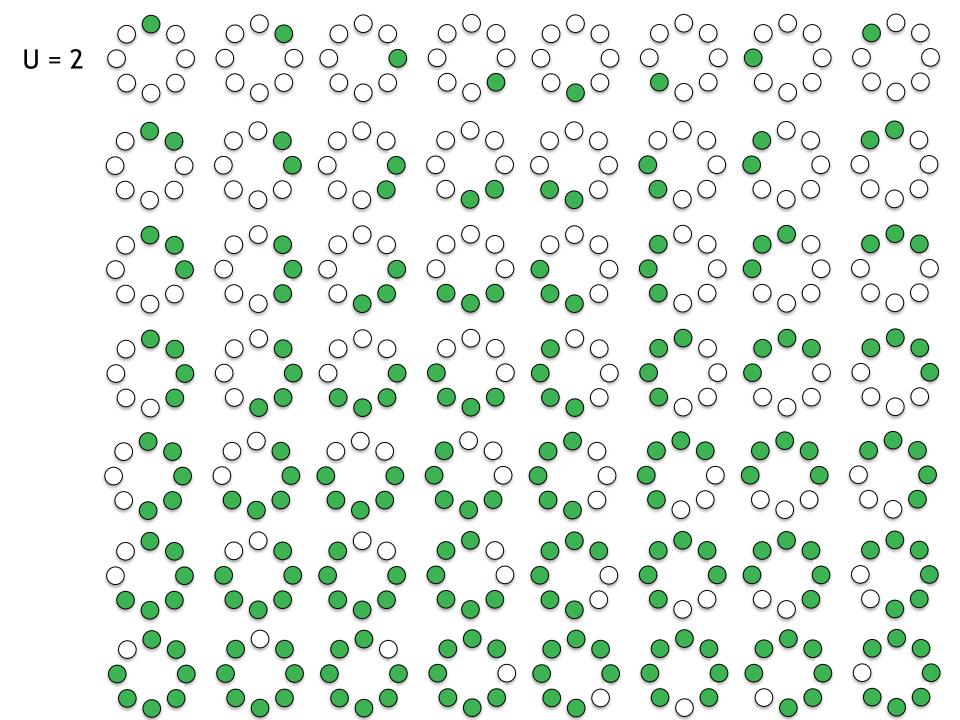






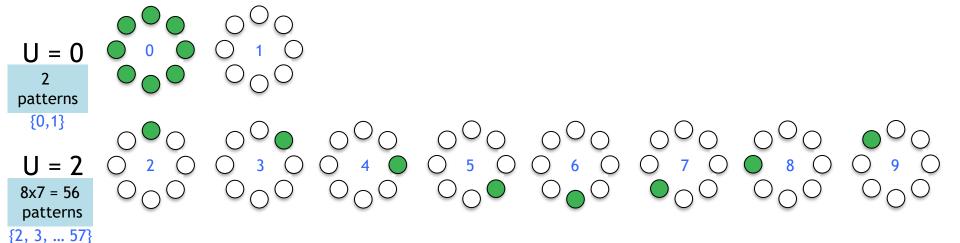
# Uniform patterns





# Uniform patterns

2 + 56 = 58 patterns

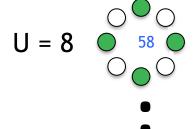


# Non-uniform patterns

256 -58 = 198 patterns

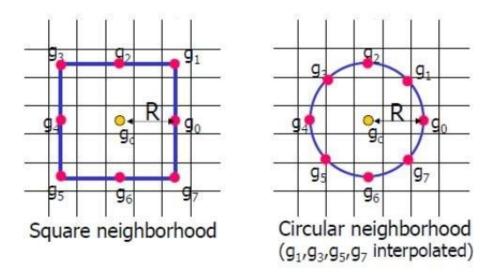
**{58**}

$$U = 6 \bigcirc 58 \bigcirc$$



## Description of Local image texture

 Texture at g<sub>c</sub> is modeled using a local neighborhood of radius R, which is sampled at P (8 in the example) points:



