

$$(\neg p_1 \vee p_3 \vee p_4 \vee p_5) \wedge (\neg p_3 \vee p_4 \vee p_5) \wedge (\neg p_1 \vee p_3 \vee \neg p_4) \wedge (\neg p_1 \vee p_2) \\ \wedge (p_1 \vee \neg p_2) \wedge (\neg p_1 \vee \neg p_5) \wedge (\neg p_3 \vee \neg p_4 \vee p_5)$$

## Set notation

$$X = \left\{ \overset{e_1}{\{ \neg t_1, \neg t_3, \neg t_4, \neg t_5 \}}, \overset{e_2}{\{ \neg t_3, \neg t_4, \neg t_5 \}}, \overset{e_3}{\{ \neg t_1, \neg t_3, \neg t_4 \}}, \overset{e_4}{\{ \neg t_1, \neg t_5 \}}, \overset{e_5}{\{ \neg t_1, \neg t_5 \}}, \right. \\ \left. \overset{e_6}{\{ \neg t_1, \neg t_5 \}}, \overset{e_7}{\{ \neg t_3, \neg t_4, \neg t_5 \}} \right\}$$

7. [ ]

$$2. [f_1^d]$$

$$3. [f_1^d, f_5]$$

4.  $[f_1^d, \neg f_5, f_0^d]$

5.  $[t_1^d, t_5, t_0^d, t_9^d]$

6.  $[t_1^d, t_5, t_2^d, t_3^d, t_4]$

by rule decide

$$\hookrightarrow \text{rule unit-prop}(c_6)$$

by rule decide

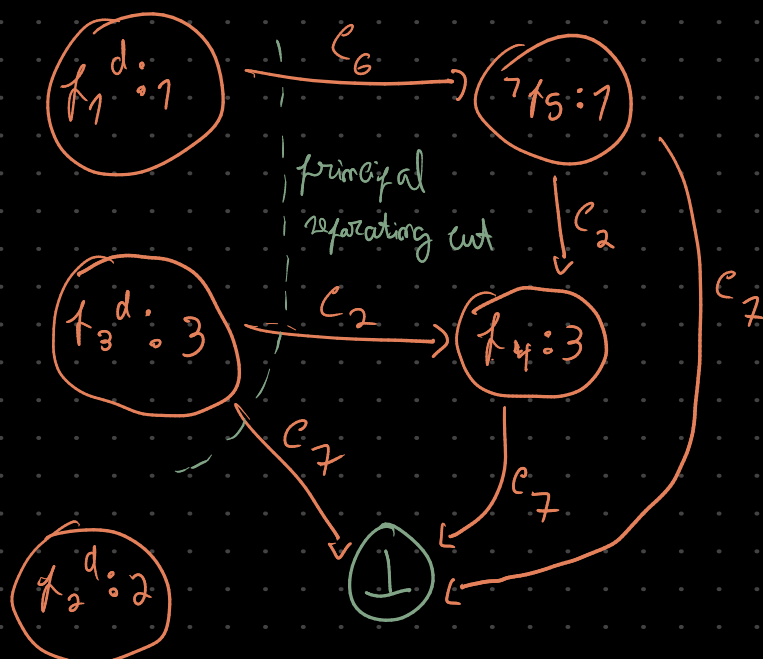
by rule decide

$$\log \text{ rule unit-prop}(c_2)$$

Complicated with  $C_7$

$$C = \left( \overset{d=1}{\uparrow} \begin{pmatrix} 1 & 1 \\ 1 & 1 \end{pmatrix} \vee \overset{d=3}{\uparrow} \begin{pmatrix} 1 & 1 \\ 1 & 1 \end{pmatrix} \right) \rightarrow C_8$$

The second greatest decision level in  $T$  is 1, so we delete from  $w$  every literal with a decision level greater than 1.



7.  $[x_1^d, \neg x_5]$

by rule backjump

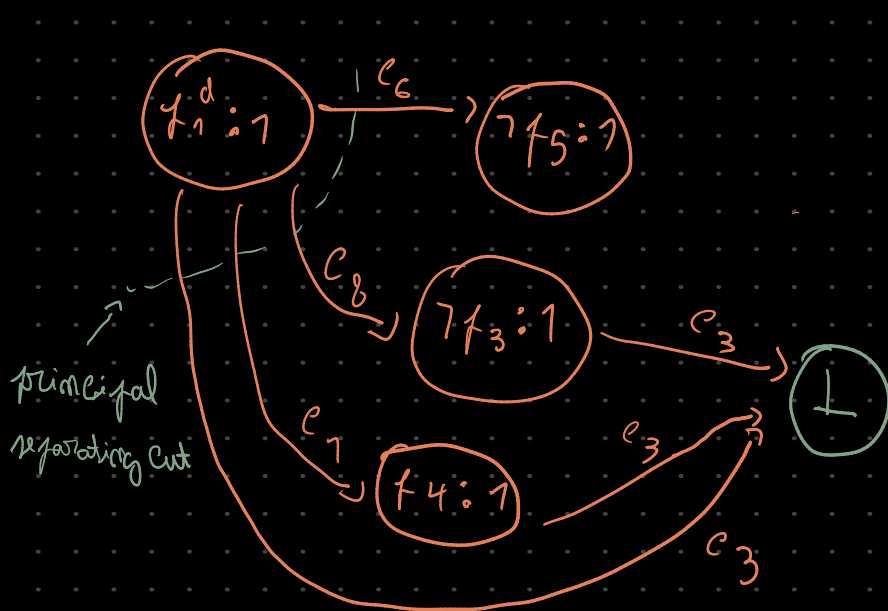
8.  $[x_1^d, \neg x_5, \neg x_3]$

by rule unit-prop ( $e_8$ )

9.  $[x_1^d, \neg x_5, \neg x_3, x_4]$

by rule unit-prop ( $e_9$ )

Conflict with  $e_3$



$\overset{d=1}{x_1} \rightarrow e_9$

The second greatest decision level is 0, so we delete all literals from  $w$ .

10.  $[]$

by rule backjump

11.  $[\neg x_1]$

by rule unit-prop ( $e_9$ )

12.  $[\neg x_1, x_2]$

by rule unit-prop ( $e_4$ )

Conflict with  $e_5$

13. fail

by rule fail

Because there are no more decision literals inside the partial valuation, the formula is UNSAT