• Let's define texture T as the joint distribution of the gray levels  $g_c$  and  $g_p$  (p=0,...,P-1):

$$T = t(g_c, g_0, ..., g_{P-1})$$

## Description of Local image texture (cont.)

• Without losing information, we can subtract  $g_c$  from  $g_p$ :

$$T = t(g_c, g_0-g_c, ..., g_{P-1}-g_c)$$

• Assuming that  $g_c$  is independent of  $g_p$ - $g_c$ , we can factorize above:

$$T \sim t(g_c) t(g_0-g_c,...,g_{P-1}-g_c)$$

• t(g<sub>c</sub>) describes the overall luminance of the image, which is unrelated to local image texture, hence we ignore it:

$$T \sim t(g_0-g_c,...,g_{P-1}-g_c)$$

Above expression is invariant wrt. Gray scale shifts

## LBP: Local Binary Pattern

 Invariance wrt. to any monotonic transformation of the gray scale is achieved by considering the signs of the difference:

$$T \sim t(s(g_0-g_c),...,s(g_{P-1}-g_c))$$

Where

$$s(x) = \begin{cases} 1, & x \ge 0 \\ 0, & x < 0 \end{cases}$$

 Above is transformed into a unique P-bit pattern code by assigning binomial coefficient 2<sup>p</sup> to each s(g<sub>p</sub>-g<sub>c</sub>):

LBP<sub>P,R</sub> = 
$$\sum_{p=0}^{P-1}$$
 s (g<sub>p</sub>-g<sub>c</sub>) 2<sup>p</sup>

# LBP: Local Binary Pattern (cont.)

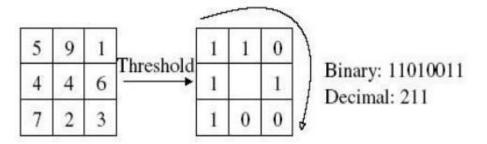


Fig. 1. The basic LBP operator.

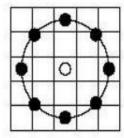
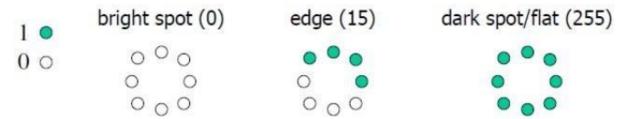


Fig. 2. The circular (8,2) neigbourhood. The pixel values are bilinearly interpolated whenever the sampling point is not in the center of a pixel.

## LBP: Local Binary Pattern (cont.)

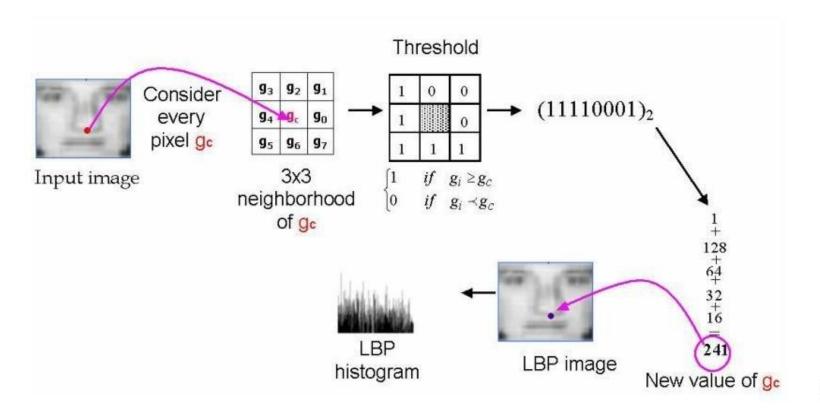
LBP<sub>P,R</sub> encodes simple binary microstructures into P-bit number:



- LBP<sub>PR</sub> provides less information than signed difference p<sub>8</sub> but:
  - invariant wrt. To any monotonic transformation of the gray scale
  - Vector quantization not needed
  - Computational simplicity

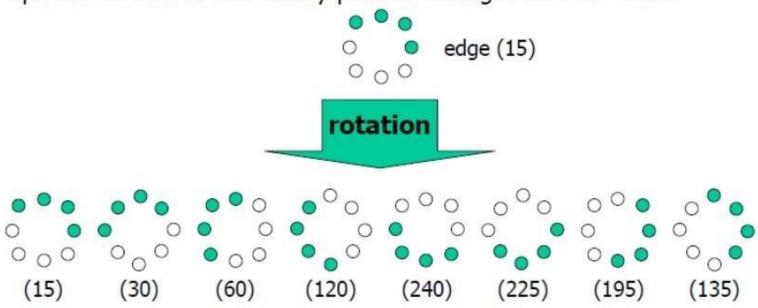
### LBP: Example

• Local Binary Pattern (LBP) is a texture descriptor which codifies local primitives (such as curved edges, spots, flat areas, etc.) into a feature histogram.



#### Rotation invariant LBP

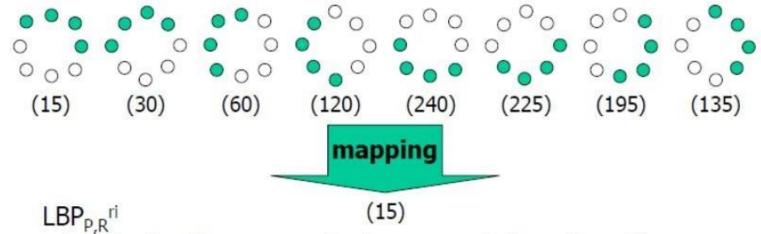
Spatial rotation of the binary pattern changes the LBP code:



### Rotation invariant LBP (cont.)

Formally, rotation invariance can be achieved by defining:

$$LBP_{P,R}^{ri} = min\{ROR(LBP_{P,R}, i) \mid i=0, ..., P-1\}$$



- invariant wrt. any monotonic gray scale transformation
- invariant wrt. rotation along the circular neighborhood

4	6	9	6	4	6												
9	6	4	9	9	9		230	207	25	168			58	46	58	58	
9	6	2	2	9	2		243	255	255	119			23	1	1	58	
10	10	10	10	10	10												

CODED IMAGE

IMAGE

MAPPED

IMAGE

### **Uniform Pattern**

#### **Heuristic hypothesis**

- Certain local binary patterns are fundamental properties of texture, providing a vast majority, sometimes overall 90%, of all 3x3 patterns in the observed textures:
  - Define the concept of 'uniform' patterns, which have a limited number of spatial transitions
  - Use only uniform patterns
  - Exclude 'nonuniform' patterns of high angular frequency (they provide statistically unreliable information)

## Uniform Pattern (cont.)

Pattern 'uniformity' measure U(LBP<sub>P,R</sub>ri):

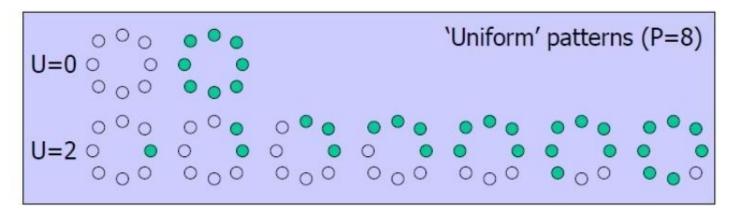
$$U(LBP_{P,R}) = |s(g_{P-1}-g_c) - s(g_0-g_c)| + \sum_{p=1}^{p-1} |s(g_p-g_c) - s(g_{p-1}-g_c)|$$

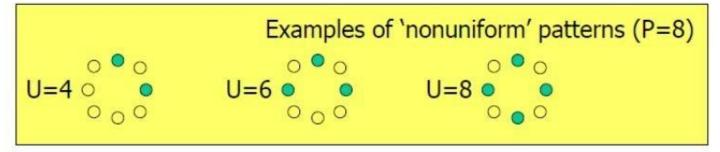
U(LBP<sub>P,R</sub>) ~ # bitwise 0/1 transitions in the circular bit pattern

Pattern is considered 'uniform', if  $U(LBP_{P,R}) \le 2$ 

i.e. pattern has at most 1 bitwise spatial transition

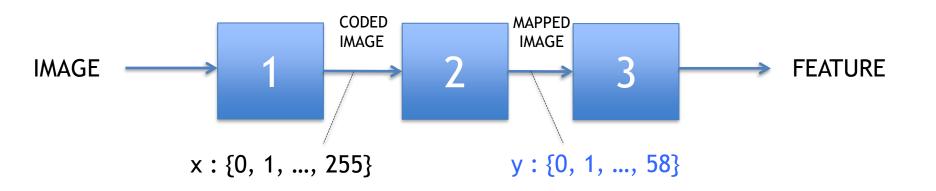
## Uniform Pattern (cont.)





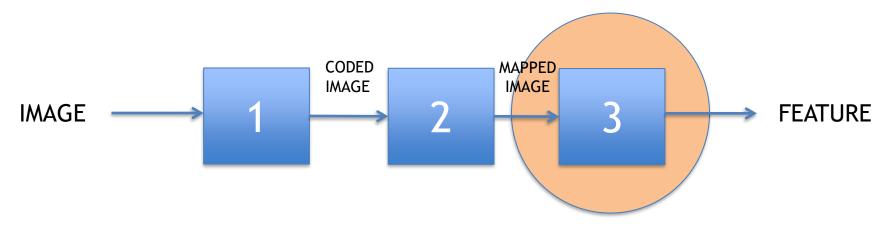
## Local Binary Patterns

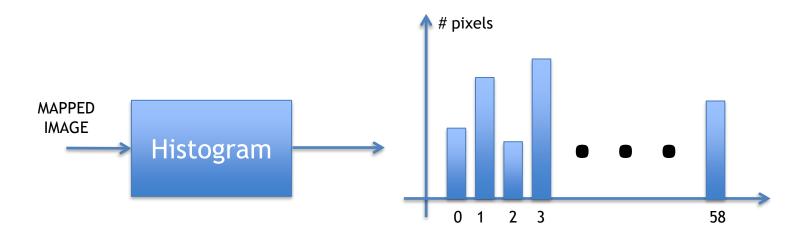
- 1. Coding
- 2. Mapping
- 3. Histogram



# **Local Binary Patterns**

- 1. Coding
- 2. Mapping
- 3. Histogram

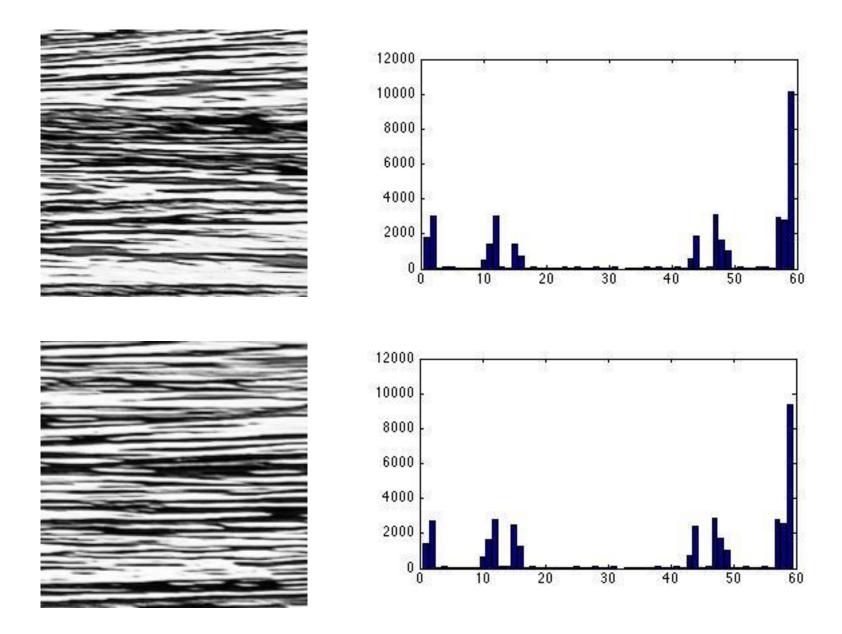


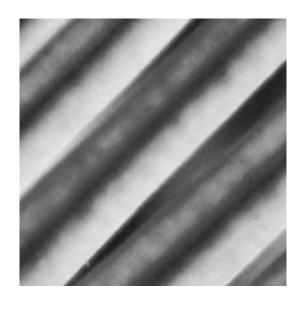


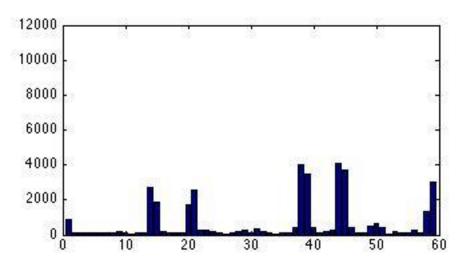
The image is described as a vector of 59 elements. Similar images have similar LBP features!!!

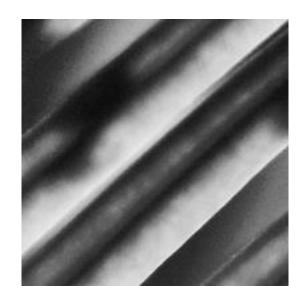
# **Local Binary Patterns**

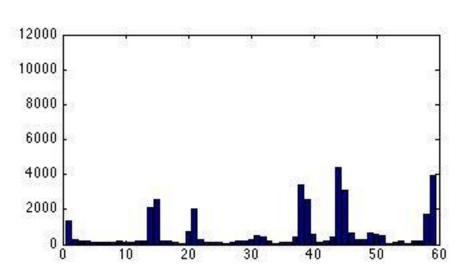
Examples
Texture Images

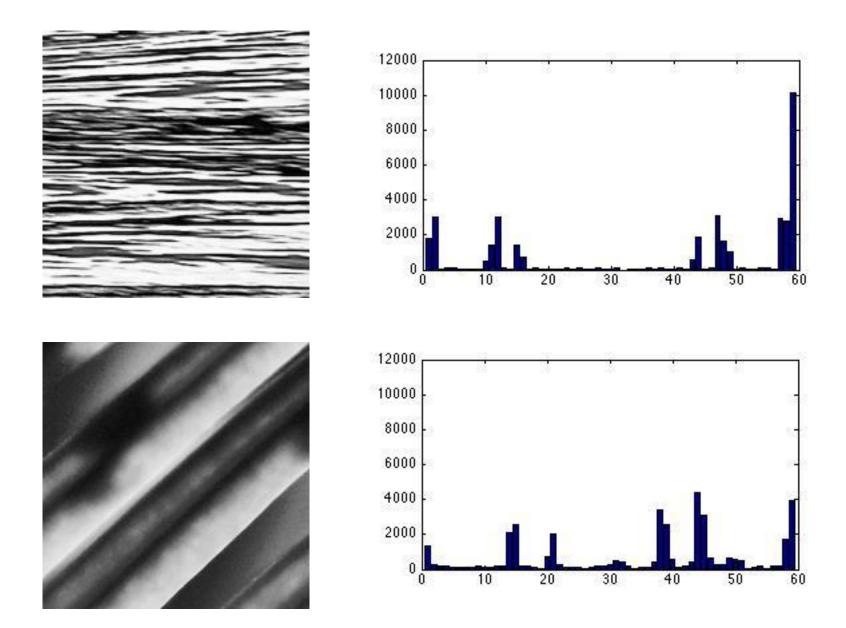


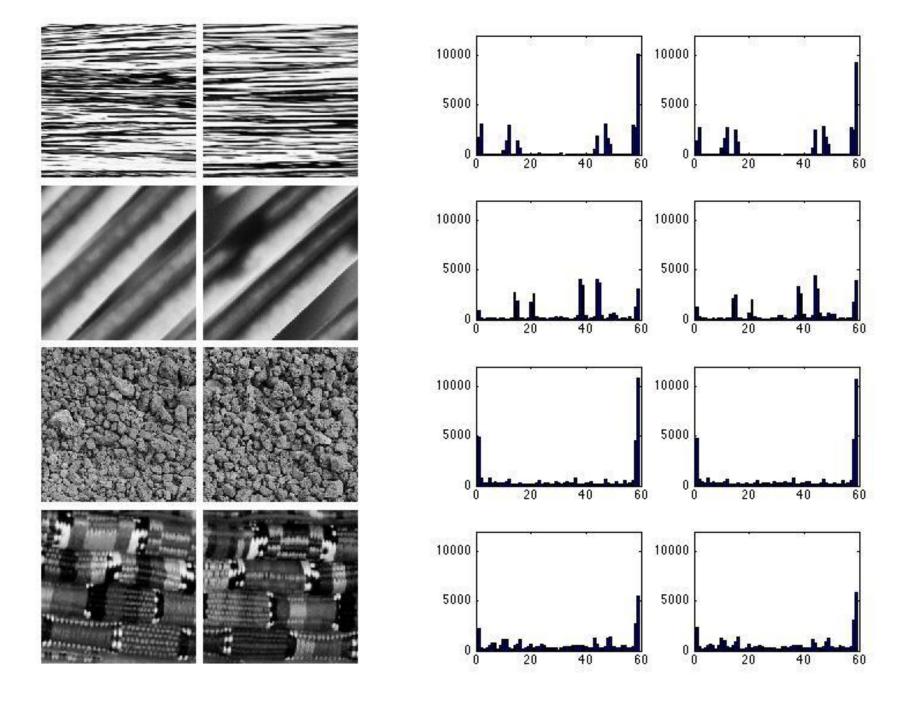


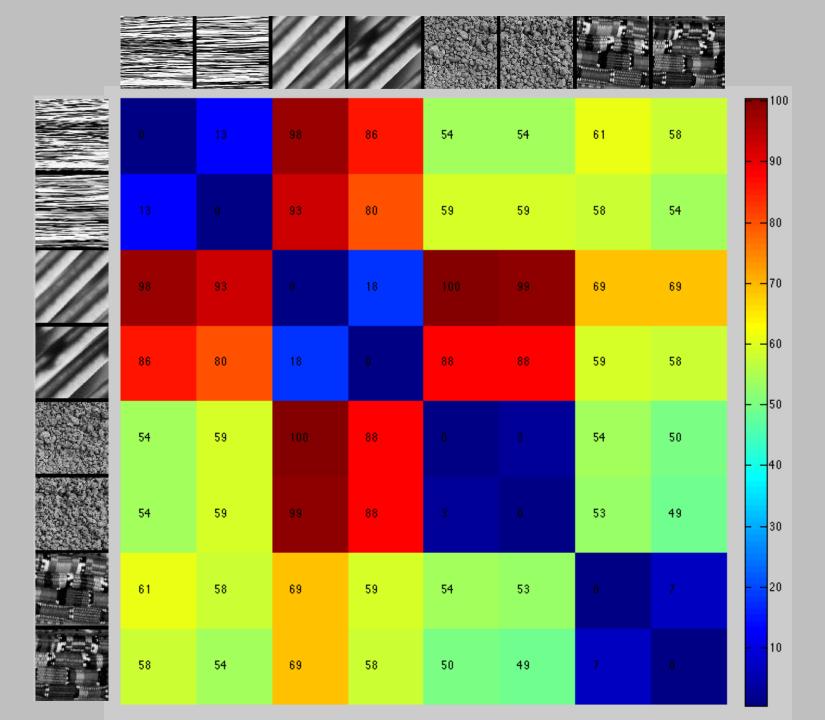












# **Local Binary Patterns**

Examples Face Recognition



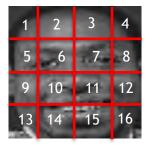
In the training set there are k classes.

For each class we have *n* training images.

In this example there are 40 classes with 9 images each.

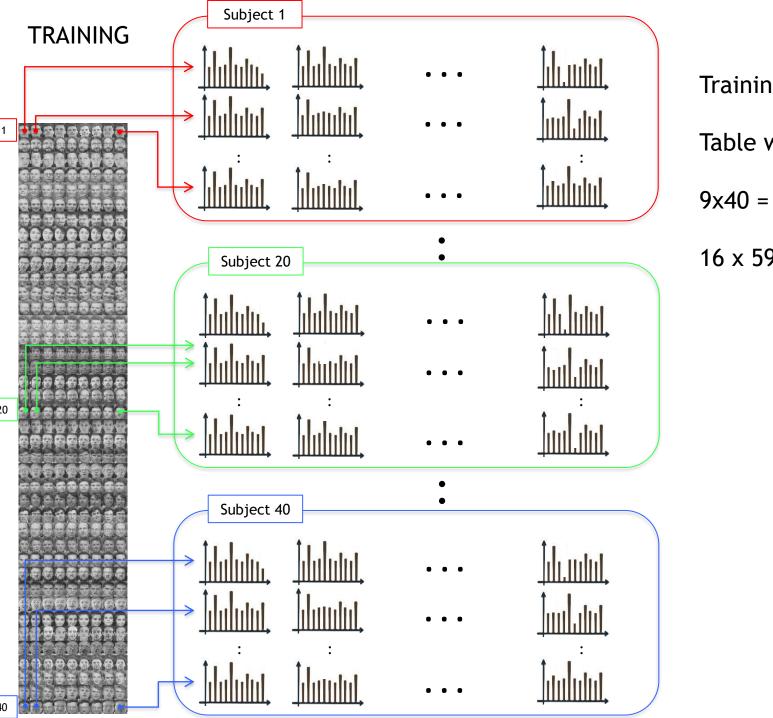
Each image we use w x w partitions

In each partition we extract LBP feature





A face is described using a feature of  $16 \times 59 = 944$  elements

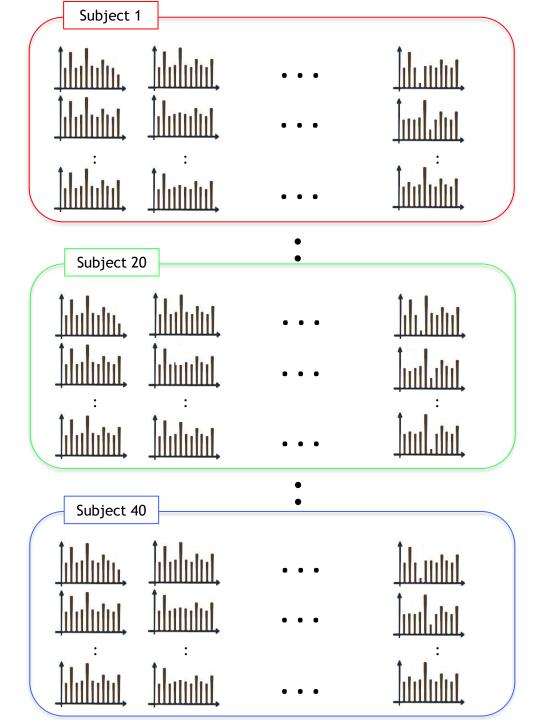


Training Data:

Table with:

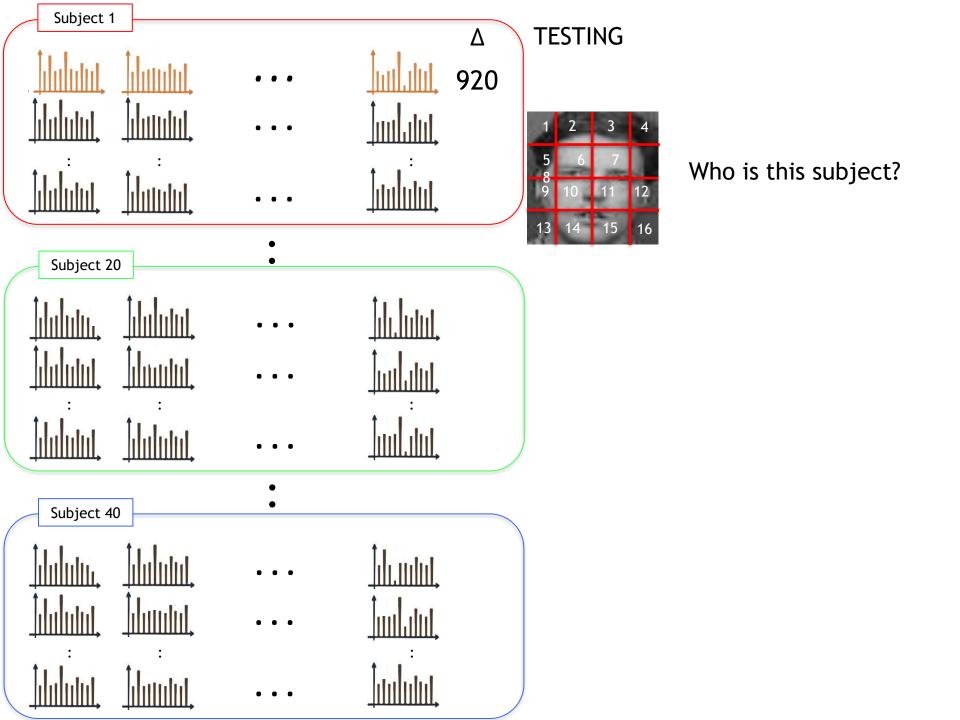
9x40 = 360 rows

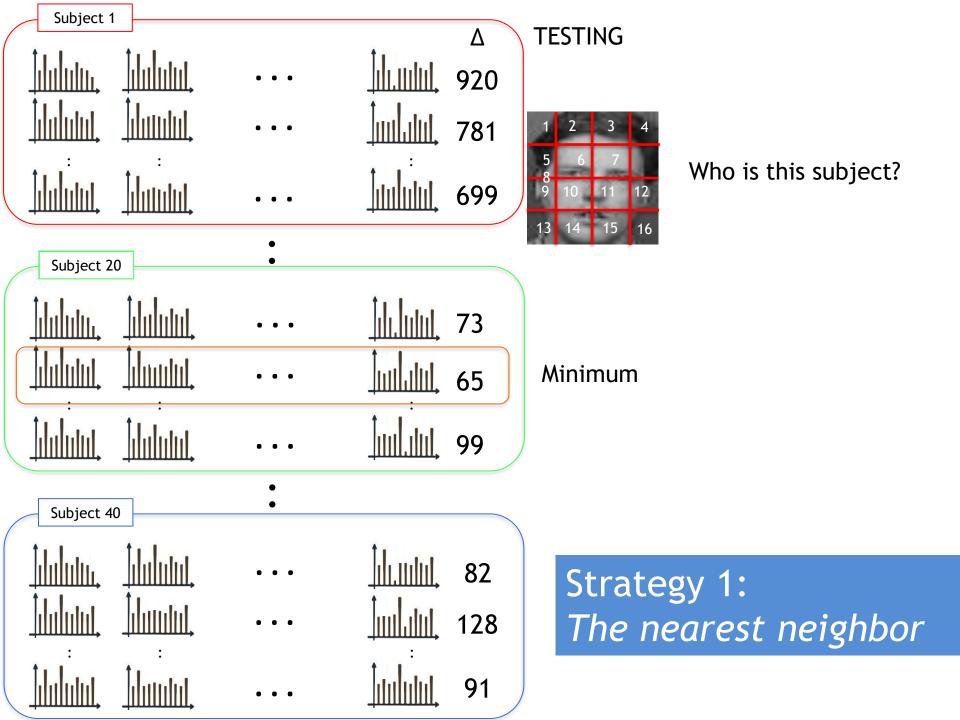
 $16 \times 59 = 944 \text{ columns}$ 



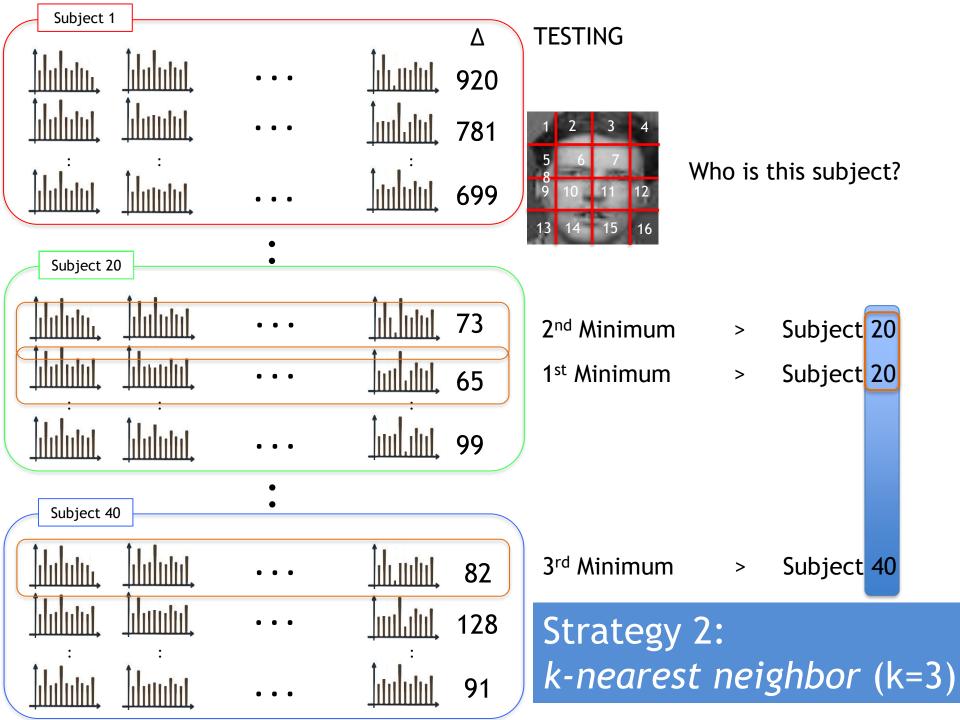








Strategy 2: k - nearest neighbors (knn)



Strategy 3: smallest sample-class distance

